Given 2 sorted arrays A and B of size n each. Write an algorithm to find the median of the array obtained after merging the above 2 arrays(i.e. array of length 2n). The complexity should be O(log(n))

Input : $ar1[] = \{1, 12, 15, 26, 38\}$ $ar2[] = \{2, 13, 17, 30, 45\}$

Output: 16

Explanation: After merging two arrays, we get {1, 2, 12, 13, 15. 17, 26, 30, 38, 45} Middle two elements are 15 and 17 Average of middle elements is (15 + 17)/2 which is equal to 16

EXP NO:	MEDIAN FINDING
DATE :	

}

To find the median of two arrays after merging it.

```
PSEUDOCODE:
m1=median(arr1,n);
m2=median(arr2,n);
      if(m1 < m2)
      {
              if(n\%2 == 0)
                     return getmedian(arr1+(n/2-1),arr2,n-n/2+1);
              return getmedian(arr1+(n/2),arr2,n-n/2);
       }
      else
              if(n\%2 == 0)
                     return getmedian(arr1,arr2+(n/2-1),n-n/2+1);
              return getmedian(arr1,arr2+(n/2),n-n/2);
SOURCE CODE:
#include<stdio.h>
int median(int arr[],int n)
int middle=n/2;
      if(n\%2 == 0)
                     return (arr[middle]+arr[middle+1])/2;
      else
              return arr[middle];
int max(int val1,int val2)
if(val1>val2)
      return val1;
else
      return val2;
int min(int val1,int val2)
if(val1>val2)
      return val2;
else
      return val1;
```

```
int getmedian(int arr1[],int arr2[],int n)
      int m1,m2;
      if(n==1)
      return (arr1[0]+arr2[0])/2;
      if(n==2)
       return (max(arr1[0],arr2[0])+min(arr1[1],arr2[1]))/2;
       m1=median(arr1,n);
       m2=median(arr2,n);
      if(m1 < m2)
              if(n\%2 == 0)
                      return getmedian(arr1+(n/2-1),arr2,n-n/2+1);
              return getmedian(arr1+(n/2),arr2,n-n/2);
       }
      else
              if(n\%2 == 0)
       {
                      return getmedian(arr1,arr2+(n/2-1),n-n/2+1);
              return getmedian(arr1,arr2+(n/2),n-n/2);
       }
void main()
printf("Enter the number of values :");
int n,i;
scanf("%d",&n);
int arr1[n],arr2[n];
printf("Enter the elements for array1\n");
for(i=0;i<n;i++)
{
       scanf("%d",&arr1[i]);
printf("Enter the elements for array2\n");
for(i=0;i<n;i++)
      scanf("%d",&arr2[i]);
printf("The median is :%d\n",getmedian(arr1,arr2,n));
```

```
C:\Users\yuvaraj selvaraj\Desktop\median.exe
```

RESULT:

To perform heap sort for the given array using heapify function

Input:

Output:

EXP NO:	HEAD CODE
DATE :	HEAP SORT

To Find the sorted array using heap sort

PSEUDOCODE:

void heapify(int a[],int n) {

```
for (k=1;k< n;k++) {
item = a[k];
i = k;
j = (i-1)/2;
while((i>0)&&(item>a[j])) {
a[i] = a[j];
i = j;
j = (i-1)/2;
}
a[i] = item;
}}
SOURCE CODE:
#include<stdio.h>
void heapsort(int[],int);
void heapify(int[],int);
void adjust(int[],int);
main() {
int n,i,a[50];
printf("\nEnter the limit:");
scanf("%d",&n);
printf("\nEnter the elements:");
for (i=0;i<n;i++)
scanf("%d",&a[i]);
heapsort(a,n);
printf("\nThe Sorted Elements Are:\n");
for (i=0;i<n;i++)
printf("\t%d",a[i]);
printf("\n");
void heapsort(int a[],int n)
int i,t;
heapify(a,n);
for (i=n-1;i>0;i--) {
t = a[0];
```

```
a[0] = a[i];
a[i] = t;
adjust(a,i);
}}
void heapify(int a[],int n) {
int k,i,j,item;
for (k=1;k<n;k++) {
item = a[k];
i = k;
j = (i-1)/2;
while((i>0)&&(item>a[j])) {
a[i] = a[j];
i = j;
j = (i-1)/2;
a[i] = item;
}}
void adjust(int a[],int n) {
int i,j,item;
j = 0;
item = a[j];
i = 2*j+1;
while(i \le n-1) {
if(i+1 \le n-1)
if(a[i] < a[i+1])
i++;
if(item<a[i]) {
a[j] = a[i];
j = i;
i = 2*j+1;
}
else
break;
a[j] = item;
```

```
"C:\Users\yuvaraj selvaraj\Desktop\daa\heapsort.exe"

Enter the limit:5

Enter the elements:5

4

3

2

1

The Sorted Elements Are:

1 2 3 4 5

Process returned 10 (0xA) execution time: 10.820 s

Press any key to continue.
```

RESULT:

QUESTION:To multiply two large numbers using dvide and conquer strategy **Input:** 100 100 **Output:** 10000

EXP NO:

DATE:

MULTIPLICATION OF TWO LARGE INTEGERS

AIM:

To implement the program to find the product of two large integers.

```
PSEUDOCODE:
```

```
for (int i=n1-1; i>=0; i--)
     int carry = 0;
     int n1 = num1[i] - '0';
     i n2 = 0;
     for (int j=n2-1; j>=0; j--)
       int n2 = num2[j] - '0';
       int sum = n1*n2 + result[i_n1 + i_n2] + carry;
       carry = sum/10;
       result[i_n1 + i_n2] = sum \% 10;
       i_n2++;
     if (carry > 0)
       result[i_n1 + i_n2] += carry;
     i_n1++;
  int i = result.size() - 1;
  while (i \ge 0 \&\& result[i] == 0)
    i--;
  if (i == -1)
    return "0";
  string s = "";
  while (i \ge 0)
     s += std::to_string(result[i--]);
  return s;
SOURCE CODE:
#include<bits/stdc++.h>
using namespace std;
string multiply(string num1, string num2)
  int n1 = num1.size();
```

```
int n2 = num2.size();
  if (n1 == 0 || n2 == 0)
    return "0";
  vector<int> result(n1 + n2, 0);
  int i_n1 = 0;
  int i_n^2 = 0;
  for (int i=n1-1; i>=0; i--)
     int carry = 0;
     int n1 = num1[i] - '0';
     i_n2 = 0;
     for (int j=n2-1; j>=0; j--)
        int n2 = num2[j] - '0';
       int sum = n1*n2 + result[i_n1 + i_n2] + carry;
        carry = sum/10;
       result[i_n1 + i_n2] = sum \% 10;
        i_n2++;
     if (carry > 0)
        result[i_n1 + i_n2] += carry;
     i_n1++;
  int i = result.size() - 1;
  while (i \ge 0 \&\& result[i] == 0)
    i--;
  if (i == -1)
    return "0";
  string s = "";
  while (i \ge 0)
     s += std::to_string(result[i--]);
  return s;
int main()
  string str1;
  string str2;
```

}

```
cin>>str1;
cin>>str2;
cout << multiply(str1, str2);
return 0;
}</pre>
```

```
"C:\Users\yuvaraj selvaraj\Desktop\daa\mul 2large.exe"

90
900
Process returned 0 (0x0) execution time: 7.441 s
Press any key to continue.
```

RESULT:

Given a cost matrix cost[][] and a position (m, n) in cost[][], write a function that returns cost of minimum cost path to reach (m, n) from (0, 0). Each cell of the matrix represents a cost to traverse through that cell.

Total cost of a path to reach (m, n) is sum of all the costs on that path (including both source and destination).

You can only traverse down, right and diagonally lower cells from a given cell, i.e., from a given cell (i, j), cells (i+1, j), (i, j+1) and (i+1, j+1) can be traversed.

You may assume that all costs are positive integers.

Input:

1	2	3
4	8	2
1	5	3

(2,2)

Output:

The output is an integer indicating the sum of the shortest path.

Ans:8

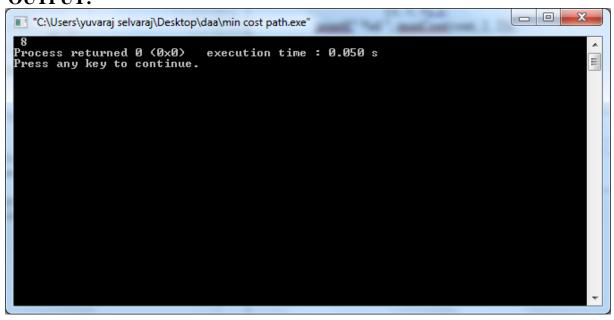
EXP NO:	MATRIX MIN COST
DATE :	

To find the shortest path to go to a position in a given matrix

PSEUDOCODE:

```
for (i = 1; i \le m; i++)
     tc[i][0] = tc[i-1][0] + cost[i][0];
   for (j = 1; j \le n; j++)
     tc[0][j] = tc[0][j-1] + cost[0][j];
   for (i = 1; i \le m; i++)
     for (j = 1; j \le n; j++)
        tc[i][j] = min(tc[i-1][j-1],
                  tc[i-1][j],
                  tc[i][j-1]) + cost[i][j];
   return tc[m][n];
SOURCE CODE:
#include<stdio.h>
#includeimits.h>
#define R 3
#define C 3
int min(int x, int y, int z);
int minCost(int cost[R][C], int m, int n)
   int i, j;
   int tc[R][C];
   tc[0][0] = cost[0][0];
   for (i = 1; i \le m; i++)
     tc[i][0] = tc[i-1][0] + cost[i][0];
   for (j = 1; j \le n; j++)
     tc[0][j] = tc[0][j-1] + cost[0][j];
   for (i = 1; i \le m; i++)
```

```
for (j = 1; j \le n; j++)
        tc[i][j] = min(tc[i-1][j-1],
                  tc[i-1][j],
                  tc[i][j-1]) + cost[i][j];
   return tc[m][n];
int min(int x, int y, int z)
  if (x < y)
    return (x < z)? x : z;
  else
    return (y < z)? y : z;
int main()
 int cost[R][C] = \{ \{1, 2, 3\}, \}
               {4, 8, 2},
               {1, 5, 3};
  printf(" %d ", minCost(cost, 2, 2));
  return 0;
```



RESULT:

given two integer arrays val[0..n-1] and wt[0..n-1] which represent values and weights associated with n items respectively. Also given an integer W which represents knapsack capacity, find out the maximum value subset of val[] such that sum of the weights of this subset is smaller than or equal to W. You cannot break an item, either pick the complete item, or don't pick it

EXP NO:	0-1 KNAPSACK PROBLEM
DATE :	

To find the max profit either by taking the cost or dropping

```
\begin{aligned} & \textbf{PSEUDOCODE:} \\ & \text{for}(i=1;\,i <= n;\,i++) \\ & \{ \\ & \text{for}(j=1;\,j <= \text{Capacity};\,j++) \\ & \{ \\ & \text{if}((j-\text{Weight}[i]) < 0) \\ & \text{Knapsack01}[i][j] = \text{Knapsack01}[i-1][j]; \\ & \text{else} \\ & \text{Knapsack01}[i][j] = \text{Max}(\text{Knapsack01}[i-1][j],\,\text{Profit}[i] + \\ & \text{Knapsack01}[i-1][j-\text{Weight}[i]]); \\ & \} \\ & \text{for}(i=0;\,i <= n;\,i++) \\ & \{ \\ & \text{for}(j=0;\,j <= \text{Capacity};\,j++) \\ & \text{printf}("\d",\,\text{Knapsack01}[i][j]); \\ & \text{printf}("\n"); \\ & \} \\ & \text{return Knapsack01}[n][\text{Capacity}]; \end{aligned}
```

SOURCE CODE:

```
#include<stdio.h>
int Knapsack_01(int Item[], int Profit[], int Weight[], int Capacity, int n);
void main()
int n, i;
printf("Enter the value of n : ");
scanf("%d", &n);
int Item[n], Profit[n], Weight[n], Capacity;
printf("Enter %d items Profit and Weight:\n", n);
for(i=1; i \le n; i++)
Item[i] = i;
printf("Enter item %d Profit and Weight: ", Item[i]);
scanf("%d %d", &Profit[i], &Weight[i]);
printf("Enter the Knapsack Capacity : ");
scanf("%d", &Capacity);
printf("Maximum Profit attained with Knapsack of capacity %d with %d Items is %d\n",
Capacity, n, Knapsack_01(Item, Profit, Weight, Capacity, n));
```

```
int Knapsack_01(int Item[], int Profit[], int Weight[], int Capacity, int n)
int Knapsack01[n + 1][Capacity + 1], i, j;
for(i = 0; i \le n; i++)
Knapsack01[i][0] = 0;
for(j = 0; j \le Capacity; j++)
Knapsack01[0][j] = 0;
for(i = 1; i \le n; i++)
for(j = 1; j \le Capacity; j++)
if((j - Weight[i]) < 0)
Knapsack01[i][j] = Knapsack01[i-1][j];
Knapsack01[i][j] = Max(Knapsack01[i-1][j], Profit[i] +
Knapsack01[i-1][j-Weight[i]]);
for(i = 0; i \le n; i++)
for(j = 0; j \le Capacity; j++)
printf("%d ", Knapsack01[i][j]);
printf("\n");
return Knapsack01[n][Capacity];
int Max(int a, int b)
return (a>b) ? a : b;
```

RESULT:

Given weights and values of n items, we need put these items in a knapsack of capacity W to get the maximum total value in the knapsack.

In the 0-1 Knapsack problem, we are not allowed to break items. We either take the whole item or don't take it.

Input:

```
Items as (value, weight) pairs arr[] = \{\{60, 10\}, \{100, 20\}, \{120, 30\}\}\ Knapsack Capacity, W = 50;
```

Output:

```
Maximum possible value = 220 by taking items of weight 20 and 30
```

EXP NO:	FRACTIONAL KNAPSACK
DATE :	

To find the max profit using fractional knapsack

PSEUDOCODE:

```
while(rc){
if(w[i]<=rc){
    x[i]=1;
    profit+=p[i]*x[i];
    rc-=w[i];
}
else{
    x[i]=(float)rc/(float)w[i];
    profit+=p[i]*x[i];
    rc=0;
}
i++;
}</pre>
```

SOURCE CODE:

```
#include<stdio.h>
void main(){
int i,j,n;
int max;
int rc;
printf("Enter the maximun capacity : ");
scanf("%d",&max);
printf("Enter number of Items : ");
scanf("%d",&n);
float x[n];
int w[n];
int p[n];
float ratio[n];
float profit=0;
printf("*** Enter profit and weight ***\n");
for(i=0;i< n;i++){
x[i]=0;
printf("Item: %d\n",i+1);
scanf("%d %d",&p[i],&w[i]);
ratio[i]=(float)p[i]/(float)w[i];
```

```
for(i=0;i<n;i++){
for(j{=}0;j{<}n;j{+}{+})\{
 if(ratio[i]>ratio[j]){
 int temp1=w[i];
  w[i]=w[j];
 w[j]=temp1;
 int temp2=p[i];
  p[i]=p[j];
  p[j]=temp2;
  float temp3=ratio[i];
  ratio[i]=ratio[j];
  ratio[j]=temp3;
 }
rc=max;
i=0;
while(rc){
if(w[i] <= rc){
 x[i]=1;
 profit+=p[i]*x[i];
 rc=w[i];
else{
 x[i]=(float)rc/(float)w[i];
 profit+=p[i]*x[i];
 rc=0;
i++;
printf("Profit : %.2f\n",profit);
```

```
"C:\Users\yuvaraj selvaraj\Desktop\daa\knapsack.exe"

Enter the maximun capacity: 50
Enter number of Items: 3
*** Enter profit and weight ***
Item: 1
60
Item: 2
100
20
Item: 3
120
30
Profit: 240.00

Process returned 16 (0x10) execution time: 62.884 s
Press any key to continue.
```

RESULT:

