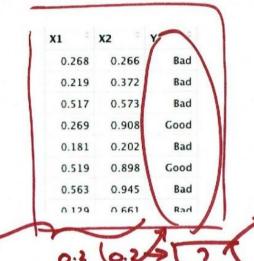


Classification and Regression

Decision Trees can be used for both



0.266

0.372

0.573

0.908

0.202

0.898

0.945

0.268

0.219

0.517

0.269

0.181

0.519

0.563

64.41

28.08

95.76

15.84

41.83

25.20

9.44

Classification

- Spam / not Spam
- Admit to ICU /not
- Lend money / deny
- Intrusion detections

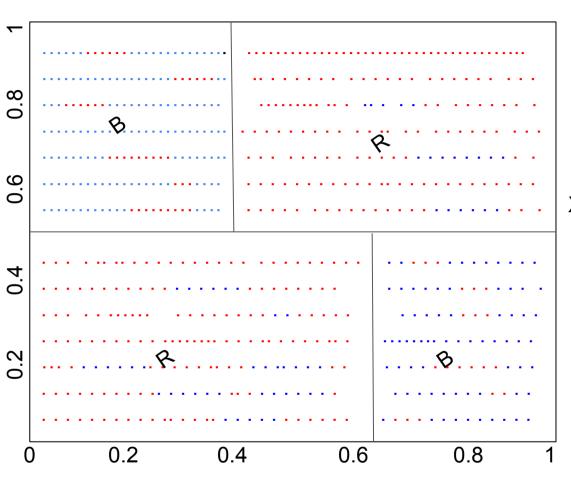


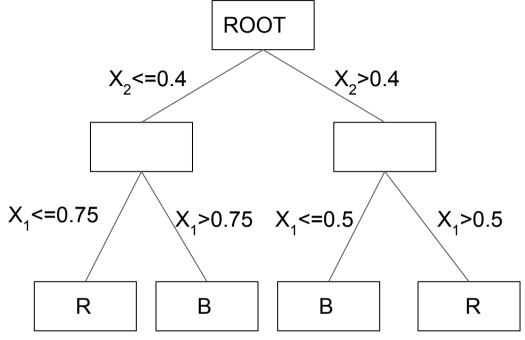
Regression

- Predict stock returns
- Pricing a house or a car
- Weather predictions (temp, rain fall etc)
- Economic growth predictions
- Predicting sports scores



Visualizing Classification as a Tree

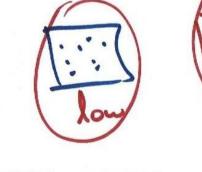






Metrics

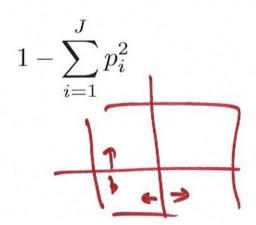
- Algorithms for constructing decision trees usually work topdown, by choosing a variable at each step that best splits the set of items.
- Different algorithms use different metrics for measuring "best"
- These metrics measure how similar a region or a node is.
 They are said to measure the impurity of a region.
- Larger these impurity metrics the larger the "dissimilarity" of a nodes/regions data.
- Examples: Gini impurity Entropy, Variance

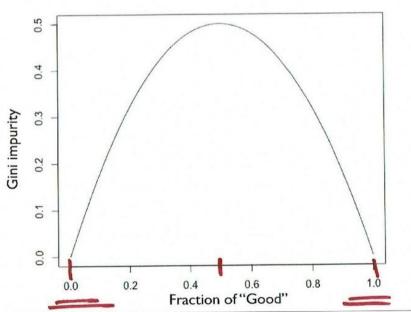




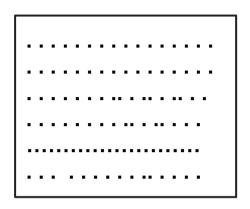
Gini impurity

- Used by the CART
- Is a measure of how often a randomly chosen element from the set would be incorrectly labeled if it was randomly labeled according to the distribution of labels in the subset.
- Can be computed by summing the probability of an item with label i being chosen (p_i) , times the probability of a mistake $(1 p_i)$ in categorizing that item.
- Simplifying gives, the Gini impurity of a set:

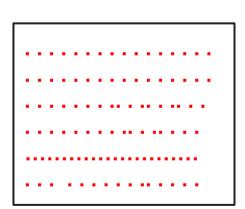








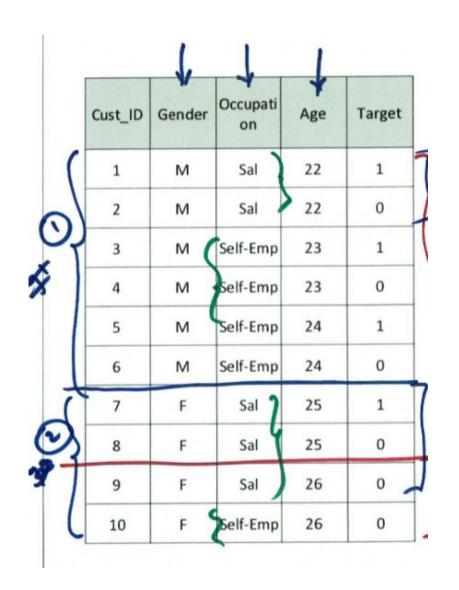
P1 P2	P3
-------	----

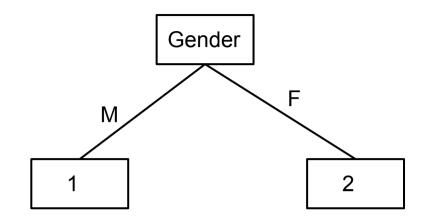


$$\Sigma P_{i}(1-P_{i}) = \Sigma P_{i} - \Sigma P_{i}^{2} = 1 - \Sigma P_{i}^{2}$$



CART: An Example

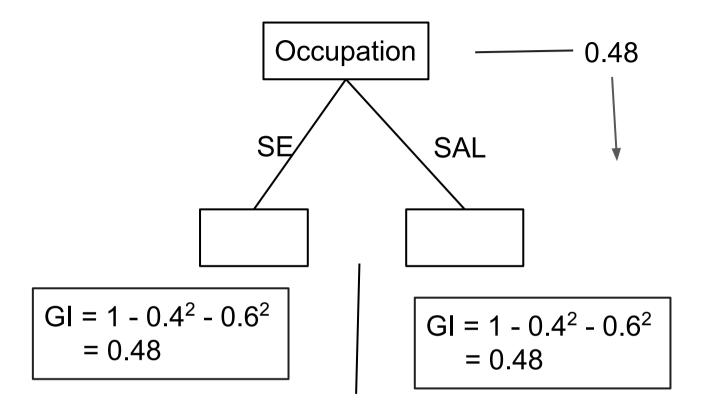




Root node: P1=0.4, P2=0.6
GI = 1 -
$$(0.6)^2$$
 - $(0.6)^2$
= 0.48

$$GI = (6/10)(0.5) + (4/10)(0.375) = 0.45$$



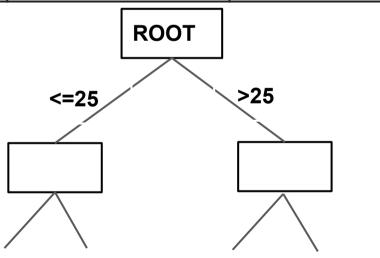


$$GI = (5/10)(0.48) + (5/10)(0.48)$$

= 0.48



	Left	Right	Gini Split
<=22,>22	0.5	0.47	0.48
<=23,>23	0.5	0.44	0.47
<=24,>24	0.5	0.38	0.45
<=25,>25	0.5	0	0.40





Gini Gain = 0.48-0.40 = 0.08