

Discrete Mathematics Questions and Answers

– Sets

This set of Discrete Mathematics Multiple Choice Questions & Answers (MCQs) focuses on “Sets”.

1. A _____ is an ordered collection of objects.

- a) Relation
- b) Function
- c) Set
- d) Proposition

[View Answer](#)

Answer: c

Explanation: By the definition of set.

2. The set O of odd positive integers less than 10 can be expressed by _____

- a) {1, 2, 3}
- b) {1, 3, 5, 7, 9}
- c) {1, 2, 5, 9}
- d) {1, 5, 7, 9, 11}

[View Answer](#)

Answer: b

Explanation: Odd numbers less than 10 is {1, 3, 5, 7, 9}.

3. Power set of empty set has exactly _____ subset.

- a) One
- b) Two
- c) Zero
- d) Three

[View Answer](#)

Answer: a

Explanation: Power set of null set has exactly one subset which is empty set.

4. What is the Cartesian product of $A = \{1, 2\}$ and $B = \{a, b\}$?

- a) {(1, a), (1, b), (2, a), (b, b)}
- b) {(1, 1), (2, 2), (a, a), (b, b)}
- c) {(1, a), (2, a), (1, b), (2, b)}
- d) {(1, 1), (a, a), (2, a), (1, b)}

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Answer: c

Explanation: A subset R of the Cartesian product $A \times B$ is a relation from the set A to the set B .

5. The Cartesian Product $B \times A$ is equal to the Cartesian product $A \times B$. Is it True or False?

- a) True
- b) False

View Answer

Answer: b

Explanation: Let $A = \{1, 2\}$ and $B = \{a, b\}$. The Cartesian product $A \times B = \{(1, a), (1, b), (2, a), (2, b)\}$ and the Cartesian product $B \times A = \{(a, 1), (a, 2), (b, 1), (b, 2)\}$. This is not equal to $A \times B$.

6. What is the cardinality of the set of odd positive integers less than 10?

- a) 10
- b) 5
- c) 3
- d) 20

View Answer

Answer: b

Explanation: Set S of odd positive an odd integer less than 10 is $\{1, 3, 5, 7, 9\}$. Then, Cardinality of set $S = |S|$ which is 5.

7. Which of the following two sets are equal?

- a) $A = \{1, 2\}$ and $B = \{1\}$
- b) $A = \{1, 2\}$ and $B = \{1, 2, 3\}$
- c) $A = \{1, 2, 3\}$ and $B = \{2, 1, 3\}$
- d) $A = \{1, 2, 4\}$ and $B = \{1, 2, 3\}$

View Answer

Answer: c

Explanation: Two set are equal if and only if they have the same elements.

8. The set of positive integers is _____

- a) Infinite
- b) Finite
- c) Subset
- d) Empty

View Answer

Answer: a

Explanation: The set of positive integers is not finite.

9. What is the Cardinality of the Power set of the set $\{0, 1, 2\}$.

- a) 8
- b) 6

- c) 7
d) 9

View Answer

Answer: a

Explanation: Power set $P(\{0, 1, 2\})$ is the set of all subsets of $\{0, 1, 2\}$. Hence, $P(\{0, 1, 2\}) = \{\text{null}, \{0\}, \{1\}, \{2\}, \{0, 1\}, \{0, 2\}, \{1, 2\}, \{0, 1, 2\}\}$.

10. The members of the set $S = \{x \mid x \text{ is the square of an integer and } x < 100\}$ is

- a) $\{0, 2, 4, 5, 9, 58, 49, 56, 99, 12\}$
b) $\{0, 1, 4, 9, 16, 25, 36, 49, 64, 81\}$
c) $\{1, 4, 9, 16, 25, 36, 64, 81, 85, 99\}$
d) $\{0, 1, 4, 9, 16, 25, 36, 49, 64, 121\}$

View Answer

Answer: b

Explanation: The set S consists of the square of an integer less than 10.

1 . Which of the following sets are null sets ?

[A.](#) $\{ \}$

[C.](#) Both (a) and (b)

[B.](#)

\emptyset

[D.](#)

$\{0\}$

[Answer & Explanation](#)

Answer: C

Explanation:

Both (a) and (b)

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2 . Let R be a non-empty relation on a collection of sets defined by ARB if and only if $A \cap B = \emptyset$ Then (pick the TRUE statement)

[A.](#) R is reflexive and transitive

[B.](#) R is an equivalence relation

[C.](#) R is symmetric and not transitive

[D.](#) R is not reflexive and not symmetric

[Answer & Explanation](#)

Answer: C

Explanation:

R is symmetric and not transitive

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3 . The binary relation $S = \Phi$ (empty set) on set $A = \{1, 2, 3\}$ is

- [A.](#) transitive and reflexive
- [B.](#) symmetric and reflexive
- [C.](#) transitive and symmetric
- [D.](#) neither reflexive nor symmetric

[Answer & Explanation](#)

Answer: C

Explanation:

transitive and symmetric

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4 . Number of subsets of a set of order three is

- | | | | |
|--------------------|---|--------------------|---|
| A. | 2 | B. | 4 |
| C. | 6 | D. | 8 |

[Answer & Explanation](#)

Answer: D

Explanation:

8

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5 . "n/m" means that n is a factor of m, then the relation T is

- [A.](#) reflexive, transitive and not symmetric
- [B.](#) reflexive, transitive and symmetric
- [C.](#) transitive and symmetric
- [D.](#) reflexive and symmetric

[Answer & Explanation](#)

Answer: A

Explanation:

reflexive, transitive and not symmetric

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6 . If R be a symmetric and transitive relation on a set A, then

- [A.](#) R is not reflexive and hence not an equivalence relation
- [B.](#) R is reflexive and hence an equivalence relation
- [C.](#) R is reflexive and hence a partial order
- [D.](#) None of these

[Answer & Explanation](#)

Answer: D

Explanation:

None of these

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7 . Let $P(S)$ denote the power set of set S . Which of the following is always TRUE ?

[A.](#) $S \notin P(S)$

[B.](#) $P(P(S)) = P(S)$

[C.](#) $P(S) \cap S = P(S)$

[D.](#) $P(S) \cap P(P(S)) = [\varphi]$

[Answer & Explanation](#)

Answer: D

Explanation:

$P(S) \cap P(P(S)) = [\varphi]$

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8 . The number of elements in the Power set $P(S)$ of the set $S = [\varphi, 1, [2, 3]]$ is

A.	2	B.	4
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C.	6	D.	8
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[Answer & Explanation](#)

Answer: D

Explanation:

8

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9 . If A and B are sets and $A \cup B = A \cap B$, then

A.	$A = B$	B.	$A = \Phi$
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C.	$B = \Phi$	D.	none of these
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[Answer & Explanation](#)

Answer: A

Explanation:

$A = B$

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10 . Let S be an infinite set and $S_1, S_2, S_3, \dots, S_n$ be sets such that $S_1 \cup S_2 \cup S_3 \cup \dots \cup S_n = S$ then

- [A.](#) at least one of the sets S_i is a finite set
[B.](#) at least one of the sets S_i is an infinite set
[C.](#) not more than one of the sets S_i can be infinite
[D.](#) none of these

[Answer & Explanation](#)

Answer: B

Explanation:

at least one of the sets S_i is an infinite set

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11 . If X and Y are two sets, then $X \cap (Y \cup X)^c$ equals

- [A.](#) \emptyset [B.](#) X
[C.](#) Y [D.](#) None of these

[Answer & Explanation](#)

Answer: A

Explanation:

\emptyset

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12 . If $f : X \rightarrow Y$ and $a, b \subseteq X$, then $f(a \cap b)$ is equal to

- [A.](#) $f(a) - f(b)$
[B.](#) $f(a) \cap f(b)$
[C.](#) $f(b) - f(a)$
[D.](#) a proper subset of $f(a) \cap f(b)$

[Answer & Explanation](#)

Answer: D

Explanation:

a proper subset of $f(a) \cap f(b)$

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13 . Let $f : \mathbb{R} \rightarrow \mathbb{R}$ be defined by $f(x) = \begin{cases} x+2 & (x \leq -1) \\ x^2 & (-1 \leq x \leq 1) \\ 2-x & (x \geq 1) \end{cases}$ Then value of $f(-1.75) + f(0.5) + f(1.5)$ is

- [A.](#) 0 [B.](#) 1
[C.](#) 2 [D.](#) None of these

[Answer & Explanation](#)

Answer: B

Explanation:

1

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14 . A relation R is defined on the set of positive integers as xRy if $2x + y \leq 5$. The relation R is

[A.](#) Reflexive

[B.](#) Transitive

[C.](#) Symmetric

[D.](#) None of these

[Answer & Explanation](#)

Answer: B

Explanation:

transitive

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15 . Let R be an equivalence relation on the set $\{1,2,3,4,5,6\}$ given by $\{(1,1),(1,5),(2,2),(2,3),(2,6),(3,2),(3,3),(3,6),(4,4),(5,1),(5,5),(6,2),(6,6),(6,6)\}$. The partition included by R is

[A.](#) $\{1,2,3,4,5,6\}$

[B.](#) $\{\{1,3,5,6\},\{2,4\}\}$

[C.](#) $\{\{1,2,3,4\},\{5,6\}\}$

[D.](#) $\{\{1,5\},\{2,3,6\},\{4\}\}$

[Answer & Explanation](#)

Answer: D

Explanation:

$\{\{1,5\},\{2,3,6\},\{4\}\}$

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16 . Which of the following sets is a null set ? I. $X = \{x \mid x=9, 2x=4\}$ II. $Y = \{x \mid x=2x, x \neq 0\}$ III. $Z = \{x \mid x-8=4\}$

[A.](#) I and II only

[B.](#) I, II and III

[C.](#) I and III only

[D.](#) II and III only

[Answer & Explanation](#)

Answer: A

Explanation:

I and II only

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17 . A Relation R is defined on the set of integers as xRy if $(x + y)$ is even. Which of the following statements is TRUE?

[A.](#) R is an equivalence relation having three equivalence classes

[B.](#) R is an equivalence relation having two equivalence classes

[C.](#) R is an equivalence relation having one equivalence class

[D.](#) R is not an equivalence relation

[Answer & Explanation](#)

Answer: B

Explanation:

R is an equivalence relation having two equivalence classes

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18 . The number of elements in the power set of the set $\{\{a, b\}, c\}$ is

[A.](#) 2 [B.](#) 4

[C.](#) 6 [D.](#) 8

[Answer & Explanation](#)

Answer: B

Explanation:

4

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19 . If $R = ((1, 1), (3, 1), (2, 3), (4, 2))$, then which of the following represents R^2 , where R^2 is R composite R ?

[A.](#) $((1, 1), (2, 1), (4, 3), (3, 1))$

[B.](#) $((1, 1), (3, 1), (2, 3), (4, 2))$

[C.](#) $(1, 3), (3, 3), (3, 4), (3, 2))$

[D.](#) $f(1, 1), (9, 1), (4, 9), (16, 4))$

[Answer & Explanation](#)

Answer: A

Explanation:

$((1, 1), (2, 1), (4, 3), (3, 1))$

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20 . If $f : R \rightarrow R$ defined by $f(x) = x^2 + 1$, then values of $f^{-1}(17)$ and $f^{-1}(-3)$ are respectively

A. $\{4, -4\}, \emptyset$
C. $\{3, -3\}, \{\emptyset\}$

B. $\{\emptyset\}, \{3, -3\}$
D. $\{\emptyset\}, (4, -4)$

[Answer & Explanation](#)

Answer: A

Explanation:

$\{4, -4\}, \emptyset$

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21 . If every element of a group G is its own inverse, then G is

A. abelian

B. cyclic

C. finite

D. infinite

[Answer & Explanation](#)

Answer: A

Explanation:

abelian

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22 . The universal relation $A \times A$ on A is

A. anti-symmetric

B. an equivalence relation

C. a partial ordering relation

D. not symmetric and not anti-symmetric

[Answer & Explanation](#)

Answer: B

Explanation:

an equivalence relation

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23 . Total number of different partitions of a set having four elements is

A. 5

B. 10

C. 15

D. 20

[Answer & Explanation](#)

Answer: C

Explanation:

15

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24 . A partition of $\{1, 2, 3, 4, 5\}$ is the family

[A.](#) $\{(1, 2, 3), (5)\}$

[B.](#) $\{(1, 2), (3, 4, 5)\}$

[C.](#) $\{\emptyset(1, 2), (3, 4), (5)\}$

[D.](#) $\{(1, 2), (3, 4), (3, 5)\}$

[Answer & Explanation](#)

Answer: B

Explanation:

$\{(1, 2), (3, 4, 5)\}$

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25 . Let $s(w)$ denote the set of all the letters in w where w is an English word. Let us denote set equality, subset and union relations by $=$, \subset and \cup respectively. Which of the following is NOT true?

[A.](#) $s(\text{ten}) \subset s(\text{twenty})$

[B.](#) $s(\text{stored}) = s(\text{sorted})$

[C.](#) $s(\text{sixty}) \subset (s(\text{six}) \cup s(\text{twenty}))$

[D.](#) None of these

[Answer & Explanation](#)

Answer: D

Explanation:

None of these

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26 . In a beauty contest, half the number of experts voted for Mr. A and two thirds voted for Mr.

B. 10 voted for both and 6 did not vote for either. How many experts were there in all ?

[A.](#) 18

[B.](#) 24

[C.](#) 36

[D.](#) 44

[Answer & Explanation](#)

Answer: B

Explanation:

24

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27 . Let $n(A)$ denotes the number of elements in set A. If $n(A) = p$ and $n(B) = q$, then how many ordered pairs (a, b) are there with $a \in A$ and $b \in B$?

[A.](#) $p \times q$

[C.](#) $2pq$

[Answer & Explanation](#)

[B.](#)

$p + q$

[D.](#)

$4pq$

Answer: A

Explanation:

$p \times q$

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28 . The set of all Equivalence classes of a set A of cardinality C

[A.](#) forms a partition of A

[B.](#) is of cardinality $2C$

[C.](#) has the same cardinality as A

[D.](#) none of these

[Answer & Explanation](#)

Answer: A

Explanation:

forms a partition of A

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29 . Let Z denote the set of all integers. Define $f : Z \rightarrow Z$ by $f(x) = \begin{cases} x/2 & (x \text{ is even}) \\ 0 & (x \text{ is odd}) \end{cases}$ then f is

[A.](#) one-one and onto

[B.](#) one-one but not onto

[C.](#) onto but not one-one

[D.](#) neither one-one nor-onto

[Answer & Explanation](#)

Answer: C

Explanation:

onto but not one-one

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30 . Let R be a relation " $(x - y)$ is divisible by m ", where x, y, m are integers and $m > 1$, then R is

[A.](#) partial order

[B.](#) equivalence relation

[C.](#) symmetric but not transitive

D.anti symmetric and not transitive

[Answer & Explanation](#)

Answer: B

Explanation:

equivalence relation

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31 . A subset H of a group $(G,*)$ is a group if

A. $a, b \in H \Rightarrow a * b \in H$

B. $a \in H \Rightarrow a^{-1} \in H$

C. $a, b \in H \Rightarrow a * b^{-1} \in H$

D. H contains the identity element

[Answer & Explanation](#)

Answer: C

Explanation:

$a, b \in H \Rightarrow a * b^{-1} \in H$

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32 . If $A = \{1, 2, 3\}$ then relation $S = \{(1, 1), (2, 2)\}$ is

A. symmetric only

B. anti-symmetric only

C. an equivalence relation

D. both symmetric and anti-symmetric

[Answer & Explanation](#)

Answer: D

Explanation:

both symmetric and anti-symmetric

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33 . Which of the following statements is true?

A. Empty relation ϕ is reflexive

B. Every equivalence relation is a partial-ordering relation.

C. Number of relations from $A = \{x, y, z\}$ to $B = \{1, 2\}$ is 64.

D. Properties of a relation being symmetric and being anti-symmetric are negative of each other.

[Answer & Explanation](#)

Answer: C

Explanation:

Number of relations form $A = \{x, y, z\}$ to $B = \{1, 2\}$ is 64.

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34 . Let $A = \{1, 2, \dots, 3\}$ Define \sim by $x \sim y \Leftrightarrow x$ divides y . Then \sim is

[A.](#) Symmetric

[B.](#) an equivalence relation

[C.](#) a partial-ordering relation

[D.](#) reflexive, but not a partial-ordering

[Answer & Explanation](#)

Answer: C

36 . If $f : A \rightarrow B$ is a bijective function, then $f^{-1} \circ f =$

[A.](#) F

[B.](#) f^{-1}

[C.](#) $f \circ f^{-1}$

[D.](#) IA (Identity map of the set A)

[Answer & Explanation](#)

Answer: D

Explanation:

IA (Identity map of the set A)

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37 . The set of all real numbers under the usual multiplication operation is not a group since

[A.](#) zero has no inverse

[B.](#) identity element does not exist

[C.](#) multiplication is not associative

[D.](#) multiplication is not a binary operation

[Answer & Explanation](#)

Answer: A

Explanation:

zero has no inverse

38 . If (G, \cdot) is a group such that $(ab)^{-1} = b^{-1}a^{-1}$, $\forall a, b \in G$, then G is a/an

[A.](#) abelian group

[B.](#) non-abelian group

[C.](#) commutative semi group

[D.](#)None of these

Answer: A

Explanation:

abelian group

39 . If $*$ is defined on R^* as $a * b = (ab/2)$ then identity element in the group $(R^*, *)$ is

- | | | | |
|--------------------|-----|--------------------|-----|
| A. | 1 | B. | 2 |
| C. | 1/2 | D. | 1/3 |

[Answer & Explanation](#)

Answer: B

Explanation:

2

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40 . If $(G, .)$ is a group such that $a^2 = e, \forall a \in G$, then G is

- | | | | |
|--------------------|-------------------|--------------------|---------------|
| A. | semi group | B. | abelian group |
| C. | non-abelian group | D. | none of these |

[Answer & Explanation](#)

Answer: B

Explanation:

abelian group

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Explanation:

a partial-ordering relation

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35 . $G(\{e, a, b, c\})$ is an abelian group with 'e' as identity element. The order of the other elements are

- | | | | |
|--------------------|-------|--------------------|-------|
| A. | 2,2,4 | B. | 2,2,3 |
| C. | 2,3,4 | D. | 3,3,3 |

[Answer & Explanation](#)

Answer: B

Explanation:

2,2,3

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1 . How many numbers can be formed with the digits 1, 6, 7, 8, 6, 1 so that the odd digits always occupy the odd places

A.	15	B.	12
C.	18	D.	18

[Answer & Explanation](#)

Answer: C

Explanation:

NA

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2 . In how many ways can Ram choose a vowel and a constant from the letters of the word ALLAHABAD?

A.	4	B.	6
C.	9	D.	5

[Answer & Explanation](#)

Answer: A

Explanation:

NA

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3 . Number of ways in which the letters of word GARDEN can be arranged with vowels in alphabetical order, is

A.	360	B.	240
C.	120	D.	480

[Answer & Explanation](#)

Answer: A

Explanation:

NA

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4 . The number of ways in which a couple can sit around a table with 6 guests if the couple take consecutive seat is

- | | | | |
|--------------------|------|--------------------|---------------|
| A. | 1440 | B. | 720 |
| C. | 5040 | D. | None of these |

[Answer & Explanation](#)

Answer: A

Explanation:

NA

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5 . How many different words beginning with O and ending with E can be formed with the letters of the word ORDINATE, so that the words are beginning with O and ending with E?<

- | | | | |
|--------------------|----|--------------------|-------|
| A. | 8! | B. | 6! |
| C. | 7! | D. | 7!/2! |

[Answer & Explanation](#)

Answer: A

Explanation:

NA

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6 . A box contains 2 white balls and 4 red ball. in how many ways can 3 balls be drawn from the box , if at least one black ball is to be included i the draw ?

- | | | | |
|--------------------|----|--------------------|----|
| A. | 32 | B. | 48 |
| C. | 64 | D. | 96 |

[Answer & Explanation](#)

Answer: C

Explanation:

NA

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7 . How many 3 – digit number can be formed from the digit 2, 3, 5, 6, 7 and 9, which are divisible by 5 and none of the digits is repeated?

- | | | | |
|--------------------|----|--------------------|----|
| A. | 5 | B. | 10 |
| C. | 15 | D. | 20 |

[Answer & Explanation](#)

Answer: D

Explanation:

NA

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8 . Out of 7 consonants and 4 vowels, how many words of 3 consonants and 2 vowels can be formed?

- | | | | |
|--------------------|-------|--------------------|-------|
| A. | 210 | B. | 1050 |
| C. | 25200 | D. | 21400 |

[Answer & Explanation](#)

Answer: C

Explanation:

NA

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9 . How many words can be formed by using all letters of the word 'BIHAR' ?

- | | | | |
|--------------------|-----|--------------------|-----|
| A. | 110 | B. | 120 |
| C. | 130 | D. | 140 |

[Answer & Explanation](#)

Answer: B

Explanation:

NA

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10 . How many 6 digit number can be formed from the digits 1, 2, 3, 4, 5, 6 which are divisible by 4 and digits are not repeated?

- | | | | |
|--------------------|-----|--------------------|-----|
| A. | 192 | B. | 122 |
| C. | 140 | D. | 242 |

[Answer & Explanation](#)

Answer: A

Explanation:

NA

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