

[fill=black] (2,1) circle [radius=0.1]; [fill=black] (5,1) circle [radius=0.1];
[fill=black] (8,1) circle [radius=0.1]; [fill=black] (6,3) circle [radius=0.1]; [fill=black]
(2,3) circle [radius=0.1]; [fill=black] (5,3) circle [radius=0.1]; [fill=white] (8,3)
circle [radius=0.1]; [fill=white] (2,5) circle [radius=0.1]; [fill=white] (5,5) circle
[radius=0.1];

[thick] (2, 1) – (5, 1); [thick] (5, 1) – (8, 1); [thick] (6, 3) – (8, 1); [thick] (5,
3) – (8, 1); [thick] (5, 3) – (6, 3); [thick] (2, 5) – (5, 3); [thick] (2, 5) – (5, 1);

[dotted] (5,5) – (8,1); [dotted] (5,5) – (2,1); [dotted] (2,5) – (2,1); [dotted]
(2,5) – (8,1); [dotted] (5,3) – (5,1); [dotted] (6,3) – (8,1); [dotted] (6,3) – (5,3);
[dotted] (5,3) – (2,3); [dotted] (2,3) – (2,1); [dotted] (2,3) – (6,3); [dotted] (2,5)
– (6,3);

at (2, -0.5) c_2 ; at (5, -0.5) c_2 ; at (8, -0.5) c_3 ; at (6.7, 3.5) c_4 ; at (5.2, 5.5) β_4 ;
at (-1, 3) β_1 ; at (2.6, 2) α_4 ; at (4.5, 4) α_2 ; at (7.4, 1) α_3 ; at (4.5, 2) β_2 ; at (6.4,
2) β_3 ;

Remaining vertices of the six hyperedges in which Breaker has not yet
played in Case 1 of Theorem ???. These hyperedges are $\{\alpha_3, \beta_2\}$, $\{c_2, \alpha_2, \beta_2\}$,
 $\{c_2, \alpha_4, \beta_1\}$, $\{c_3, \alpha_3, \beta_3\}$, $\{c_4, \alpha_2, \beta_3\}$, and $\{c_4, \alpha_4, \beta_4\}$.