# Intrinsic Subspace Evaluation of Word Embedding Representations

December 2015

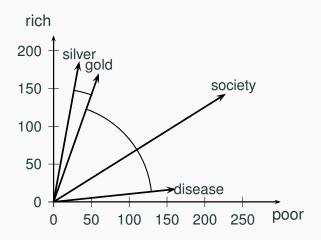
LMU Munich CIS

#### **Outline**

Word Embeddings Evaluation

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#### Representation of Words in Vector space model



#### **Word Embeddings**

 Word embedding: real-valued vector representing all the facets of the word

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- Evaluation: how much of these facets are represented accurately and consistently.
- Current methods of evaluation:
  - Extrinsic tasks
  - Intrinsic similarity-based datasets
- Are these methods proper for the evaluation?

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- Our proposed method:
  - Identifying generic and fundamental criteria for embedding models that are important to represent facets of words accurately and consistently.
  - Developing corpus-based tests to asses the criteria using PCFG generated datasets
  - Evaluating embedding models by supervised classification that needs to look at subspaces

Nonconflation

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#### Robustness against ambiguity

• Most words are ambiguous.

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- Important question:
  - for a word with k senses, Should we have k vectors? Or just 1 vector?

• Two senses of "suit": litigation vs. clothing

legal-case litigation lawsuit outfit clothing apparel

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outfit clothing apparel

legal-case

litigation

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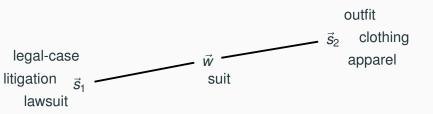
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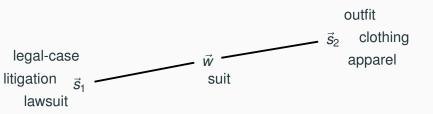
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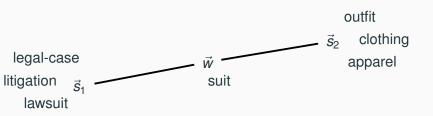
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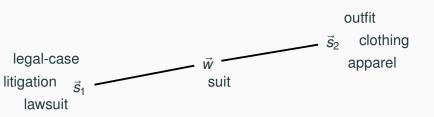
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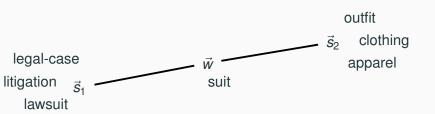
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- Similarity evaluation datasets (MEN, WordSim, Stanford Rare Words etc) evaluate performance on this objective.



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- Word embeddings should represent the facets of words accurately and consistently
- If we adopt this alternative objective, then maybe there is no problem with 1vector-ksenses?

## Setup for ambiguity experiment

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Unambiguous:  $w_5 \dots w_{49}$  only occur in C-D contexts.

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Ambiguous:  $w_0 \dots w_4$  occur in A-B and C-D contexts.

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Skewedness of ambiguity controlled by  $\beta$ .

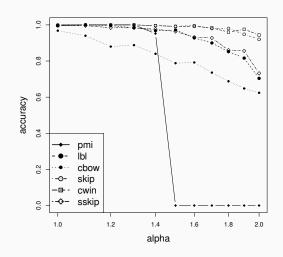
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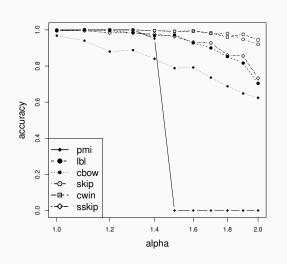
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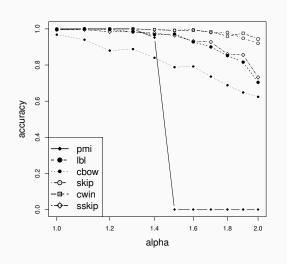
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- 50 trials of this experiment were run for each of eleven values of  $\beta$ :  $\beta = 2^{-\alpha}$  where  $\alpha \in \{1.0, 1.1, 1.2, \dots, 2.0\}$ .

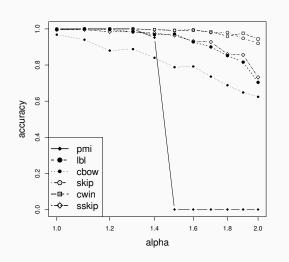




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- PPMI accuracy is 0 for beta ≥ 1.5.

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- But maybe we only need a single embedding per word i.e., 1vector-ksenses
- A single embedding will not fare well on analogy/similarity.
- But it is not the word embedding objective.

#### Accurate and consistent representation of multifacetedness

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- Each facet constitutes a small part of the overall information that a representation should capture about a word.

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### Multifacetedness grammar

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      P(AF_a|S)
                           = 1/4
      P(NM_n|S)
                           =1/4
      P(AM_f|S)
                            =1/4
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                            =1/5
                                     0 < i < 4
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        P(x_i^{\text{am}} U_i^{\text{am}} | M_f) = 1/5
                                        0 < i < 4
16
17
       P(m|U_i^{am})
                              =1/2
18
       P(\mu(U_i^{am})|U_i^{am}) = 1/2
```

Function  $\mu$  maps each U to one of the paradigms  $\{u_0 \dots u_4\}$ 

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- Full-space similarity cannot determine the presence of a low entropy facet accurately and consistently.