SVM Assignment

- Support Vector Machine Classifier
- Support Vector Machine with Kernels Classifier

```
%matplotlib inline
import numpy as np
import matplotlib.pyplot as plt
from scipy import stats
from sklearn import svm, datasets
from sklearn.model_selection import train_test_split
```

Linear kernel

```
Data set
# run the following commands
```

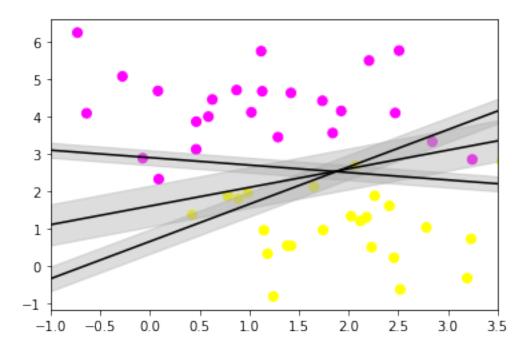
```
# use generated (X, y) as the data set
from sklearn.datasets import make blobs
X, y = make blobs(n samples=50, centers=2,
                  random state=0, cluster std=1.0)
#pip install scikit-learn
Requirement already satisfied: scikit-learn in
/Users/ytsang/opt/anaconda3/lib/python3.9/site-packages (0.24.2)
Requirement already satisfied: numpy>=1.13.3 in
/Users/ytsang/opt/anaconda3/lib/python3.9/site-packages (from scikit-
learn) (1.20.3)
Requirement already satisfied: threadpoolctl>=2.0.0 in
/Users/ytsang/opt/anaconda3/lib/python3.9/site-packages (from scikit-
learn) (2.2.0)
Requirement already satisfied: scipy>=0.19.1 in
/Users/ytsang/opt/anaconda3/lib/python3.9/site-packages (from scikit-
learn) (1.7.1)
Requirement already satisfied: joblib>=0.11 in
/Users/ytsang/opt/anaconda3/lib/python3.9/site-packages (from scikit-
learn) (1.1.0)
Note: you may need to restart the kernel to use updated packages.
```

A linear discriminative classifier would attempt to draw a straight line separating the two sets of data, and thereby create a model for classification. For two dimensional data like that shown here, this is a task we could do by hand. But immediately we see a problem: there is more than one possible dividing line that can (may not perfectly) discriminate between the two classes!

We can draw them as follows:

```
# run the following commands to plot
xfit = np.linspace(-1, 3.5)
plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='spring')
```

```
# Draw three lines that couple separate the data
for m, b, d in [(1, 0.65, 0.33), (0.5, 1.6, 0.55), (-0.2, 2.9, 0.2)]:
   yfit = m * xfit + b
   plt.plot(xfit, yfit, '-k')
   plt.fill_between(xfit, yfit - d, yfit + d, edgecolor='none',
color='#AAAAAA', alpha=0.4)
plt.xlim(-1, 3.5);
```



Fitting a support vector machine

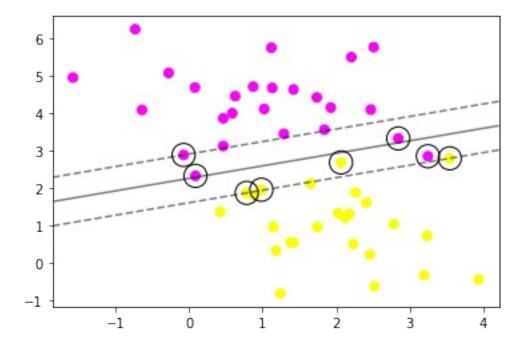
```
# here is an example of SVC
# run this cell
from sklearn.svm import SVC # "Support vector classifier"
clf = SVC(kernel='linear')
clf.fit(X, y)
SVC(kernel='linear')
```

To better visualize what's happening here, let's create a quick convenience function that will plot SVM decision boundaries for us:

```
def plot_svc_decision_function(clf, ax=None):
    """Plot the decision function for a 2D SVC"""
    if ax is None:
        ax = plt.gca()
    x = np.linspace(plt.xlim()[0], plt.xlim()[1], 30)
    y = np.linspace(plt.ylim()[0], plt.ylim()[1], 30)
    Y, X = np.meshgrid(y, x)
    P = np.zeros like(X)
```

```
for i, xi in enumerate(x):
    for j, yj in enumerate(y):
        P[i, j] = clf.decision_function(np.reshape([xi, yj], (1, -1)))
# plot the margins
ax.contour(X, Y, P, colors='k',
        levels=[-1, 0, 1], alpha=0.5,
        linestyles=['--', '--', '--'])
```

For an SVC called clf, command clf.support_vectors_ will return all its support vectors.



Your task:

For linear kernal:

- 1. use **5-fold** cross validation to perform grid search to calculate optimal hyper-parameters
- 2. the values of possible C are in list: $[2^i \text{ for } i \text{ in range}(10)]$
- 3. find the **best params** & corresponding **best estimator** & the total number of support vectors of the best estimator
- 4. plot the complete visialization of the best estimator (similar graph as the previous example)

```
Note: use one-vs-rest decision function!
# import GridSerarchCV & classification report
# Your code here
# Two-line codes
from sklearn.model selection import GridSearchCV
from sklearn.metrics import classification report
X train, X test, y train, y test = train test split(X, y,
test size=0.2, random state=0)
# Set the parameters for cross-validation
# Your code here
# One-line code
# Hint: 'C': [2**i for i in range(10)]
parameters = [ {'kernel': ['linear'], 'gamma':['auto'],'C': [2**i for
i in range(10)]}]
# run gridsearch-cross validation then fit the data
# Your code here
# Two-line codes
# hint: use GridSearchCV()
clf = GridSearchCV(svm.SVC(decision function shape='ovr'), parameters,
cv=5)
clf.fit(X_train, y_train)
print("Best parameters set found on development set:")
print()
print( clf.best_params_ )
      # Your code here -- print best parameters)
print()
print("Best estimator found on development set:")
print()
print( clf.best estimator )
# Your code here -- print best estimator)
print()
print("Number of the support vectors of the best estimator:")
print()
print(clf.best_estimator_.n_support_)
# Your code here -- print the number of support vectors)
print()
```

Best parameters set found on development set:

{'C': 4, 'gamma': 'auto', 'kernel': 'linear'}

Best estimator found on development set:

```
SVC(C=4, gamma='auto', kernel='linear')
Number of the support vectors of the best estimator:
[3 3]
# plot the original data + decision boundary + support vectors
# Your code here
# Three-line codes
# Hint: see previous example
plt.scatter(X[:, 0], X[:, 1], c=y, s=50, cmap='spring')
plot_svc_decision_function(clf)
plt.scatter(clf.best estimator .support vectors [:, 0],
clf.best_estimator_.support_vectors_[:, 1],
            s=300, facecolors='none', edgecolors='k', linewidths=1);
   6
   5
   4
   3
   2
   1
   0
```

KNN Assignment

-1

-1

Follow the analysis procedure above, **Change data set to iris, use the latter two features instead of the first two**. Use GridSearchCV with [5,10,15]-folds and n_neighbors = list(range(1, 50, 2)) to find the best (fold, neighbor) combination, which gives the highest mean_test_score.

2

3

```
from sklearn import neighbors
from sklearn.utils import shuffle
```

0

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```
# import some data to play with
```

```
iris = datasets.load iris()
X = iris.data[:, -2:] # we only take the last two features.
y = iris.target
X, y = shuffle(X, y, random_state=0)
X train, X test, y train, y test = train test split(X, y,
test size=0.2, random state=0)
# plot X into 2-D graph
x_{min}, x_{max} = X[:, 0].min() - 1, X[:, 0].max() + 1
y \min, y \max = X[:, 1].\min() - 1, X[:, 1].\max() + 1
plt.scatter(X[:, 0], X[:, 1], c=y, cmap=plt.cm.Set1)
plt.xlabel('Sepal length')
plt.ylabel('Sepal width')
plt.xlim(x min, x max);
    2.5
    2.0
  Sepal width
    0.5
    0.0
                                                       7
                     2
                            3
                                         5
                                                6
                                   4
                              Sepal length
fold = [5, 10, 15]
parameters = [ {'n_neighbors': [i for i in range(1,50,2)]}]
for f in fold:
    #clf = GridSearchCV(neighbors.KNeighborsClassifier(), parameters,
cv=f, iid = True)
    clf = GridSearchCV(neighbors.KNeighborsClassifier(), parameters,
cv=f)
    clf.fit(X train, y train)
    print("For fold =",f,',',"best parameters set found on development
set:",clf.best params )
```

```
print()
    print("Grid scores on training set:")
    means = clf.cv_results_['mean_test_score']
    stds = clf.cv results ['std test score']
    for mean, std, params in zip(means, stds,
clf.cv_results_['params']):
        print((-80.3f) (+/-(-80.03f)) for r % (mean, std * 2, params))
    print()
For fold = 5, best parameters set found on development set:
{'n neighbors': 17}
Grid scores on training set:
0.958 \ (+/-0.105) \ for \{'n neighbors': 1\}
0.950 (+/-0.097) for {'n neighbors': 3}
0.958 (+/-0.091) for {'n_neighbors': 5}
0.958 (+/-0.091) for {'n neighbors': 7}
0.958 (+/-0.091) for {'n_neighbors': 9}
0.958 (+/-0.091) for {'n neighbors': 11}
0.958 \ (+/-0.091) \ for \{'n neighbors': 13\}
0.967 (+/-0.097) for {'n_neighbors': 15}
0.975 \ (+/-0.067) \ for \{'n neighbors': 17\}
0.975 (+/-0.067) for {'n neighbors': 19}
0.975 \ (+/-0.067) \ for \{'n neighbors': 21\}
0.975 (+/-0.067) for {'n neighbors': 23}
0.975 \ (+/-0.067) \ for \{'n neighbors': 25\}
0.967 \ (+/-0.097) \ for \{'n neighbors': 27\}
0.967 (+/-0.097) for {'n_neighbors': 29}
0.958 \ (+/-0.091) for {'n neighbors': 31}
0.967 (+/-0.097) for {'n_neighbors': 33}
0.958 \ (+/-0.091) \ for \{'n neighbors': 35\}
0.967 \ (+/-0.062) \ for \{'n neighbors': 37\}
0.958 \ (+/-0.091)  for {'n neighbors': 39}
0.975 \ (+/-0.067) \ for \{'n neighbors': 41\}
0.967 (+/-0.097) for {'n neighbors': 43}
0.967 (+/-0.097) for {'n neighbors': 45}
0.975 \ (+/-0.067) \ for \{'n neighbors': 47\}
0.958 \ (+/-0.091) \ for \{'n neighbors': 49\}
For fold = 10 , best parameters set found on development set:
{'n neighbors': 25}
Grid scores on training set:
0.958 \ (+/-0.134) \ for \{'n neighbors': 1\}
0.942 (+/-0.107) for {'n neighbors': 3}
0.958 (+/-0.112) for {'n neighbors': 5}
0.958 \ (+/-0.112) \ for \{'n neighbors': 7\}
0.958 (+/-0.112) for {'n_neighbors': 9}
0.958 \ (+/-0.112) \ for \{'n neighbors': 11\}
0.958 \ (+/-0.112) \ for \{'n neighbors': 13\}
```

```
0.958 \ (+/-0.112) \ for \{'n neighbors': 15\}
0.967 (+/-0.111) for {'n neighbors': 17}
0.967 \ (+/-0.111) \ for \{'n neighbors': 19\}
0.967 \ (+/-0.111) \ for \{'n neighbors': 21\}
0.967 (+/-0.111) for {'n neighbors': 23}
0.975 (+/-0.076) for {'n_neighbors': 25}
0.975 (+/-0.076) for {'n neighbors': 27}
0.958 \ (+/-0.112) \ for \{'n neighbors': 29\}
0.967 \ (+/-0.082) \ for \{'n neighbors': 31\}
0.967 (+/-0.082) for {'n neighbors': 33}
0.958 \ (+/-0.112) \ for \{'n neighbors': 35\}
0.958 \ (+/-0.112) \ for \{'n neighbors': 37\}
0.958 (+/-0.112) for {'n neighbors': 39}
0.958 \ (+/-0.112) \ for \{'n neighbors': 41\}
0.967 \ (+/-0.111) \ for \{'n neighbors': 43\}
0.975 \ (+/-0.076) \ for \{'n neighbors': 45\}
0.967 \ (+/-0.111) \ for \{'n neighbors': 47\}
0.975 (+/-0.076) for {'n_neighbors': 49}
For fold = 15 , best parameters set found on development set:
{'n neighbors': 23}
Grid scores on training set:
0.958 \ (+/-0.217) \ for \{'n neighbors': 1\}
0.942 (+/-0.201) for {'n neighbors': 3}
0.958 (+/-0.149) for {'n_neighbors': 5}
0.958 (+/-0.149) for {'n neighbors': 7}
0.958 \ (+/-0.149) \ for \{'n neighbors': 9\}
0.958 (+/-0.149) for {'n neighbors': 11}
0.950 \ (+/-0.200) \ for \{'n neighbors': 13\}
0.950 (+/-0.200) for {'n_neighbors': 15}
0.967 (+/-0.193) for {'n neighbors': 17}
0.967 \ (+/-0.193) \ for \{'n neighbors': 19\}
0.967 \ (+/-0.193) \ for \{'n neighbors': 21\}
0.975 (+/-0.135) for {'n neighbors': 23}
0.967 (+/-0.143) for {'n neighbors': 25}
0.967 \ (+/-0.143) \ for \{'n neighbors': 27\}
0.958 (+/-0.197) for {'n_neighbors': 29}
0.958 (+/-0.197) for {'n neighbors': 31}
0.958 \ (+/-0.197) \ for \{'n neighbors': 33\}
0.958 \ (+/-0.197) \ for \{'n neighbors': 35\}
0.967 \ (+/-0.193) \ for \{'n neighbors': 37\}
0.958 \ (+/-0.197) \ for \{'n neighbors': 39\}
0.967 (+/-0.193) for {'n neighbors': 41}
0.967 (+/-0.193) for {'n neighbors': 43}
0.967 (+/-0.193) for {'n neighbors': 45}
0.967 (+/-0.193) for {'n neighbors': 47}
0.967 \ (+/-0.193) \ for \{'n neighbors': 49\}
```