# **Debugging Inputs**

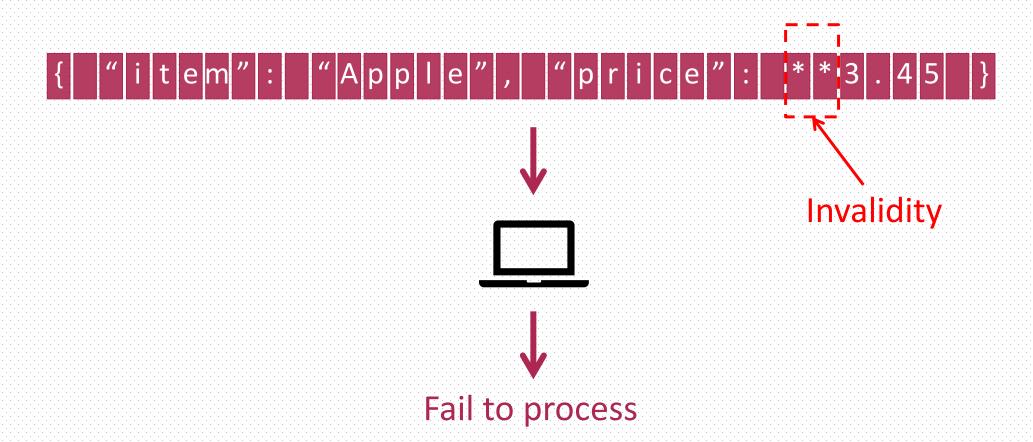
[ICSE'20] Lukas Kirschner, et al.

#### Outline

- Motivation
- Maximizing Delta Debugging
  - Lexical repair
  - Syntactic repair
- Evaluation

#### Invalid Inputs also Cause Faulires of Programs

• Inputs of programs could get corrupted (e.g., hardware failures, hardware aging, transmission errors)



#### Prevalence of Invalid Inputs

Eight programs with three input formats

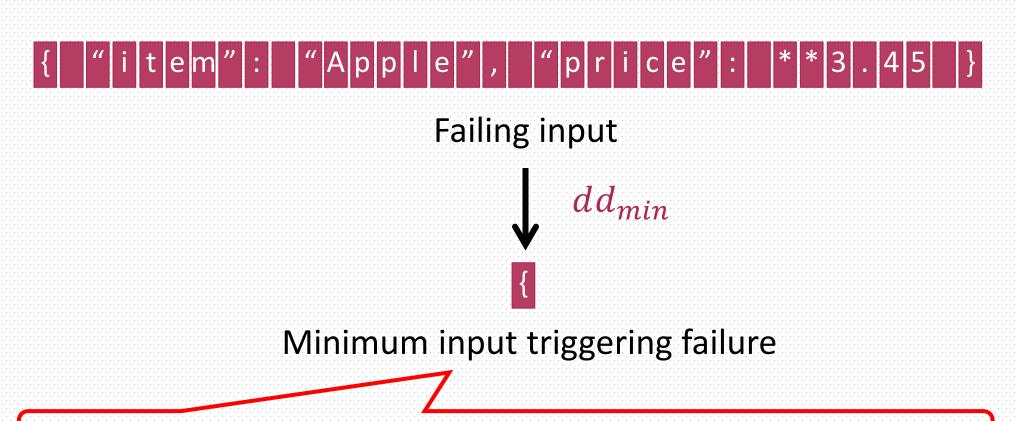
**Table 3: Mined Input Files** 

Input	#Crawled	#Unique	#Valid	#Invalid	Cause of In	validity (#file	Mean Valid	Mean Invalid	
Format	Files	Files	Files	Files	Grammar	≥ 1 subject	All subjects	Size (KiB)	Size (KiB)
JSON	8654	7006	6948	222	164	58	52	12.84	0.78
Wave. OBJ	509	480	455	25	0	25	0	401.57	64.15
DOT	381	349	303	48	2	46	4	4.74	2.88
				4%		Cr	ash		

Lexing/parsing error in ANTLR<sup>[1]</sup>

### **Shortcomings of Existing Practice**

Application-specific methods or input minimization



Neither helpful for diagnosis nor a basis for data recovery

#### Generic Input Debugging

Identifying which parts of the input data prevent processing

Recovering as much of the input data as possible



Recovered input

• Two sets  $C_{\sqrt{}}$  and  $C_{\times}$ 

$$C_{\times}=$$
 [{ "item": "Apple", "price": \*\*3.45]} 
$$test(C_{\times})=Fail$$

• Goal: finding  $C'_{\sqrt{}}$  such that  $C'_{\sqrt{}} \subset C_{\times}$ ,  $test(C'_{\sqrt{}}) = Pass$ , and  $\Delta = C_{\times} - C'_{\sqrt{}}$  is 1-minimal

$$\Delta = \begin{bmatrix} * & * \\ * & * \end{bmatrix}$$

• Systematically maximizing the  $\mathrm{C}'_{\sqrt{}}$  by recursively invoking  $dd_{max}(\mathrm{C}'_{\sqrt{}},n)$ 

• Initially, 
$$C'_{\sqrt{}} = \emptyset$$
,  $n=2$ ,  $\Delta = C_{\times} - C'_{\sqrt{}} = C_{\times}$ 

• Key insight: splitting  $\Delta$  into n parts and trying to move some of them into  $\mathrm{C}'_{\sqrt{\phantom{a}}}$ 

•  $dd_{max}(\emptyset,2)$ 

$$\nabla_1 = C_{\times} - \Delta_1$$
 Fail

$$C'_{\sqrt{}} \cup \Delta_1 = \Delta_1$$
 Fail

$$\nabla_2 = C_{\times} - \Delta_2$$
 Fail

$$C'_{\sqrt{}} \cup \Delta_2 = \Delta_2$$
 Fail

Case 1: 
$$\forall i$$
,  $test(\nabla_i)$ =Fail,  $test(C'_{\sqrt{}} \cup \Delta_i)$ = Fail, and  $n < |C_{\times} - C'_{\sqrt{}}|$ 

Action: 
$$n = \min(|C_{\times}|, 2n) = 4$$

•  $dd_{max}(\emptyset, 4)$ 

$$\Delta_{1} = \{ \text{ "item": } \Delta_{2} = \text{ "Apple", } \\ \Delta_{3} = \text{ "price": } \Delta_{4} = \text{ **3.45} \} \\ \nabla_{1} = C_{\times} - \Delta_{1} = \text{ "Apple", "price": **3.45} \} \\ Fail \ C'_{\sqrt} \cup \Delta_{1} = \Delta_{1} \ Fail \\ \nabla_{2} = C_{\times} - \Delta_{2} = \{ \text{ "item": "price": **3.45} \} \\ Fail \ C'_{\sqrt} \cup \Delta_{2} = \Delta_{2} \ Fail \\ \nabla_{3} = C_{\times} - \Delta_{3} = \{ \text{ "item": "Apple", **3.45} \} \\ Fail \ C'_{\sqrt} \cup \Delta_{3} = \Delta_{3} \ Fail \\ \nabla_{4} = C_{\times} - \Delta_{4} = \{ \text{ "item": "Apple", "price": Fail } C'_{\sqrt} \cup \Delta_{4} = \Delta_{4} \ Fail \\ Case \ 1: \ All \ Fail \ Action: \ n = \min(|C_{\times}|, 2n) = 8 \}$$

•  $dd_{max}(\emptyset, 8)$ 

$$\nabla_6 = C_{\times} - \Delta_6 = \{ \text{"illem": "Apple", "price": 45} \}$$

Case 2: 
$$\exists j$$
,  $\forall i < j$ ,  $test(\nabla_i) = Fail$ ,  $test(C'_{\checkmark} \cup \Delta_i) = Fail$ ,  $test(\nabla_j) = Pass$ 

Action: 
$$C'_{\sqrt{}} = \nabla_j = \nabla_6$$
,  $n = 2$ 

•  $dd_{max}(\nabla_6, 2)$ 

$$\Delta_{6_1} = \boxed{**}$$

Case 2: 
$$\exists j$$
,  $\forall i < j$ ,  $test(\nabla_i) = Fail$ ,  $test(C'_{\sqrt{\cup \Delta_i}}) = Fail$ ,  $test(\nabla_j) = Pass$ 

Action: 
$$C'_{\sqrt{}} = \nabla_j = \nabla_{6_1}$$
,  $n = 2$ 

•  $dd_{max}(\nabla_{6_1}, 2)$ 

Case 1: All Fail

Action:  $n = \min(|C_{\times}|, 2n) = 3$ 

•  $dd_{max}(\nabla_{6_1}, 3)$ 

$$\Delta_{6_{1_{1}}} = \boxed{ } \qquad \Delta_{6_{1_{2}}} = \boxed{ } \qquad \Delta_{6_{1_{3}}} = \boxed{ } \qquad \\ \nabla_{6_{1_{1}}} = \boxed{ } \qquad \text{``item'': "Apple'', "price'': **3.45 } \qquad \text{Fail} \\ C'_{\sqrt{}} \cup \Delta_{6_{1_{1}}} = \boxed{ } \qquad \text{``item'': "Apple'', "price'': 3.45 } \qquad \text{Pass}$$

Case 3: 
$$\exists j, \ \forall \ i < j, test(\nabla_i) = \text{Fail}, \ \forall \ k \leq j, test(C'_{\sqrt{}} \cup \Delta_k) = \text{Fail},$$

$$test(C'_{\sqrt{}} \cup \Delta_j) = \text{Pass}$$

Action: 
$$C'_{\sqrt{}} = C'_{\sqrt{}} \cup \Delta_i = \nabla_{6_1} \cup \Delta_{6_{1_1}}, n = \max(n-1, 2) = 2$$

•  $dd_{max}(\nabla_{6_1} \cup \Delta_{6_{1_1}}, 2)$ 

Action: done

# Lexical $dd_{max}$ is slow

• test runs 36 times in preceding example

Table 5: ddmax Efficiency on All Invalid Inputs for each technique (A) Baseline, (B) ANTLR, (C) Lexical ddmax

Invalid.	Inp.	Runtime (sec.)			#Runs
Type	Form	Α	В	C	C
Real	JSON	2	2	1227	341525
World	OBJ	44	47	2065	6253
77.02.00	DOT	48	166	3828	2783
Single	JSON	4	4	1584	45651
Mut.	OBJ	491	672	6151	3809
TVICE.	DOT	58	60	1239	6077
Multiple	JSON	10	10	5903	1194577
Mut.	OBJ	624	728	9938	8577
	DOT	60	60	3365	34876
Mean		153	200	3981	72296

# Speeding $dd_{max}$ up

• Key insight: execute  $dd_{max}$  on Parse tree of the input

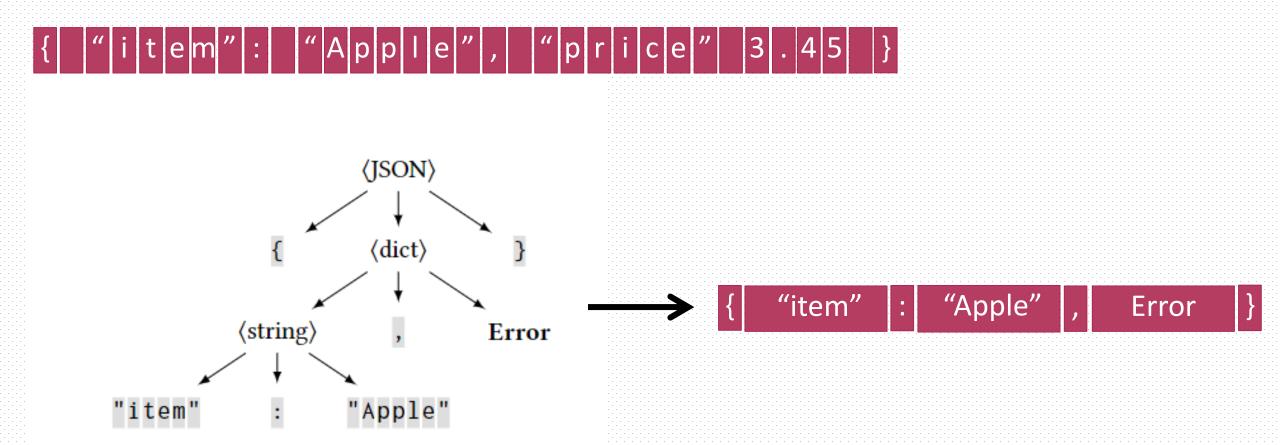


Figure 11: Parse tree of Figure 9

# Maximizing Delta Debugging (Syntactic)

•  $dd_{max}(\emptyset,2)$ 

$$\Delta_1$$
= { "item" : "Apple"

$$\Delta_2 = \{$$
, Error  $\}$ 

$$\nabla_1 = C_{\times} - \Delta_1$$
 Fail

$$C'_{\sqrt{}} \cup \Delta_1 = \Delta_1$$
 Fail

$$\nabla_2 = C_{\times} - \Delta_2$$
 Fail

$$C'_{\sqrt{}} \cup \Delta_2 = \Delta_2$$
 Fail

Action: 
$$n = \min(|C_{\times}|, 2n) = 4$$

# Maximizing Delta Debugging (Syntactic)

•  $dd_{max}(\emptyset, 4)$ 

$$\nabla_2 = C_{\times} - \Delta_2$$
 Fail

$$\Delta_{1} = \left\{ \begin{array}{c|c} \text{"item"} & \Delta_{2} = \\ \end{array} \right. \text{"Apple"} \qquad \Delta_{3} = \left[ \begin{array}{c|c} \text{Error} & \Delta_{4} = \\ \end{array} \right]$$
 
$$\nabla_{1} = C_{\times} - \Delta_{1} = \left[ \begin{array}{c|c} \text{"Apple"} & \text{Fail} & C_{\sqrt{}}' \cup \Delta_{1} = \Delta_{1} \text{ Fail} \\ \end{array} \right]$$
 
$$\nabla_{2} = C_{\times} - \Delta_{2} = \left\{ \begin{array}{c|c} \text{"item"} & \text{Error} \\ \end{array} \right\}$$
 
$$\text{Fail} \quad C_{\sqrt{}}' \cup \Delta_{2} = \Delta_{2} \text{ Fail}$$
 
$$\nabla_{3} = C_{\times} - \Delta_{3} = \left\{ \begin{array}{c|c} \text{"item"} & \text{"Apple"} \\ \end{array} \right\}$$
 
$$\text{Pass}$$
 
$$\text{Case 2: } \exists j, \ \forall \ i < j, test(\nabla_{i}) = \text{Fail}, test(C_{\sqrt{}}' \cup \Delta_{i}) = \text{Fail}, test(\nabla_{j}) = \text{Pass}$$
 
$$\text{Action: } C_{\sqrt{}}' = \nabla_{i} = \nabla_{3}, n = 2$$

# Maximizing Delta Debugging (Syntactic)

"item" : "Apple"

•  $dd_{max}(\nabla_3, 2)$ 

Action: done

#### **Evaluation Workflow**

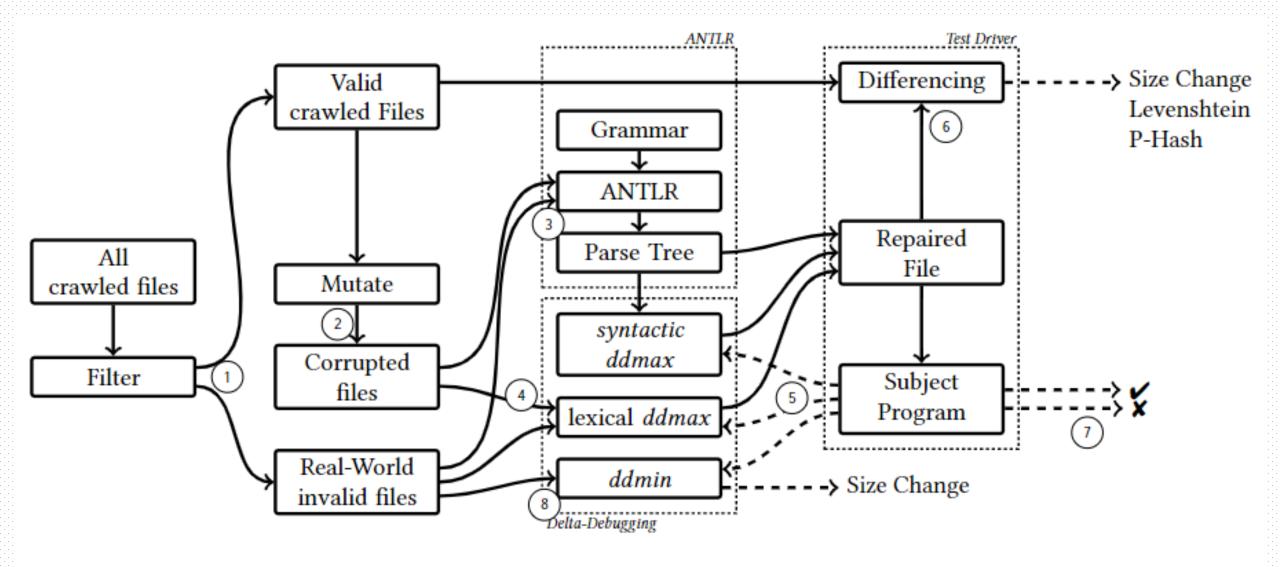


Figure 6: Workflow of the ddmax evaluation

#### Effectiveness

Table 4: ddmax Effectiveness on All Invalid Inputs

Invalid.	Format	#Possible	# repaired input files				
Type	(#subjects)	Repairs	Base. ANTLR Lex. Syn.				
Real	JSON (3)	167	0	40	38	62	
World	OBJ (3)	33	1	8	24	25	
	DOT (2)	64	24	25	30	31	
Single	JSON (3)	150	4	80	115	127	
Mut.	OBJ (3)	150	34	82	146	144	
mat.	DOT (2)	100	43	66	92	82	
Multiple	JSON (3)	150	4	45	79	112	
Mut.	OBJ (3)	150	3	29	127	126	
min.	DOT (2)	100	40	47	51	63	
Total (3)		1064	153	422	702	772	

# Data Recovery and Loss

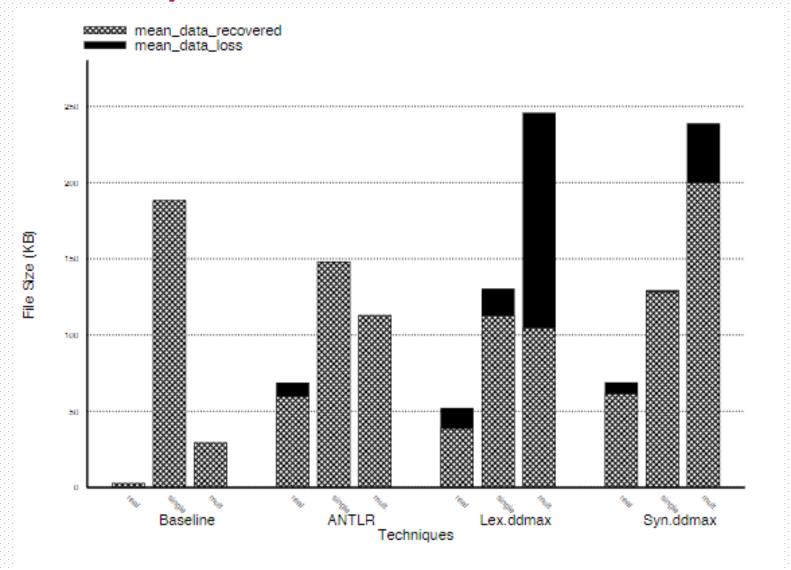


Figure 8: Data Recovered and Data Loss for all Inputs

#### Data Recovery and Loss

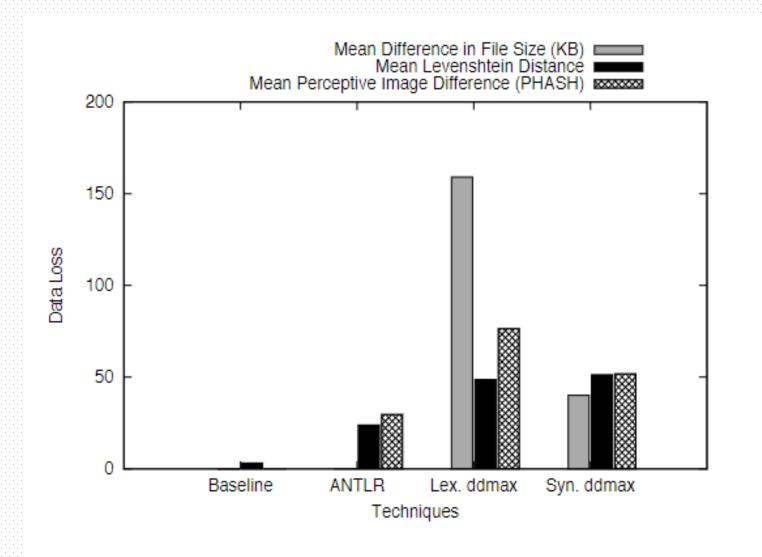


Figure 12: Data Loss Incurred for All Mutations

# Efficiency

Table 5: ddmax Efficiency on All Invalid Inputs for each technique (A) Baseline, (B) ANTLR, (C) Lexical ddmax, (D) Syntactic ddmax.

Invalid.	Inp.	j	Runti	me (sec	#Runs		
Type	Form	A	В	C	D	C	D
Real	JSON	2	2	1227	153	341525	6029
World	OBJ	44	47	2065	1279	6253	3164
Wolld	DOT	48	166	3828	3018	2783	1162
Single	JSON	4	4	1584	1065	45651	129659
Mut.	OBJ	491	672	6151	4083	3809	1352
mu.	DOT	58	60	1239	1244	6077	4565
Multiple	JSON	10	10	5903	2153	1194577	448801
Mut.	OBJ	624	728	9938	8132	8577	5043
with.	DOT	60	60	3365	2241	34876	11956
Mean		153	200	3981	2624	72296	70049

#### Diagnostic Quality

Table 6: Diagnostic Quality on Real-World Invalid Inputs for (A) ddmin and (B) ddmax diagnoses, and (C) ddmax repair.

Format	Diagno	sis (B)	Repair (B)	Intersection (%)		
(#inputs)	A	$^{\odot}$	$\bigcirc$	$(A) \cap (B)$	$\mathbf{A} \cap \mathbf{C}$	
JSON (21)	2.909	19.095	103.476	13.88	23.18	
OBJ (18)	2.722	1.000	189.000	18.03	11.46	
DOT (27)	376.654	1.115	675.346	5.76	54.64	
Mean	155.754	6.804	360.747	11.69	32.85	

# Thank you!

#### Comments are welcome!