

Machine Learning Algorithms

Common ML Algorithms

Linear Regression

Logistic Regression

Support Vector Machine

Decision Tree

K-Nearest Neighbor

Neural Network

$$\hat{f}(X)$$

The Prediction

$$\hat{y} = \hat{f}(X)$$

output input

Regression

continuous

$$\hat{y} = 66.5$$

Classification

probability

$$\hat{y} = .85$$

Classification

prediction

$$\hat{y} = 1$$

Classification

prediction

$$\hat{y} = 0$$

Linear Regression

equation of a line

$$y = mx + b$$

equation of a line

$$y = mx + b$$

linear regression

$$y = \beta_0 + \beta_1 x$$

Simple Linear Regression

Input

x_1

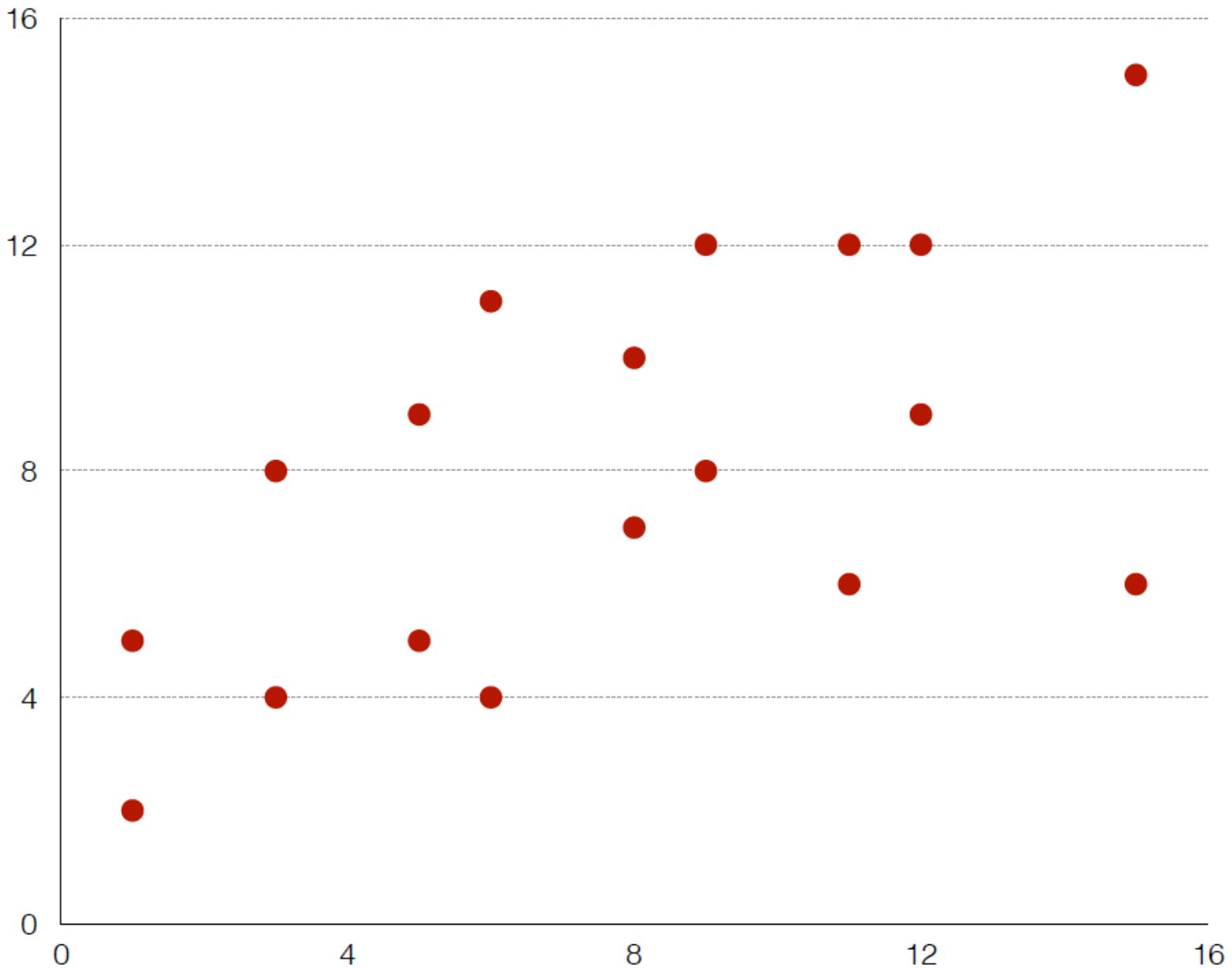
learned coefficients
(weights)

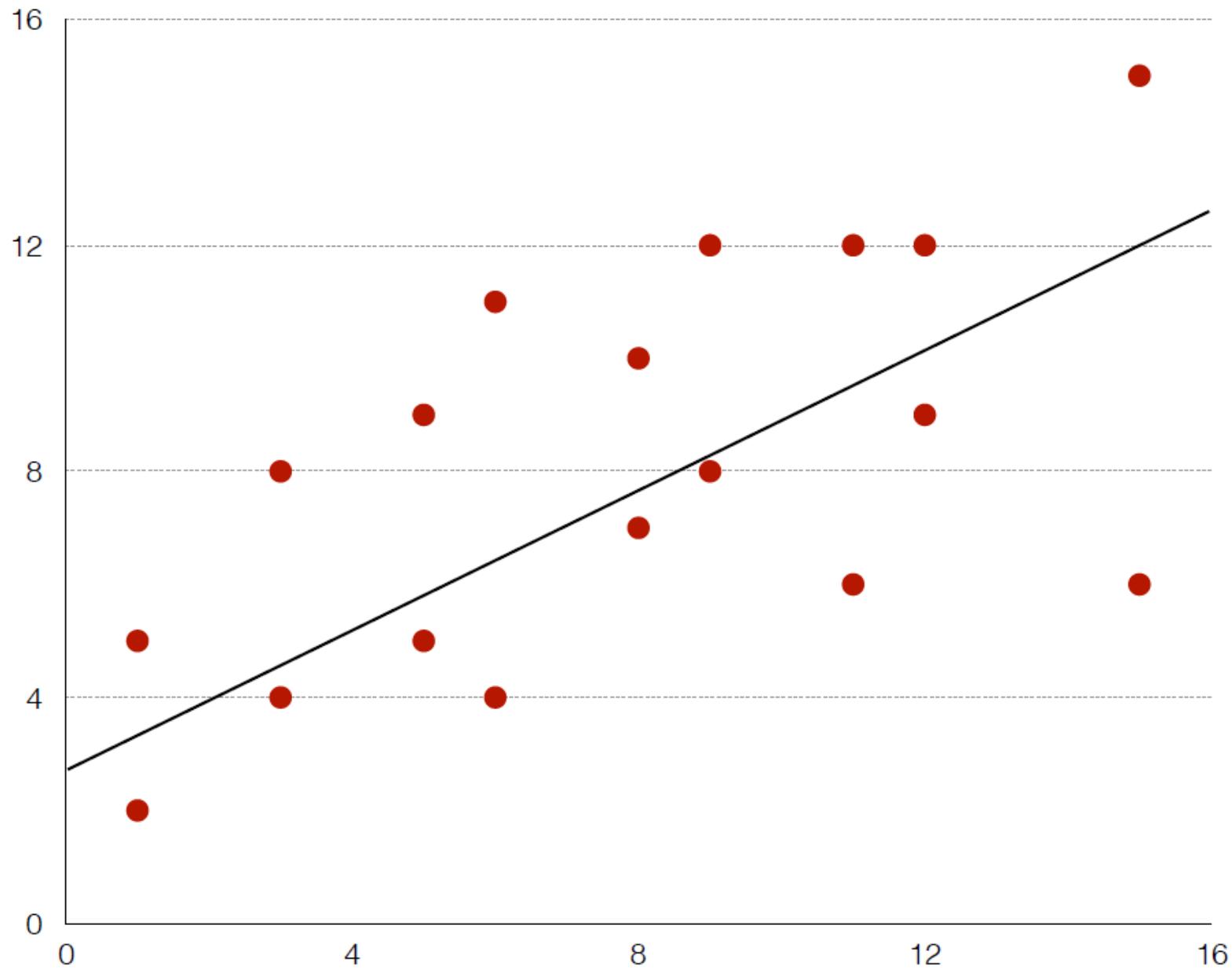
β_0, β_1

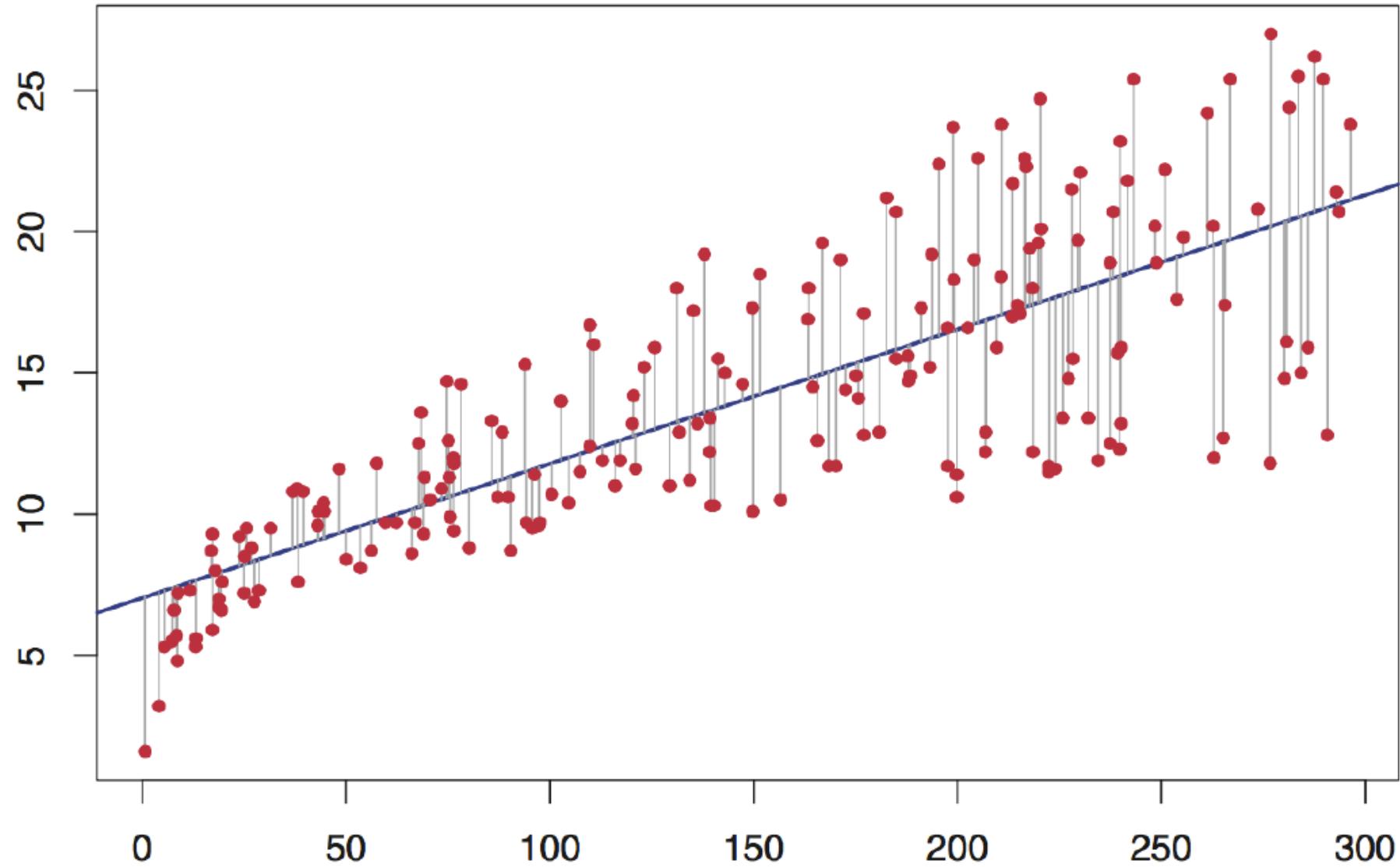
output

y

$$y = \beta_0 + \beta_1 x$$







Multiple Linear Regression

$$\text{LOC} = 227.63 + 9.51\text{x}_1 + 2.7\text{x}_2 - 7.08\text{x}_3$$

x₁ = hour of pair programming

x₂ = gender (m=0, female=1)

x₃ = number of social accounts

Multiple Linear Regression

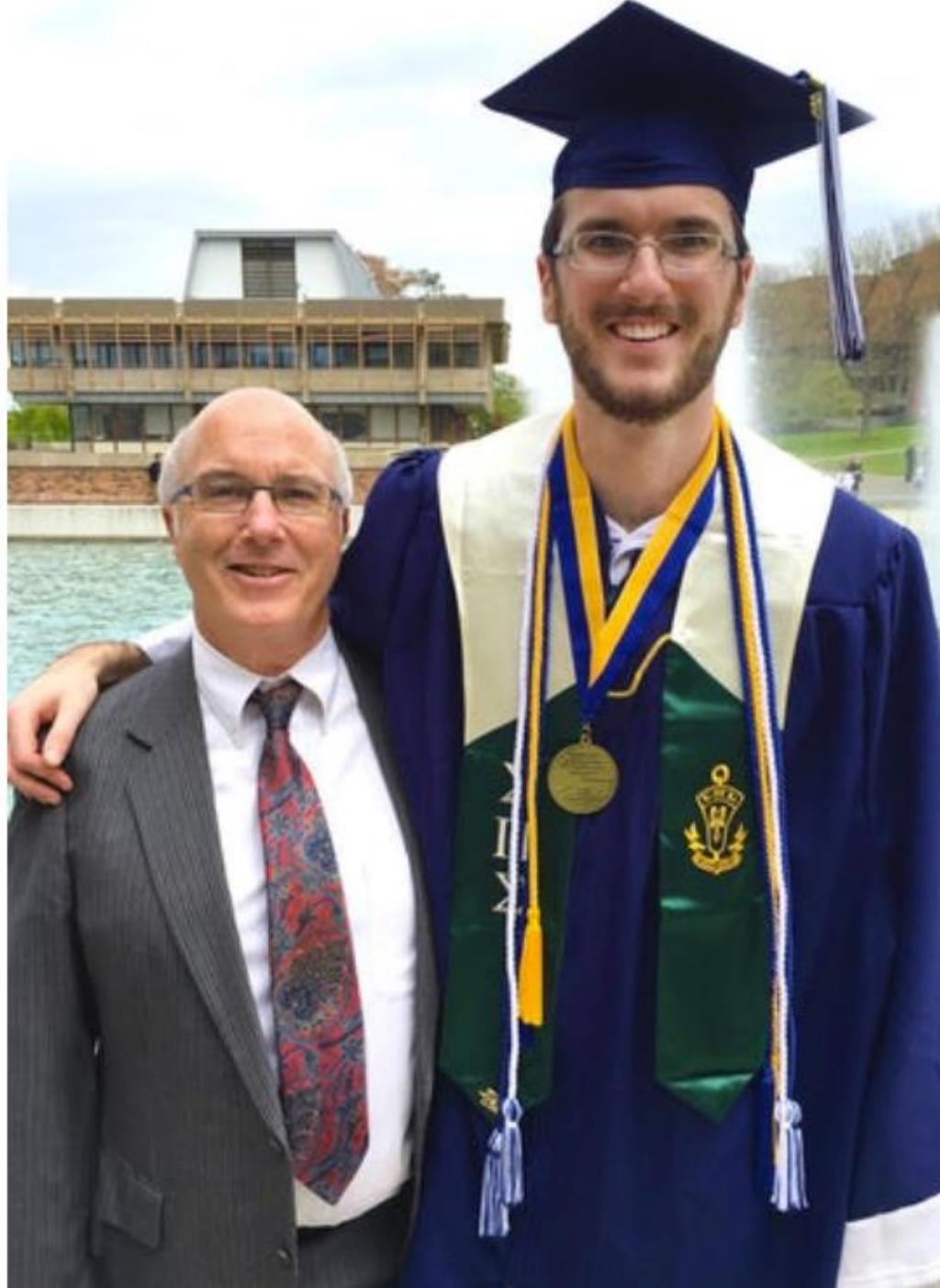
$$\text{Apps Sold} = 46.55 + 35.03\text{x}_1 + 7.11\text{x}_2 + 52.48\text{x}_3$$

x₁ = per \$100 of advertising

x₂ = public talks

x₃ = targeted podcasts





HEIGHT



FATHER

MOTHER

A MALE
WILL GROW TO
BE ABOUT THE
HEIGHT OF

THE MOTHER (INCHES)

+

FATHER (INCHES)

**+ 5 INCHES,
DIVIDED BY TWO.**

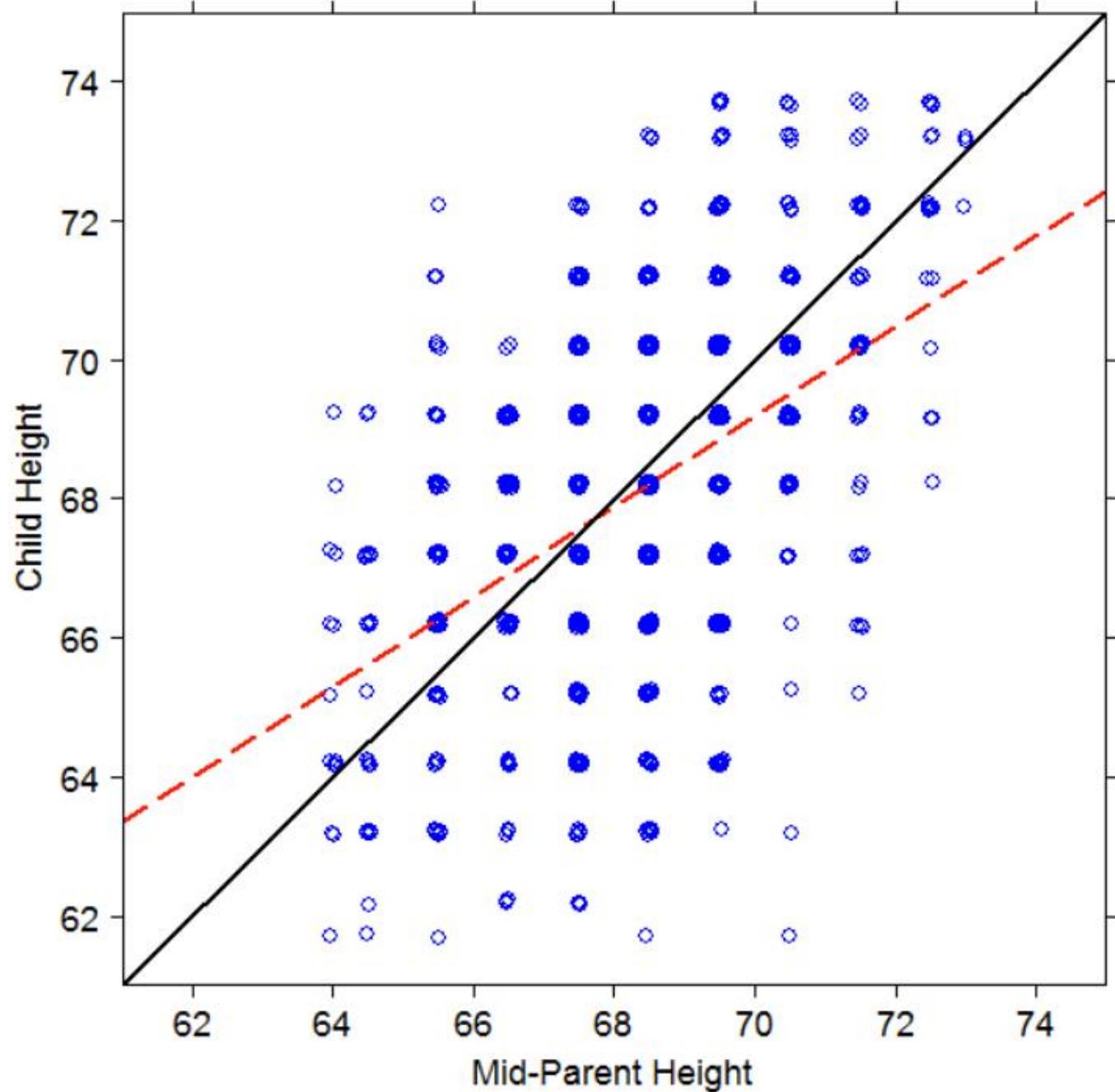
A FEMALE
WILL GROW TO
BE ABOUT THE
HEIGHT OF

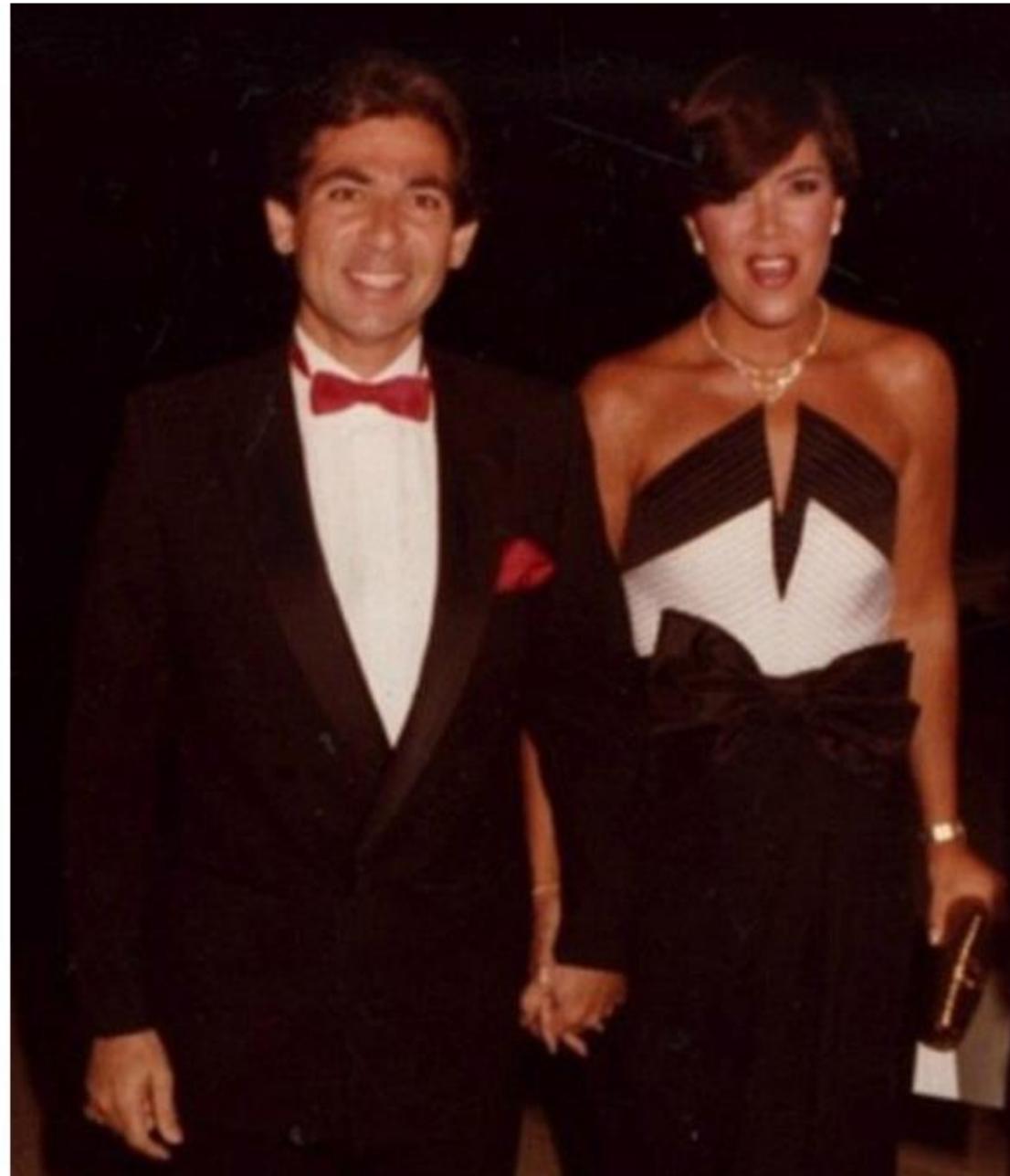
THE MOTHER (INCHES)

+

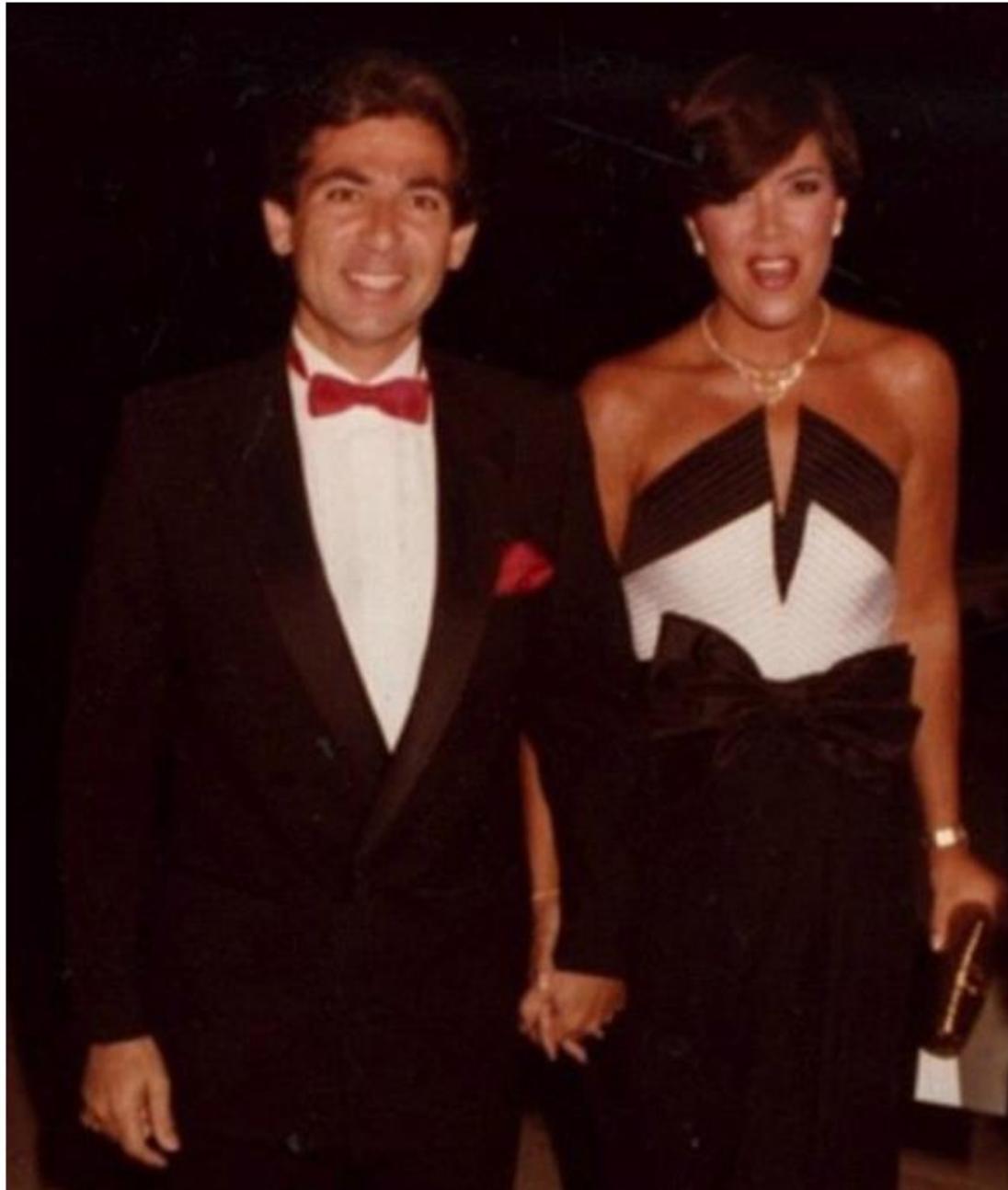
FATHER (INCHES)

**- 5 INCHES,
DIVIDED BY TWO.**

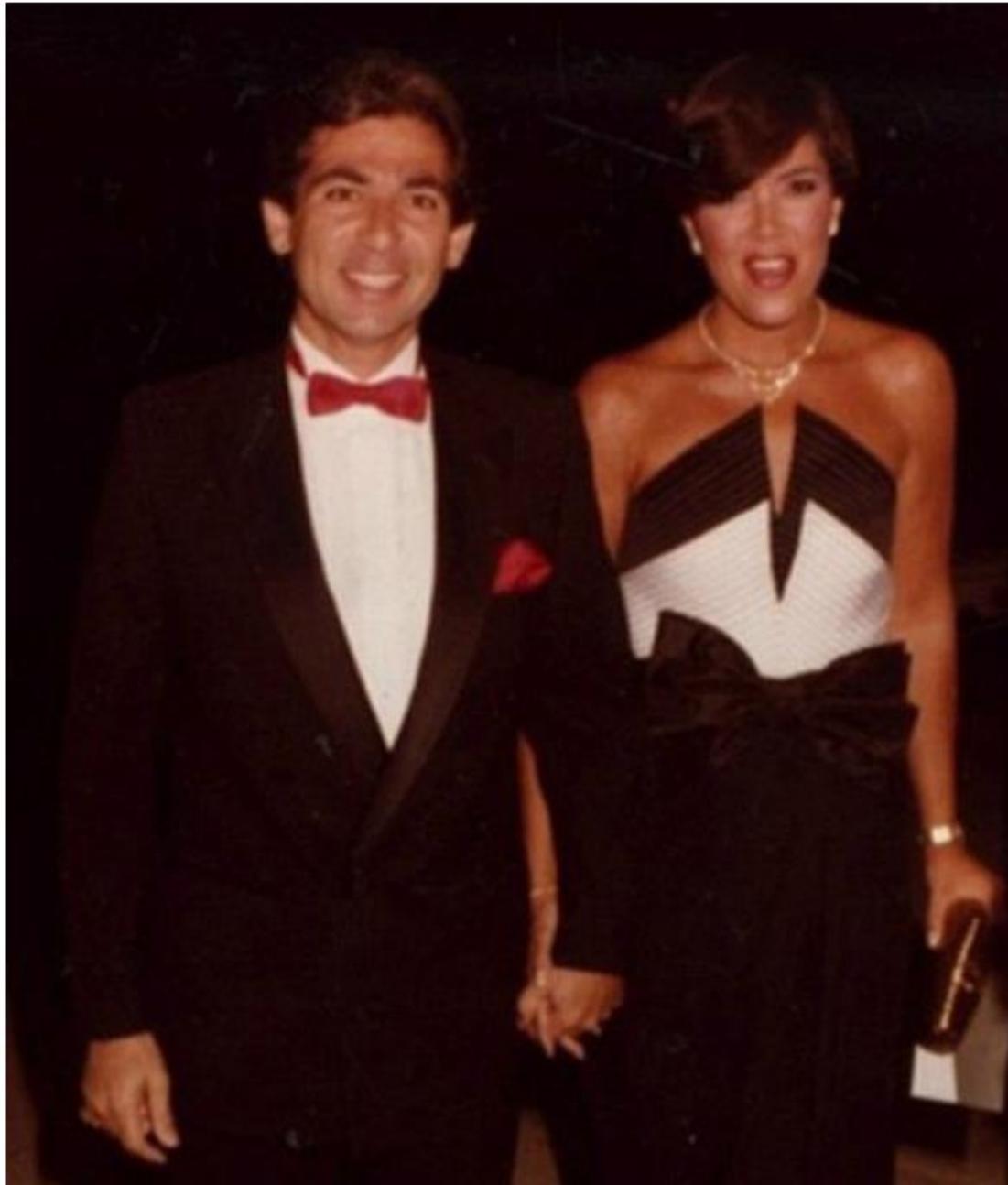




5'7"



5'7"



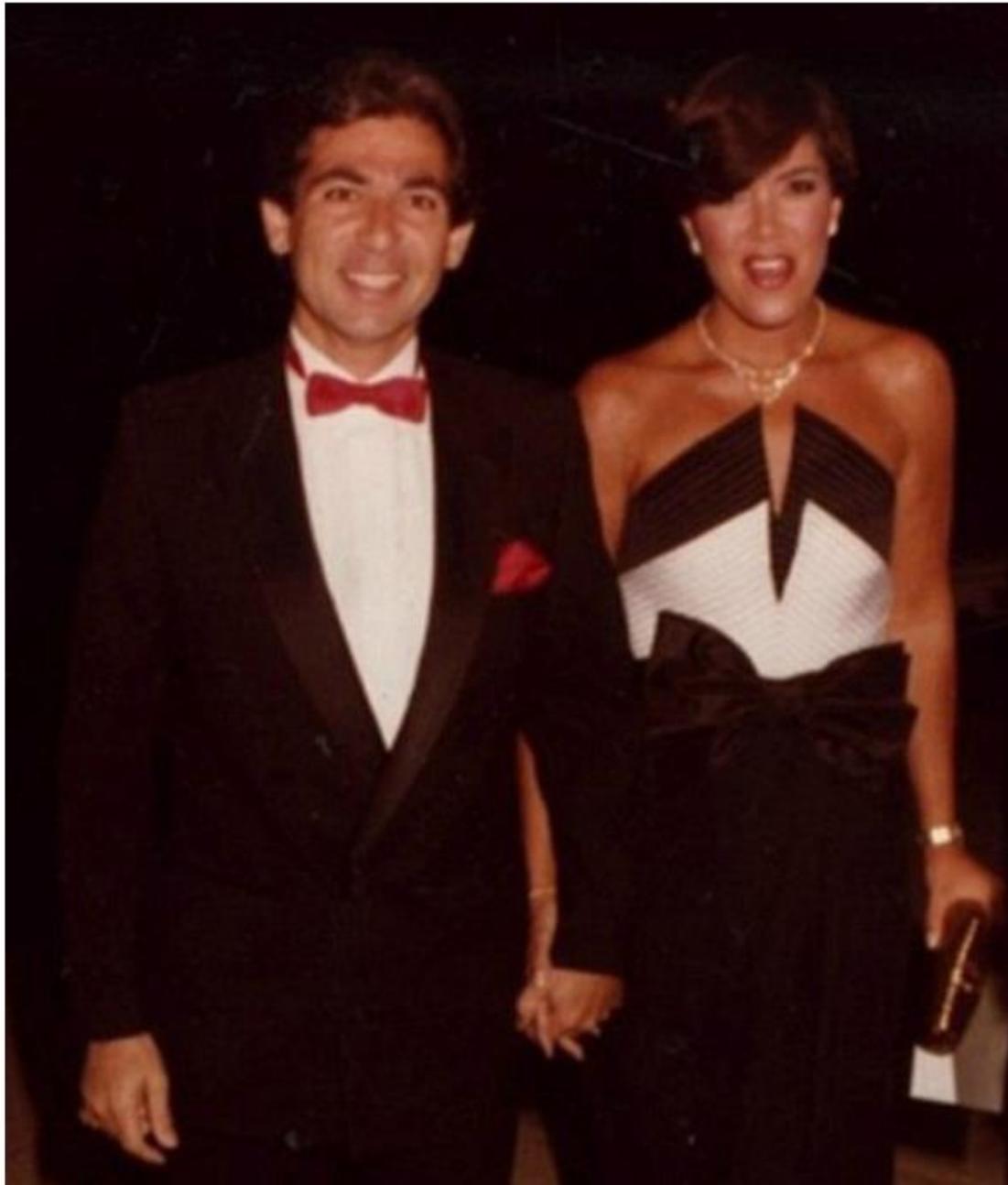
"5'6"

Mid-parent Height

5'6.5

5'7

5'6



5'0



5'3



5'10



5'10

5'3

5'0



Average

5'4¹/₃



6'1

5'3

5'0

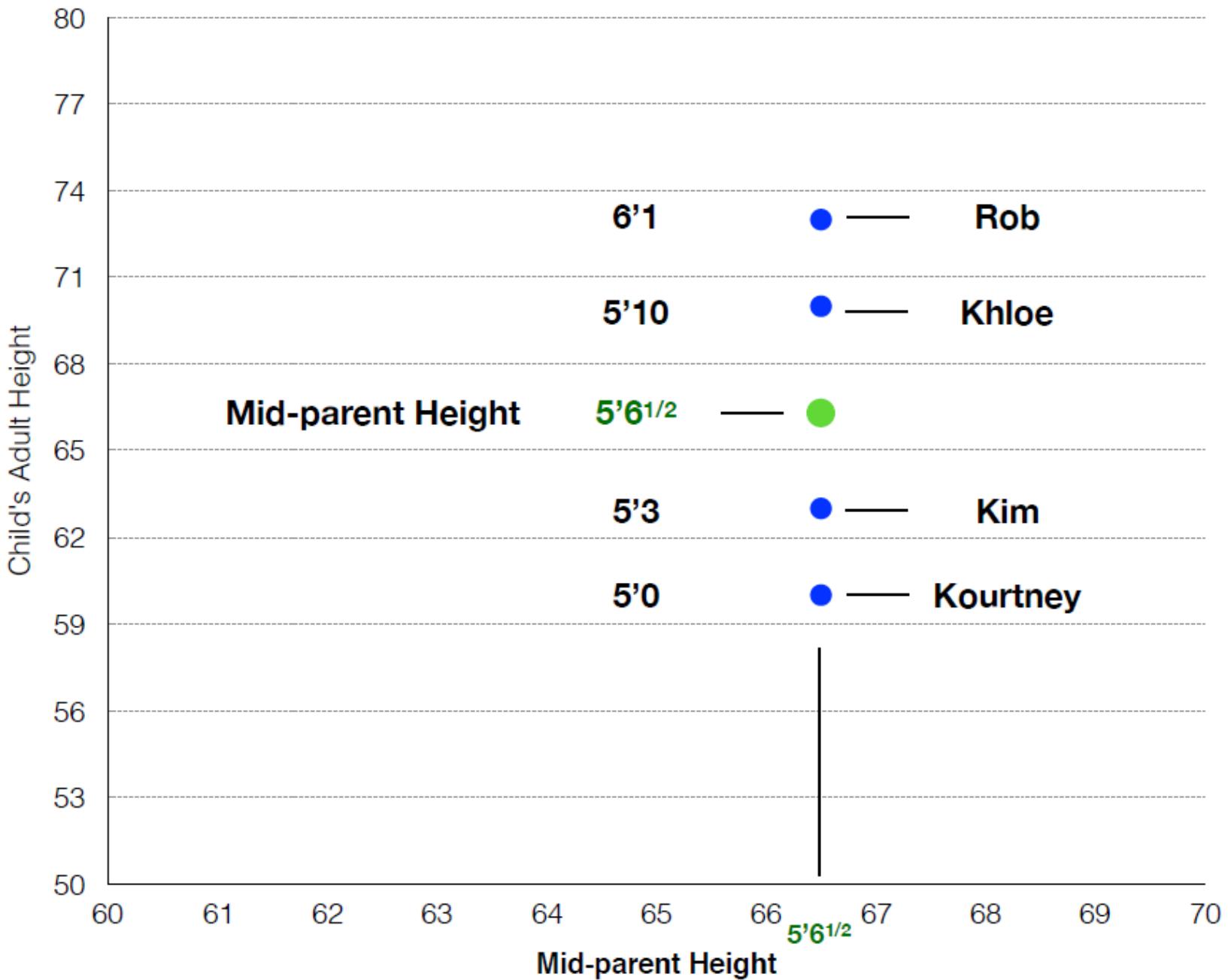
5'10



Mid-parent Height

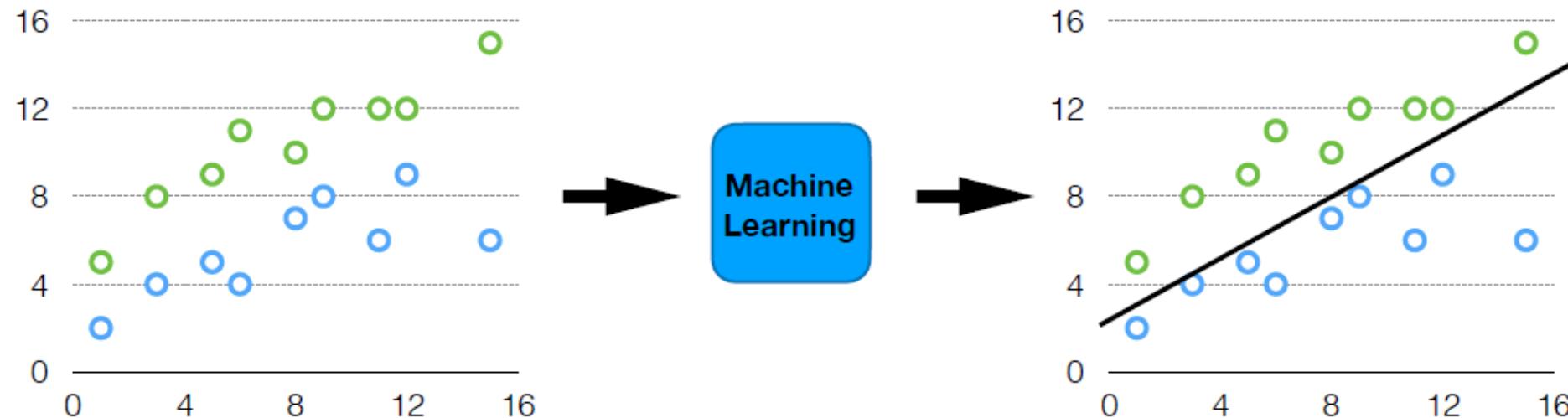
5'6.5

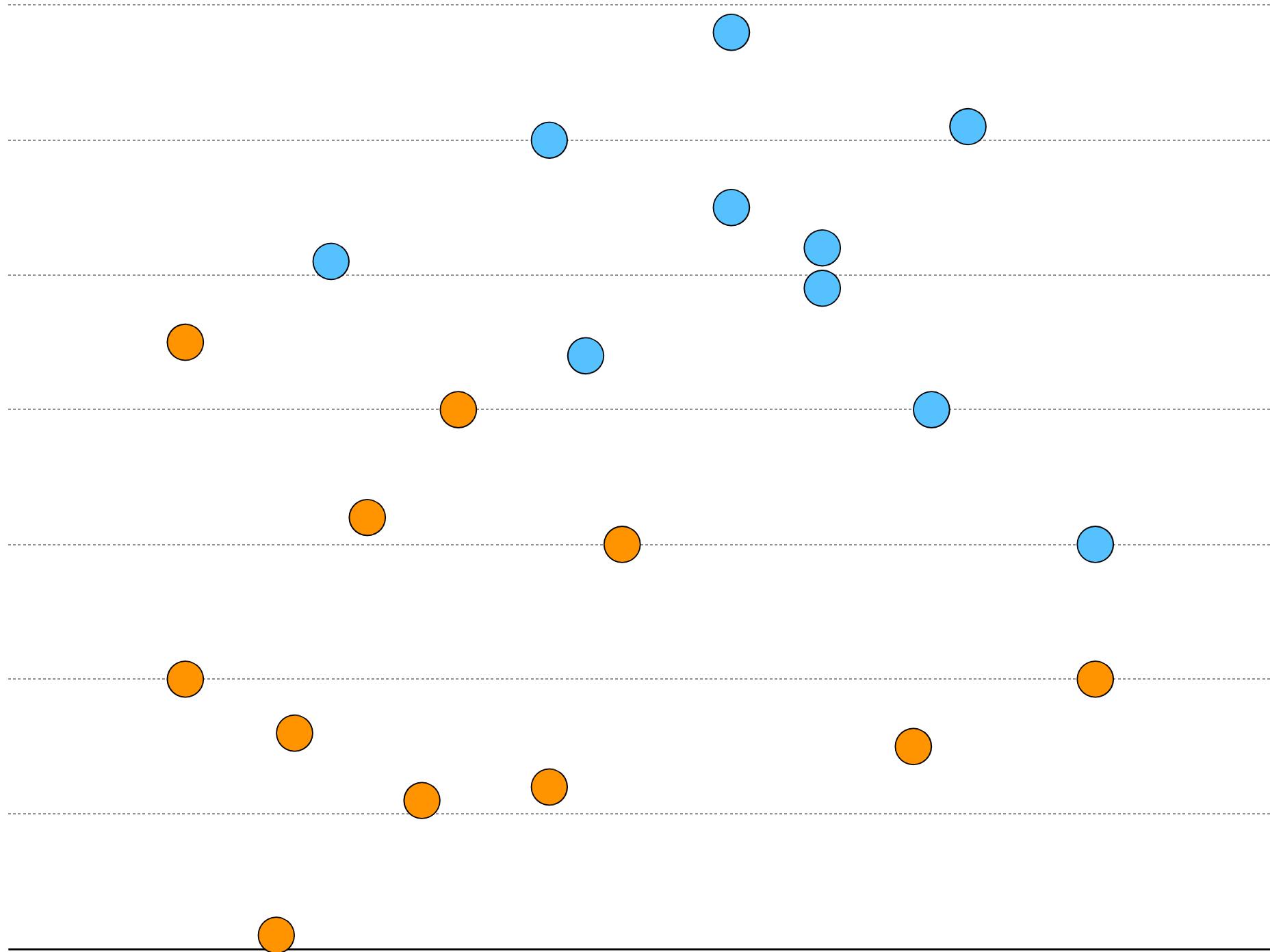


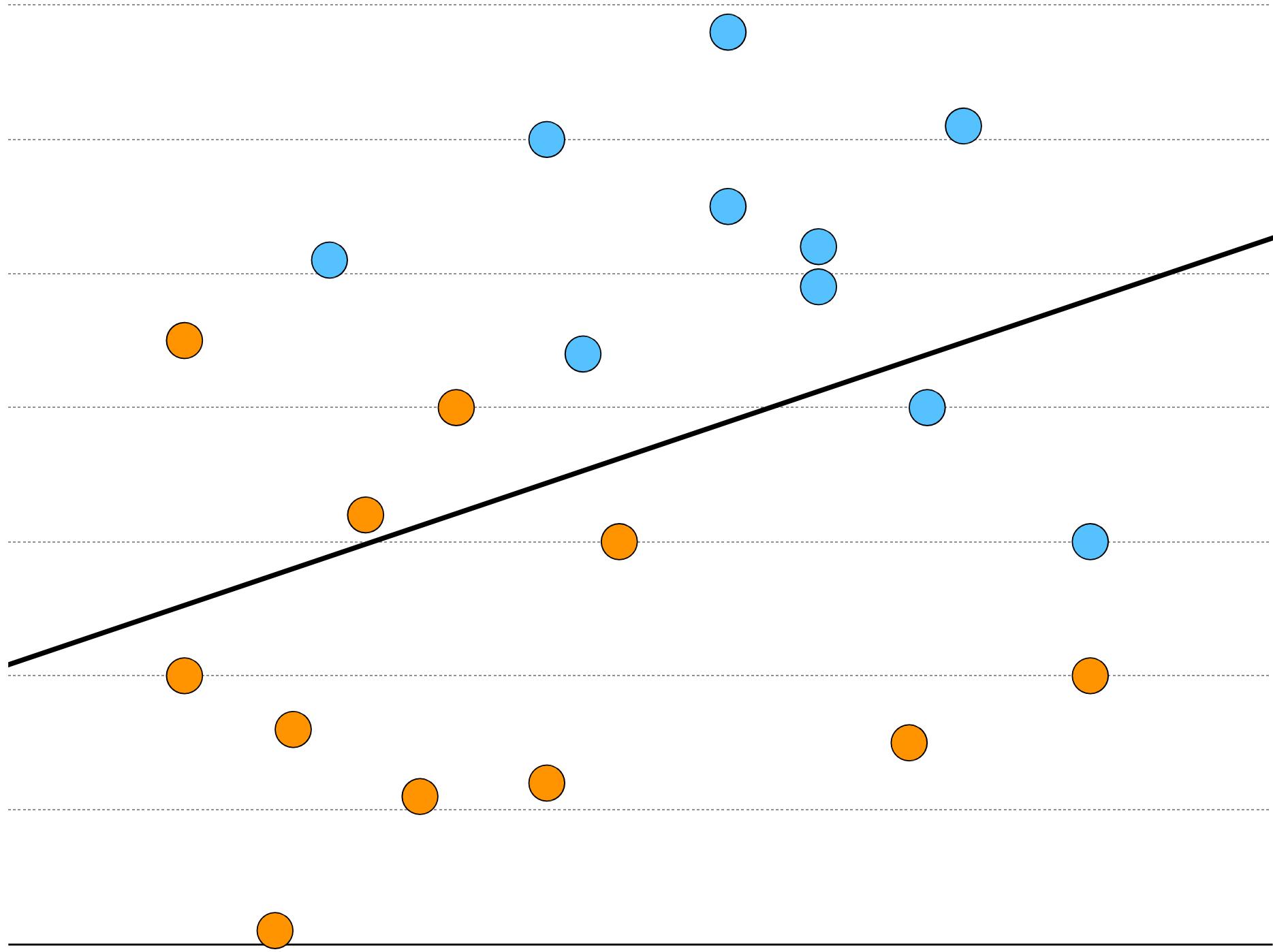


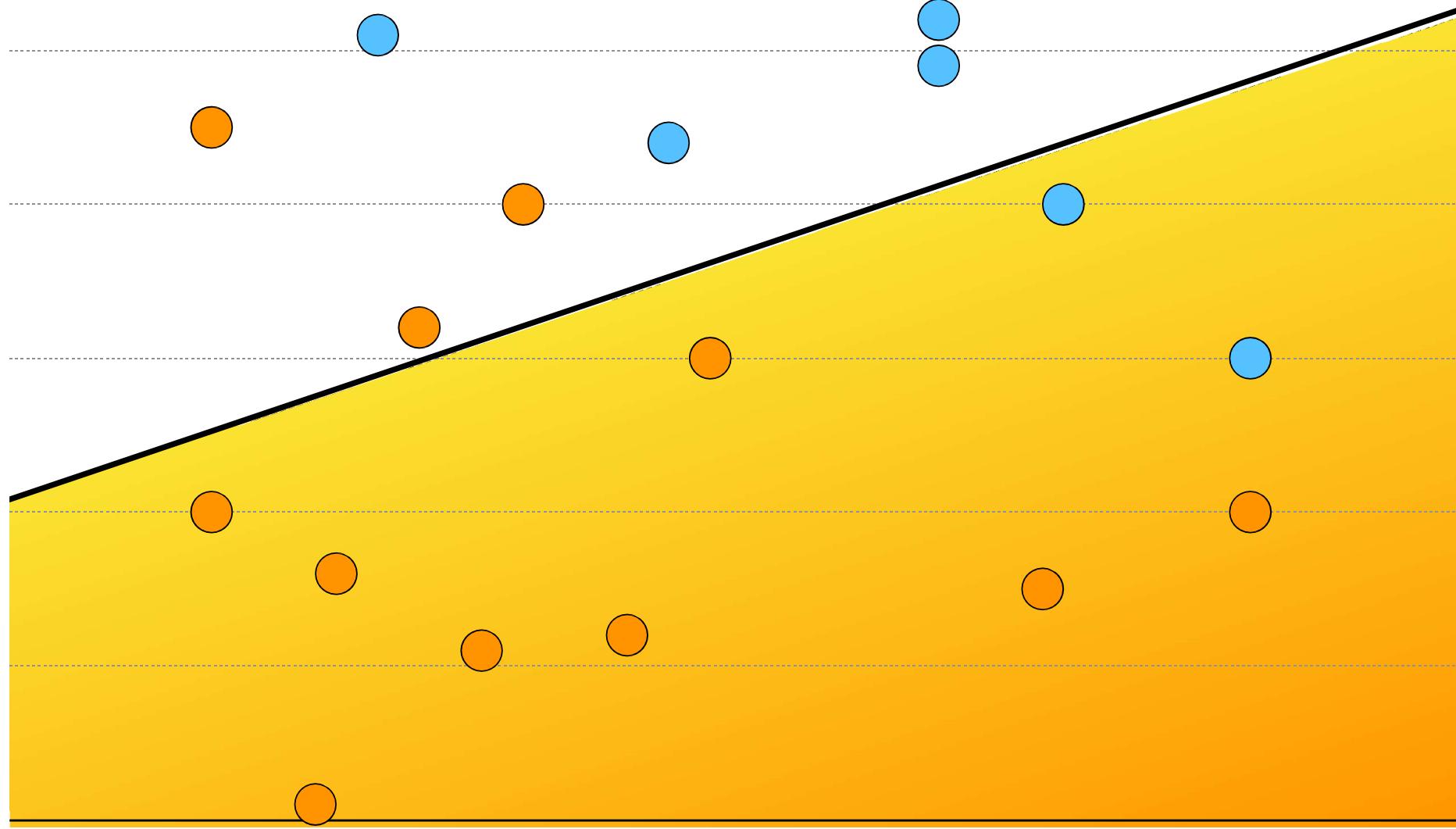
Logistic Regression

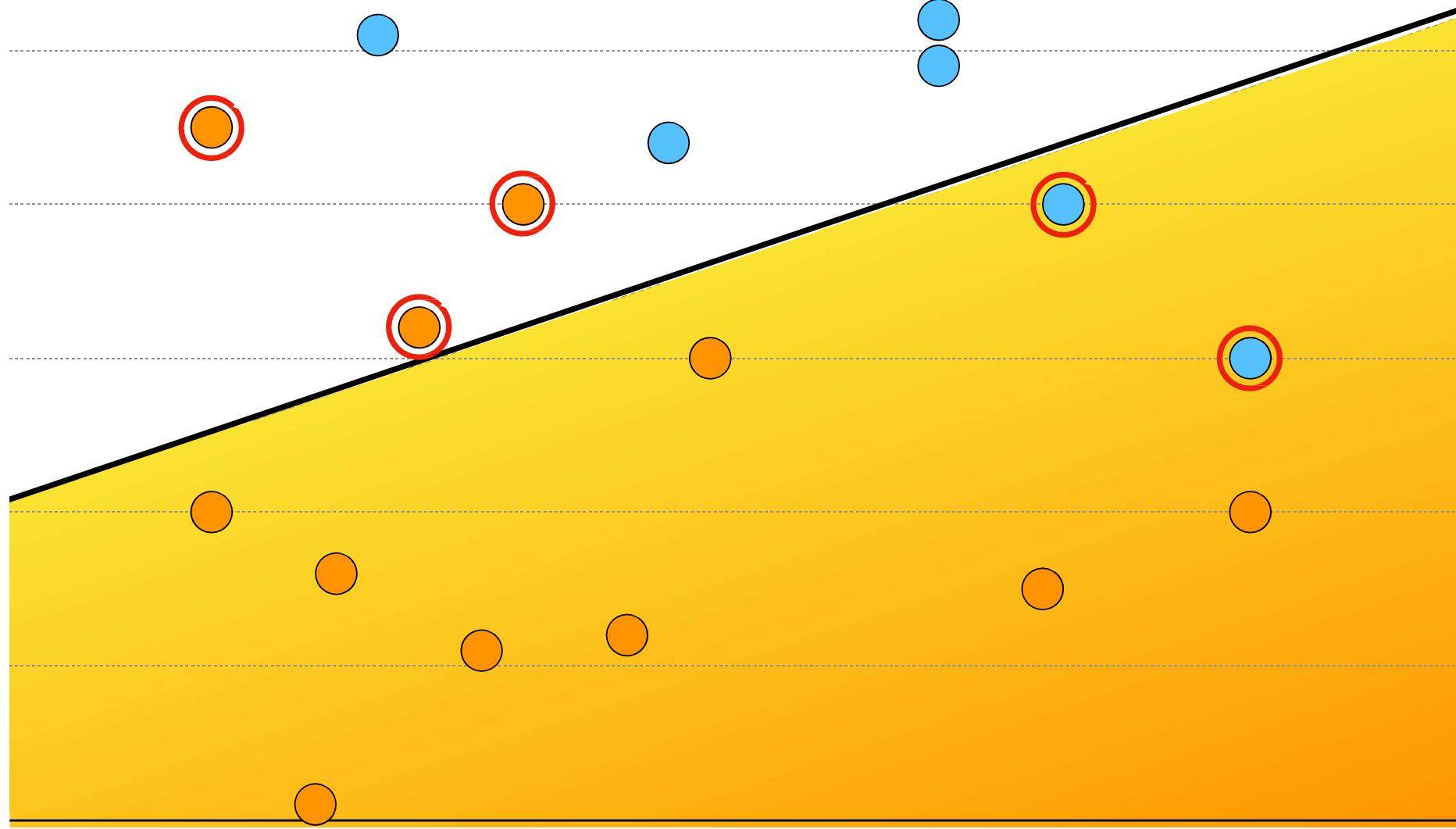
What is a classifier?



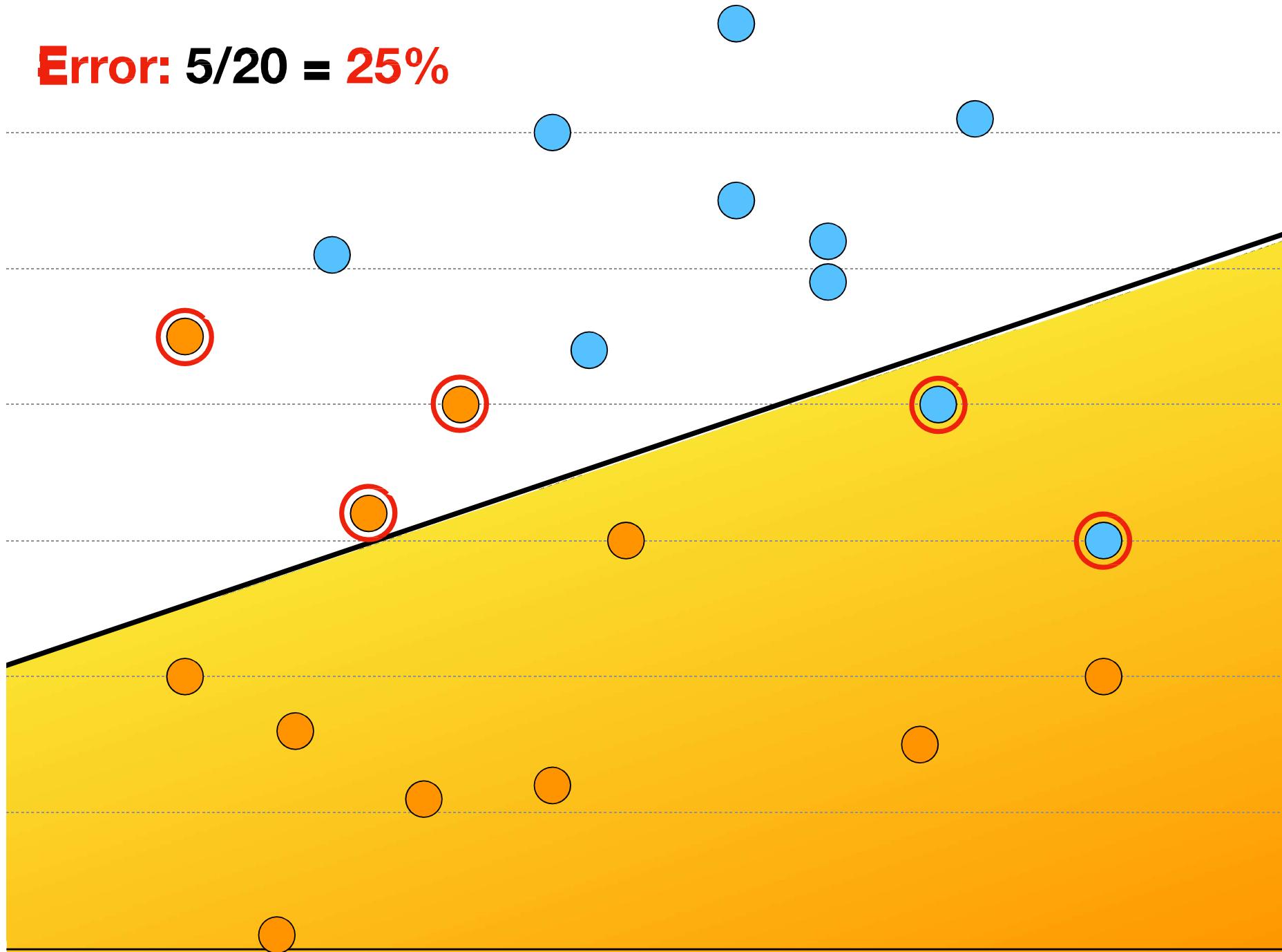


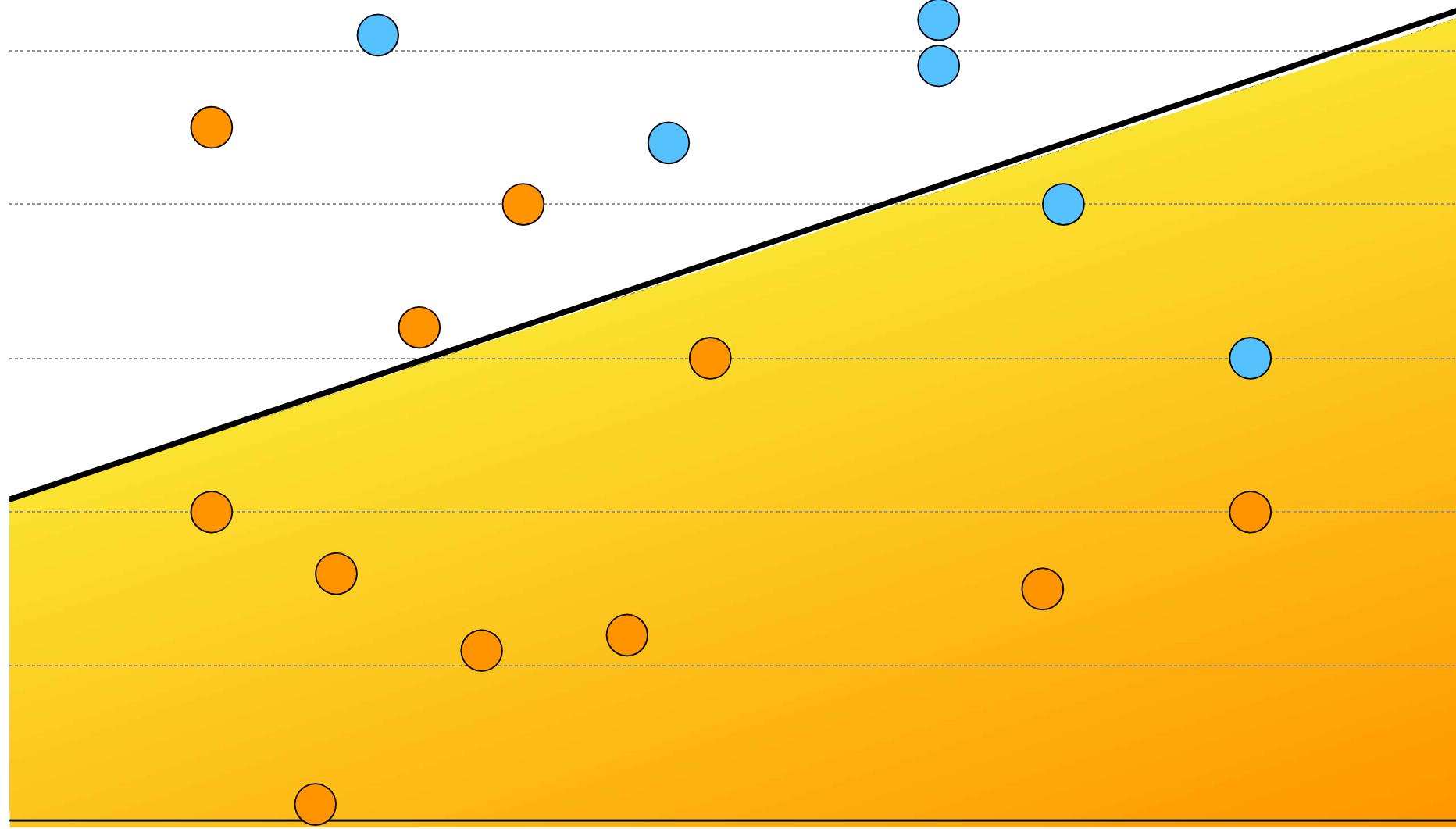


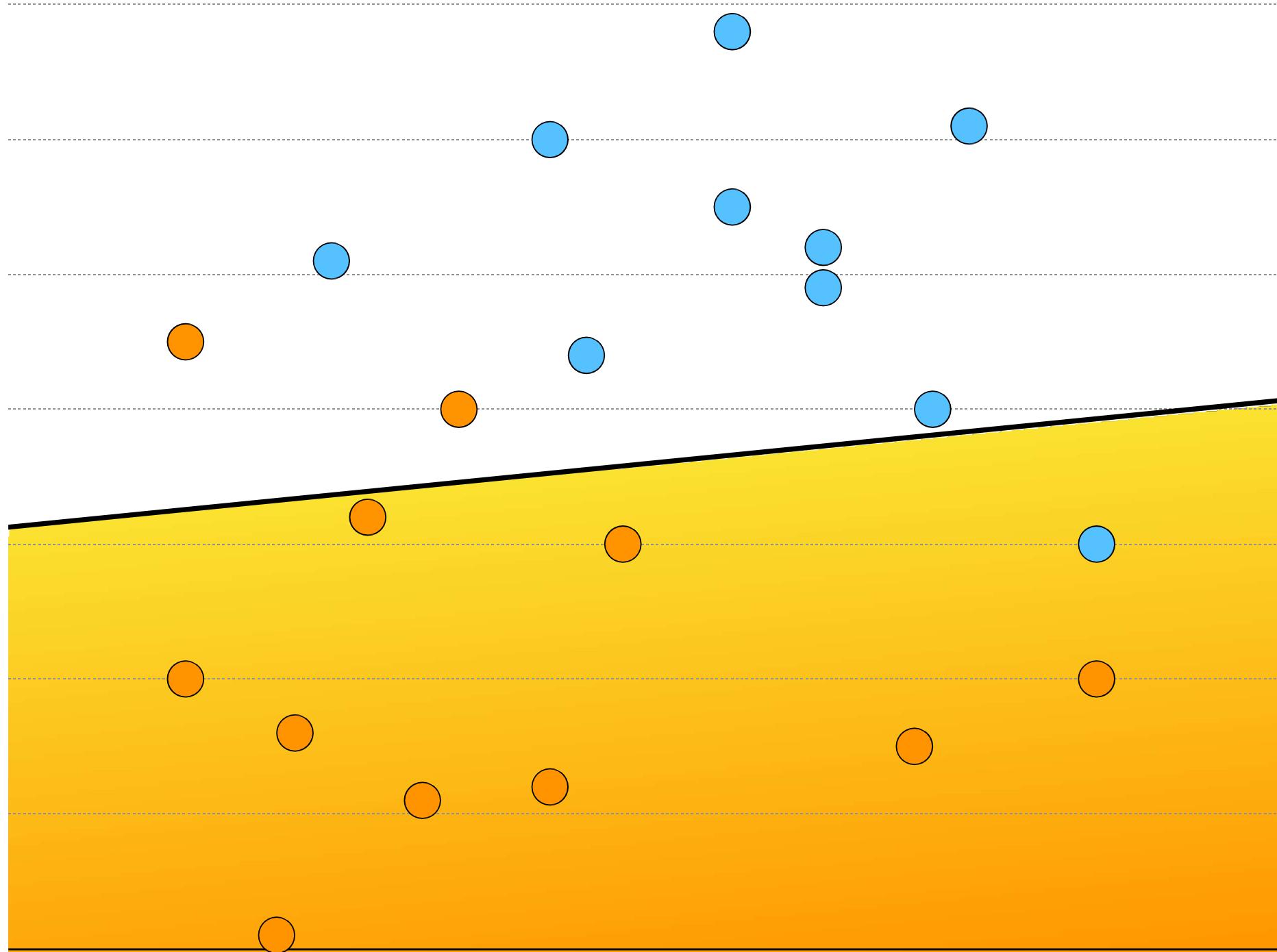


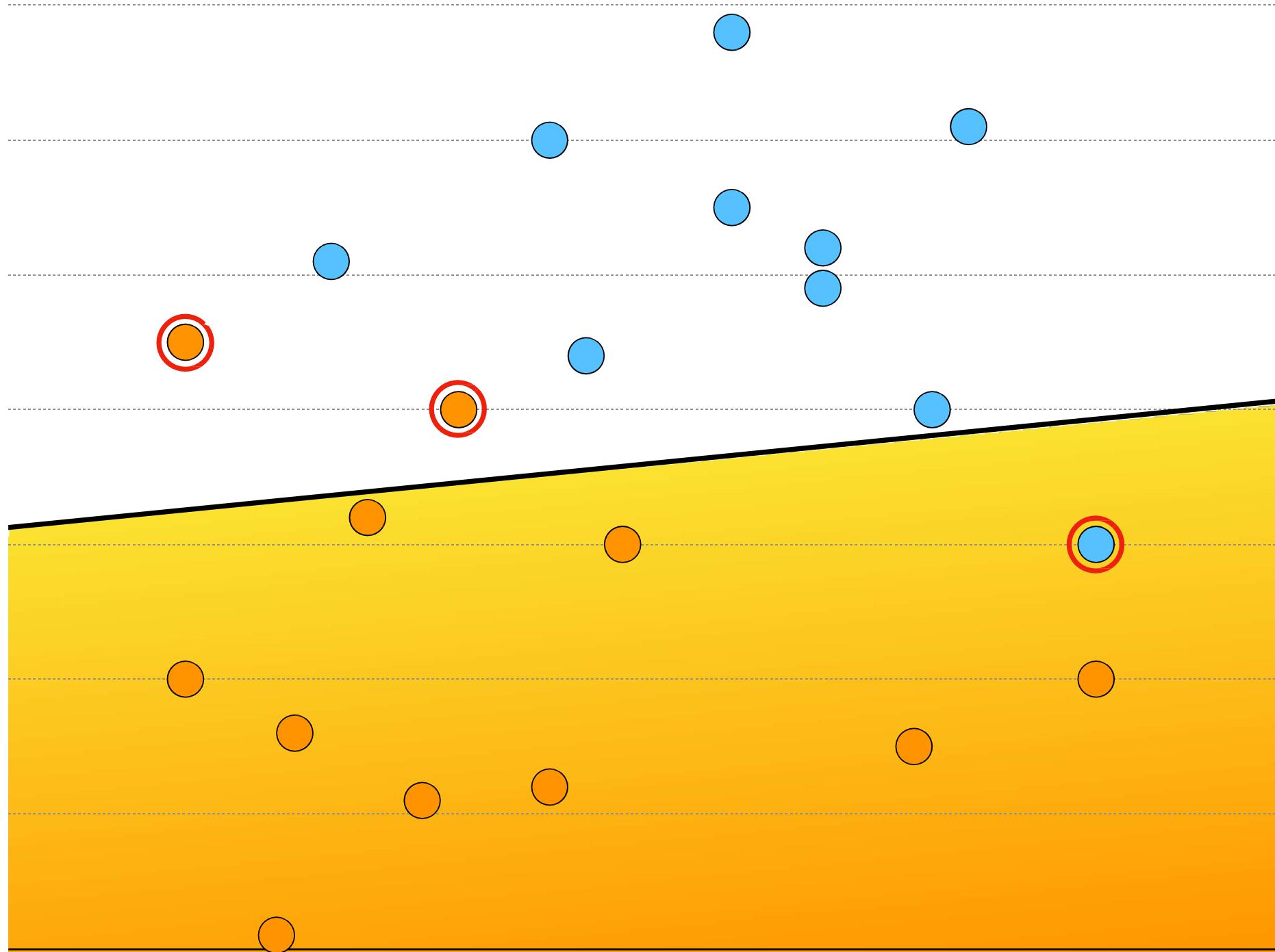


Error: 5/20 = 25%

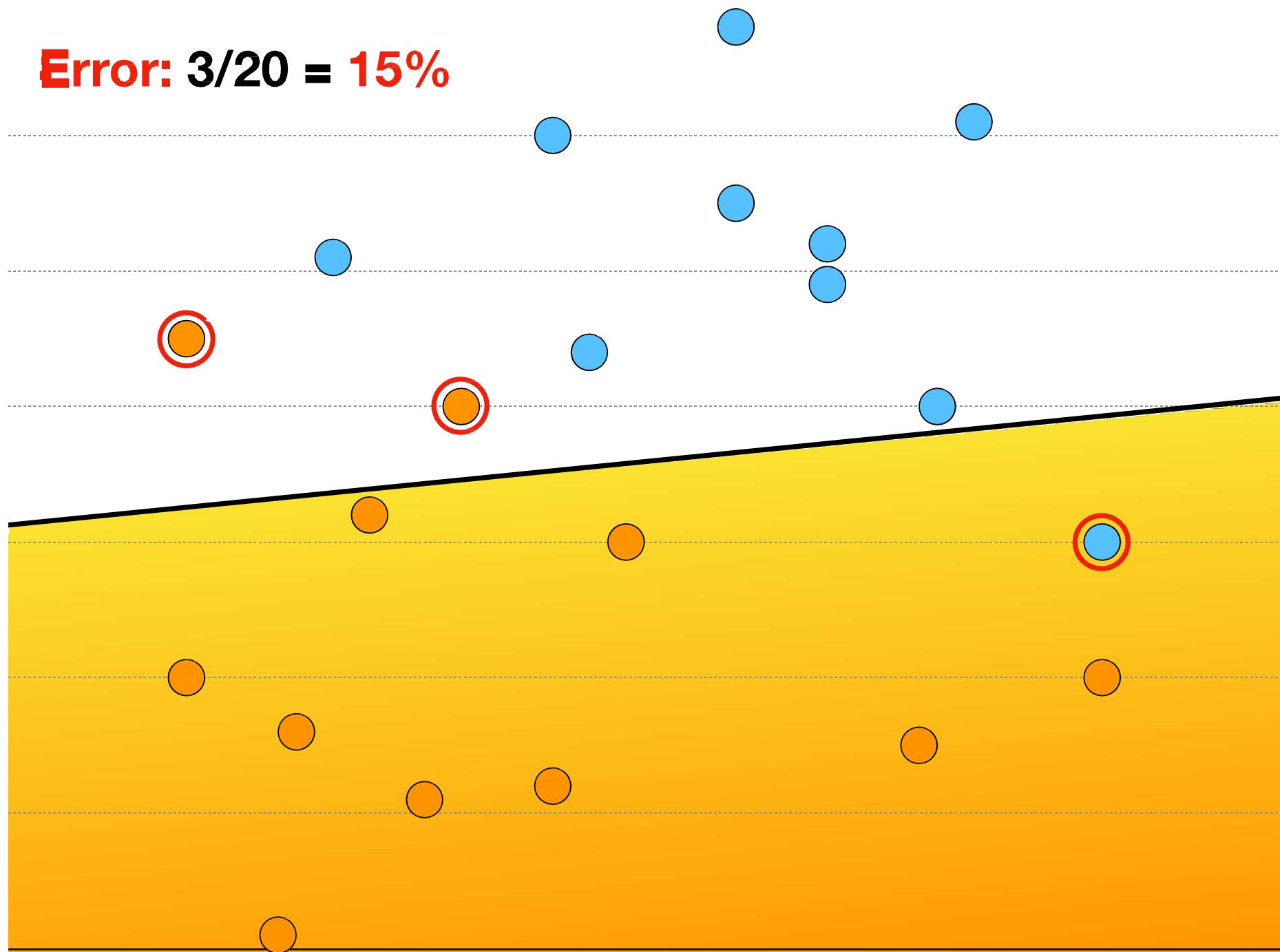


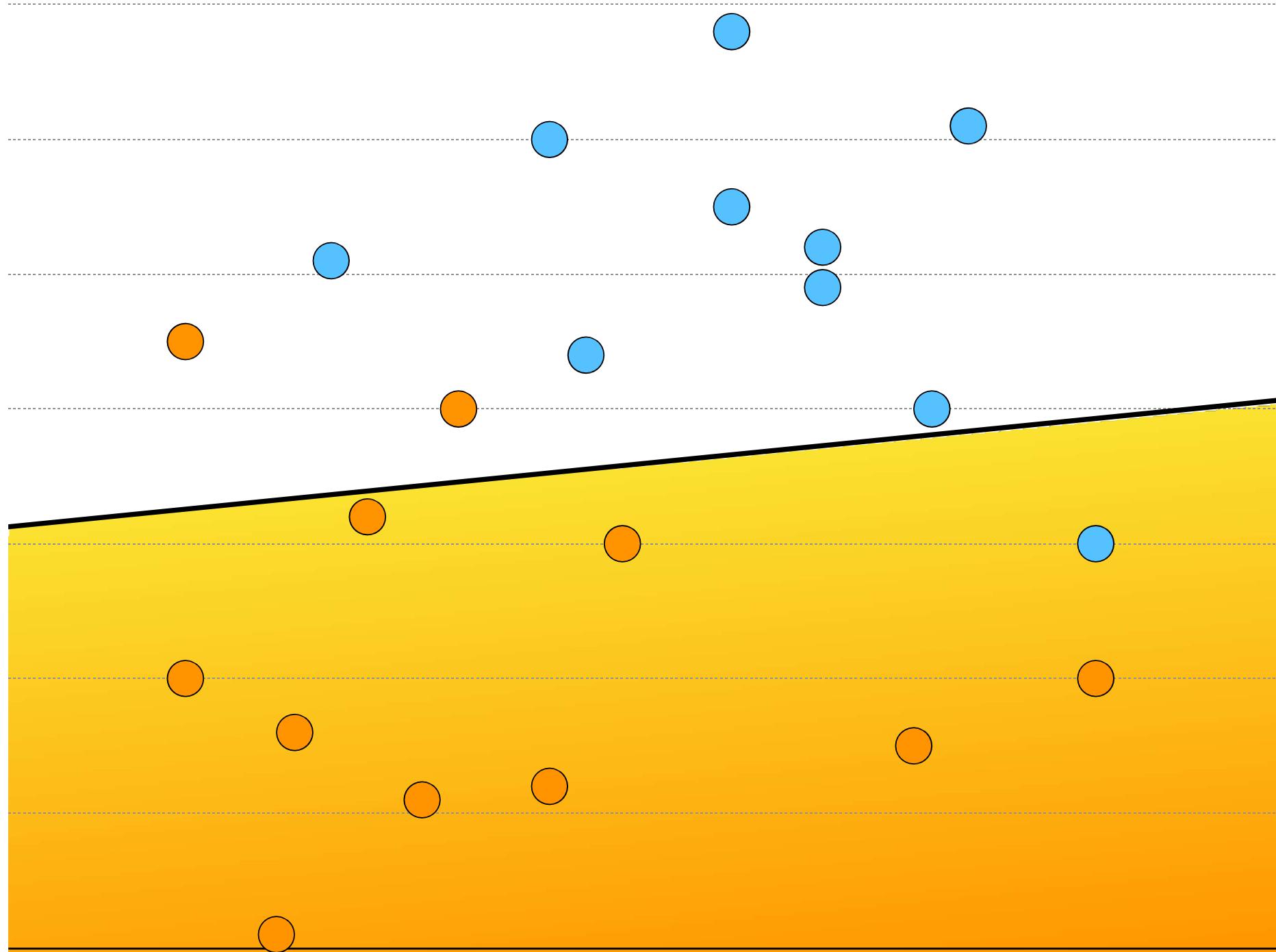


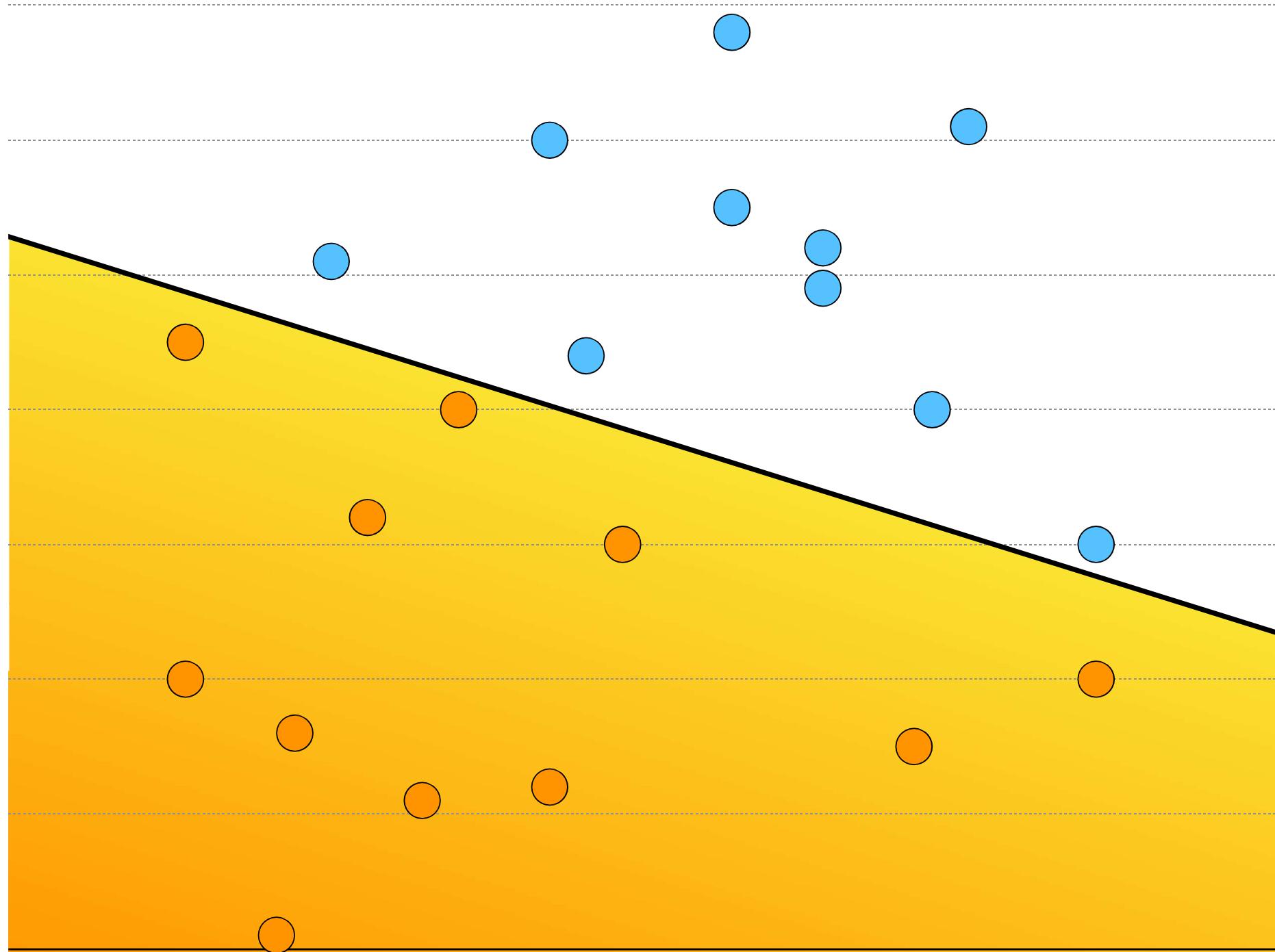




Error: 3/20 = 15%

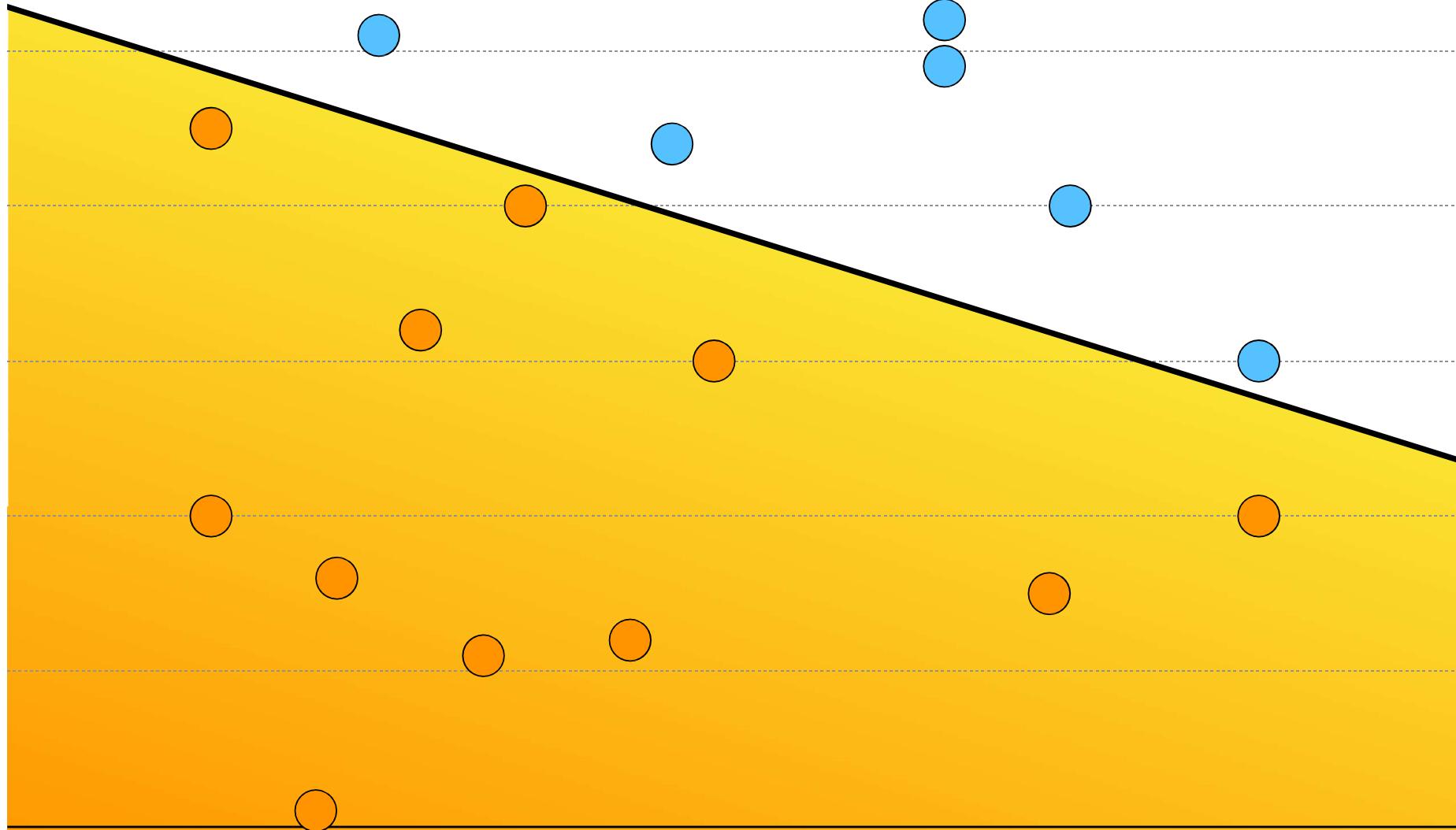






Error: 0/20 = 0%

Solution found!



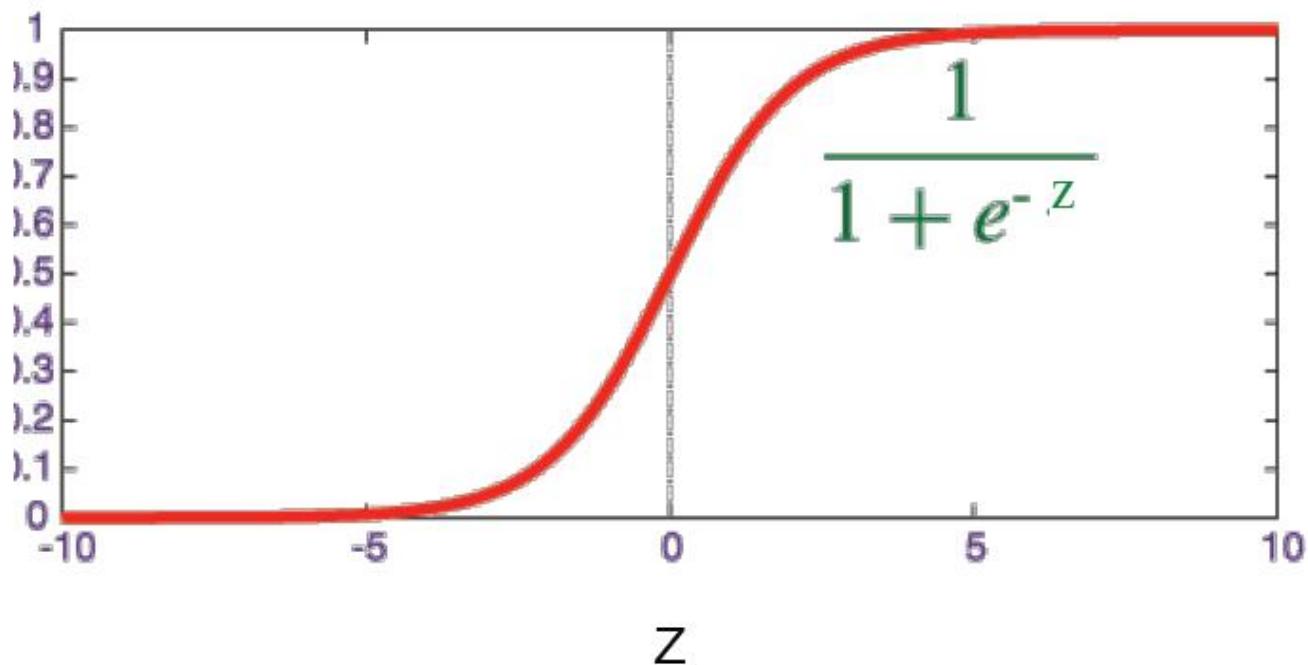
Logistic Regression

Logistic Regression

intermediate step

$$z = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3$$

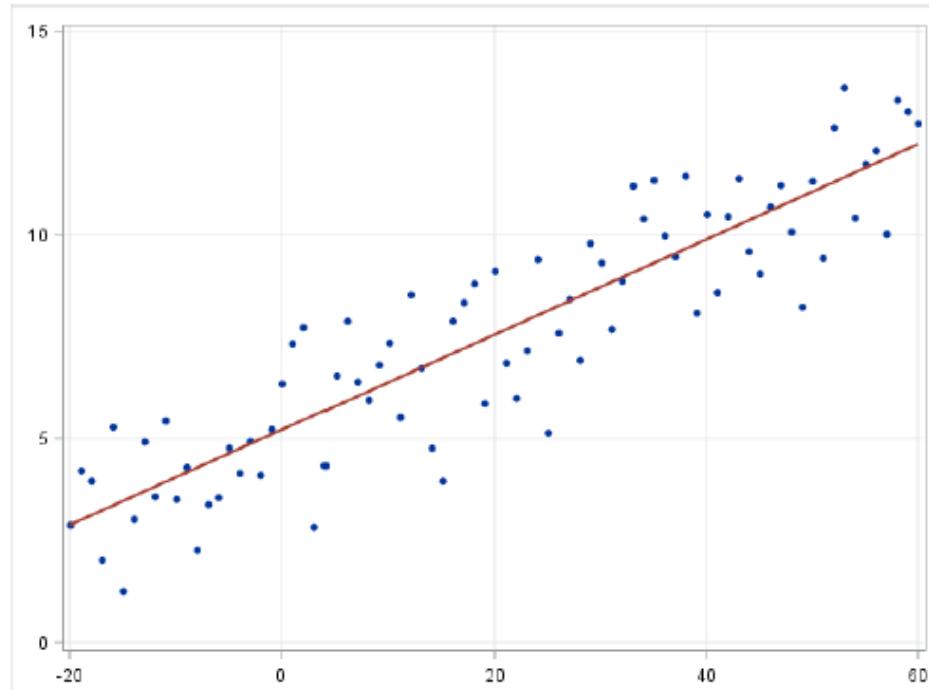
Logistic (Sigmoid) Function



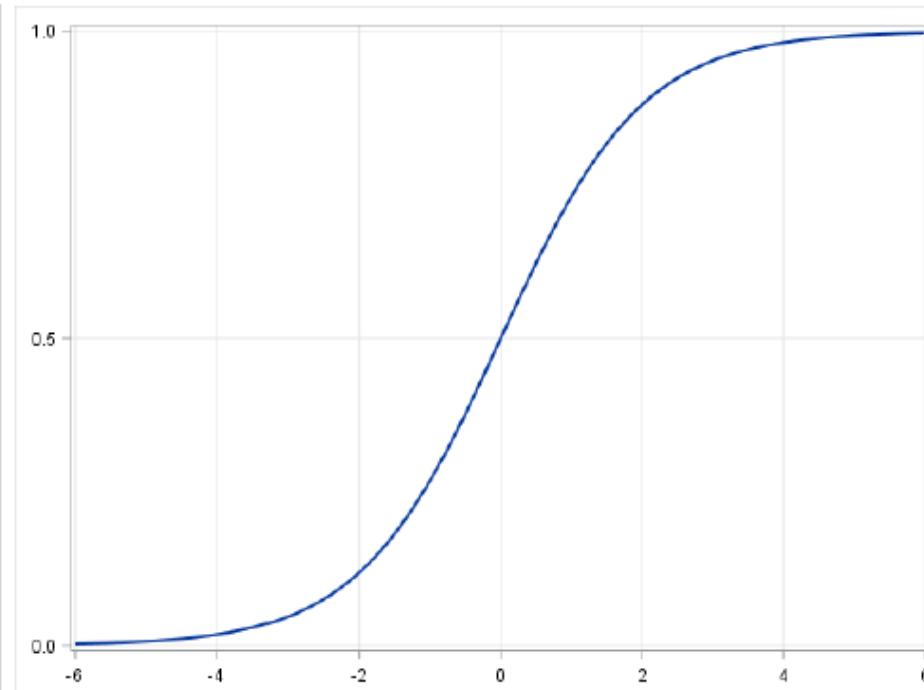
Logistic Regression

$$\hat{f}(X) = \frac{1}{1 + e^{-(\beta_0 + \beta_1 X_1 + \beta_2 X_2)}}$$

Linear Regression



Logistic Regression



positive class = 1

negative class = 0

predict 1 when $\beta_0 + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 \geq 0$

predict 0 when $\beta_0 + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 < 0$

positive class = 1

negative class = 0

if probability ≥ 0.5 : predict 1

if probability < 0.5 : predict 0

DEBORAH HILL

Highly motivated C# Software Developer with extensive experience in various programming languages, including C#, VB.NET, C++, VB, and VBA. Extensive experience in device drivers and applications. Extensive experience working on software projects within Fortune 100, small start-up companies, and subcontractors. Proven ability to mentor and train others. Demonstrated leadership abilities and supervisory skills. Held a current Department of Defense Secret Clearance.

Programming Languages:
C#, SQL, HTML, XML, CSS, C++

.NET Skill Set:
.NET Framework 4.0 and .NET Web Services

Databases:
MS SQL Server 2008, MySQL

Software:
Visual Studio 2010, Dreamweaver, Clear Case, Clear Quest

Operating Systems:
Windows 7/NT/XP/2003

Department of Defense Clearance:
Secret

Certified Manager:
James Madison University
.Net Master's Program:
Self-focus, LLC

The Self-focus knowledge club:
The Self-focus knowledge club

Software Development Experience:
• Developed business logic for a multi-tier application.

• Created business logic for a multi-tier application.

• Developed ASP.NET middle-tier components.

Steven Barnes

55 Blue Way, New City, CT, 55555. Tel: (203) 555-5555. email: sbarnes@jupiter.com

OBJECTIVE

Seeking a challenging software development opportunity in a dynamic environment where innovation, education and sense of ownership are valued and encouraged.

SKILL SUMMARY

- Platforms: UNIX/Solaris, Windows
- Languages: Java/J2EE (concurrency, socket level, NIO, JSP, Servlets, EJB, RMI, Swing), C/C++ (STL, Win32 SDK, MFC)
- Scripting: JPython, UNIX shell, sed, awk
- Networking: TCP/IP, UDP, HTML, XML, Apache & Tomcat
- Databases: Oracle, PL/SQL, JDBC
- Methodologies: OOPID, UML, Design Patterns, Extreme Programming
- Tools: CodeWarrior, VisualStudio, ClearCase, SourceSafe, RationalRose, Optimizer

WORK EXPERIENCE

NETWORK INTERACTIVE

Software Engineer

New York, NY

Jan 1998 - July 2004

- Contributed to the development and continuous enhancement of the company's proprietary server-side platform framework.
- Designed and implemented the room server - a Java game matchmaking application that serves as the main backbone of the system. This high-availability multi-threaded server maintains persistent TCP/IP connections with all players on the system, provides an interface for creating and running games, acts as a communication hub and enforces data integrity between clients and game-specific business logic.
- Participated in the implementation of several key platform services such as user account management, player ratings, game prizes and tournaments. Each service is a multi-tiered system consisting of a database component, server application and at least one client API.
- Developed several new features of the web site including intelligent method of routing players to optimal games based on player preferences, player statistics and the current load on the system.
- Assisted third-party partners as well as internal engineers in developing and customizing games for deployment on the system.
- Developed web-based and command line tools that allowed administrators to configure and monitor system components.
- Assumed ownership of the source code and developed regular updates to a Windows game matchmaking application.
- Served as a technical lead to junior team members and as a link to other teams by providing assistance and training.
- Assumed management responsibilities by evaluating upcoming and ongoing projects, assigning tasks to team members and reporting project status in the manager's absence.

PRESENTATION PUBLISHING CORPORATION

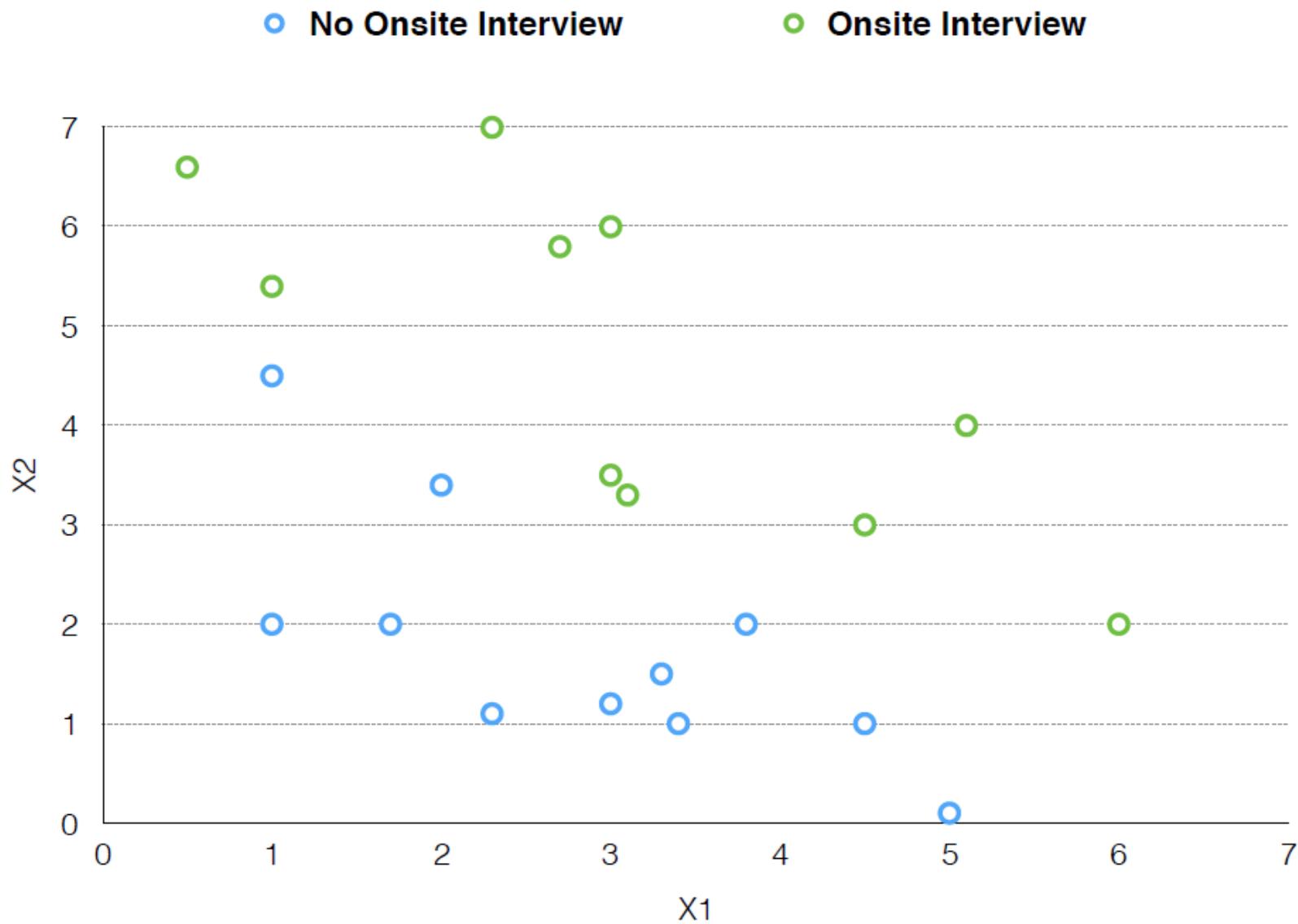
Stamford, CT

March 1996 - Jan 1997

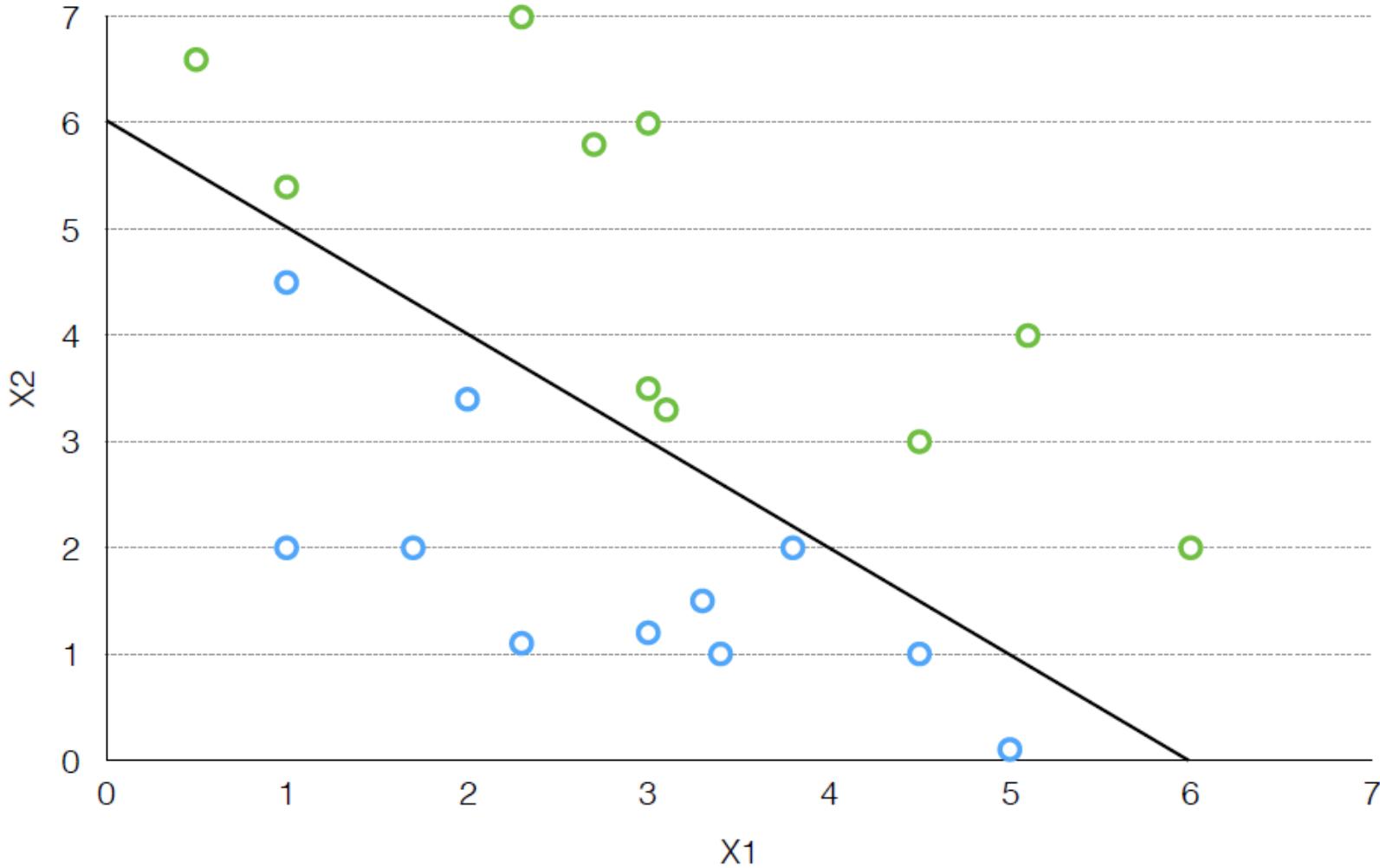
- Took part in developing a lightweight, graphically rich business presentation application.
- Created several installation programs for various packaging options of the product.
- Managed the build and release process of the company's product line.
- Administered the company's version control system.

Deborah Hill 100%

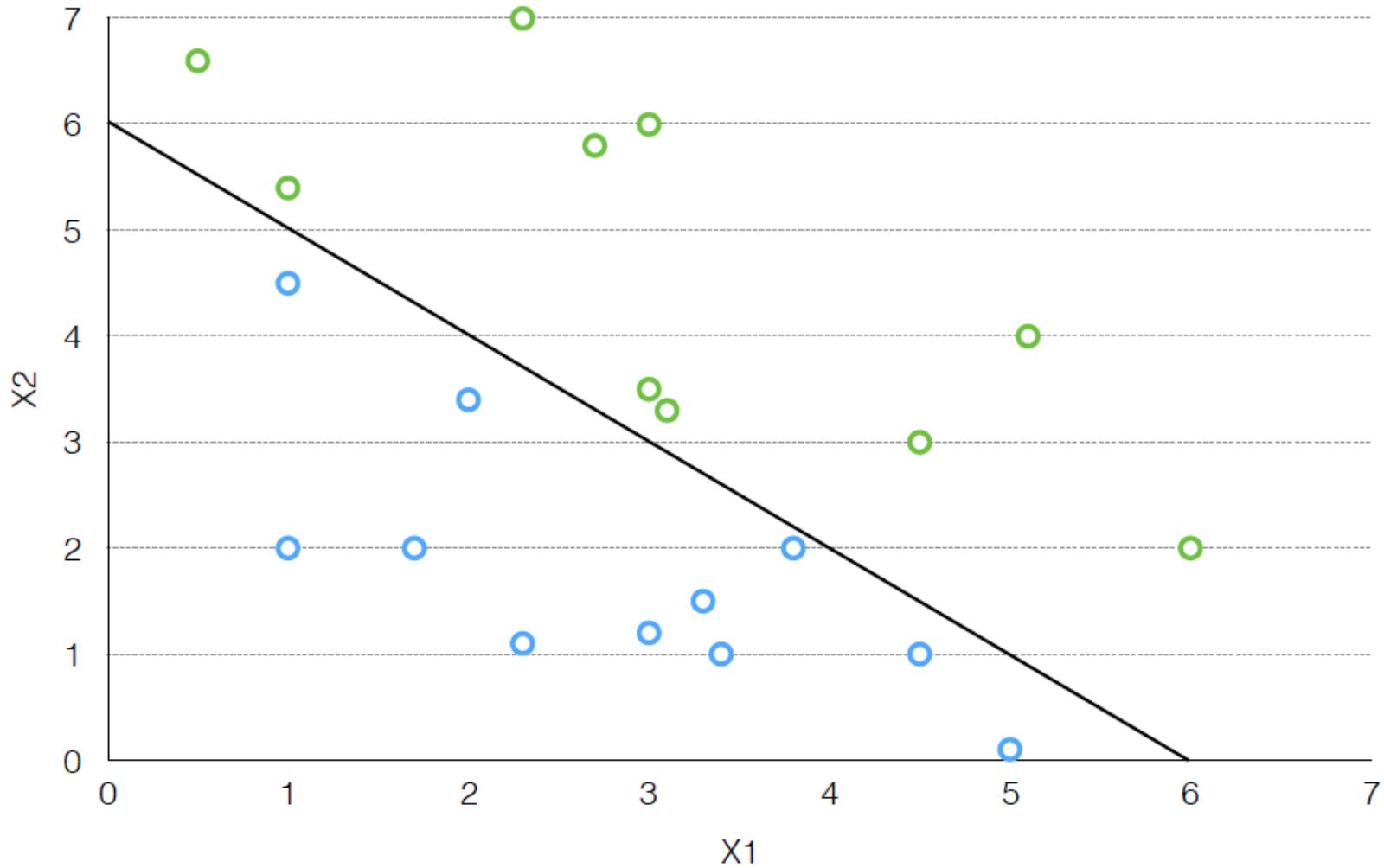
Gender	Years Exp.	Source 1	Source 2	Source 3	Phone Screen	On-site Interview
1	3	0	1	0	9	1
0	2	0	0	1	7.5	0
0	2	1	0	0	7	0
0	4	0	1	0	8.5	1
1	4	0	1	0	9.5	1
1	2	0	1	0	6.5	0
0	3	1	0	0	8	0
1	2	0	0	1	8	0
1	4	0	1	0	9	1
0	4	0	1	0	7	1



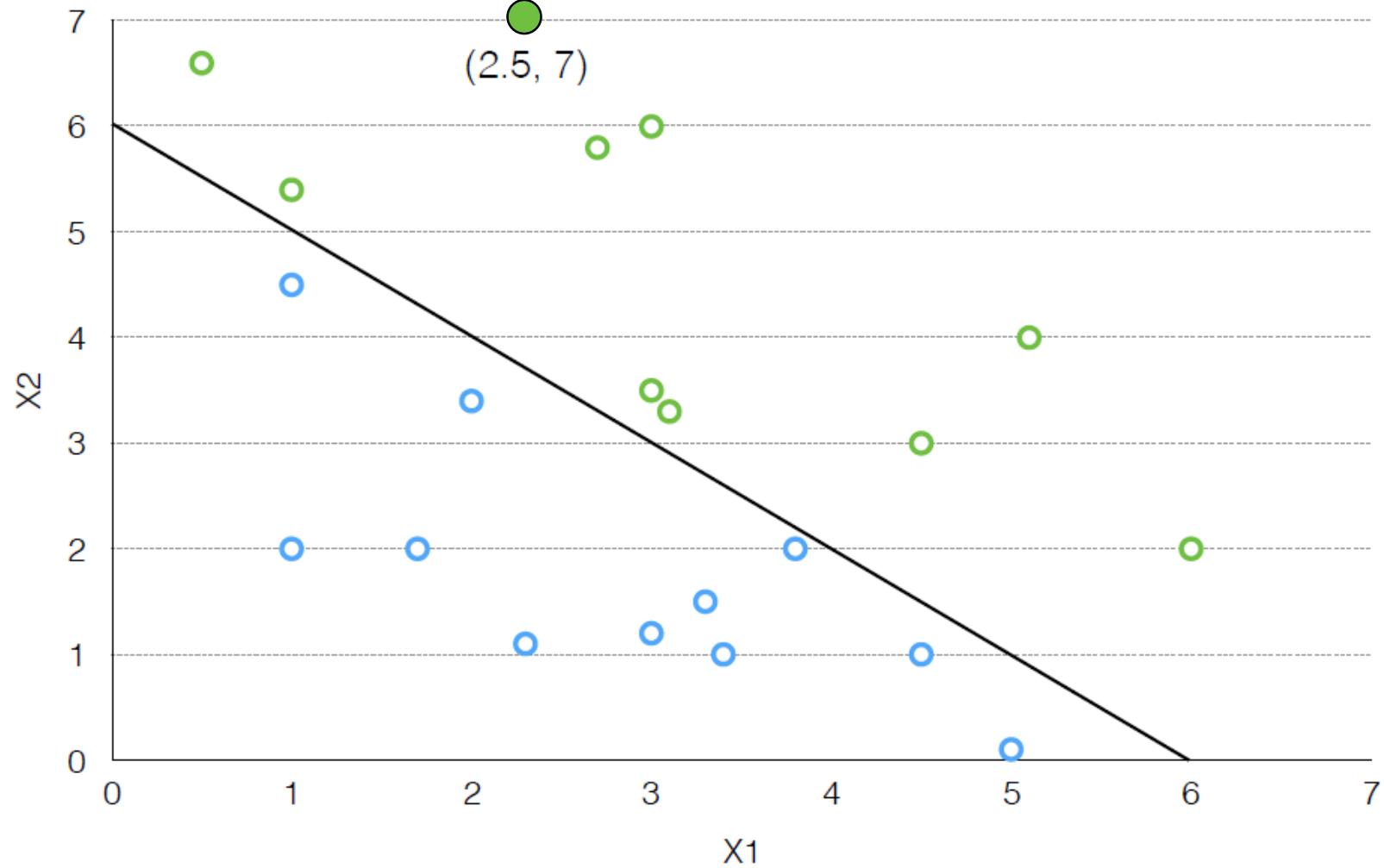
Decision Boundary = $-6 + 1x_1 + 1x_2$



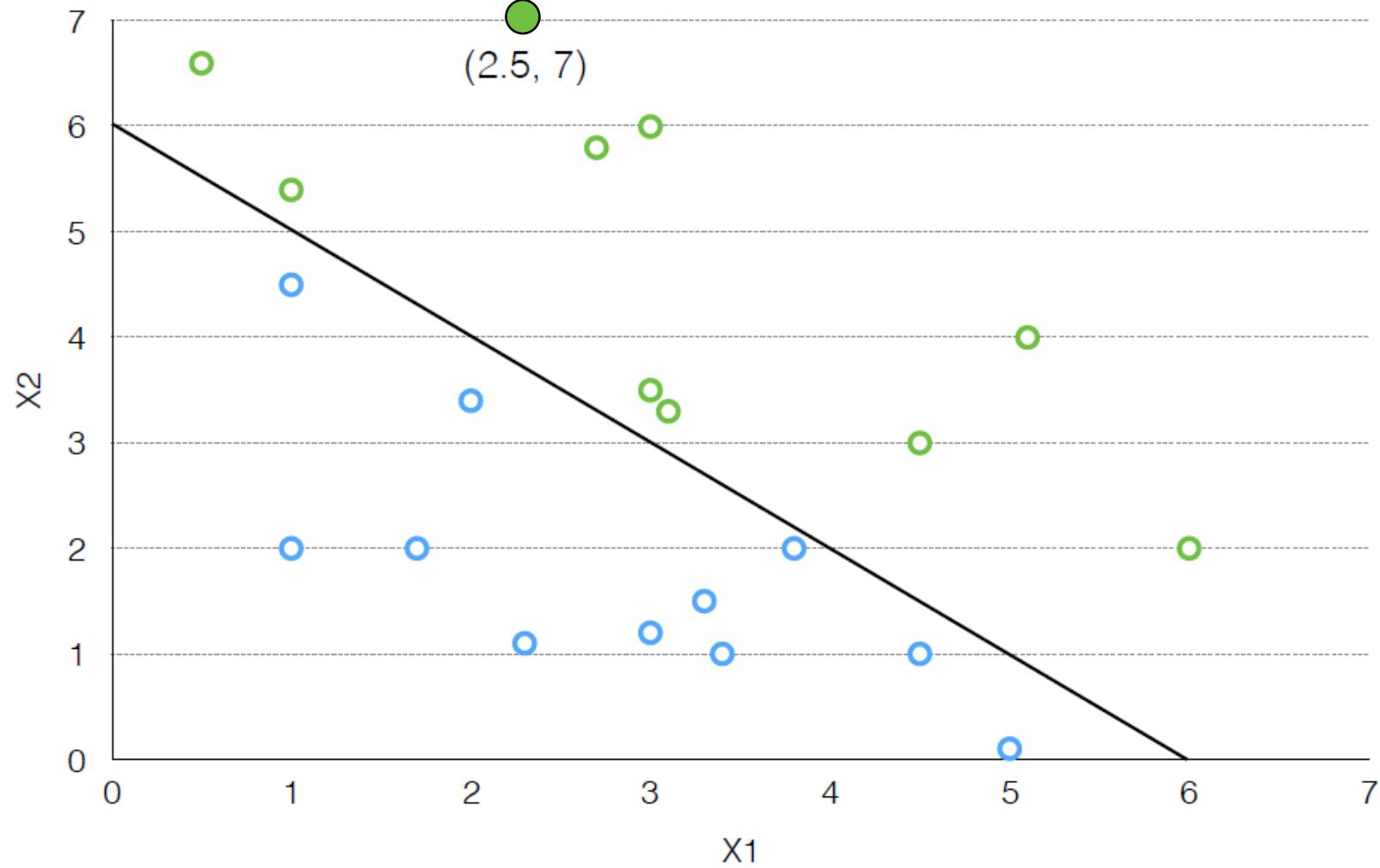
$$\hat{f}(X) = \frac{1}{1 + e^{-(-6 + 1x_1 + 1x_2)}}$$



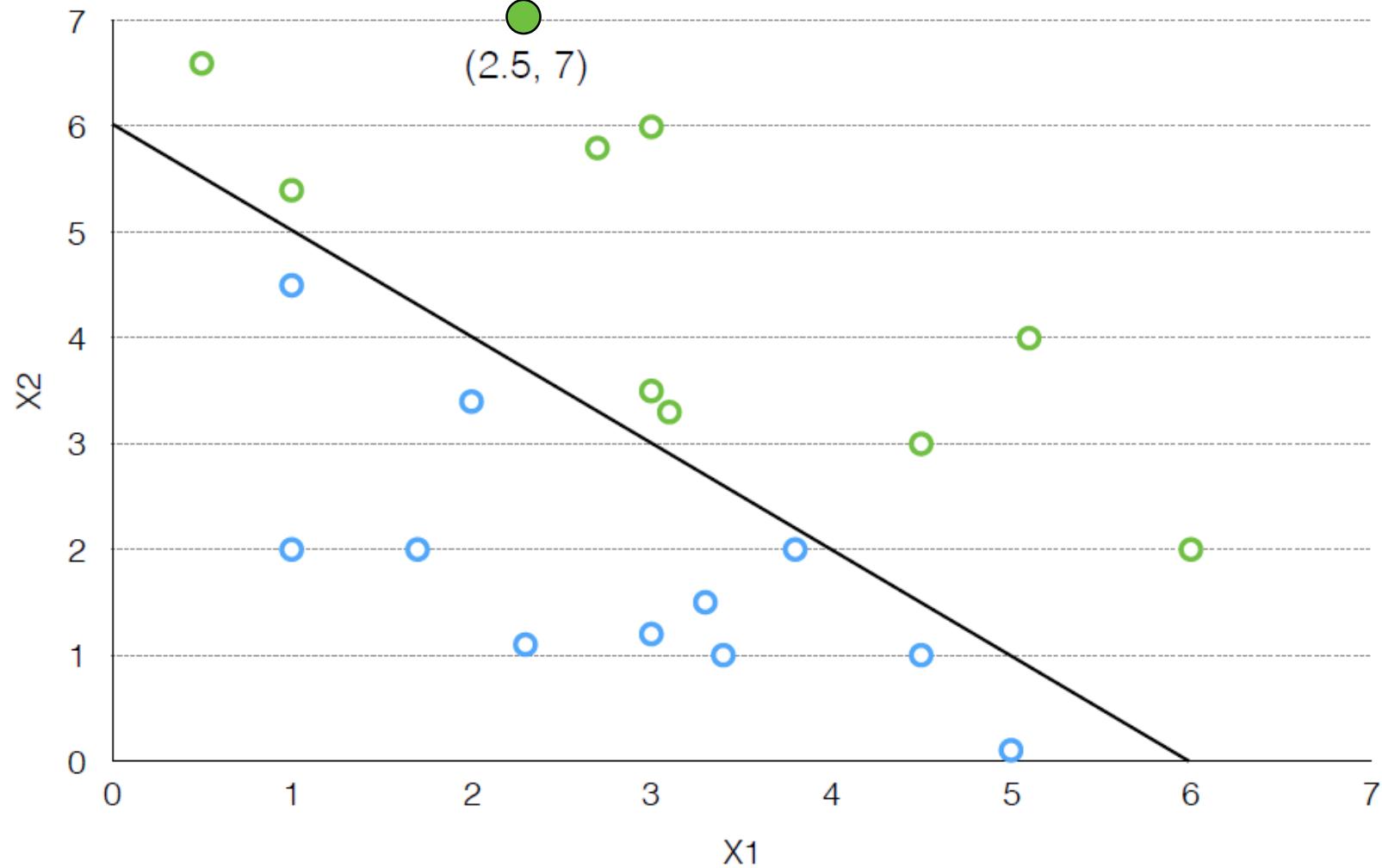
$$\frac{1}{1+e^{-(6+x_1+x_2)}}$$



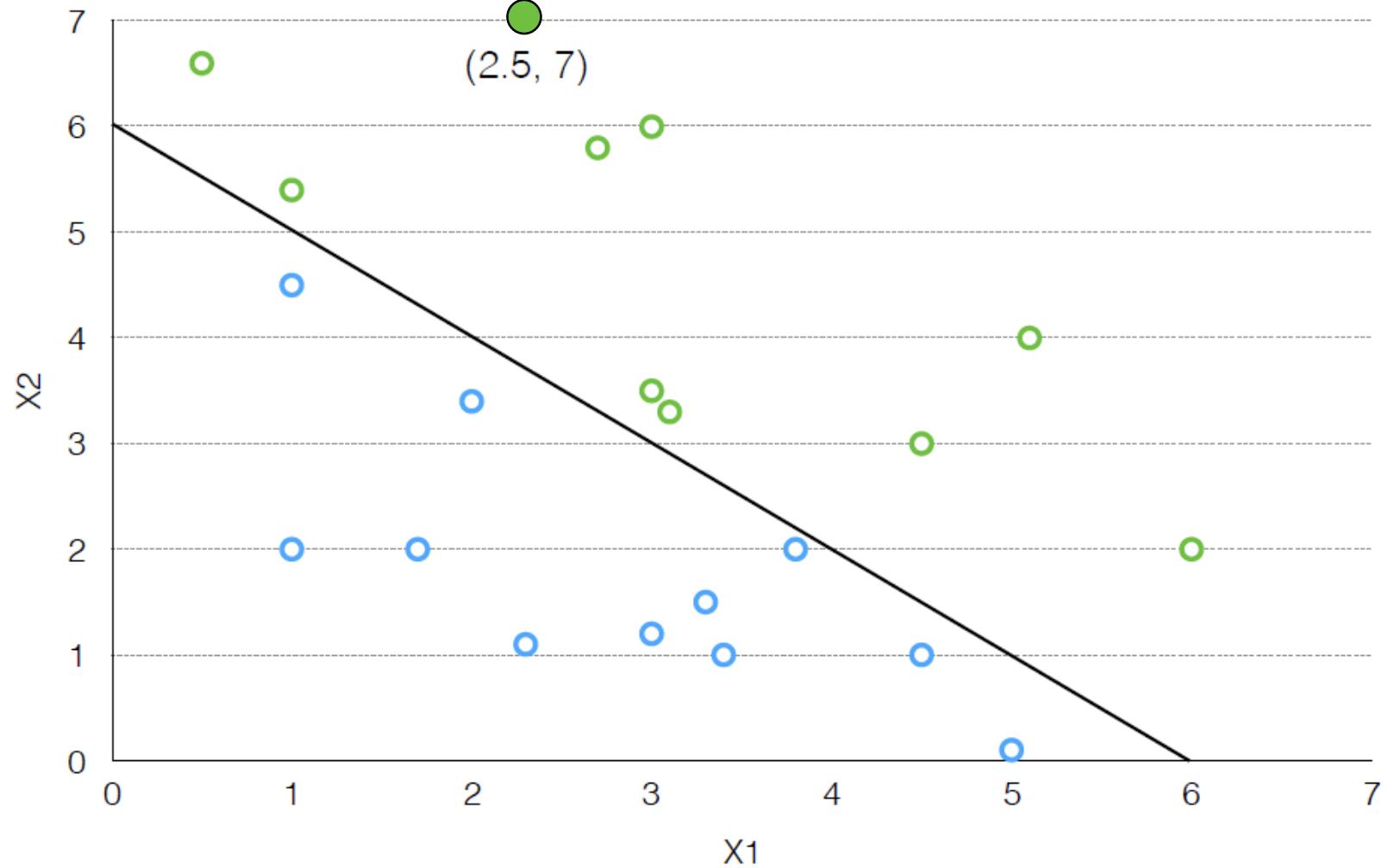
$$\frac{1}{1+e^{-(6+2.5+7)}}$$



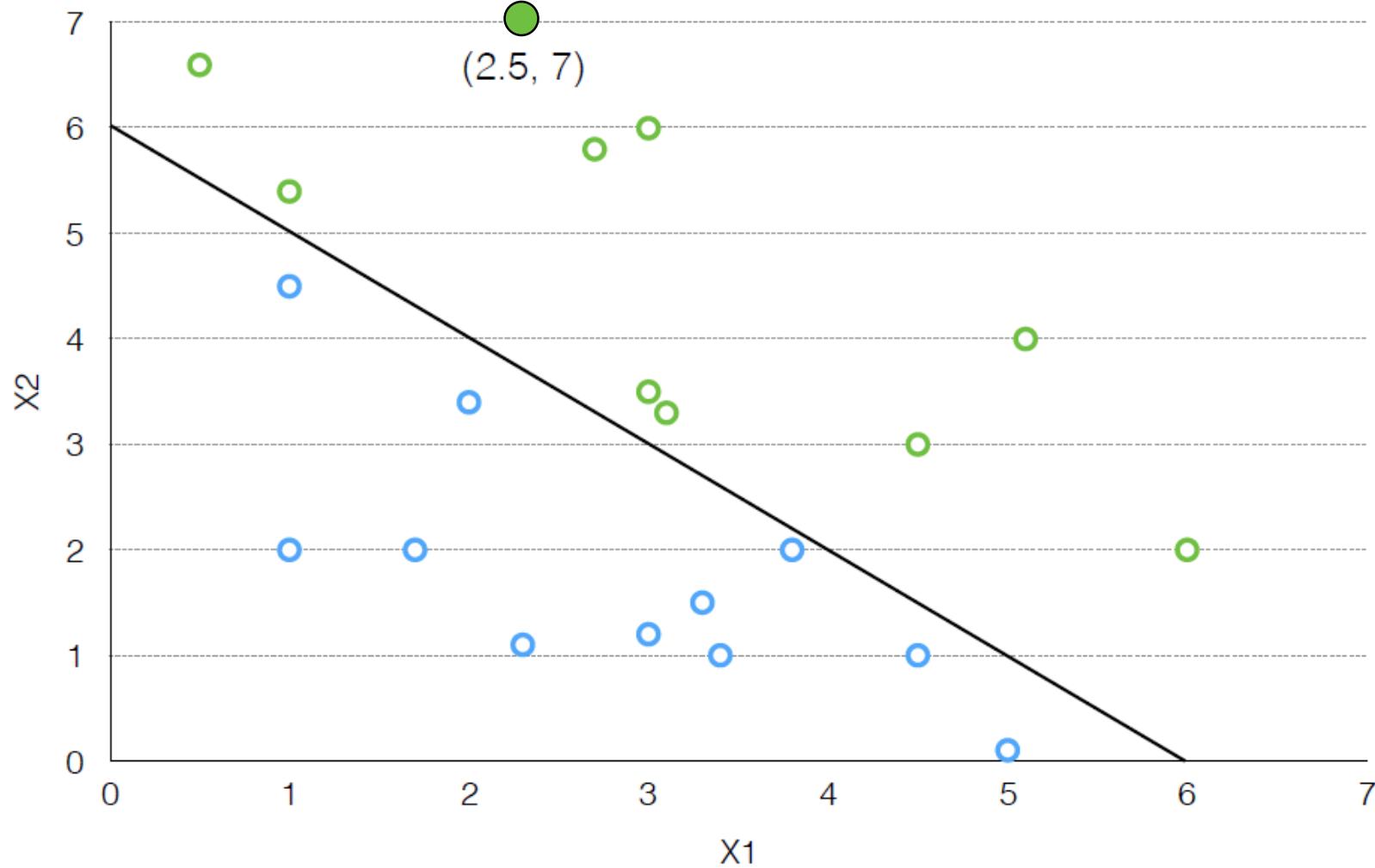
$$\frac{1}{1+e^{-(6+2.5+7)}}$$



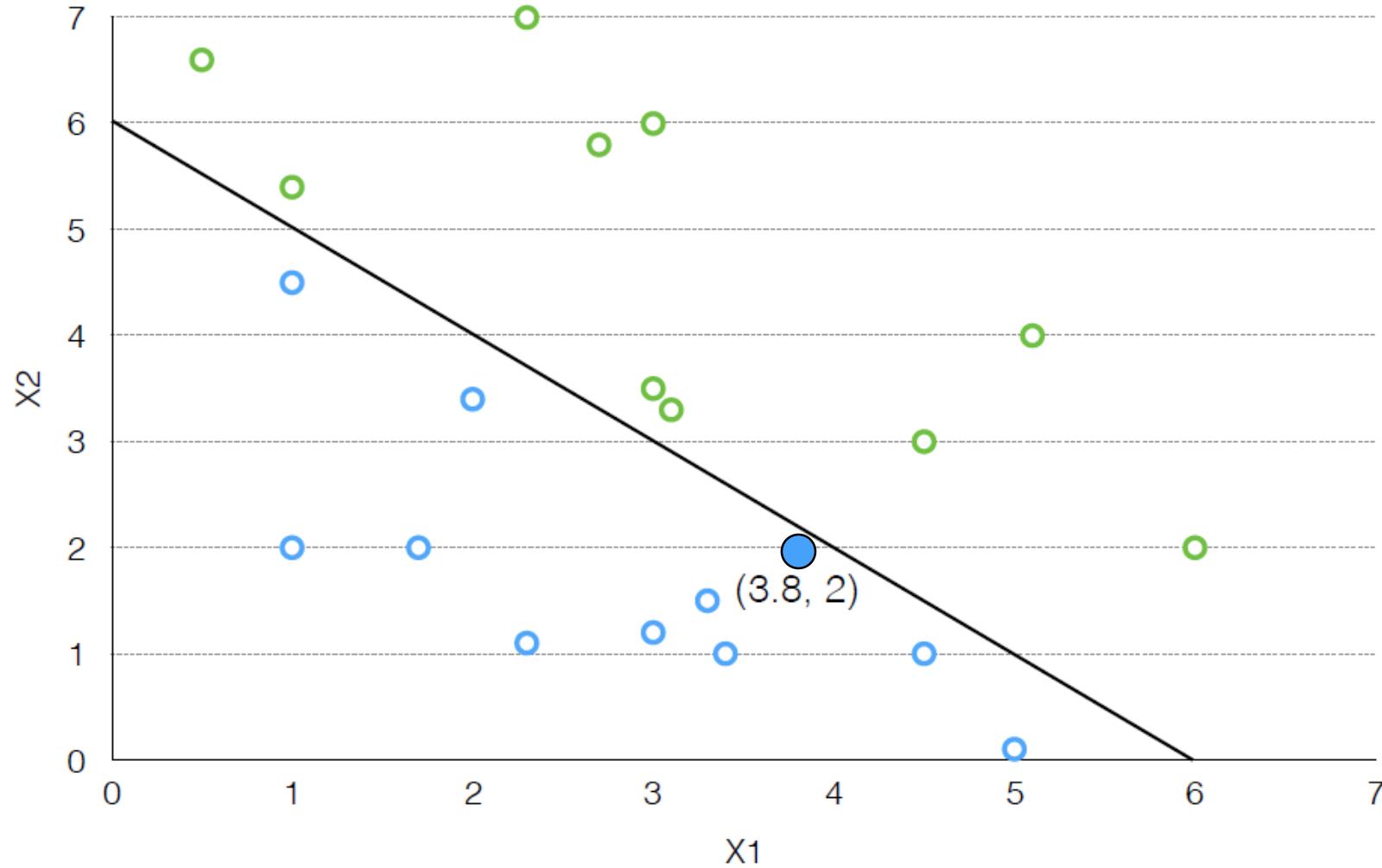
$$\frac{1}{1+e^{-(6+9.5)}}$$



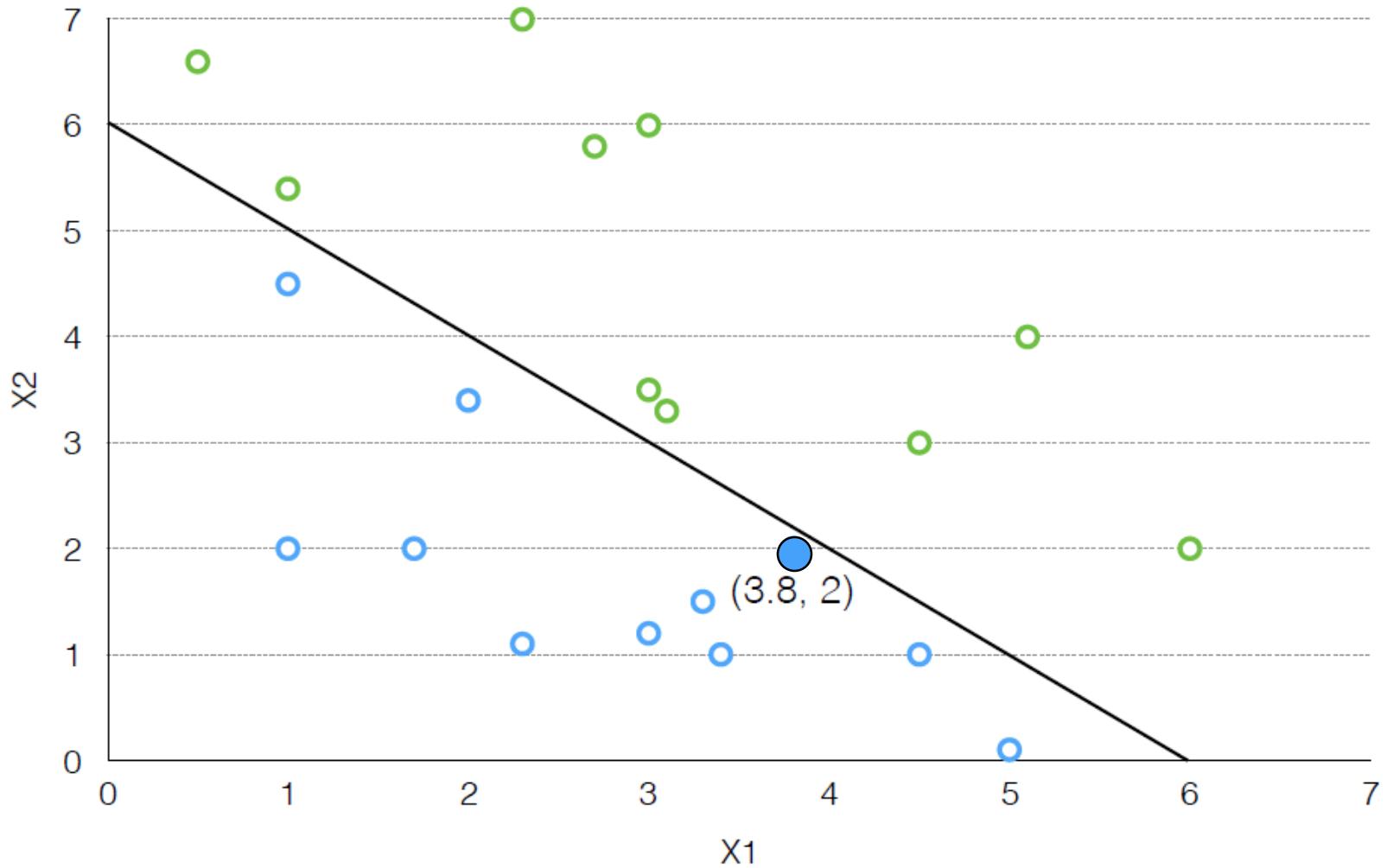
$$\frac{1}{1+e^{-(3.5)}} = .97 \text{ (probability)}$$



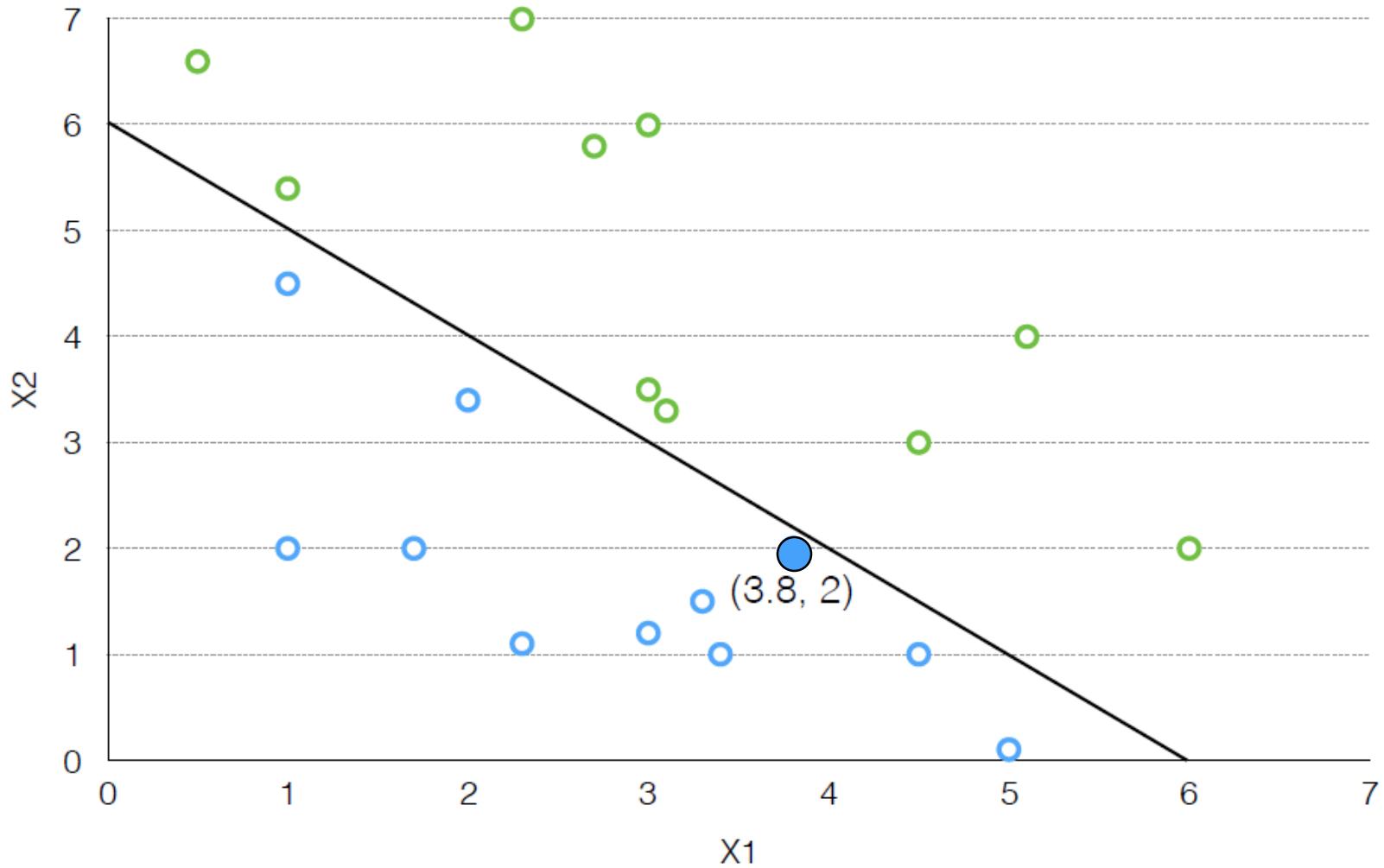
$$\frac{1}{1+e^{(-6 + 1x_1 + 1x_2)}}$$



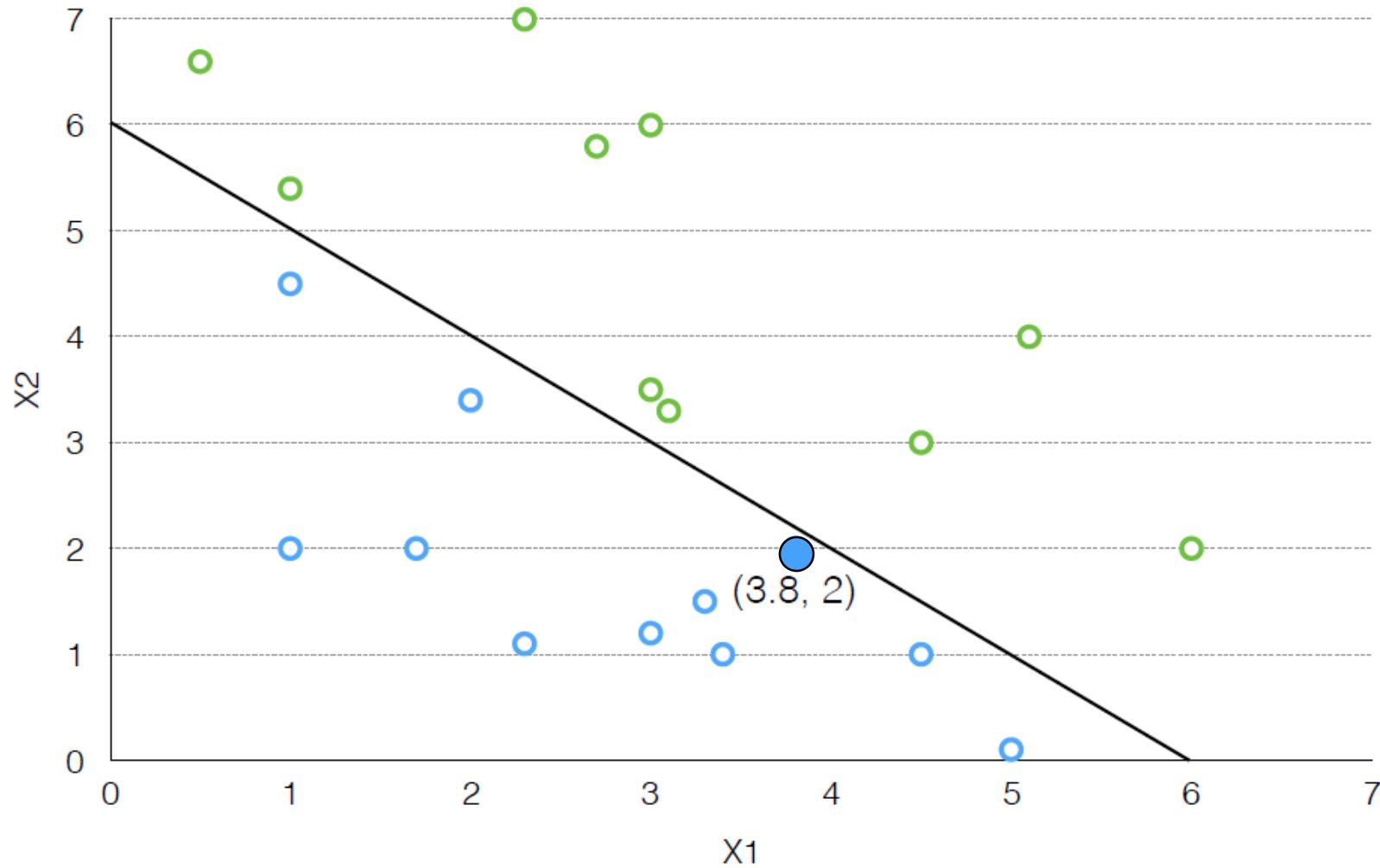
$$\frac{1}{1+e^{(-6 + 3.8 + 2)}}$$



$$\frac{1}{1+e^{-(6+5.8)}}$$



$$\frac{1}{1+e^{-(-0.2)}} = .45 \text{ probability}$$



Support Vector Machine

Support Vector Machine

$$\beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3$$

predict 1 when

$$\beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 \geq 0$$

predict 0 when

$$\beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 < 0$$

Support Vector Machine

predict 1 when $\beta_0 + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 \geq 1$

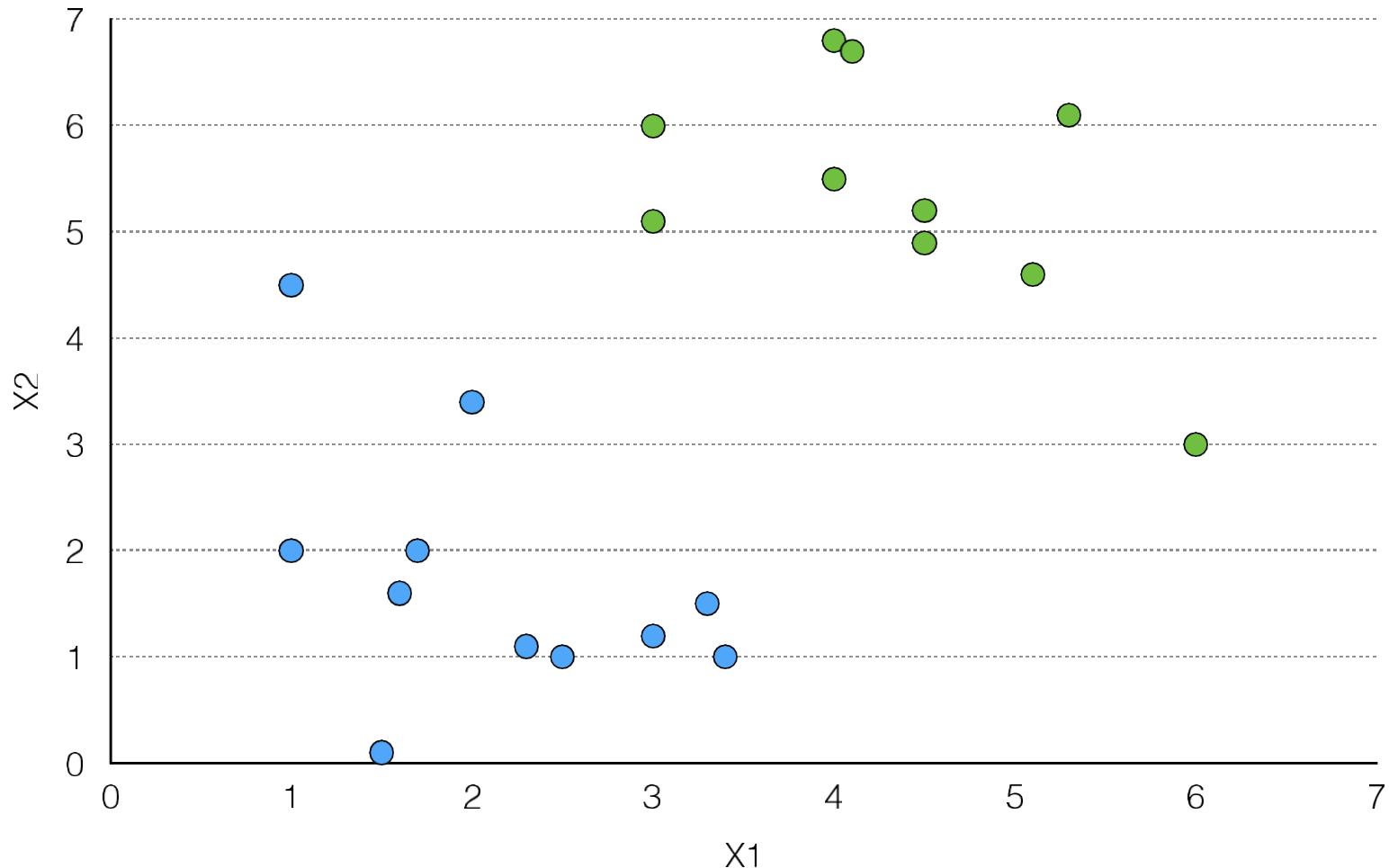
predict 0 when $\beta_0 + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 < -1$

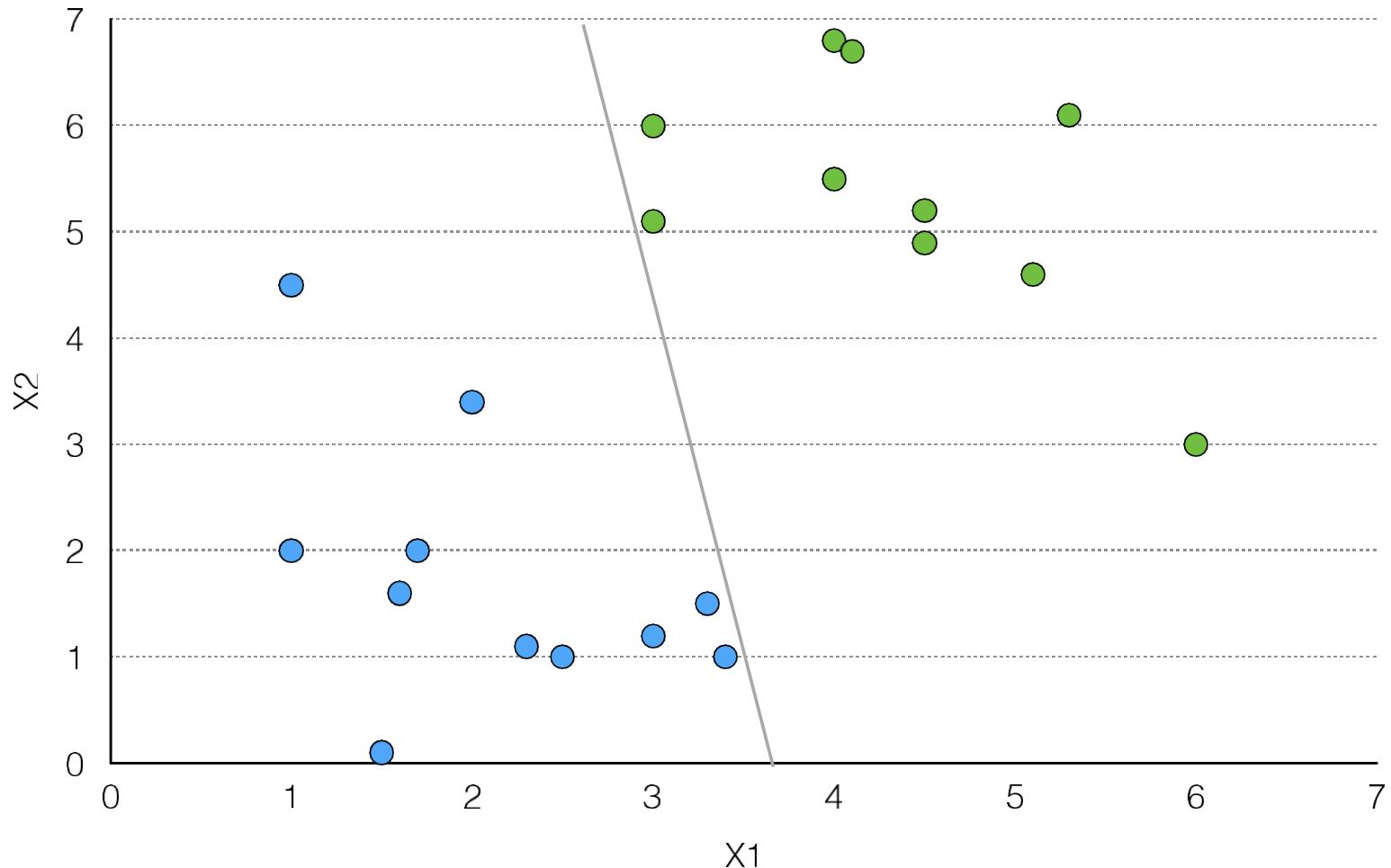
Support Vector Machine

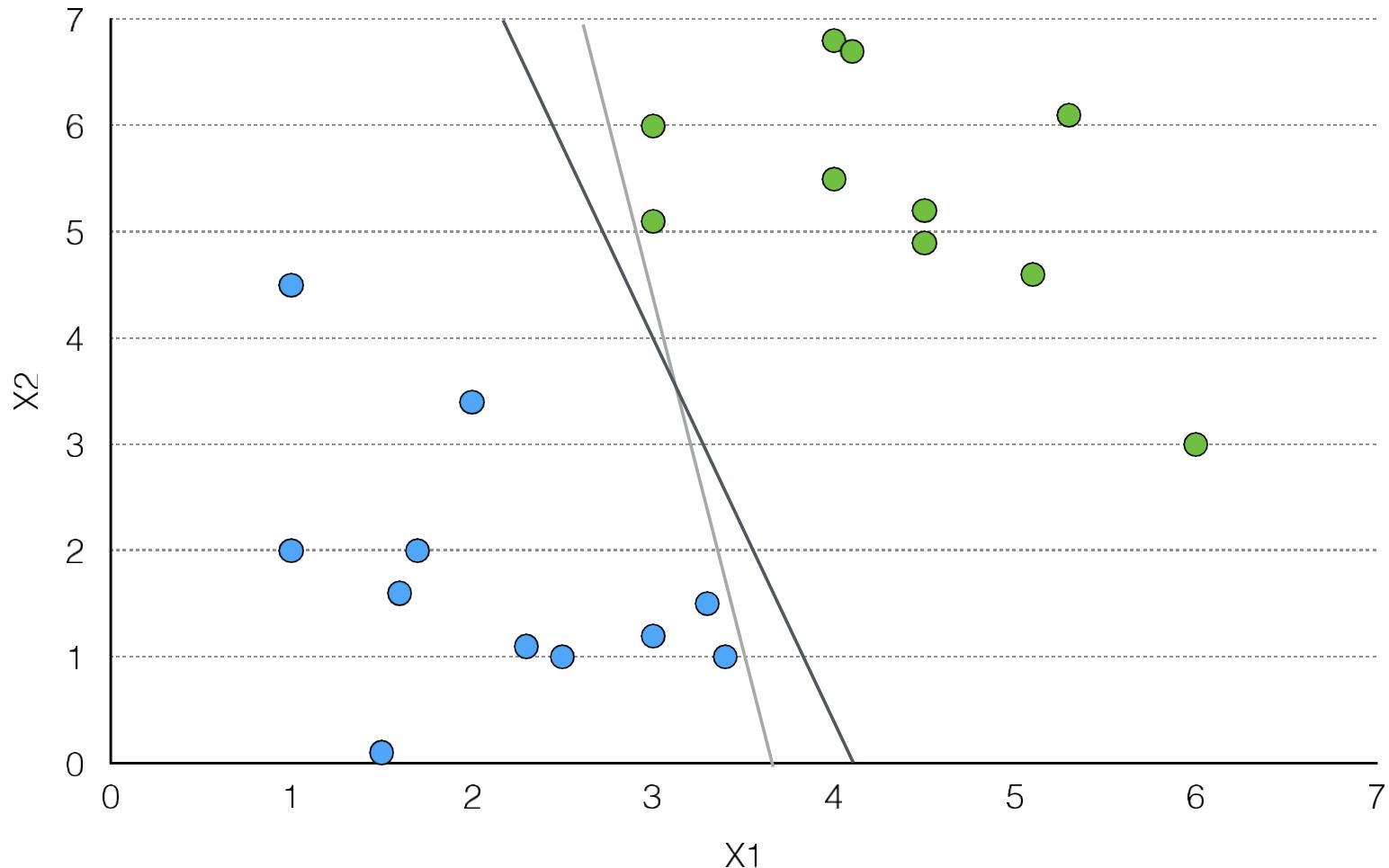
Large Margin Classifier

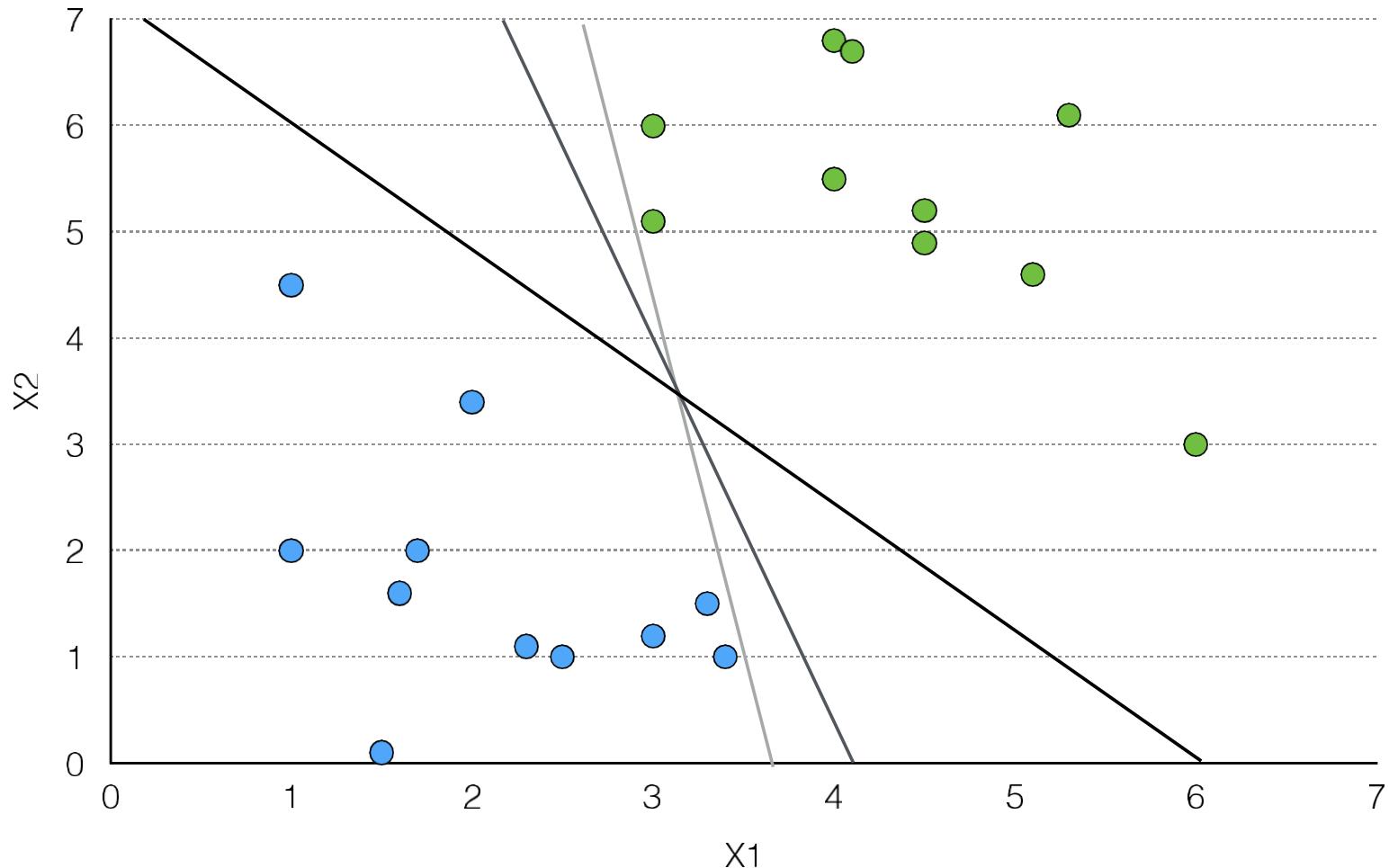
predict 1 when $\beta_0 + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 \geq 1$

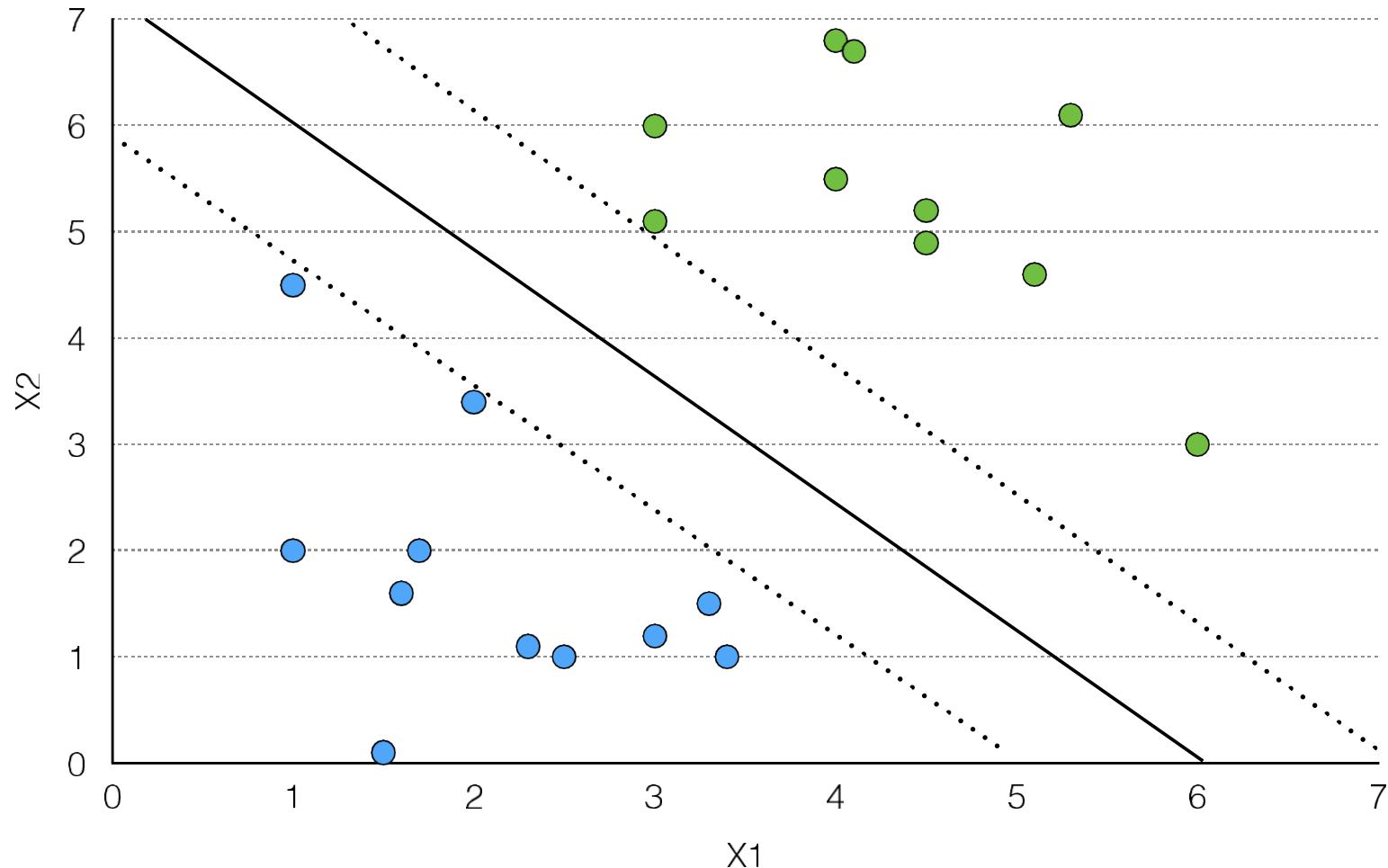
predict 0 when $\beta_0 + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 < -1$





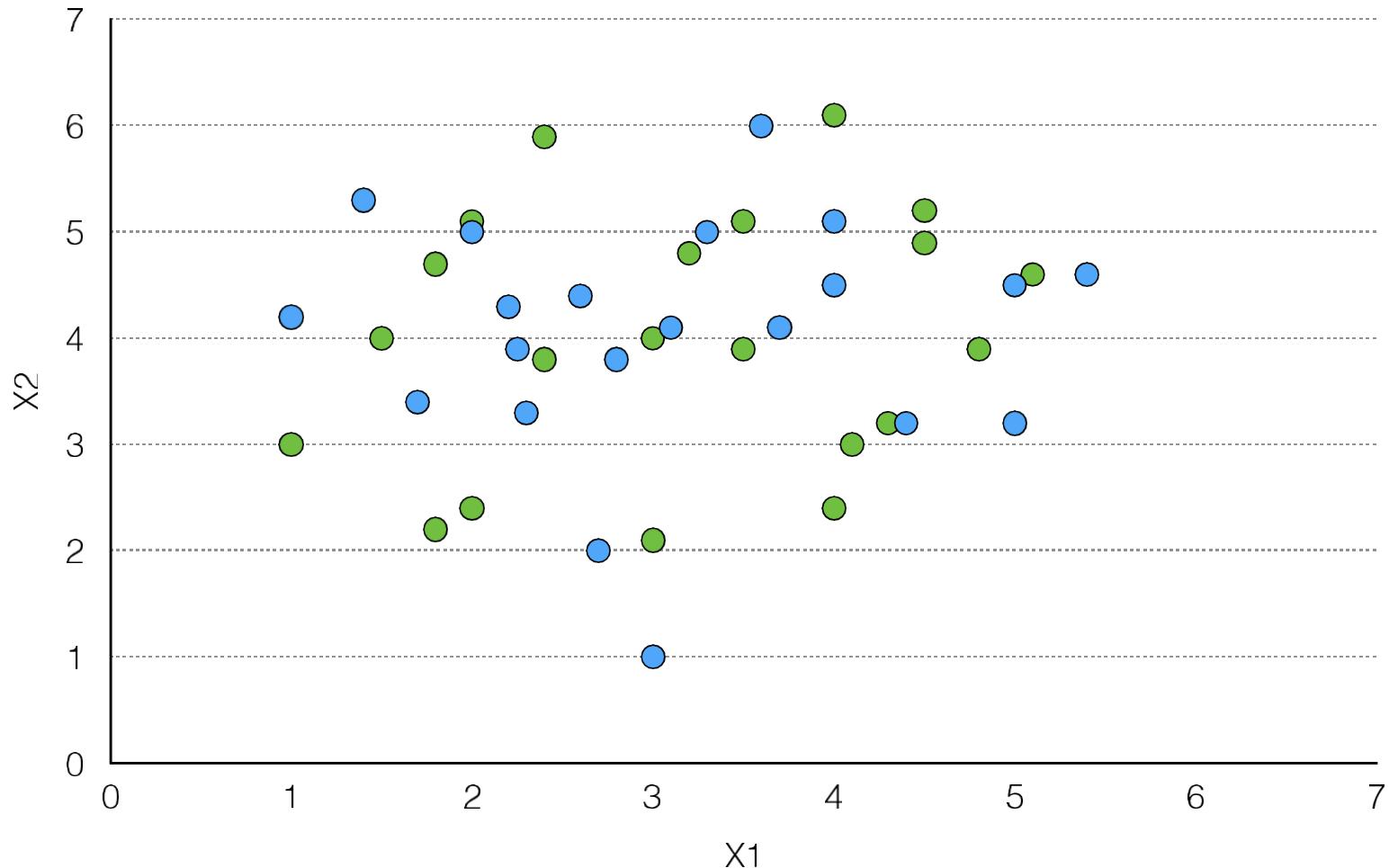








40-yard dash	Weight	Height	Drafted
5.10	290	74	1
4.92	275	75.5	1
4.43	178	69	0
4.62	221	74.5	1
4.91	248	75	0
5.53	303	77	0
4.47	189	71	1
4.56	205	71	1
4.75	267	73	0
4.84	261	74	1



40-yard dash	Weight	Height	Drafted
5.10	290	74	1
4.92	275	75.5	1
4.43	178	69	0
4.62	221	74.5	1
4.91	248	75	0
5.53	303	77	0
4.47	189	71	1
4.56	205	71	1
4.75	267	73	0
4.84	261	74	1

Feature Engineering

40-yard dash	BMI (wt/ht ²)	Drafted
5.10	37.2	1
4.92	33.9	1
4.43	26.3	0
4.62	28	1
4.91	31	0
5.53	35.9	0
4.47	26.4	1
4.56	28.6	1
4.75	35.2	0
4.84	33.5	1

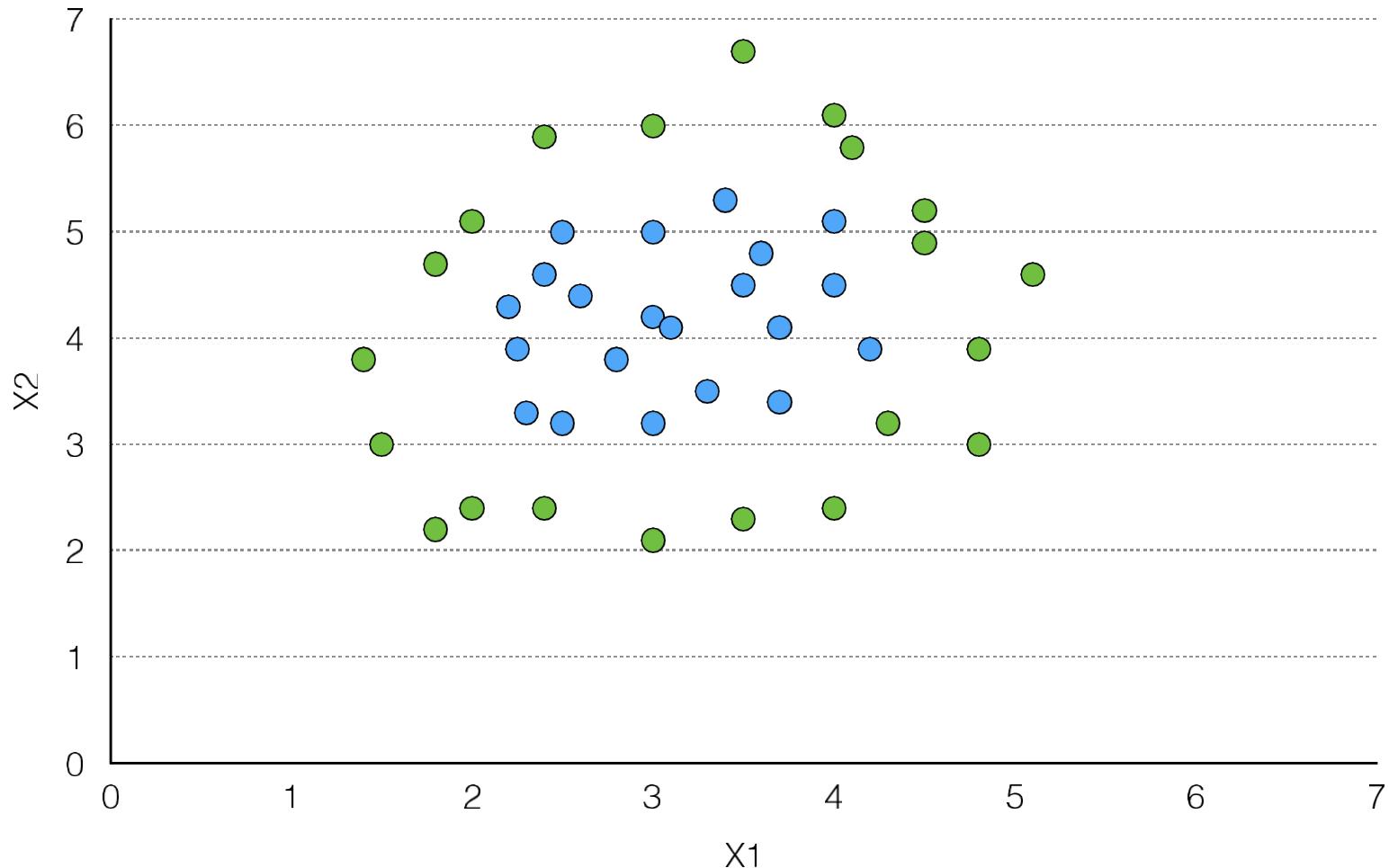


Feature Engineering

40-yard dash	BMI (wt/ht ²)	Drafted
5.10	37.2	1
4.92	33.9	1
4.43	26.3	0
4.62	28	1
4.91	31	0
5.53	35.9	0
4.47	26.4	1
4.56	28.6	1
4.75	35.2	0
4.84	33.5	1

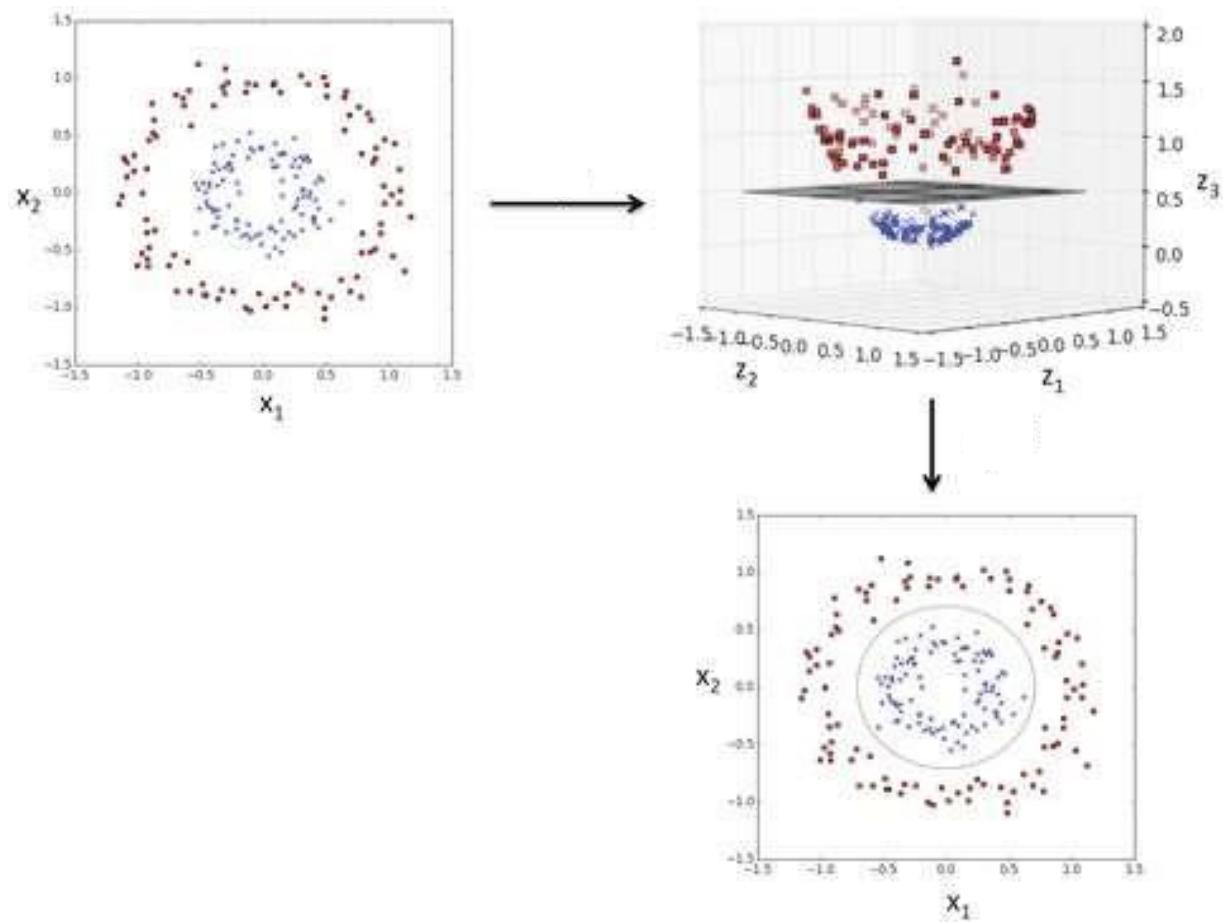
Feature Engineering

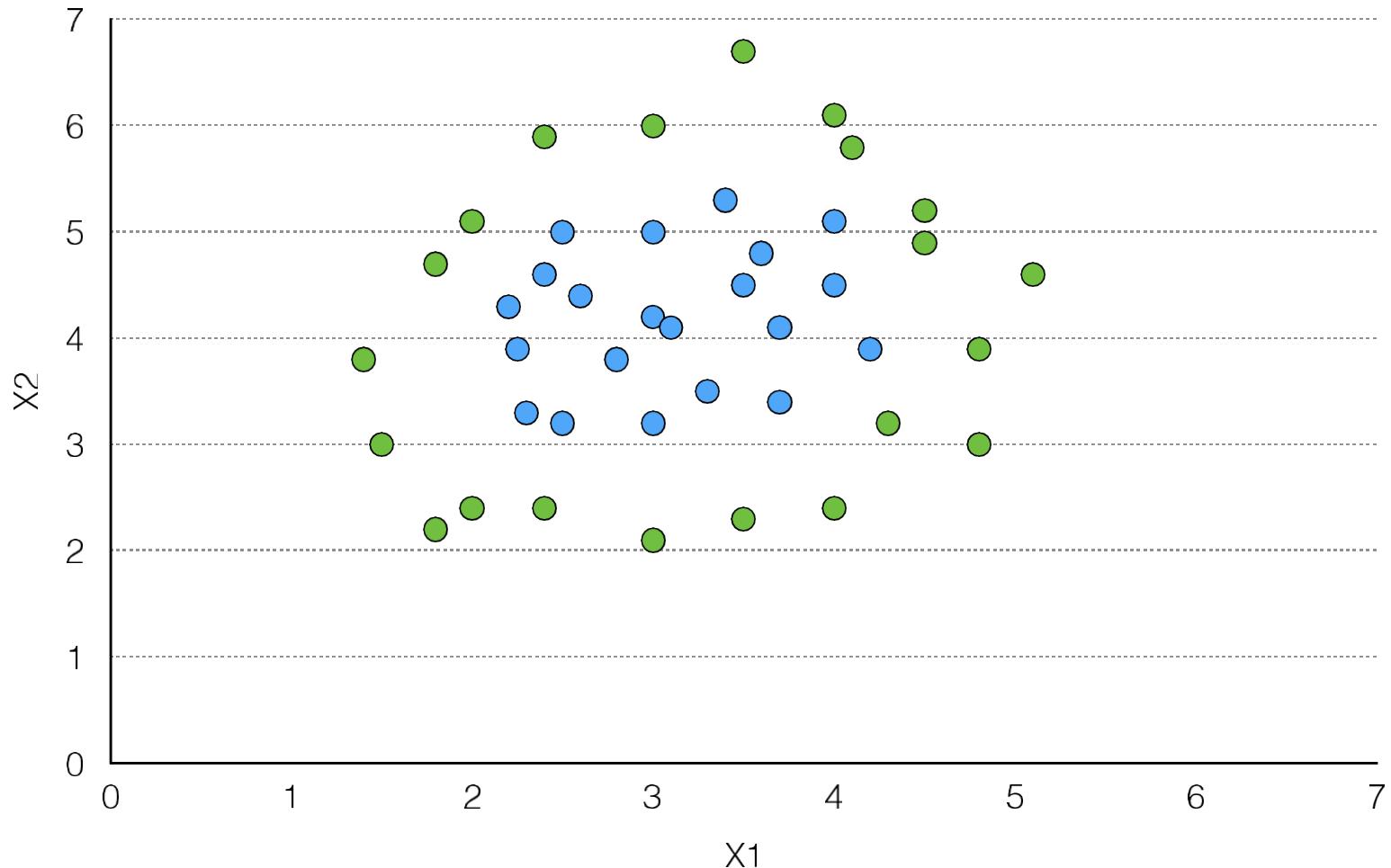
Speed-to-Size (40-yd/bsa)	BMI (wt/ht ²)	Drafted
2.16	37.2	1
2.06	33.9	1
2.02	26.3	0
1.97	28	1
2.23	31	0
2.00	35.9	0
2.03	26.4	1
1.99	28.6	1
1.85	35.2	0
2.03	33.5	1

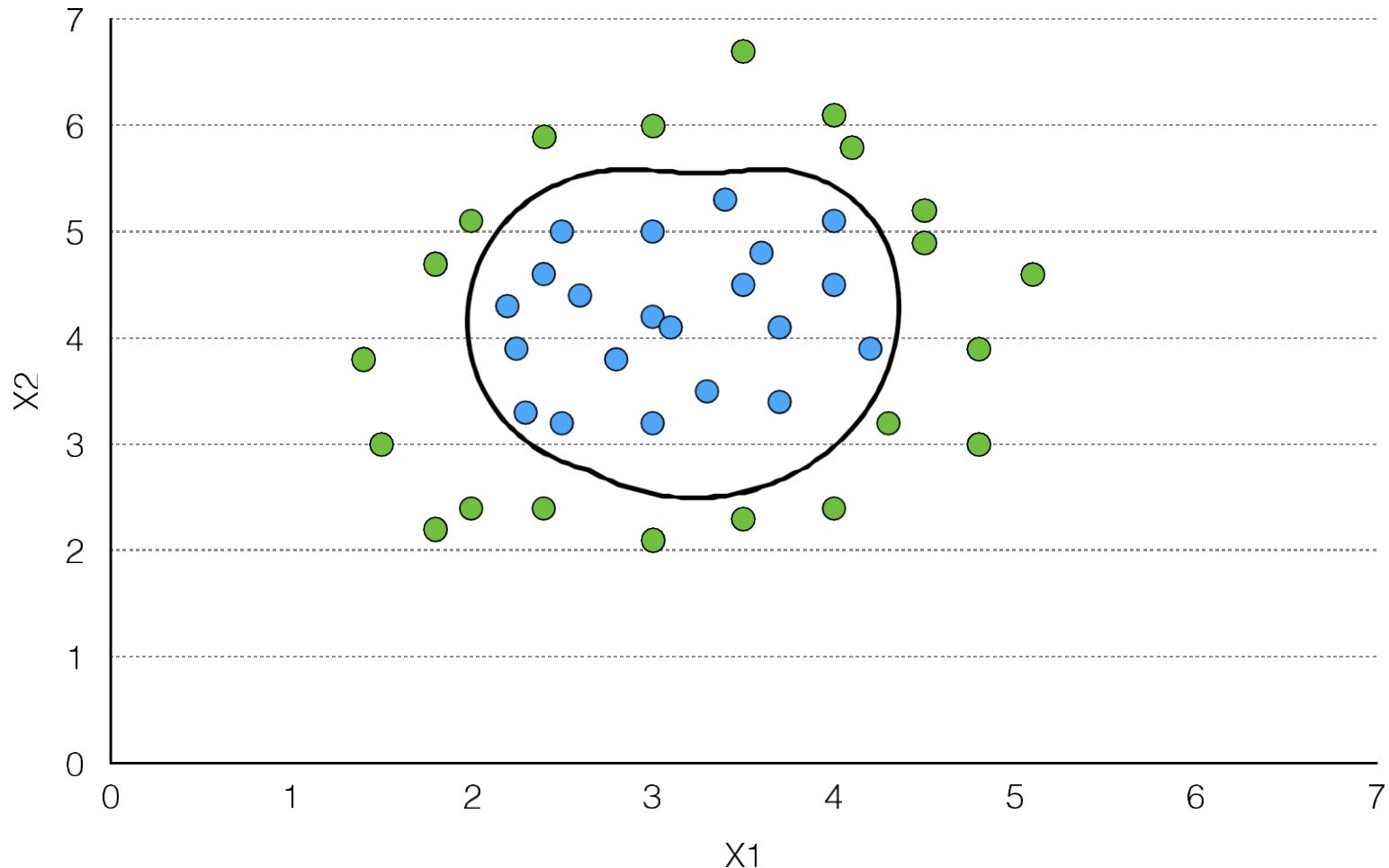


Kernel

Non-linear Classification

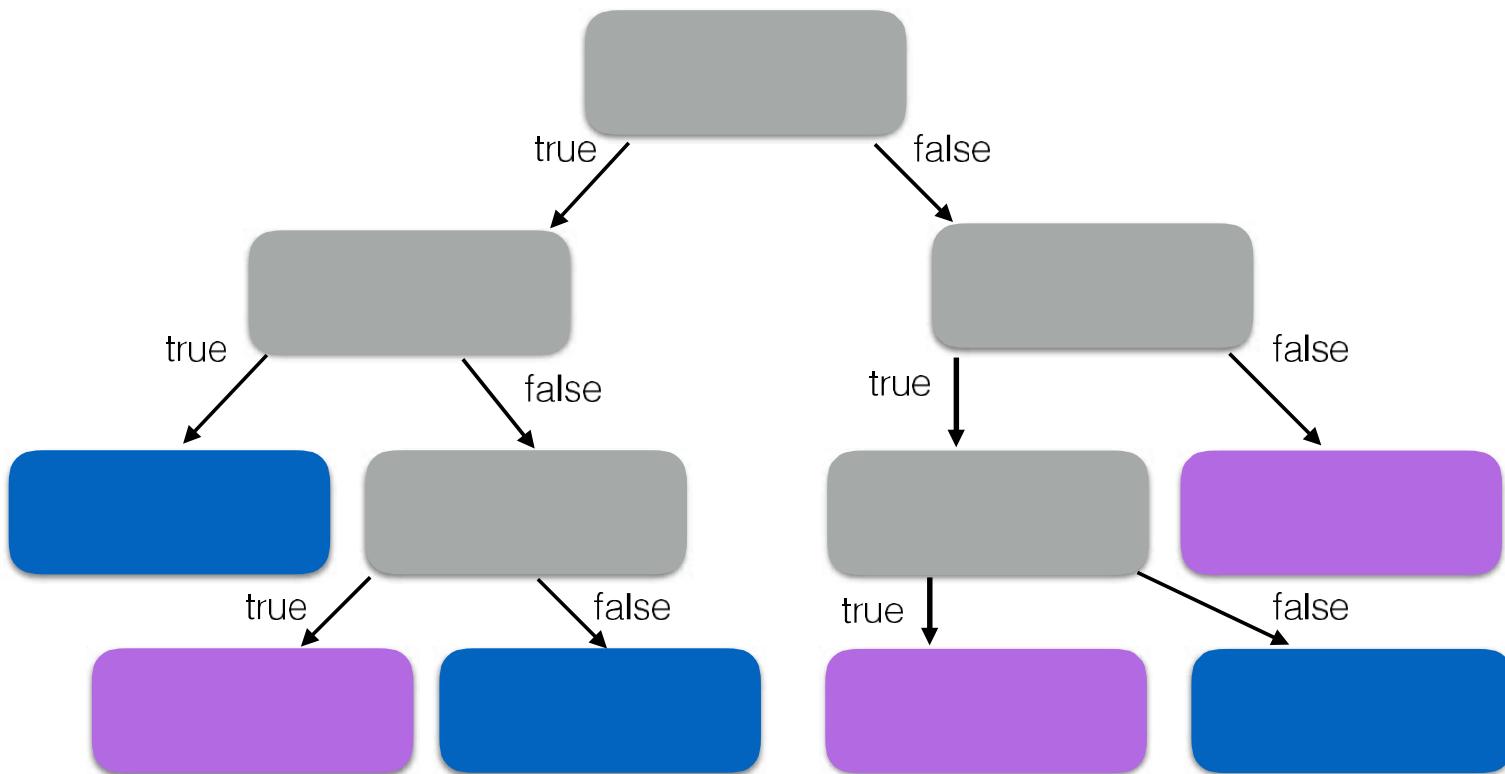






Decision Tree

Decision Tree

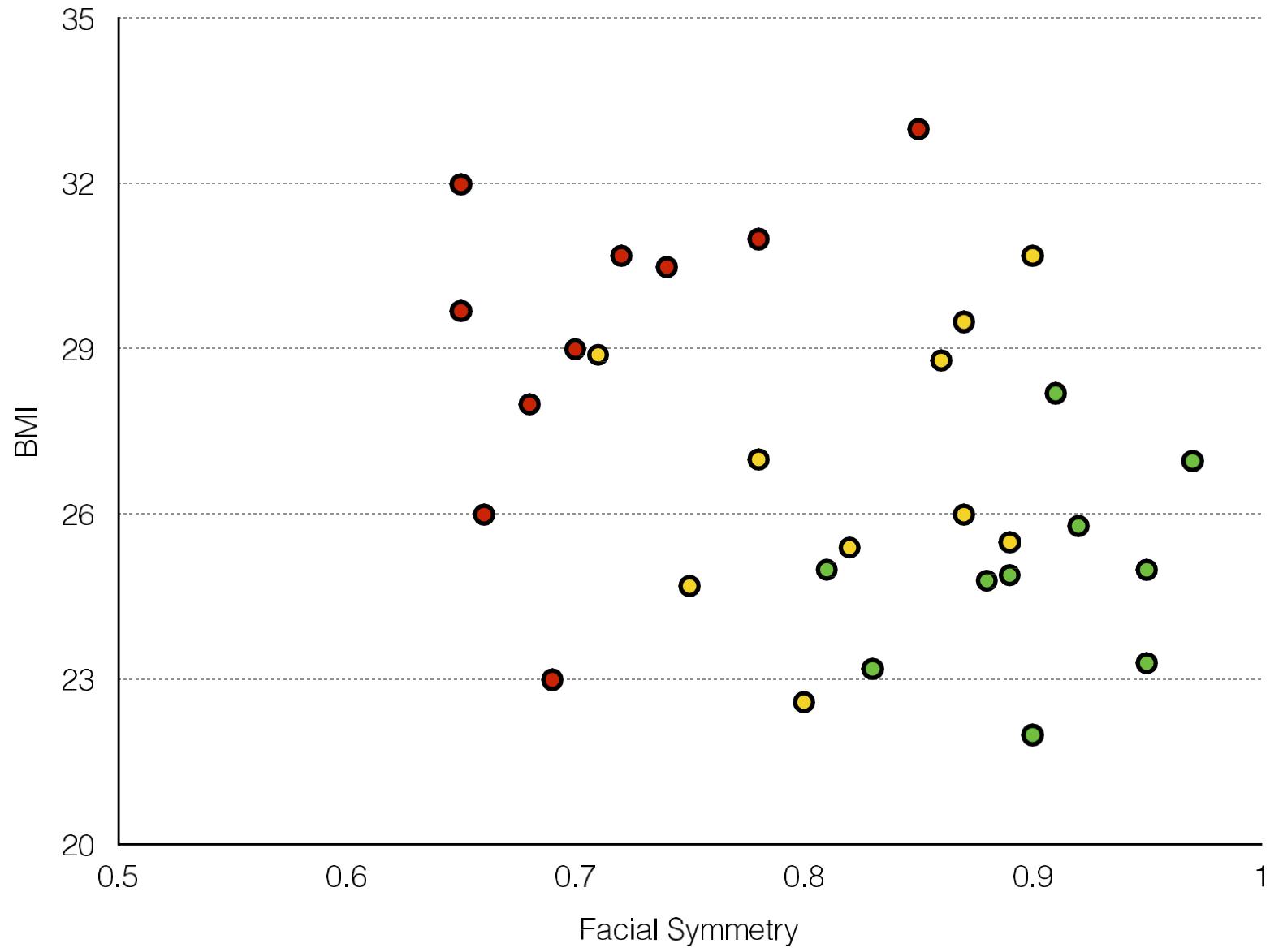


Short-term Attractiveness



Short-term Attractiveness

Facial Symmetry	BMI	Waist-to-Hip	Well-Groomed
0.9	23.4	0.93	1
0.85	27.9	0.87	0
0.65	27.1	0.79	1
0.85	22.6	0.91	1
0.9	30.3	0.82	0
0.75	29.0	0.82	0
0.85	22.3	0.89	1
0.7	37.6	0.73	0
0.85	24.2	0.85	0

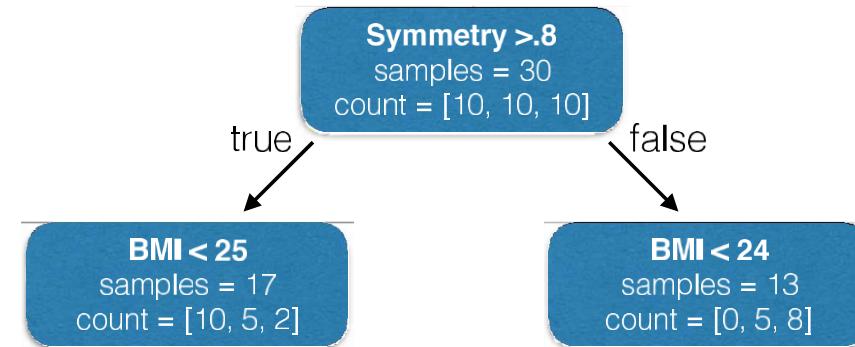


Symmetry >.8

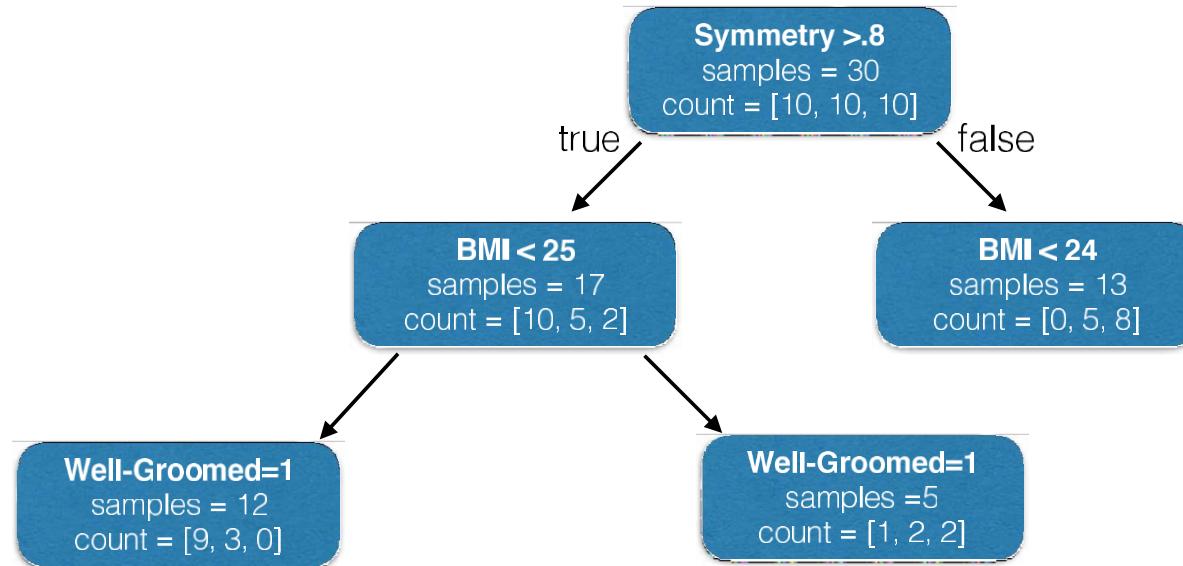
samples = 30

count = [10, 10, 10]

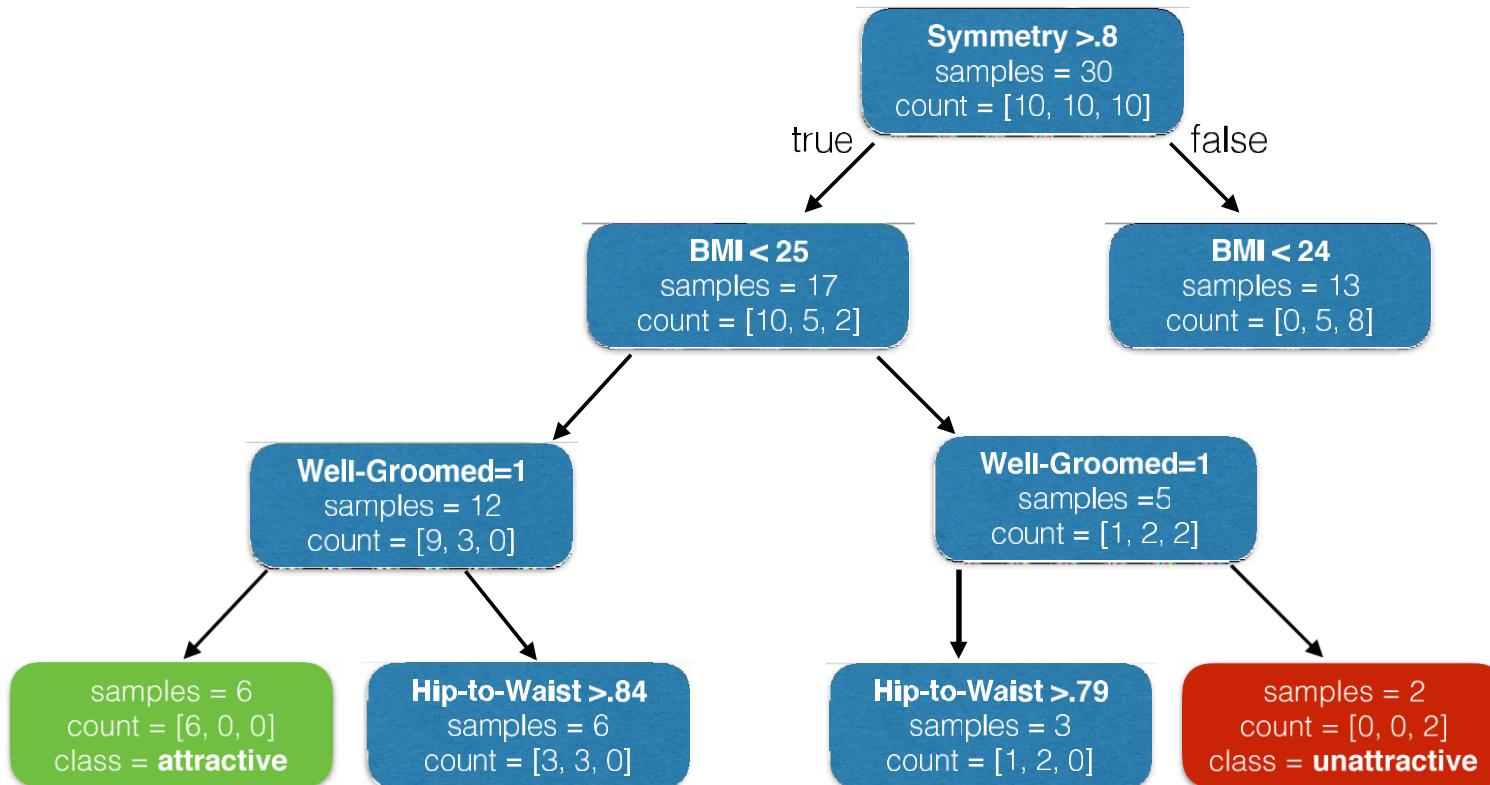
[att, ave, un]



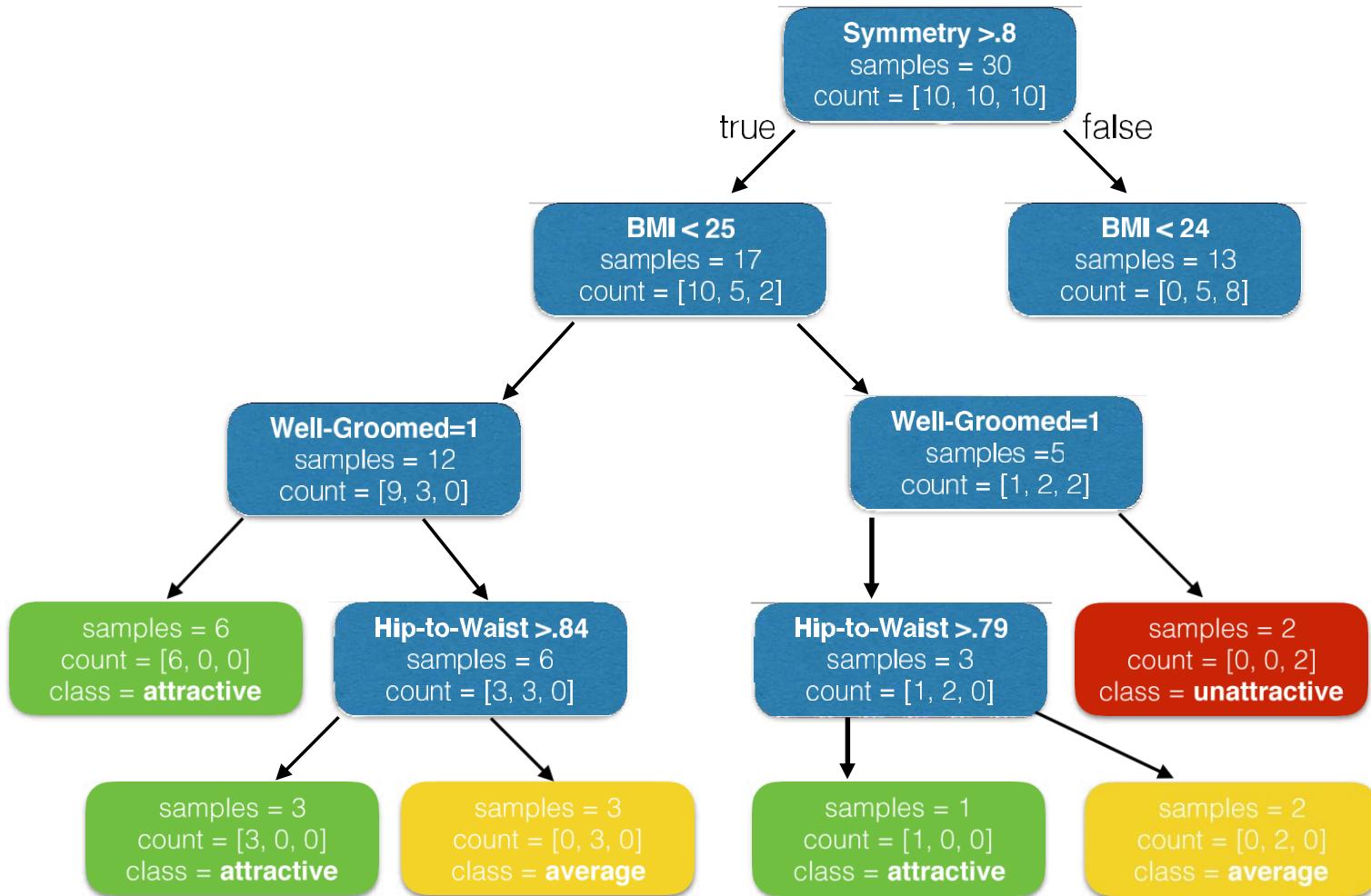
[att, ave, un]



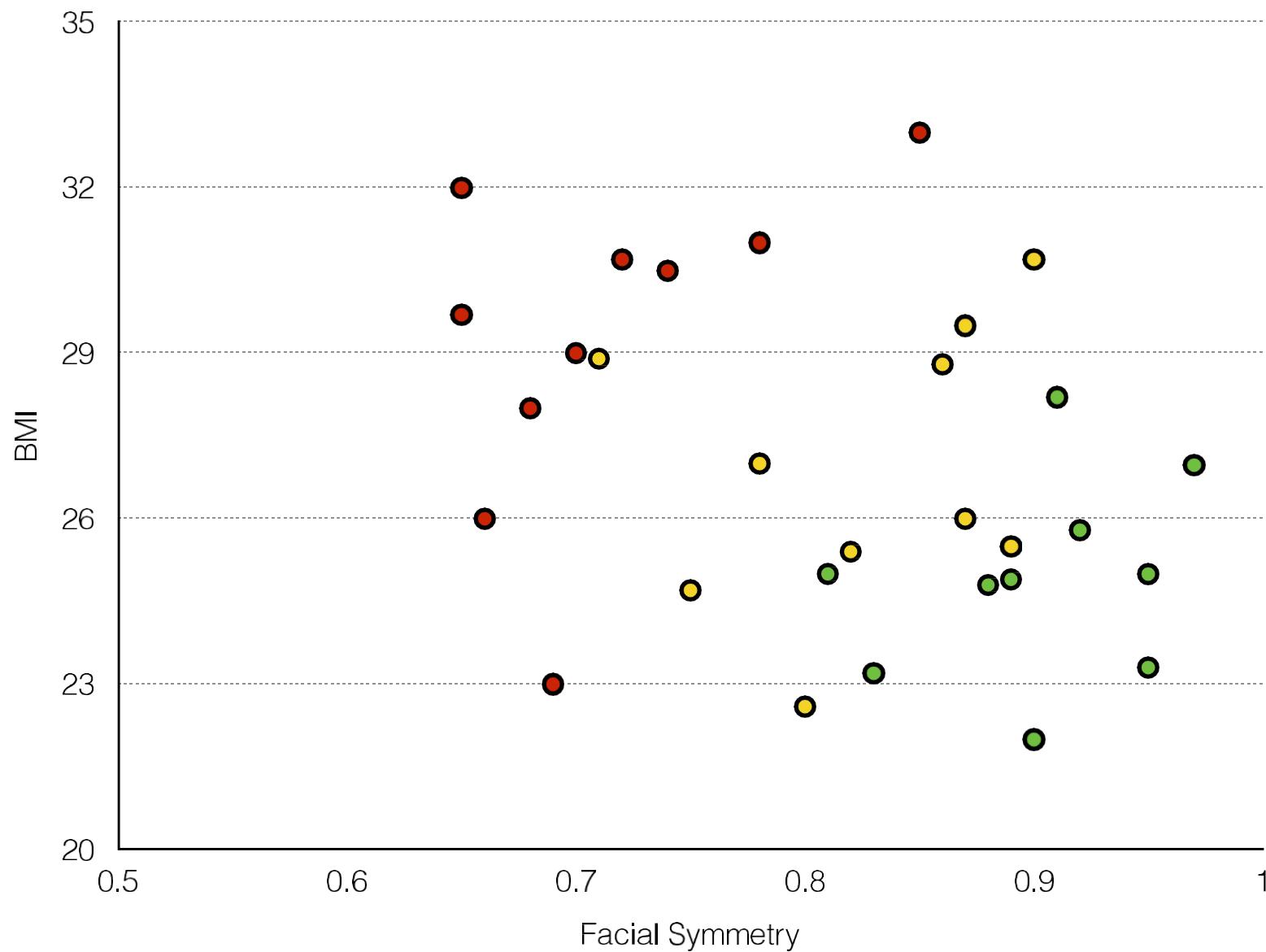
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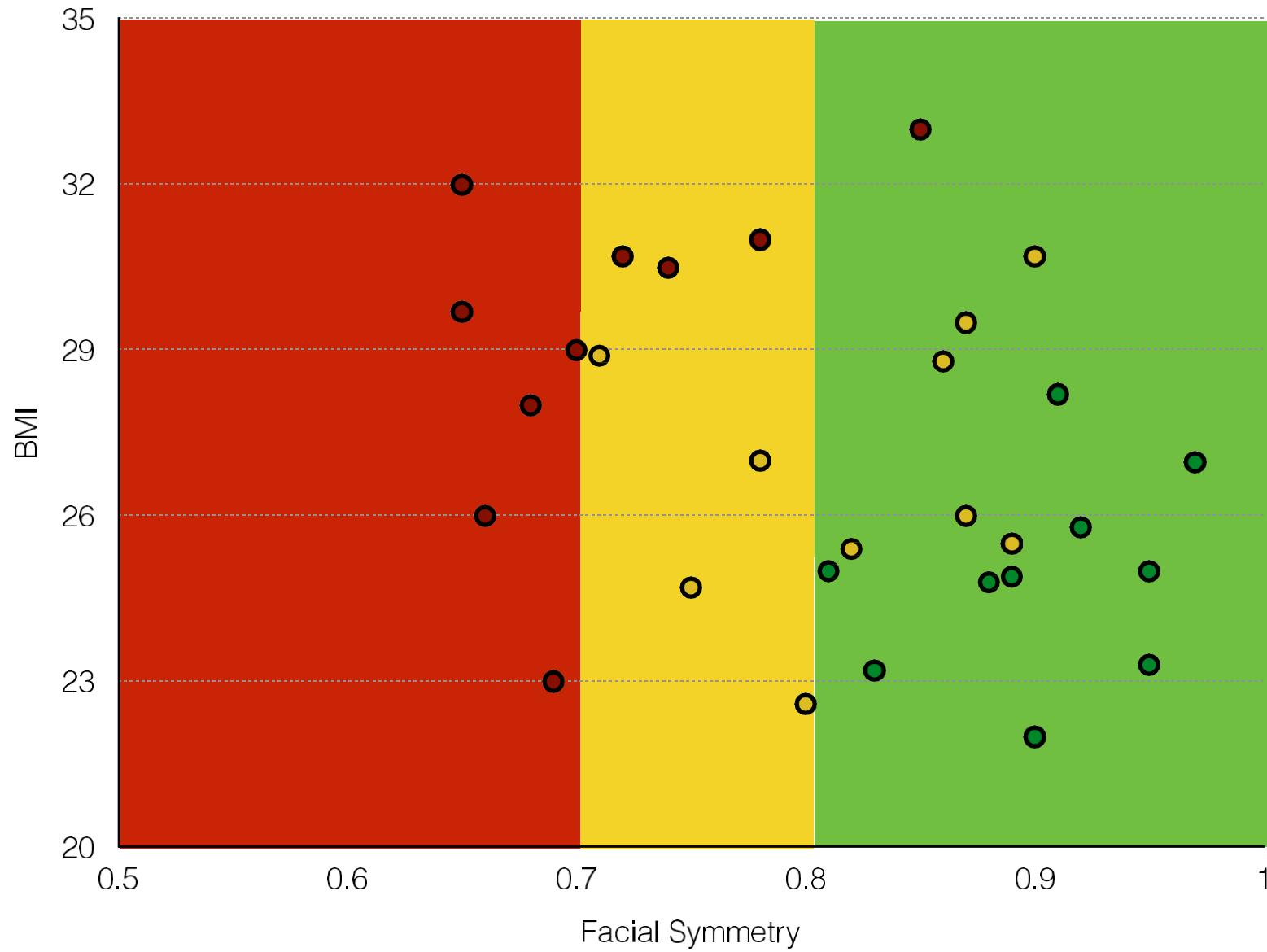


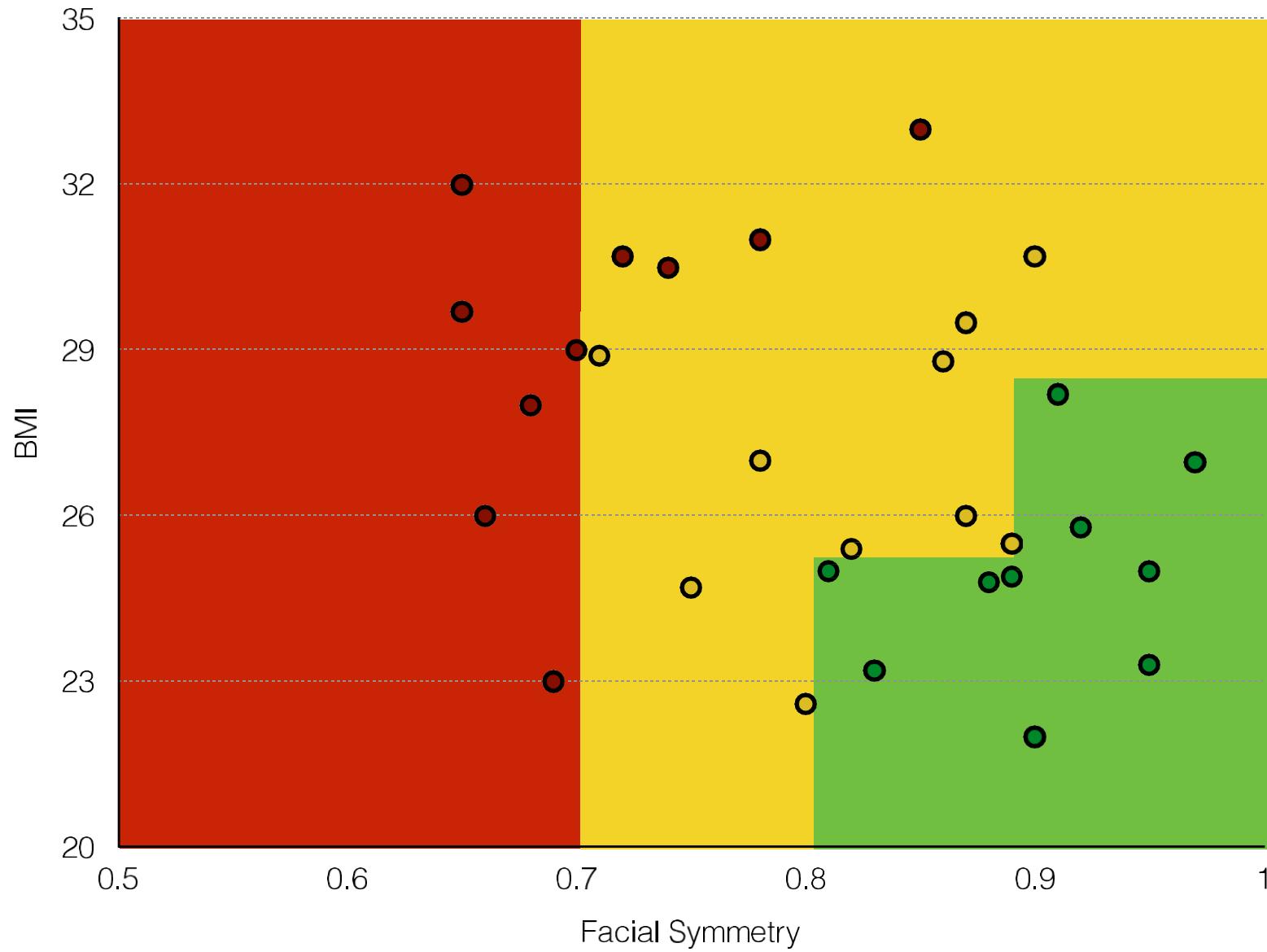
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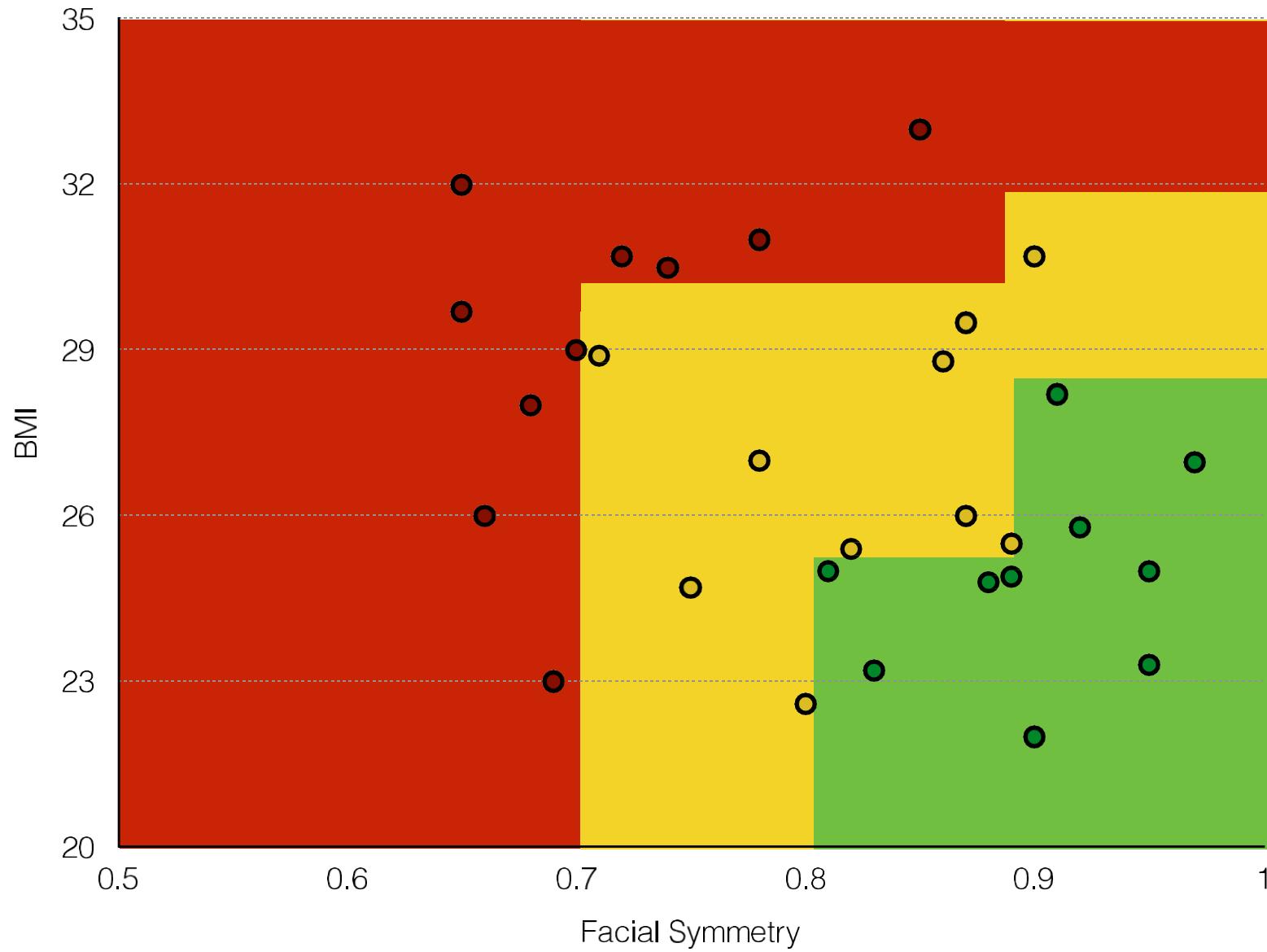


[att, ave, un]









K-nearest Neighbor







	Number of Relationships	Grade of First Relationship
sample a	3	7
sample b	6	11
sample c	3	9
sample d	5	10

Euclidean Distance

point a = [a₁, a₂]

point b = [b₁, b₂]

Euclidean Distance

point a = [a₁, a₂]

point b = [b₁, b₂]

Two dimensions (features)

$$\sqrt{(a_1 - b_1)^2 + (a_2 - b_2)^2}$$

Euclidean Distance

Feature Vector

$$a = [3, 7]$$

$$b = [6, 11]$$

Euclidean Distance

$$\sqrt{(3-6)^2 + (7-11)^2}$$

Feature Vector

$$a = [3, 7]$$

$$b = [6, 11]$$

Euclidean Distance

$$\sqrt{(3-6)^2 + (7-11)^2}$$

Feature Vector

$$a = [3, 7]$$

$$b = [6, 11]$$

$$\sqrt{(-3)^2 + (-4)^2}$$

Euclidean Distance

$$\sqrt{(3-6)^2 + (7-11)^2}$$

Feature Vector

$$a = [3, 7]$$

$$b = [6, 11]$$

$$\sqrt{(-3)^2 + (-4)^2}$$

$$\sqrt{9+16}$$

Euclidean Distance

$$\sqrt{(3-6)^2 + (7-11)^2}$$

Feature Vector

$$a = [3, 7]$$

$$b = [6, 11]$$

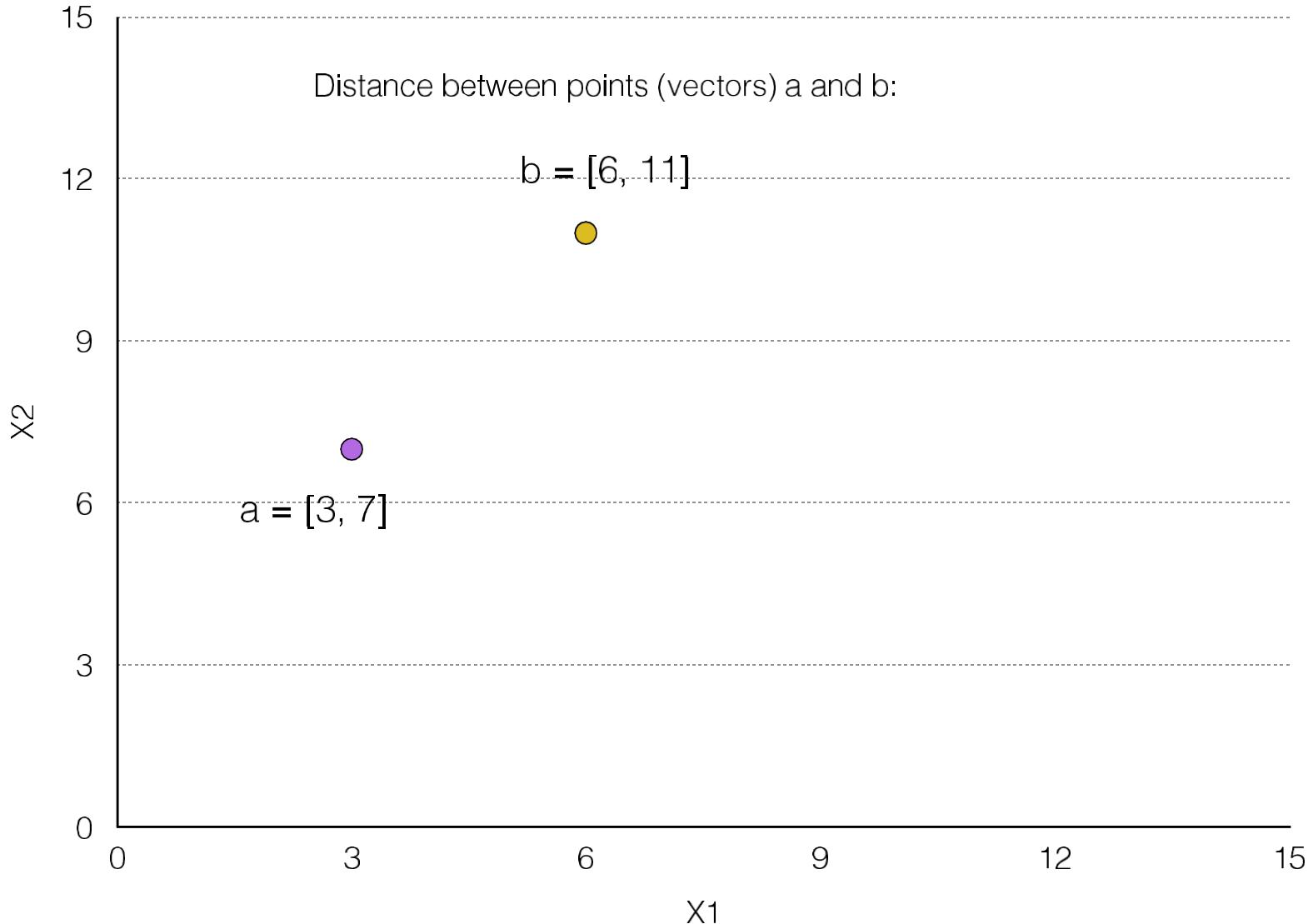
$$\sqrt{(-3)^2 + (-4)^2}$$

$$\sqrt{9+16}$$

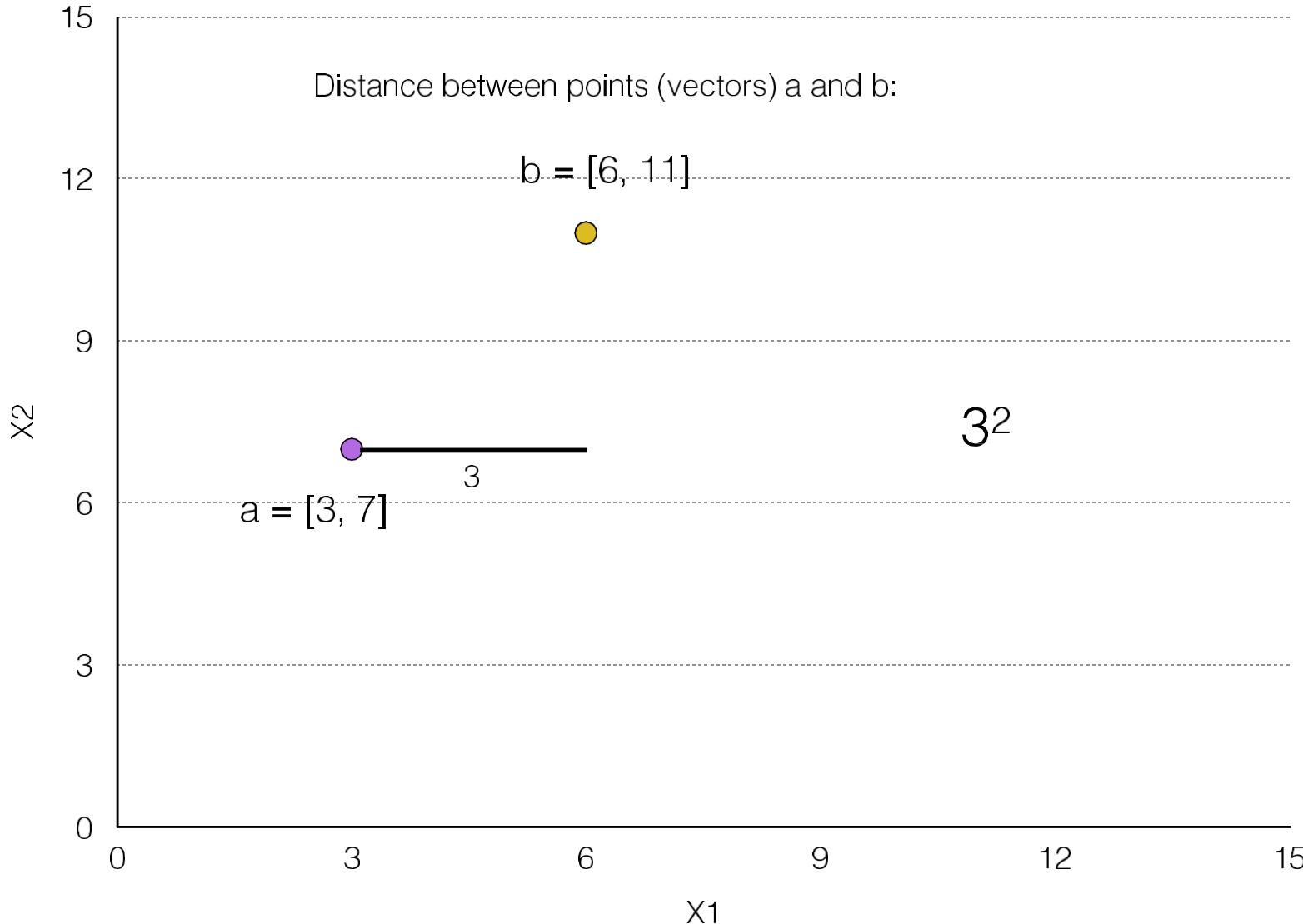
Distance between points (vectors) a and b:

$$\sqrt{25} = 5$$

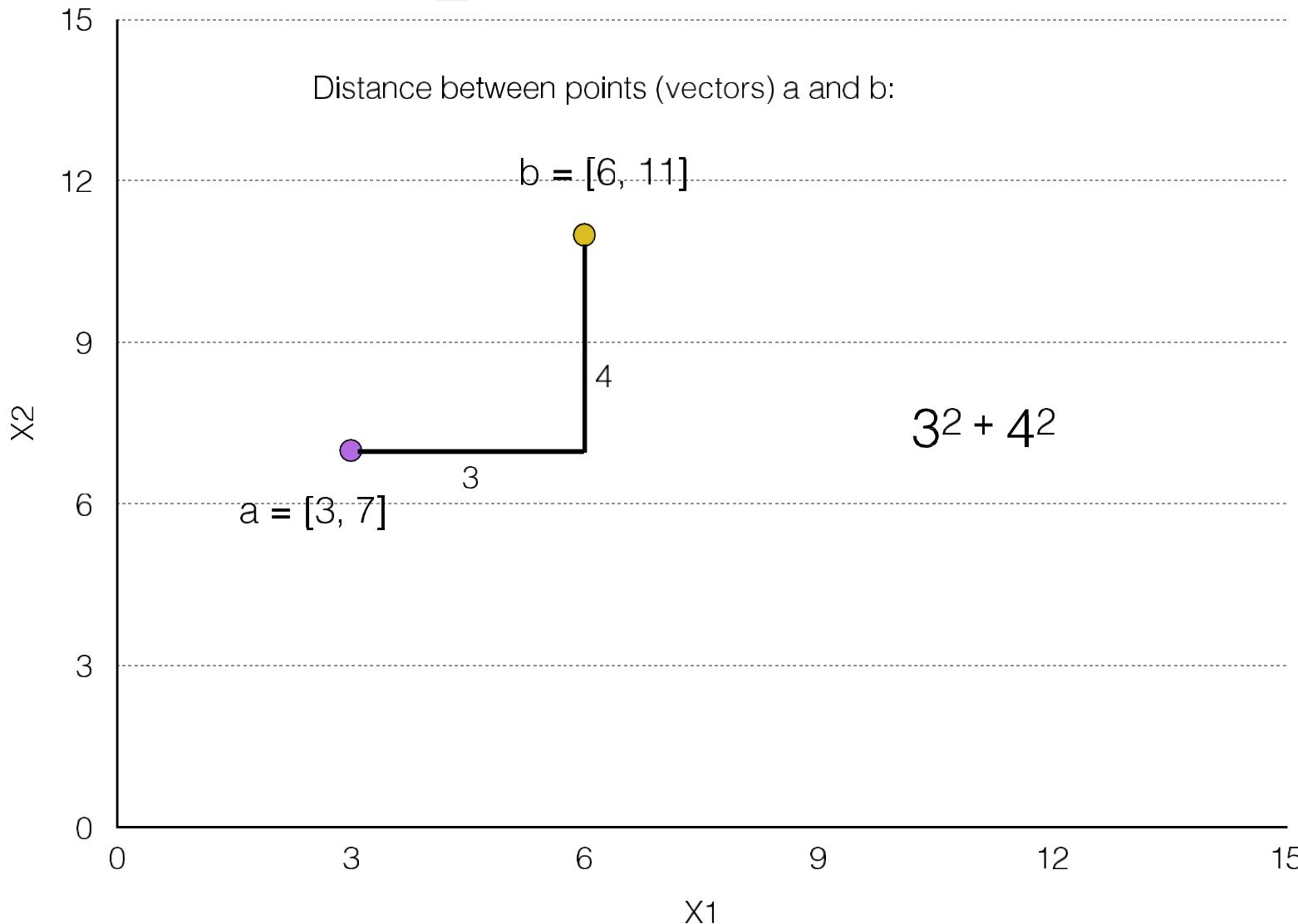
Euclidean Distance



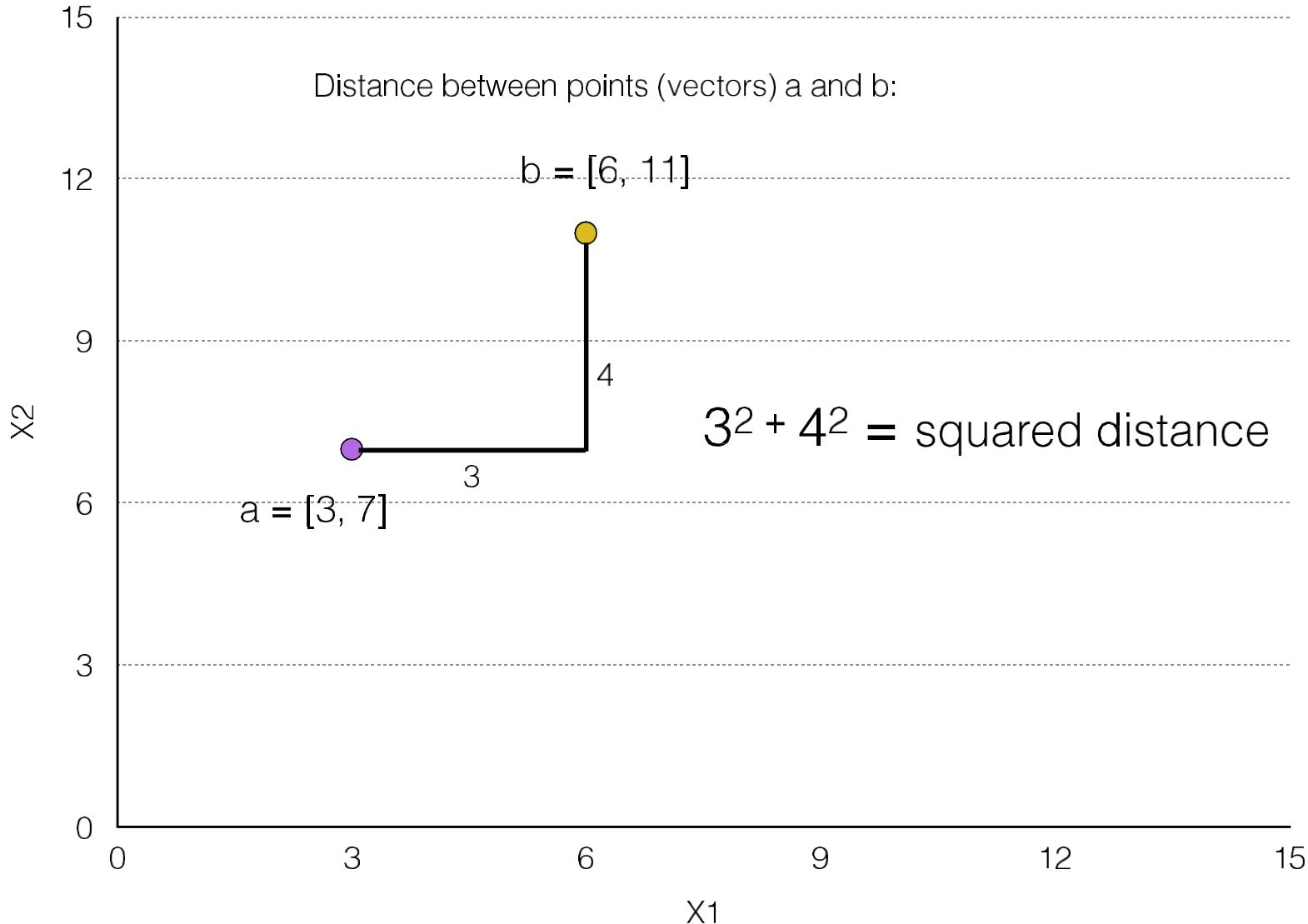
Euclidean Distance



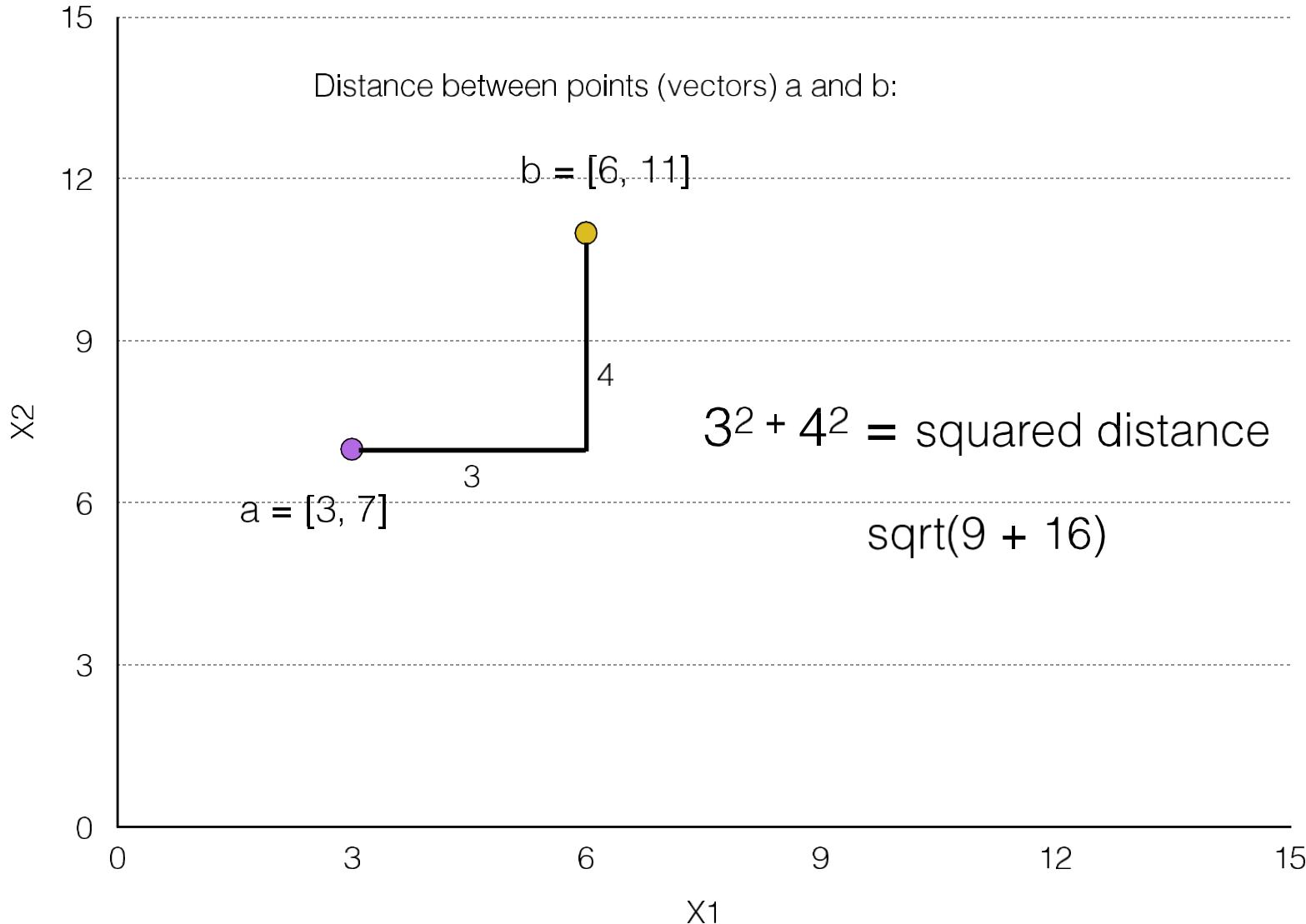
Euclidean Distance



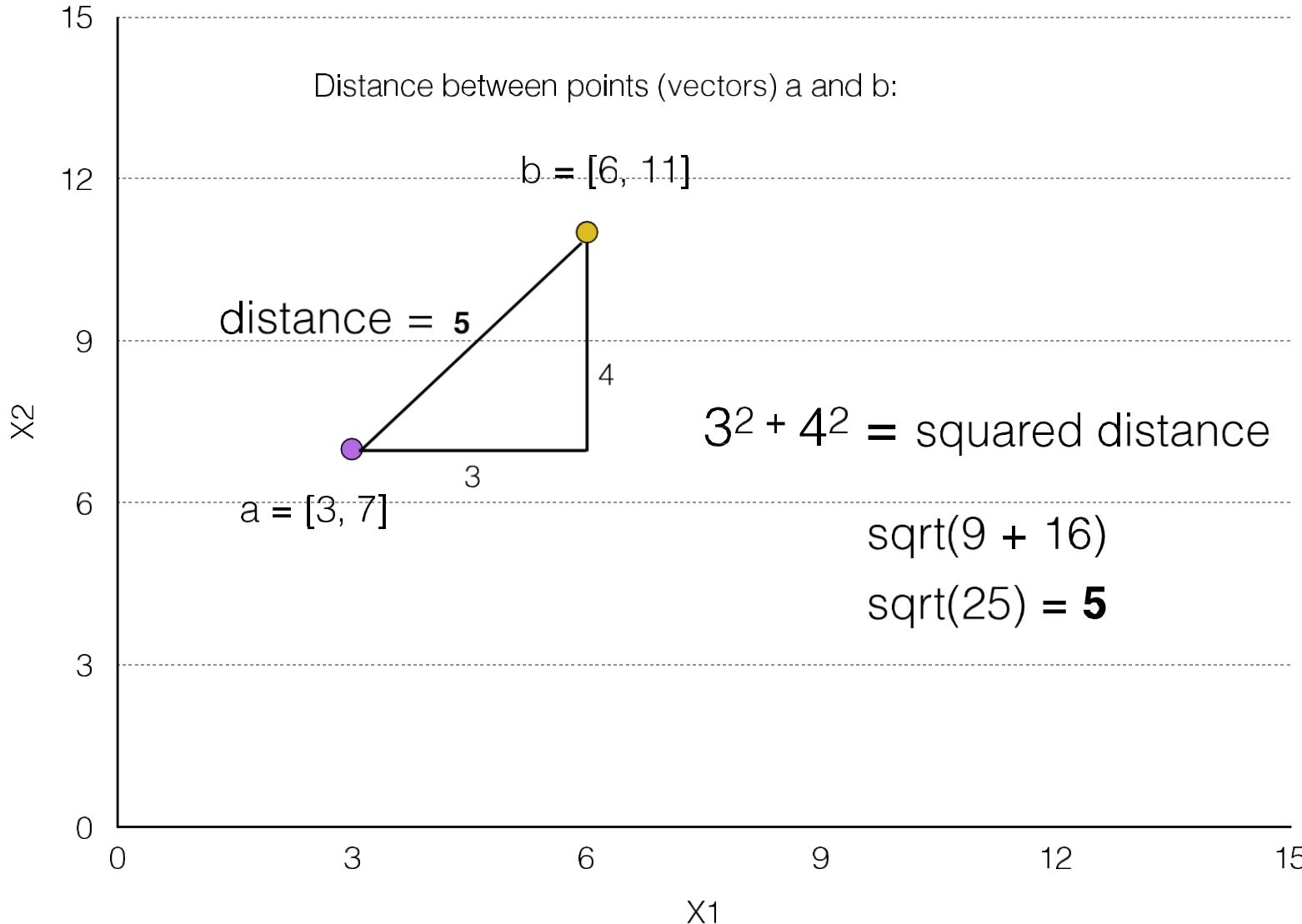
Euclidean Distance



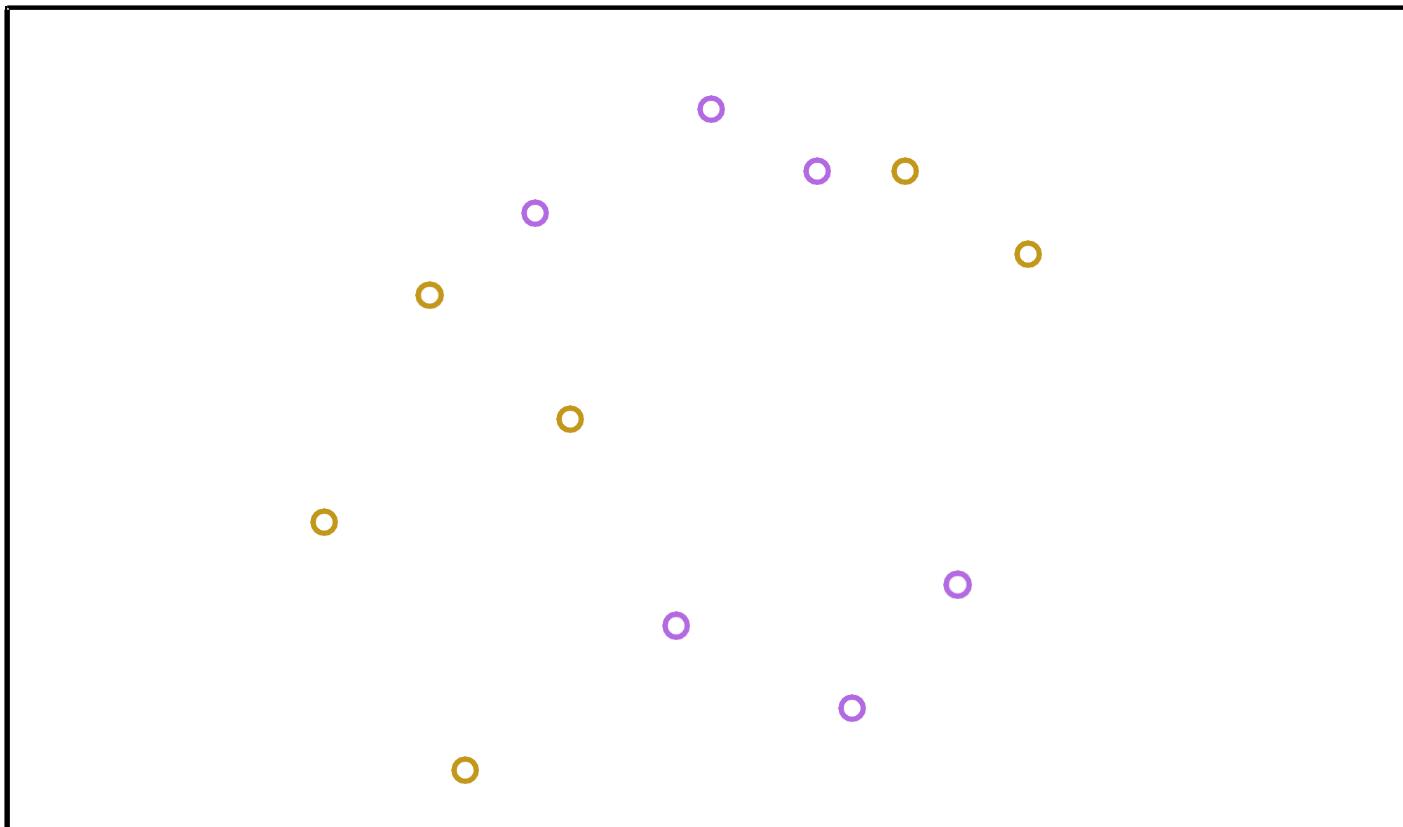
Euclidean Distance



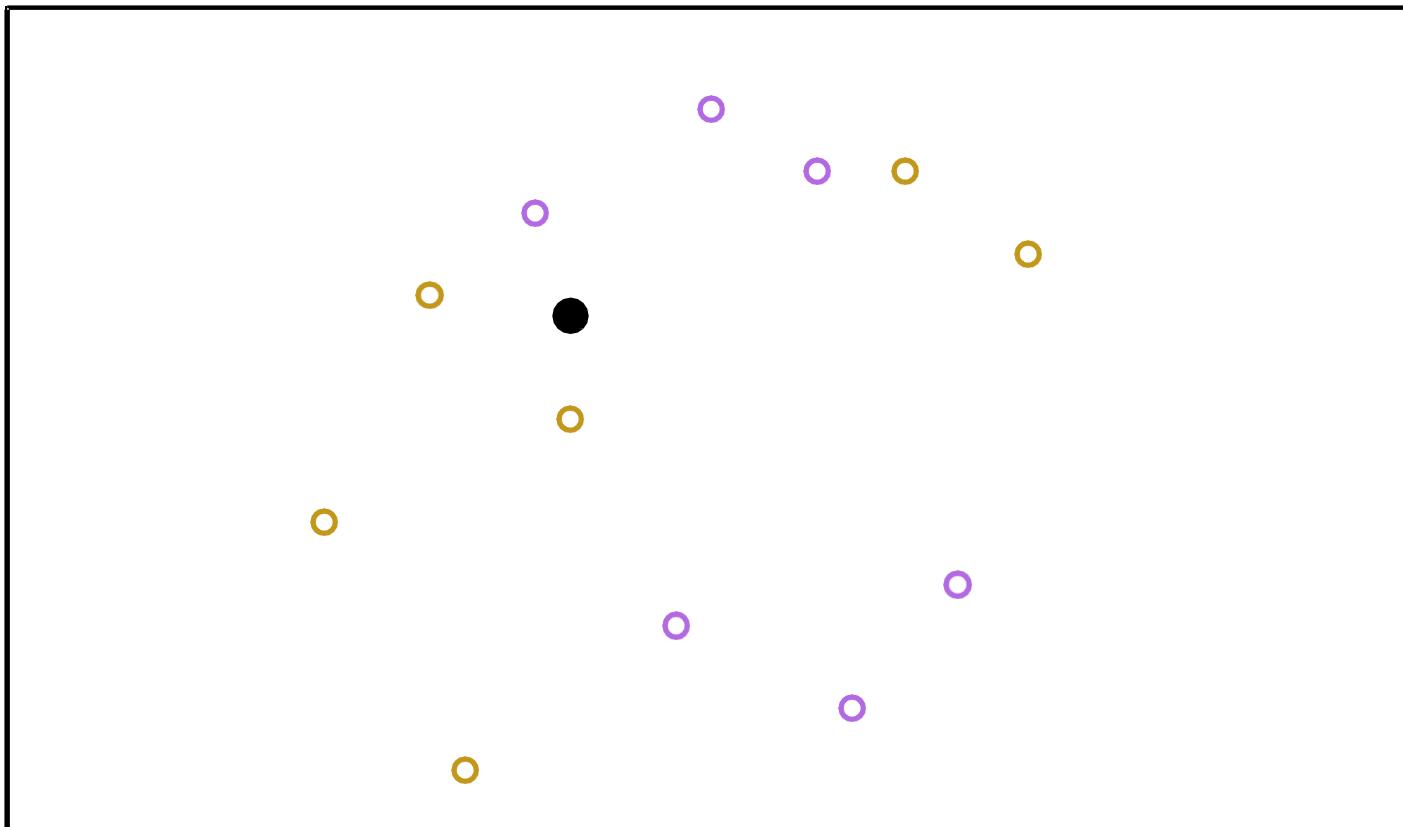
Euclidean Distance



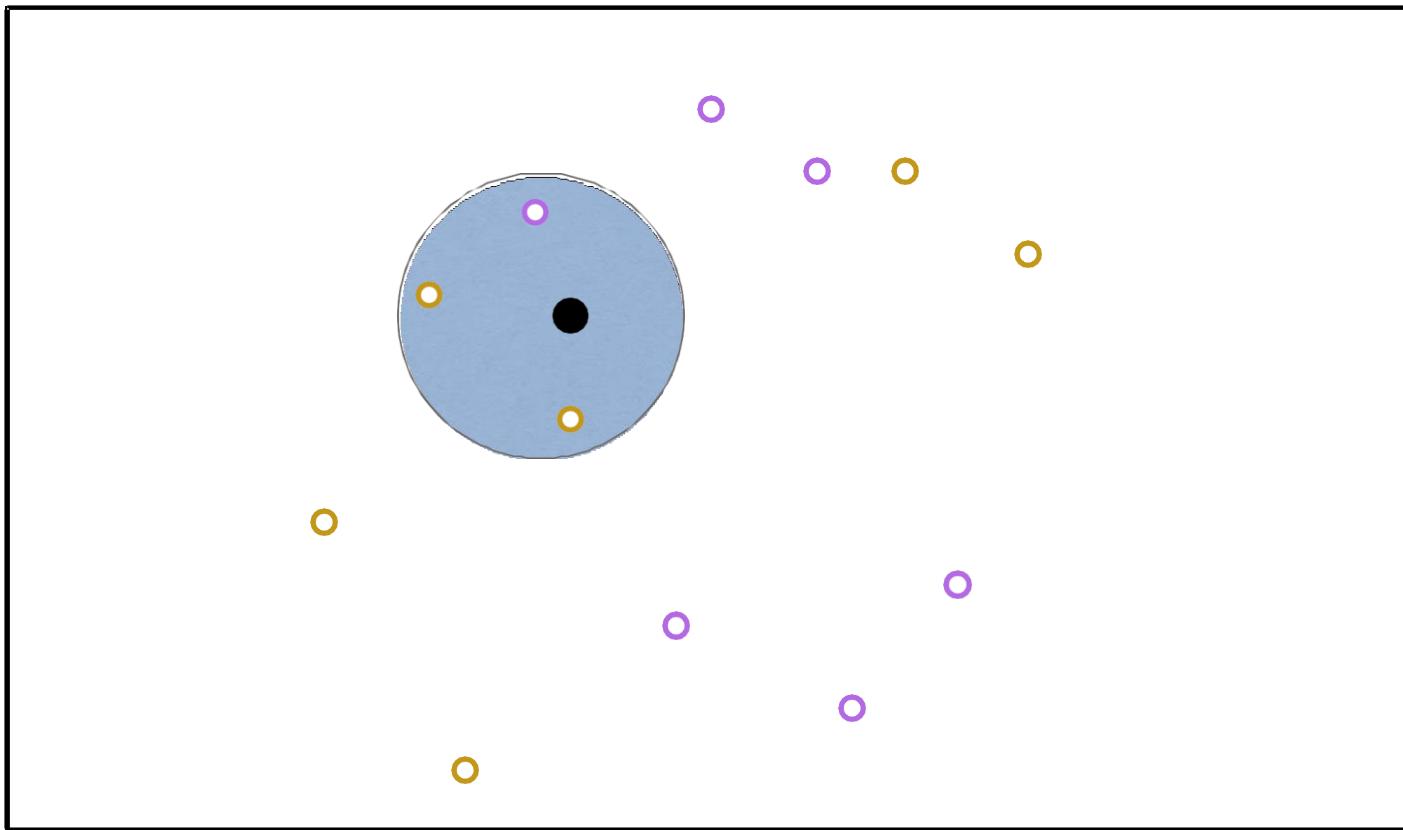
K-nearest Neighbor



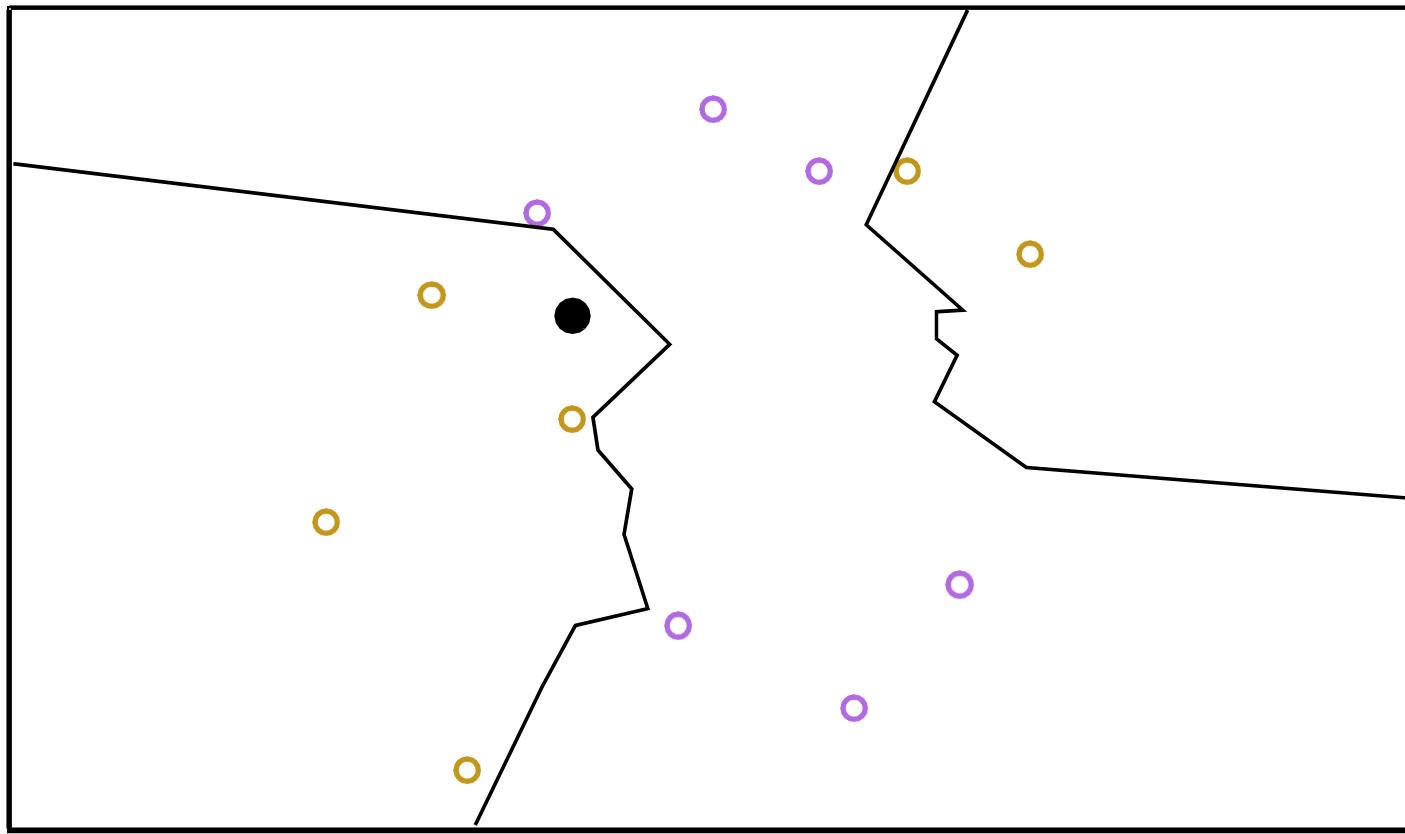
K-nearest Neighbor



K = 3



K = 3



● Stays together

○ Breaks up

K = 3

