

PRACTICALS-R

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PRACTICAL 1

#-----PRACTICAL NO. 1-----#

Obtain the following result for the given dataset.

0,0,1,1,1,1,2,2,2,2,3,3,3,3,3,4,4,4,4,5,5,5,5,5,5,5,6,6,6,6,6,6,6,7,7,7,

8,8,8,8,8,8,9,9,9,9,9,10,10,10,10,10,10,11,11,11,12,12,12,12,12,12,12,

13,13,13,13,13,14,14,14,14,14,14,14,14,15,15,15,16,16,16,16,16,16,16,17,17,

17,19,19,19,19,19

#

#(a) Mean,Median,Mode

#(b) Variance

#(c) Absolute deviation about mean and Median

#(d) Skewness and Kurtosis

#-----SOLUTION-----#

Putting the data in a vector

```
x<-c(0,0,1,1,1,1,2,2,2,2,3,3,3,3,3,4,4,4,4,5,5,5,5,5,5,5,6,6,6,6,6,6,6,7,7,7,
      8,8,8,8,8,8,9,9,9,9,9,10,10,10,10,10,10,11,11,11,12,12,12,12,12,12,12,
      13,13,13,13,13,14,14,14,14,14,14,14,14,15,15,15,16,16,16,16,16,16,16,17,17,
      17,19,19,19,19,19)
```

#-----Basic function to run the program smoothly -----#

Basic function for length

```
r.length<-function(x)
```

```
{
```

```
  length<-0;
```

```
  for(i in x)
```

```
  {
```

```
    length<-length+1
```

```
  }
```

```
  as.numeric(length)
```

```
}
```

Basic function for Sum

```
r.sum<-function(x)
```

```
{
```

```
  kum<-0;
```

```
  for(i in x)
```

```
  {
```

```
    kum=kum+i
```

```
  }
```

```
  as.numeric(kum)
```

```
}
```

Basic function for Unique

```
r.uni<-function(x)
```

```
{
```

```
  uni<-NULL;
```

```
  while(r.length(x)!=0)
```

```

{
  key<-x[1]
  y<-key==x
  uni<-c(uni,key)
  z<-x[!y]
  x<-z
}
uni
}
#Basic function for sorting (Using Quick sort)
qs <- function(vec)
{

  if(r.length(vec) > 1)
  {

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])

    c(low, mid, high)

  }

  else vec

}
#Basic function for taking absolute
r.abs<-function(x)
{
  for(i in 1:r.length(x))
  {
    if(x[i]<0)
      x[i]<-(-x[i])
  }
  x
}
#-----Part(a)-----
#Creating Mean function
r.mean<-function(x)
{
  r.sum(x)/r.length(x)
}
#Creating Median Function
r.median<-function(x)
{
  qs(x)
}

```

```

if(r.length(x) %% 2==0)
  median<-(x[r.length(x)/2]+x[(r.length(x)/2)+1])/2
else
  median<-x[(r.length(x)+1)/2]
median
}
#Creating Mode Function
rahul.ka.mode.function<-function(x)
{
  d<-NULL;
  counter<-0;
  mode<-NULL;
  a<-NULL
  b<-NULL
  c<-NULL
  d<-NULL
  e<-NULL
  f<-NULL
  g<-NULL
  h<-NULL
  for(i in x)
  {
    a<-i==x
    b<-sum(a)
    d<-c(d,b)
  }
  for(i in d)
  {
    a<-i>=d
    if(r.sum(a)==r.length(d))
    {
      e<-i

    }
    else
    {

    }
  }
  for(i in d)
  {
    if(e==i)
    {
      counter<-counter+1
      f<-c(f,counter)
    }
    else
    {
      counter<-counter+1
    }
  }
}

```

```

    }
    for(i in 1:length(f))
    {
        g<-x[f[i]]
        h<-c(h,g)
    }

    mode<-r.uni(h)
    mode
}
#-----Part(b)-----#
#Creating Function for Variance
r.variance<-function(x)
{
    meantimes<-NULL
    for(i in r.length(x))
    {
        meantimes<-c(meantimes,r.mean(x))
    }
    (r.sum((x-meantimes)*(x-meantimes)))/r.length(x)
}
#-----Part(c)-----#
#Creating function for absolute deviation about mean

r.absdevmean<-function(x)
{
    meantimes<-NULL
    for(i in r.length(x))
    {
        meantimes<-c(meantimes,r.mean(x))
    }
    (r.sum(r.abs(x-meantimes)))/r.length(x)
}

#Creatin function for absolute deviation about median

r.absdevmedian<-function(x)
{
    mediantimes<-NULL
    for(i in r.length(x))
    {
        mediantimes<-c(mediantimes,r.median(x))
    }
    r.median(r.abs(x-mediantimes))
}
#-----Part(d)-----#

#Creating function for Skewness
r.skewness<-function(x)

```

```
{
  meantimes<-NULL
  for(i in r.length(x))
  {
    meantimes<-c(meantimes,r.mean(x))
  }
  (r.sum((x-meantimes)*(x-meantimes)*(x-
meantimes))/r.length(x))/r.variance(x)^(3/2)
}
```

#Creating functions for kurtosis

```
r.kurtosis<-function(x)
{
  meantimes<-NULL
  for(i in r.length(x))
  {
    meantimes<-c(meantimes,r.mean(x))
  }
  (r.sum((x-meantimes)^4)/r.length(x))/r.variance(x)^(2)
}
```

```
r.mean(x)
[1] 9.47
```

```
> rahu1.ka.mode.function(x)
[1] 5 6 12 14 16
```

```
> r.median(x)
[1] 9
```

```
> r.variance(x)
[1] 26.5291
```

```
> r.absdevmean(x)
[1] 4.4194
```

```
> r.absdevmedian(x)
[1] 0
```

```
> r.skewness(x)
[1] 0.03849586
```

```
> r.kurtosis(x)
[1] 1.970708
```

PRACTICAL 2

#-----PRACTICAL NO. 2-----

Evaluate the integral from 0 to 1 of the function $1/(1+x^2)$ w.r.t x by following

methods

#

#(a) Trapezoidal rule

#(b) Simpson's 1/3 rule

#(c) Simpson's 3/8 rule

#(d) Weddle's rule

#-----SOLUTION-----

#-----Basic function to run the program smoothly -----

#Basic function for length

r.length<-function(x)

{

length<-0;

for(i in x)

{

length<-length+1

}

as.numeric(length)

}

#Basic function for Sum

r.sum<-function(x)

{

kum<-0;

for(i in x)

```

{
  kum=kum+i
}
as.numeric(kum)
}

#Basic function for Unique
r.uni<-function(x)
{
  uni<-NULL;
  while(r.length(x)!=0)
  {
    key<-x[1]
    y<-key==x
    uni<-c(uni,key)
    z<-x[!y]
    x<-z
  }
  uni
}

#Basic function for sorting (Using Quick sort)
qs <- function(vec)
{

  if(r.length(vec) > 1)
  {

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])
  }
}

```



```
c(low, mid, high)
```

```
}
```

```
else vec
```

```
}
```

```
#Basic function for taking absolute
```

```
r.abs<-function(x)
```

```
{
```

```
  for(i in 1:r.length(x))
```

```
  {
```

```
    if(x[i]<0)
```

```
      x[i]<-(-x[i])
```

```
  }
```

```
  x
```

```
}
```

```
#-----FUNCTION-----#
```

```
#Creating function
```

```
f<-function(x)
```

```
{
```

```
  1/(1+x^3)
```

```
}
```

```
#-----Part(a)-----
```

```
#Creating function to approximate (trapezoidal)
```

```

r.trapezoidal<-function(f,start,end,n)
{
  distance<-(end-start)/n
  z<-f(seq(start,end,distance))
  (distance/2)*(z[1]+z[r.length(z)]+2*(r.sum(z[c(-1,-r.length(z))])))
}

```

#-----Part(b)-----

#Creating function to approximate (Simpsons 1/3)

```

r.simpsons_one_by_three <-function(f,start,end,n)
{
  distance<-(end-start)/n
  z<-f(seq(start,end,distance))
  res<-0
  for(i in 1:r.length(z))
  {
    if (i == 1 || i==r.length(z))
    {
      res <- res + z[i]
    }
    if(i%%2 ==0)
    {
      res<- res+4*z[i]
    }
    else
    {
      res<-res+2*z[i]
    }
  }
}

```

```

    }
    res*(distance/3)
  }
#-----Part(c)-----
#Creating function to approximate (Simpsons 3/8)

r.simpsons_three_by_eight <-function(f,start,end,n)
{
  distance<-(end-start)/n
  z<-f(seq(start,end,distance))
  res<-z[1]+z[r.length(z)]
  p<-z[c(-1,-r.length(z))]
  for(i in 1:r.length(p))
  {
    if(i%%3 ==0)
    {
      res<- res+2*p[i]
    }
    else
    {
      res<-res+3*z[i]
    }
  }

  res*((3*distance)/8)
}
#-----Part(d)-----
#Creating function to approximate (Weddle)

r.weddle <-function(f,start,end,n)
{

```

```

distance<-(end-start)/n
z<-f(seq(start,end,distance))
res<-0
for(i in 1:r.length(z))
{
  if(i ==1 || i==r.length(z))
  {
    res<- res+z[i]
  }
  if(i%%4==0)
  {
    res<-res+6*z[i]
  }
  if(i%%2==0 && i%%4 !=0)
  {
    res<-res+5*z[i]
  }
  else
  {
    res<-res+z[i]
  }

}
res*((3*distance)/10)
}

```

```

> r.trapezoidal(f,0,1,500)
[1] 0.8356486

```

```

> r.simpsons_one_by_three(f,0,1,1000)
[1] 0.8366488

```

```
> r.simpsons_three_by_eight(f,0,1,2000)
[1] 0.8358049
```

```
> r.weddle(f,0,1,25000)
[1] 0.8774553
```

PRACTICAL 3

#-----PRACTICAL NO. 3-----

Consider any non-singular square matrix A of $p \times p$ dimension where $p > 0$ and find the following

results

#

#(a) $A + A^T$: here T is denoting transpose

#(b) $A - A^T$: here T is denoting transpose

#(c) Determinant of A

#(d) Inverse and Adjoint of A

#-----SOLUTION-----

#-----Basic function to run the program smoothly -----

#Basic function for length

r.length<-function(x)

{

length<-0;

for(i in x)

{

length<-length+1

}

as.numeric(length)

}

#Basic function for Sum

r.sum<-function(x)

{

kum<-0;

for(i in x)

```

{
  kum=kum+i
}
as.numeric(kum)
}

#Basic function for Unique
r.uni<-function(x)
{
  uni<-NULL;
  while(r.length(x)!=0)
  {
    key<-x[1]
    y<-key==x
    uni<-c(uni,key)
    z<-x[!y]
    x<-z
  }
  uni
}

#Basic function for sorting (Using Quick sort)
qs <- function(vec)
{

  if(r.length(vec) > 1)
  {

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])
  }
}

```

```
c(low, mid, high)
```

```
}
```

```
else vec
```

```
}
```

```
#Basic function for taking absolute
```

```
r.abs<-function(x)
```

```
{
```

```
  for(i in 1:r.length(x))
```

```
  {
```

```
    if(x[i]<0)
```

```
      x[i]<-(-x[i])
```

```
  }
```

```
  x
```

```
}
```

```
#-----Part (a & b)-----
```

```
#Creating function to transpose
```

```
r.transpose<-function(matrix)
```

```
{
```

```
  for(i in 1:dim(matrix)[1])
```

```
  {
```

```
    for(j in i:dim(matrix)[2])
```

```
    {
```



```

    s<-matrix[i,j]
    matrix[i,j]<-matrix[j,i]
    matrix[j,i]<-s
  }
}
matrix
}

#-----Part (c)-----
#Creating function to determinant

r.determinant<-function(x)
{
  a<-dim(x);
  if(a[1] == 1 && a[2] == 1)
    return(x[1,1])
  if(a[1]==2 && a[2]==2)
    return(x[1,1]*x[2,2]-x[1,2]*x[2,1])
  else
  {
    det<-0
    for(i in 1:a[1])
    {
      det<-det+(-1)^(1+i)*x[1,i]*r.determinant(x[-1,-i])
    }
  }
  return(det)
}

#-----Part (d)-----
#Creating function to Adjoint

r.adjoint<-function(x)

```

```

{
  a<-dim(x);
  if(a[1] == 1 && a[2] == 1)
    return(x[1,1])
  if(a[1]==2 && a[2]==2)
  {
    t<-x[1,1]
    x[1,1]<-x[2,2]
    x[1,2]<--x[1,2]
    x[2,1]<--x[2,1]
    r.transpose(x)
  }
  else
  {
    b<-x
    for(i in 1:dim(b)[1])
    {
      for(j in 1:dim(b)[2])
      {
        x[i,j]<-((-1)^(i+j))*r.determinant(b[-i,-j])
      }
    }
    r.transpose(x)
  }
}

```

#Creating function for Inverse

```

r.inverse<-function(x)
{

```

```

if(r.determinant(x)==0)
{
  print("Non invertible function")
}
else
{
  r.adjoint(x)/r.determinant(x)
}
}

```

```

> A<-matrix(1:16,4,4)
> A
      [,1] [,2] [,3] [,4]
[1,]    1    5    9   13
[2,]    2    6   10   14
[3,]    3    7   11   15
[4,]    4    8   12   16

```

```

> A+r.transpose(A)
      [,1] [,2] [,3] [,4]
[1,]    2    7   12   17
[2,]    7   12   17   22
[3,]   12   17   22   27
[4,]   17   22   27   32

```

```

> A-r.transpose(A)
      [,1] [,2] [,3] [,4]
[1,]    0    3    6    9
[2,]   -3    0    3    6
[3,]   -6   -3    0    3
[4,]   -9   -6   -3    0

```

```

> r.determinant(A)
[1] 0

```

```

> r.adjoint(A)
      [,1] [,2] [,3] [,4]
[1,]    0    0    0    0
[2,]    0    0    0    0
[3,]    0    0    0    0
[4,]    0    0    0    0

```

```

> r.inverse(A)
[1] "Non invertible function"

```

PRACTICAL 4

```
#-----Practical no. 4-----#
```

```
#Find the root of  $x - \exp(-x) = 0$  using following methods
```

```
#
```

```
 #(a)Bisection
```

```
 #(b)Newton Raphson
```

```
 #(c)Regula Falsi
```

```
#
```

```
#-----SOLUTION-----#
```

```
#-----Basic function to run the program smoothly -----
```

```
#Basic function for length
```

```
r.length<-function(x)
```

```
{
```

```
  length<-0;
```

```
  for(i in x)
```

```
  {
```

```
    length<-length+1
```

```
  }
```

```
  as.numeric(length)
```

```
}
```

```
#Basic function for Sum
```

```
r.sum<-function(x)
```

```
{
```

```
  kum<-0;
```

```
  for(i in x)
```

```
  {
```

```
    kum=kum+i
```

```

}
as.numeric(kum)
}
#Basic function for Unique
r.uni<-function(x)
{
  uni<-NULL;
  while(r.length(x)!=0)
  {
    key<-x[1]
    y<-key==x
    uni<-c(uni,key)
    z<-x[!y]
    x<-z
  }
  uni
}
#Basic function for sorting (Using Quick sort)
qs <- function(vec)
{

  if(r.length(vec) > 1)
  {

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])

    c(low, mid, high)
  }
}

```

```
}
```

```
else vec
```

```
}
```

```
#Basic function for taking absolute
```

```
r.abs<-function(x)
```

```
{
```

```
  for(i in 1:r.length(x))
```

```
  {
```

```
    if(x[i]<0)
```

```
      x[i]<-(-x[i])
```

```
  }
```

```
  x
```

```
}
```

```
#-----Part(a)-----
```

```
#Creating function
```

```
y<-function(x)
```

```
{
```

```
  x-exp(-x);
```

```
}
```

```
#Creating function for bisection method
```

```
bisection<-function(y,m,n)
```

```
{
```

```
  if(y(m)*y(n)<0)
```

```
  {
```

```
    g<-(m+n)/2
```

```
    if(abs(y(g))>0.001 && y(g)>0)
```

```

{
  n<-g
  bisection(y,m,n)
}
else if(abs(y(g))>0.001 && y(g)<0)
{
  m<-g
  bisection(y,m,n)
}
else
{
  print(g)
}
}
else
{
  print("invalid input")
}
}

```

#-----Part(c)-----

#Creating function for regula falsi

```

f<-function(x)
{
  x-exp(-x);
}

```

regula<-function(f,m,n)

```

{
  if(f(m)*f(n)<0 )

```

```

{
  slope<-(f(m)-f(n))/(m-n)
  g<-m-(f(m)/slope)
  if(abs(f(g))>0.001 && f(g)>0)
  {
    n<-g
    regula(f,m,n)
  }
  else if(abs(f(g))>0.001 && f(g)<0)
  {
    m<-g
    bisection(f,m,n)
  }
  else
  {
    print(g)
  }
}
else
{
  print("invalid input")
}
}

```

```

> bisection(y,0,2)
[1] 0.5673828
> regula(y,0,2)
[1] 0.5673202

```


PRACTICAL 5

```
#-----Practical no. 5-----#

#Using the given bivariate data obtain the following result

#
#-----
-----

# X  12.4 14.3 14.5 14.9 16.1 16.9 16.5 15.4 22.4 19.4 15.5 16.7 17.3 18.4 19.2 17.4 17.0
17.9 18.8 20.3 19.5 19.7 21.2

#-----
-----

# Y  11.2 12.5 12.7 13.1 14.1 14.8 14.4 13.4 19.6 16.9 14.0 14.6 15.1 16.1 16.8 15.2 14.9
15.6 16.4 17.7 17.0 17.2 18.6

#-----
-----

#

#(a) Karl Pearson Correlation Coefficient

#(b) Spearman's Rank Correlation

#(c) Regression Line of X on Y

#(d) Regression Line of Y on X

#(e) Scatterplot of X and Y and also draw the regression lines on same plot

#-----SOLUTION-----

#Putting the value of X any Y in vector x and y respectively

x<-
c(12.4,14.3,14.5,14.9,16.1,16.9,16.5,15.4,22.4,19.4,15.5,16.7,17.3,18.4,19.2,17.4,17.0,17.9,18.8,20.3
,19.5,19.7,21.2)

y<-
c(11.2,12.5,12.7,13.1,14.1,14.8,14.4,13.4,19.6,16.9,14.0,14.6,15.1,16.1,16.8,15.2,14.9,15.6,16.4,17.7
,17.0,17.2,18.6)

#-----Basic function to run the program smoothly -----
```

#Basic function for length

```
r.length<-function(x)
```

```
{
```

```
  length<-0;
```

```
  for(i in x)
```

```
  {
```

```
    length<-length+1
```

```
  }
```

```
  as.numeric(length)
```

```
}
```

#Basic function for Sum

```
r.sum<-function(x)
```

```
{
```

```
  kum<-0;
```

```
  for(i in x)
```

```
  {
```

```
    kum=kum+i
```

```
  }
```

```
  as.numeric(kum)
```

```
}
```

#Basic function for Unique

```
r.uni<-function(x)
```

```
{
```

```
  uni<-NULL;
```

```
  while(r.length(x)!=0)
```

```
  {
```

```
    key<-x[1]
```

```
    y<-key==x
```

```
    uni<-c(uni,key)
```

```
    z<-x[!y]
```

```
    x<-z
```

```

    }
    uni
  }
#Basic function for sorting (Using Quick sort)
qs <- function(vec)
{

  if(r.length(vec) > 1)
  {

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])

    c(low, mid, high)

  }

  else vec

}

#Basic function for taking absolute
r.abs<-function(x)
{
  for(i in 1:r.length(x))
  {
    if(x[i]<0)
      x[i]<-(-x[i])
  }
}

```

```
x
```

```
}
```

```
#Creating Mean function
```

```
r.mean<-function(x)
```

```
{
```

```
  r.sum(x)/r.length(x)
```

```
}
```

```
#-----Part(a)-----
```

```
#Calculating function to calculate Covariance
```

```
r.covariance<-function(x,y)
```

```
{
```

```
  (r.sum((x-r.mean(x))*(y-r.mean(y))))/r.length(x)
```

```
}
```

```
#Calculating function to calculate Standard deviation
```

```
r.sd<-function(x)
```

```
{
```

```
  ((r.sum((x-r.mean(x))^2))/r.length(x))^(0.5)
```

```
}
```

```
#Calculating function to calculate Karl pearson correlation coefficient
```

```
r.kpcc<-function(x,y)
```

```
{
```

```
  r.covariance(x,y)/(r.sd(x)*r.sd(y))
```

```
}
```

```
#-----Part(b)-----
```

```
#Creating function to Rank
```

```
r.rank<-function(x)
```

```
{
```

```
  i<-1
```

```
  while(i<=length(x))
```

```
{
```

```

t<-qs(x)
for(j in 1:r.length(x))
{
  x[j]<-r.mean((r.sum(t<x[j]))+(1:r.sum(t==x[j])))
}
i<-i+1
}
x
}

```

#Creating function to calculate Spearman's Rank correlation coefficient

```

r.rc<-function(x,y)
{

  l<-r.length(x)
  d<-r.sum((r.rank(x)-r.rank(y))^2)

  1-((6*d)/(l*(l^2-1)))

}

```

```

> x
[1] 12.4 14.3 14.5 14.9 16.1 16.9 16.5 15.4 22.4 19.4 15.5 16.7 17.3 18.4
[19] 18.8 20.3 19.5 19.7 21.2
> y
[1] 11.2 12.5 12.7 13.1 14.1 14.8 14.4 13.4 19.6 16.9 14.0 14.6 15.1 16.1
[19] 16.4 17.7 17.0 17.2 18.6
> r.covariance(x,y)
[1] 4.743913
> r.sd(x)
[1] 2.360842
> r.sd(y)
[1] 2.012353
> r.kpcc(x,y)
[1] 0.9985405

```

```

> r.rank(x)
[1] 1 2 3 4 7 10 8 5 23 18 6 9 12 15 17 13 11 14 16 21 19 20 22
> r.rank(y)
[1] 1 2 3 4 7 10 8 5 23 18 6 9 12 15 17 13 11 14 16 21 19 20 22

```

```
> r.rc(x,y)
[1] 1
```

```
> lm(x ~ y)
```

```
Call:
lm(formula = x ~ y)
```

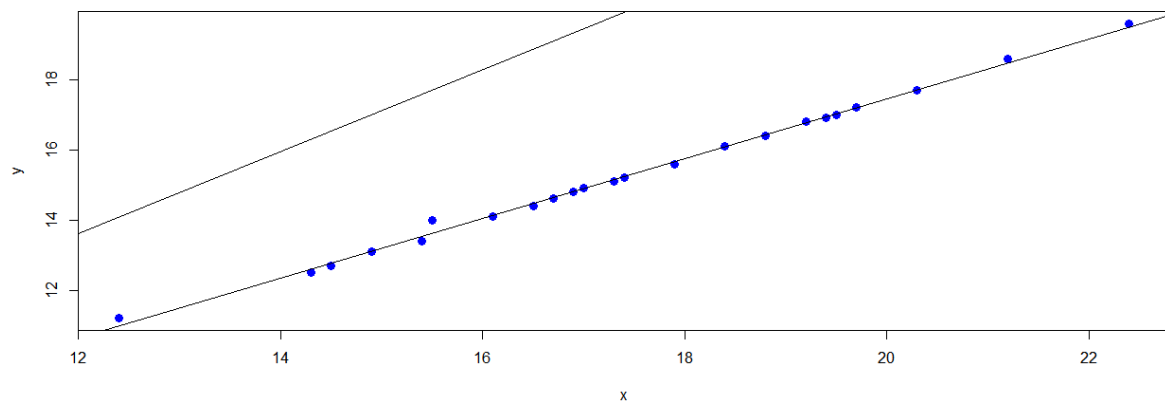
```
Coefficients:
(Intercept)          y
   -0.4582         1.1715
```

```
> lm(y ~ x)
```

```
Call:
lm(formula = y ~ x)
```

```
Coefficients:
(Intercept)          x
   0.4346         0.8511
```

```
> plot(x, y, pch = 16, cex = 1.3, col = "blue")
> abline(lm(y ~ x))
> abline(lm(x ~ y))
```



PRACTICAL 6

#-----Practical 6 -----#

#Sort the following numbers using the given algorithm

##(a) Bubble Sort algorithm

##(b) Insertion Sort

##(c) Recursive Sort

#

5.637,4.942,4.861,3.469,5.009,7.702,5.473,3.613,3.444,4.509,5.171,3.680,2.365

-4.959,5.030,4.815,4.564,4.224,4.426,4.471

#-----SOLUTION-----

#Putting the value in x

```
x<-c(5.637,4.942,4.861,3.469,5.009,7.702,5.473,3.613,  
      3.444,4.509,5.171,3.680,2.365,-4.959,5.030,4.815,  
      4.564,4.224,4.426,4.471)
```

#-----Bubble Sort -----#

```
r.bs <- function(x)
```

```
{
```

```
  n <- length(x) # better insert this line inside the sorting function
```

```
  for (k in n:2) # every iteration of the outer loop bubbles the maximum element  
    # of the array to the end
```

```
  {
```

```
    i <- 1
```

```
    while (i < k)    # i is the index for nested loop, no need to do i < n
```

```
      # because passing j iterations of the for loop already
```

```
      # places j maximum elements to the last j positions
```

```
    {
```

```

    if (x[i] > x[i+1]) # if the element is greater than the next one we change them
    {
        temp <- x[i+1]
        x[i+1] <- x[i]
        x[i] <- temp
    }
    i <- i+1      # moving to the next element
}
}
x      # returning sorted x (the last evaluated value inside the body
# of the function is returned), we can also write return(x)
}

```

#-----Insertion Sort-----#

```

insertionsort_function <- function(A){
  for (j in 2:length(A)) {
    key = A[j]
    # insert A[j] into sorted sequence A[1,...,j-1]
    i = j - 1
    while (i > 0 && A[i] > key) {
      A[(i + 1)] = A[i]
      i = i - 1
    }
    A[(i + 1)] = key
  }
  A
}

```

#-----Quick sort using Recursion -----#

```

qs <- function(vec)
{

```



```

if(r.length(vec) > 1)
{

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])

    c(low, mid, high)

}

else vec

}

```

```

> x
[1] 5.637 4.942 4.861 3.469 5.009 7.702 5.473 3.613 3.444 4.509
[11] 5.171 3.680 2.365 -4.959 5.030 4.815 4.564 4.224 4.426 4.471
> r.bs(x)
[1] -4.959 2.365 3.444 3.469 3.613 3.680 4.224 4.426 4.471 4.509
[11] 4.564 4.815 4.861 4.942 5.009 5.030 5.171 5.473 5.637 7.702
> insertionsort_function(x)
[1] -4.959 2.365 3.444 3.469 3.613 3.680 4.224 4.426 4.471 4.509
[11] 4.564 4.815 4.861 4.942 5.009 5.030 5.171 5.473 5.637 7.702
> qs(x)
[1] -4.959 2.365 3.444 3.469 3.613 3.680 4.224 4.426 4.471 4.509
[11] 4.564 4.815 4.861 4.942 5.009 5.030 5.171 5.473 5.637 7.702

```

PRACTICAL 7

```
#-----Practical 7 -----#
```

```
#Obtain the MLE for the location parameter of cauchy distribution. Use the following
```

```
#to get your result
```

```
##(a) Newton Ralphson Method
```

```
##(b) Method of scoring
```

```
#
```

```
#
```

```
# 5.637941,4.942002,4.861254,3.469588,5.009333,
```

```
#7.702125,5.473228,3.613141,3.444167,4.509174,
```

```
#5.171716,3.680117,2.365371
```

```
# -4.959420,5.030187,4.815630,4.564628,4.224900,4.426912,4.471680
```

```
#-----SOLUTION-----
```

```
#Putting the value in x
```

```
x<-c(5.637941,4.942002,4.861254,3.469588,5.009333,
```

```
7.702125,5.473228,3.613141,3.444167,4.509174,
```

```
5.171716,3.680117,2.365371,-4.959420,5.030187,
```

```
4.815630,4.564628,4.224900,4.426912,4.471680)
```

```
int_theta = median ( x )# consistent estimator of theta
```

```
calculate = function (a, samp )
```

```
{
```

```
  new_a=0
```

```
  sum =0
```

```
  for (i in 1: length ( samp ))
```

```

sum = sum +((( samp [i]-a)/ (1+( samp [i]-a) ^2) )*(2/ 15) )

new_a=a +(2 * sum )

return ( new_a)

}

i=0

b=0

new_theta = int_theta

while ( round (b ,2) != round ( new_theta ,2) )

{

i=i+1

b= calculate ( int_theta , x )

cat (" Value of theta in iteration ",i," is : ",round (b ,4) ,"\\n")

if(b== int_theta )

break

else

{

new_theta = int_theta

int_theta =b

}

}

```

```

value of theta in iteration 1 is : 4.0749
value of theta in iteration 2 is : 5.019
value of theta in iteration 3 is : 4.0749
value of theta in iteration 4 is : 5.019
value of theta in iteration 5 is : 4.0749
value of theta in iteration 6 is : 5.019
value of theta in iteration 7 is : 4.0749

```

PRACTICAL 9

#-----Practical no. 9-----#

#Fit Binomial distribution for following data also check goodness of fit using

#chi square goodness of fit test

#

X | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8

F | 5 | 9 | 22 | 29 | 36 | 25 | 10 | 3 | 1

#

#-----SOLUTION-----#

#-----Basic function to run the program smoothly -----

#Basic function for length

r.length<-function(x)

{

length<-0;

for(i in x)

{

length<-length+1

}

as.numeric(length)

}

#Basic function for Sum

r.sum<-function(x)

{

kum<-0;

for(i in x)

{

```

    kum=kum+i
  }
  as.numeric(kum)
}

#Basic function for Unique
r.uni<-function(x)
{
  uni<-NULL;
  while(r.length(x)!=0)
  {
    key<-x[1]
    y<-key==x
    uni<-c(uni,key)
    z<-x[!y]
    x<-z
  }
  uni
}

#Basic function for sorting (Using Quick sort)
qs <- function(vec)
{

  if(r.length(vec) > 1)
  {

    pivot <- vec[1]
    low <- qs(vec[vec < pivot])
    mid <- vec[vec == pivot]
    high <- qs(vec[vec > pivot])

    c(low, mid, high)
  }
}

```

```
}
```

```
else vec
```

```
}
```

```
#Basic function for taking absolute
```

```
r.abs<-function(x)
```

```
{
```

```
  for(i in 1:r.length(x))
```

```
  {
```

```
    if(x[i]<0)
```

```
      x[i]<-(-x[i])
```

```
  }
```

```
  x
```

```
}
```

```
#-----fitting Poisson distribution-----#
```

```
binomial <- function(x, p) {
```

```
  n<-x[r.length(x)]
```

```
  r<-r.length(x)-1
```

```
  probfn <- factorial(n)/(factorial(0:r)*factorial(n-(0:r)))*p^(0:r)*(1-p)^(n-0:r)
```

```
  return(probfn)
```

```
}
```

```
X<-c ( 0 , 1 , 2 , 3 , 4 , 5 , 6 , 7 , 8)
```

```
F <-c ( 5 , 9 , 22, 29, 36, 25, 10, 3 , 1)
```

```
mean<- r.sum(X*F)/r.sum(F)
```

```
mean<-mean/x[r.length(x)]
```

```
expected_frequeency<-round(r.sum(F)*binomial(X,mean))
```

```
#----- Chi square goodness of fit-----#
```

```
chi_square<-r.sum(((F-expected_frequeency)^2)/expected_freuequency)
```

```
> expected_freuequency  
[1] 0 0 0 1 7 21 42 46 22  
> chi_square  
[1] Inf
```

PRACTICAL 10

```
#-----Practical no. 10-----#
```

#Fit Poisson distribution for following data also check goodness of fit using

#chi square goodness of fit test

#

X | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8

F | 162 | 193 | 115 | 83 | 44 | 24 | 19 | 8 | 2

#

#-----SOLUTION-----#

#-----Basic function to run the program smoothly -----

#Basic function for length

r.length<-function(x)

{

length<-0;

for(i in x)

{

length<-length+1

}

as.numeric(length)

}

#Basic function for Sum

r.sum<-function(x)

{

kum<-0;

for(i in x)

{

kum=kum+i

}

as.numeric(kum)

}


```
#Basic function for taking factorial
```

```
r.factorial<-function(x)
{
  if(x==0)
    return(1)
  return(x*r.factorial(x-1))
}
```

```
#-----fitting Poisson distribution-----#
```

```
poisson <- function(x, lambda) {
  probfn <- (exp(-lambda) * (lambda ^ x)) / factorial(x)
  return(probfn)
}
```

```
X<-c ( 0 , 1 , 2 , 3 , 4 , 5 , 6 , 7 , 8)
```

```
F <-c (162,193,115, 83, 44, 24, 19, 8 , 2)
```

```
mean<- r.sum(X*F)/r.sum(F)
```

```
expected_frequeency<-round(r.sum(F)*poisson(X,mean))
```

```
#----- Chi square goodness of fit-----#
```

```
chi_square<-r.sum(((F-expected_frequeency)^2)/expected_frequeency)
```

```
> expected_frequeency
[1] 110 196 174 103 46 16 5 1 0
> chi_square
[1] Inf
```

