



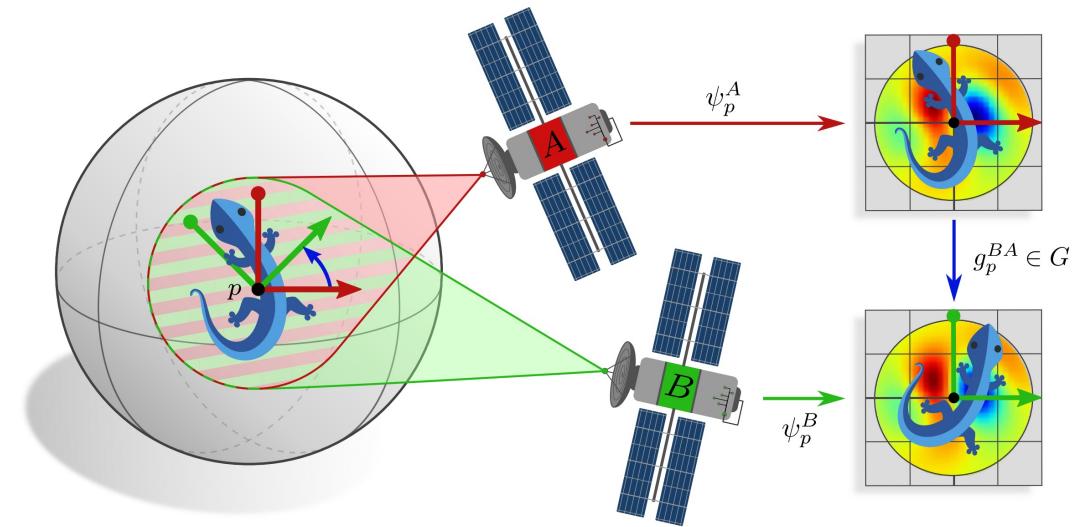
AI4Science

Max Welling



Overview

- Intro to Fifth Paradigm
- PDE surrogates
- Molecules

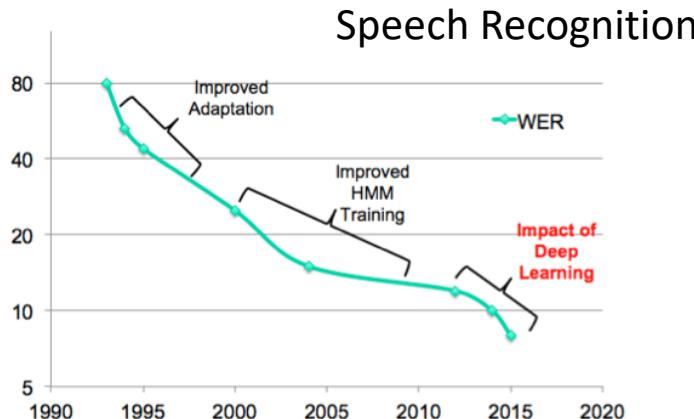


Picture created by Maurice Weiler

(Lizards adapted under the Creative Commons Attribution 4.0 International license by courtesy of Twitter.)

Deep Learning has been transforming AI

Word Error Rate (WER)



Source: Kartik Audhkhasi blog; <https://minghsiehce.usc.edu/2017/04/the-machines-are-coming/>

Error in ImageNet Challenge

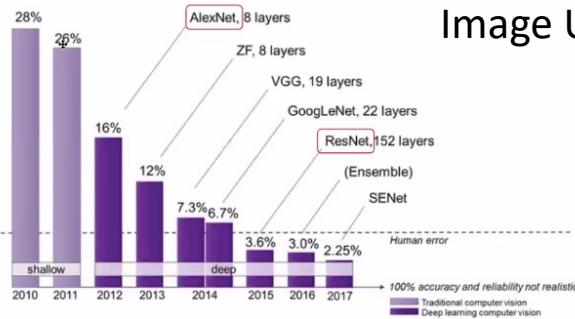


Image Understanding

(Source: [Angshuman Gosh](#) | DLDC 2021)

Natural Language Models

Explaining a Joke

- I will explain these jokes:
- (1) The problem with Kleptomanics is that they always take things literally.
 - Explanation: This joke is about someone who takes things literally, is someone who doesn't fully understand social cues and context, which is a negative trait.
 - (2) Always borrow money from a pessimist. They'll never expect it back.
 - Explanation: Most people expect you to pay them back when you borrow money, however a pessimist is someone who always assumes the worst, so if you borrow money from them, they will expect that you won't pay them back anyways.
- Input: I was supposed to start writing the paper at 5:00 PM. But then I started playing with this cool new language model for 10 minutes. 10 minutes later, it's suddenly 9:30 PM!
- Model Output: This joke is about how time flies when you're having fun. The person was supposed to start writing a paper at 5:00 PM, but they started playing with a language model instead. They thought they were only playing with it for 10 minutes, but it was actually 4.5 hours.
- Input: I was going to fly to visit my family on April 6th. My mom said "Oh great, your step dad's poetry reading is that night!" So now I'm flying in on April 7th.
- Model Output: The joke is that the speaker's mother is trying to get them to go to their step dad's poetry reading, but the speaker doesn't want to go, so they are changing their flight to the day after the poetry reading.
- Input: Reading "War and Peace" doesn't scare me. I once had to review the CL for my intern's whole project on his final day!
- Model Output: 'War and Peace' is a very long book, so reading it is a daunting task. However, the speaker is saying they had to review the code for their intern's project on their final day, which is even more daunting.
- Input: I tried 10,000 random restarts of my neural network, but I was accused of overfitting. I guess no good seed goes unpunished.
- Model Output: This joke is a pun. A neural network is a computer program that can learn from data. A "seed" is a number that is used to initialize a random number generator. A "good seed" is a number that produces a good random number generator. The phrase "no good seed goes unpunished" means that if you do something good, you will be punished for it.
- Input: What's the difference between a zebra and an umbrella? One is a striped animal related to horses, another is a device you use to stop the rain from falling on you.
- Model Output: This joke is an anti-joke. The joke is that the answer is obvious, and the joke is that you were expecting a funny answer.

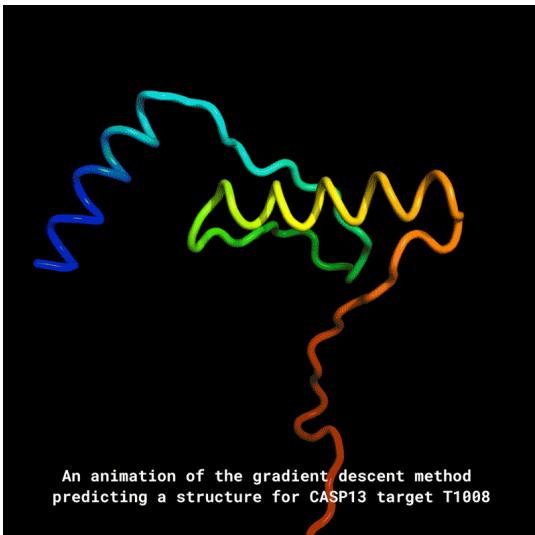
Text to Image Generative Models

A small cactus wearing a straw hat and neon sunglasses in the Sahara desert.

[Imagen Video \(research.google\)](#)



Deep learning will be transforming the natural sciences



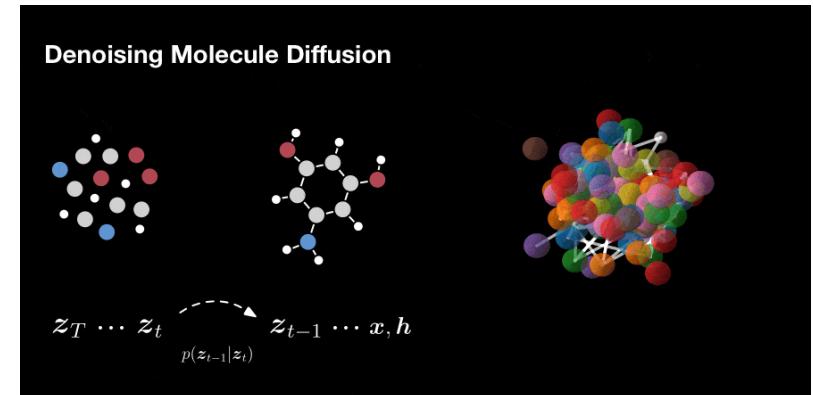
Protein Folding

Highly accurate protein structure prediction with AlphaFold

[John Jumper](#) , [Richard Evans](#), ... [Demis Hassabis](#)  + Show authors

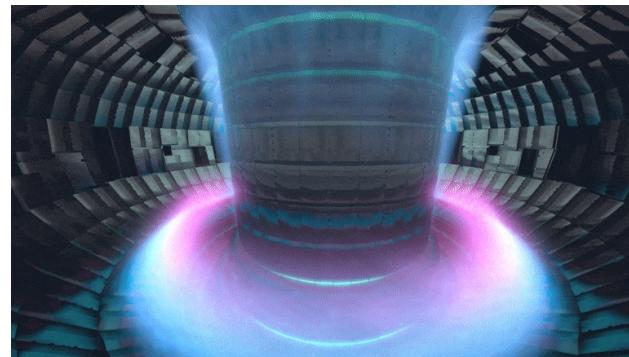
[Nature](#) **596**, 583–589 (2021) | [Cite this article](#)

Molecule Generation



Equivariant Diffusion for Molecule Generation in 3D

Emiel Hoogeboom ^{*1} Victor Garcia Satorras ^{*1} Clément Vignac ^{*2} Max Welling ¹



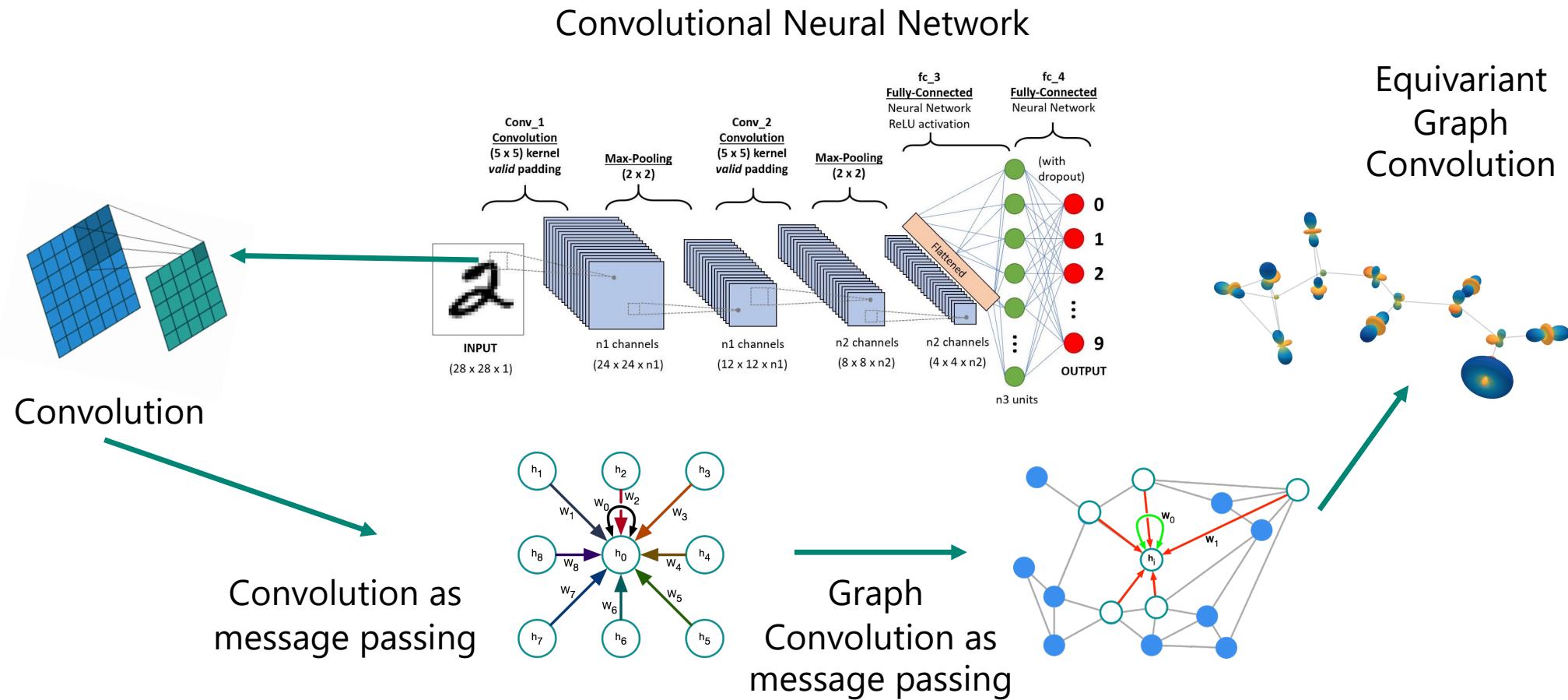
Plasma Control

Magnetic control of tokamak plasmas through deep reinforcement learning

[Jonas Degrave](#), [Federico Felici](#) , ... [Martin Riedmiller](#) + Show authors

[Nature](#) **602**, 414–419 (2022) | [Cite this article](#)

The main tool: equivariant GNNs



Further Reading

Generalized SE(3) Equivariant GNNs using higher order irreducible representations.

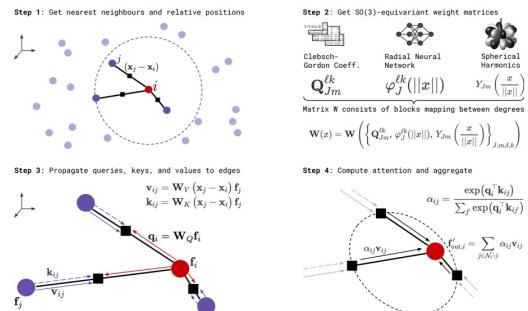
SE(3)-Transformers: 3D Roto-Translation Equivariant Attention Networks

Fabian B. Fuchs*
Bosch Center for Artificial Intelligence
A2I Lab, Oxford University
fabian@robots.ox.ac.uk

Volker Fischer
Bosch Center for Artificial Intelligence
volker.fischer@de.bosch.com

Daniel E. Worrall*
Amsterdam Machine Learning Lab, Philips Lab
University of Amsterdam
d.e.worrall@uva.nl

Max Welling
Amsterdam Machine Learning Lab
University of Amsterdam
m.welling@uva.nl



Steerable Equivariant Message Passing on Molecular Graphs

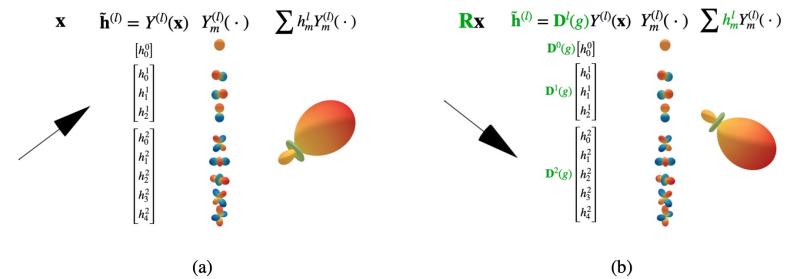
Johannes Brandstetter*
University of Amsterdam
Johannes Kepler University Linz
brandstetter@m1.jku.at

Erik Bekkers
University of Amsterdam
e.j.bekkers@uva.nl

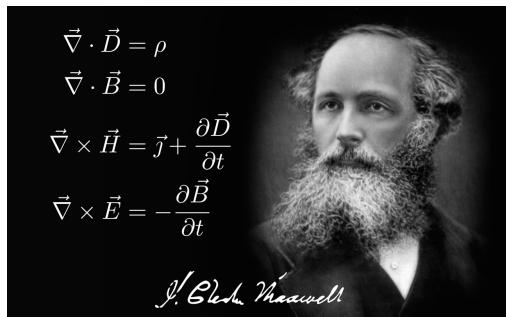
Max Welling
University of Amsterdam
Qualcomm AI Research
m.welling@uva.nl

Rob Hesselink*
University of Amsterdam
r.d.hesselink@uva.nl

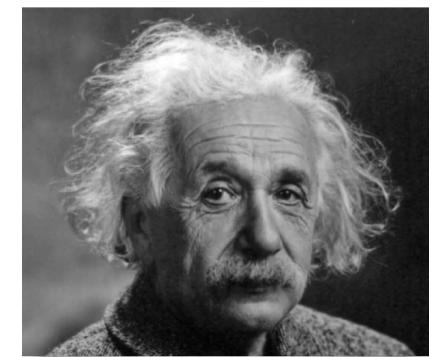
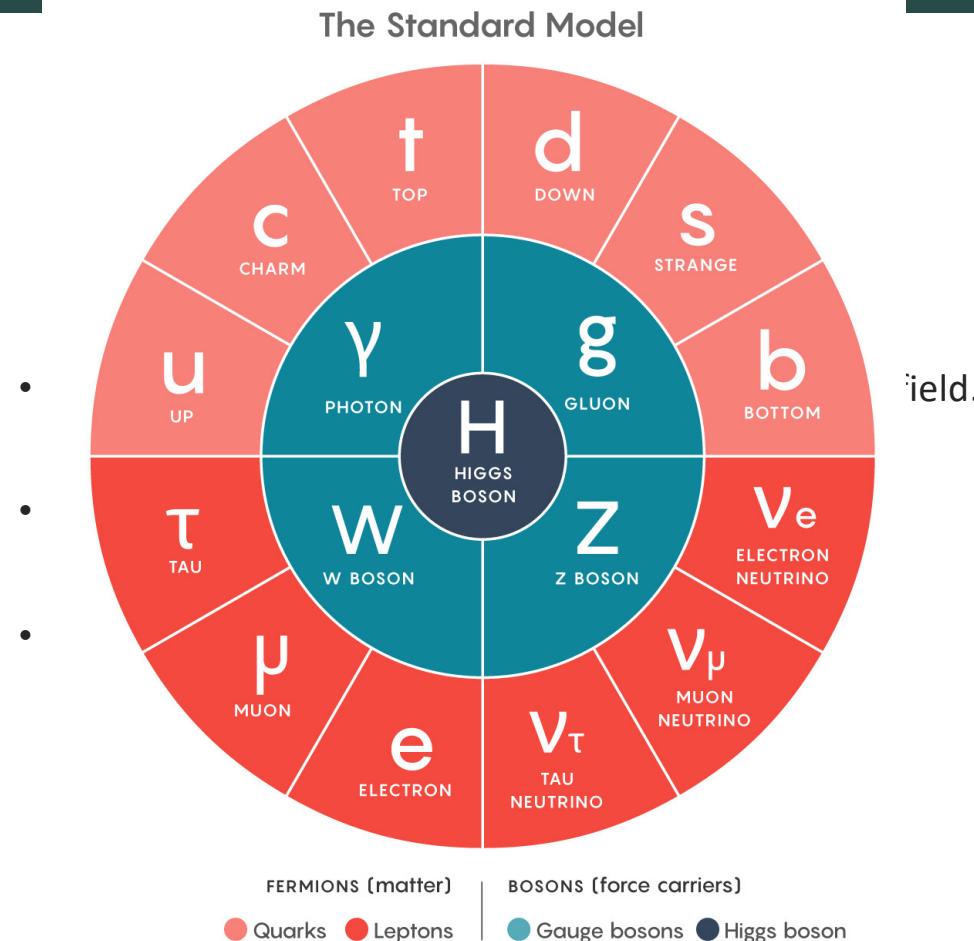
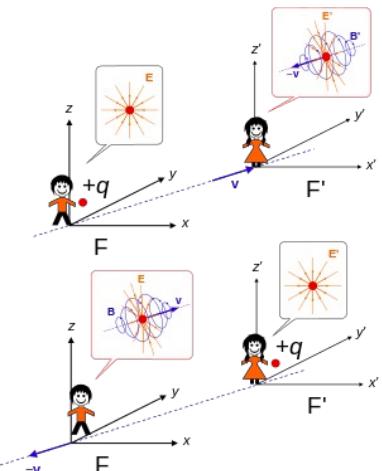
Elise van der Pol
University of Amsterdam
e.e.vanderpol@uva.nl



Symmetries & Equivariance

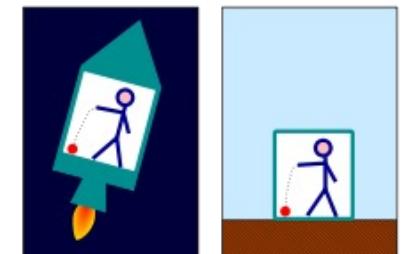


Electricity = Magnetism

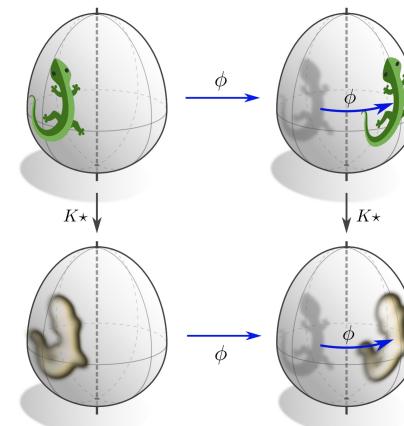
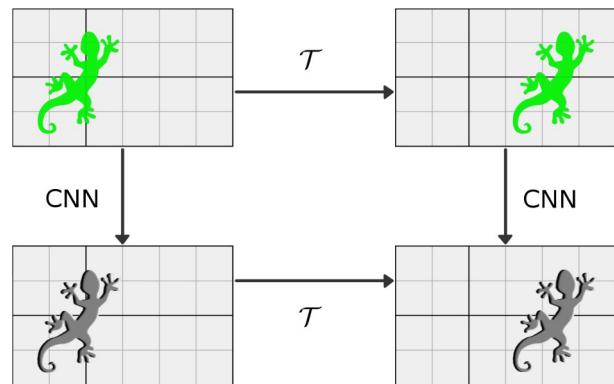


Gravity = Acceleration

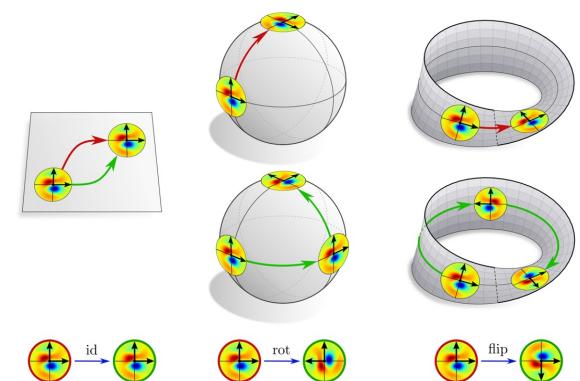
$$R_{\mu\nu} - \frac{1}{2} R g_{\mu\nu} + \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}$$



Equivariance



Equivariance on manifold



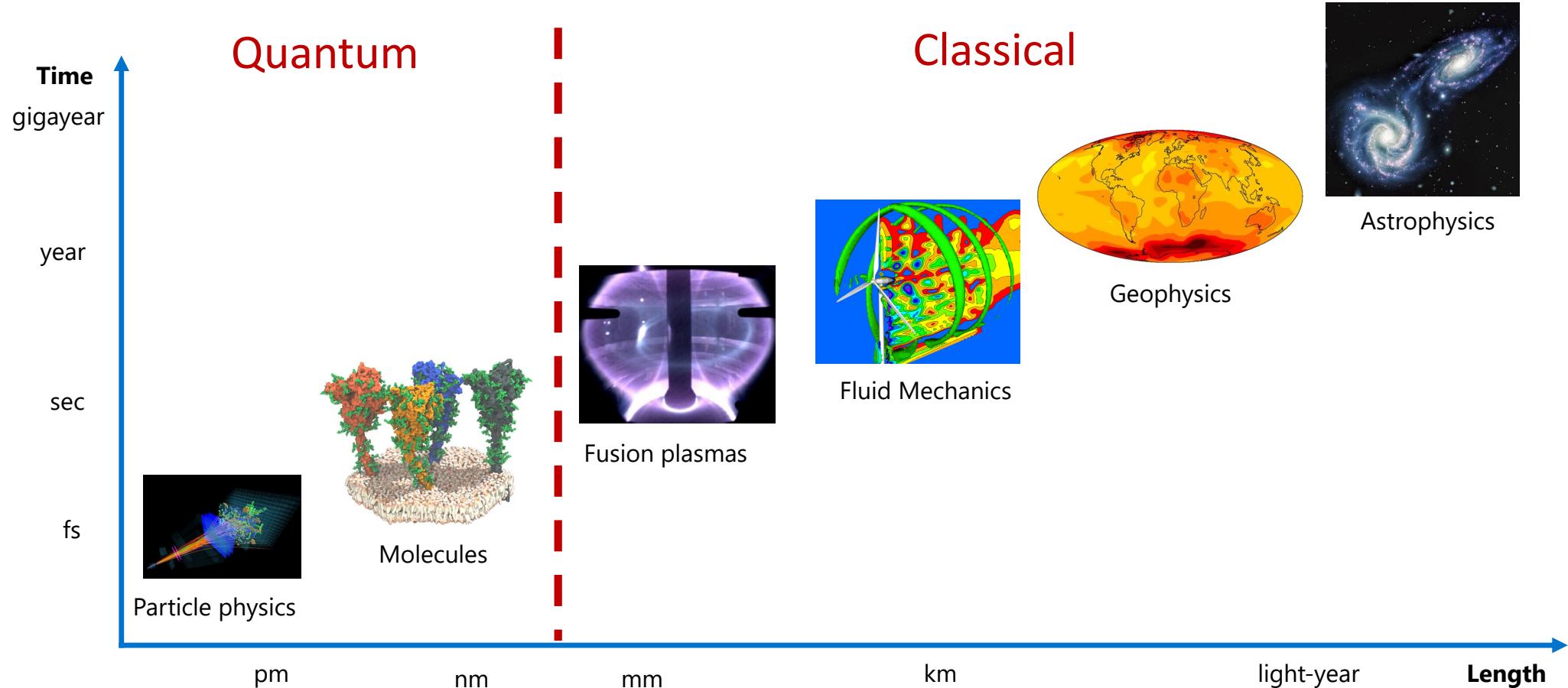
Gauge symmetries are needed to define proper convolutions on manifolds

- Equivariance is good for:
 - Data efficiency
 - Disentangling pose and presence
 - Creates easy patterns for next layer
- First appearance in ML: Group CNNs
Cohen & W. '16, Dieleman et al, '16

Picture created by Maurice Weiler

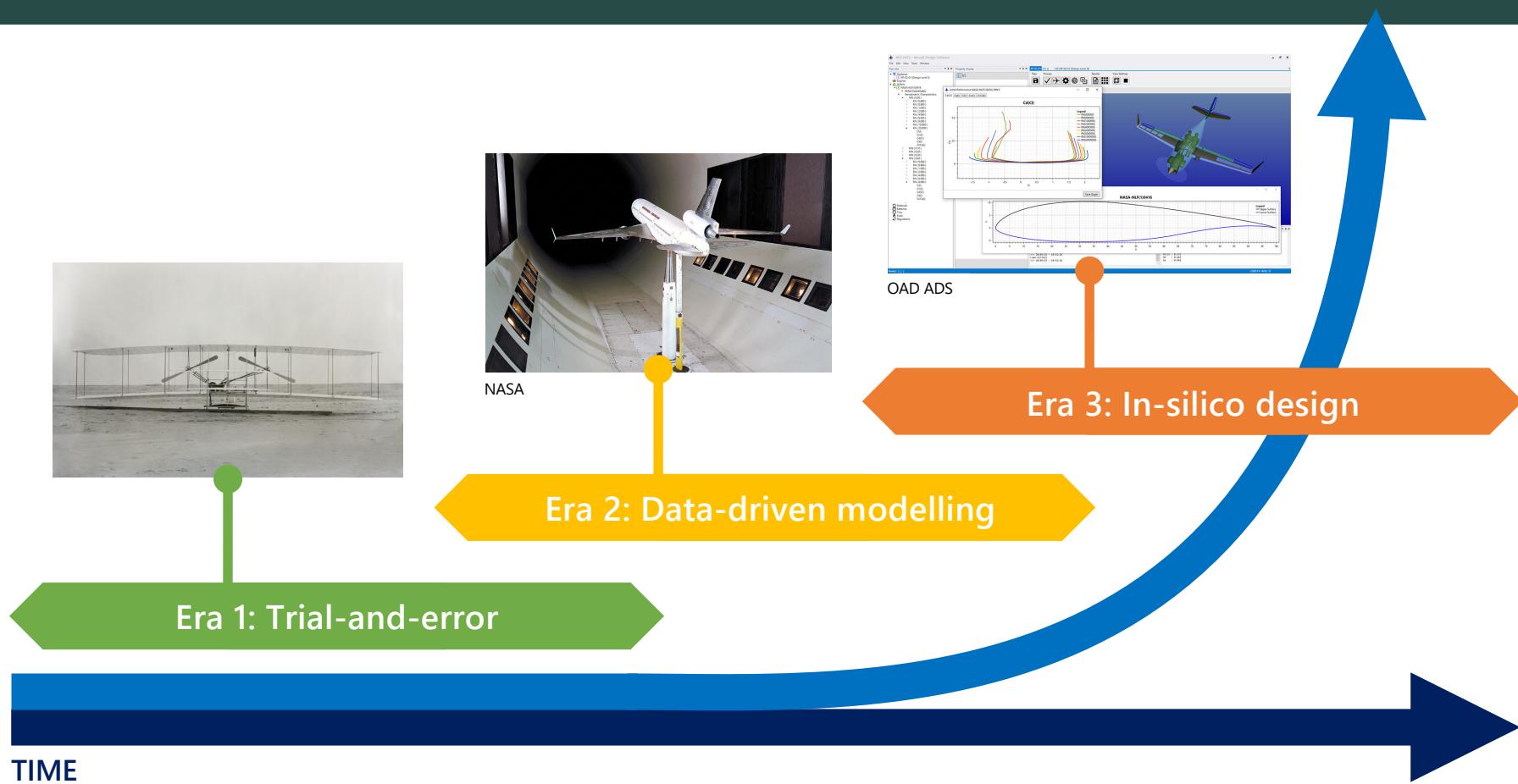
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AI4Science: A Multi-Scale Scientific World



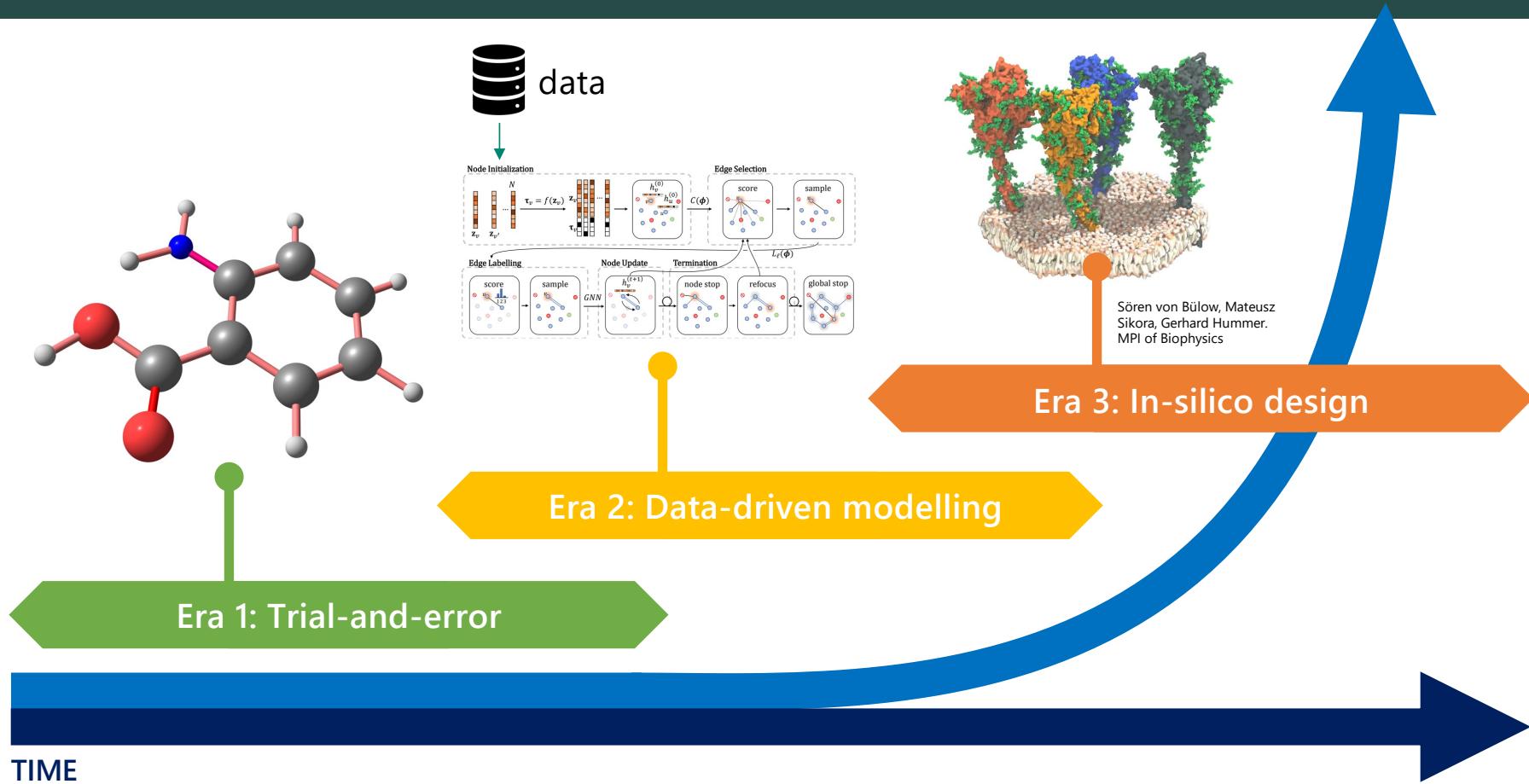
A New Paradigm of Scientific Discovery

COMPUTATIONAL
COMPLEXITY

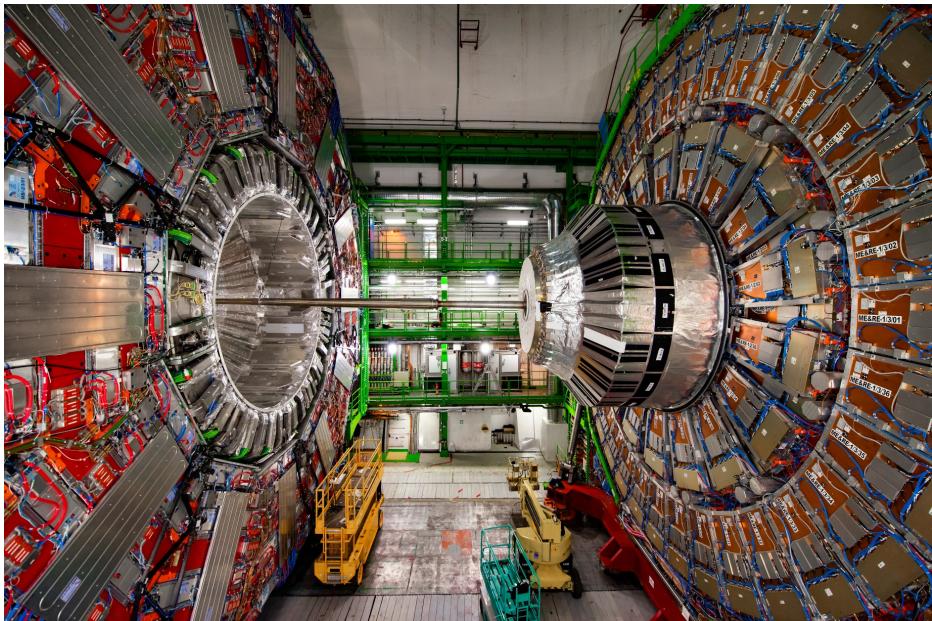


A New Paradigm for Materials Design

COMPUTATIONAL COMPLEXITY



Can we build a new kind of microscope?



LHC: The microscope of the particle physicists



SKA: The telescope of the astronomers

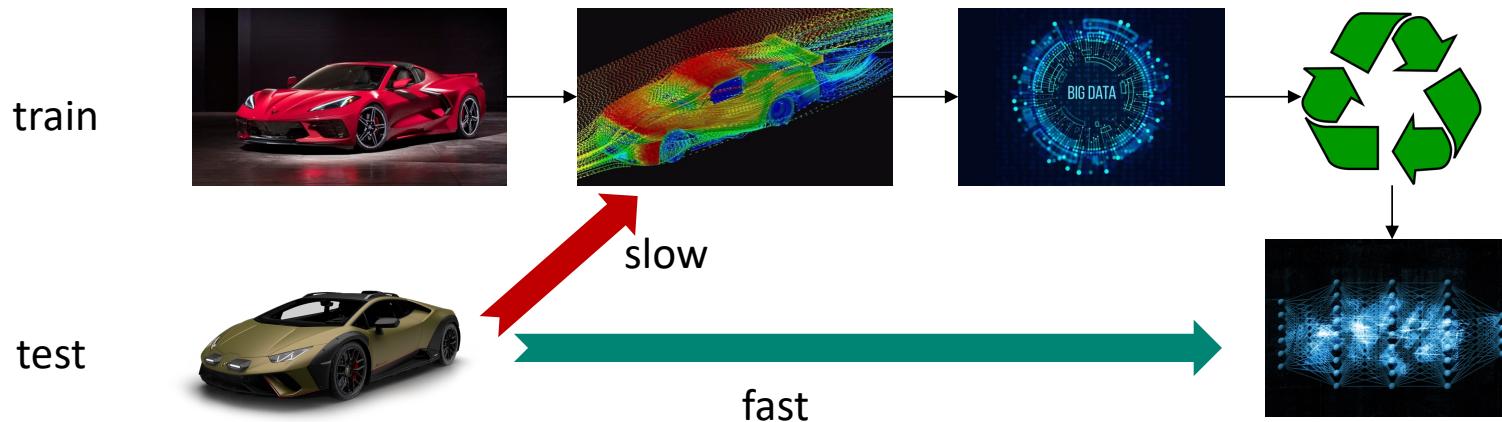
The new microscope is computational

Large scale, self-learning simulations
on modern supercomputers

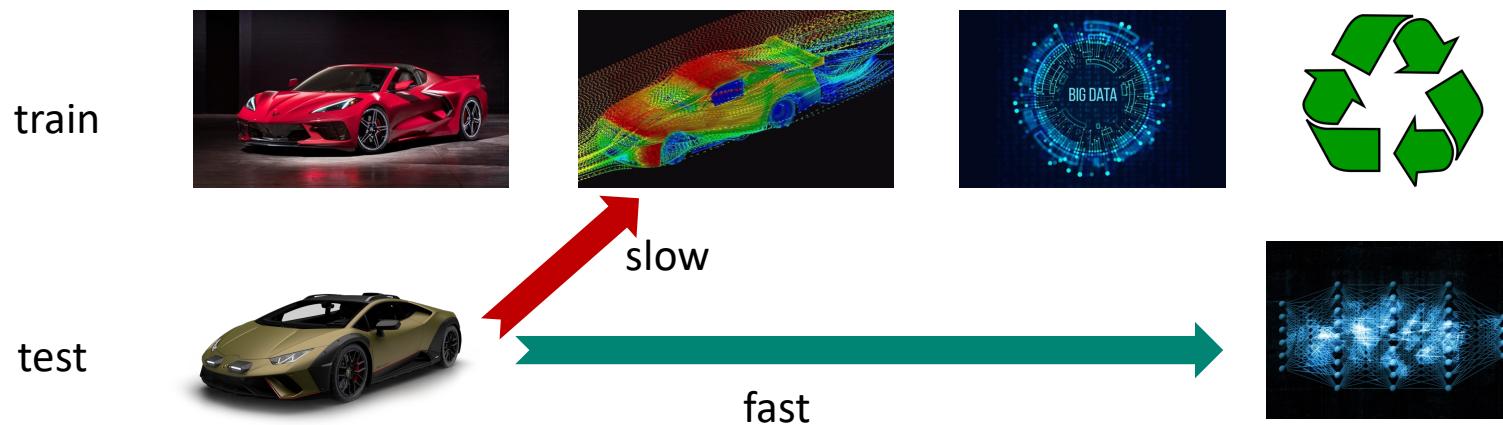


Amortization

- The usual paradigm is to "solve" the physics equation through numerical methods
- Data is thrown then away!
- Fifth paradigm is recycling data and storing information in model parameters
- ML surrogate can shortcut expensive computation when pattern is seen before



Generalization

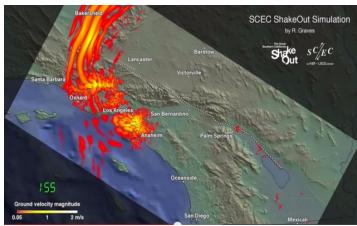


- When should we use the slow similar versus the fast emulator?
 - Simulator solves physics equations: generalizes well
 - Emulator is neural network model: may generalize poorly
- Know when you don't know: *uncertainty quantification is key*

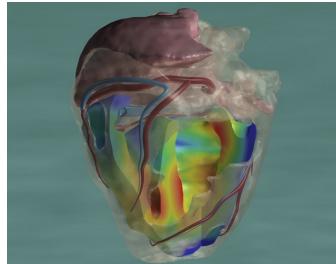
PDEs

Partial Differential Equations

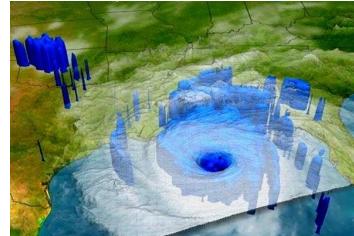
- PDEs are used throughout the sciences.
- We want to either replace or augment numerical schemes.



Earthquakes



Heart dynamics



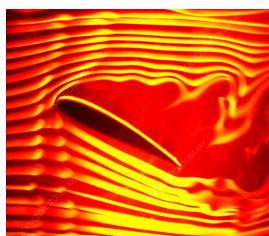
Weather prediction



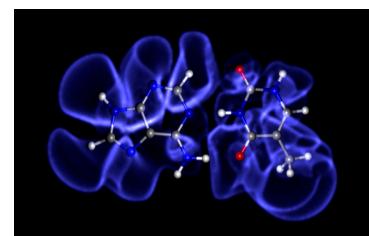
Galaxy collisions



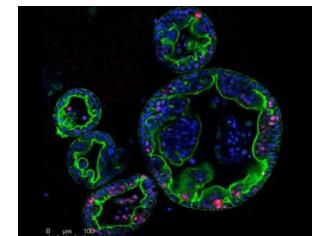
Plasma physics



Airplane design



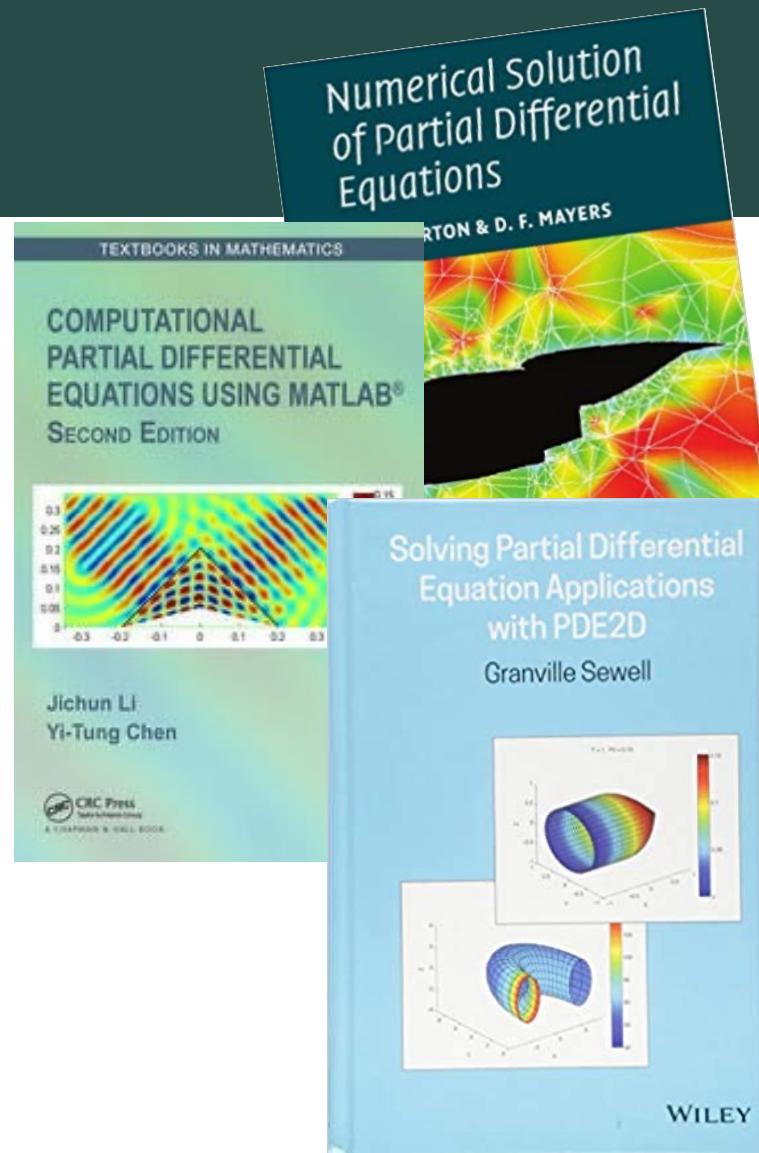
Electronic structure



Tumor growth

Numerical Solvers

- Requirements:
 - Accuracy
 - Stability over long rollouts
 - Speed
 - Computational cost
 - Easy to use
 - Uncertainty quantification
 - Generalize across:
 - Initial conditions
 - Boundary conditions
 - PDE parameters
 - Integration grid resolution
 - Integration grid regularity
 - Geometry
 - Topology
 - Dimensionality
 - ...



PDEs

- Formulation of a (time-dependent) PDE:

$$\partial_t \mathbf{u} = F(t, \mathbf{x}, \mathbf{u}, \partial_{\mathbf{x}} \mathbf{u}, \partial_{\mathbf{xx}} \mathbf{u}, \dots)$$

$$(t, \mathbf{x}) \in [0, T] \times \mathbb{X}$$

$$\mathbf{u}(0, \mathbf{x}) = \mathbf{u}^0(\mathbf{x}), \quad B[\mathbf{u}](t, x) = 0$$

$$\mathbf{x} \in \mathbb{X}, (t, \mathbf{x}) \in [0, T] \times \partial \mathbb{X}$$

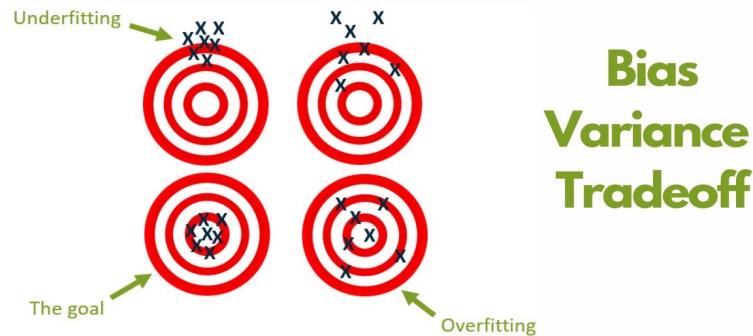
- Can ML be used to solve PDEs faster?
 - Think of solver as a differentiable iterative program: optimize its (hyper)parameters from data
 - Use either real data and/or simulated data to train ML models
 - Key question: how do ML PDE surrogates generalize across ICs, BCs, parameter perturbations, dimensions?

Data from numerical solver

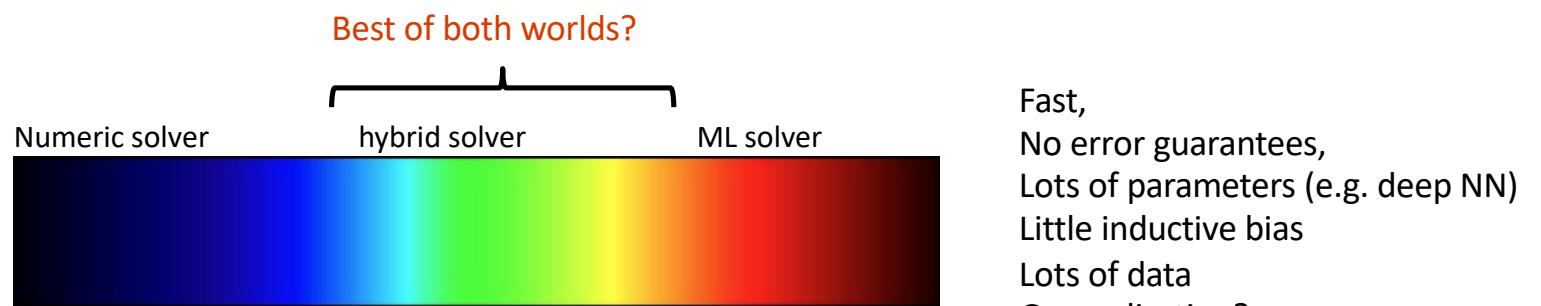


Improve surrogate ML model to solve PDE faster next time

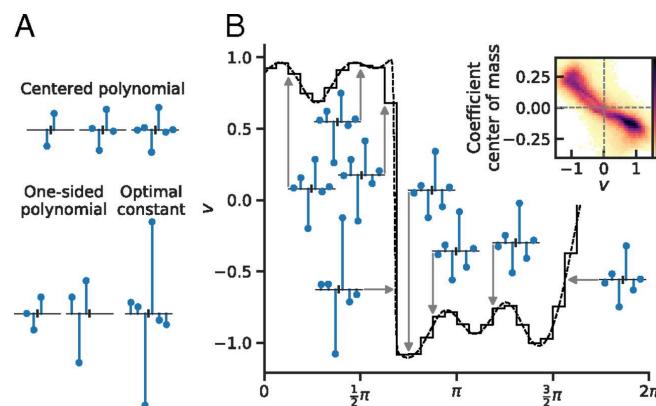
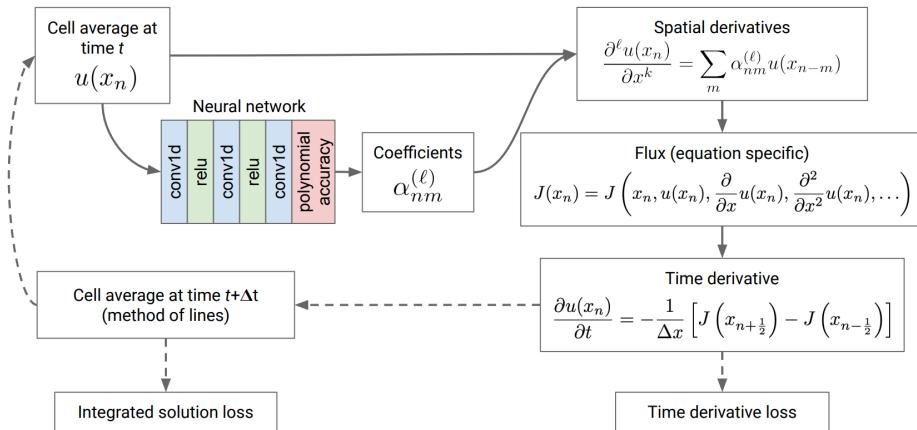
Generalization, Inductive Bias & Data



Slow,
Error guarantees,
Few parameters (e.g. RK)
Large inductive bias
No data
Generalization?



First attempts: Learning Stencils

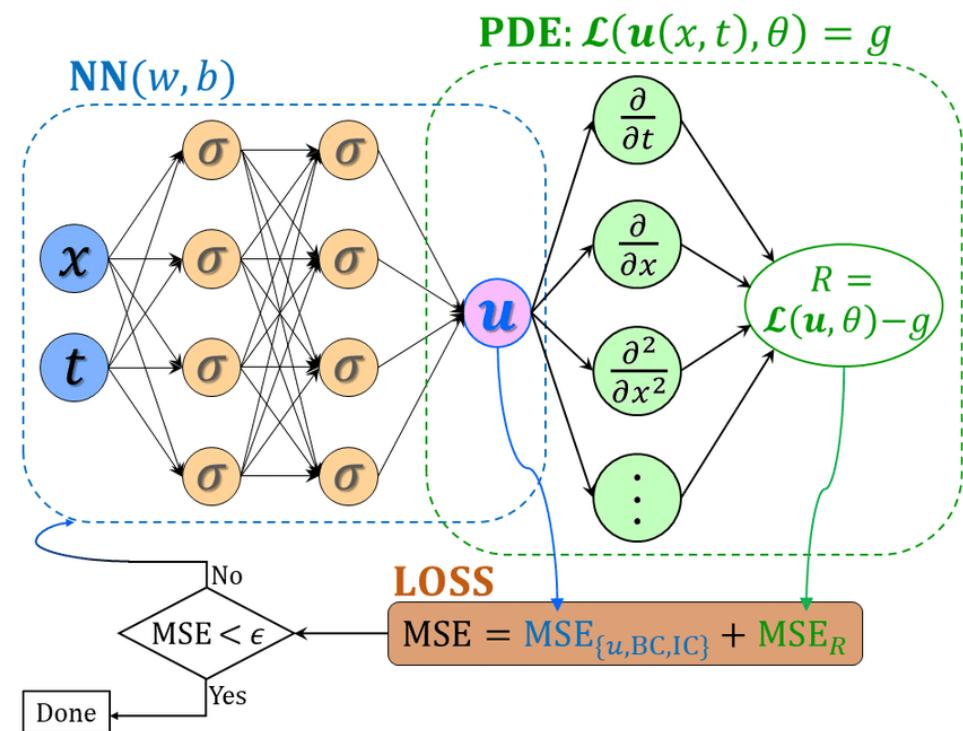


Yohai Bar-Sinai, Stephan Hoyer, Jason Hickey, and Michael P. Brenner. Learning data-driven discretizations for partial differential equations. *Proceedings of the National Academy of Sciences*, 116(31):15344–15349, Jul 2019. ISSN 1091-6490. doi: 10.1073/pnas.1814058116.

Solution approximators

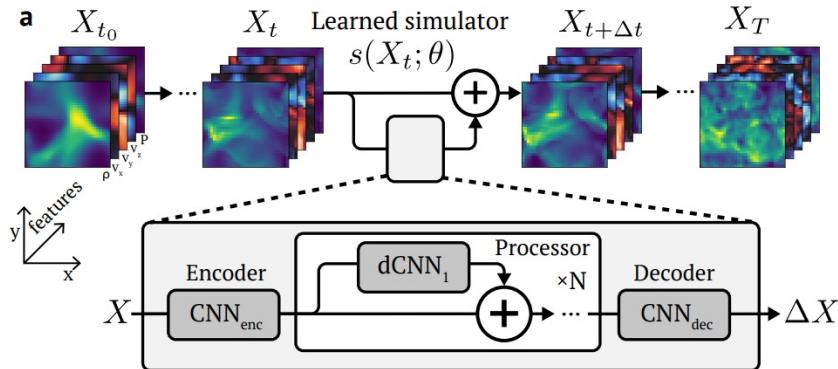
- PINN-like approaches (implicit function approximators):
- Inverse problems (learn PDE parameters)
- Good for high-dimensional problems

PINNs:
Raissi et al.
Journal of Computational physics 2017



Neural operators

- Operator learning:
 - Map one solution to another solution
 - Method approximately independent from grid
 - Ideally generalizes to different grids, initial & boundary conditions, ...



DeepONet:

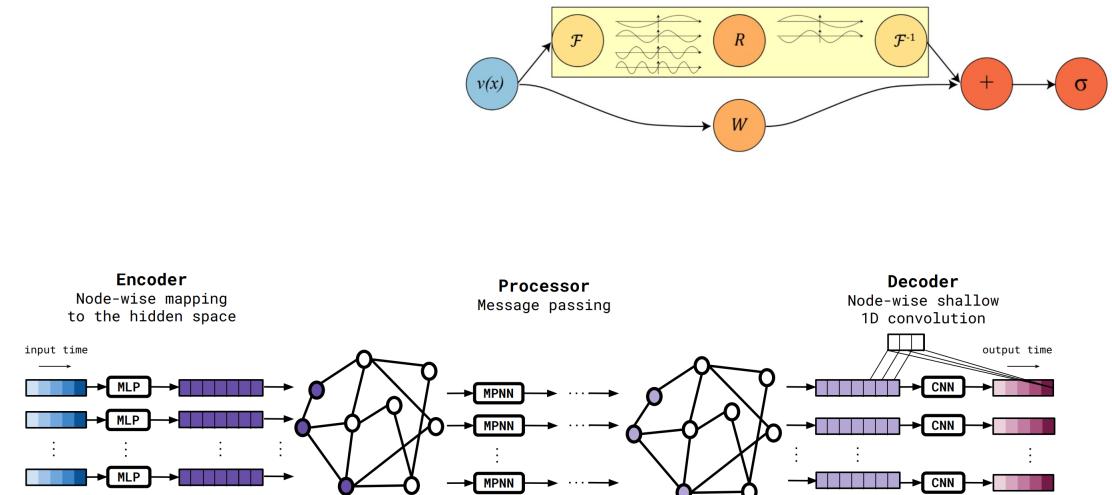
Lu et al.

Nature Machine Intelligence 2019

Fourier Neural Operator(FNO):

Li et al.

ICLR2021

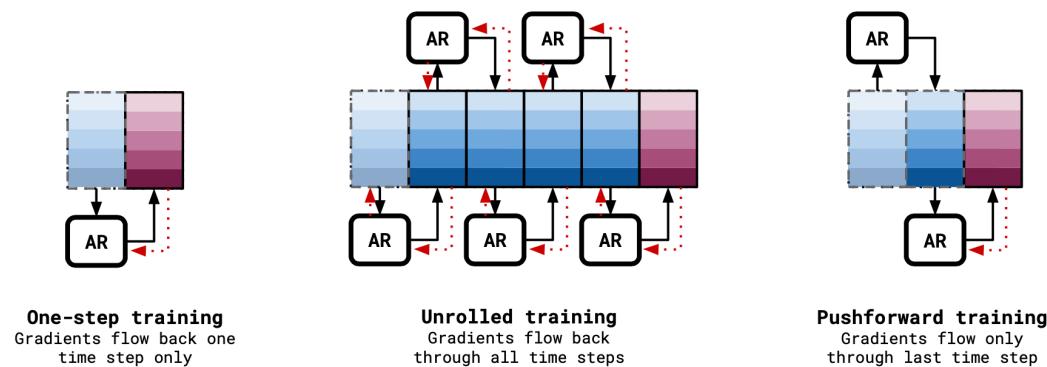


Training a Neural PDE solver

- Generate "data" from classical solver.
- Train model by minimizing Loss function:

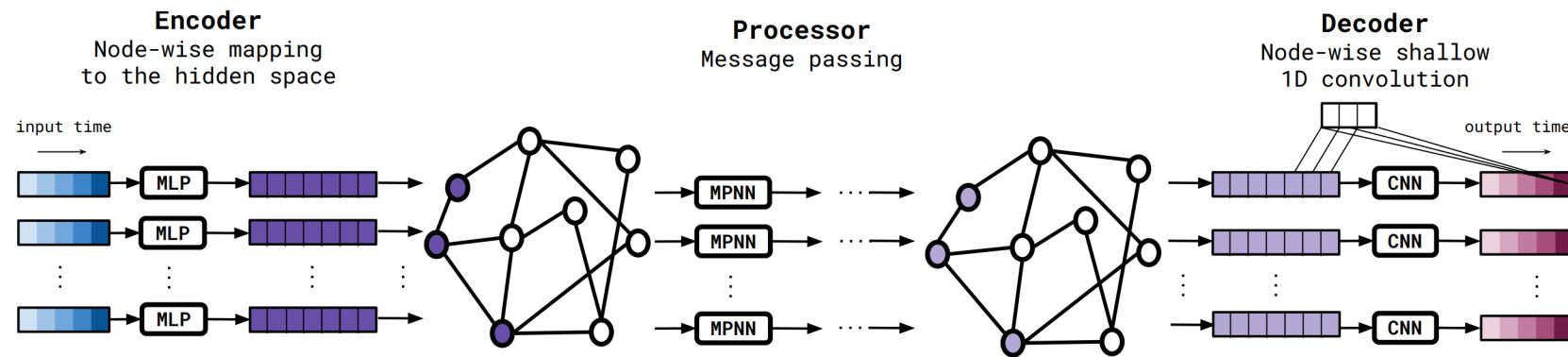
$$L_{\text{stability}} = \mathbb{E}_k \mathbb{E}_{\mathbf{u}^{k+1} | \mathbf{u}^k, \mathbf{u}^k \sim p_k} [\mathbb{E}_{\boldsymbol{\epsilon} | \mathbf{u}^k} [\mathcal{L}(\mathcal{A}(\mathbf{u}^k + \boldsymbol{\epsilon}), \mathbf{u}^{k+1})]]$$

with $(\mathbf{u}^k + \boldsymbol{\epsilon}) = \mathcal{A}(\mathbf{u}^{k-1})$



- We train to predict the right answer from a noisy input.
- Noise is given by numerical integration errors

Encode – Process - Decode



x_i location

u_i^k field variable at x_i at time k

f_i^m GNN feature at x_i at layer m

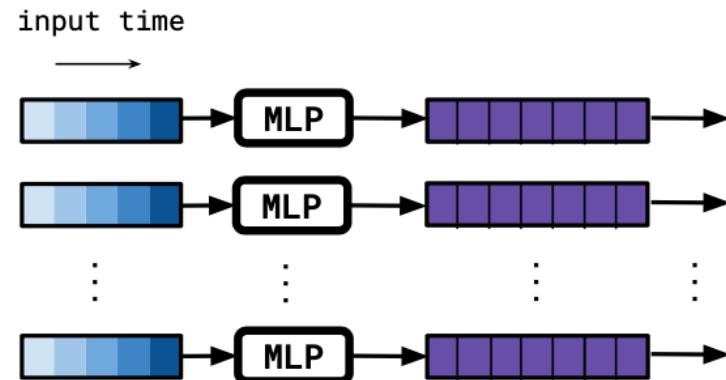
θ_{PDE} other properties such as boundary conditions, PDE parameters etc.

Encoder

- Embed node information on graph:

$$\mathbf{f}_i^0 = \epsilon^v([\mathbf{u}_i^{k-K:k}, \mathbf{x}_i, t_k, \theta_{\text{PDE}}])$$

Encoder
Node-wise mapping
to the hidden space



Processor: GNN Message Passing on Irregular Grid

- Create irregular integration grid with the following information on nodes:

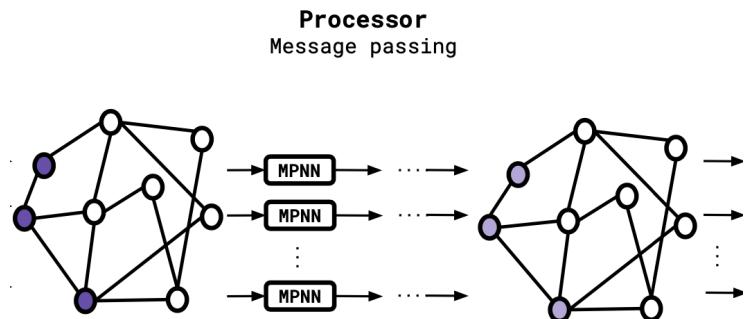
x_i location

u_i^k field variable at x_i at time k

f_i^m GNN feature at x_i at layer m

θ_{PDE} other properties such as boundary conditions, PDE parameters etc.

- Use GNN to process information:



edge $j \rightarrow i$ message:

$$\mathbf{m}_{ij}^m = \phi(\mathbf{f}_i^m, \mathbf{f}_j^m, \mathbf{u}_i^{k-K:k} - \mathbf{u}_j^{k-K:k}, \mathbf{x}_i - \mathbf{x}_j, \theta_{\text{PDE}})$$

node i update:

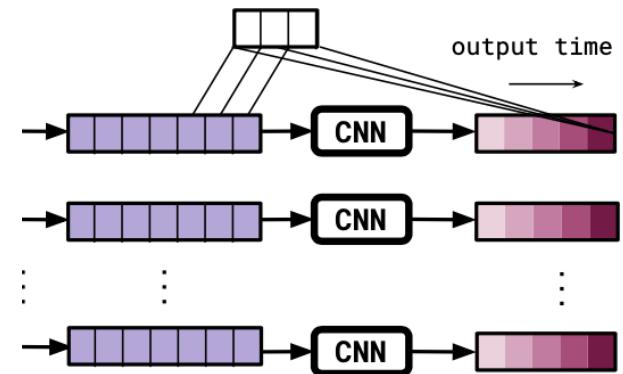
$$\mathbf{f}_i^{m+1} = \psi \left(\mathbf{f}_i^m, \sum_{j \in \mathcal{N}(i)} \mathbf{m}_{ij}^m, \theta_{\text{PDE}} \right),$$

Decode

$$d_i^1, d_i^2, \dots, d_i^M = CNN(f_i^1, f_i^2, \dots, f_i^M)$$

$$\mathbf{u}_i^{k+\ell} = \mathbf{u}_i^k + (t_{k+\ell} - t_k) \mathbf{d}_i^\ell$$

Decoder
Node-wise shallow
1D convolution



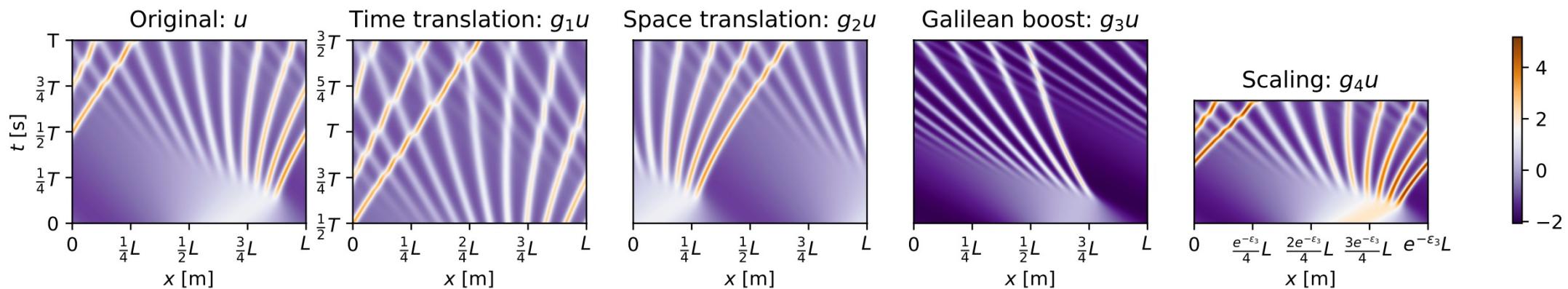
Handling Data Sparsity Symmetries: Korteweg-de Vries Eqn.

$$\Delta((x,t), u^{(3)}) = u_t + uu_x + u_{xxx} = 0$$

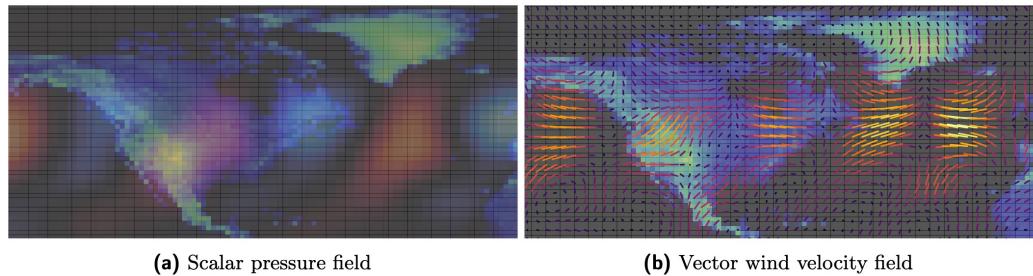
Periodic BCs

$$g = g_1(\epsilon_1)g_2(\epsilon_2) \cdots g_d(\epsilon_d)$$

- $g_1(\epsilon)(x, t, u) = (x, t + \epsilon, u)$ time shift,
- $g_2(\epsilon)(x, t, u) = (x + \epsilon, t, u)$ space shift,
- $g_3(\epsilon)(x, t, u) = (x + \epsilon t, t, u + \epsilon)$ Galilean boost,
- $g_4(\epsilon)(x, t, u) = (e^\epsilon x, e^{3\epsilon} t, e^{-2\epsilon} u)$ scaling,



PDEs can be solved many times faster with NNs



Clifford Neural Layers for PDE Modeling

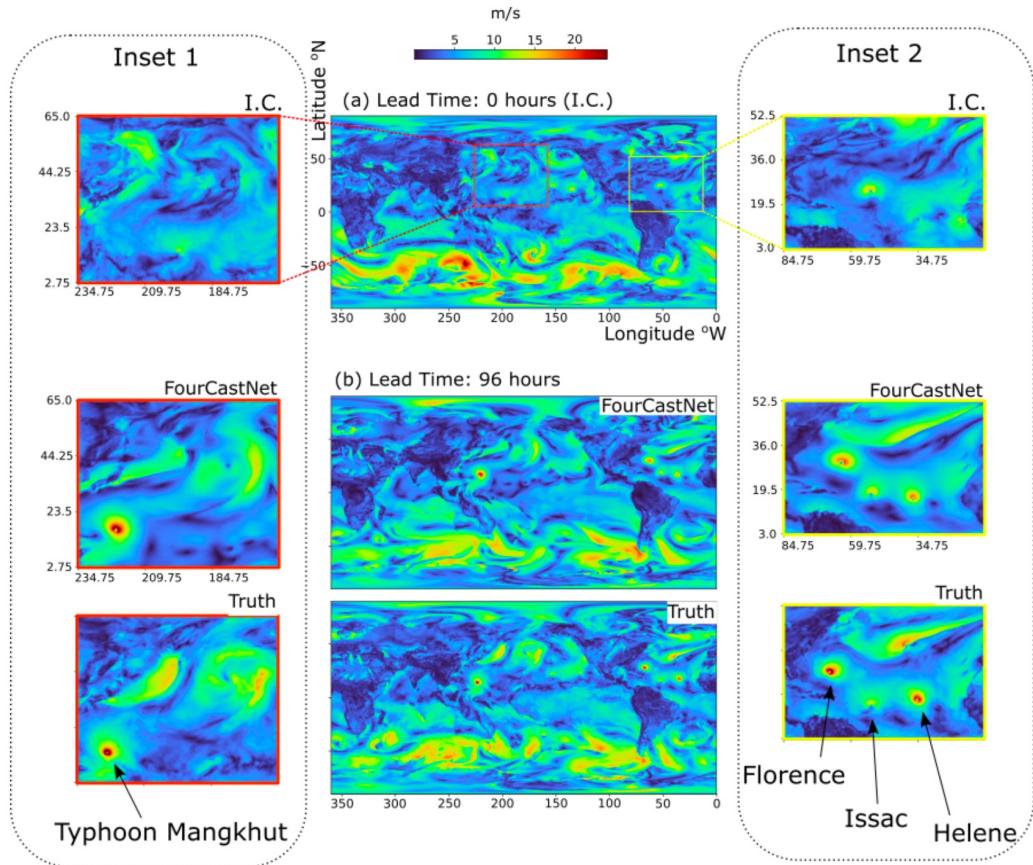
Johannes Brandstetter¹, Rianne van den Berg¹, Max Welling¹, and Jayesh K. Gupta²

¹Microsoft Research Amsterdam, ²Microsoft Autonomous Systems and Robotics Research

FOURCASTNET: A GLOBAL DATA-DRIVEN HIGH-RESOLUTION WEATHER MODEL USING ADAPTIVE FOURIER NEURAL OPERATORS

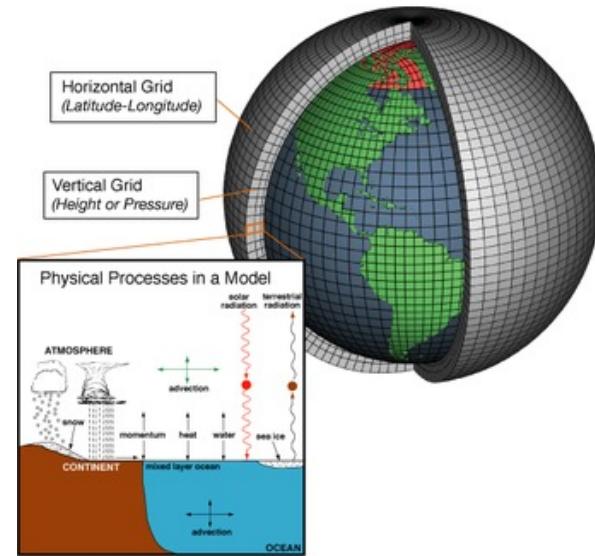
A PREPRINT

Jaideep Pathak NVIDIA Corporation Santa Clara, CA 95051	Shashank Subramanian Lawrence Berkeley National Laboratory Berkeley, CA 94720	Peter Harrington Lawrence Berkeley National Laboratory Berkeley, CA 94720	Sanjeev Raja University of Michigan Ann Arbor, MI 48109
Ashesh Chattopadhyay Rice University Houston, TX 77005	Morteza Mardani NVIDIA Corporation Santa Clara, CA 95051	Zongyi Li California Institute of Technology Pasadena, CA 91125	Thorsten Kurth NVIDIA Corporation Santa Clara, CA 95051
David Hall NVIDIA Corporation Santa Clara, CA 95051	Kamyar Azizzadenesheli Purdue University West Lafayette, IN 47907	Animashree Anandkumar California Institute of Technology Pasadena, CA 91125	
Pedram Hassanzadeh Rice University Houston, TX 77005	Karthik Kashinath NVIDIA Corporation Santa Clara, CA 95051	NVIDIA Corporation Santa Clara, CA 95051	



Conclusions PDEs

- Will ML play an important role in PDE solving?
- Important challenges:
 - Error guarantees → trust
 - Data sparsity
 - Generalization
 - Stability
 - Multi-scale modeling
 - Non-regular grids
 - ...
- Spectrum of methods: from traditional numerical solvers to completely data-driven surrogates
 - Where should we be on that spectrum?



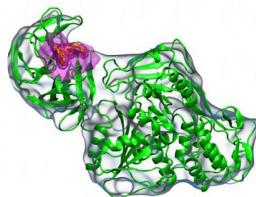
Molecules

Molecules

Everything material is made of molecules*

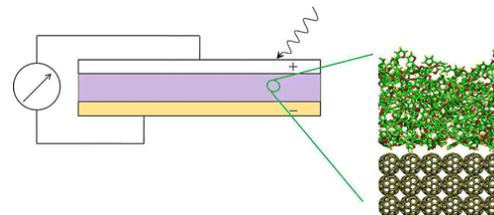
* Except 4 fundamental forces (electromagnetic force, gravity and strong & weak nuclear forces), and unless you break them up (plasma, quarks leptons)

Molecules are at the root of solving many of the health, environmental and climate challenges we are facing today.



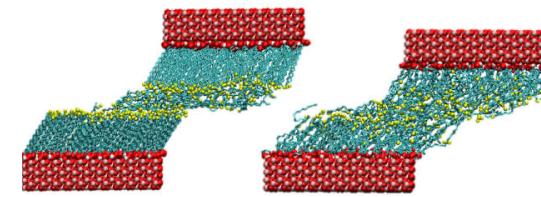
Drug discovery

Markus Reiher et al. PNAS 2017;114:29:7555-7560



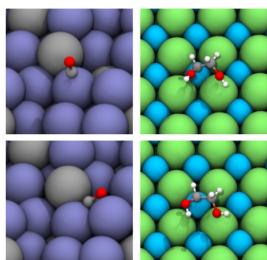
Photovoltaics

S.Y Reddy et al. Synthetic Metals 162, 23, 2012, 2117-2124



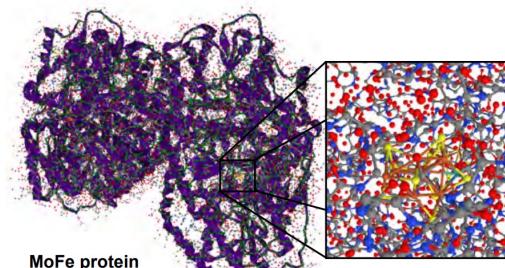
Tribology and lubricants

James Ewen, Tribology Group, Imperial College London



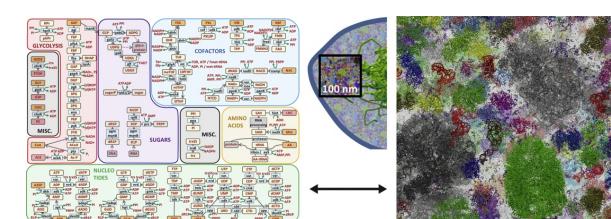
Catalyst design (e.g., fuel cells)

Lowik Chanussot et al. ACS Catal. 2021, 11, 10, 6059–6072



Nitrogen fixation

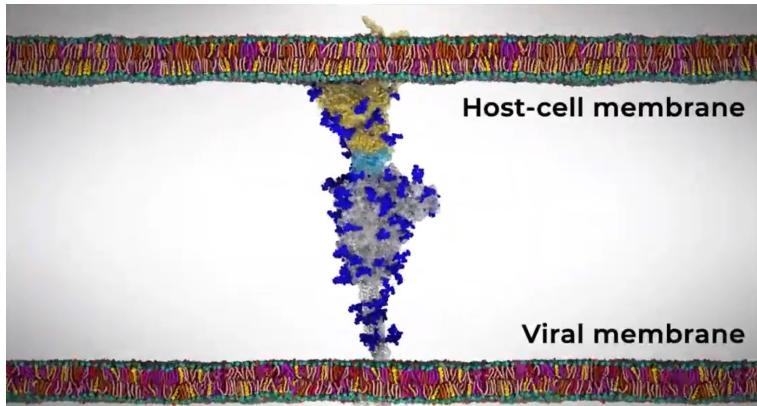
Shaher Bano Mirza et al. Journal of Molecular Graphics and Modelling 2016



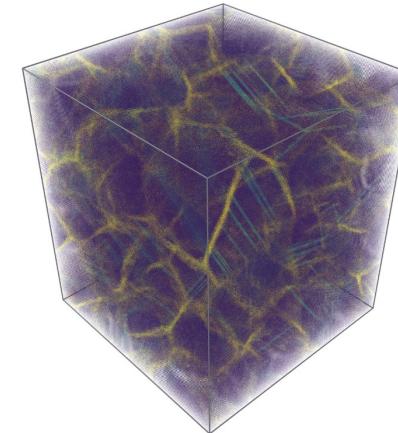
Whole cell modelling

Michael Feig et al. Mol Graph Model. 2015 May ; 58: 1–9

Scale of Molecular Simulations is Huge



Lorenzo Casalino (UCSD) et al

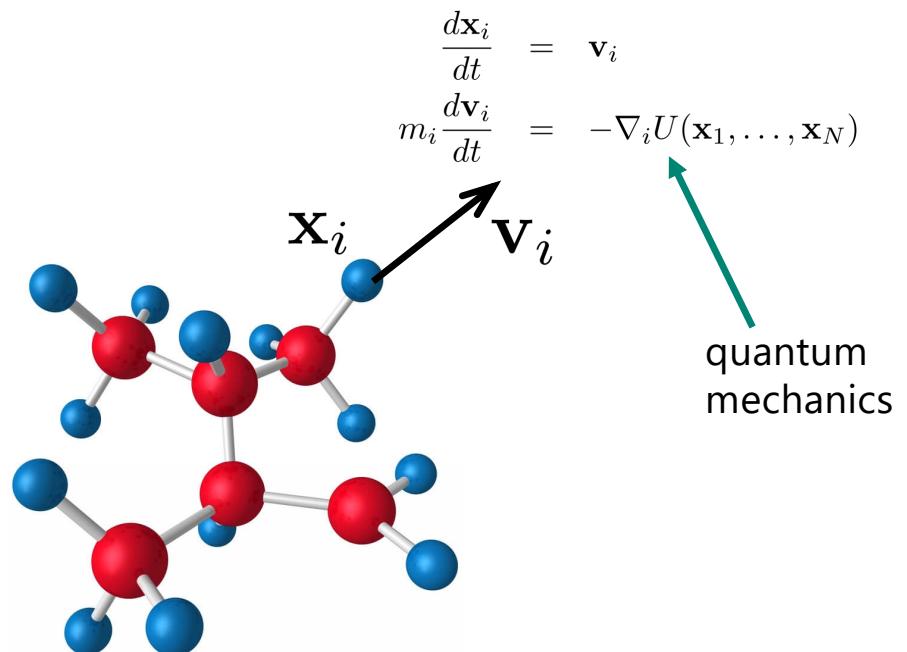
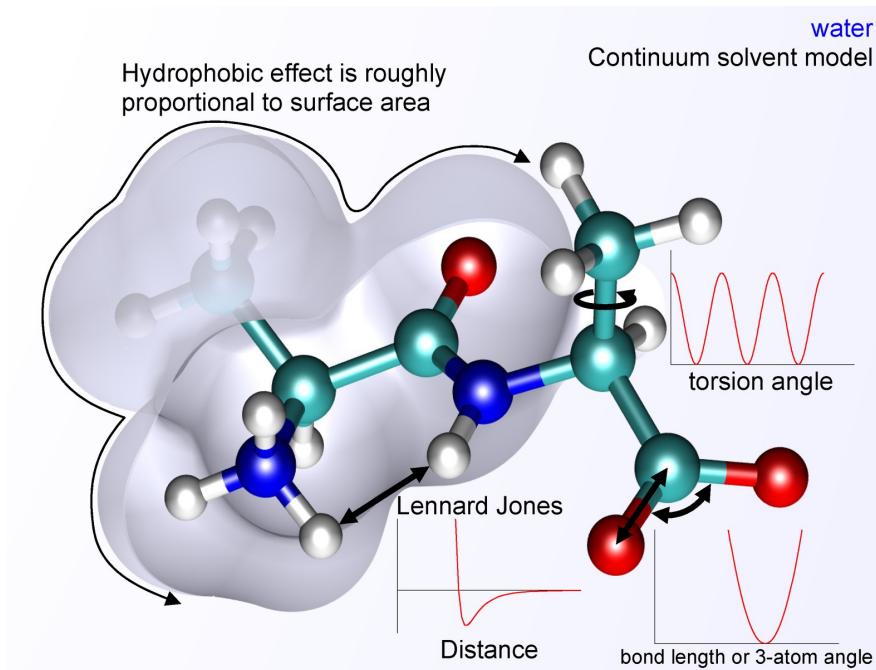


Weile Jia, et al

- Gordon Bell 2020 COVID-19 prize
- UCSD-led team of 35 researchers
- MD simulation of coronavirus
- 305M atoms
- 27,648 GPUs

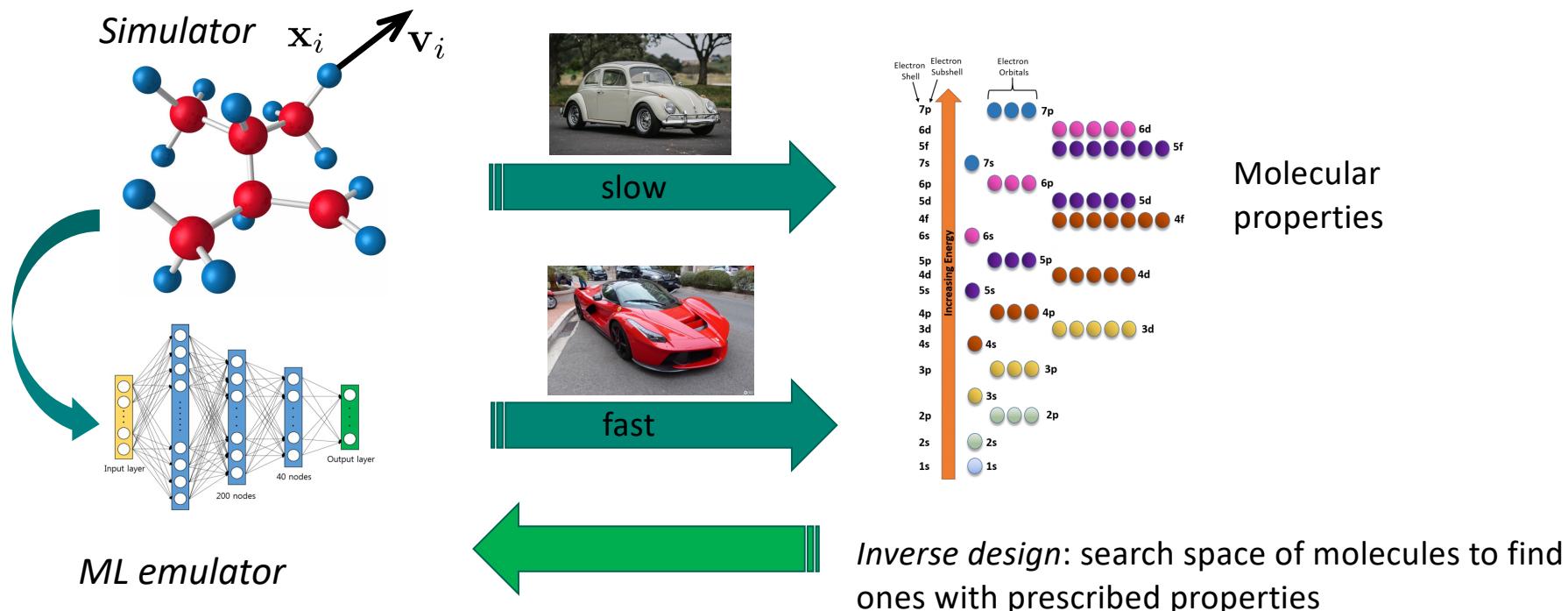
- Gordon Bell 2020 main prize
- Berkeley/Princeton/Peking collaboration
- MD simulation of metals
- 127M atoms
- 27,360 GPUs

Simulating molecules



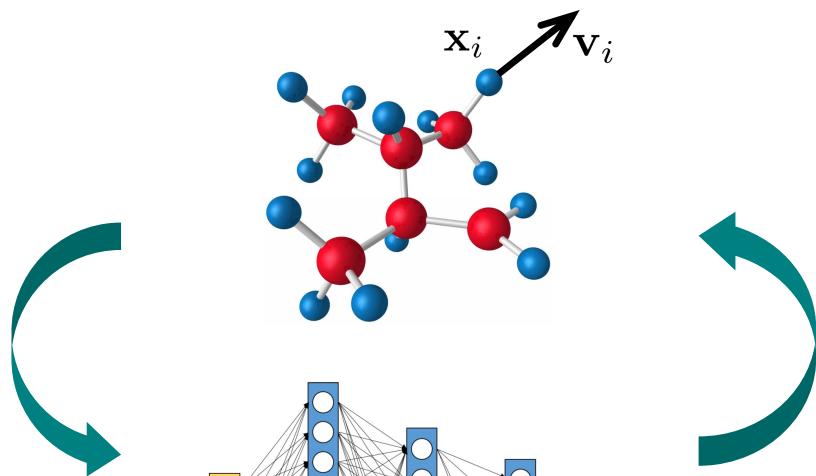
A *Search Engine* for Molecules

10^{180}	Upper estimate of the number of possible molecules
10^{80}	Estimated number of atoms in the observable universe
10^{60}	An estimate of the number of possible small organic molecules
10^8	The number of organic and inorganic substances in the CAS database

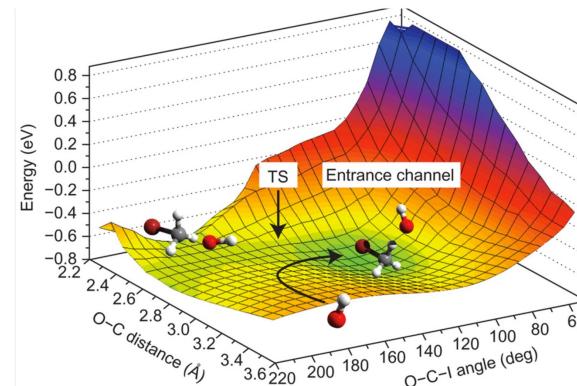


Some Examples: ML Forcefields

First principles simulator



Deep learning emulator



(R. Otto et al. 2011, *Nature Chemistry* 4, 534-538)

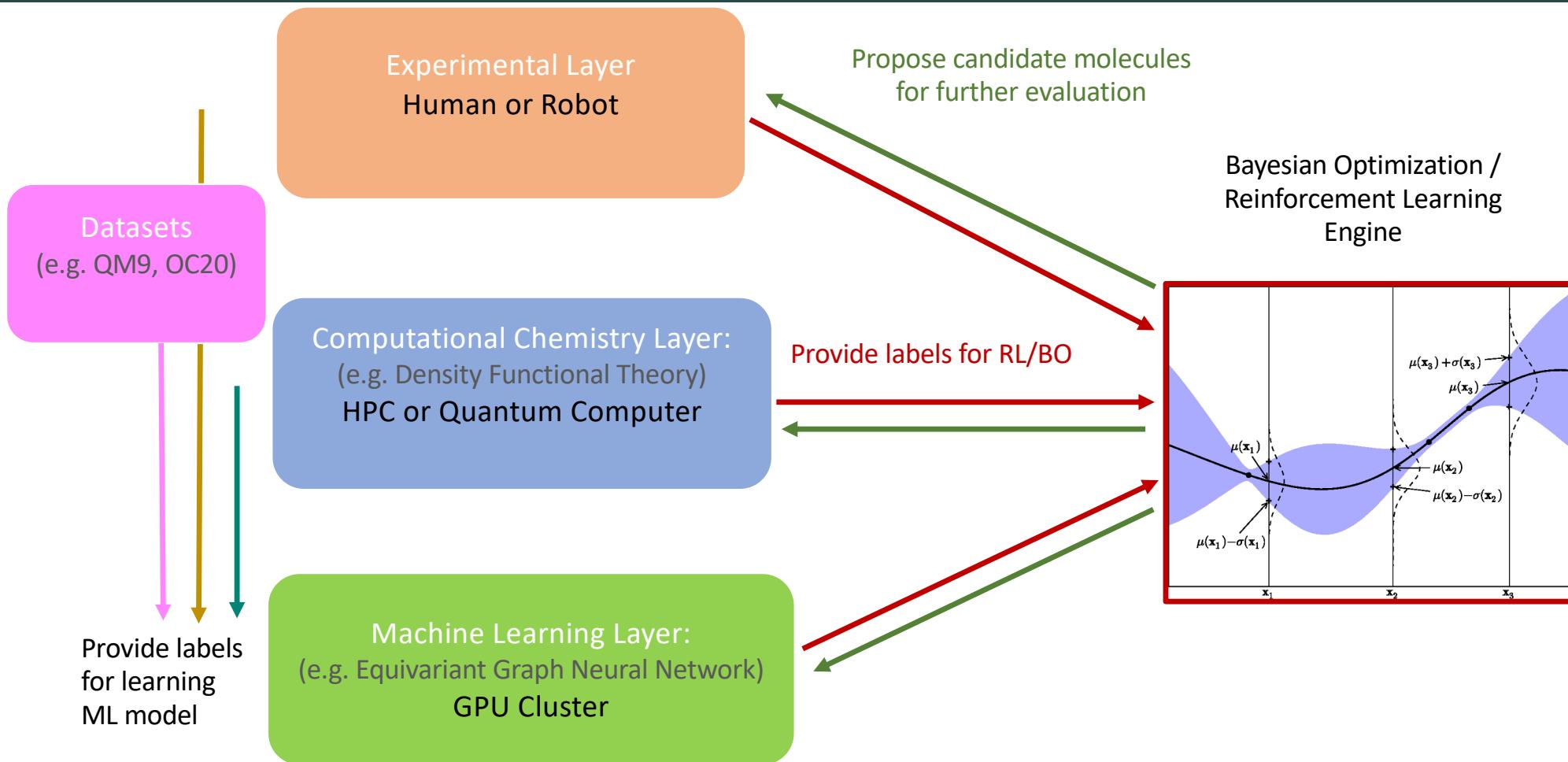
Synthetic training data

Perfectly labelled

Quantity limited only by compute
No privacy, GDPR, etc.

Data generation and **training** expensive
Amortized over many fast **predictions**

Reasoning over resources



Equivariant Normalizing Flows



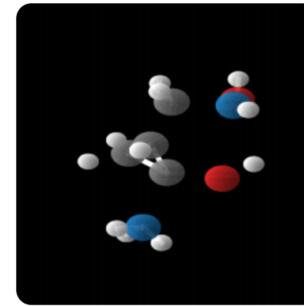
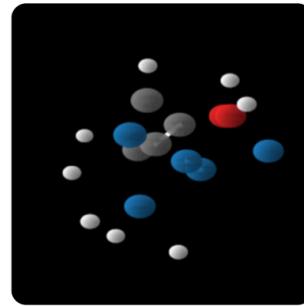
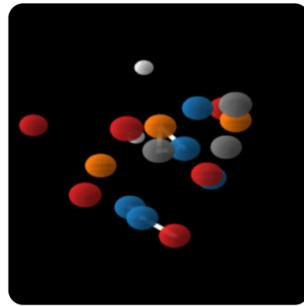
E(n) Equivariant Graph Neural Networks

Victor Garcia Satorras¹ Emiel Hoogeboom¹ Max Welling¹

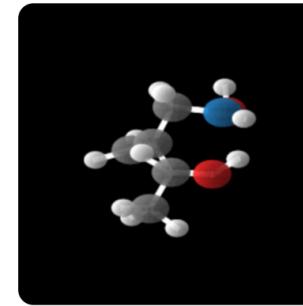
Equivariant Diffusion for Molecule Generation in 3D

Emiel Hoogeboom^{*1} Victor Garcia Satorras^{*1} Clément Vignac^{*2} Max Welling¹

$$\mathcal{N}(0, I)$$



$$p_V(\mathbf{x}, \mathbf{h})$$

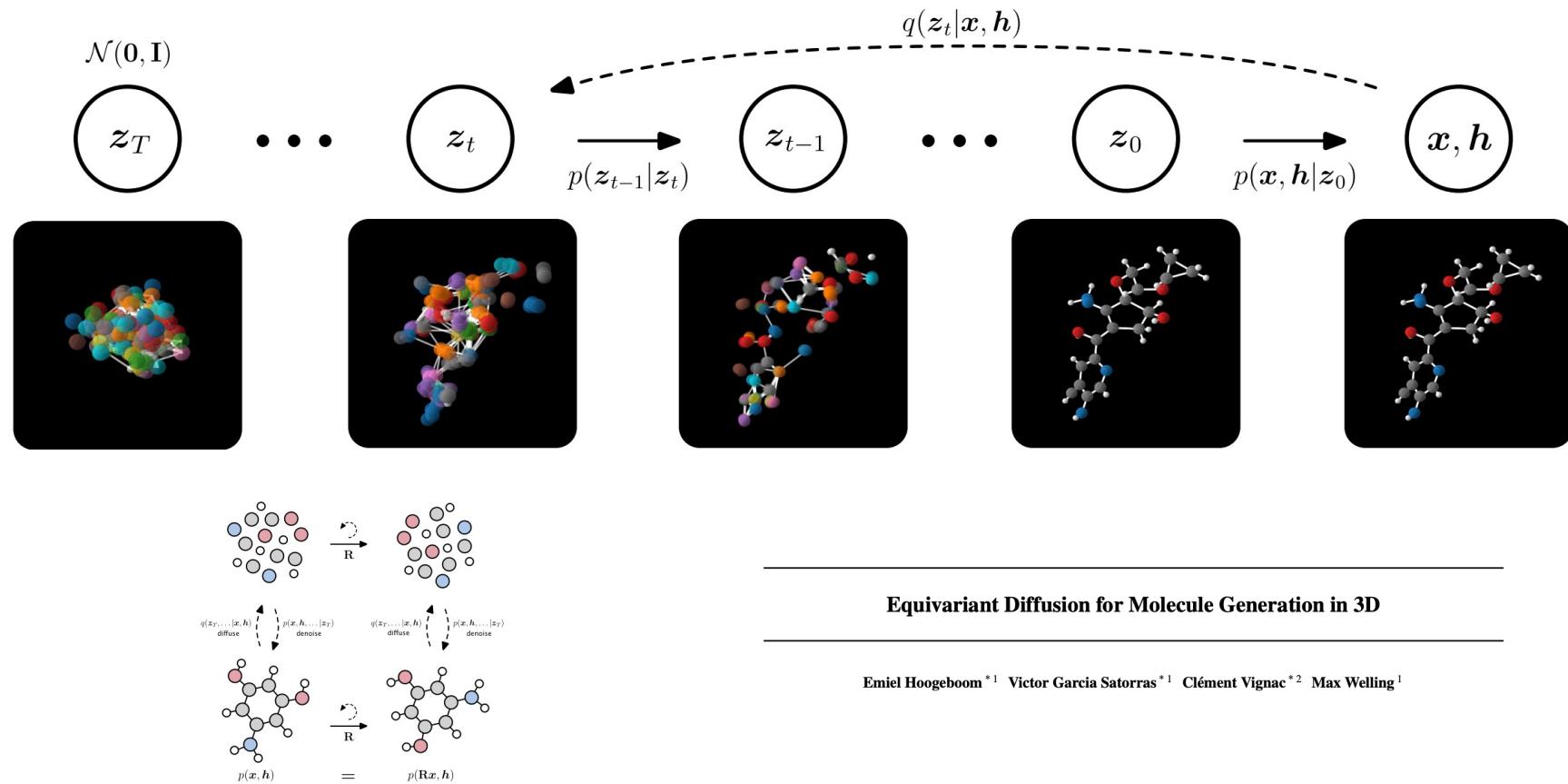


$$g_\theta : \mathbf{z}_x, \mathbf{z}_h \mapsto \mathbf{x}, \mathbf{h}$$



Figure 1: Overview of our method in the sampling direction. An equivariant invertible function g_θ has learned to map samples from a Gaussian distribution to molecules in 3D, described by \mathbf{x}, \mathbf{h} .

Diffusion Based Generative Models



Molecule generation

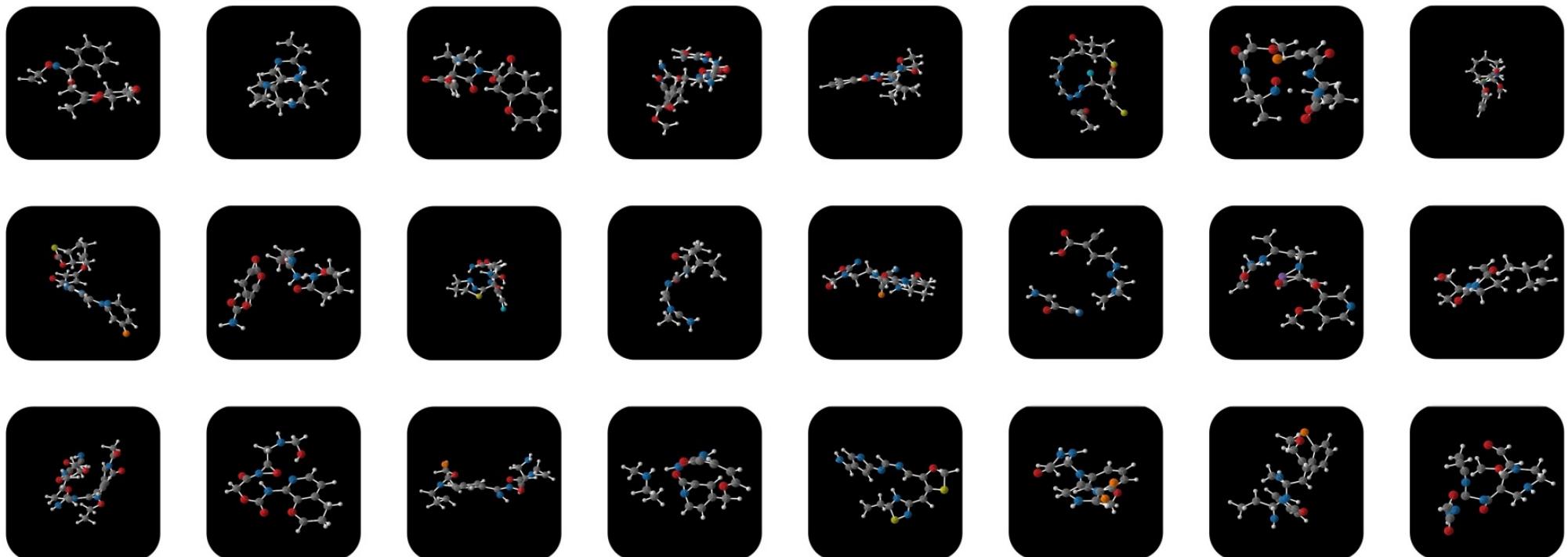


Figure 7. Random samples taken from the EDM trained on geom drugs.

Holy Grail: Conditional (Equivariant) Generation

- Generate drug molecules with given properties (binds to disease, non-toxic, easy to synthesize)
- Generate material with prescribed properties (biodegradable, strong, binds to CO₂, catalyzes a reaction)
- Accelerate MD simulation by generating proposal distributions

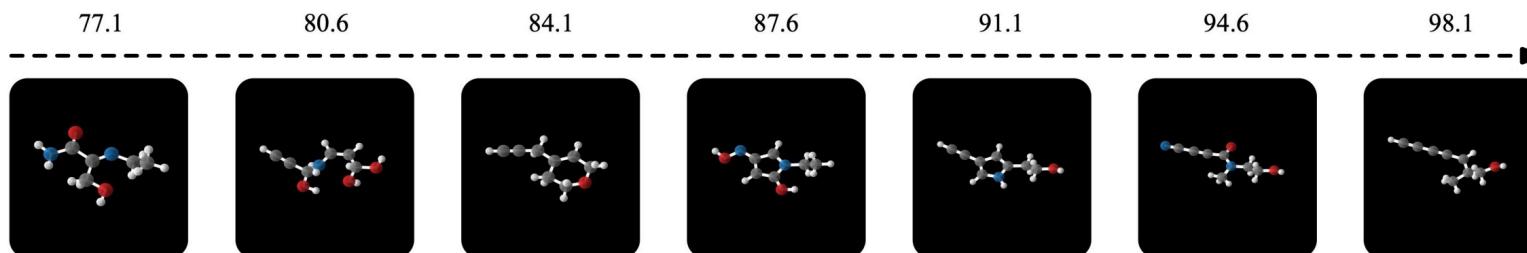
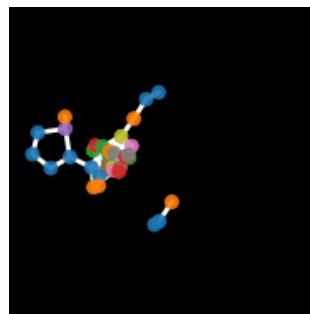
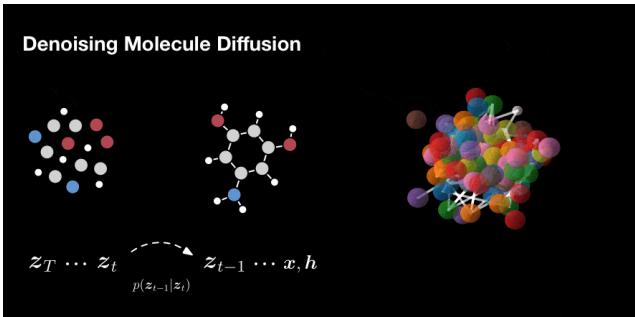


Figure 4. Generated molecules by our Conditional EDM when interpolating among different Polarizability α values with the same reparametrization noise ϵ . Each α value is provided on top of each image.

Generating Molecules and Materials



Equivariant Diffusion for Molecule Generation in 3D

Emiel Hoogeboom^{*1} Victor Garcia Satorras^{*1} Clément Vignac^{*2} Max Welling¹

EQUIVARIANT 3D-CONDITIONAL DIFFUSION MODELS FOR MOLECULAR LINKER DESIGN

Ilya Igashov
EPFL
ilya.igashov@epfl.ch

Hannes Stark
Massachusetts Institute of Technology
hstark@mit.edu

Clement Vignac
EPFL
clement.vignac@epfl.ch

Victor Garcia Satorras
Microsoft Research AI4Science
victorgas@microsoft.com

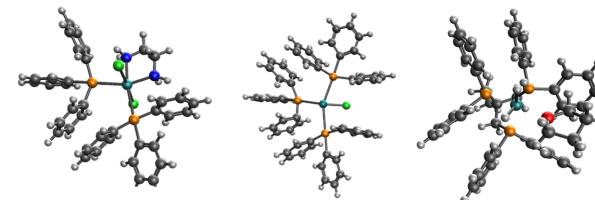
Pascal Frossard
EPFL
pascal.frossard@epfl.ch

Max Welling
Microsoft Research AI4Science
maxwelling@microsoft.com

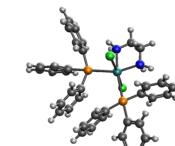
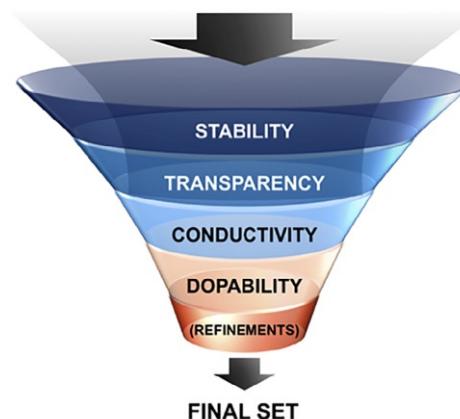
Michael Brunestein
University of Oxford
michael.brunestein@cs.ox.ac.uk

Bruno Correia
EPFL
bruno.correia@epfl.ch

Molecule Generation
(e.g. for drug discovery)



INITIAL SET



Materials Discovery

Generative Model +
MD finetuning



Data from e.g.
Materials Project

Quantum DFT Calculations

Mathematical foundations of DFT

Eric CANCES

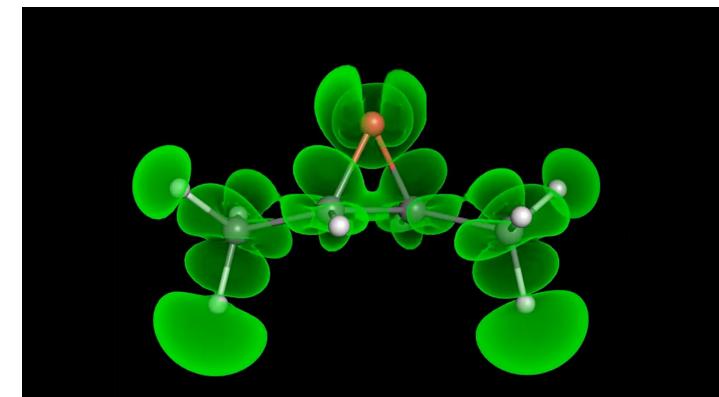
Hamiltonian for multiparticle system:

$$\hat{H}_N = - \sum_{i=1}^N \frac{1}{2} \nabla_{\mathbf{r}_i}^2 - \sum_{i=1}^N \sum_{k=1}^M \frac{z_k}{|\mathbf{r}_i - \mathbf{R}_k|} + \sum_{1 \leq i < j \leq N} \frac{1}{|\mathbf{r}_i - \mathbf{r}_j|} = \hat{T} + \hat{V}_{\text{ne}} + \hat{V}_{\text{ee}}$$

$$E_0 = \inf_{\Psi \in \mathcal{W}_N} \langle \Psi | \hat{H}_N | \Psi \rangle \quad \text{3n dim}$$

$$E_0 = \inf_{n \in \mathcal{R}_N} \left(F_{\text{LL}}[n] + \int_{\mathbb{R}^3} n V \right).$$

$$F_{\text{LL}}[n] = \inf_{\Psi \in \mathcal{W}_N \mid n_{\Psi}=n} \langle \Psi | \hat{T} + \hat{V}_{\text{ee}} | \Psi \rangle$$



Quanta Magazine on DM21



Charlie Wood

Staff Writer

February 7, 2022

We don't know $F_{\text{LL}}(n)$ → learn from simulation data!

Approach: Conditional Equivariant Diffusion Model

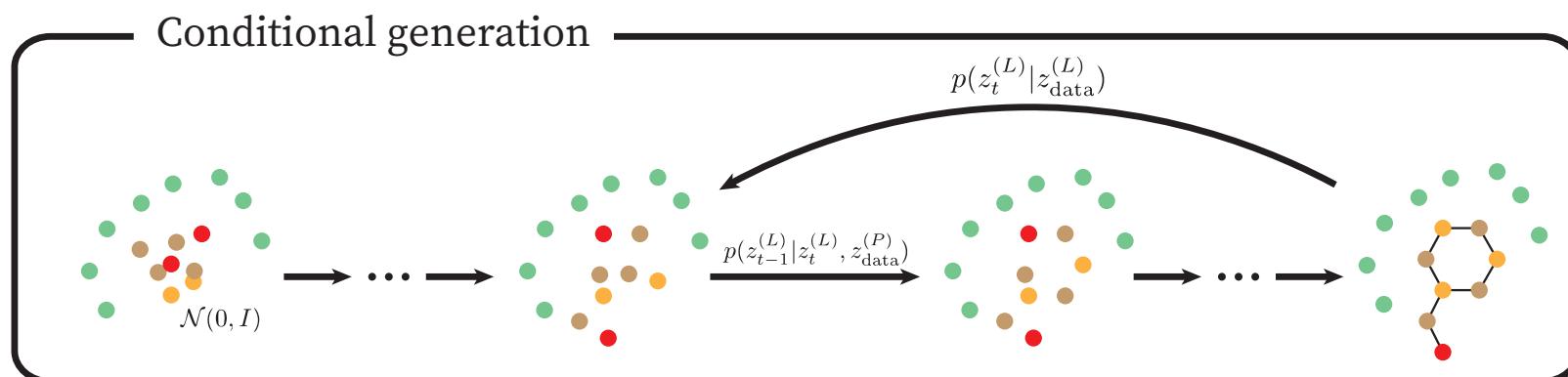


Arne Schneuing



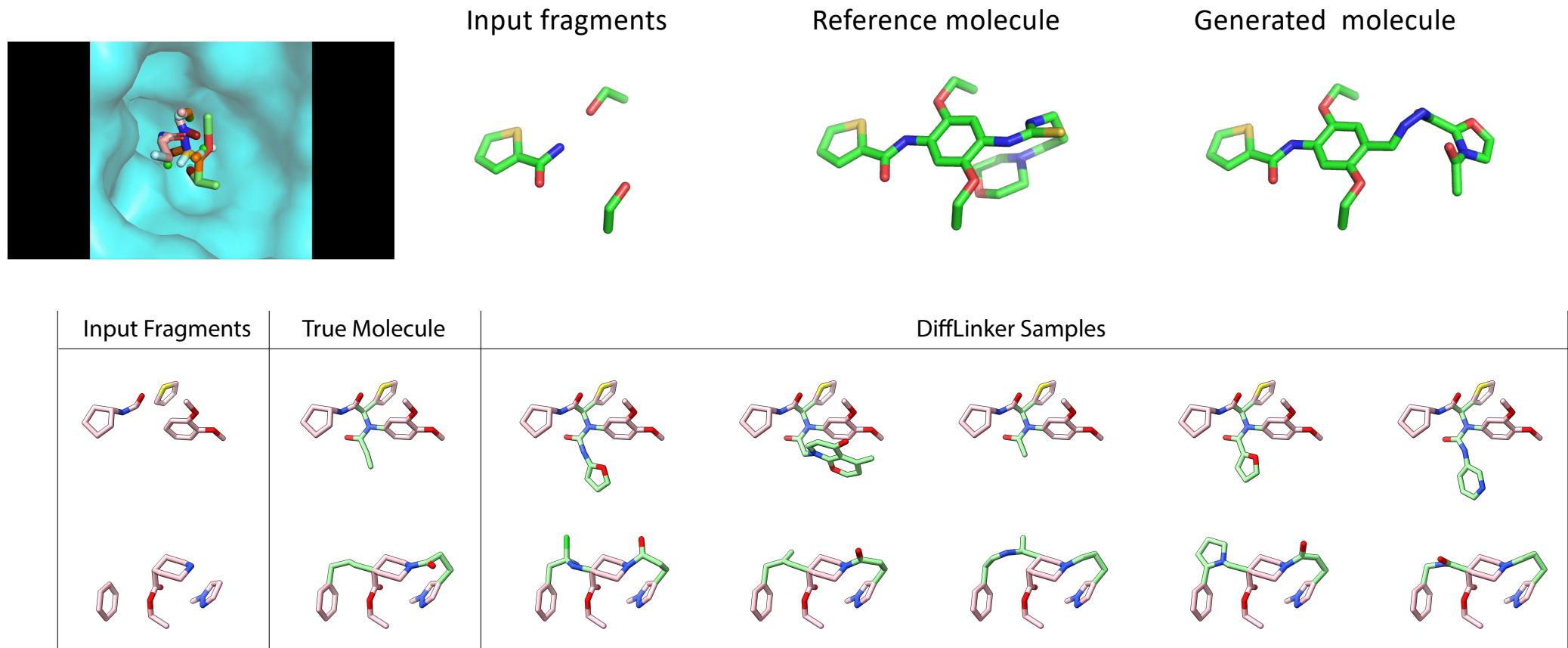
Ilia Igashov

(+B. Correira, M. Bronstein et al.)

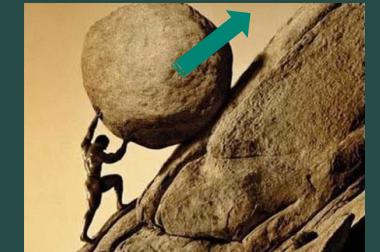


L denotes ligand nodes, P denotes pocket nodes

DiffLinker: Molecular Linker Design



Transition Path sampling



Project Sisyphus

Sampling transition paths between molecular conformations

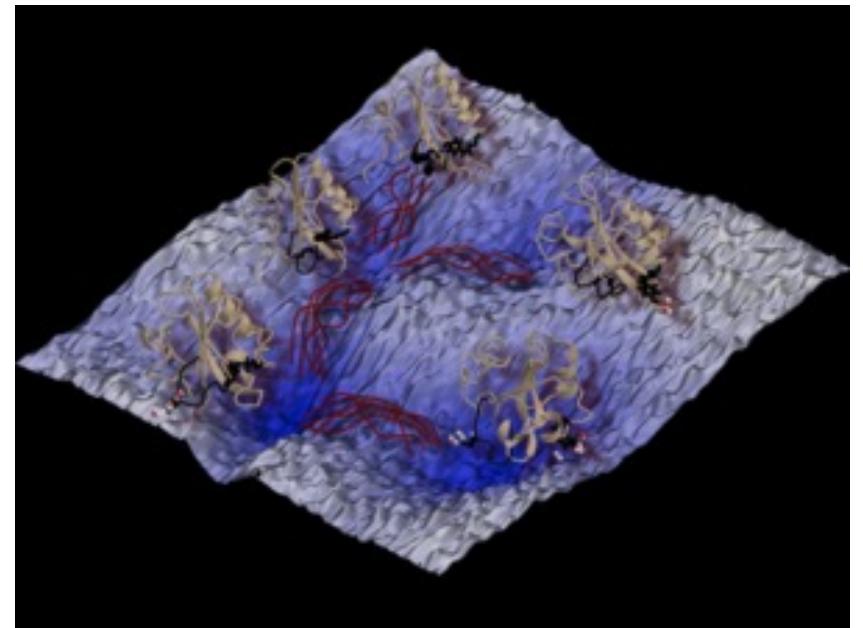
PIPS : Path Integral Path Sampling

Given initial state r_0 and target state r_T
find the series of intermediate states

$\{r_1, r_2, \dots, r_{T-1}\}$ that describe the transition
path of minimal energy.

$$\underbrace{\begin{pmatrix} \mathrm{d}r_t \\ \mathrm{d}v_t \end{pmatrix}}_{\mathrm{d}x_t} = \underbrace{\begin{pmatrix} v_t \\ -\nabla_{r_t} U(r_t) \end{pmatrix}}_{f(x_t, t)} \mathrm{d}t + \underbrace{\begin{pmatrix} 0_{3n} \\ \mathbb{I}_{3n} \end{pmatrix}}_{G(x_t, t)} \cdot \left(u(x_t, t) \mathrm{d}t + \mathrm{d}\epsilon_t \right), \quad t \in [0, \tau]$$

Controlled dynamics



Source: <https://www.e-cam2020.eu/rare-events-story/>

Alanine Dipeptide

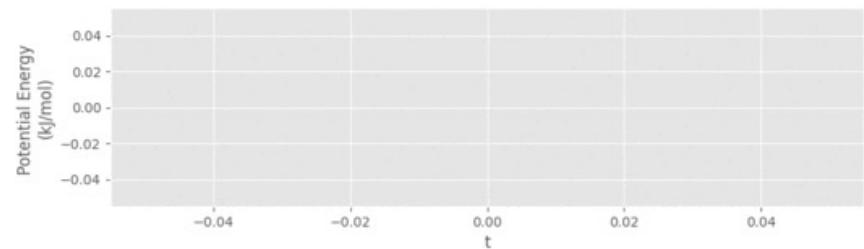
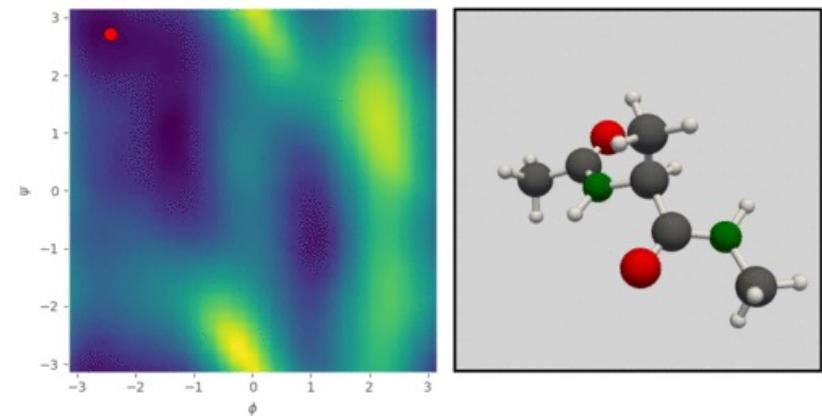
- Extensively studied molecule with known collective variables

Collective Variables:

Dihedral angles ψ and ϕ



With Lars Holdijk, Yuanqi Du, Ferry Hooft,
Priyank Jaini, Bernd Ensing

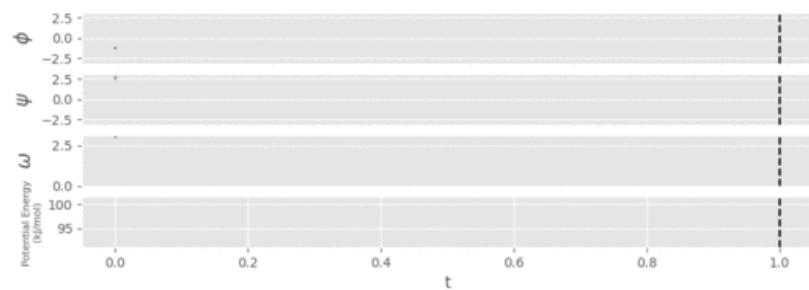
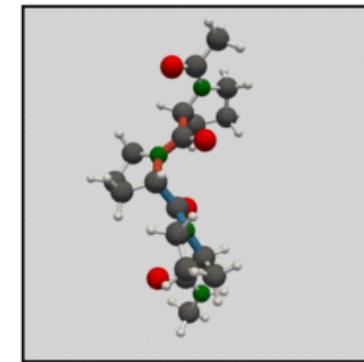


Polyproline Helix

- Transition from left-handed to right-handed helix (trans vs. cis)

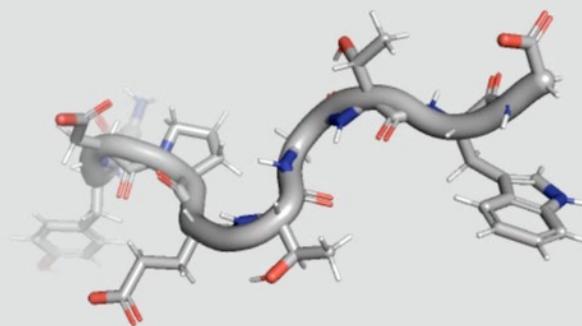
Collective Variables:

Trans vs. Cis helix



Chignolin

- Small artificial protein used for studying folding process



Collective Variables:

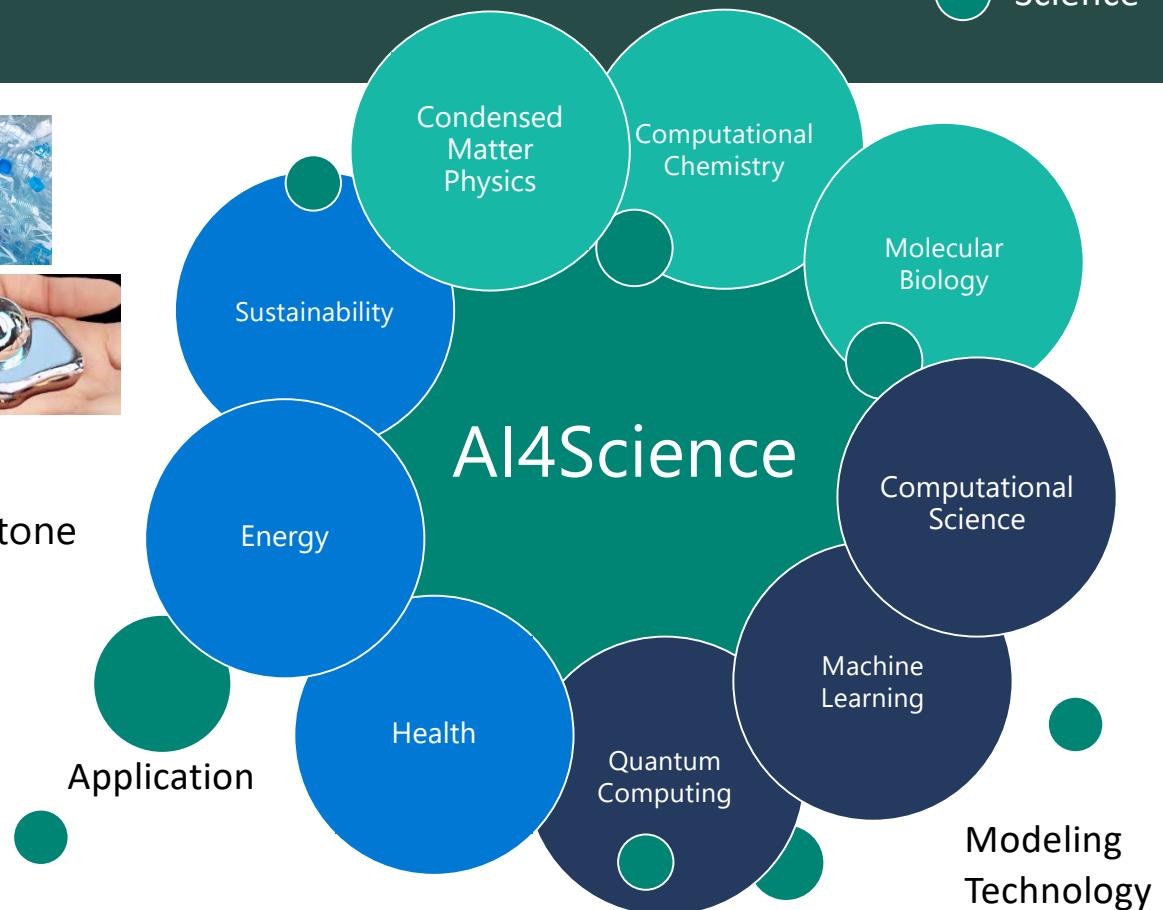
Unknown

Molecules Represent a Huge Opportunity

Science



- We have named the ages of human development after the materials they use: stone age, bronze age, iron age, steel, plastic, aluminium,...*materials on demand?*
- A convergence of science, modelling technology and applications!
- A “golden age” of designing new materials/chemicals/catalysts/drugs?



Concluding Remarks

- Will ML change the way we will do science?
Yes: building on the models in NLP and Computer Vision, ML will change the way we will do science.
- Huge opportunities to contribute to societal goals:
 - health (drug discovery, new antibiotics, vaccines)
 - Sustainability (carbon capture, battery materials, hydrogen production, synthetic fuels, nitrogen fixation,..)
- Huge economic opportunities:
pharma, catalysis, materials

