

Walmart

April 10, 2024

Walmart is an American multinational retail corporation that operates a chain of supercenters, discount departmental stores, and grocery stores from the United States. Walmart has more than 100 million customers worldwide.

[805]: *#importing libraries which may required*

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from scipy.stats import norm, binom, poisson, expon, geom
```

[806]: *#Data extraction from URL*

```
url = 'https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/293/
˓→original/walmart_data.csv?1641285094'
data = pd.read_csv(url)
```

[807]: *#datatype of columns*

```
data.dtypes
```

```
User_ID           int64
Product_ID        object
Gender            object
Age               object
Occupation       int64
City_Category     object
Stay_In_Current_City_Years   object
Marital_Status    int64
Product_Category  int64
Purchase          int64
dtype: object
```

[808]: *print('Total rows count :'+str(data.shape[0]))*
data.nunique()

Total rows count :550068

```
User_ID           5891
Product_ID        3631
Gender             2
```

```
Age                      7
Occupation                21
City_Category              3
Stay_In_Current_City_Years 5
Marital_Status              2
Product_Category            20
Purchase                  18105
dtype: int64
```

```
[809]: #checking unique values in Product_category, occupation and Age group
cols = ['Product_Category','Occupation','Age']
print('-'*80)
for i in cols:
    print(i+' values :',end = ' ')
    print(*np.sort(data[i].unique()),sep = ', ')
    print('-'*80)
```

```
-----  
Product_Category values :1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16,  
17, 18, 19, 20  
-----
```

```
Occupation values :0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17,  
18, 19, 20  
-----
```

```
Age values :0-17, 18-25, 26-35, 36-45, 46-50, 51-55, 55+  
-----
```

Product Category values are between 1 to 20, similarly Occupation values are between 0 to 20

Age is binned to 7 categories

```
[810]: # Numerical columns of data set
data.select_dtypes('int','float').columns
```

```
[810]: Index(['User_ID', 'Occupation', 'Marital_Status', 'Product_Category',
       'Purchase'],
       dtype='object')
```

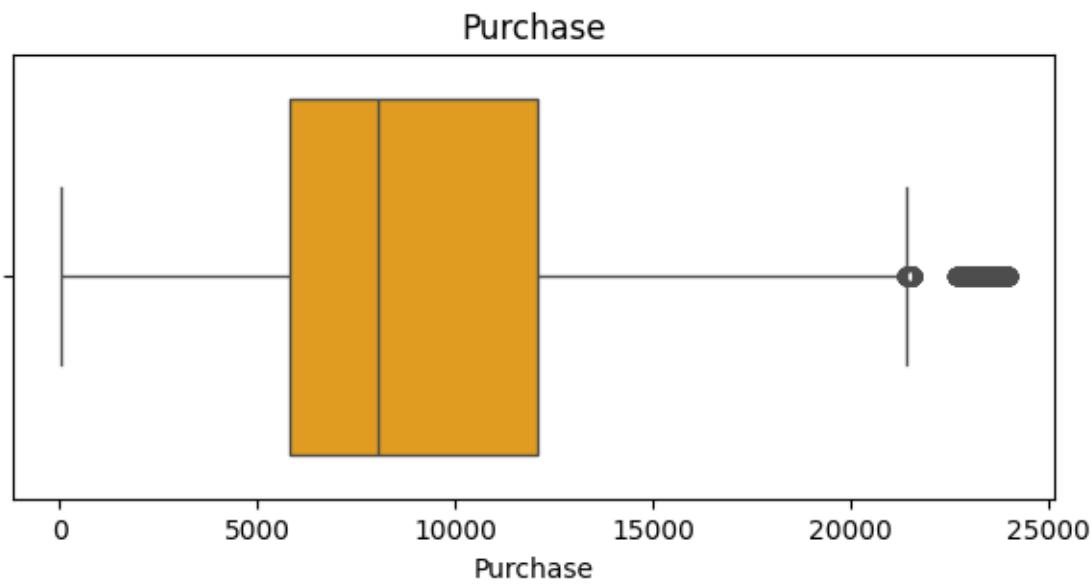
```
[811]: #Missing values
data.isna().sum(axis = 0)
```

```
[811]: User_ID          0
Product_ID         0
Gender             0
Age               0
Occupation        0
City_Category      0
Stay_In_Current_City_Years 0
```

```
Marital_Status          0  
Product_Category        0  
Purchase                 0  
dtype: int64
```

```
[812]: #outliers detection  
cols = ['Age', 'Occupation', 'Stay_In_Current_City_Years', 'Product_Category', ↴  
        'Purchase']
```

```
[813]: #Outliers Detection  
plt.figure(figsize = (7,3))  
plt.title('Purchase')  
sns.boxplot(data = data, x = 'Purchase', color = 'orange')  
plt.show()
```



Purchase column has more outliers

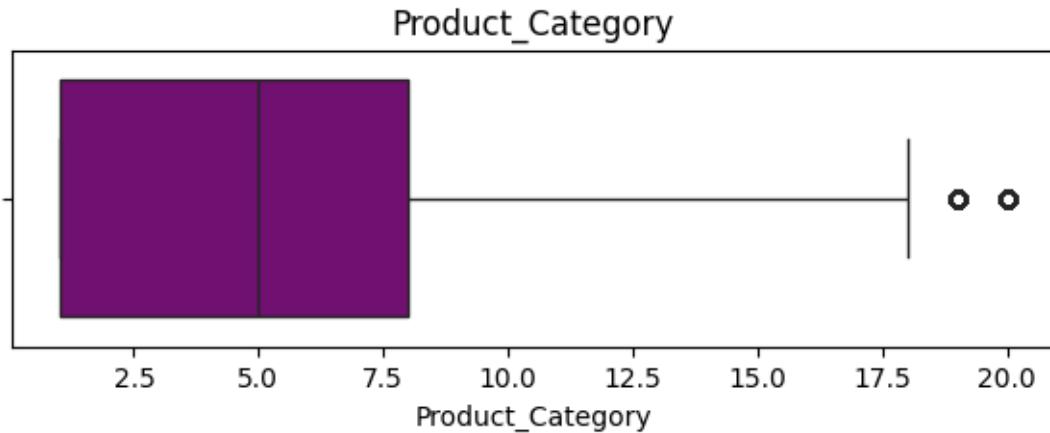
```
[814]: #calculating the IQR to get outliers  
Q1, Q2, Q3 = np.percentile(data['Purchase'], q = [25,50,75])  
IQR = Q3 - Q1
```

```
[815]: purchase_outliers = data.loc[data.loc[:, 'Purchase'] >= Q3+(1.5*IQR)]  
purchase_outliers.shape[0]
```

```
[815]: 2677
```

Purchase column has 2677 outliers

```
[816]: plt.figure(figsize = (7,2))
plt.title('Product_Category')
sns.boxplot(data = data, x = 'Product_Category',color = 'purple')
plt.show()
```



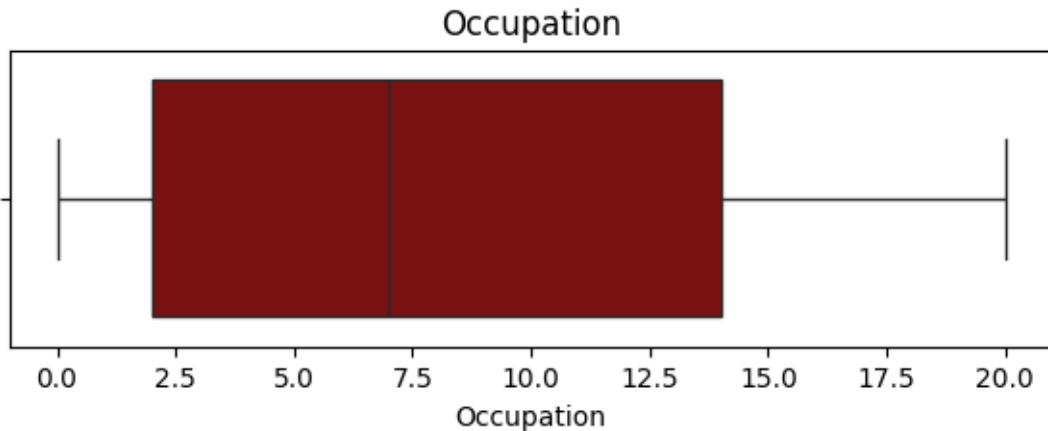
```
[817]: #calculating the IQR to get outliers
Q1, Q2, Q3 = np.percentile(data['Product_Category'], q = [25,50,75])
IQR = Q3 - Q1
```

```
[818]: product_category_outliers = data.loc[data.loc[:, 'Product_Category'] >= Q3+(1.
                                         ↵5*IQR)]
product_category_outliers.shape[0]
```

```
[818]: 4153
```

Product Category has 4153 outliers

```
[819]: plt.figure(figsize = (7,2))
plt.title('Occupation')
sns.boxplot(data = data, x = 'Occupation',color = 'darkred')
plt.show()
```



```
[820]: Q1, Q2, Q3 = np.percentile(data['Occupation'], q = [25,50,75])
IQR = Q3 - Q1
product_category_outliers = data.loc[data.loc[:, 'Occupation'] >= Q3+(1.5*IQR)]
product_category_outliers.shape[0]
```

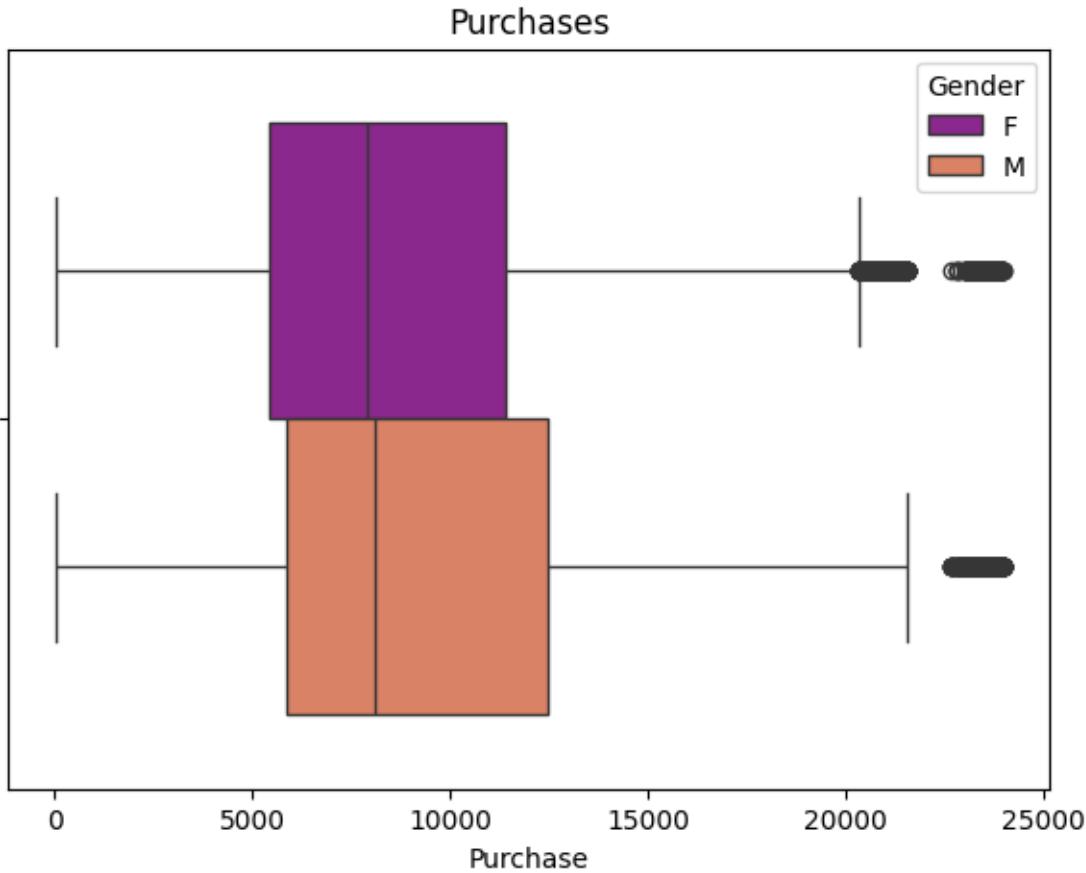
[820]: 0

Occupation has zero outliers

```
[821]: #No. of Females and No. of Males
data.Gender.value_counts()
```

```
[821]: Gender
M      414259
F      135809
Name: count, dtype: int64
```

```
[822]: plt.figure(figsize = (7,5))
plt.title('Purchases')
sns.boxplot(data = data, x = 'Purchase',hue = 'Gender',palette = 'plasma')
plt.show()
```



```
[823]: #counting the Purchase outliers based on Gender
males_data = data.loc[data.Gender.isin(['M'])]
females_data = data.loc[data.Gender.isin(['F'])]
```

```
[824]: #Males data
Q1, Q2, Q3 = np.percentile(males_data['Purchase'], q = [25,50,75])
IQR = Q3 - Q1
males_purchase_outliers = males_data.loc[males_data.loc[:, 'Purchase'] >= Q3+(1.
    ↪5*IQR)]
#Females data
Q1, Q2, Q3 = np.percentile(females_data['Purchase'], q = [25,50,75])
IQR = Q3 - Q1
females_purchase_outliers = females_data.loc[females_data.loc[:, 'Purchase'] >=
    ↪Q3+(1.5*IQR)]
print('Males Purchase Outliers : '+str(males_purchase_outliers.
    ↪shape[0]), 'Female Purchase Outliers : '+str(females_purchase_outliers.
    ↪shape[0]), sep = '\n')
```

Males Purchase Outliers : 1812

Female Purchase Outliers : 2065

Tracking the amount spent per transaction of all the 50 million female customers, and all the 50 million male customers, calculate the average, and conclude the results.

```
[825]: df = data.groupby(['Gender', 'User_ID']).aggregate({'Purchase':np.sum}).  
       ↪reset_index()
```

```
[826]: df.head()
```

```
[826]:   Gender  User_ID  Purchase  
0        F  1000001    334093  
1        F  1000006    379930  
2        F  1000010   2169510  
3        F  1000011   557023  
4        F  1000016   150490
```

```
[827]: print('Average purchases of Female:' + str(df[df['Gender'] == 'F'].Purchase.  
       ↪mean()),  
       'Average purchases of Male:' + str(df[df['Gender'] == 'M'].Purchase.  
       ↪mean()), sep = '\n')
```

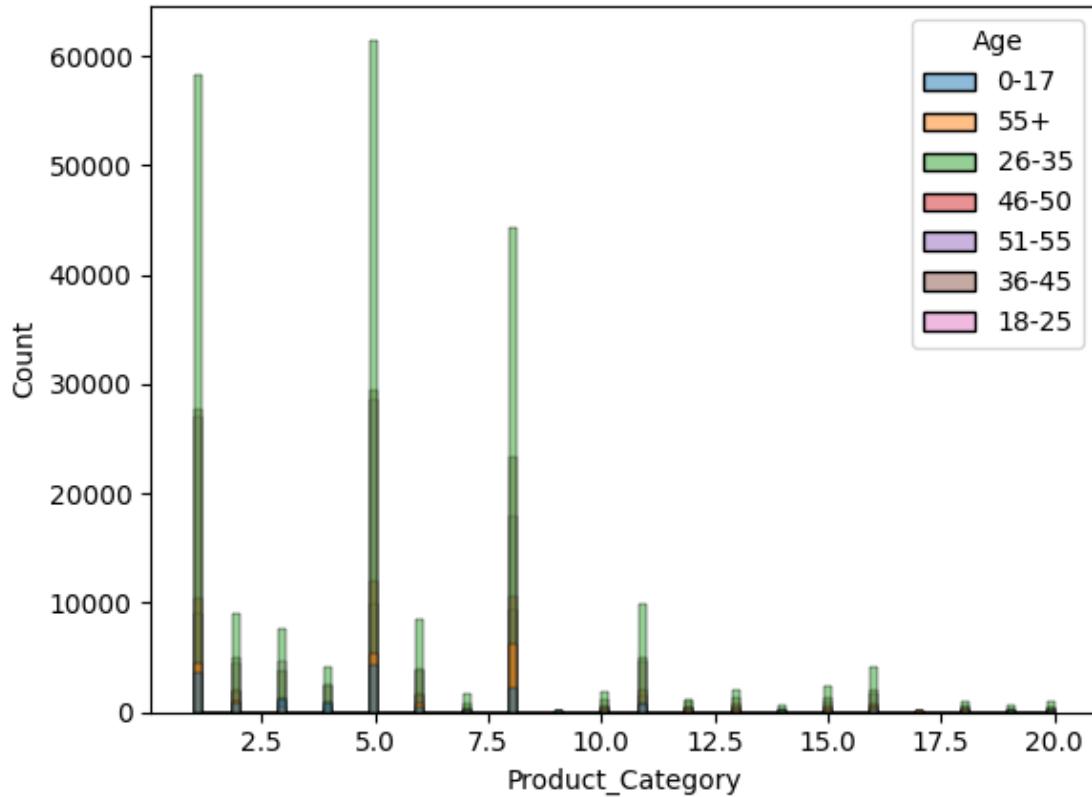
Average purchases of Female:712024.3949579832

Average purchases of Male:925344.4023668639

Even Females has greater outliers still average Males spents are slightly higher than Females spents.

```
[828]: #What products are different age groups buying?  
sns.histplot(data = data, x = 'Product_Category', hue = 'Age')
```

```
[828]: <Axes: xlabel='Product_Category', ylabel='Count'>
```



```
[829]: #checking for 0-17 aged people frequent purchased products
data[data['Age'] == '0-17'].value_counts(subset=['Product_ID']).head(3)
```

```
[829]: Product_ID
P00255842      65
P00145042      64
P00112142      58
Name: count, dtype: int64
```

Top 3 purchased Products from age group 0-17 are P00255842, P00145042, P00112142

```
[830]: #checking for 18-25 aged people frequent purchased products
data[data['Age'] == '18-25'].value_counts(subset=['Product_ID']).head(3)
```

```
[830]: Product_ID
P00265242      389
P00112142      338
P00110742      329
Name: count, dtype: int64
```

Top 3 purchased Products from age group 18-25 are P00265242, P00112142, P00110742

```
[831]: #checking for 26-55 aged people frequent purchased products  
data[data['Age'] == '26-35'].value_counts(subset=['Product_ID']).head(3)
```

```
[831]: Product_ID  
P00265242    746  
P00110742    634  
P00025442    608  
Name: count, dtype: int64
```

Top 3 purchased Products from age group 26-35 are P00265242, P00110742, P00025442

```
[832]: #checking for 26-55 aged people frequent purchased products  
data[data['Age'] == '36-45'].value_counts(subset=['Product_ID']).head(3)
```

```
[832]: Product_ID  
P00025442    356  
P00265242    322  
P00110742    321  
Name: count, dtype: int64
```

Top 3 purchased Products from age group 36-45 are P00025442, P00265242, P00110742

```
[833]: #checking for 46-50 aged people frequent purchased products  
data[data['Age'] == '46-50'].value_counts(subset=['Product_ID']).head(3)
```

```
[833]: Product_ID  
P00265242    138  
P00046742    130  
P00025442    123  
Name: count, dtype: int64
```

Top 3 purchased Products from age group 46-50 are P00265242, P00046742, P00025442

```
[834]: #checking for 51-55 aged people frequent purchased products  
data[data['Age'] == '51-55'].value_counts(subset=['Product_ID']).head(3)
```

```
[834]: Product_ID  
P00265242    140  
P00025442    118  
P00110742    117  
Name: count, dtype: int64
```

Top 3 purchased Products from age group 51-55 are P00265242, P00025442, P00110742

```
[835]: #checking for 55+ aged people frequent purchased products  
data[data['Age'] == '55+'].value_counts(subset=['Product_ID']).head(3)
```

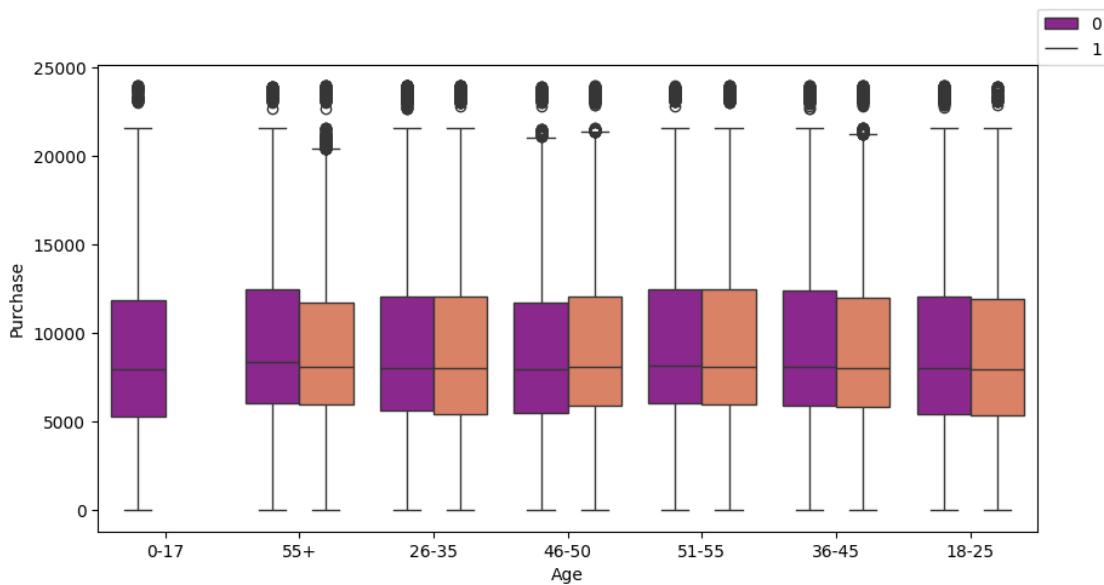
```
[835]: Product_ID
P00265242      104
P00080342      80
P00051442      79
Name: count, dtype: int64
```

Top 3 purchased Products from age group 55+ are P00265242, P00080342, P00051442

```
[836]: #Is there a relationship between age, marital status, and the amount spent?
data.dtypes
```

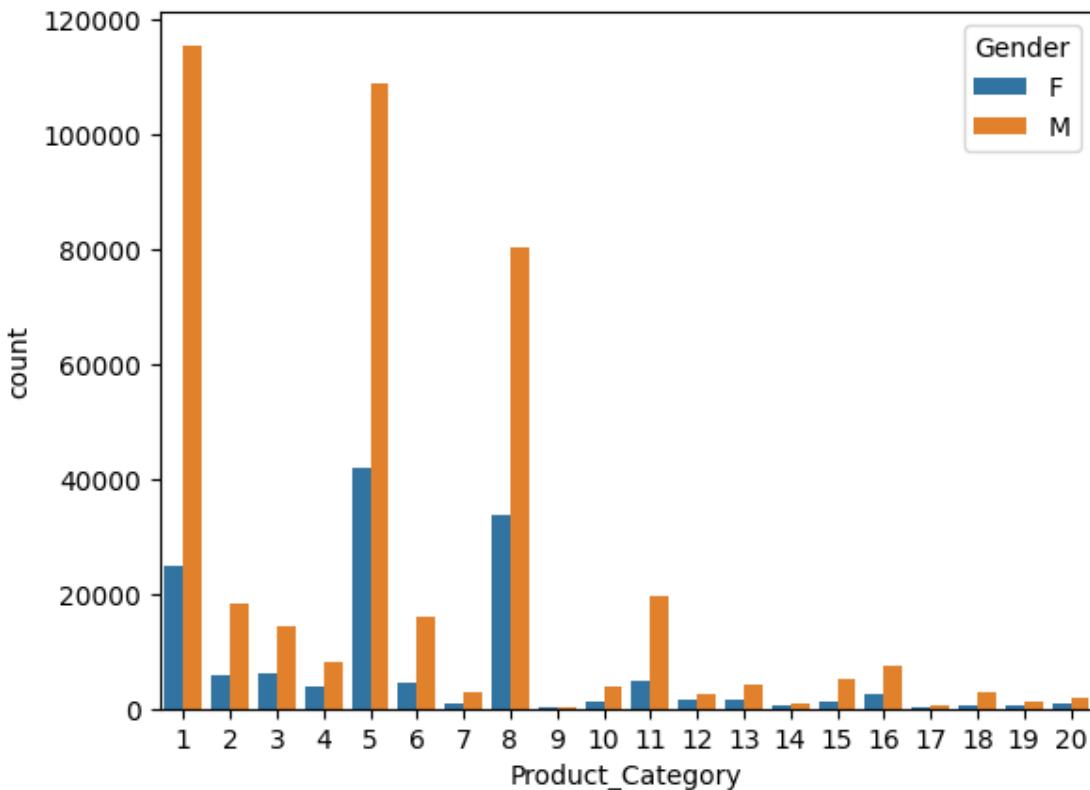
```
[836]: User_ID           int64
Product_ID        object
Gender            object
Age               object
Occupation       int64
City_Category     object
Stay_In_Current_City_Years  object
Marital_Status    int64
Product_Category int64
Purchase          int64
dtype: object
```

```
[837]: #Is there a relationship between age, marital status, and the amount spent?
plt.figure(figsize = (10,5))
sns.boxplot(data = data, x = 'Age', y = 'Purchase', hue = 'Marital_Status', palette = 'plasma', legend = True)
plt.legend(['0','1'], loc=(1,1))
plt.show()
```



```
[838]: #Are there preferred product categories for different genders?
sns.countplot(data = data[['Product_Category', 'Gender']], x = 'Product_Category', hue = 'Gender')
```

```
[838]: <Axes: xlabel='Product_Category', ylabel='count'>
```



Product categories 1,5,8 have high chances to buy by both Males & Females

```
[839]: print('Product categories have high chances to buy by males : ', end= ' ')
print(*sorted(data[data.Gender.isin(['M'])].value_counts(subset = 'Product_Category').head(5).index), sep = ', ')
print('Product categories have high chances to buy by Females : ', end= ' ')
print(*sorted(data[data.Gender.isin(['F'])].value_counts(subset = 'Product_Category').head(5).index), sep = ', ')
```

Product categories have high chances to buy by males : 1, 2, 5, 8, 11

Product categories have high chances to buy by Females : 1, 2, 3, 5, 8

```
[840]: #Gender affect on amount spent
df_males = data.loc[data.Gender.isin(['M'])]
print('Male Dataset average of purchases : '+str(df_males.Purchase.mean()))
df_females = data.loc[data.Gender.isin(['F'])]
print('Female Dataset average of purchases : '+str(df_females.Purchase.mean()))
```

Male Dataset average of purchases : 9437.526040472265
 Female Dataset average of purchases : 8734.565765155476

With Total dataset, we can say Males will spends higher than Females

```
[841]: from os import replace
# function for calculating CTL interval with different sample size

def clt_interval_calculator(n,df,replacer):
    #Z value for 95% confidence interval
    z = norm.ppf(0.025)
    #Population means and standard deviation
    mean = df.Purchase.mean()
    std = df['Purchase'].std()
    #Lets calculate 95% confidence interval
    #Sample Size as 300
    sample_means = np.array([df['Purchase'].sample(n,replace= True).mean() for i in range(1000)])
    print('Average of all '+replacer+' samples : '+str(sample_means.mean()).round(3)),
    print('Average of Population ('+replacer+' Purchase average) : '+str(df.Purchase.mean().round(3)),sep= '\n')

    #Standard Deviation of sampling Distribution is standard Error
    SE = std/np.sqrt(n)
    print('Standard Error of '+replacer+' sampling Distribution : ',np.round(SE,3))

    #lets calculate 95% confidence interval with 300 sample size
    print('95% confidence that average purchases of '+replacer+' is between ',np.round(mean+(z*SE),3),'and ',np.round(mean-(z*SE)))
    print()
    return sample_means
```

```
[842]: print((with '+str(300)+' samples').center(70,'*'),'',sep = '\n')
male1 = clt_interval_calculator(n = 300,df = df_males,replacer= 'male')
print()
print((with '+str(300)+' samples').center(70,'*'),'',sep = '\n')
female1 = clt_interval_calculator(n = 300,df = df_females,replacer= 'female')
```

*****with 300 samples*****

```
Average of all male samples : 9442.156
Average of Population (male Purchase average) : 9437.526
Standard Error of male sampling Distribution : 293.998
95% confidence that average purchases of male is between 8861.302 and 10014.0
```

```
*****with 300 samples*****
```

```
Average of all female samples : 8721.083
Average of Population (female Purchase average) : 8734.566
Standard Error of female sampling Distribution : 275.236
95% confidence that average purchases of female is between 8195.112 and 9274.0
```

```
[843]: print((('with '+str(3000)+ ' samples').center(70,'*'),'',sep = '\n'))
male2=clt_interval_calculator(n = 3000,df = df_males,replacer= 'male')
print()
print((('with '+str(3000)+ ' samples').center(70,'*'),'',sep = '\n'))
female2=clt_interval_calculator(n = 3000,df = df_females,replacer= 'female')
```

```
*****with 3000 samples*****
```

```
Average of all male samples : 9438.532
Average of Population (male Purchase average) : 9437.526
Standard Error of male sampling Distribution : 92.97
95% confidence that average purchases of male is between 9255.308 and 9620.0
```

```
*****with 3000 samples*****
```

```
Average of all female samples : 8732.022
Average of Population (female Purchase average) : 8734.566
Standard Error of female sampling Distribution : 87.037
95% confidence that average purchases of female is between 8563.976 and 8905.0
```

```
[844]: print((('with '+str(30000)+ ' samples').center(70,'*'),'',sep = '\n'))
male3 = clt_interval_calculator(n = 30000,df = df_males,replacer= 'male')
print()
print((('with '+str(30000)+ ' samples').center(70,'*'),'',sep = '\n'))
female3 = clt_interval_calculator(n = 30000,df = df_females,replacer= 'female')
```

```
*****with 30000 samples*****
```

```
Average of all male samples : 9438.29
Average of Population (male Purchase average) : 9437.526
Standard Error of male sampling Distribution : 29.4
95% confidence that average purchases of male is between 9379.904 and 9495.0
```

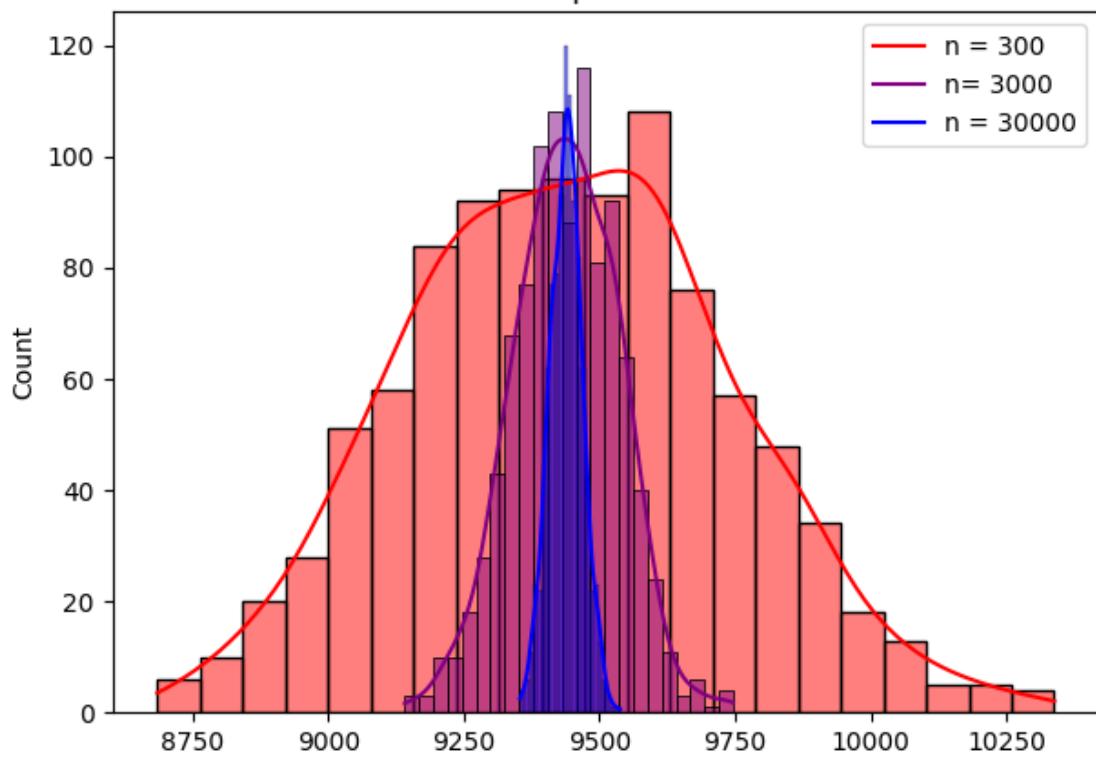
```
*****with 30000 samples*****
```

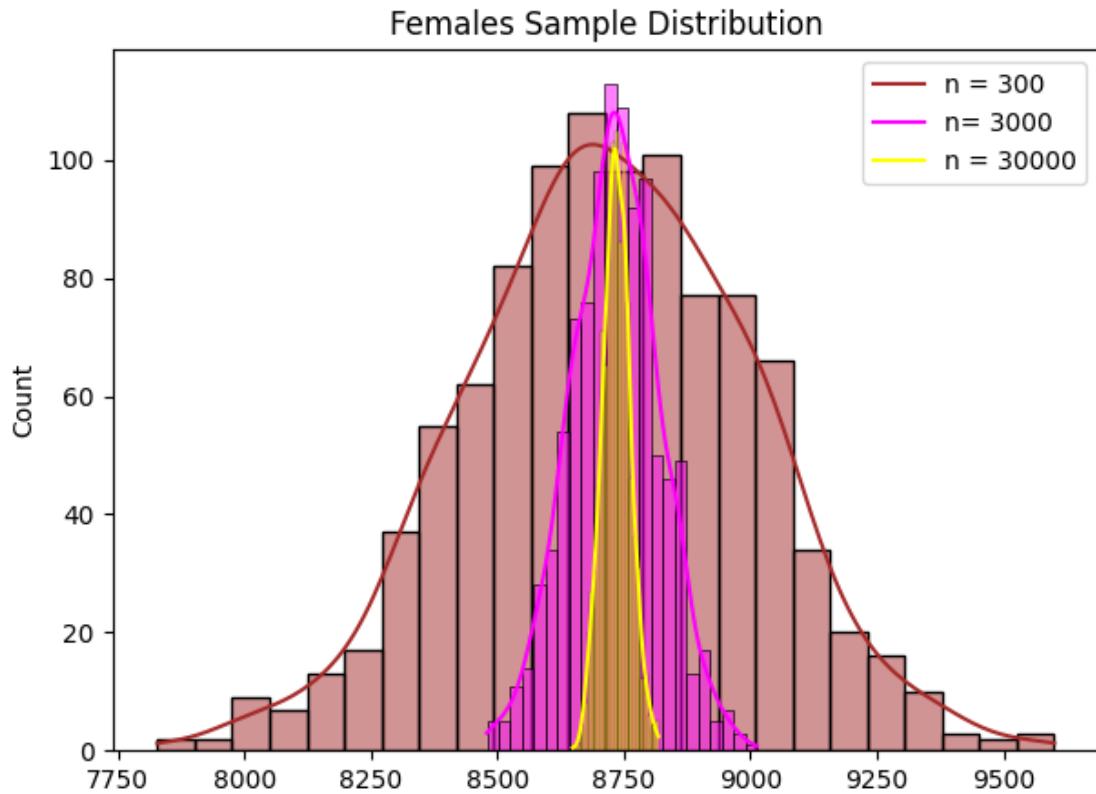
```
Average of all female samples : 8734.941
Average of Population (female Purchase average) : 8734.566
Standard Error of female sampling Distribution : 27.524
95% confidence that average purchases of female is between 8680.62 and 8789.0
```

```
[845]: #ploting the samples distributions
plt.figure(figsize = (7,5))
plt.title('Males Sample Distribution')
sns.histplot(male1,kde = True, color = 'red')
sns.histplot(male2, kde = True, color = 'purple')
sns.histplot(male3,kde = True, color = 'Blue')
plt.legend(['n = 300', 'n= 3000', 'n = 30000'],loc = 'upper right')
plt.show()

plt.figure(figsize = (7,5))
plt.title('Females Sample Distribution')
sns.histplot(female1,kde = True, color = 'brown')
sns.histplot(female2, kde = True, color = 'Magenta')
sns.histplot(female3,kde = True, color = 'Yellow')
plt.legend(['n = 300', 'n= 3000', 'n = 30000'],loc = 'upper right')
plt.show()
```

Males Sample Distribution





- With increase of sample size mean of sample distribution is approximately equal to population mean.
- Good sample size provides the best results. (30000 sample size is approx 7% of gender population size.)
- We are 95% confidence that average purchases of male is between 9379.904 and 9495.0
- We are 95% confidence that average purchases of female is between 8680.62 and 8789.0
- width of the confidence interval is inverse proportion to the sample size.
- Shape of Sampling Distribution is proportionate to sample sizes. Good sample size provide better normal distribution
- By observing the confidence Interval of Males and Females we are sure that Gender impacts the purchases

[846] : #Marital_Status affect the amount spent

```
print('with '+str(300)+' samples').center(70,'*'),'',sep = '\n')
unmarried1 = clt_interval_calculator(n = 300,df = data.loc[data.Marital_Status
↪== 0],replacer= 'UnMarried')
print()
```

```
print((('with '+str(300)+' samples').center(70,'*'),'',sep = '\n'))  
married1 = clt_interval_calculator(n = 300,df = data.loc[data.Marital_Status == 1],replacer= 'Married')
```

*****with 300 samples*****

Average of all UnMarried samples : 9275.584
Average of Population (UnMarried Purchase average) : 9265.908
Standard Error of UnMarried sampling Distribution : 290.254
95% confidence that average purchases of UnMarried is between 8697.02 and 9835.0

*****with 300 samples*****

Average of all Married samples : 9265.584
Average of Population (Married Purchase average) : 9261.175
Standard Error of Married sampling Distribution : 289.651
95% confidence that average purchases of Married is between 8693.47 and 9829.0

```
[847]: print((('with '+str(3000)+' samples').center(70,'*'),'',sep = '\n'))  
unmarried2 = clt_interval_calculator(n = 3000,df = data.loc[data.Marital_Status == 0],replacer= 'UnMarried')  
print()  
print((('with '+str(3000)+' samples').center(70,'*'),'',sep = '\n'))  
married2 = clt_interval_calculator(n = 3000,df = data.loc[data.Marital_Status == 1],replacer= 'Married')
```

*****with 3000 samples*****

Average of all UnMarried samples : 9265.484
Average of Population (UnMarried Purchase average) : 9265.908
Standard Error of UnMarried sampling Distribution : 91.786
95% confidence that average purchases of UnMarried is between 9086.01 and 9446.0

*****with 3000 samples*****

Average of all Married samples : 9262.004
Average of Population (Married Purchase average) : 9261.175
Standard Error of Married sampling Distribution : 91.596
95% confidence that average purchases of Married is between 9081.651 and 9441.0

```
[848]: print(( 'with '+str(30000)+ ' samples').center(70,'*'),'',sep = '\n')
unmarried3 = clt_interval_calculator(n = 30000,df = data.loc[data.
    ↪Marital_Status == 0],replacer= 'UnMarried')
print()
print(( 'with '+str(30000)+ ' samples').center(70,'*'),'',sep = '\n')
married3 = clt_interval_calculator(n = 30000,df = data.loc[data.Marital_Status_u
    ↪== 1],replacer= 'Married')
```

*****with 30000 samples*****

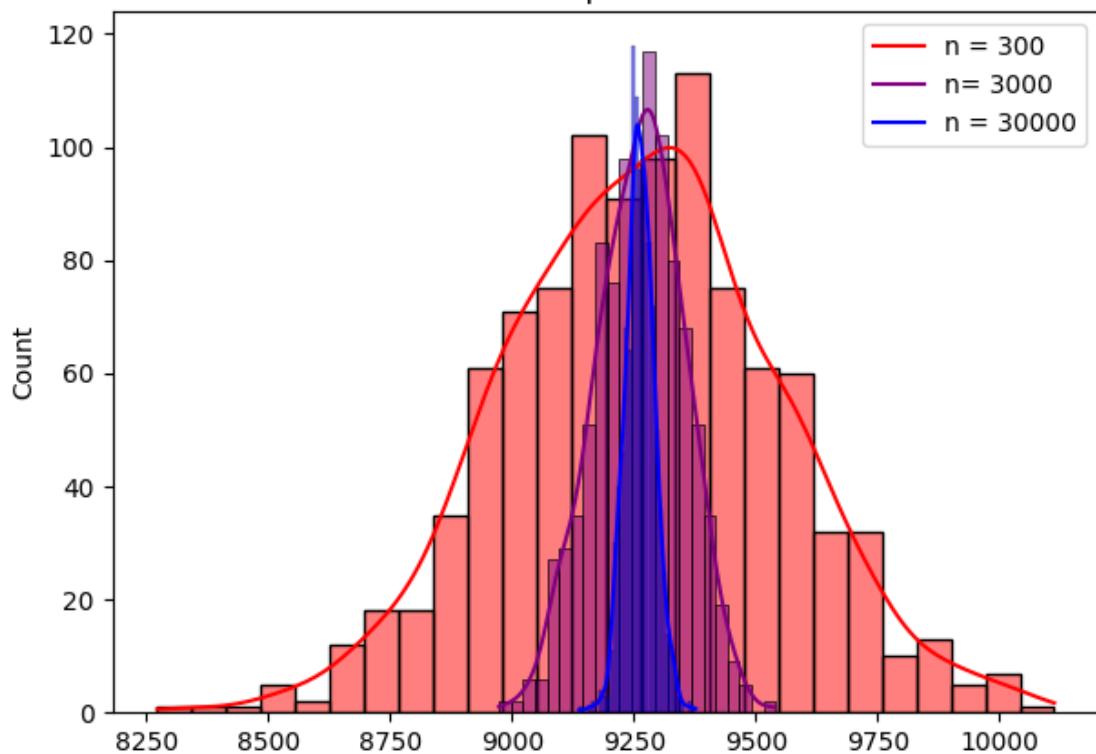
Average of all UnMarried samples : 9264.317
 Average of Population (UnMarried Purchase average) : 9265.908
 Standard Error of UnMarried sampling Distribution : 29.025
 95% confidence that average purchases of UnMarried is between 9209.019 and 9323.0

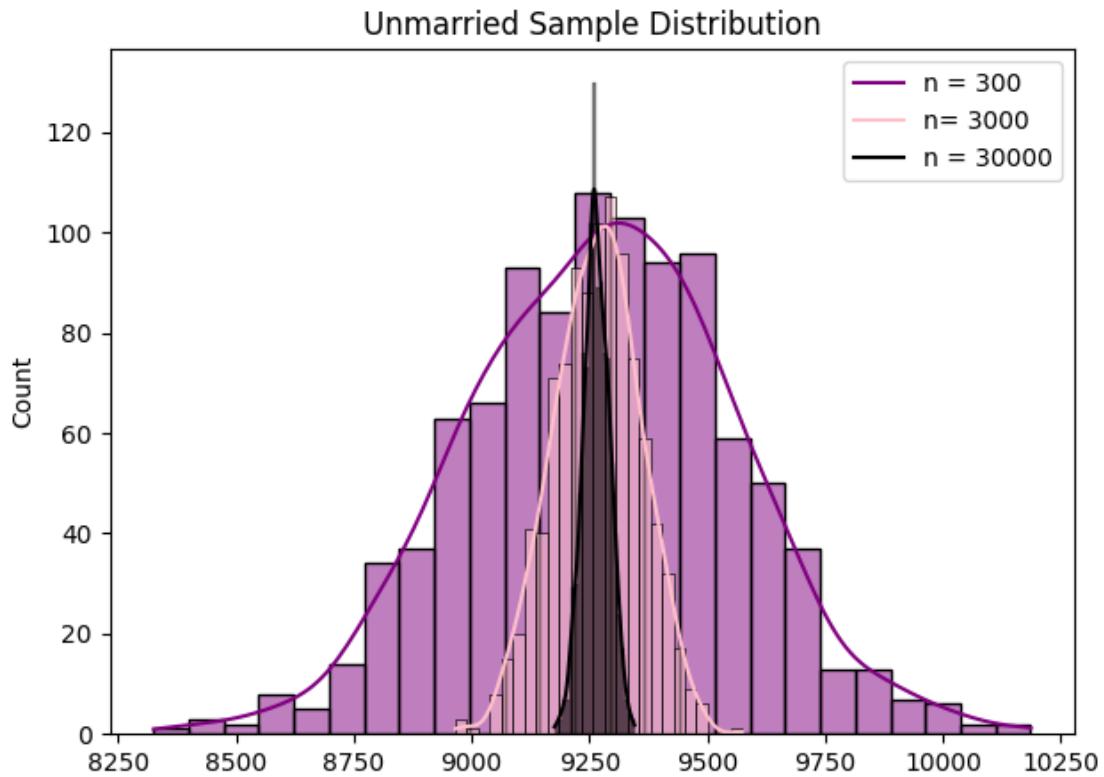
*****with 30000 samples*****

Average of all Married samples : 9262.788
 Average of Population (Married Purchase average) : 9261.175
 Standard Error of Married sampling Distribution : 28.965
 95% confidence that average purchases of Married is between 9204.404 and 9318.0

```
[849]: #ploting the samples distributions
plt.figure(figsize = (7,5))
plt.title('Married Sample Distribution')
sns.histplot(married1,kde = True, color = 'red')
sns.histplot(married2, kde = True, color = 'purple')
sns.histplot(married3,kde = True, color = 'Blue')
plt.legend(['n = 300','n= 3000', 'n = 30000'],loc = 'upper right')
plt.show()
plt.figure(figsize = (7,5))
plt.title('Unmarried Sample Distribution')
sns.histplot(unmarried1,kde = True, color = 'Purple')
sns.histplot(unmarried2, kde = True, color = 'pink')
sns.histplot(unmarried3,kde = True, color = 'black')
plt.legend(['n = 300','n= 3000', 'n = 30000'],loc = 'upper right')
plt.show()
```

Married Sample Distribution





- We are 95% confidence that average purchases of UnMarried is between 9209.019 and 9323.0
- We are 95% confidence that average purchases of Married is between 9204.404 and 9318.0
- width of the confidence interval is inverse proportion to the sample size.
- Shape of Sampling Distribution is proportionate to sample sizes. Good sample size provide better normal distribution
- Married & UnMarried sample distribution are overlapped with each other

```
[850]: #Age affect the amount spent
#sample size = 300 and Confidence interval as 95%

print((with '+str(300)+' samples').center(70,'*'),'',sep = '\n')
young_age1 = clt_interval_calculator(n = 300,df = data.loc[data.Age == '0-17'],replacer= '0-17 aged group')
print()
print((with '+str(300)+' samples').center(70,'*'),'',sep = '\n')
teenage_age1 = clt_interval_calculator(n = 300,df = data.loc[data.Age == '18-25'],replacer= '18-25 aged group')
print()
print((with '+str(300)+' samples').center(70,'*'),'',sep = '\n')
```

```

mature_adult1 = clt_interval_calculator(n = 300,df =data.loc[data.Age ==_
    ↵'26-35'],replacer= '26-35 aged group')
print()
print((('with '+str(300)+' samples').center(70,'*'),'',sep = '\n'))
middleaged_adult1 = clt_interval_calculator(n = 300,df =data.loc[data.Age ==_
    ↵'36-45'],replacer= '36-45 aged group')
print()
print((('with '+str(300)+' samples').center(70,'*'),'',sep = '\n'))
adult1 = clt_interval_calculator(n = 300,df =data.loc[data.Age ==_
    ↵'46-50'],replacer= '46-50 aged group')
print()
print((('with '+str(300)+' samples').center(70,'*'),'',sep = '\n'))
senior_citizens1 = clt_interval_calculator(n = 300,df =data.loc[data.Age ==_
    ↵'51-55'],replacer= '51-55 aged group')
print()
print((('with '+str(300)+' samples').center(70,'*'),'',sep = '\n'))
old_age1 = clt_interval_calculator(n = 300,df =data.loc[data.Age ==_
    ↵'55+'],replacer= '55+ aged group')

```

*****with 300 samples*****

Average of all 0-17 aged group samples : 8924.369
 Average of Population (0-17 aged group Purchase average) : 8933.465
 Standard Error of 0-17 aged group sampling Distribution : 295.09
 95% confidence that average purchases of 0-17 aged group is between 8355.098
 and 9512.0

*****with 300 samples*****

Average of all 18-25 aged group samples : 9163.586
 Average of Population (18-25 aged group Purchase average) : 9169.664
 Standard Error of 18-25 aged group sampling Distribution : 290.657
 95% confidence that average purchases of 18-25 aged group is between 8599.987
 and 9739.0

*****with 300 samples*****

Average of all 26-35 aged group samples : 9262.938
 Average of Population (26-35 aged group Purchase average) : 9252.691
 Standard Error of 26-35 aged group sampling Distribution : 289.283
 95% confidence that average purchases of 26-35 aged group is between 8685.707
 and 9820.0

*****with 300 samples*****

Average of all 36-45 aged group samples : 9326.178
Average of Population (36-45 aged group Purchase average) : 9331.351
Standard Error of 36-45 aged group sampling Distribution : 289.999
95% confidence that average purchases of 36-45 aged group is between 8762.964
and 9900.0

*****with 300 samples*****

Average of all 46-50 aged group samples : 9208.87
Average of Population (46-50 aged group Purchase average) : 9208.626
Standard Error of 46-50 aged group sampling Distribution : 286.782
95% confidence that average purchases of 46-50 aged group is between 8646.543
and 9771.0

*****with 300 samples*****

Average of all 51-55 aged group samples : 9536.384
Average of Population (51-55 aged group Purchase average) : 9534.808
Standard Error of 51-55 aged group sampling Distribution : 293.719
95% confidence that average purchases of 51-55 aged group is between 8959.129
and 10110.0

*****with 300 samples*****

Average of all 55+ aged group samples : 9335.185
Average of Population (55+ aged group Purchase average) : 9336.28
Standard Error of 55+ aged group sampling Distribution : 289.339
95% confidence that average purchases of 55+ aged group is between 8769.187 and
9903.0

```
[851]: #Age affect the amount spent
#sample size = 3000 and Confidence interval as 95%

print((with '+str(3000)+ samples').center(70,'*'),'',sep = '\n')
young_age2 = clt_interval_calculator(n = 3000,df = data.loc[data.Age == '0-17'],replacer= '0-17 aged group')
print()
print((with '+str(3000)+ samples').center(70,'*'),'',sep = '\n')
teenage_age2 = clt_interval_calculator(n = 3000,df = data.loc[data.Age == '18-25'],replacer= '18-25 aged group')
print()
print((with '+str(3000)+ samples').center(70,'*'),'',sep = '\n')
```

```

mature_adult2 = clt_interval_calculator(n = 3000,df =data.loc[data.Age == '26-35'],replacer= '26-35 aged group')
print()
print((('with '+str(3000)+ ' samples').center(70,'*'),'',sep = '\n'))
middleaged_adult2 = clt_interval_calculator(n = 3000,df =data.loc[data.Age == '36-45'],replacer= '36-45 aged group')
print()
print((('with '+str(3000)+ ' samples').center(70,'*'),'',sep = '\n'))
adult2 = clt_interval_calculator(n = 3000,df =data.loc[data.Age == '46-50'],replacer= '46-50 aged group')
print()
print((('with '+str(3000)+ ' samples').center(70,'*'),'',sep = '\n'))
senior_citizens2 = clt_interval_calculator(n = 3000,df =data.loc[data.Age == '51-55'],replacer= '51-55 aged group')
print()
print((('with '+str(3000)+ ' samples').center(70,'*'),'',sep = '\n'))
old_age2 = clt_interval_calculator(n = 3000,df =data.loc[data.Age == '55+'],replacer= '55+ aged group')

```

*****with 3000 samples*****

Average of all 0-17 aged group samples : 8931.613
 Average of Population (0-17 aged group Purchase average) : 8933.465
 Standard Error of 0-17 aged group sampling Distribution : 93.316
 95% confidence that average purchases of 0-17 aged group is between 8750.569
 and 9116.0

*****with 3000 samples*****

Average of all 18-25 aged group samples : 9170.204
 Average of Population (18-25 aged group Purchase average) : 9169.664
 Standard Error of 18-25 aged group sampling Distribution : 91.914
 95% confidence that average purchases of 18-25 aged group is between 8989.516
 and 9350.0

*****with 3000 samples*****

Average of all 26-35 aged group samples : 9250.118
 Average of Population (26-35 aged group Purchase average) : 9252.691
 Standard Error of 26-35 aged group sampling Distribution : 91.479
 95% confidence that average purchases of 26-35 aged group is between 9073.395
 and 9432.0

*****with 3000 samples*****

Average of all 36-45 aged group samples : 9335.707
Average of Population (36-45 aged group Purchase average) : 9331.351
Standard Error of 36-45 aged group sampling Distribution : 91.706
95% confidence that average purchases of 36-45 aged group is between 9151.611 and 9511.0

*****with 3000 samples*****

Average of all 46-50 aged group samples : 9209.46
Average of Population (46-50 aged group Purchase average) : 9208.626
Standard Error of 46-50 aged group sampling Distribution : 90.689
95% confidence that average purchases of 46-50 aged group is between 9030.879 and 9386.0

*****with 3000 samples*****

Average of all 51-55 aged group samples : 9533.926
Average of Population (51-55 aged group Purchase average) : 9534.808
Standard Error of 51-55 aged group sampling Distribution : 92.882
95% confidence that average purchases of 51-55 aged group is between 9352.762 and 9717.0

*****with 3000 samples*****

Average of all 55+ aged group samples : 9334.381
Average of Population (55+ aged group Purchase average) : 9336.28
Standard Error of 55+ aged group sampling Distribution : 91.497
95% confidence that average purchases of 55+ aged group is between 9156.95 and 9516.0

```
[852]: #Age affect the amount spent
#sample size = 30000 and Confidence interval as 95%
print((with '+str(30000)+' samples').center(70,'*'),'',sep = '\n')
young_age3 = clt_interval_calculator(n = 30000,df = data.loc[data.Age == '0-17'],replacer= '0-17 aged group')
print()
print((with '+str(30000)+' samples').center(70,'*'),'',sep = '\n')
teenage_age3 = clt_interval_calculator(n = 30000,df = data.loc[data.Age == '18-25'],replacer= '18-25 aged group')
print()
print((with '+str(30000)+' samples').center(70,'*'),'',sep = '\n')
```

```

mature_adult3 = clt_interval_calculator(n = 30000,df =data.loc[data.Age ==
    ↵'26-35'],replacer= '26-35 aged group')
print()
print((('with '+str(30000)+' samples').center(70,'*'),'',sep = '\n'))
middleaged_adult3 = clt_interval_calculator(n = 30000,df =data.loc[data.Age ==
    ↵'36-45'],replacer= '36-45 aged group')
print()
print((('with '+str(30000)+' samples').center(70,'*'),'',sep = '\n'))
adult3 = clt_interval_calculator(n = 30000,df =data.loc[data.Age ==
    ↵'46-50'],replacer= '46-50 aged group')
print()
print((('with '+str(30000)+' samples').center(70,'*'),'',sep = '\n'))
senior_citizens3 = clt_interval_calculator(n = 30000,df =data.loc[data.Age ==
    ↵'51-55'],replacer= '51-55 aged group')
print()
print((('with '+str(30000)+' samples').center(70,'*'),'',sep = '\n'))
old_age3 = clt_interval_calculator(n = 30000,df =data.loc[data.Age ==
    ↵'55+'],replacer= '55+ aged group')

```

*****with 30000 samples*****

Average of all 0-17 aged group samples : 8931.919
 Average of Population (0-17 aged group Purchase average) : 8933.465
 Standard Error of 0-17 aged group sampling Distribution : 29.509
 95% confidence that average purchases of 0-17 aged group is between 8875.628
 and 8991.0

*****with 30000 samples*****

Average of all 18-25 aged group samples : 9170.828
 Average of Population (18-25 aged group Purchase average) : 9169.664
 Standard Error of 18-25 aged group sampling Distribution : 29.066
 95% confidence that average purchases of 18-25 aged group is between 9112.696
 and 9227.0

*****with 30000 samples*****

Average of all 26-35 aged group samples : 9252.528
 Average of Population (26-35 aged group Purchase average) : 9252.691
 Standard Error of 26-35 aged group sampling Distribution : 28.928
 95% confidence that average purchases of 26-35 aged group is between 9195.992
 and 9309.0

*****with 30000 samples*****

```
Average of all 36-45 aged group samples : 9331.985
Average of Population (36-45 aged group Purchase average) : 9331.351
Standard Error of 36-45 aged group sampling Distribution : 29.0
95% confidence that average purchases of 36-45 aged group is between 9274.512
and 9388.0
```

*****with 30000 samples*****

```
Average of all 46-50 aged group samples : 9208.713
Average of Population (46-50 aged group Purchase average) : 9208.626
Standard Error of 46-50 aged group sampling Distribution : 28.678
95% confidence that average purchases of 46-50 aged group is between 9152.417
and 9265.0
```

*****with 30000 samples*****

```
Average of all 51-55 aged group samples : 9534.39
Average of Population (51-55 aged group Purchase average) : 9534.808
Standard Error of 51-55 aged group sampling Distribution : 29.372
95% confidence that average purchases of 51-55 aged group is between 9477.24
and 9592.0
```

*****with 30000 samples*****

```
Average of all 55+ aged group samples : 9337.007
Average of Population (55+ aged group Purchase average) : 9336.28
Standard Error of 55+ aged group sampling Distribution : 28.934
95% confidence that average purchases of 55+ aged group is between 9279.571 and
9393.0
```

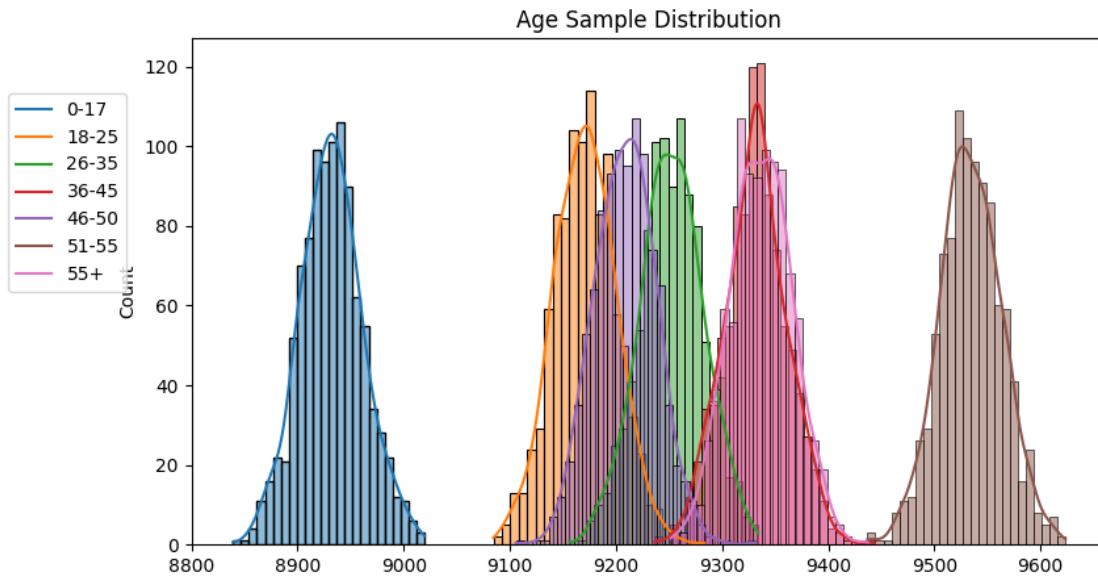
```
[853]: #filtering out the warnings
import warnings
warnings.filterwarnings("ignore")
```

```
[854]: #ploting the smaples distributions
plt.figure(figsize = (9,5))
plt.title('Age Sample Distribution')
sns.histplot(young_age3,kde = True, palette = 'plasma')
sns.histplot(teenage_age3, kde = True, palette = 'plasma')
sns.histplot(mature_adult3,kde = True, palette = 'plasma')
sns.histplot(middleaged_adult3,kde = True, palette = 'plasma')
sns.histplot(adult3,kde = True, palette = 'plasma')
```

```

sns.histplot(senior_citizens3,kde = True, palette = 'plasma')
sns.histplot(old_age3,kde = True, palette = 'plasma')
plt.legend(['0-17', '18-25','26-35','36-45', '46-50', '51-55', '55+'],loc = (-0.2,0.5))
plt.show()

```



- Age categories 18-25, 46-50, 26-35 are overlaped with each other.
- Age categories 36-45, 55+ are strongly over lapped with each other.
- Age categories 0-17 & 51-55 are not overlapped with any of the other categories.
- 95% confidence that average purchases of 0-17 aged group is between 8875.628 and 8991.0
- 95% confidence that average purchases of 18-25 aged group is between 9112.696 and 9227.0
- 95% confidence that average purchases of 26-35 aged group is between 9195.992 and 9309.0
- 95% confidence that average purchases of 36-45 aged group is between 9274.512 and 9388.0
- 95% confidence that average purchases of 46-50 aged group is between 9152.417 and 9265.0
- 95% confidence that average purchases of 51-55 aged group is between 9477.24 and 9592.0
- 95% confidence that average purchases of 55+ aged group is between 9279.571 and 9393.0

[855]: #Create Report

```

#ploting the samples distributions
plt.figure(figsize = (10,4))
plt.subplot(1,3,1)
plt.title('Sample Distribution(n = 300)')
sns.histplot(male1,kde = True, color = 'red')
sns.histplot(female1, kde = True, color = 'purple')
plt.legend(['males','females'],loc = 'upper right')

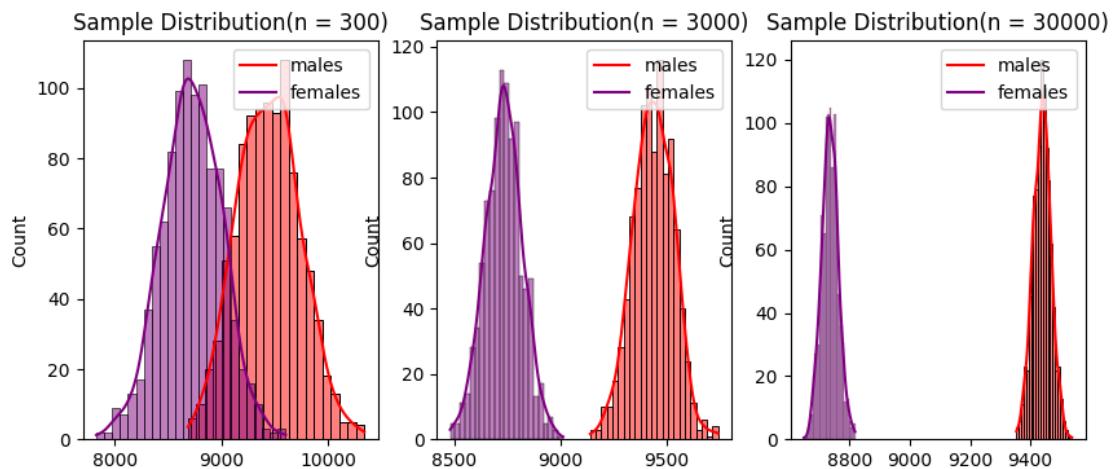
```

```

plt.subplot(1,3,2)
plt.title('Sample Distribution(n = 3000)')
sns.histplot(male2,kde = True, color = 'red')
sns.histplot(female2, kde = True, color = 'purple')
plt.legend(['males','females'],loc = 'upper right')

plt.subplot(1,3,3)
plt.title('Sample Distribution(n = 30000)')
sns.histplot(male3,kde = True, color = 'red')
sns.histplot(female3, kde = True, color = 'purple')
plt.legend(['males','females'],loc = 'upper right')
plt.show()

```



- Males and Females are not overlapped with each other for higher sample size.
- It indicates the lower sample size will have higher Standard Error comparing to higher sample size.

```
[856]: #ploting the samples distributions
plt.figure(figsize = (10,5))
plt.subplot(1,3,1)
plt.title('Sample Distribution(n = 300)')
sns.histplot(married1,kde = True, color = 'red')
sns.histplot(unmarried1, kde = True, color = 'yellow')
plt.legend(['married','unmarried'],loc = 'upper right')

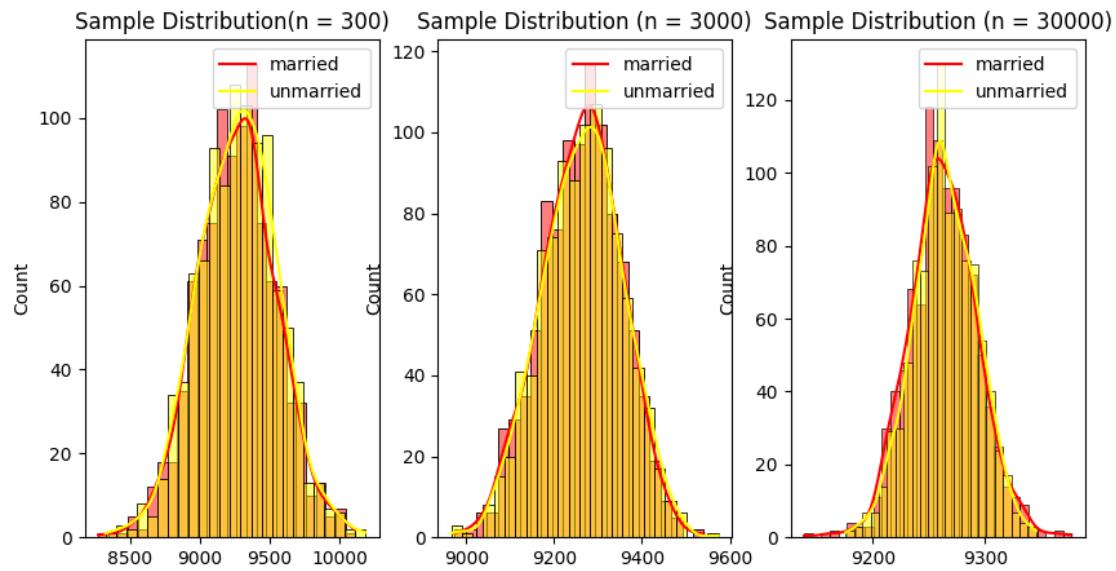
plt.subplot(1,3,2)
plt.title('Sample Distribution (n = 3000)')
sns.histplot(married2,kde = True, color = 'red')
sns.histplot(unmarried2, kde = True, color = 'yellow')
plt.legend(['married','unmarried'],loc = 'upper right')
```

```

plt.subplot(1,3,3)
plt.title('Sample Distribution (n = 30000)')
sns.histplot(married3,kde = True, color = 'red')
sns.histplot(unmarried3, kde = True, color = 'yellow')
plt.legend(['married','unmarried'],loc = 'upper right')

plt.show()

```

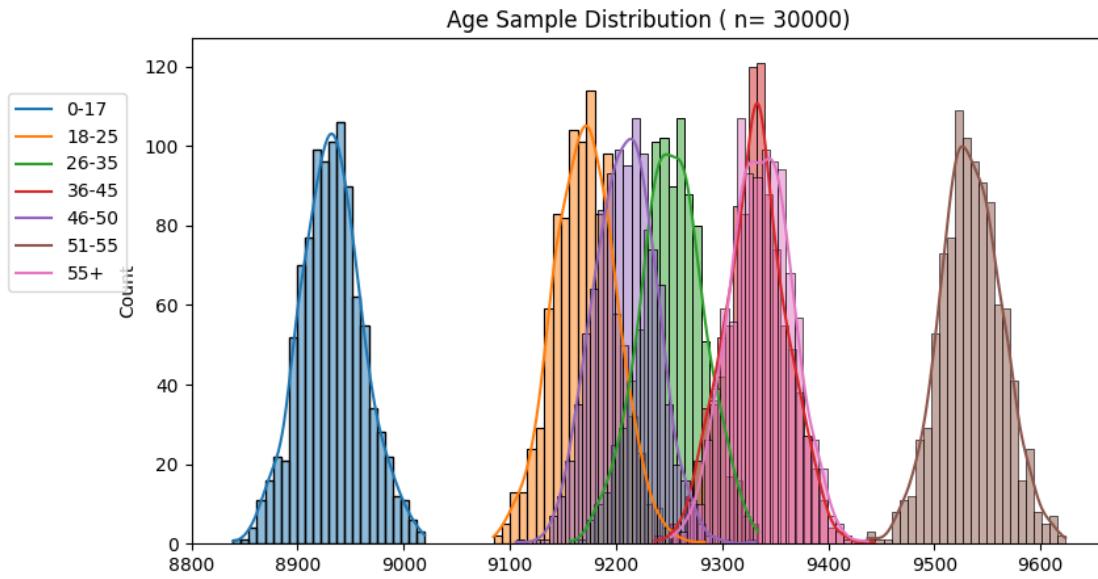


- Married and UnMarried sample distribution is overlapped with each other for higer sample size(even at lower smaple size of 300).
- It states that Marital Status is almost desent impact of average sales.

```

[857]: plt.figure(figsize = (9,5))
plt.title('Age Sample Distribution ( n= 30000 )')
sns.histplot(young_age3,kde = True,)
sns.histplot(teenage_age3, kde = True)
sns.histplot(mature_adult3,kde = True)
sns.histplot(middleaged_adult3,kde = True)
sns.histplot(adult3,kde = True)
sns.histplot(senior_citizens3,kde = True)
sns.histplot(old_age3,kde = True)
plt.legend(['0-17', '18-25','26-35','36-45', '46-50', '51-55', '55+'],loc = (-0.2,0.5))
plt.show()

```



- Age categories 18-25, 46-50, 26-35 are overlaped with each other.
- Age categories 36-45, 55+ are strongly over lapped with each other.
- Age categories 0-17 & 51-55 are not overlapped with any of the other categories.
- Age will impact the product purchases

#Insights:

- Purchases has more outliers. there are some products with hight purchase amounts. Especially females have more outlier purchases comeparing to males.
- Females has greater outliers still average Males spents are slightly higher than Females spents.
- Among all Products P00265242,P00110742, P00025442,P00112142 are most purchased items
- Product_category 5 with age groups [26-35,36-45,18-25], 8 [26-35],1 [26-35] are highest among others. It covers almost 50% sales.
- Males have high chance to buy the product categories like 1, 2, 5, 8, 11. and Females have high chance to buy the product categories like 1, 2, 3, 5, 8

Confidence Interval by Gender: * 95% confidence that average purchases of male is between 9379.904 and 9495.0

- 95% confidence that average purchases of female is between 8680.62 and 8789.0

Confidence interval by Marital Status:

- 95% confidence that average purchases of UnMarried is between 9209.019 and 9323.0
- 95% confidence that average purchases of Married is between 9204.404 and 9318.0

Confidence Interval by Aged :

- 95% confidence that average purchases of 0-17 aged group is between 8875.628 and 8991.0

- 95% confidence that average purchases of 18-25 aged group is between 9112.696 and 9227.0
- 95% confidence that average purchases of 26-35 aged group is between 9195.992 and 9309.0
- 95% confidence that average purchases of 36-45 aged group is between 9274.512 and 9388.0
- 95% confidence that average purchases of 46-50 aged group is between 9152.417 and 9265.0
- 95% confidence that average purchases of 51-55 aged group is between 9477.24 and 9592.0
- 95% confidence that average purchases of 55+ aged group is between 9279.571 and 9393.0

Recommendations:

- 1, 5 & 8 are fast selling products categories. So company can focus more on these Product Categories type and can recommend to users.
- Unmarried customers spend more money than married customers, So company should focus on acquisition of Unmarried customers.
- Males have high chances spends on products comparing to females. they can suggest variety of products to mens.
- 50 - 55, 55+ aged group has more average purchases. Company can expect and focus more on aged groups than younger for sales.

[857] :

[857] :