

Part 3 — Templates and Core Relationships

1. Merit Function Template

Purpose

The merit function helps compare multiple process designs (e.g., As-Is vs To-Be) on a single numeric scale that blends time, cost, quality, and automation.

Formula

$$M = \sum_{i=1}^n (w_i \times N_i) \quad M = \sum_{i=1}^n (w_i \times N_i)$$

Where:

- w_i = Weight for criterion i (the importance you assign).
- N_i = Normalized score for that criterion (0 = best, 1 = worst).

Steps

1. **Select criteria:** Pick 3–6 measurable factors.
 - Cost / transaction
 - Average service (lead) time
 - Throughput (orders/hour)
 - Error rate / remakes
 - Automation / digitization level
2. **Normalize values:** Convert everything to a 0–1 scale.
 - For “Lower is Better”:
$$N = \frac{\text{Value} - \text{Best}}{\text{Worst} - \text{Best}}$$

- For “Higher is Better”:

$$N = \frac{\text{Best} - \text{Value}}{\text{Best} - \text{Worst}}$$

3. **Assign weights (sum = 1):**


Criterion	Weight
Cost	0.35
Lead Time	0.25
Throughput	0.20
Errors	0.15
Automation	0.05

4.

5. **Compute Merit:**

Multiply each normalized score by its weight and add them up.
The smaller the final value M, the better the design.

Example Interpretation

- **As-Is** M = 0.66
- **To-Be** M = 0.31
 Conclusion: The To-Be process clearly dominates; it provides higher throughput and lower cost for almost the same investment.

Sentence You Can Copy in Exam

“A weighted merit function combining cost, lead time, throughput, and error rates was developed. The To-Be process produced a merit score nearly half that of the current system, confirming measurable improvement across all key criteria.”

2. Timestamp Measurement Table (Process Time Study)

Step	Queued At	Start At	Finish At	Wait Time	Service Time	Cumulative Lead Time
Order Placed	0:00	0:00	0:25	0	25 s	25 s
Payment	0:25	0:25	0:40	0	15 s	40 s
Barista Start	0:40	0:55	1:45	15 s	50 s	1 m 45 s
Pickup	1:45	1:45	1:50	0	5 s	1 m 50 s

How to Read It

- **Wait Time** = Start At – Queued At
- **Service Time** = Finish At – Start At
- **Lead Time** = Final Finish – First Queued
- The step with the **largest average Service Time** or the **longest Queue** is your **Bottleneck**.

Use in Exam

“Timestamps were recorded at every transition. Average customer lead time reduced from 12 minutes As-Is to 7 minutes To-Be after removing redundant cashier entry and parallelizing drink preparation.”

3. Efficiency, Productivity, and Bottleneck Relationships

Concept	Definition	In Simple Words	Example
Efficiency	Output per unit of input at a single step.	How little waste a worker or machine produces.	Reducing cashier keystrokes → Faster order entry.
Productivity	Total output per unit of total input for the whole system.	How many completed products or services you deliver overall.	Serving 170 orders/hr instead of 120 → Higher productivity.

Bottleneck	The step with the lowest effective capacity, limiting overall throughput.	The slowest part of the chain that decides how fast everything else can go.	Barista = bottleneck → limit = 1 drink/min per barista.
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Key Point: Improving a non-bottleneck step does *nothing* if the bottleneck remains unchanged.

Example: Making payment faster helps only if the barista can keep up; otherwise, orders just pile up earlier.

4. Little's Law and Takt Time

A. Little's Law

Work in Process (WIP) = Throughput × Lead Time
 $\text{Work in Process (WIP)} = \text{Throughput} \times \text{Lead Time}$

- **Meaning:** The number of units in the system equals how many you complete per hour times how long each stays in the system.
- **Why Useful:** If your lead time increases but throughput stays constant, your system is getting “clogged.”

Example:

If Starbucks completes 120 orders/hr (2 orders/min) and average lead time = 6 min:

$WIP = 2 \times 6 = 12 \text{ orders}$

So on average, 12 customers are “inside” the system (ordering, waiting, or picking up).

B. Takt Time

Takt Time = Available Production Time (per shift) / Customer Demand (per shift)
 $\text{Takt Time} = \frac{\text{Available Production Time (per shift)}}{\text{Customer Demand (per shift)}}$

- It represents the **pace** you must maintain to meet demand without backlogs.

- If your process takes *longer* than takt time, customers queue; if it's *shorter*, resources sit idle.

Example:

- Available barista time = 3600 s/hour.
- Demand = 150 orders/hour.

Takt Time = $\frac{3600}{150} = 24$ s per order. $\text{Takt Time} = \frac{3600}{150} = 24$ s per order. Takt Time = $\frac{150}{3600} = 24$ s per order.

If each drink currently takes 40 s, you're behind demand and need more capacity or simplification.

Exam Sentence:

"Little's Law shows that higher throughput shortens lead time by reducing the number of orders in process. Calculated takt time was 24 s per order, confirming that the As-Is barista step (≈ 40 s) is the bottleneck."

5. Change-Management Paragraph (always end with this)

"Successful process redesign is not only technical but also cultural. Employees must understand why the change is beneficial. Training, transparent communication, and phased roll-outs reduce resistance. Cashiers, for example, can be redeployed to customer service or loyalty engagement rather than removed. This ensures morale, consistency, and long-term adoption of the new process."