## **Examples of Analytical Work with FullSimplify**

https://reference.wolfram.com/language/ref/FullSimplify.html https://reference.wolfram.com/language/ref/Simplify.html https://reference.wolfram.com/language/tutorial/AlgebraicManipulation.html#31833 https://reference.wolfram.com/language/tutorial/AlgebraicCalculations.html#12157 This is nonsense.  $In[x] := FullSimplify[x^n + y^n == z^n, Element[x | y | z | n, Integers] && n > 2 && x y z \neq 0]$ False Find roots.  $In[\ \ \ \ \ \ ]:=$  FullSimplify [x^3 - 6 x^2 + 11 x - 6] (-3+x)(-2+x)(-1+x)

```
Out[0]=
 In[*]:= FullSimplify[16 ArcTan[1 / 5] - 4 ArcTan[1 / 239]]
Out[0]=
 In[@]:= FullSimplify[E^(EllipticF[x, 1]), -Pi/2 < x < Pi/2]</pre>
Out[0]=
       Sec[x] + Tan[x]
       Note that only positive roots exist, if you put that as an assumption
 In[@]:= Simplify[Sqrt[x^2], x > 0]
Out[0]=
 In[@]:= Assuming[Re[x] > 0, FullSimplify[E^LogGamma[x]]]
Out[0]=
       Gamma[x]
```

Prove that a solution satisfies equation.

Out[0]=

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In[\circ]:= Solve[x + 2 Exp[x] == 1, x] // Quiet
Out[0]=
          \{\,\{\,x\rightarrow 1\,-\,ProductLog\,[\,2\,\,\text{e}\,]\,\,\}\,\}
 In [\sigma]:= FullSimplify /@ Factor [a^2q^2+q^4 (1+c) ^2]
```

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Out[\*]= 
$$q^2 (a^2 + (1 + c)^2 q^2)$$