

# Heat Transfer Problem

[Image]

Assume that the view factor is 1 from very large plates, only radiation heat exchange, gray surface steady state heat transfer, constant properties, shield is thin such that there is no storage, and isothermal.

Solve[

```
(300^4 - 100^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (300^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) &&
(300^4 - 100^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (Ts^4 - 100^4) / ((1 / 0.4) + (1 / epss) - 1) &&
(300^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) == (Ts^4 - 100^4) / ((1 / 0.4) + (1 / epss) - 1),
{Ts, epss}, PositiveReals]
```

Solve[

```
(T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (T1^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) &&
(T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (Ts^4 - T2^4) / ((1 / 0.4) + (1 / epss) - 1) &&
(T1^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) == (Ts^4 - T2^4) / ((1 / 0.4) + (1 / epss) - 1) &&
T2 > T1 > 0 && 0 < epss < 1, {T1, T2, Ts, epss}, PositiveReals]
```

## Monte Carlo Simulation of Problem

With a lucky guess at  $T_1$  and  $T_2$ , we have constant emissivity everywhere, however there are poles and zeroes corresponding to certain temperature.

Solution simplex constrained by  $T_2 > T_1 > 0$

```
In[*]:= (*Assumehightemperaturesurfacehashighemissivity0.8*)
```

Plot3D[Evaluate[epss /. Solve[

```
(T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (T1^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) &&
(T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (Ts^4 - T2^4) / ((1 / 0.4) + (1 / epss) - 1) &&
(T1^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) == (Ts^4 - T2^4) / ((1 / 0.4) + (1 / epss) - 1) &&
T2 > T1 > 0 && 0 < epss < 1, {T1, T2, epss, Ts}]], {T1, 0, 1000},
{T2, 0, 1000}, PlotRange -> All, (*Adjusttheplotrangeasneeded*)
AxesLabel -> {"T1", "T2", "epss"},
PlotLegends -> Automatic]
```

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Infinity::indet: Indeterminate expression 0. ComplexInfinity encountered.

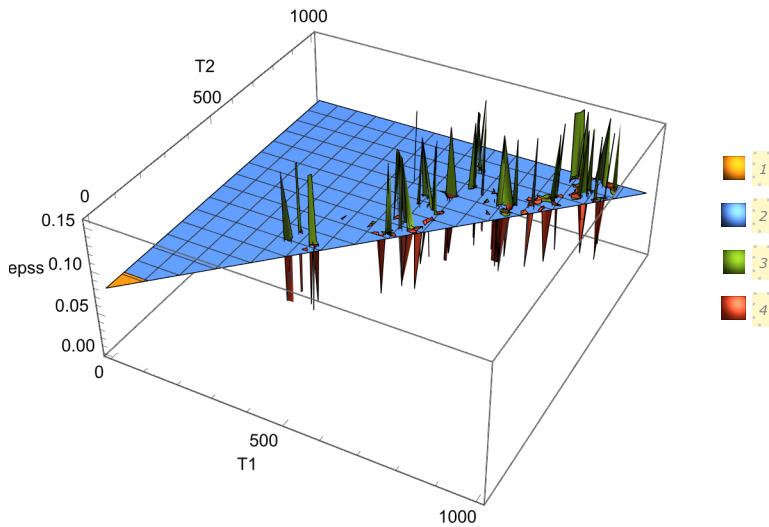
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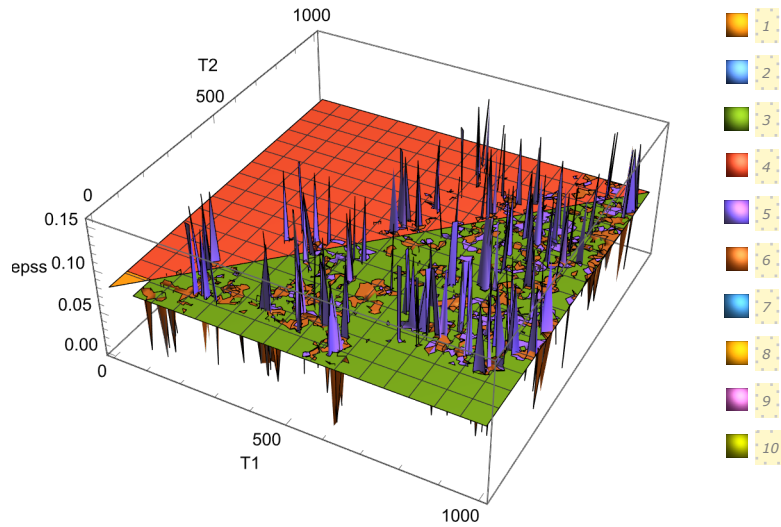
Infinity::indet: Indeterminate expression 0. ComplexInfinity encountered.

Out[ ]=



```
In[ ]:= Plot3D[Evaluate[epss /. Solve[
  (T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (T1^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) &&
  (T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (Ts^4 - T2^4) / ((1 / 0.4) + (1 / epss) - 1) &&
  (T1^4 - Ts^4) / ((1 / 0.8) + (1 / epss) - 1) == (Ts^4 - T2^4) / ((1 / 0.4) + (1 / epss) - 1) &&
  T1 > 0 && T2 > 0 && 0 < epss < 1, {T1, T2, epss, Ts}]], {T1, 0, 1000},
  {T2, 0, 1000}, PlotRange -> All, (*Adjust the plot range as needed*)
  AxesLabel -> {"T1", "T2", "epss"},
  PlotLegends -> Automatic]
```

Out[*n*]=



In[*n*]:= (\*Assumelowtemperaturesurfacehashighemissivity0.8\*)

```
Plot3D[Evaluate[epss /. Solve[
  (T1^4 - T2^4) / ((1 / 0.8) + (1 / 0.4) - 1) == 10 (T1^4 - Ts^4) / ((1 / 0.4) + (1 / epss) - 1) &&
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  (T1^4 - Ts^4) / ((1 / 0.4) + (1 / epss) - 1) == (Ts^4 - T2^4) / ((1 / 0.8) + (1 / epss) - 1) &&
  T2 > T1 > 0 && 0 < epss < 1, {T1, T2, epss, Ts}]], {T1, 0, 1000},
{T2, 0, 1000}, PlotRange -> All, (*Adjusttheplotrangeasneeded*)
AxesLabel -> {"T1", "T2", "epss"},
PlotLegends -> Automatic]
```

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Infinity::indet: Indeterminate expression 0. ComplexInfinity encountered.

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Out[ $\#$ ]=

