The Phenomenon of Condensation of Wealth and Its Application on Networking Auction



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MY GOALS

 Make Everyone Understand What I am Talking about without Confusion!

Collect your opinion!



First monday of the month the corporate group gets together for a brainstorming session..

Outline

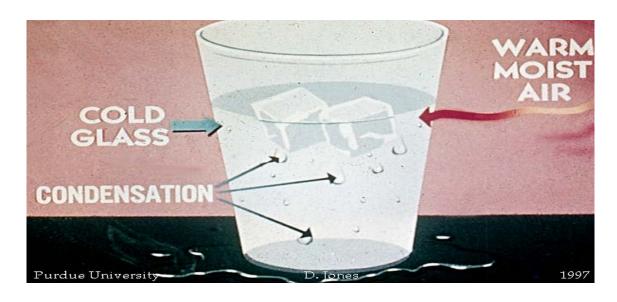
Introduction



- Modeling the Phenomenon
- Applying to Networking Auction
- Discussion of the on-going research

Introduction to the Condensation

- Physics
 - Change of the physical state of matter from **gaseous** phase into **liquid** phase and the reverse of evaporation.



Introduction to the Condensation

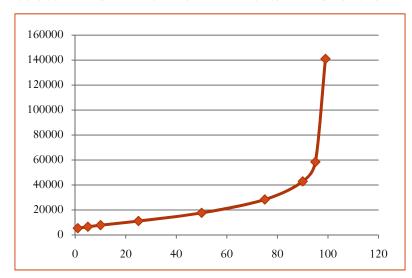
Economics

• Wealth condensation is a theoretical process by which, in certain conditions, wealth tends to become concentrated in the possession of already-wealthy individuals or entities, a form of preferential attachment.

Introduction to the Condensation

• The Existence of Wealth Condensation

• Data from the British Government

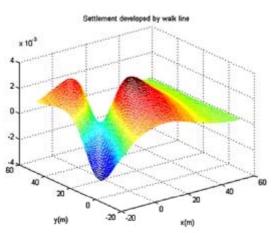




Modeling





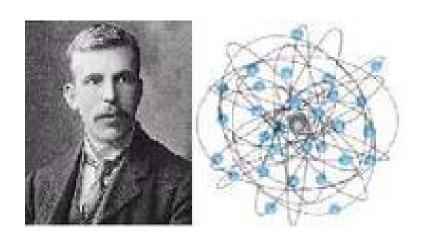






Motivation: Why We Study This?

- All things in the universe are connected, which leads us researchers to explore.
- A phenomenon, a structure, a law of nature could exist in different areas



E. Rutherford and his model of Atom



L. de Broglie

$$\lambda = \frac{h}{p}$$
 $\lambda = \frac{h}{\gamma m v} = \frac{h}{m v} \sqrt{1 - \frac{v^2}{c^2}}$

Motivation: Direct Reason

- Budget Based Auction and Evolution of Network
 - How we capture the flows of transactions?
 - How budgets distribute?
- Mechanism Design
 - Can we avoid the condensation happening?
 - (if not) How to control the condensation?

Study the Models

- How other researchers view this phenomenon
 - ["other" means Economists and Physicists]

In Common

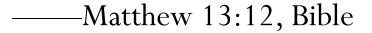
• Wealth Distribution, Power Law:

$$p(w) \sim w^{-1-a}$$

$$p(k*w)/p(w) \approx 1/k^{1+a} (0 \le k \le 1)$$

Intuition: Matthew Effect

• For whosoever hath, to him shall be given, and he shall have more abundance; but whosoever hath not, from him shall be taken away even that he hath.





Various Models

Open Economy

Total Wealth

Closed Economy

Total Wealth

General Model of Open Economy

$$\frac{dW_{i}}{dt} = \eta_{i}(t)W_{i} + \sum_{j(\neq i)} J_{ij}W_{j} - \sum_{j(\neq i)} J_{ji}W_{i}$$
Investment
$$\frac{dW_{i}}{dt} = \eta_{i}(t)W_{i} + \boxed{J(\overline{W} - W_{i})}$$
Trading
$$(J/N = J_{ij} = J_{ji}, \overline{W} = \frac{\sum_{i} W_{i}}{N})$$

Result: p(W)~ Power Law Distribution

General Model of Closed Economy

$$W_i(t+1) = W_i(t) + \sum_{j=1(\neq i)}^{N} w_{ij}(t)$$

$$p(w_{ij}) = \frac{1}{\sigma\sqrt{2\pi}}e^{\left[-\frac{(w_{ij}-\overline{w_{ji}})^2}{2\sigma^2}\right]}$$

Key Parameters Analysis

$$W_{i}(t+1) = W_{i}(t) + \sum_{j=1(\neq i)}^{N} W_{ij}(t) \qquad p(W_{ij}) \sim N(\overline{W_{ij}}, \sigma)$$

$$\sigma = h W_{ij} \qquad \text{Poverty Index}$$

$$W_{ij} = W_{ji} = \min(W_{i}, W_{j})$$

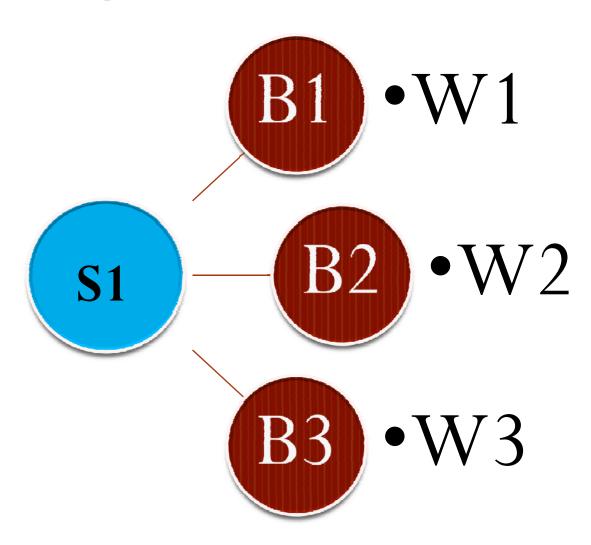
$$\overline{W_{ij}} = \alpha_{ij} \cdot h \cdot W_{ij}$$

$$\alpha_{ij} = f \cdot \frac{W_{j} - W_{i}}{W_{j} + W_{i}} \quad \text{Social Index}$$

Applying to Auction

• Revision

Applying to Auction Game



Topics

- #define Wealth Amount_of_Budgets
- #define Transaction Auction_Result
- Wealth and Bandwidth?
- Motivations?

Discussion