

AIND - Isolation Heuristic Analysis

Match	Opponent	AB_Improved Won Lost	AB_Custom Won Lost	AB_Custom 2 Won Lost	AB_Custom 3 Won Lost
1	Random	48 12	52 8	49 11	56 4
2	MM_Open	42 18	37 23	40 20	40 20
3	MM_Center	43 17	43 17	50 10	50 10
4	MM_Improved	33 27	36 24	41 19	40 20
5	AB_Open	36 24	30 30	31 29	31 29
6	AB_Center	30 30	32 28	29 31	33 27
7	AB_Improved	27 33	31 29	31 29	28 32
Win Rate		61.7%	62.1%	64.5%	66.2%

In this project I have developed 3 different heuristics. Each combination played 60 games to reduce the randomness of the result.

The first heuristic **AB_Custom** compares the sum of the possible moves of the player and the opponent in next two moves. Using the existing methods provided by the project, it is relatively easy to implement. However, because it calculates 2 moves ahead, the computation time is slightly longer. This heuristic underperforms other two heuristics with 62.1% winning rate. I think it is because the computation cost is high. Within the limited time, the heuristic is not able to give the best move. This has been described in (Video 6 and 7, Lesson 9, AIND) as horizon effect.

$$\text{sum_player_moves} - \text{sum_opponent_moves}$$

The second heuristic **AB_Custom 2** follows the AIND course and makes the player follows the opponent but slightly less aggressive. Instead of subtracting two times of opponent moves, I used 1.75. It seems to provide slightly better result than 2. This heuristic is easy to implement and quick to compute. This approach is inspired by (Video 9, Lesson 9, AIND). It seems this evaluation function can reduce the horizon effect in this game setting and provides better results.

$$\text{len}(\text{my_player_move}) - 1.75 * \text{len}(\text{opponent_move})$$

The third heuristic **AB_Custom 3** is the combination of the first and second heuristics. It is still relatively easy to implement. Due to its complexity, the computation cost is higher. Combining the previous 2 heuristic creates a more robust solution. It reduce the horizon effect even further.

$$\text{len}(\text{player_moves}) * \text{sum_player_moves} - \text{len}(\text{opponent_moves}) * \text{sum_opponent_moves}$$

Final Recommendation

I think AB_Custom 3 is the best heuristic out of all three.

1. It outperforms other heuristic with 66.2% winning rate.
2. The heuristic is still easy to implement base on the methods provided in this project.
3. The heuristic does use extra memory comparing to **AB_Custom 2**. Only considering 2 moves ahead doesn't sacrifice too much of memory in the current setting.
4. The computation cost is higher, but its benefits outweighs the cost. This is observed in the result. It is the heuristic provides the most steady results.