## SOME ISSUES ON THE FIRST MIDTERM

- $\lim |a_{n+1} a_n| = 0$  does NOT imply the sequence is Cauchy.
- Bounded sequences may not be convergent.
- $\bullet$  In the proof of 1(c), you don't have to choose different  $\,N_1\,$  and  $\,N_2\,.$
- In Problem 2, after taking  $n\to\infty$ , you should get  $a=a^2$  (where a is the limit) instead of  $a=\frac{n}{n+3}a^2$ .
- A few of you like to "prove" by writing explanations in words. This is what you should avoid in this class. You should try to write mathematical proofs in a rigorous manner.