# ELL782: Computer Architecture

Master of Technology

IN

**COMPUTER TECHNOLOGY** 

BY

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Submitted to-

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# **Software Requirement Specifications**

#### **Specifications**

#### RISC-V Venus Simulator embedded in VS Code

This add-on for Visual Studio Code incorporates the well-known Venus RISC-V simulator. Given that no further tools are required, it offers a stand-alone learning environment. It utilizes the regular VS Code debugging features while running RISC-V assembly code.

## **Device specifications**

Installed RAM 16GB, Windows 10, 64 bit operating system, x64 based processor

Intel(R) Core(TM) i7-10750H CPU @ 2.60GHz 2.59 GHz

#### **Functionality**

The software performs Gaussian elimination to reduce the given matrix to its row-echelon form.

It then determines the solutions to the system of linear equations, which may be unique, infinite, or nonexistent.

#### **Execution Platform**

The code is designed to run on a RISC-V processor.

# **Design Considerations**

### **Assumptions and Dependencies**

The code assumes that the input matrix is represented in row-major format.

It assumes that the input matrix is provided in memory at the address specified by the variable A.

The code does not have any external dependencies on other libraries or tools.

#### **General Constraints**

The software is designed to work with matrices of 5x6 (augmented matrix, nxm), with the number of equations specified by the variable n and the number of columns in the augmented matrix specified by the variable m.

The constraints of the RISC-V architecture, such as available registers and instruction set, may affect the design and implementation.

#### **Goals and Guidelines**

The primary goal is to perform Gaussian elimination efficiently to determine the solutions to the system of linear equations.

The code handle cases of unique solutions, infinite solutions, and no solutions.

Numerical stability and precision in floating-point calculations should be considered.

Memory usage only for A (5x6 matrix or 120 bytes), n (4 bytes), m (4 bytes) and array for storing the solutions (length 20 bytes).

## **Development Methods**

The code is implemented in assembly language for the RISC-V architecture.

It utilizes floating-point operations for matrix manipulation. Instructions like flw, fsub.s, fmul.s, fdiv.s are used.

The code follows a row-wise Gaussian elimination approach to reduce the matrix to roe echelon form and then find the solutions.

# **Architectural Strategies**

## **Strategies and Algorithms**

The software employs a row-wise Gaussian elimination algorithm to transform the input matrix into its row-echelon form.

It uses floating-point arithmetic for division and elimination operations.

# **Software Architecture**

#### **High-Level Overview**

The software operates on a given matrix A to perform Gaussian elimination.

It iteratively processes rows and columns to reduce the matrix to its row-echelon form.

Once the row-echelon form is achieved, it determines the solutions to the system of linear equations.

# **Detailed System Design**

#### **Gaussian Elimination Module**

This module iteratively processes the rows and columns of the input matrix A to reduce it to row-echelon form.

It calculates ratios, performs division, and eliminates elements to achieve the desired form.

**Inputs**: Matrix A, size parameters n and m.

Outputs: Row-echelon form of matrix A.

```
pseudocode2.txt

function GaussianElimination(matrix A, int n, int m):

For i from 0 to n-1:

pivot_row = i
pivot = A[i][i]

for j from i+1 to n-1:

factor = A[j][i] / pivot

For k from i to m-1:

A[j][k] = A[j][k] - factor * A[i][k]

Return A

Return A
```

#### **Solution Determination Module**

This module determines the solutions to the system of linear equations based on the row-echelon form of the matrix.

It checks for unique solutions, infinite solutions, or no solutions.

**Inputs**: Row-echelon form of matrix A, size parameters n and m.

```
psedocode.txt
      Function DetermineSolutions(matrix A, int n, int m):
          unique solutions = true
          infinite_solutions = false
          no_solutions = false
          For i from 0 to n-1:
              all zeros = true
              for j from 0 to m-2:
                  if A[i][j] != 0:
                      all zeros = false
                      break
              if all zeros and A[i][m-1] != 0:
                  no solutions = true
                  Return "No solution exists"
              if all zeros and A[i][m-1] == 0:
                  infinite_solutions = true
          if infinite solutions:
              Return "Infinitely many solutions exist"
          if unique_solutions:
              solutions = []
              For i from n-1 to 0:
                  sum = 0
                  For j from i+1 to m-2:
                      sum = sum + A[i][j] * solutions[j]
                  solutions[i] = (A[i][m-1] - sum) / A[i][i]
              Return "Unique Solutions:", solutions
```

Outputs: Information about the nature of solutions.

# **Testing**

## **Testing Method**

For this part we use 2 online resources,

- 1. Hex to Decimal converter (URL = <a href="https://gregstoll.dyndns.org/~gregstoll/floattohex/">https://gregstoll.dyndns.org/~gregstoll/floattohex/</a>)
- 2. 5x5 system of linear equations solver (URL = <a href="https://math.cowpi.com/systemsolver/5x5.html">https://math.cowpi.com/systemsolver/5x5.html</a> and https://matrix.reshish.com/gaussSolution.php )

To verify the result generated by my written RISC-V based code.

# **Outputs**

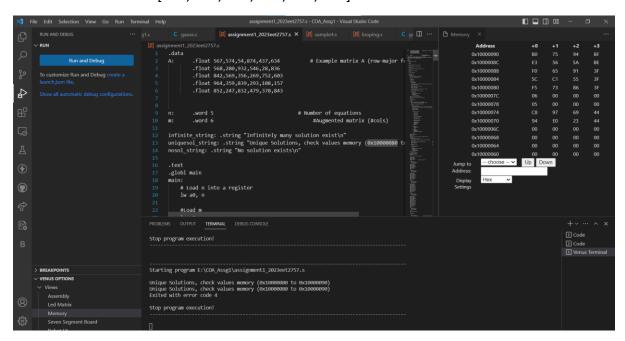
#### **Example 1: (Unique Solutions)**

[A:B] = [567, 574, 54, 874, 437, 634] [568, 280, 932, 546, 28, 836]

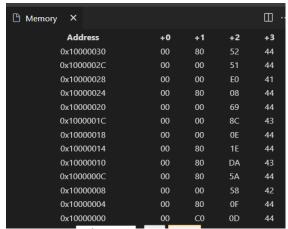
[842, 569, 356, 269, 752, 603]

[964, 359, 839, 293, 108, 157]

[852, 247, 832, 479, 378, 843]



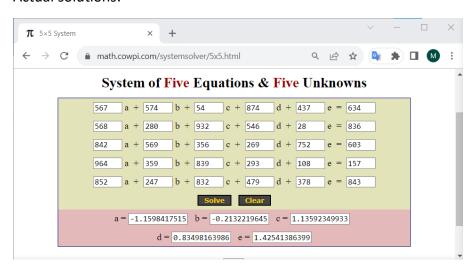
Note – Venus Simulator stores data in memory in little endian form.



matrix A in row major form.

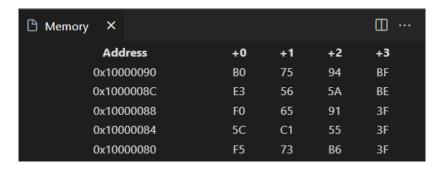
Lets check the sanity of the output.

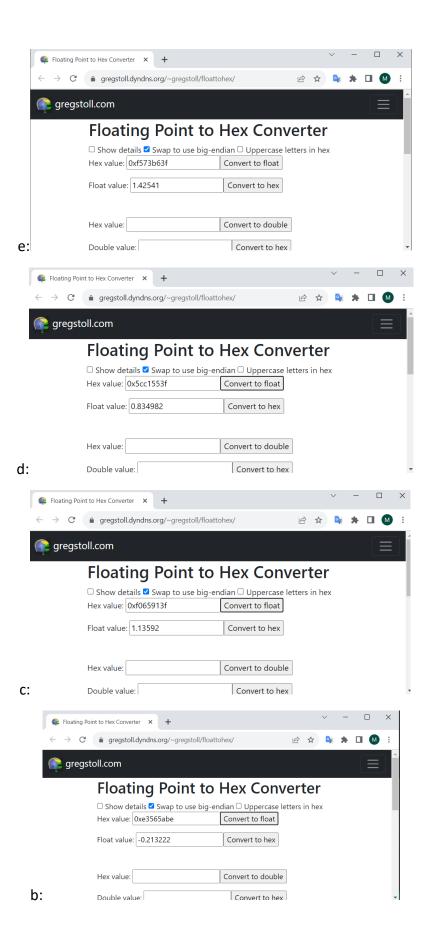
#### Actual solutions:

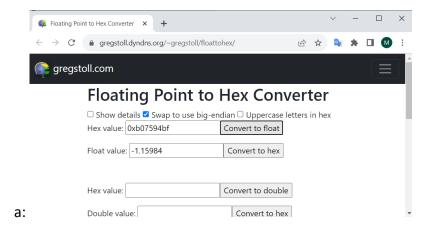


#### Verification

Note- For the sake of simplicity, I have stored the solutions (if they exist) in memory locations from (0x10000080 to 0x10000090)







#### Error %:

% error for e = 0.000151011991%

% error for d = 1.66098568E-5%

% error for c = 0.000308060578%

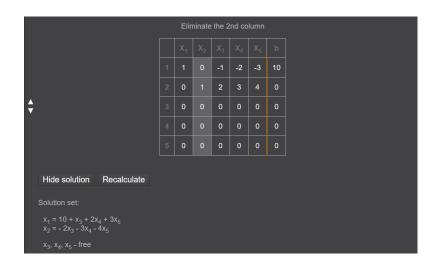
% error for b = 4.31309892E-5%

% error for a = 0.000271078946%

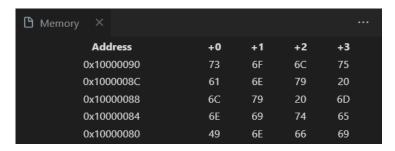
#### **Example 2: (Infinite solution)**

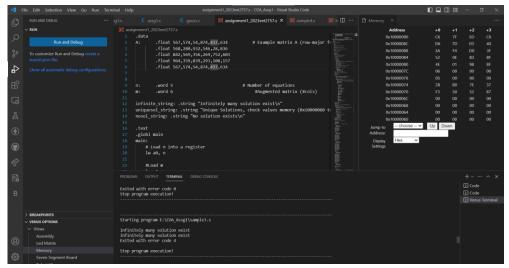
[A:B]= 
$$1x + 2y + 3z + 4w + 5v = 10$$
  
 $2x + 3y + 4z + 5w + 6v = 20$   
 $3x + 4y + 5z + 6w + 7v = 30$   
 $4x + 5y + 6z + 7w + 8v = 40$   
 $5x + 6y + 7z + 8w + 9v = 50$ 

#### Actual:



#### My output:





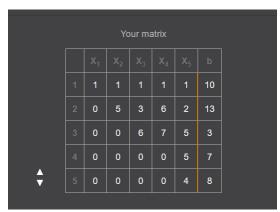
Note- It detects that the system of linear equations have infinite solutions in this case. It also produces some output.

It sometimes may not work, Reason: floating point operations like fdiv and fmul cause inaccuracy in precision.

Ex: 0x41100000 - 0x41100000 = 0x34800000 which is not correct, yet it still produces the result due to above reason

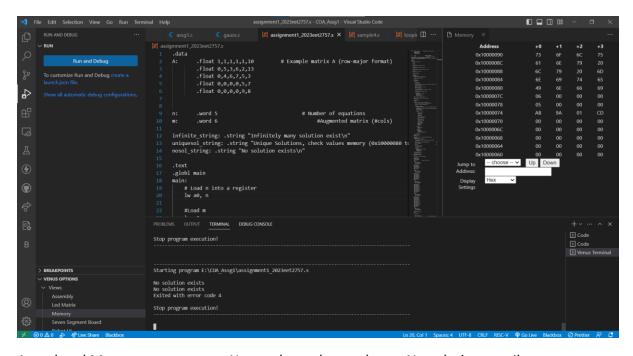
## **Example 3: (No solution)**

#### Actual



The system is inconsistent (no solution)

My output:



Actual and My output are same. Hence the code can detect No solutions easily.