

Leetcode, ...

## Critical Connections in a Network

id: 1192 tags: graph, dfs

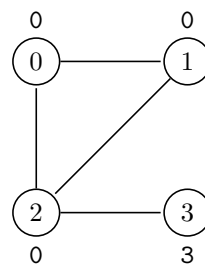
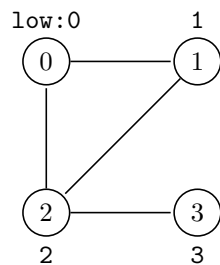
ids[node] keep tracking ids of nodes in dfs ordering

**Par** low[node] smallest id which current node can reach

graph[node] adjacency list

**Alg**

1. build graph in form of adjacency list, `graph[node]`
2. tranverse graph dfsly. If neighbor node is not visited, dfs next node, update `low[node]` by `min(low[node], low[neighbor])` by callback.
3. Check if `ids[node] < low[neighbor]` is true, then we find one critical connection.
4. If neighbor node is visited and it is not the node visited right before current node, update `low[node]` by the same as in 2.



You can see that `ids[2] < low[3]`.

## Max Sum of Rectangle No Larger Than K

id: 363

tags: binary search

**Par**  $\left\{ \begin{array}{ll} \text{mat} & \text{the original matrix} \\ \text{arr} & \text{array of sums from column } i \text{ to } j \text{ of mat} \\ \text{sums} & \text{ordered set of sums from begin to arr[i]} \\ \text{cur} & \text{current sum of arr[0} \cdots i] \\ k & \text{threshold for the result} \end{array} \right.$

**Alg**

1. Sub problem: Max sum of subarray of array *arr*  
Init **sums** with 0, *res* with  $-\infty$ .  
Iterate **arr**: at *i* iteration, **cur** += **arr**[*i*].  
Find the index of lower bound *lb* of **cur**-*k* in **sums**.  
If *lb* is not the end of **sums**, we have *res* = max(*res*, **cur** - **sums**[*lb*]).
2. Then we use
3. todo

## Find Peak Element

id: 363

tags: binary search

$$\mathbf{Par} \left\{ \begin{array}{ll} \mathbf{nums} & \text{array, where } \mathbf{nums}[i] \neq \mathbf{nums}[j] \text{ if } i \neq j \\ l & \text{left pos} \\ r & \text{right pos} \\ m & \text{middle} = (\text{left} + \text{right}) / 2 \end{array} \right.$$

**Alg**

1. init left, right  $l = 0, r = \text{len}(\text{nums}) - 1$
2. while  $l < r$ :  
     $m = (l + r) // 2$   
    if  $(\text{nums}[m] > \text{nums}[m+1])$ :  $r = m$   
    else:  $l = m + 1$
3. the final  $l$  is the answer.

## Sample

id: 363

tags: binary search

**Par**  $\left\{ \begin{array}{ll} \text{a} & \text{xxx} \\ \text{b} & \text{xxx} \\ \text{c} & \text{xxx} \end{array} \right.$

## Alg

1. todo
2. todo
3. todo