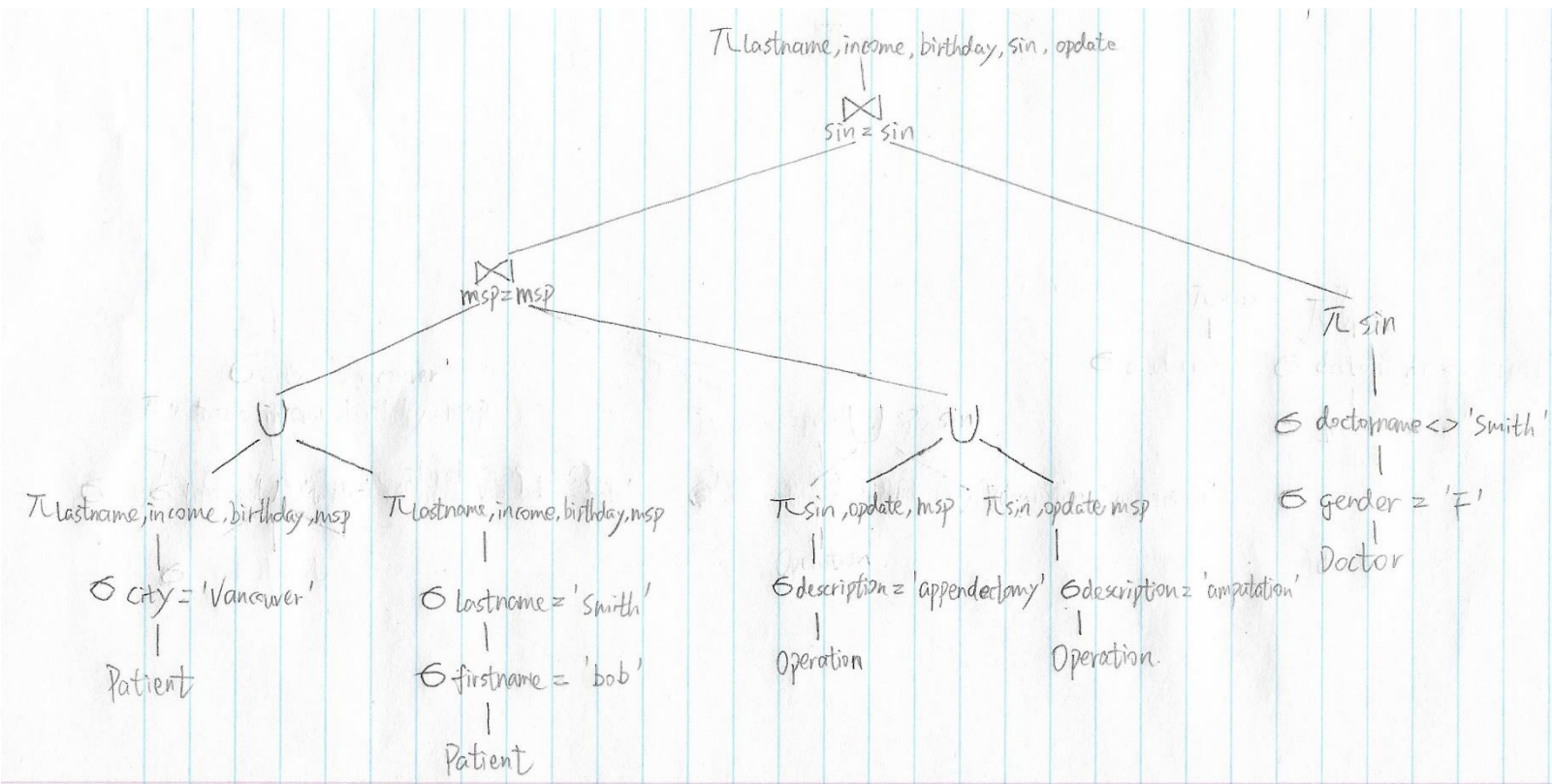


Q1



Q2

- Since total number of countries is 5, there are approximately 10,000 records for $vcountry = 'Canada'$. Leaf nodes store $4096 / (8 + 16 * 2) \approx 102$ records (one pointer, $vcountry$ and employee for one record). Since occupancy is 75%, each leaf node stores $102 * 75\% \approx 76$ records. we need to read $10,000 / 76 \approx 132$ leaf nodes.
Selection needs $10,000 + 132 + 3 - 1 = 10,134$ reads. **Projection** requires $9000 * (16 * 3) / 4096 \approx 106$ reads
Total cost = 106 + 10,134 = 10240
- Since there are 5 records in $V(V, vcountry)$, there are approximately 10000 records for $vcountry = 'Canada'$. And there are 4500 of 5000 records satisfied $employees > 500$. So, **9000 records** satisfy requirements. $9000 * (16 * 3) = 432,000$ bytes.
- $200,000 / 25,000 = 8$ (blocking factor). Selection needs $4 - 1 + 50,000 / 8 + 4 - 1 + 30,000 / 8 = 10,006$ reads.
Total cost = 1016 + 10,006 = 11,024
- $200,000 * 25\% (Vancouver) + 200,000 * 15\% (Edmonton) = 80,000$ records.
 $80,000 * (4 + 16 + 32) = 4,160,000$ bytes. $4,160,000 / 4096 \approx 1,016$ blocks.
- 100,000 records.** $100,000 * (4 + 16 + 16 + 64 + 8)$ (size of pid, pname, vname, description and ptype respectively) = 10,800,000 bytes.

- f. Size of single relations C, P, V, S are 80,000, 100,000, 9,000 and 10,000,000 respectively.

Single	C	P	V	S
Size	80,000	100,000	9,000	10,000,000
Cost	0	0	0	0

Size of relation pairs $S \bowtie C$, $S \bowtie P$, $P \bowtie V$ are

$10,000,000 * 80,000 / 200,000 = 4,000,000$,

$10,000,000 * 100,000 / 100,000 = 10,000,000$, $100,000 * 9,000 / 50,000 = 18,000$

respectively.

Pairs	$S \bowtie C$	$S \bowtie P$	$P \bowtie V$
Size	4,000,000	10,000,000	18,000
Cost	0	0	0

Size of relation Triples $S \bowtie C \bowtie P$, $S \bowtie P \bowtie C$, $S \bowtie P \bowtie V$ and $P \bowtie V \bowtie S$ are

$4,000,000 * 9,000 / 100,000 = 360,000$, $360,000$,

$10,000,000 * 9,000 / 50,000 = 1,800,000$ and $1,800,000$ respectively.

Triple	$S \bowtie C \bowtie P$	$S \bowtie P \bowtie C$	$S \bowtie P \bowtie V$	$P \bowtie V \bowtie S$
Size	360,000	360,000	1,800,000	1,800,000
Cost	4,000,000	10,000,000	10,000,000	18,000

Final	$S \bowtie C \bowtie P \bowtie V$	$S \bowtie P \bowtie C \bowtie V$	$S \bowtie P \bowtie V \bowtie C$	$P \bowtie V \bowtie S \bowtie C$
Cost	4,360,000	10,360,000	11,800,000	1,818,000

Size of one record for $P \bowtie V$, $P \bowtie V \bowtie S$ and $P \bowtie V \bowtie S \bowtie C$ are 140 bytes, 152 bytes and 192 bytes. Blocking factor for $P \bowtie V$, $P \bowtie V \bowtie S$ and $P \bowtie V \bowtie S \bowtie C$ are 29, 26 and 21.

$P \bowtie V \bowtie S \bowtie C$ is the best plan. Cost is 1,818,000.

	$P \bowtie V$	$P \bowtie V \bowtie S$	$P \bowtie V \bowtie S \bowtie C$
Size of records	18,000	1,800,000	720,000
Size of blocks	621	69,231	34,286

- g. $P \bowtie V$

Hash join: Size of one record in V is 48 bytes. Blocking factor is floor $(4096/48)$

$= 85$. All 9,000 records need 106 blocks. Size of one record in P is 108 bytes.

Blocking factor is floor $(4096/108) = 37$. All 9,000 records need 2,703 blocks.

Cost $= 3(B(V) + B(P)) = 8,427$

Block nested loop: cost $= B(V) + B(P) = 2,809$

Index nested loop: impossible, no relation has an index on the join attribute

- h. $P \bowtie V \bowtie S$

Hash join: Size of one record in $P \bowtie V$ is 140 bytes. Blocking factor is floor $(4096/140) = 29$. All 18,000 records need 621 blocks. $B(S) = 500,000$.

Cost = $3(B(P \bowtie V) + B(S)) = 1,501,863$

Block nested loop: $M-2=598 < B(P \bowtie V) = 621$, cost = $B(P \bowtie V)$

+ $\text{ceiling}(B(P \bowtie V)/(M-2)) * B(S) = 60,376$

Index nested loop: Blocking factor 31

i. $P \bowtie V \bowtie S \bowtie C$

Hash join: Size of one record in $P \bowtie V \bowtie S$ is 152 bytes. Blocking factor is floor $(4096/152) = 26$. All 1,800,000 records need 69,231 blocks. Size of one record in

C is 52 bytes. Blocking factor is floor $(4096/52) = 78$. All 80,000 records need

1,026 blocks. Cost = $3(B(P \bowtie V \bowtie S) + 700,297 B(C)) = 210,771$

Block nested loop: $M-2=598 < B(C) = 1,026$, cost = $B(C) + \text{ceiling}(B(C)/(M-2))$

$* B(P \bowtie V \bowtie S) = 139,488$

Index nested loop: impossible, no relation has an index on C

	$P \bowtie V$	$P \bowtie V \bowtie S$	$P \bowtie V \bowtie S \bowtie C$
Block nested loop	2,809	1,000,621	139,488
Hash join	8,427	1,501,863	210,771
Index nested loop	-	558,621	-

- j. The first and the second join operation are pipelining. The second join operations are accumulating tuples from the first join operation into its buffer. The first join operation can release its buffers allocated when the second join starts. However, the second join operation will not output any tuple to the third join until all tuples from first join has been received since there is not enough buffers for the third join operation.

Total cost = $2,809 + 558,621 + 139,488 - 621(\text{buffers for } P \bowtie V) = 700,297$