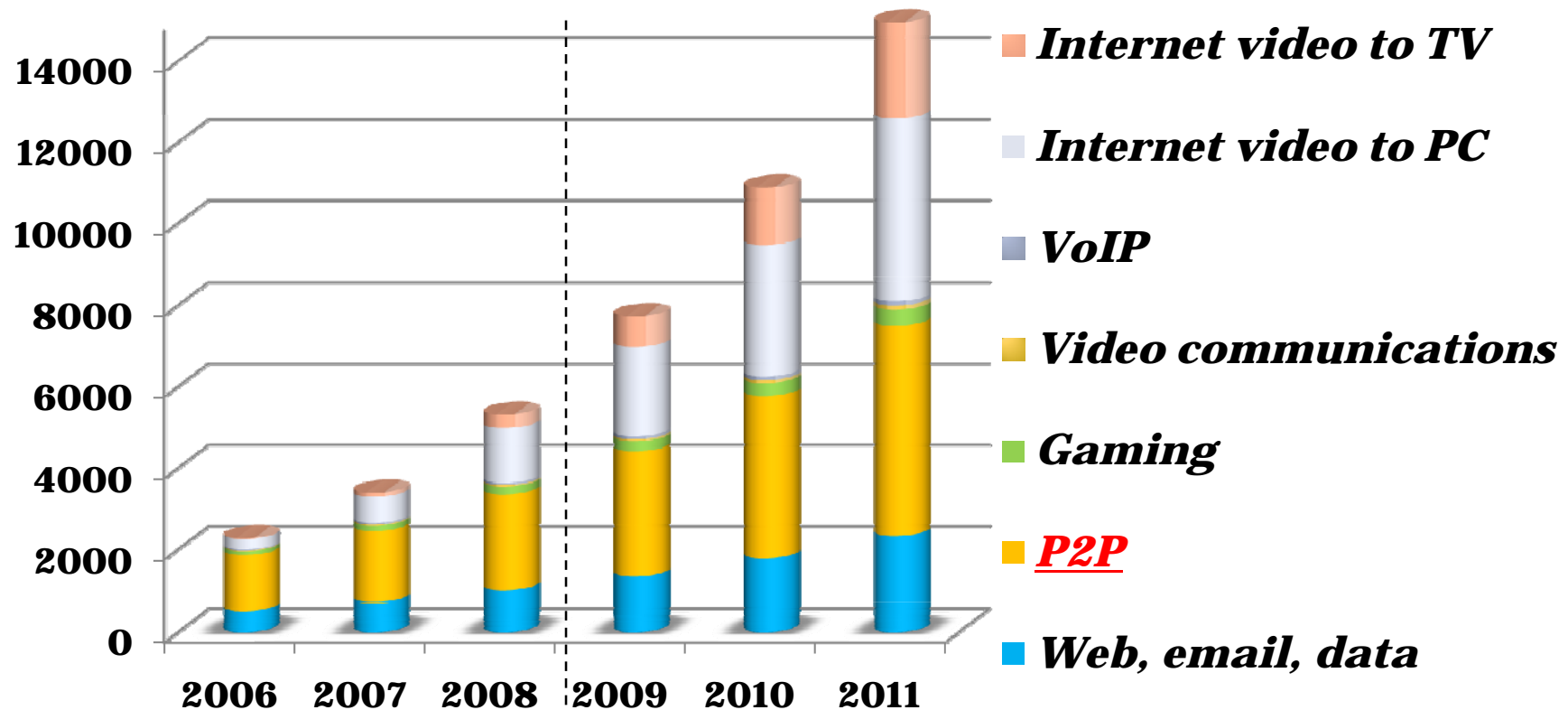


Performance and Locality Tradeoff in BitTorrent-like P2P File-Sharing Systems

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P2P Traffic Problem

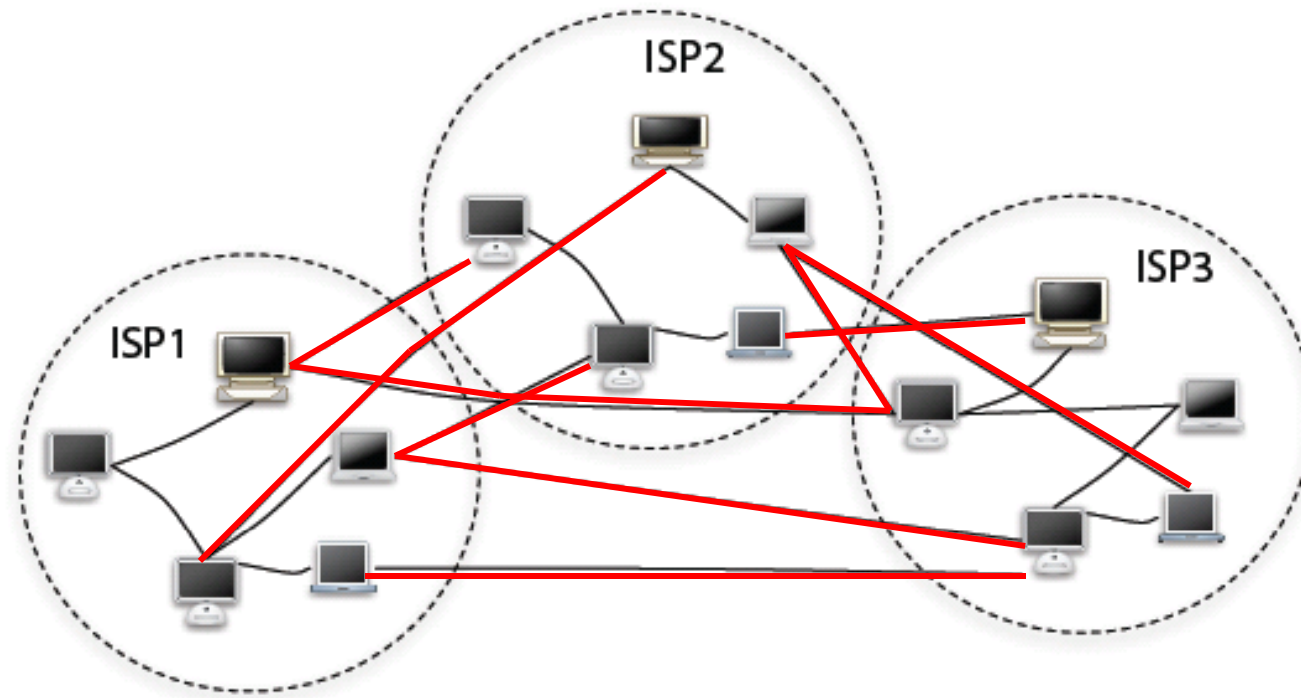
- Global Consumer Internet Traffic (PB per Month)



Data from: Cisco Visual Networking Index – Forecast and Methodology, 2008–2013

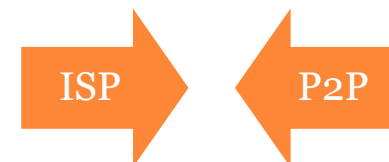
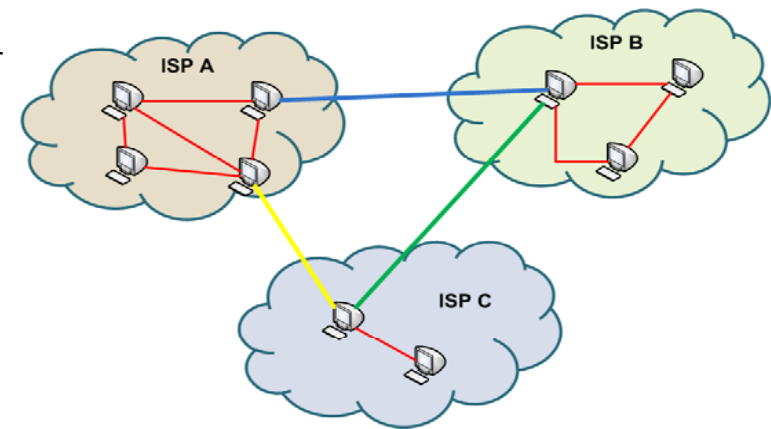
P2P Traffic Problem

- Large Volumes of Cross-ISP Traffic Has Been Incurred!



ISP vs. P2P

- Passive Strategy:
 - Packet filtering and blocking
- Positive Approaches: Localization
 - ISP deploy caches/proxies
 - P2P adopts localized peer selection
 - ISP collaborates with P2P
- One question remains:
 - To what extent should P2P traffic be localized, such that the benefits of both P2P users and ISPs are respected?

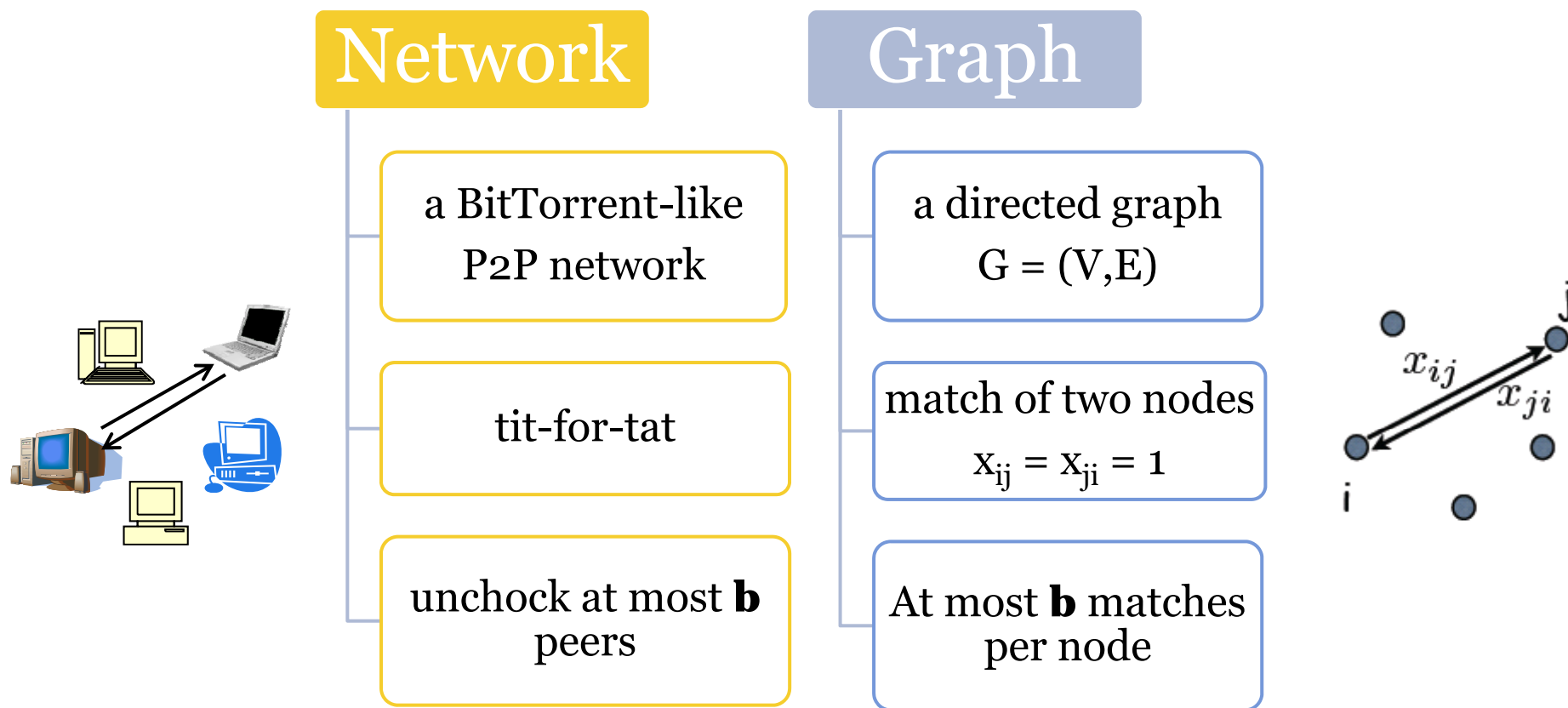


Our Contributions

- Characterize **tradeoff** between **Performance** and **Locality**
 - Starting from a generic maximum-weight b-matching model
 - => model BitTorrent-like peer selection
 - Introducing multiple objectives for both goals of **download rate maximization** and **inter-ISP traffic minimization**
 - => model the tradeoff
 - => derive Pareto-optimal peer selection solution
- Design fully **distributed algorithm** to achieve any desired Pareto-optimal peer selection

Modeling BitTorrent-like peer selection

- A maximum-weight b-matching model



* Note: a simplified model ignoring seeding and opportunistic unchoking

Modeling BitTorrent-like Peer Selection

- Maximum-weight b-matching Model
 - Optimal peer selection at peer i:

$$\max \sum_{j \in N_i} q_{ji}(x_{ji})$$

q_{ji} : generic preference function

$$[0, 1] \rightarrow [0, +\infty)$$

Subject to:
$$\sum_{j \in N_i} x_{ji} \leq b,$$

N_i : neighborhood of peer i

$$x_{ji} = x_{ij}, \forall j \in N_i,$$
$$x_{ji} \in \{0, 1\}, \forall j \in N_i.$$

x_{ji} : peer i downloads from
peer j, or not

b : maximum number of
download connections

Modeling BitTorrent-like Peer Selection

- Maximum-weight b-matching Model
 - Global optimal peer selection:

$$\max \sum_{i \in V} \sum_{j \in N_i} q_{ji}(x_{ji}) \quad \text{Take } q_{ji}(1)+q_{ij}(1) \text{ as weight } w_e \text{ on edge } e$$

$$\max \sum_{e \in E} w_e x_e$$

Subject to:

$$\sum_{j \in N_i} x_{ji} \leq b, \forall i \in V,$$

$$x_{ji} = x_{ij}, \forall i \in V, j \in N_i,$$

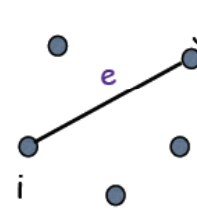
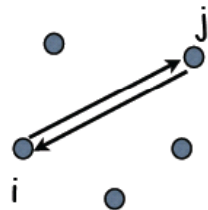
$$x_{ji} \in \{0, 1\}, \forall i \in V, j \in N_i.$$

\Rightarrow

Subject to:

$$\sum_{e \text{ adj. to } i} x_e \leq b, \forall i \in V,$$

$$x_e \in \{0, 1\}.$$



Characterizing Performance and Locality Tradeoff

- Introducing multiple objectives

At Peer i:

$$\begin{cases} \max \sum_{j \in N_i} r_{ji} x_{ji} \\ \min \sum_{j \in N_i} c_{ji} x_{ji} \end{cases}$$

subject to:

$$\begin{aligned} \sum_{j \in N_i} x_{ji} &\leq b, \\ x_{ji} &= x_{ij}, \forall j \in N_i, \\ x_{ji} &\in \{0, 1\}, \forall j \in N_i. \end{aligned}$$

r_{ji} : downloading rate from j to i,
 c_{ji} : network cost from j to i,

Global:

$$\begin{cases} \max \sum_{i \in V} \sum_{j \in N_i} r_{ji} x_{ji} \\ \min \sum_{i \in V} \sum_{j \in N_i} c_{ji} x_{ji} \end{cases}$$

Subject to:

$$\begin{aligned} \sum_{j \in N_i} x_{ji} &\leq b, \forall i \in V, \\ x_{ji} &= x_{ij}, \forall i \in V, j \in N_i, \\ x_{ji} &\in \{0, 1\}, \forall i \in V, j \in N_i. \end{aligned}$$

downloading performance
neighbor locality

Characterizing Performance and Locality Tradeoff

- Definition of Solution at Pareto optimal
 - feasible x^* is Pareto optimal if no other solution performs better for both objects, i.e., no x such that

$$\sum_{i \in V} \sum_{j \in N_i} r_{ji} x_{ji} > \sum_{i \in V} \sum_{j \in N_i} r_{ji} x_{ji}^* \quad \text{and} \quad \sum_{i \in V} \sum_{j \in N_i} c_{ji} x_{ji} < \sum_{i \in V} \sum_{j \in N_i} c_{ji} x_{ji}^*$$

- How to achieve Pareto optimal?
 - Centralized: Calculation
 - Distributed: Our algorithm



Distributed Multi-objective Peer Selection

- Algorithm sketch
 - each peer ranks all known neighbors according to preference
 - sends requests to download to b peers in the order of preference
 - downloads from matched peers and dynamically adjusts to better matching choices
- Example:

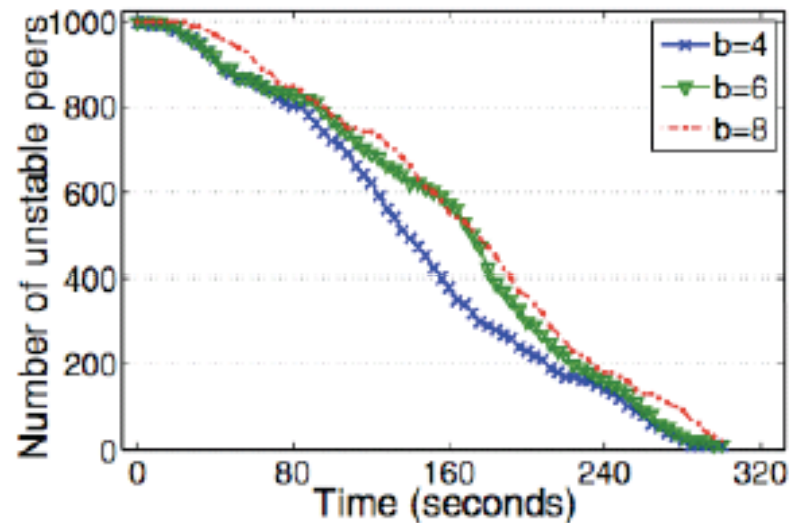


Trace-driven Evaluations

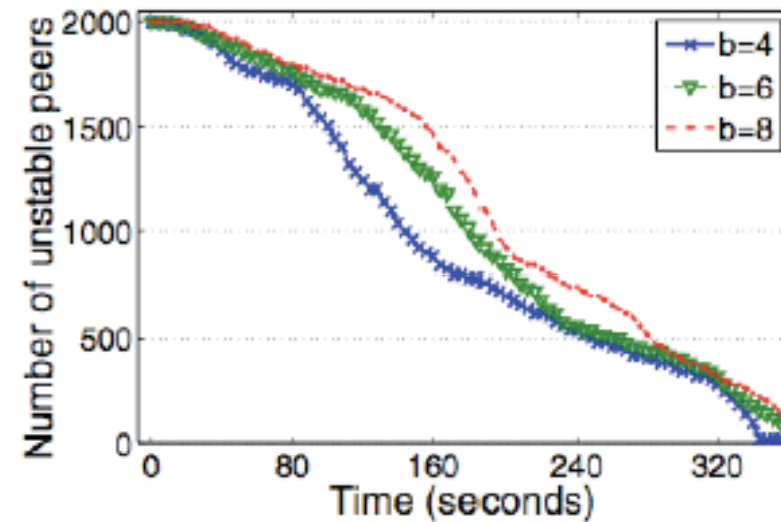
- A P2P swarm with up to 2000 peers, in 10 ISPs
- Download a file of 128 MB
- Upload capacity: heavy-tailed Pareto distribution
[256 Kbps, 10 Mbps]
- Traffic-relay cost matrix among the ISPs from the traces

Trace-driven Evaluations

- A Convergence of distributed peer selection (matching) algorithm



(a) 1000-peer swarm

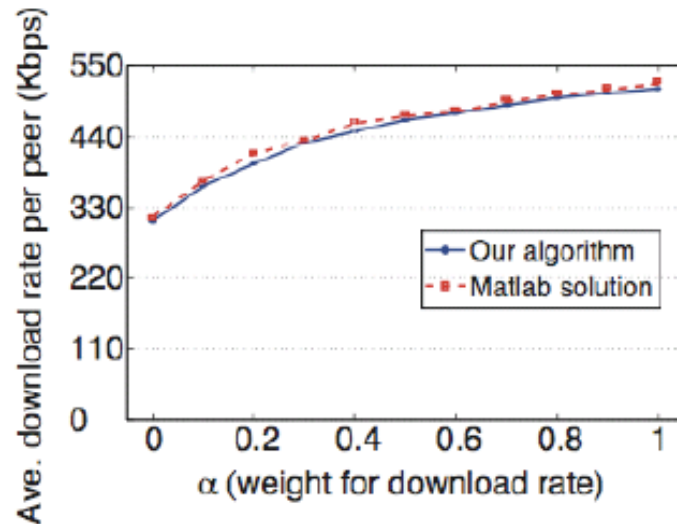


(b) 2000-peer swarm

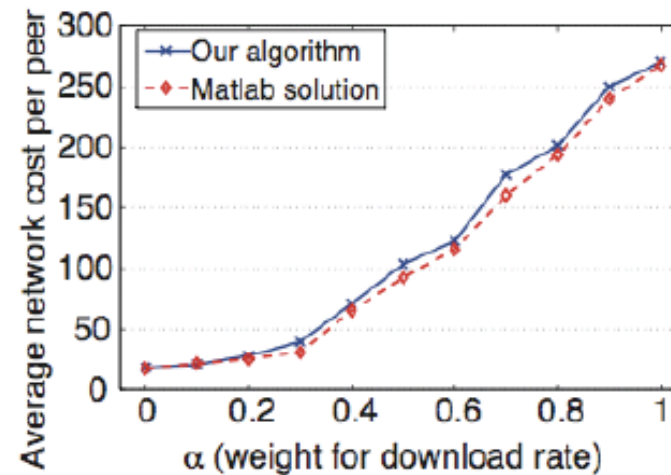
- According to the settings, it takes about 40-50 minutes to download the entire file for a peer
 - The convergence time is tolerable

Trace-driven Evaluations

- Optimality of resulting peer selection (matching) :
2000 peers, $b=6$



(a) Download rate



(b) Network cost

- Compared to the centralized algorithm on global optimal, the distributed algorithm approximately achieves optimal



Thank You!

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