

# Quantum Mechanics: A Brief Overview

From *Quantum Mechanics* by David J. Griffiths  
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# Chapter 1

## Formalism

Before discussing the formalism of quantum mechanics, we shall provide a brief review of linear algebra.

A vector is an N-tuple. A vector space  $\mathbb{F}^N$  is a set of vectors over the field  $\mathbb{F}$ . Vectors in a vector space are commutative in addition, associative in addition, and distributive with respect to a scalar. Furthermore, all vector fields by definition contain an additive identity, additive inverse, and multiplicative identity. Vectors in quantum mechanics are represented by kets,

$$|\alpha\rangle \doteq \begin{pmatrix} a_1 \\ a_2 \\ \vdots \\ a_N \end{pmatrix} \quad (1.0.1)$$

Furthermore, the inner product is a function on a vector space that takes a pair of vectors to a scalar. The inner product of vector kets  $|\alpha\rangle$  and  $|\beta\rangle$  are denoted  $\langle\alpha|\beta\rangle$  and the inner product has properties,

1. positive:  $\langle\alpha|\alpha\rangle \geq 0$
2. definite:  $\langle\alpha|\alpha\rangle = 0$  if and only if  $|\alpha\rangle = 0$

$$\sigma_i = \pm 1 \quad (1.0.2)$$

# Bibliography

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# Appendix A

## Field and Source Points