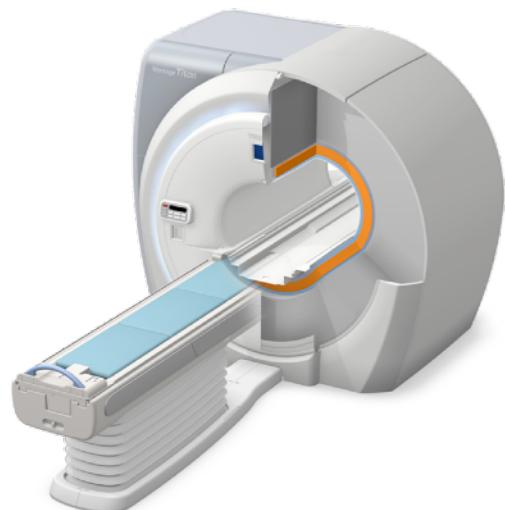


HUMUS-Net

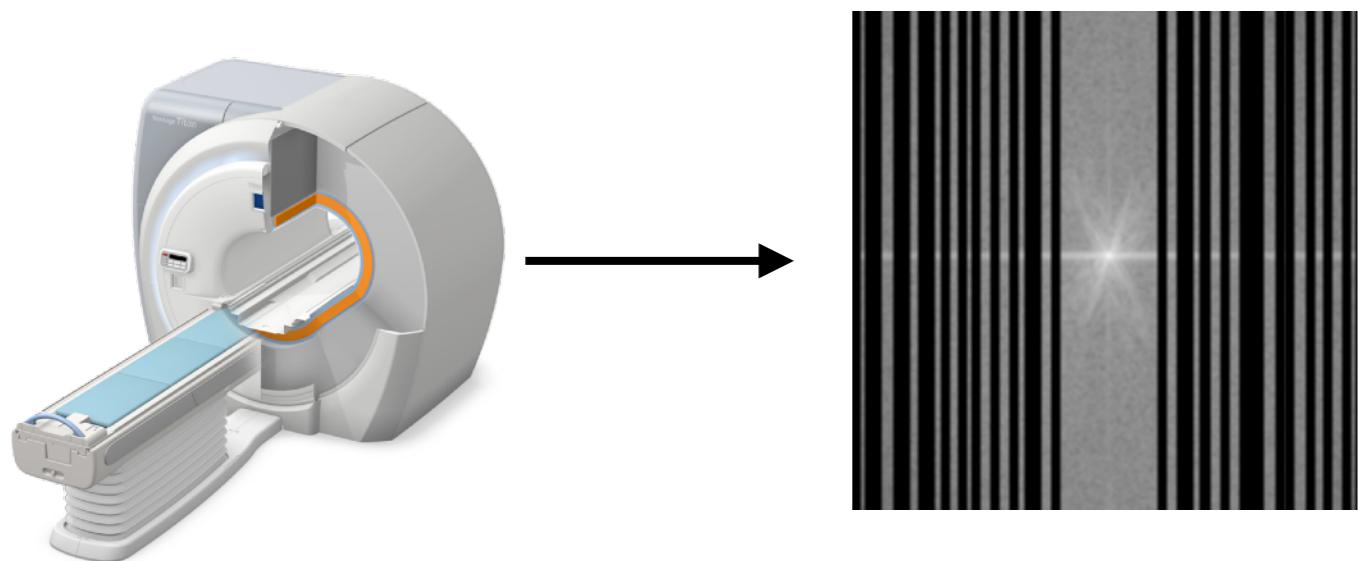
Hybrid Unrolled Multi-scale Network Architecture for
Accelerated MRI Reconstruction

Zalan Fabian, Mahdi Soltanolkotabi

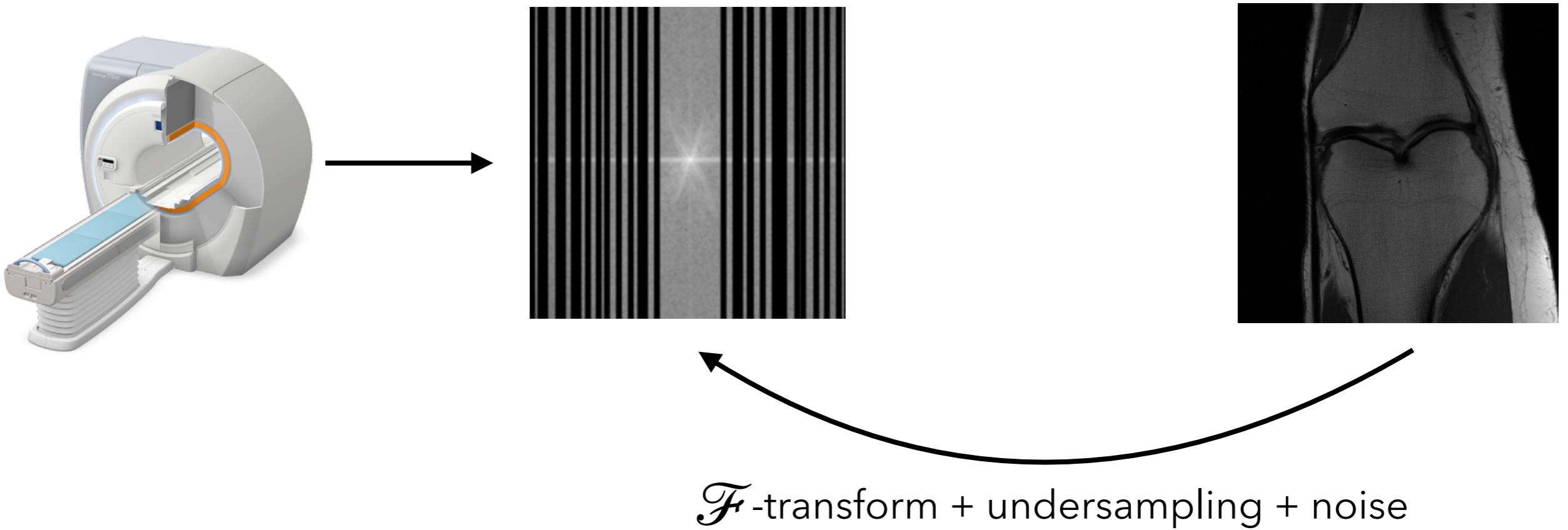
MRI reconstruction



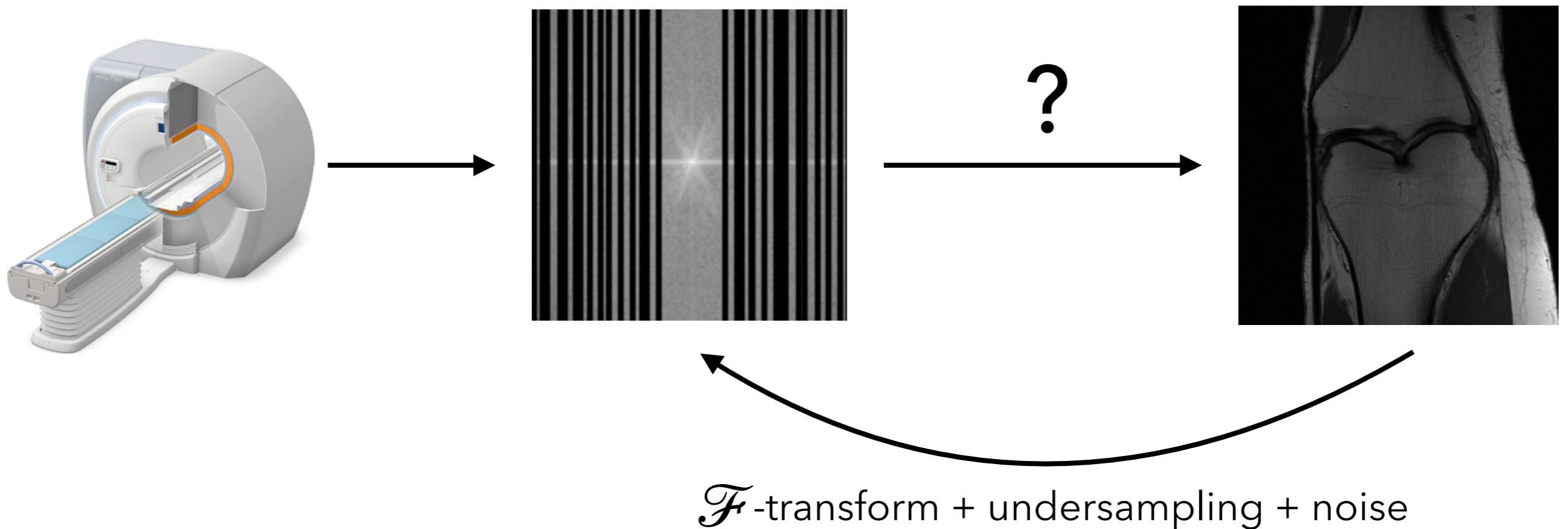
MRI reconstruction



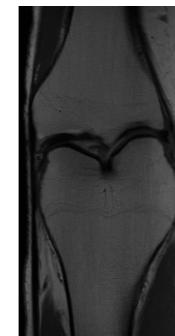
MRI reconstruction



MRI reconstruction

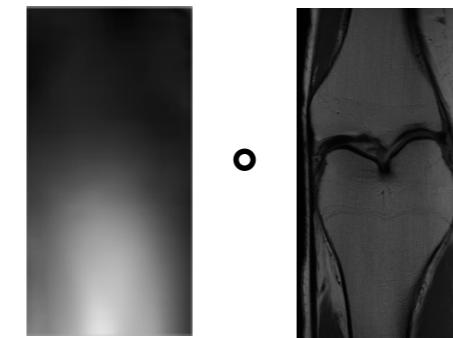


MRI forward model



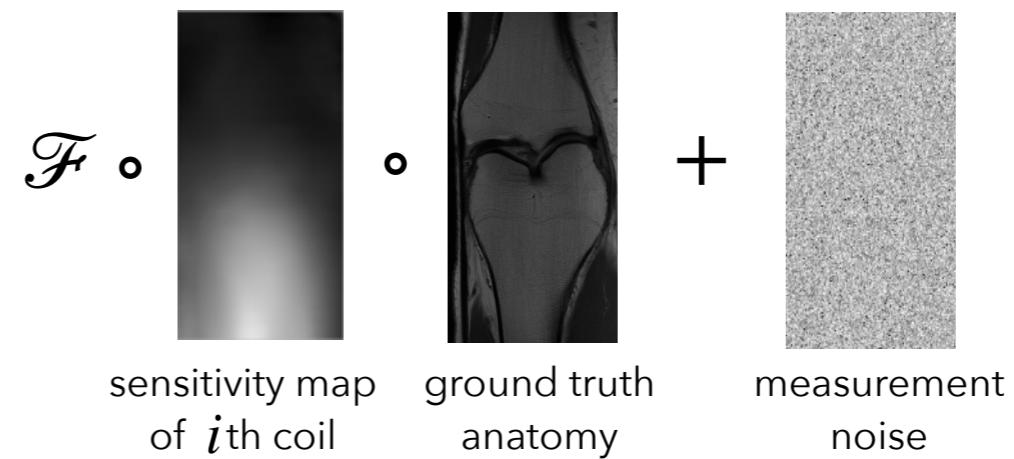
ground truth
anatomy

MRI forward model



sensitivity map ground truth
of i th coil anatomy

MRI forward model

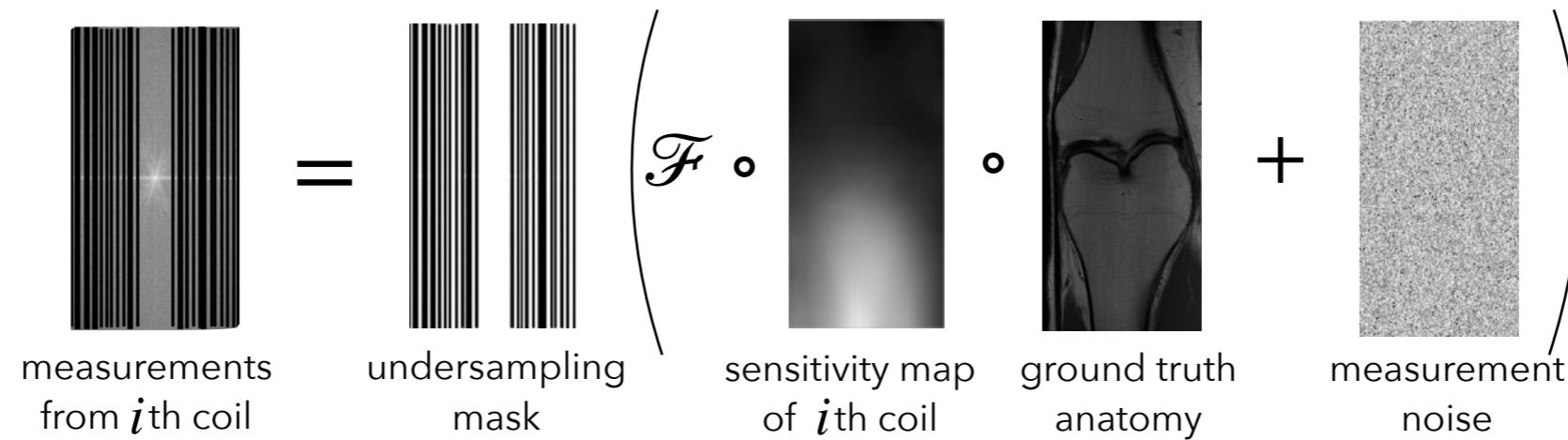
$$\mathcal{F} \circ \begin{matrix} \text{sensitivity map} \\ \text{of } i\text{th coil} \end{matrix} \circ \begin{matrix} \text{ground truth} \\ \text{anatomy} \end{matrix} + \begin{matrix} \text{measurement} \\ \text{noise} \end{matrix}$$


MRI forward model

$$\text{measurements from } i\text{th coil} = \text{undersampling mask} \left(\mathcal{F} \circ \text{sensitivity map of } i\text{th coil} \circ \text{ground truth anatomy} + \text{measurement noise} \right)$$

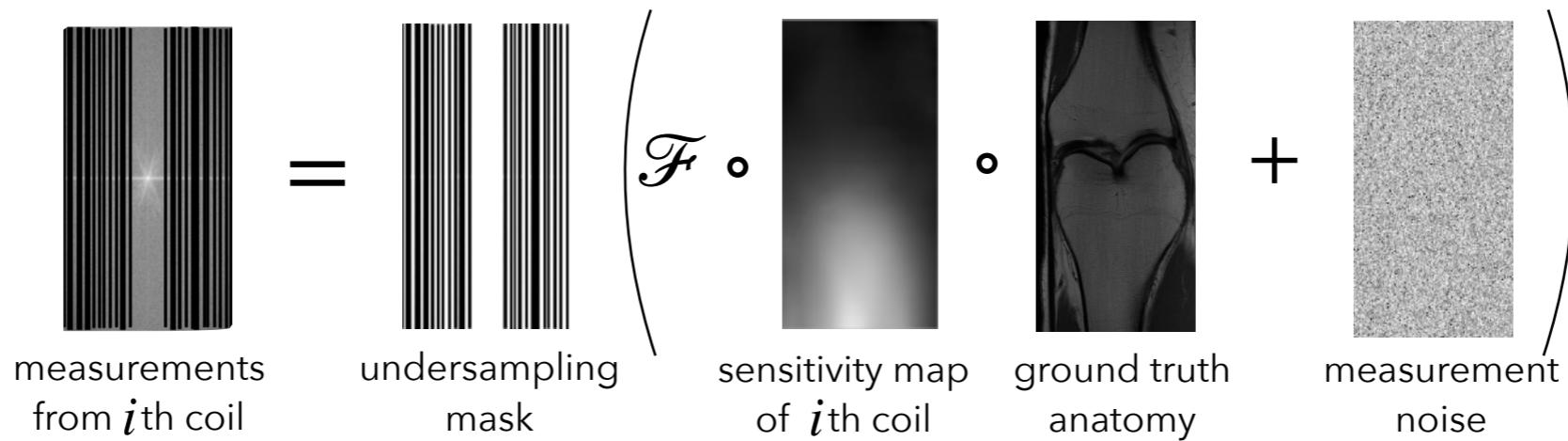
MRI forward model

$$\tilde{k}_i = M(\mathcal{F}S_i x^* + z_i) \quad i = 1, \dots, N$$



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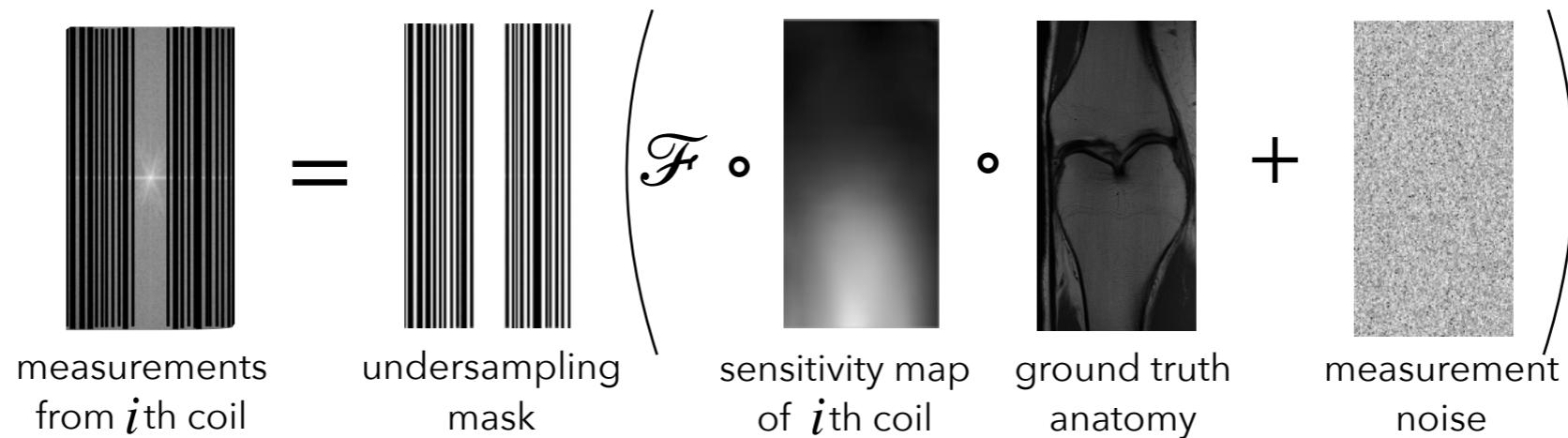
Compressed sensing reconstruction

$$\hat{x} = \arg \min_x \|\mathcal{A}(x) - \tilde{k}\|^2 + \mathcal{R}(x)$$

data consistency prior knowledge

MRI forward model

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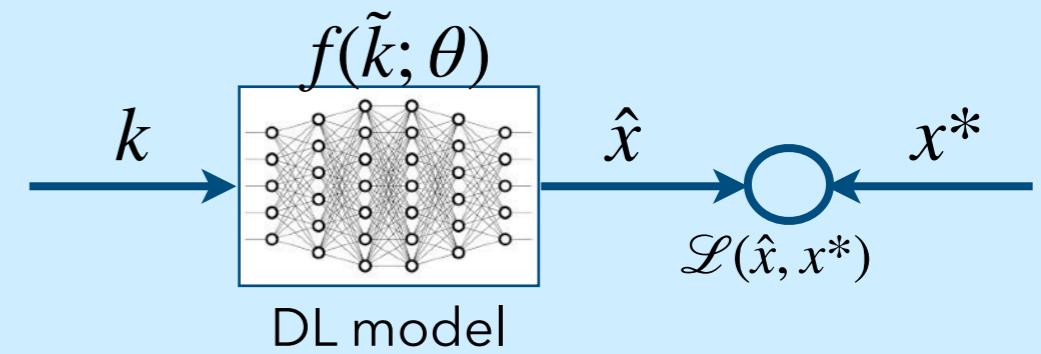
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data
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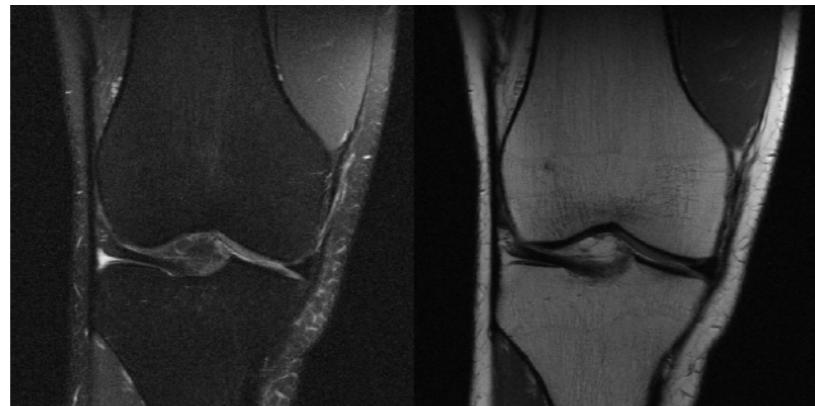
prior
knowledge

End-to-end DL reconstruction

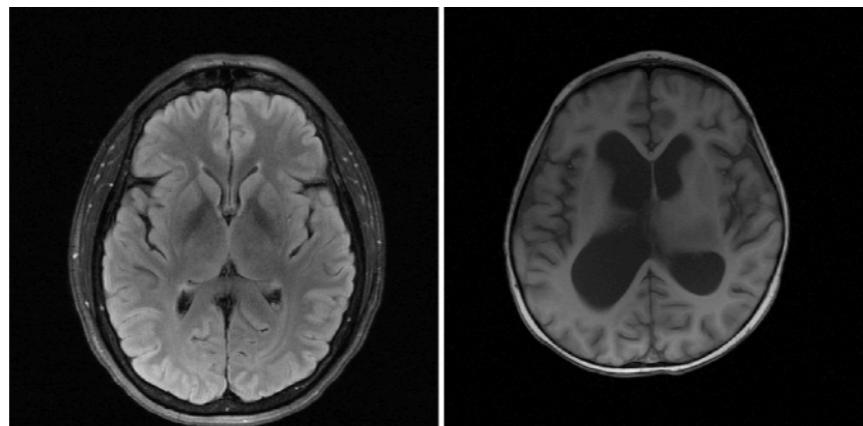


fastMRI dataset

- Largest public dataset of fully sampled raw MRI measurements



	Volumes		Slices	
	Multi-coil	Single-coil	Multi-coil	Single-coil
training	973	973	34,742	34,742
validation	199	199	7,135	7,135
test	118	108	4,092	3,903
challenge	104	92	3,810	3,305



Field Strength	1.5T	3T
T1	375	407
T1 POST	849	641
T2	1651	2515
FLAIR	126	406
Total	3001	3969

fastMRI Public Leaderboard

	Single-Coil Knee	Multi-Coil Knee	Multi-Coil Brain			
How well can you reconstruct a single MRI image given a masked k-space and signal from multiple coils? This challenge provides a space for researchers familiar with the physics of MRI and to build solutions compatible with modern MR machinery.						
	Acceleration	8x	NMSE	SSIM	PSNR	NYU DATA ONLY
	fastMRI Repo End-to-End VarNet 11/11/2020	8x	0.0085	0.8920	37.1	
	SubtleMR 6/23/2020	8x	0.0085	0.8919	37.1	
	Deneme4 10/7/2021	8x	0.0085	0.8919	37.1	
	Wd_UN_I_VN_Sp 10/12/2021	8x	0.0083	0.8917	37.1	
	Wd_Av_UN_I_with_VN 10/12/2021	8x	0.0083	0.8914	37.1	

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Top of the
leaderboard for
almost 2 years!



Unrolled Networks

- Inverse problem formulation

$$\hat{x} = \arg \min_x \|\mathcal{A}(x) - y\|^2 + \mathcal{R}(x)$$

- Iterative solution via GD

$$x^{t+1} = x^t - \mu^t \left[\mathcal{A}^* (\mathcal{A}(x^t) - y) + \nabla \mathcal{R}(x^t) \right]$$

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What is the best regularizer?

Unrolled Networks

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Parameterize regularizer gradient as NN!

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x_0



Unrolled Networks

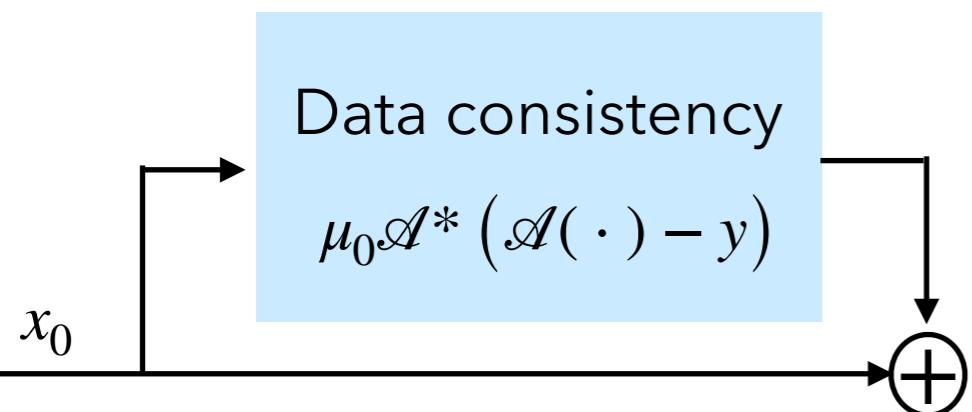
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Unrolled Networks

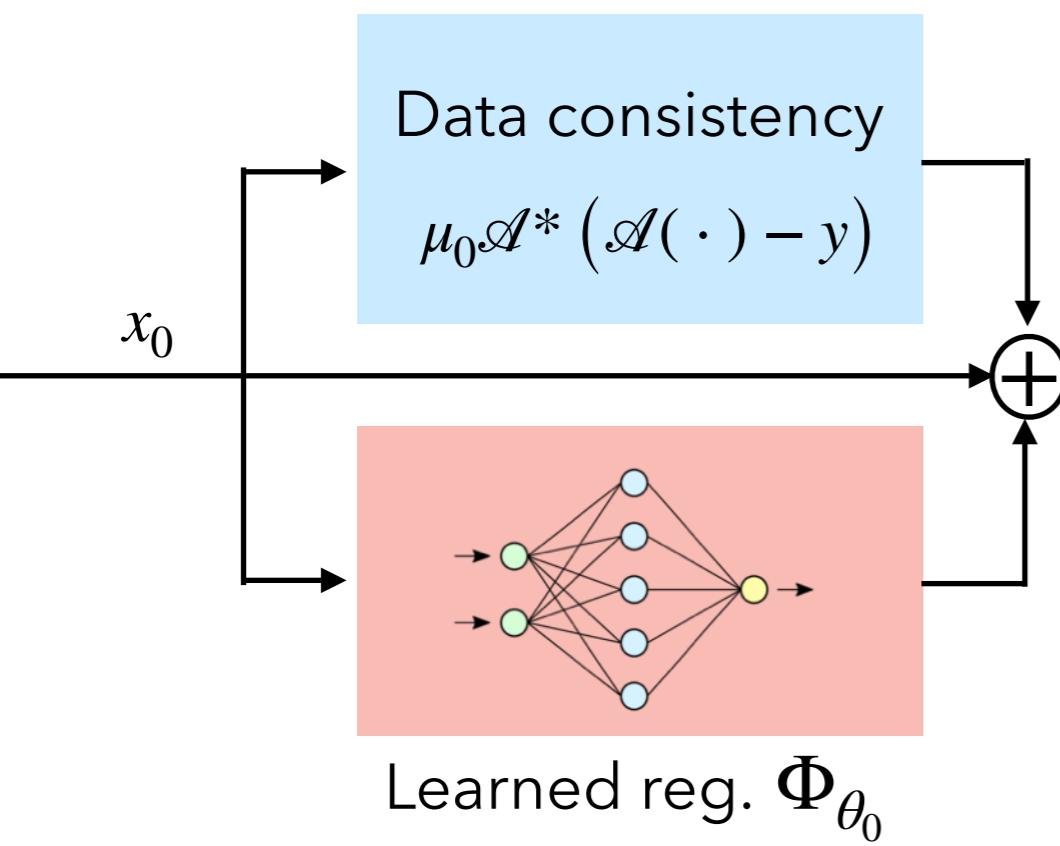
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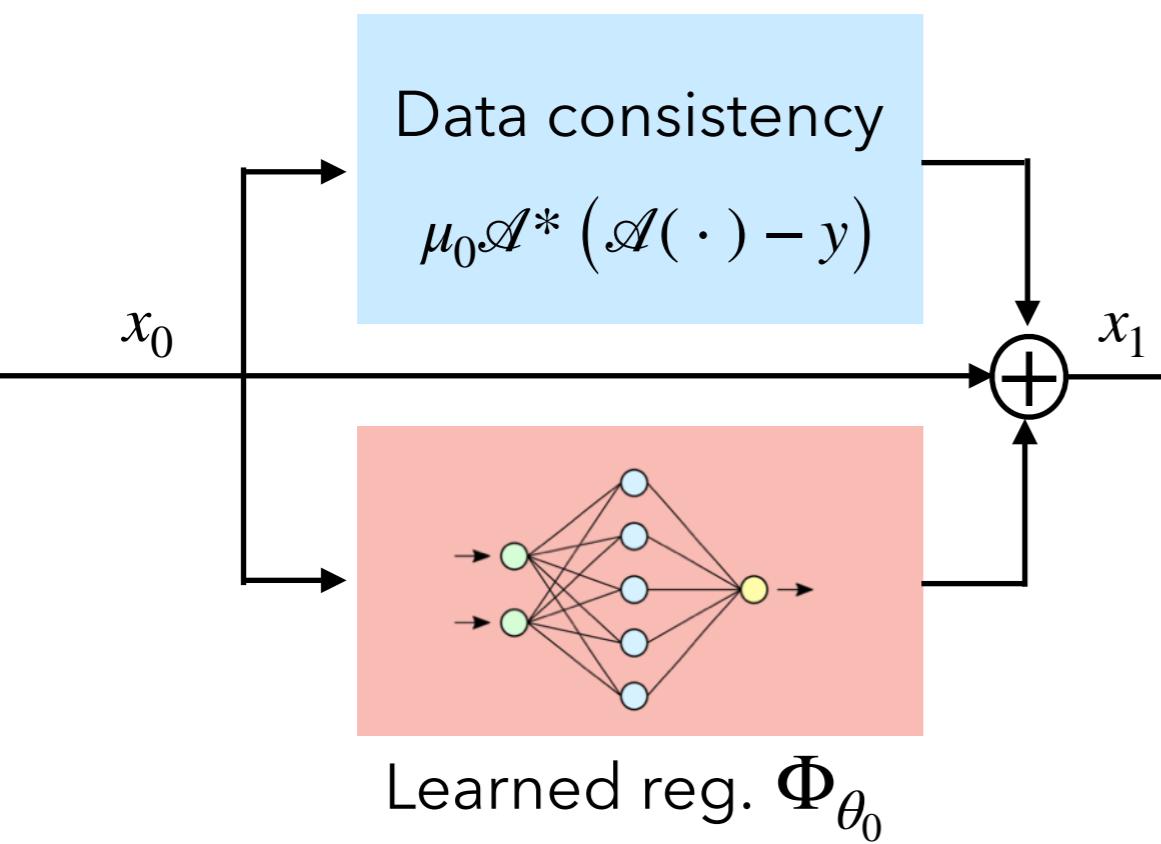
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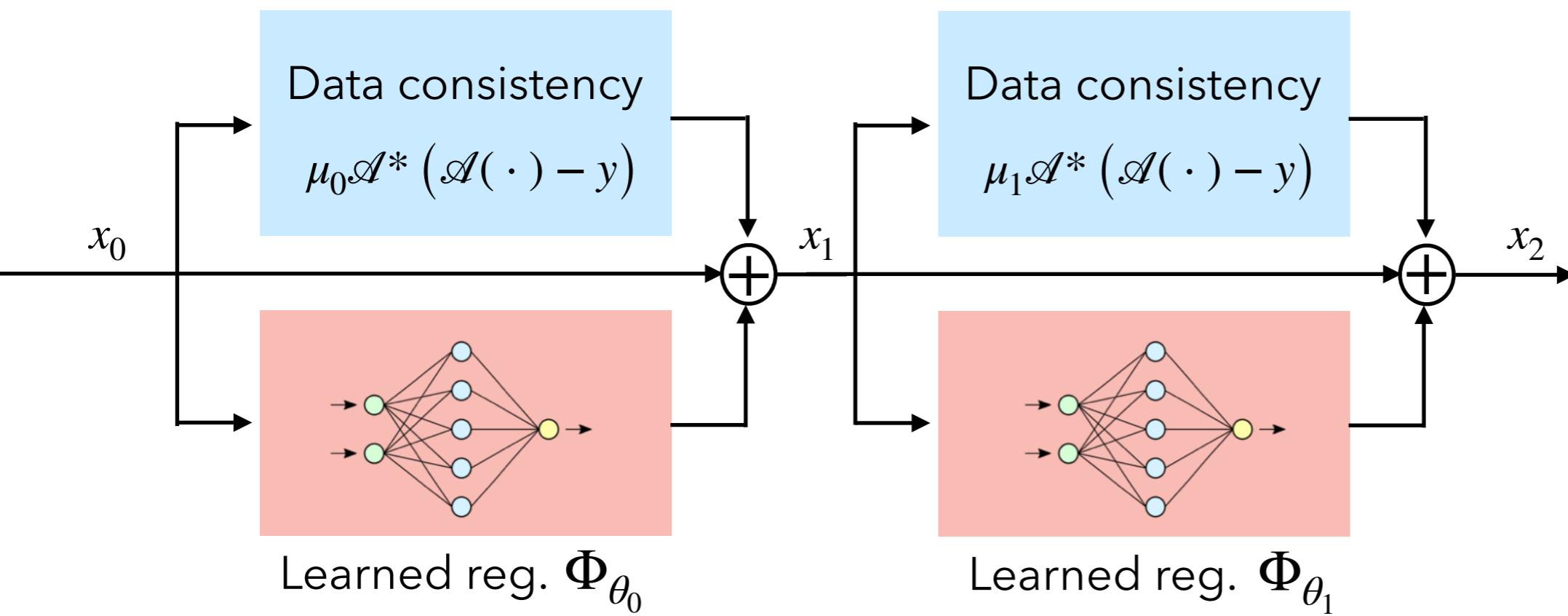
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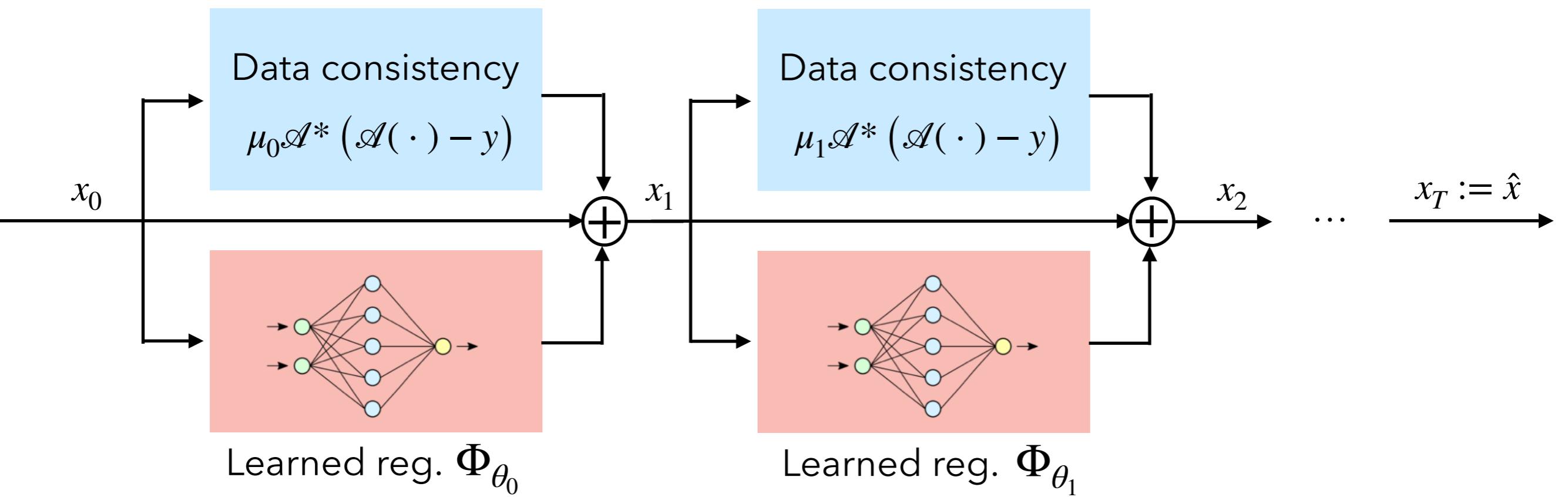
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E2E VarNet

- Unroll GD iterations in k-space

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E2E VarNet

- Unroll GD iterations in k-space

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E2E VarNet

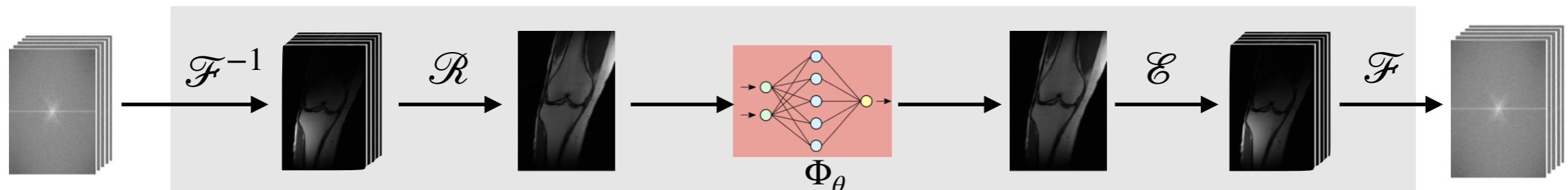
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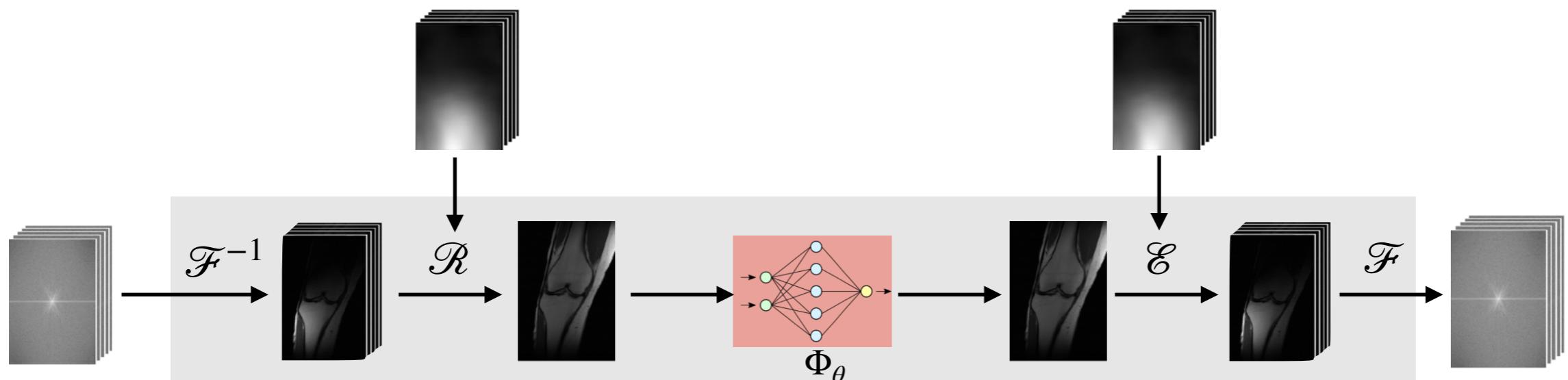
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E2E VarNet

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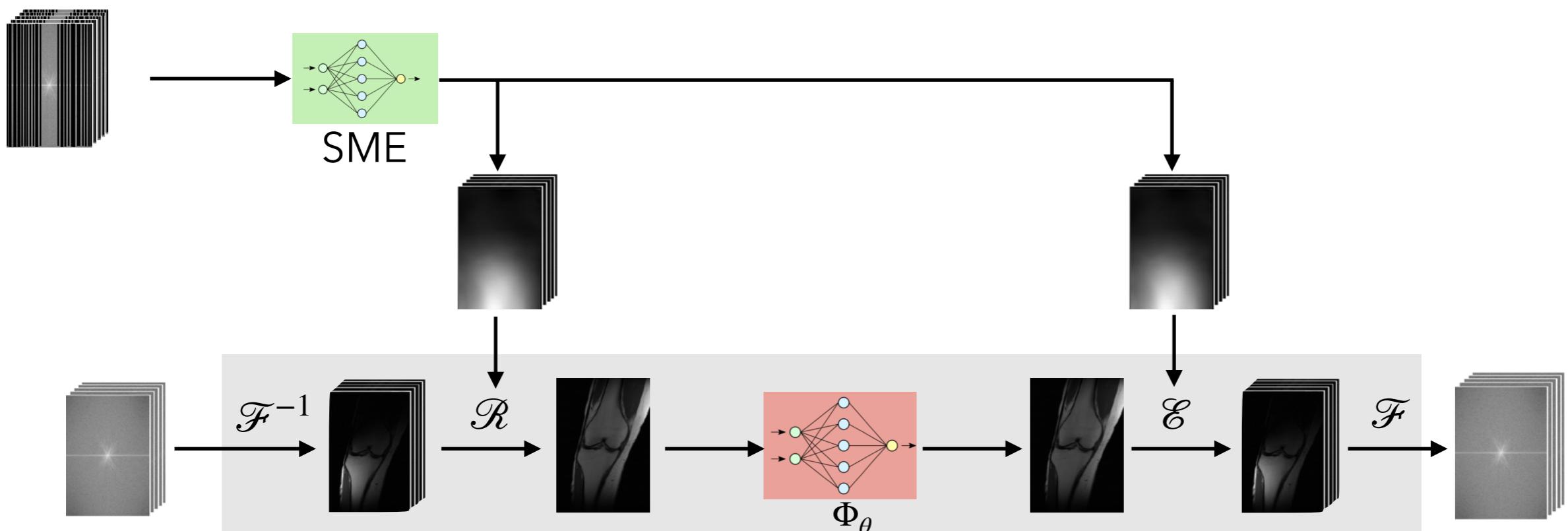
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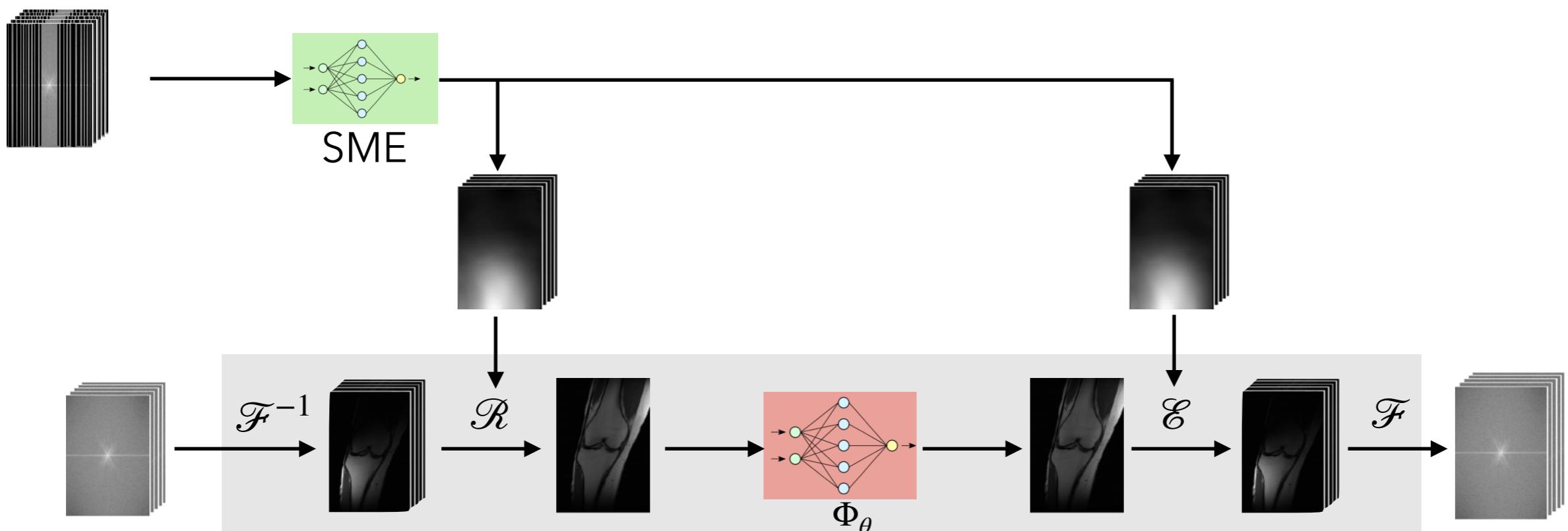
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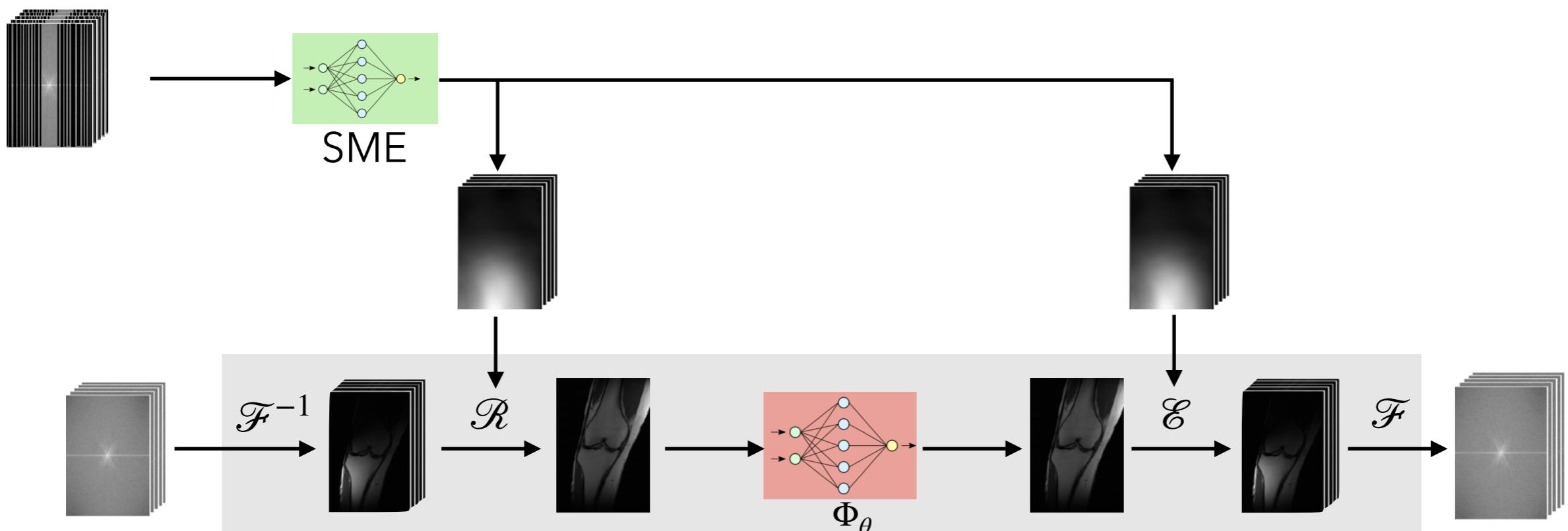


- Denoiser Φ_θ is a U-Net

E2E VarNet

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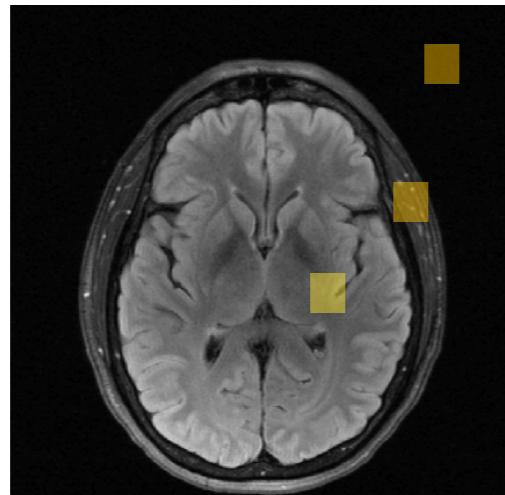
Can we do better with modern architectures?

Transformers?

- Benefits of Transformers

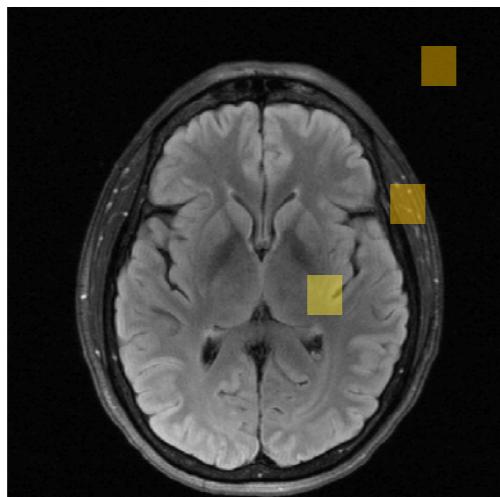
Transformers?

- Benefits of Transformers
 - conv kernels are content-independent



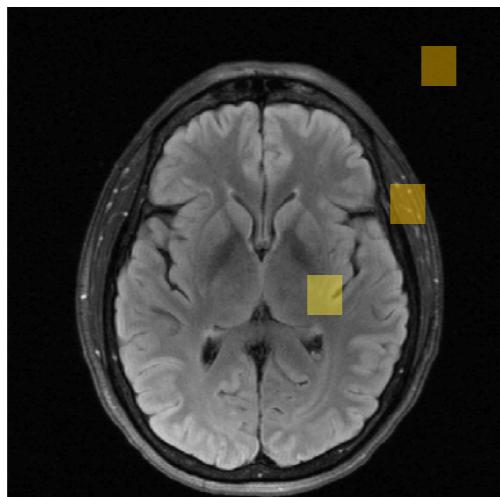
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Transformers?

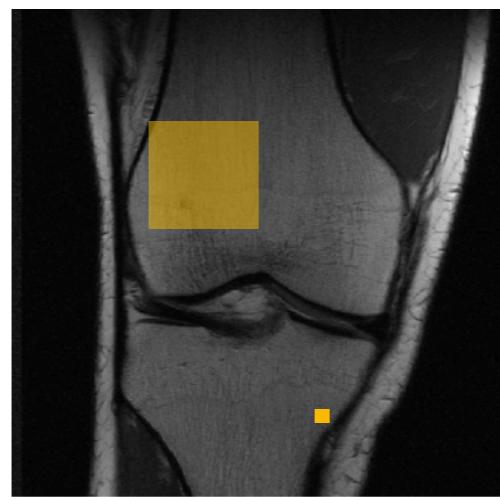
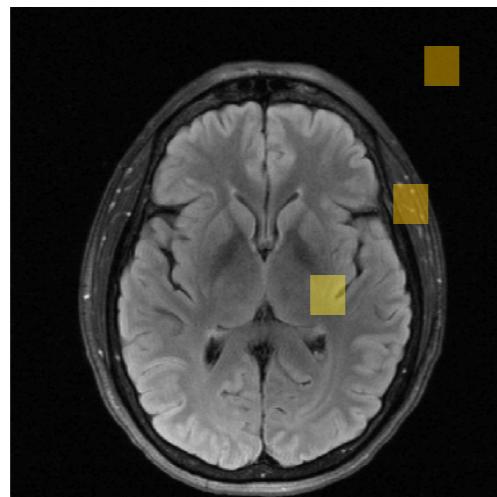
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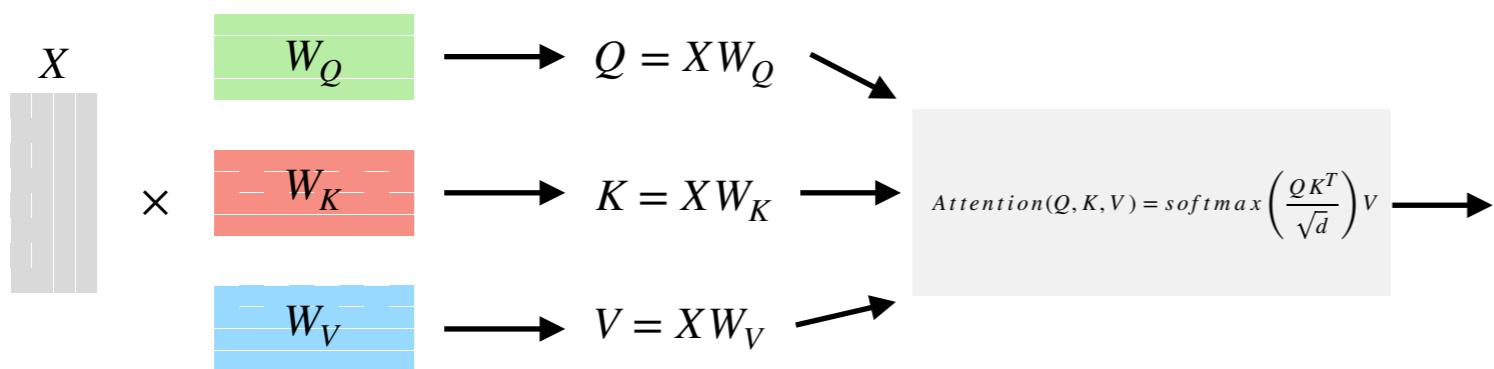
- Self-attention mechanism

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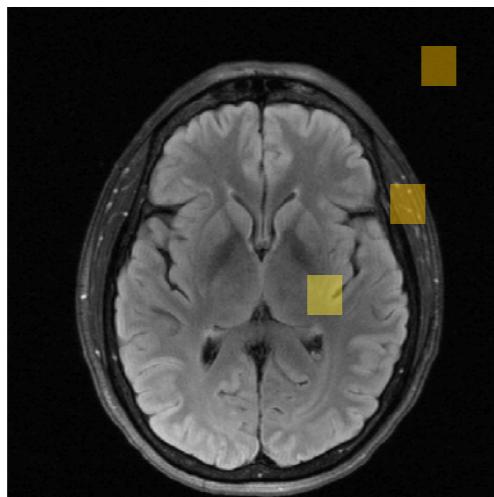


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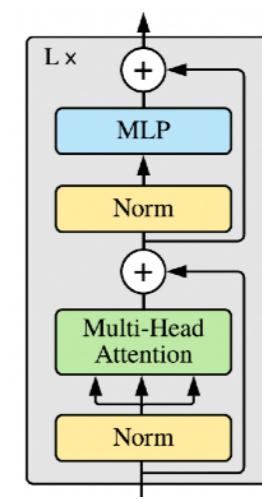
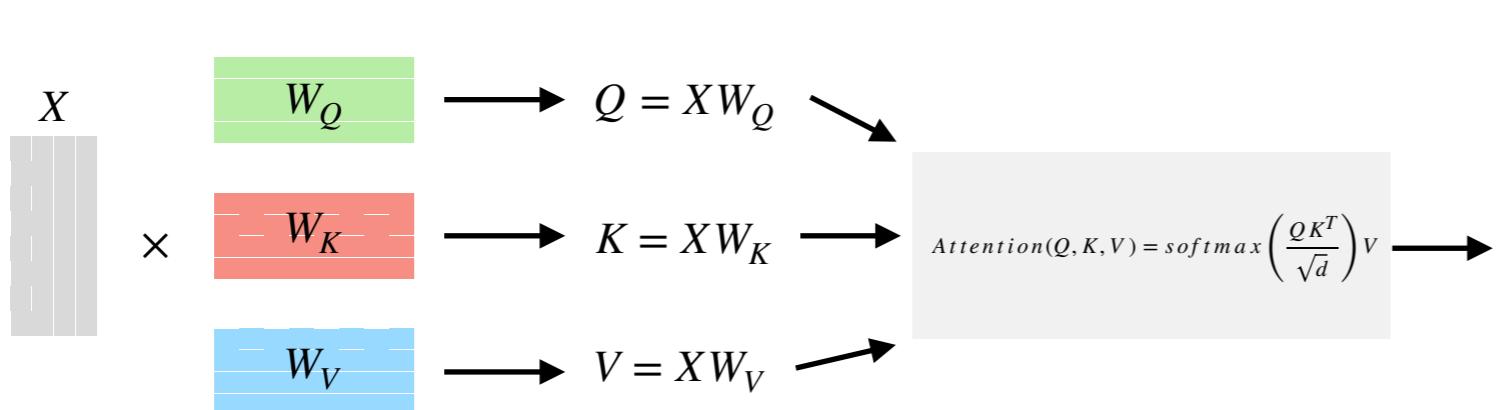


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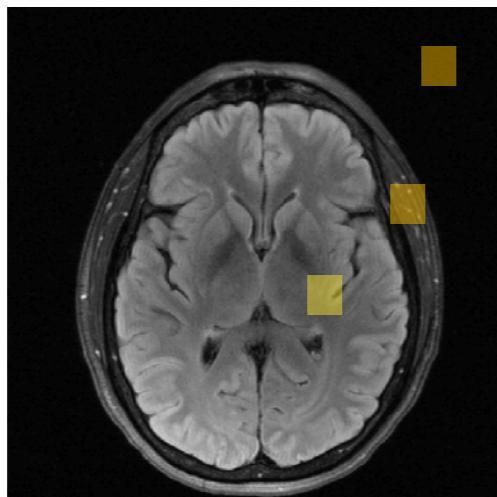


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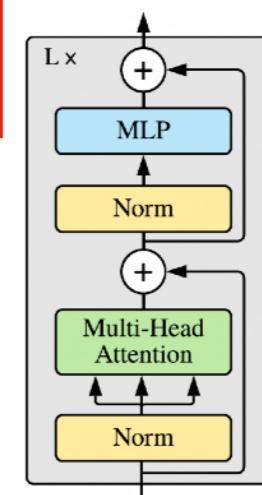
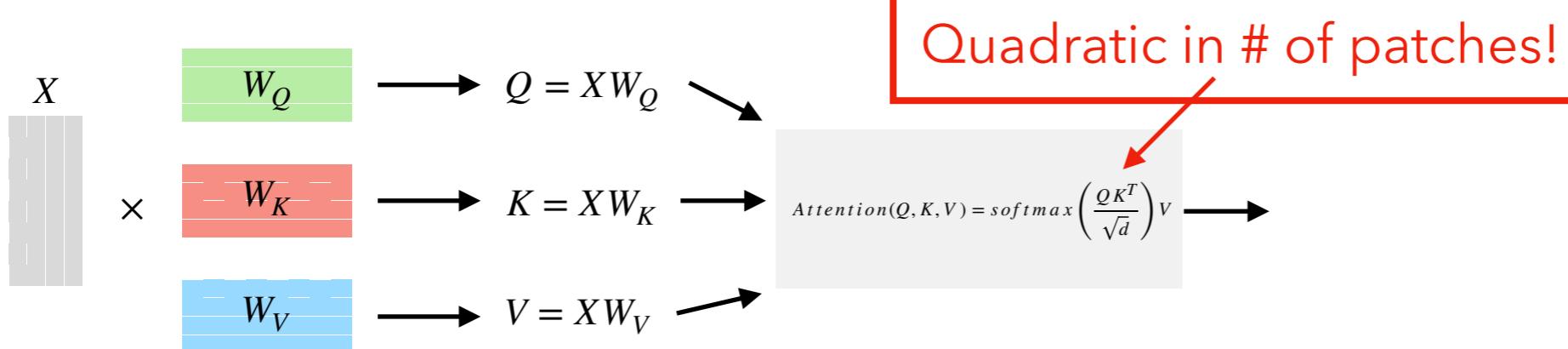


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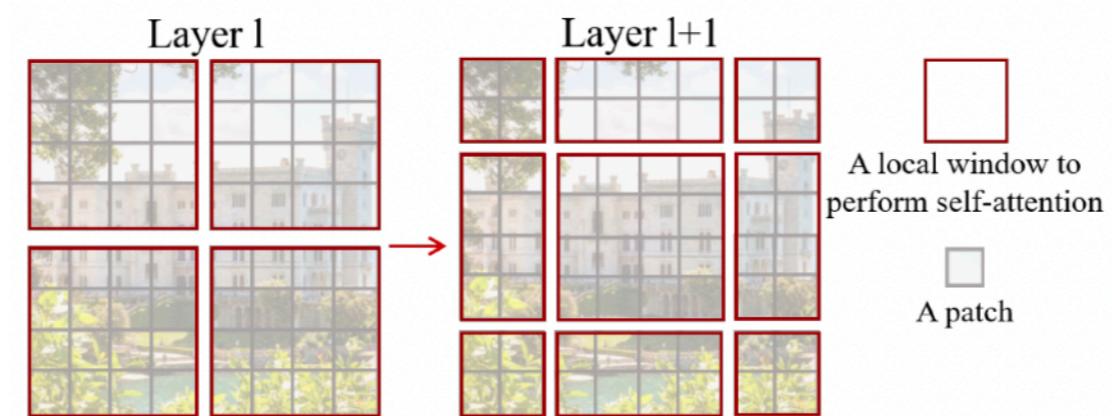
Dealing with quadratic scaling

Liu, Ze, et al. "Swin transformer: Hierarchical vision transformer using shifted windows." *arXiv preprint arXiv:2103.14030* (2021).

Liang, Jingyun, et al. "Swinir: Image restoration using swin transformer." *Proceedings of the IEEE/CVF International Conference on Computer Vision*. 2021.

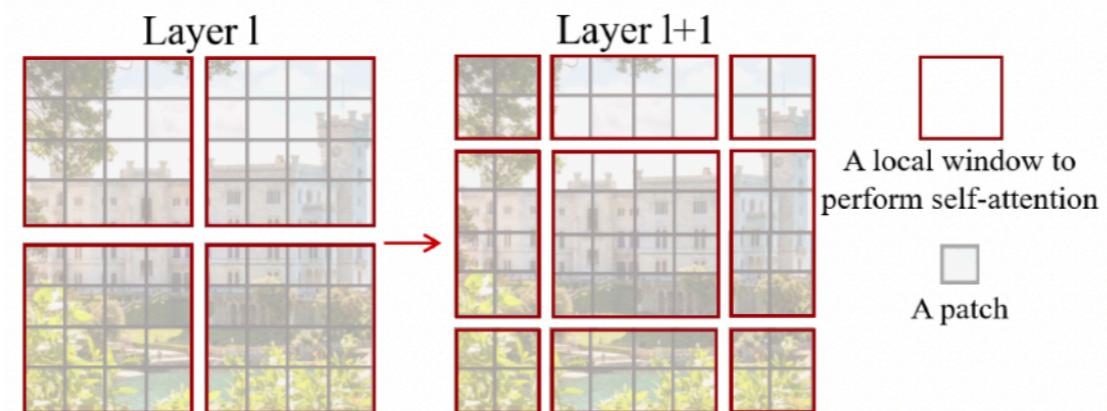
Dealing with quadratic scaling

- Local window attention

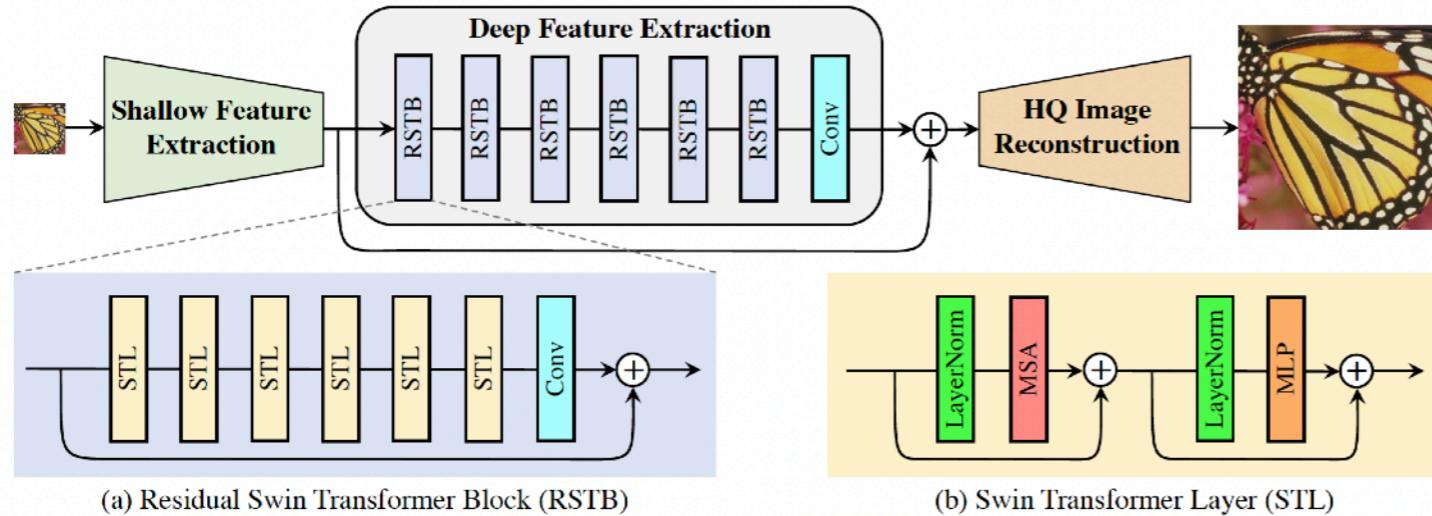


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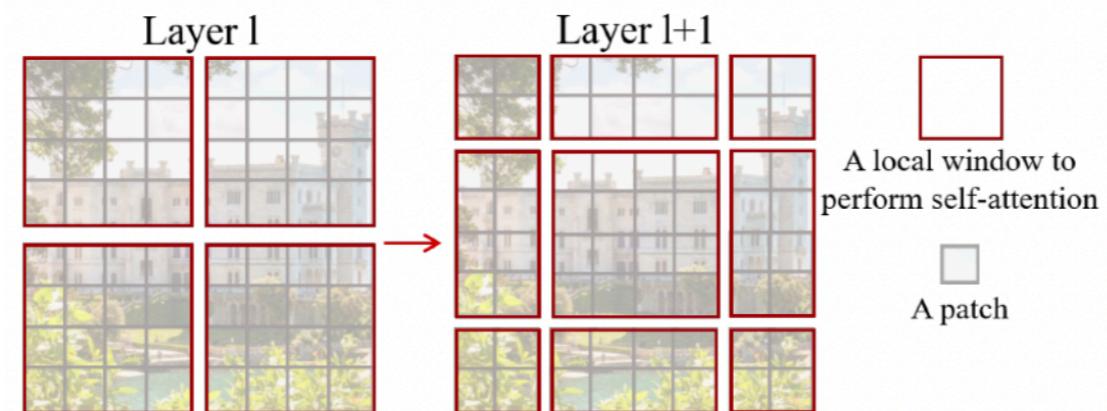


- Swin Transformer for image restoration and super-resolution

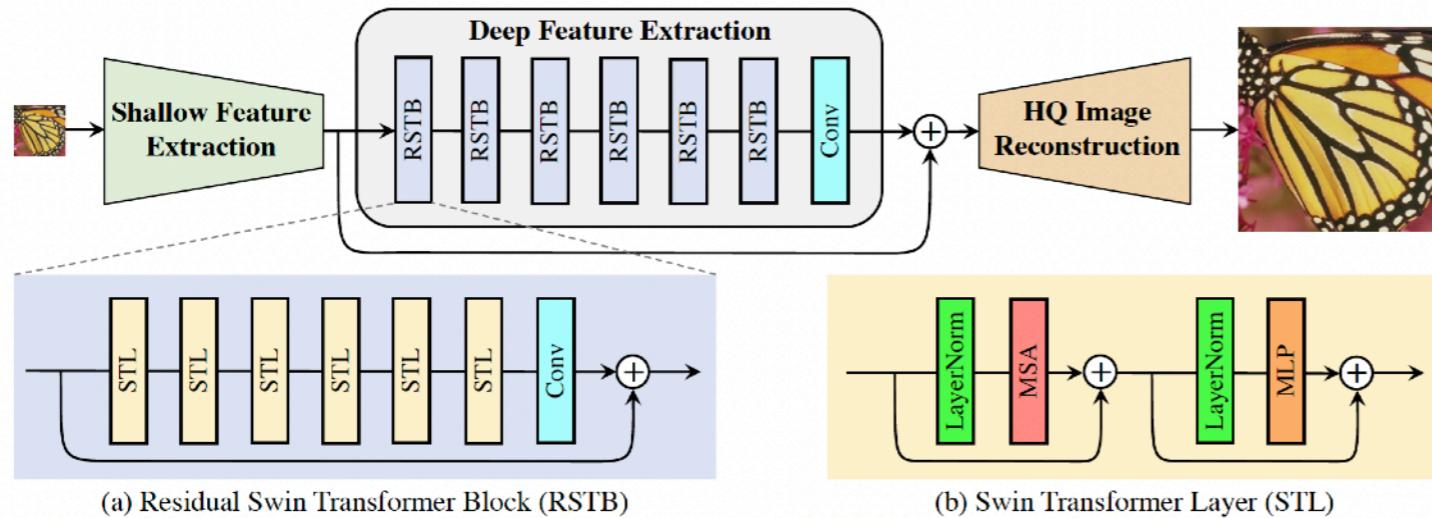


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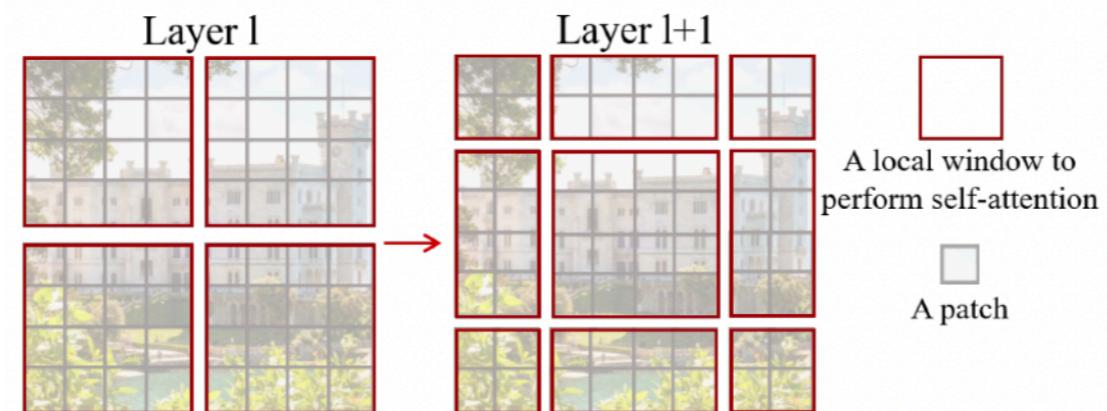
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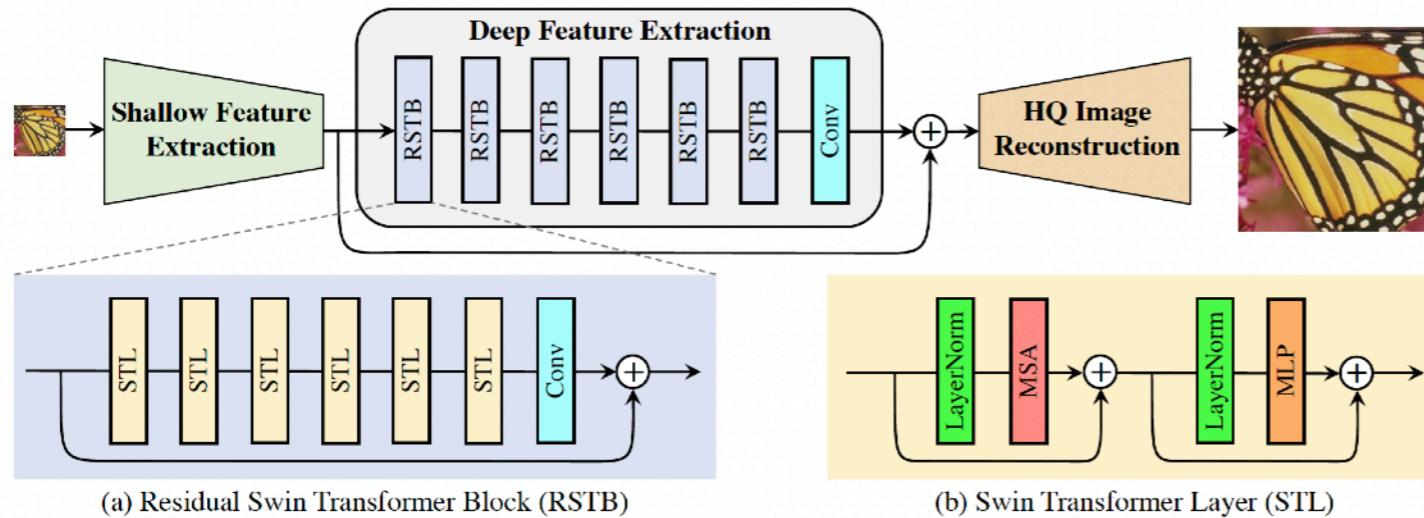
- Transformer-Conv hybrid!

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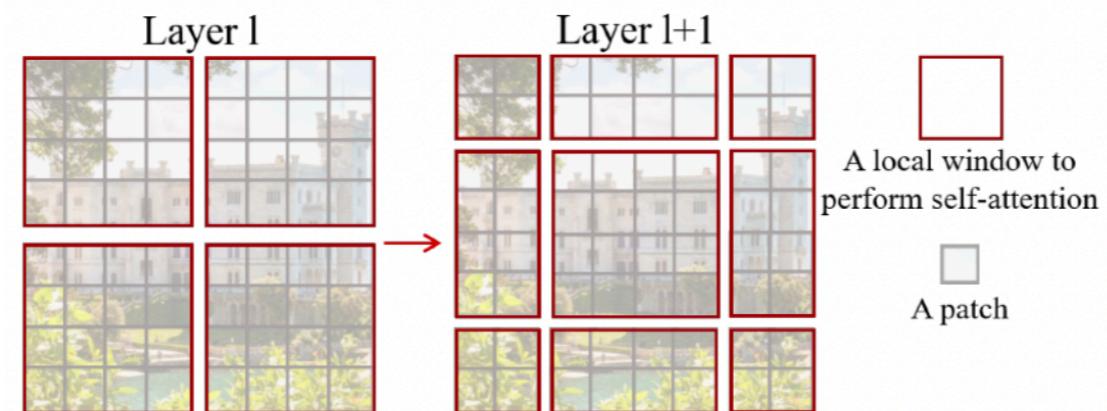
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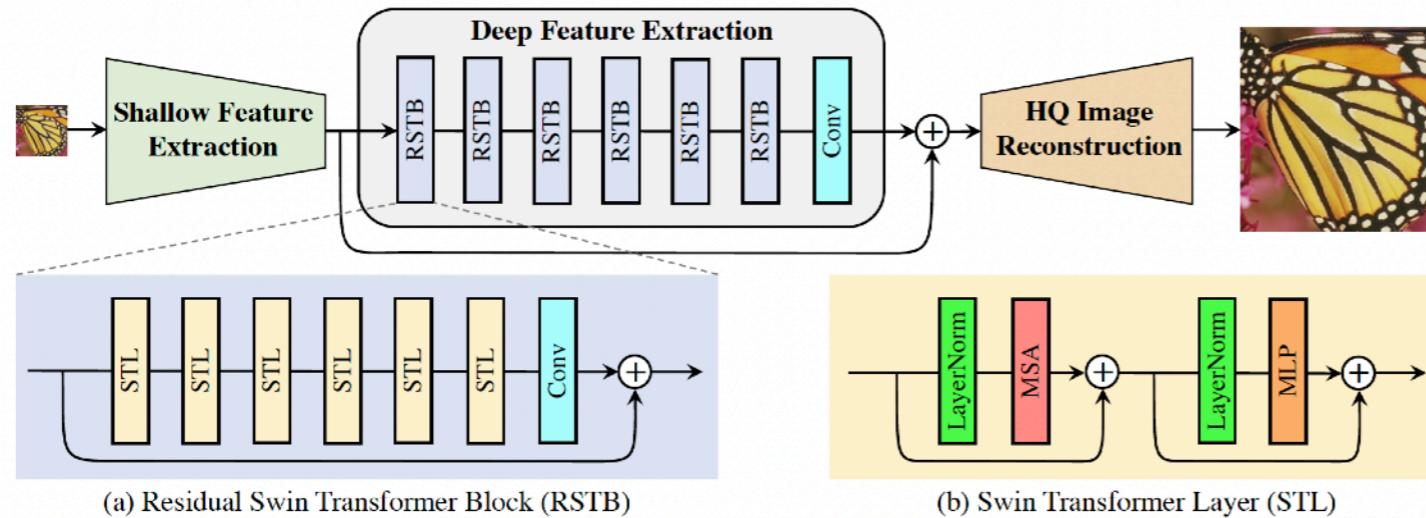
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- Long-range dependencies via SA

Dealing with quadratic scaling

- Local window attention



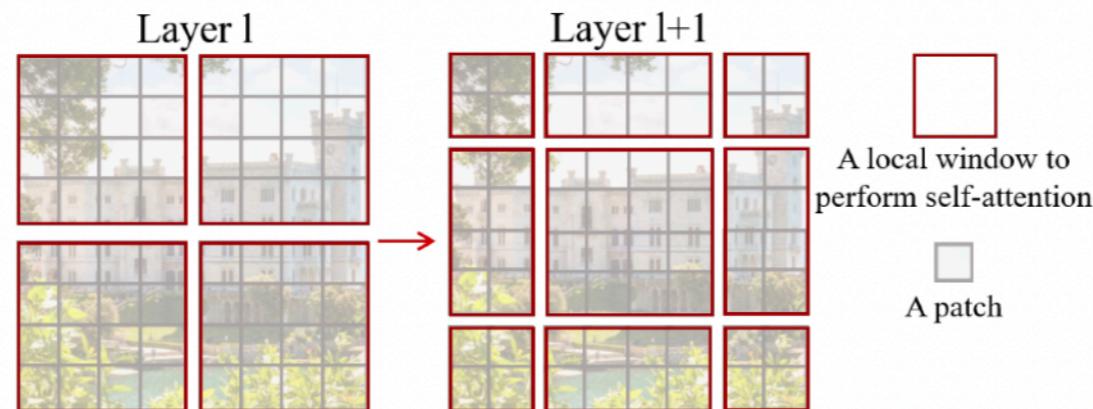
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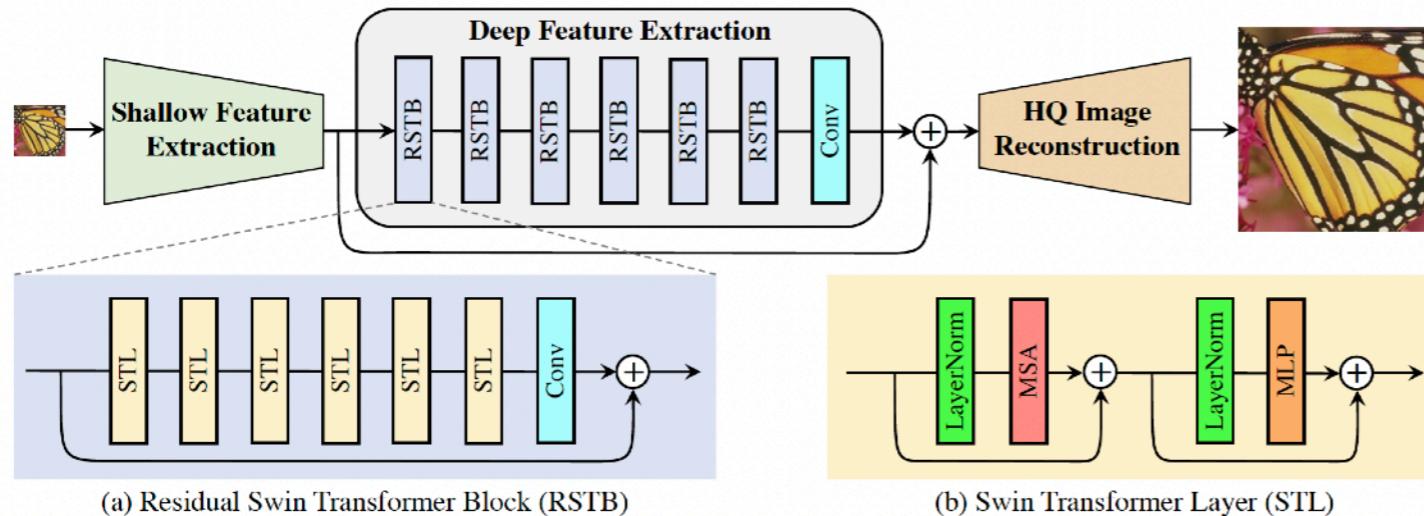
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- Implicit bias via Conv

Dealing with quadratic scaling

- Local window attention



- Swin Transformer for image restoration and super-resolution

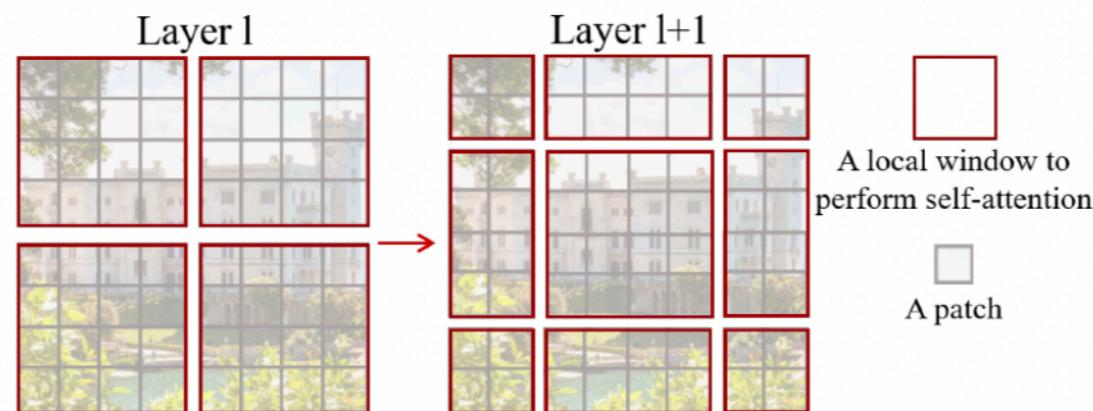


- Transformer-Conv hybrid!
- Long-range dependencies via SA
- Implicit bias via Conv
- Single-scale processing

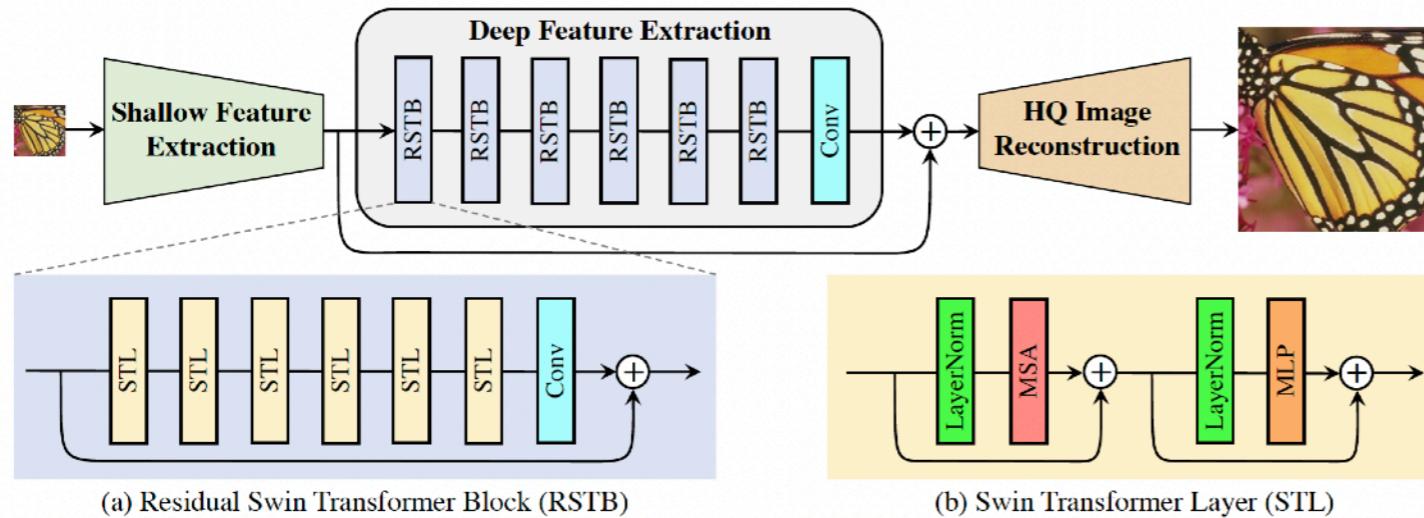
Model	GPU mem.	mins/epoch	Val. SSIM

Dealing with quadratic scaling

- Local window attention



- Swin Transformer for image restoration and super-resolution

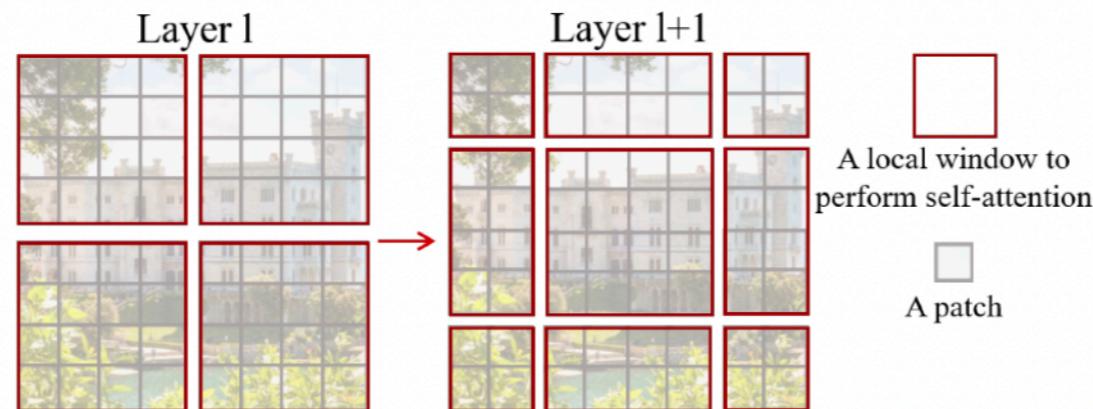


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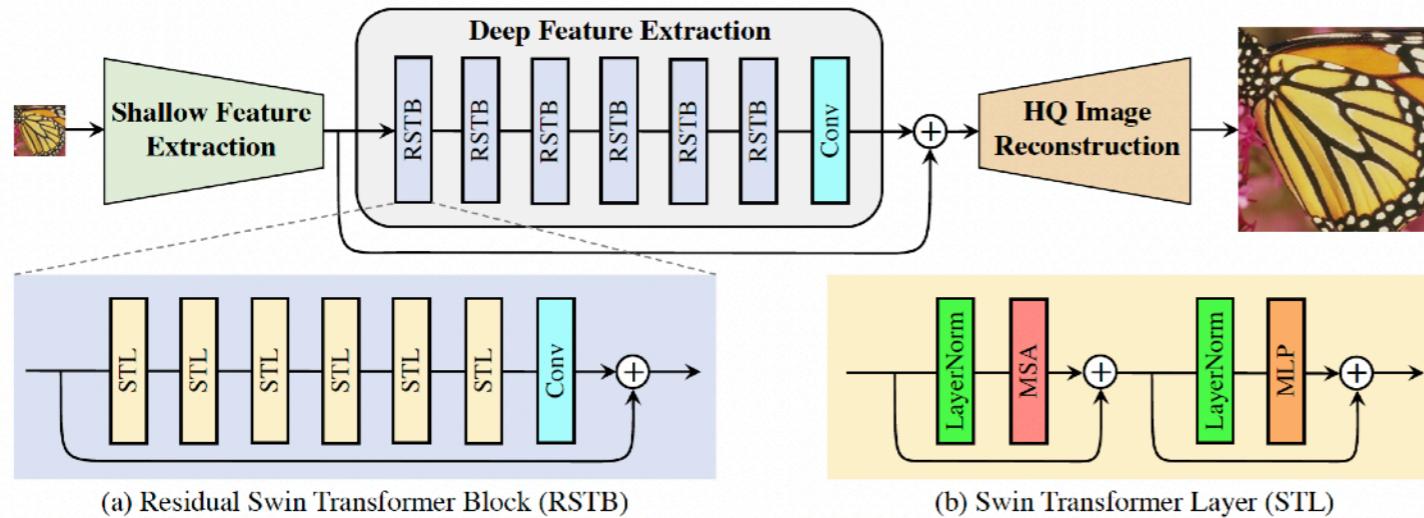
Model	GPU mem.	mins/epoch	Val. SSIM
E2E-VarNet	≈16GB	9	0.9313

Dealing with quadratic scaling

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- Implicit bias via Conv
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Model	GPU mem.	mins/epoch	Val. SSIM
E2E-VarNet	≈ 16GB	9	0.9313
Unrolled SwinIR	≈ 16GB	72	0.9216

Liu, Ze, et al. "Swin transformer: Hierarchical vision transformer using shifted windows." *arXiv preprint arXiv:2103.14030* (2021).

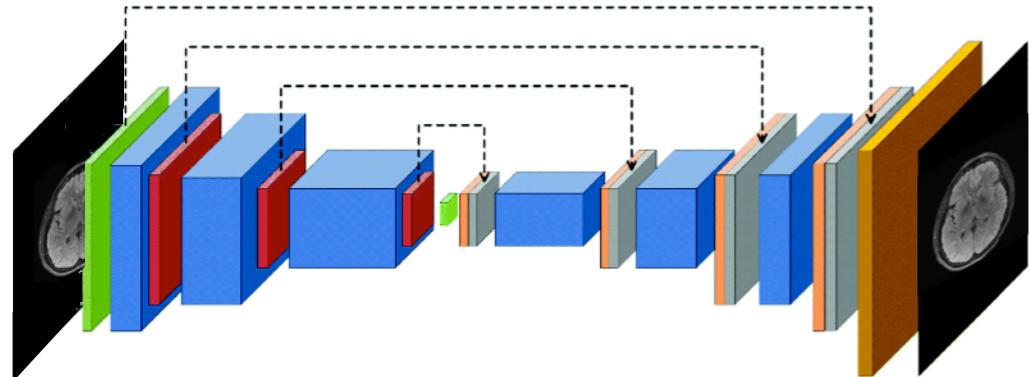
Liang, Jingyun, et al. "Swinir: Image restoration using swin transformer." *Proceedings of the IEEE/CVF International Conference on Computer Vision*. 2021.

Multi-scale SwinIR

- Missing component: hierarchical, multi-scale representations

Multi-scale SwinIR

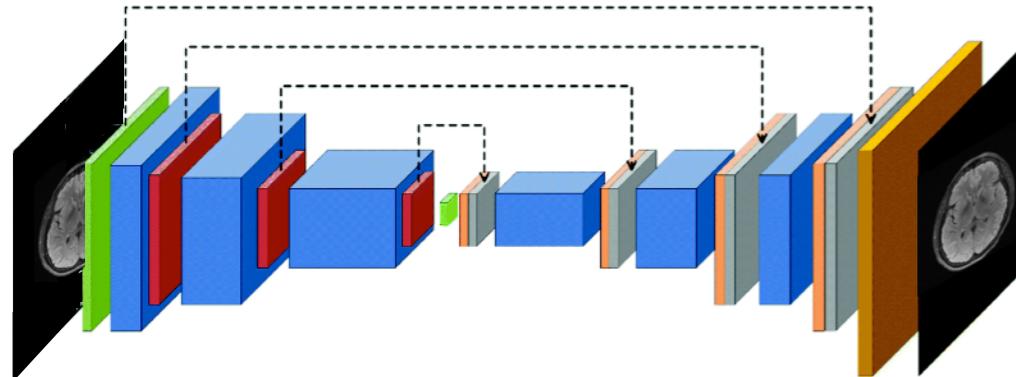
- Missing component: hierarchical, multi-scale representations



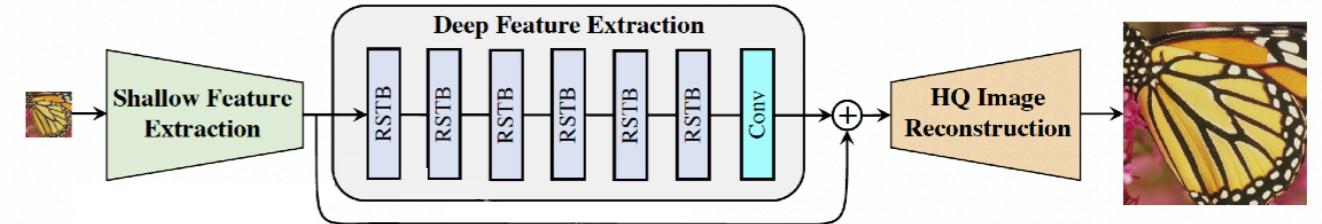
U-Net: multi-scale

Multi-scale SwinIR

- Missing component: hierarchical, multi-scale representations



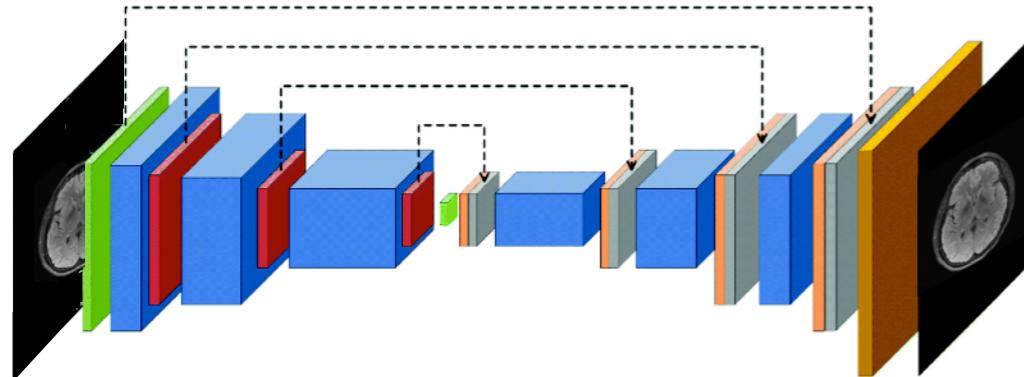
U-Net: multi-scale



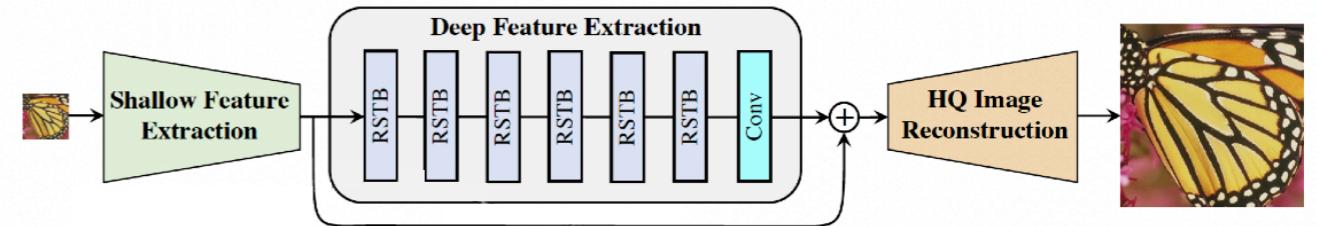
SwinIR: Transformer+Conv

Multi-scale SwinIR

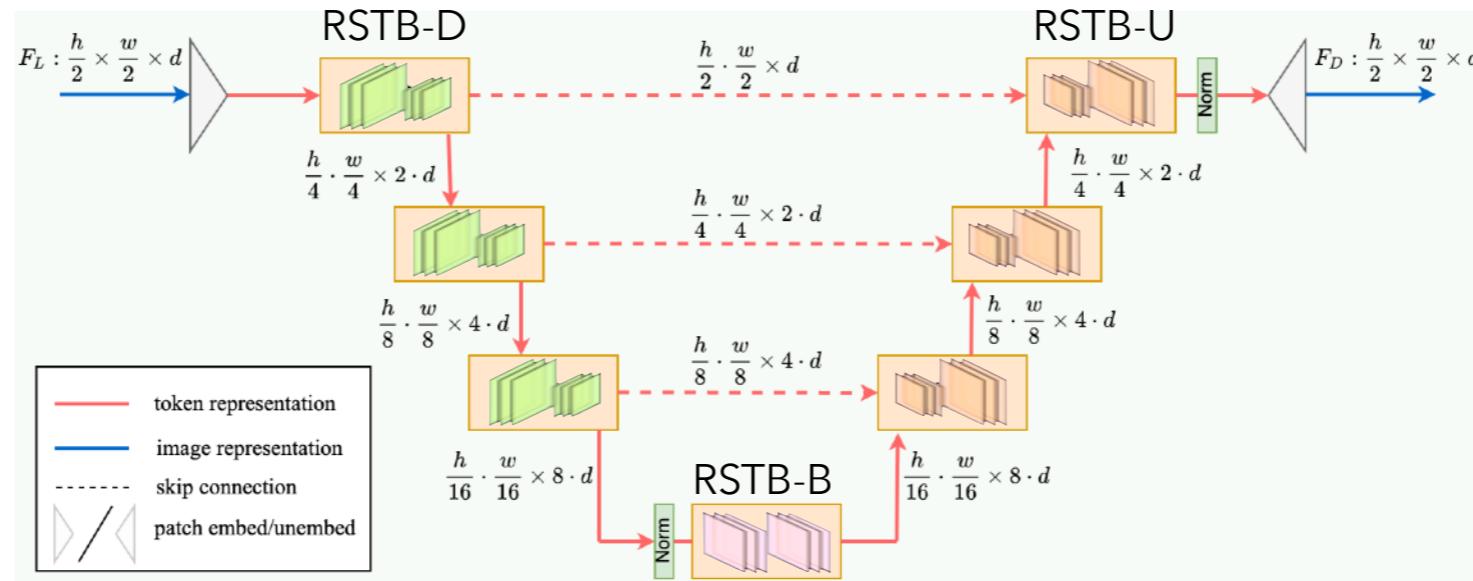
- Missing component: hierarchical, multi-scale representations



U-Net: multi-scale



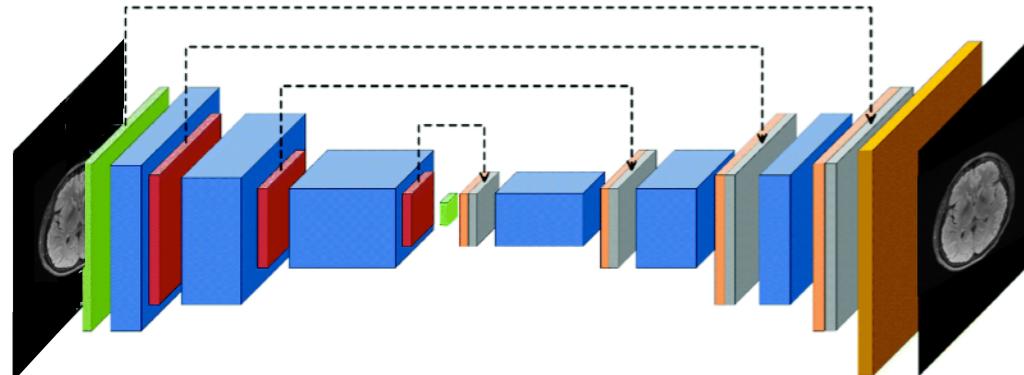
SwinIR: Transformer+Conv



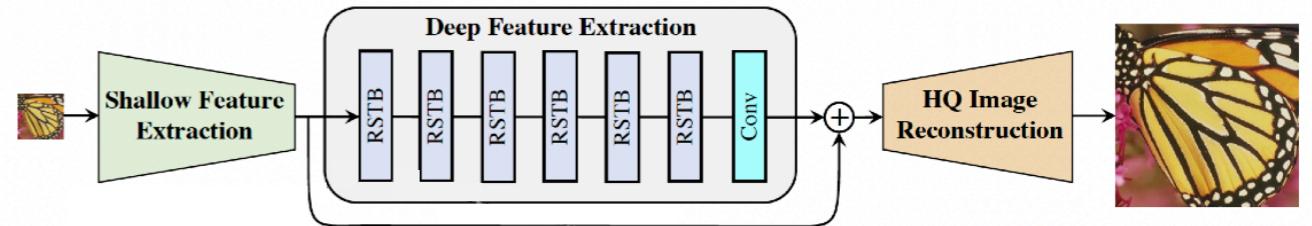
Multi-scale Hybrid Feature Extractor

Multi-scale SwinIR

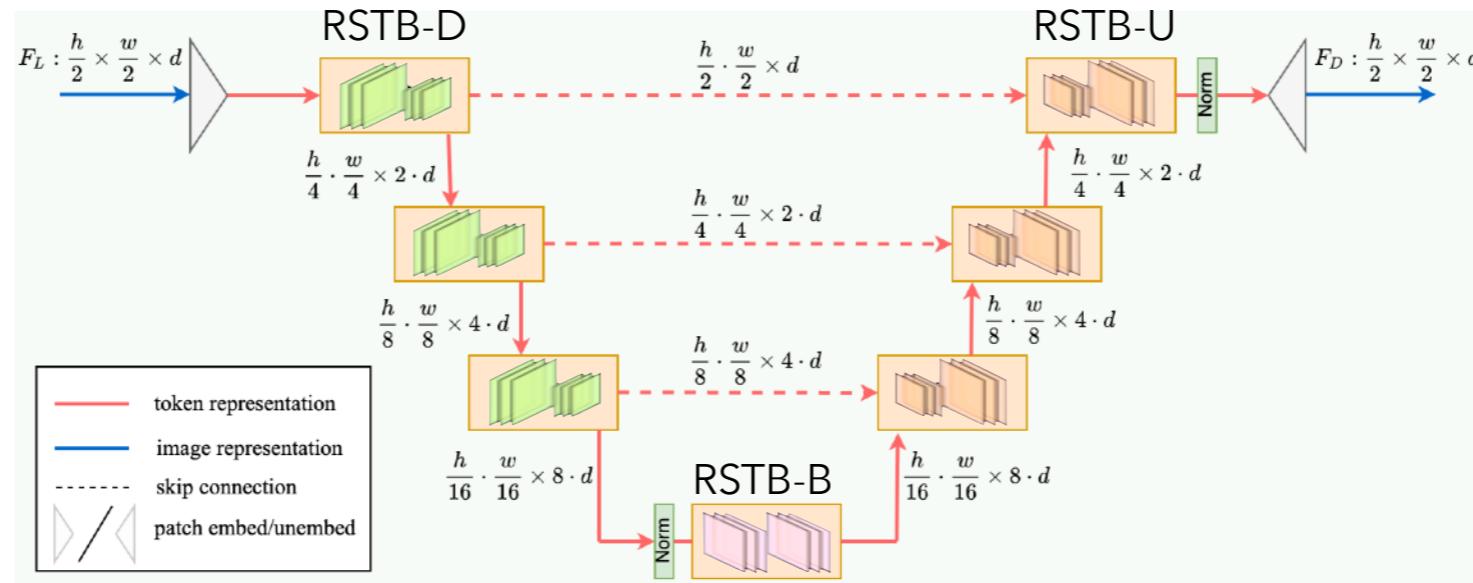
- Missing component: hierarchical, multi-scale representations



U-Net: multi-scale



SwinIR: Transformer+Conv

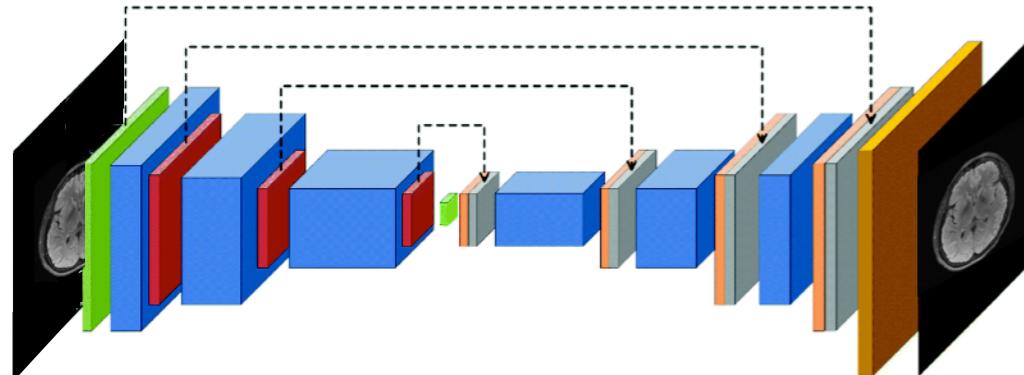


Multi-scale Hybrid Feature Extractor

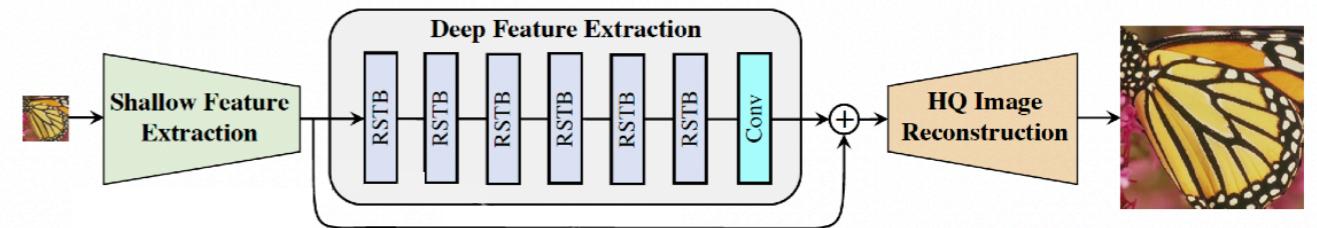
Model	GPU mem.	mins/epoch	Val. SSIM
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Multi-scale SwinIR

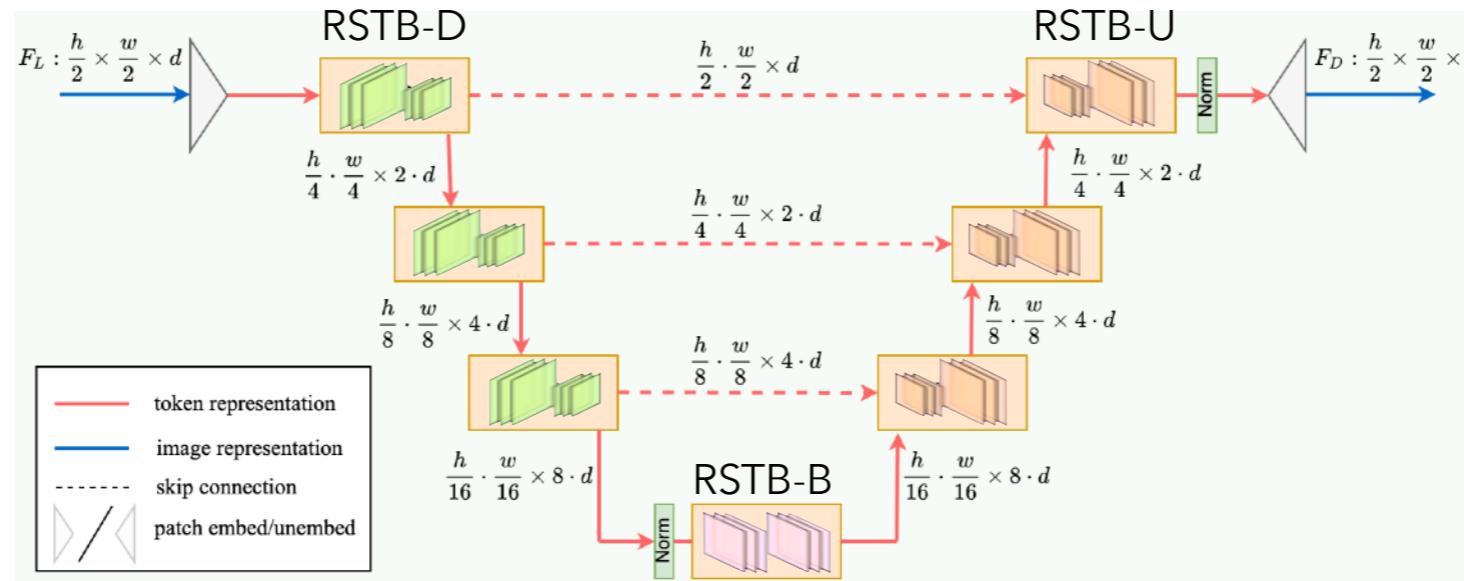
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U-Net: multi-scale



SwinIR: Transformer+Conv



Multi-scale Hybrid Feature Extractor

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Unrolled, multi-scale SwinIR	≈16GB	66	0.9311

High-resolution challenge

- Key challenge: high-resolution input images **AND** dense prediction task

High-resolution challenge

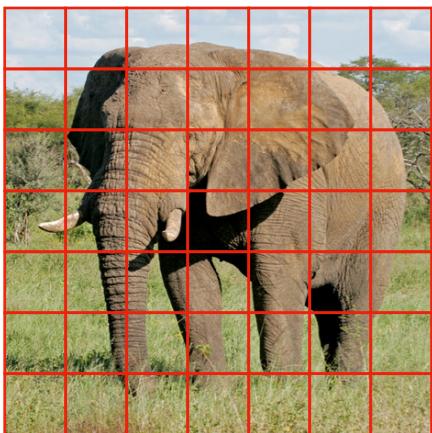
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ImageNet
224 × 224

High-resolution challenge

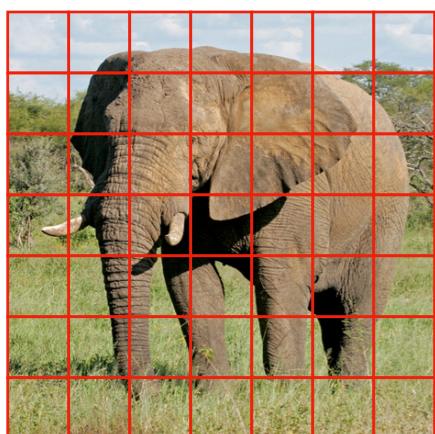
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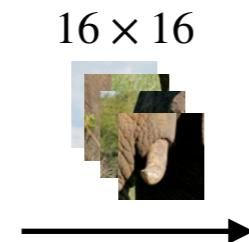
ImageNet
224 × 224

High-resolution challenge

- Key challenge: high-resolution input images **AND** dense prediction task

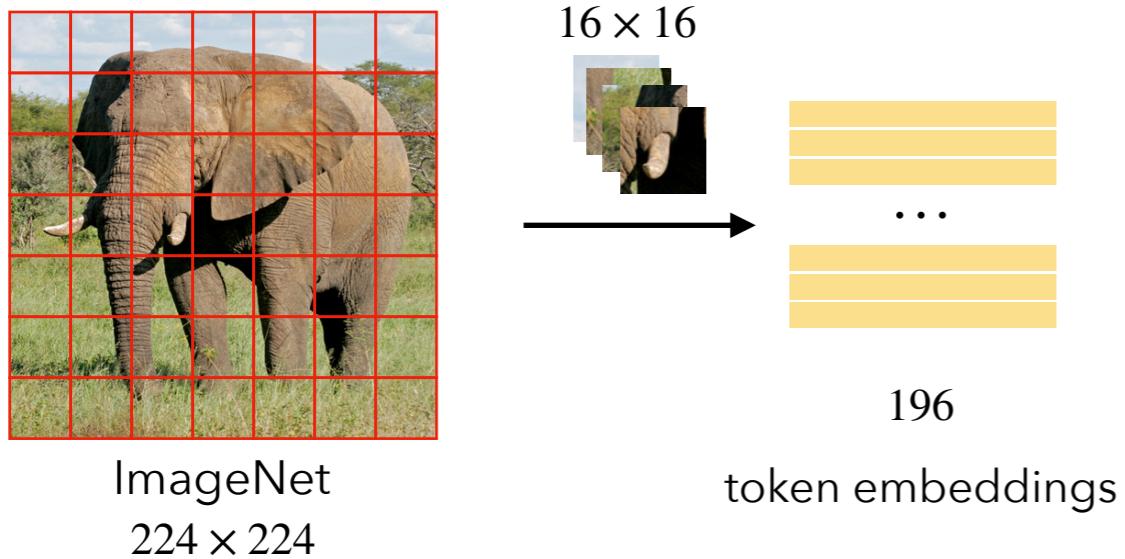


ImageNet
224 × 224



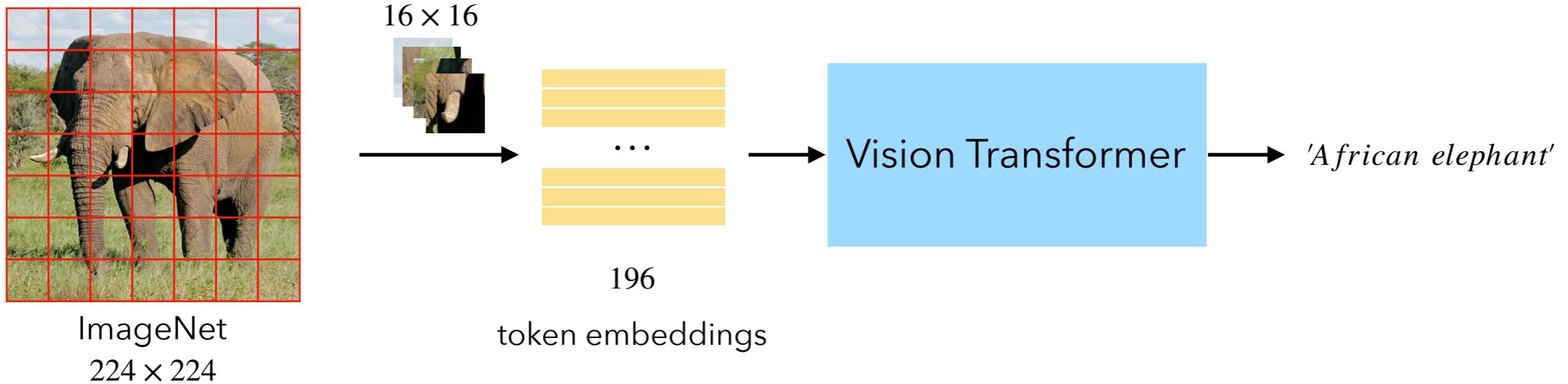
High-resolution challenge

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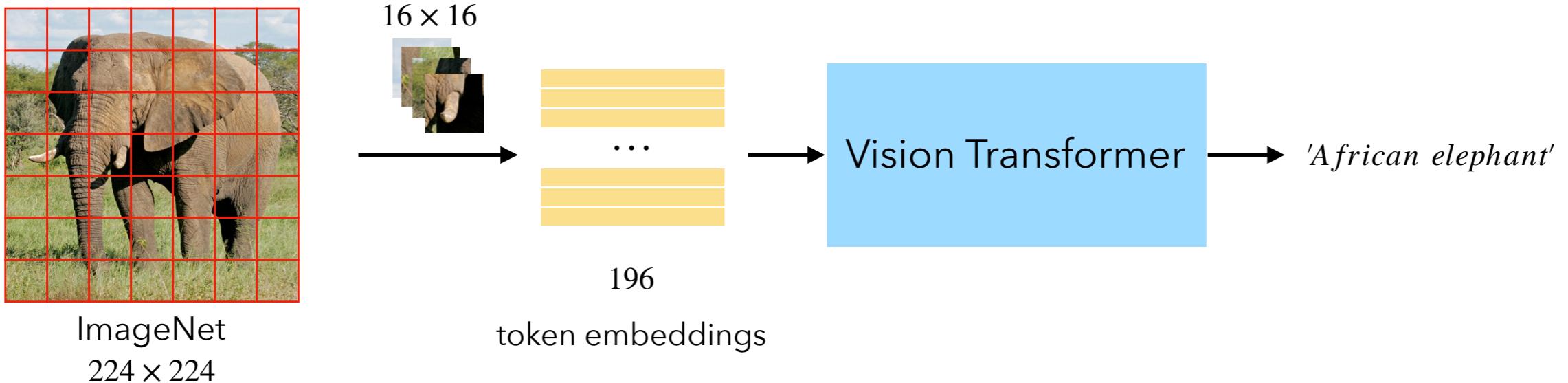
High-resolution challenge

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High-resolution challenge

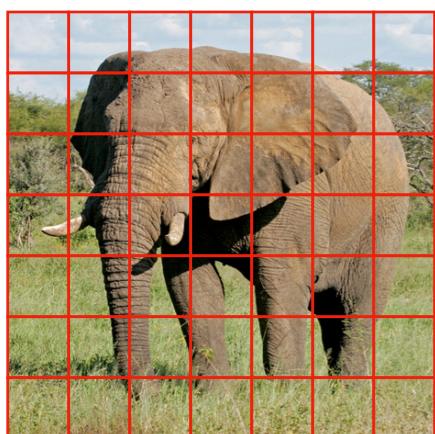
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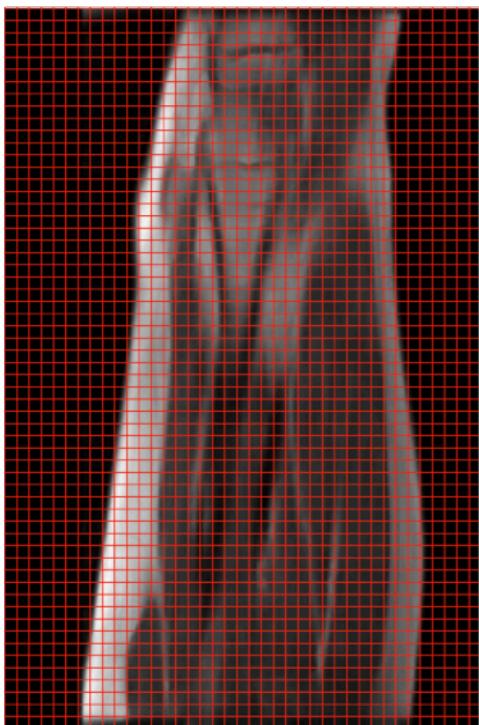
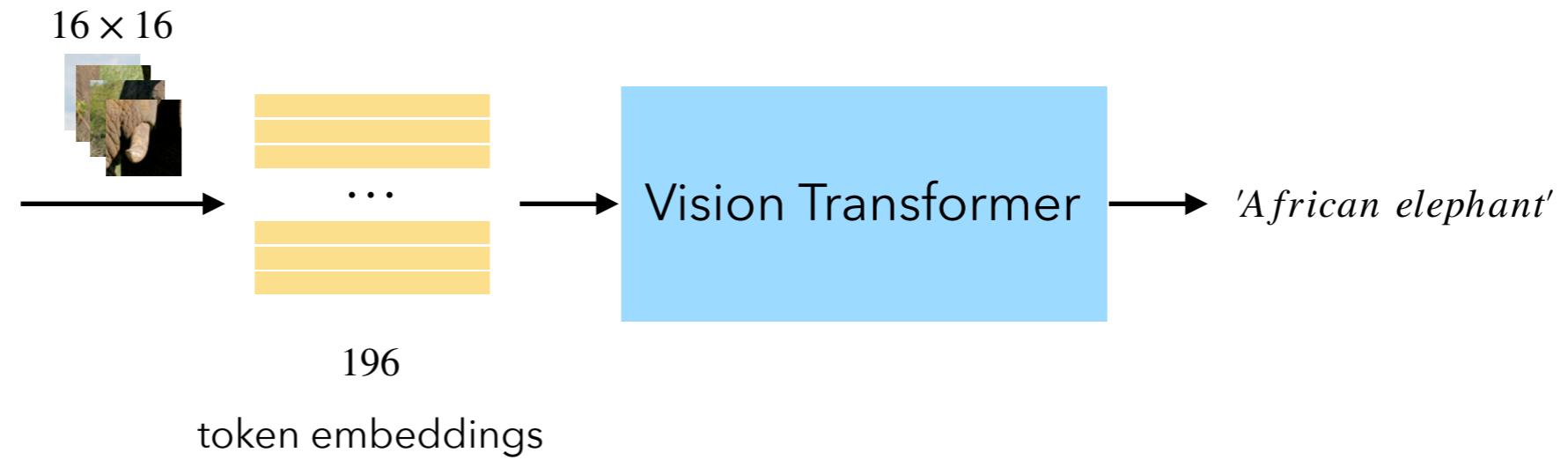
Noisy MR image
640 x 368

High-resolution challenge

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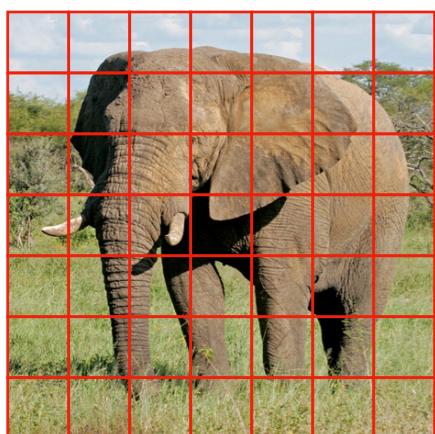
ImageNet
224 × 224



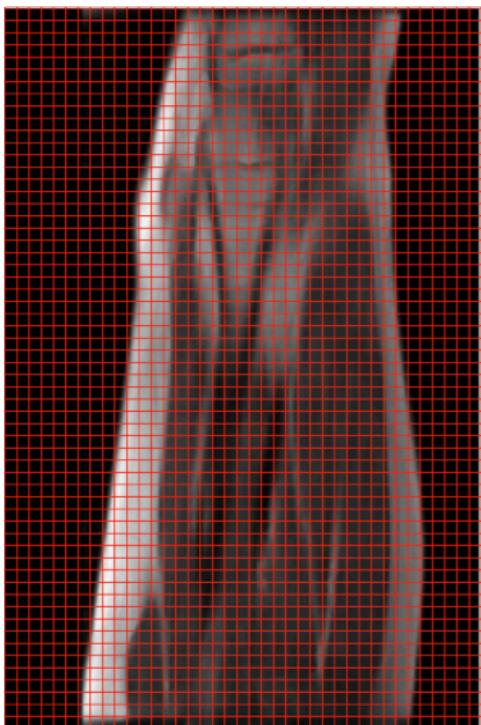
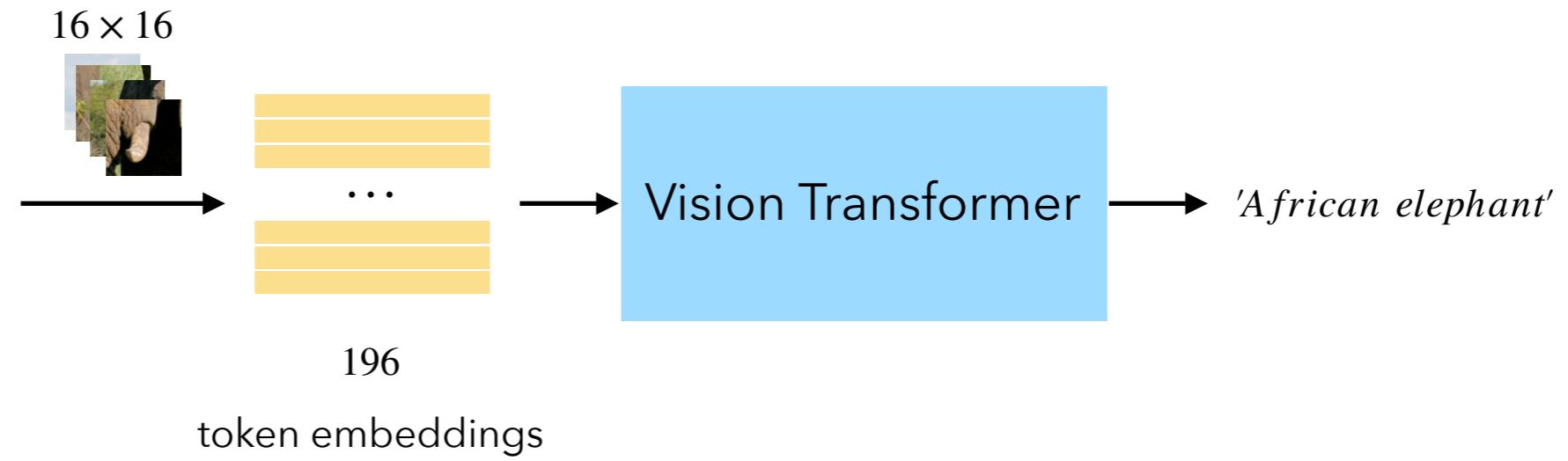
Noisy MR image
640 × 368

High-resolution challenge

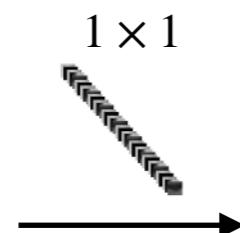
- Key challenge: high-resolution input images **AND** dense prediction task



ImageNet
 224×224

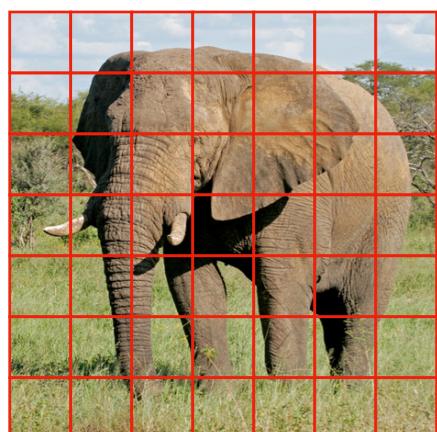


Noisy MR image
 640×368

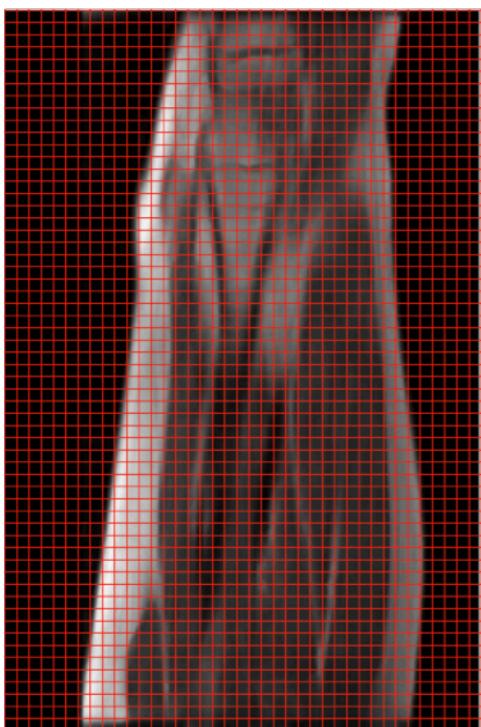
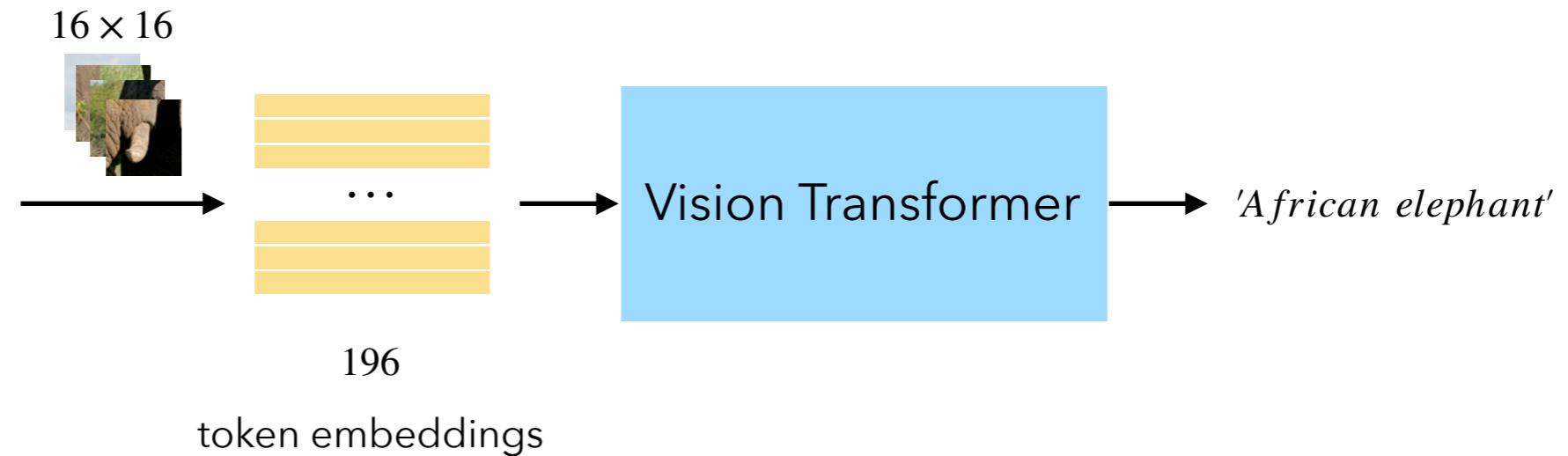


High-resolution challenge

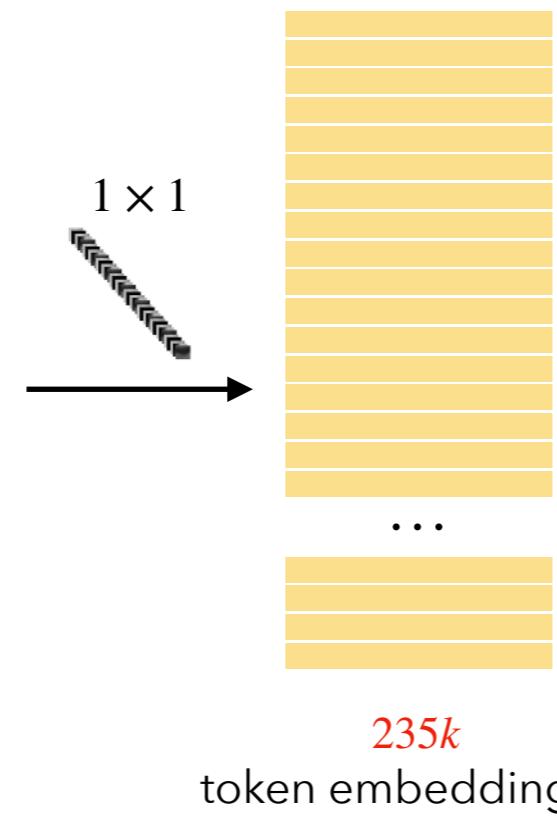
- Key challenge: high-resolution input images **AND** dense prediction task



ImageNet
224 × 224

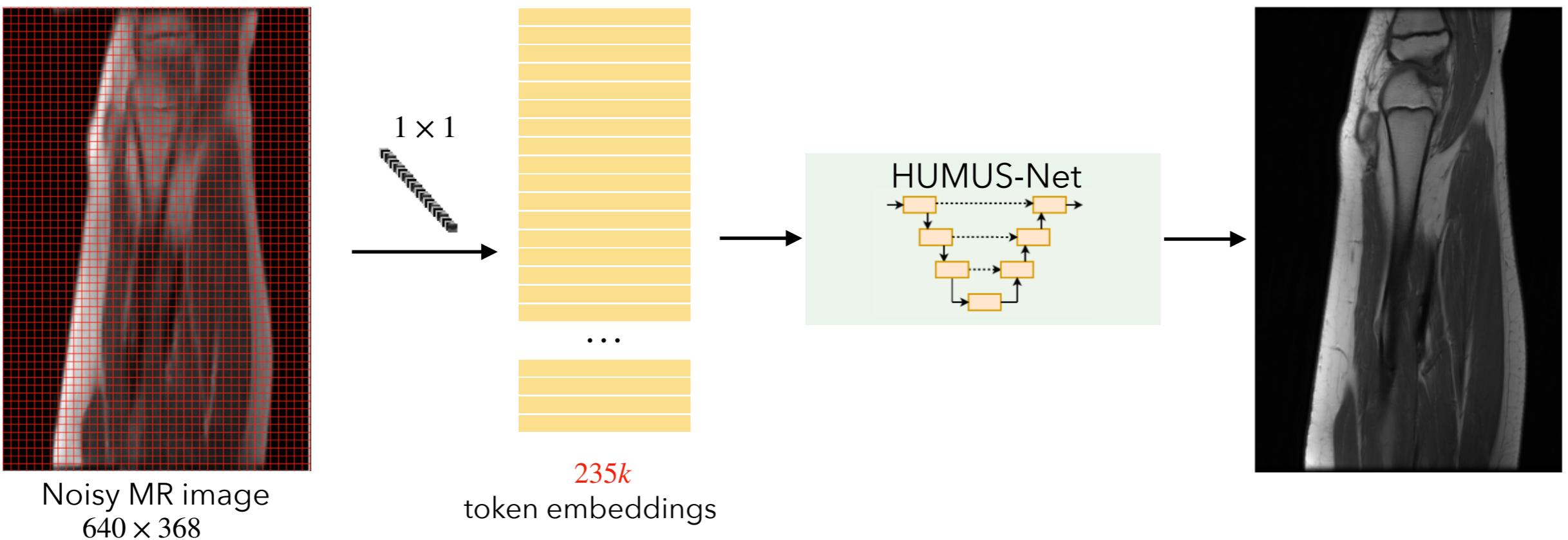
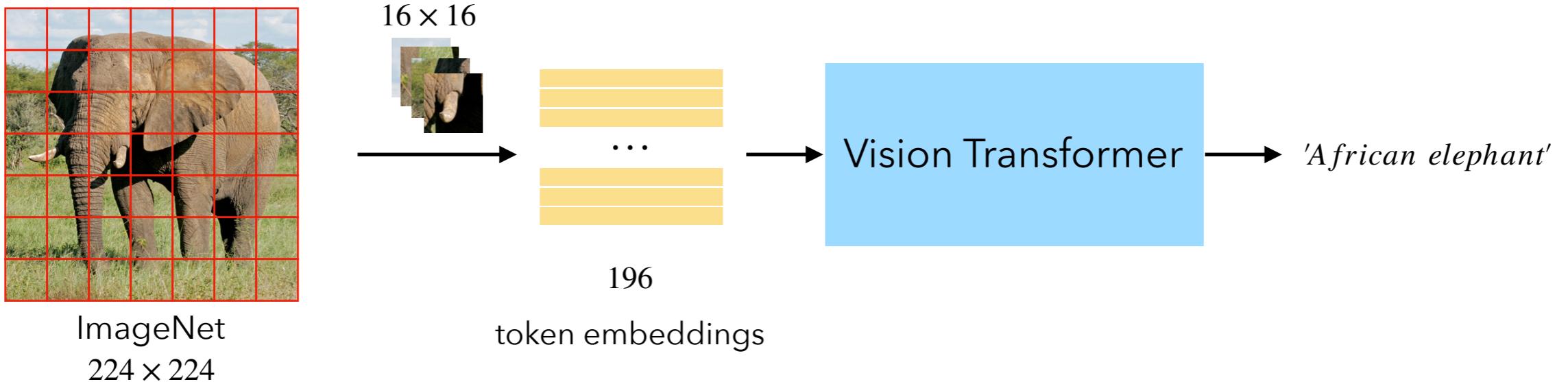


Noisy MR image
640 × 368



High-resolution challenge

- Key challenge: high-resolution input images **AND** dense prediction task



Tackling high-resolution

- Larger patch size?

Tackling high-resolution

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Model	GPU mem.	mins/epoch	Val. SSIM
E2E-VarNet	≈ 16GB	9	0.9313

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Unrolled, M-S SwinIR, patch size 2	≈ 16GB	30	0.9171

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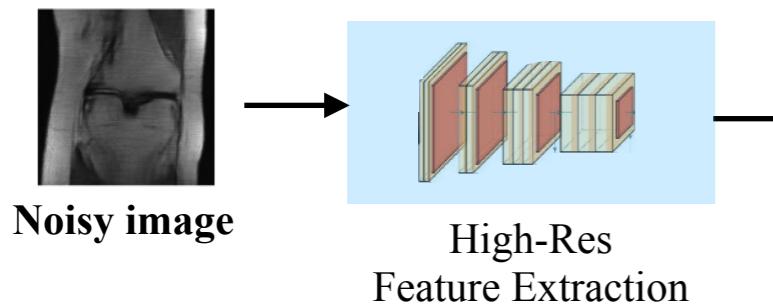
- Our solution:

Tackling high-resolution

- Larger patch size?

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- Our solution:
 - extract high-res features via convolutions

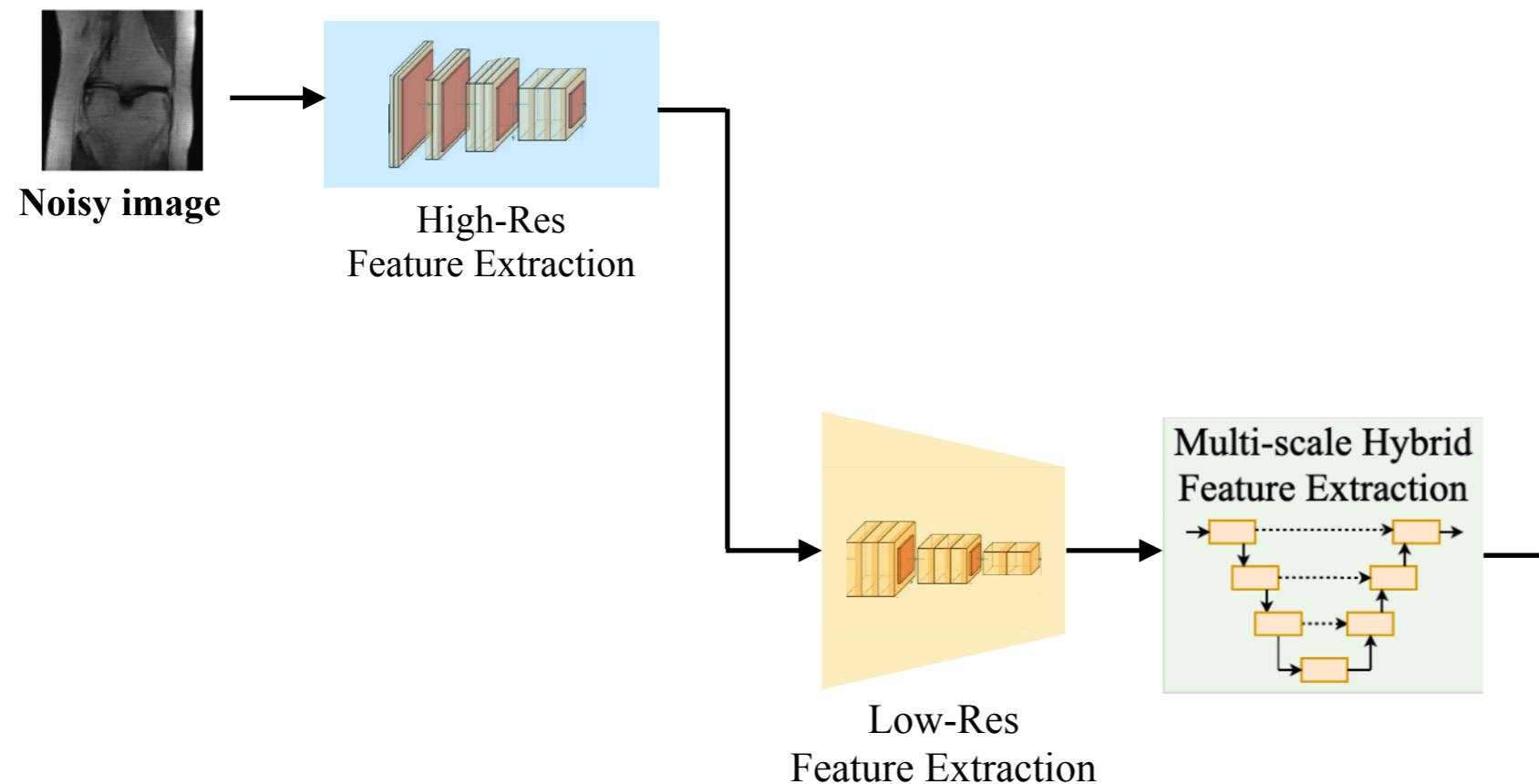


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- Our solution:
 - extract high-res features via convolutions
 - process only lower resolution features via Transformers

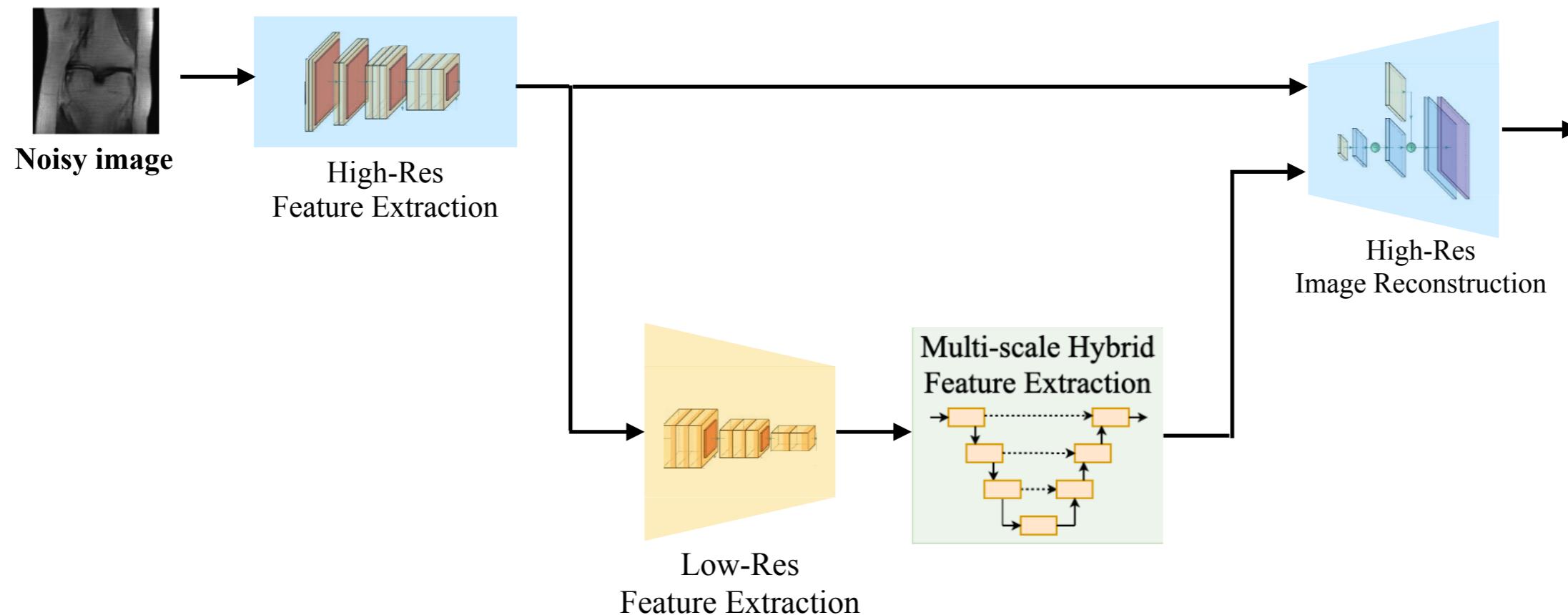


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Unrolled, M-S SwinIR, patch size 2	≈ 16GB	30	0.9171

- Our solution:
 - extract high-res features via convolutions
 - process only lower resolution features via Transformers
 - synthesize high-res and low-res features for reconstruction

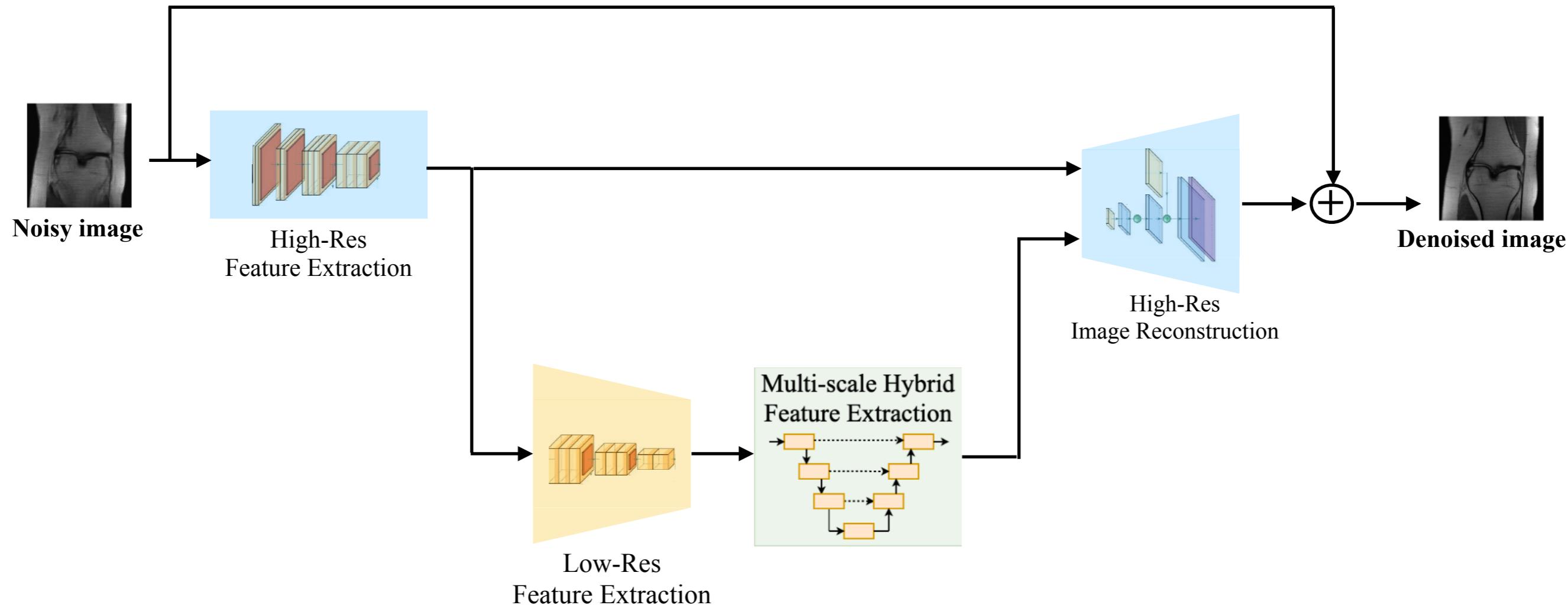


Tackling high-resolution

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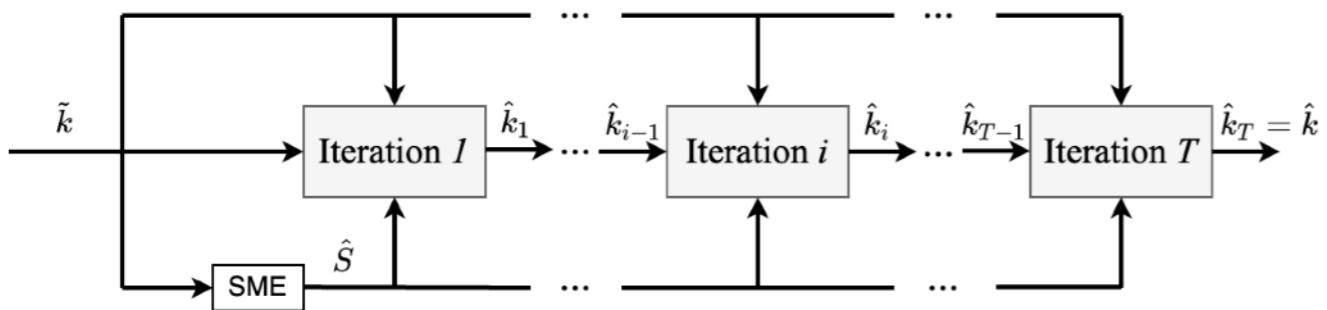


Further improvements

- Adding unrolling

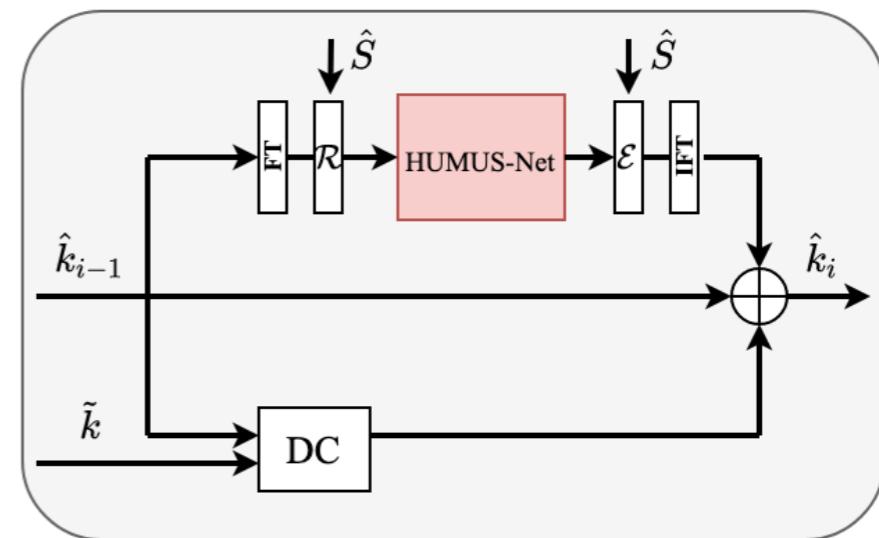
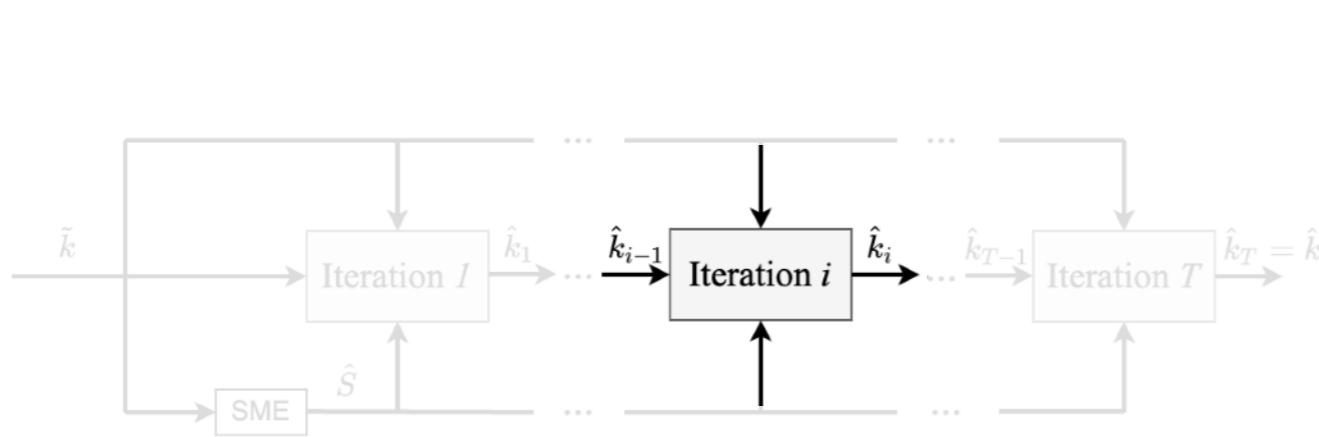
Further improvements

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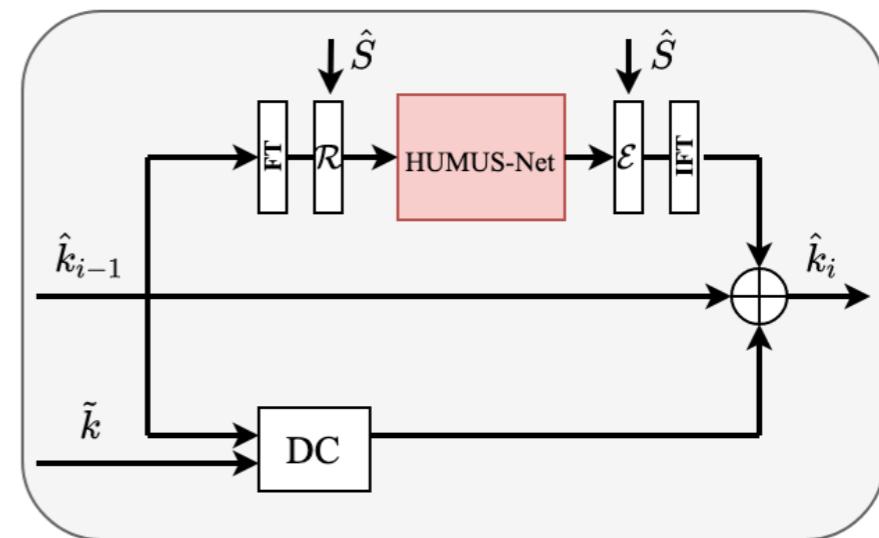
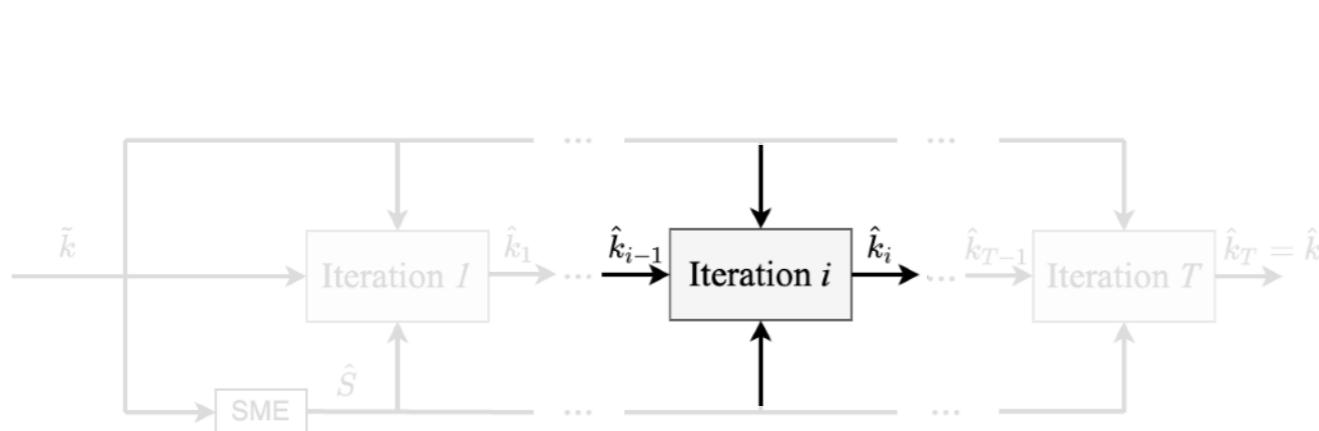
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Further improvements

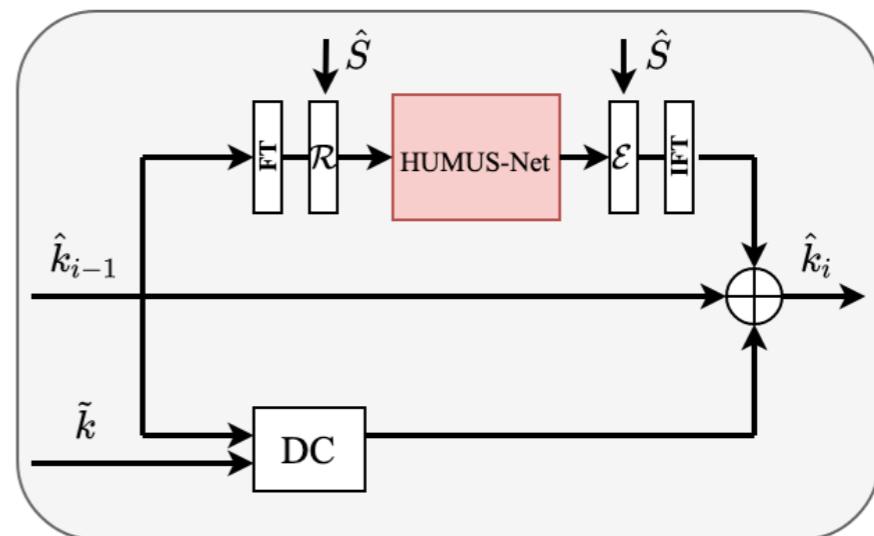
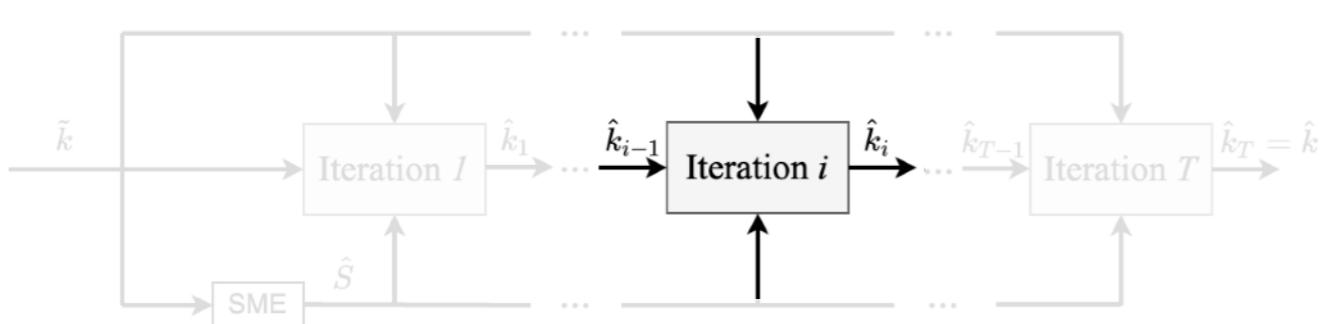
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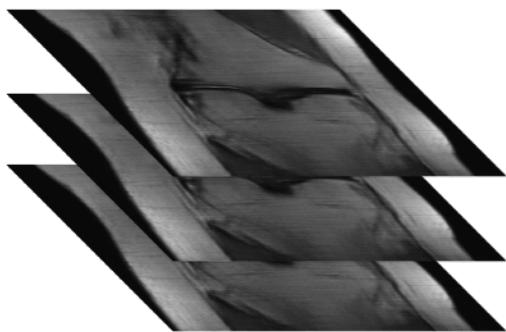
- Adjacent slice reconstruction

Further improvements

- Adding unrolling

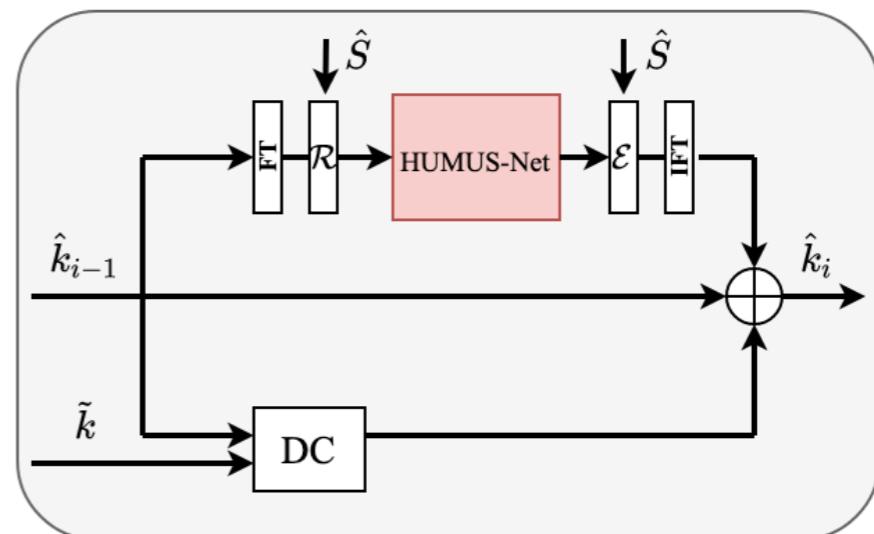
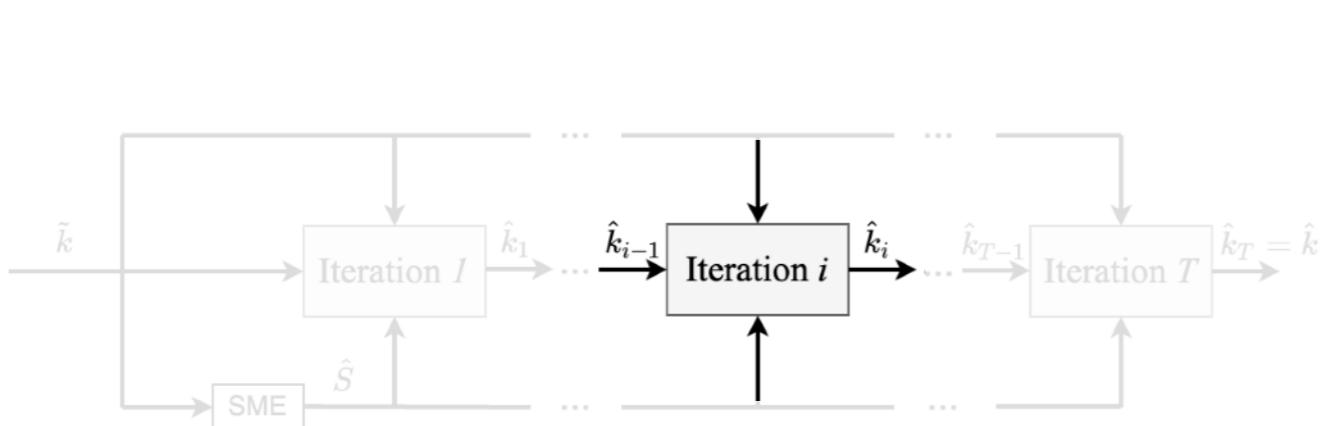


- Adjacent slice reconstruction

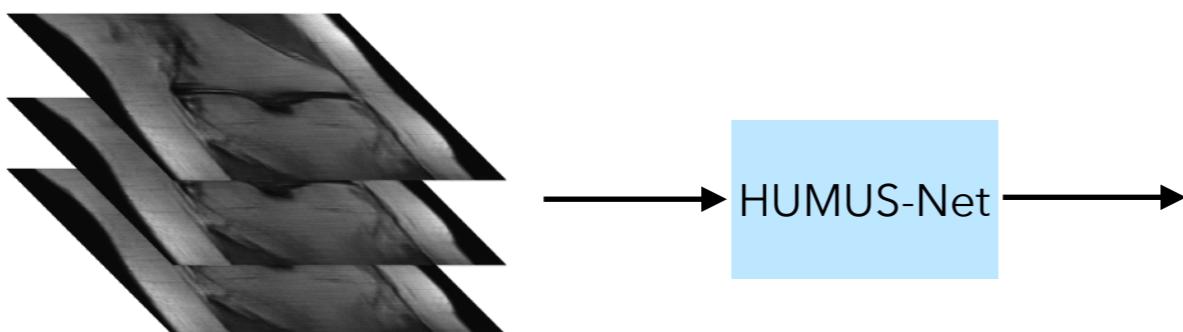


Further improvements

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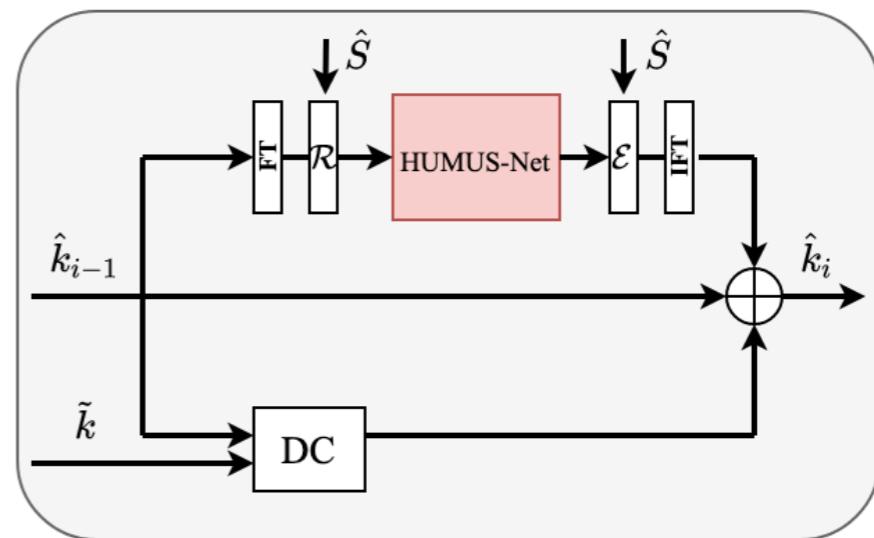
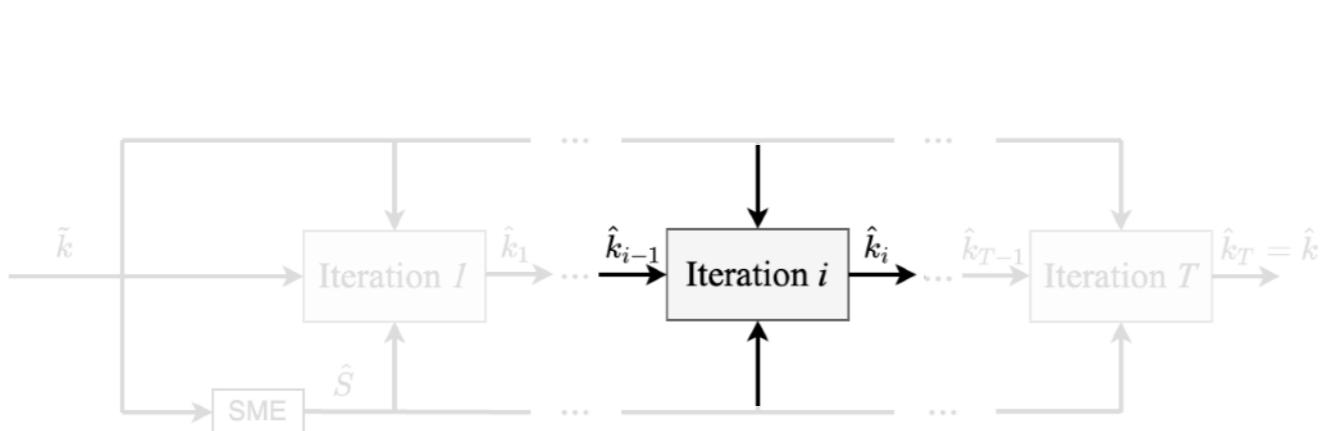


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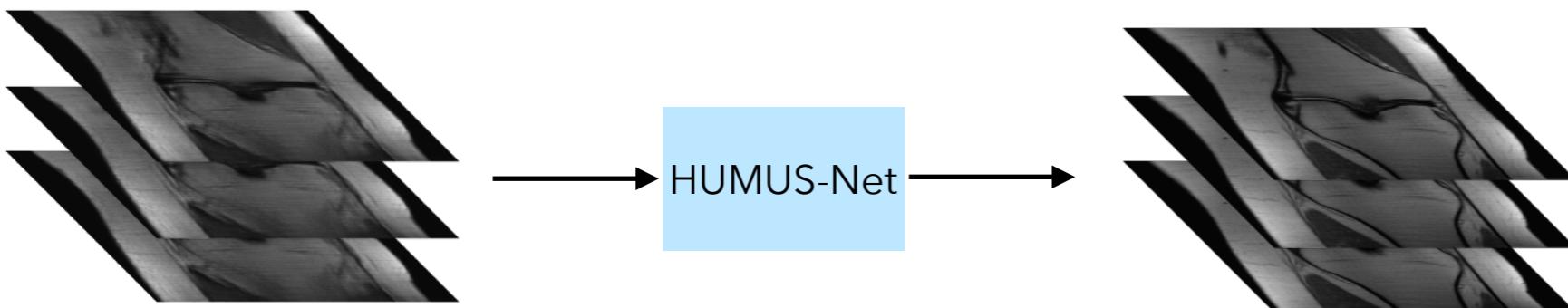


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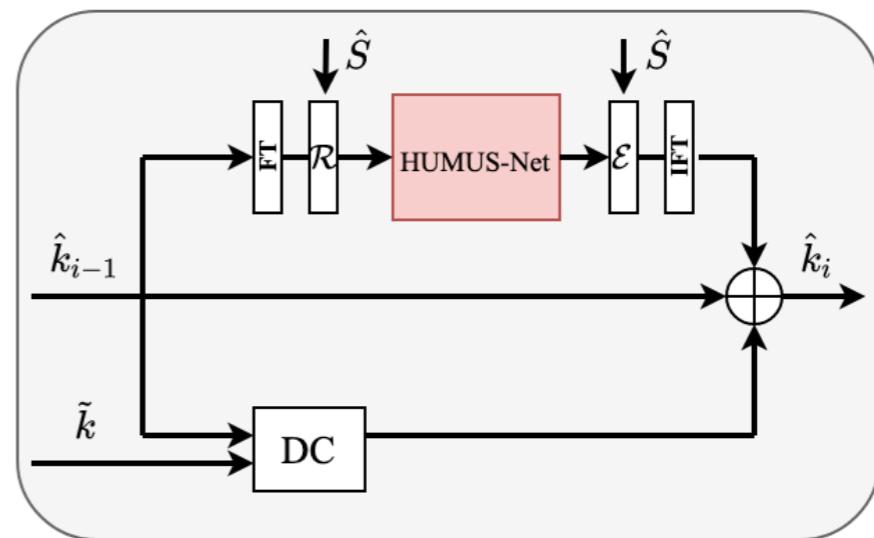
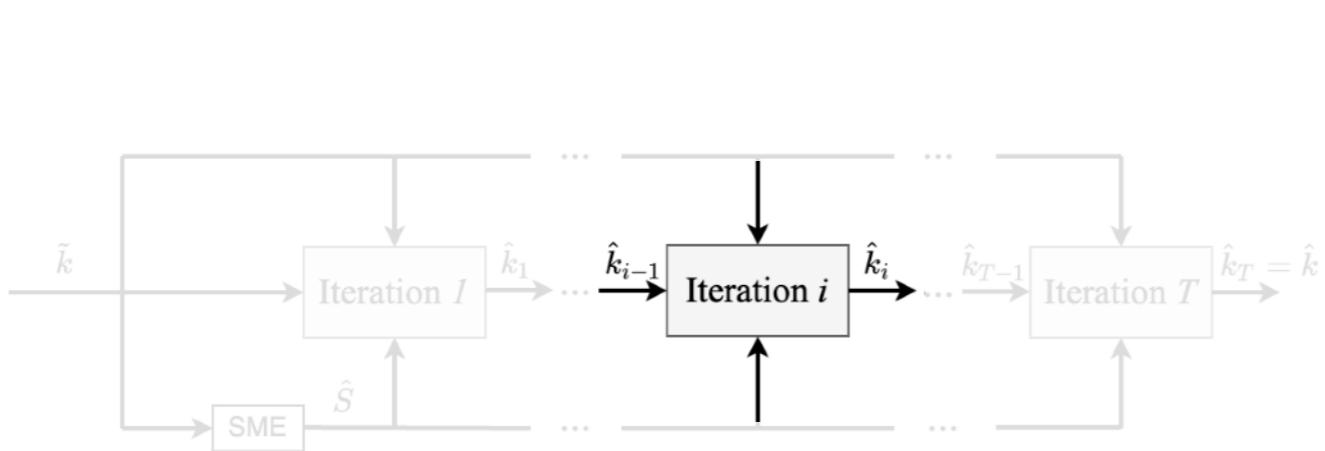


- Adjacent slice reconstruction

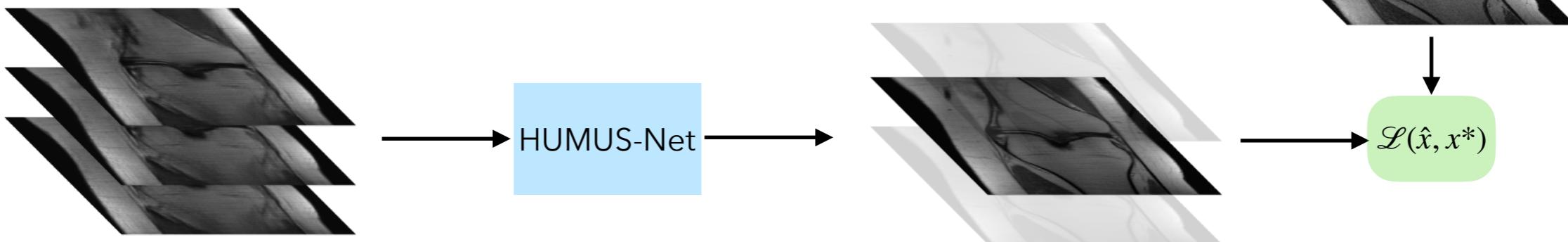


Further improvements

- Adding unrolling



- Adjacent slice reconstruction



HUMUS-Net Experiments

fastMRI multi-coil knee, 8x acceleration

Model	Val. SSIM	Val. PSNR



HUMUS-Net Experiments

fastMRI multi-coil knee, 8x acceleration

Model	Val. SSIM	Val. PSNR
E2E-VarNet	0.8908	36.77



HUMUS-Net Experiments

fastMRI multi-coil knee, 8x acceleration

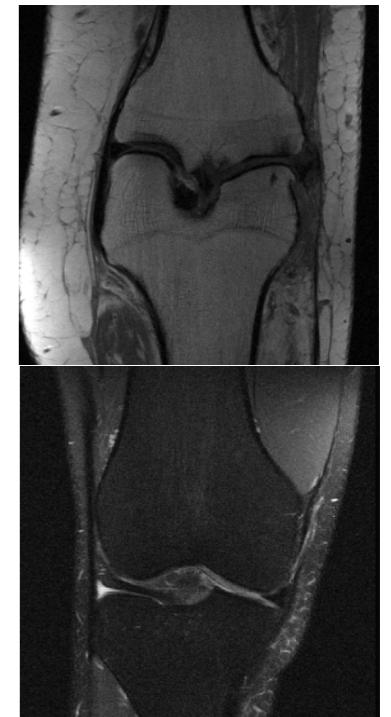
Model	Val. SSIM	Val. PSNR
E2E-VarNet	0.8908	36.77
HUMUS-Net	0.8934	37.04



HUMUS-Net Experiments

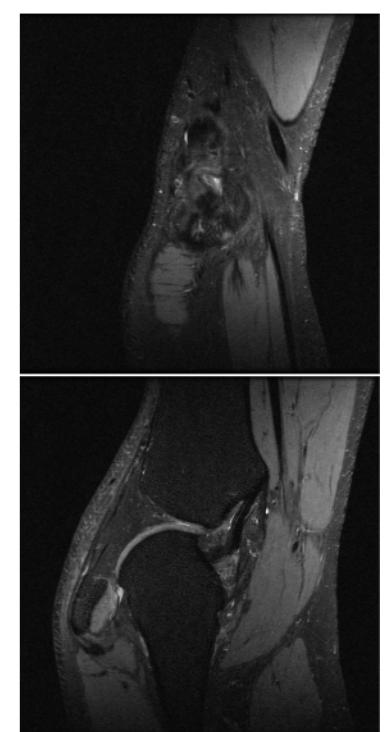
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Model	Val. SSIM	Val. PSNR
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HUMUS-Net	0.8934	37.04



Stanford3D multi-coil knee, 8x acceleration

Model	Val. SSIM	Val. PSNR



HUMUS-Net Experiments

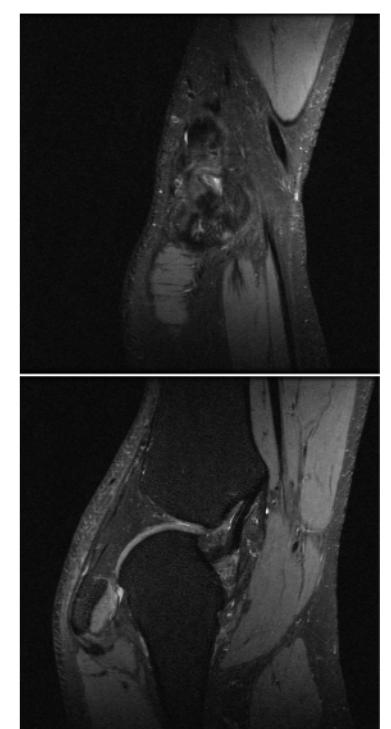
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Stanford3D multi-coil knee, 8x acceleration

Model	Val. SSIM	Val. PSNR
E2E-VarNet	0.9432 (± 0.0063)	39.99 (± 0.6144)



HUMUS-Net Experiments

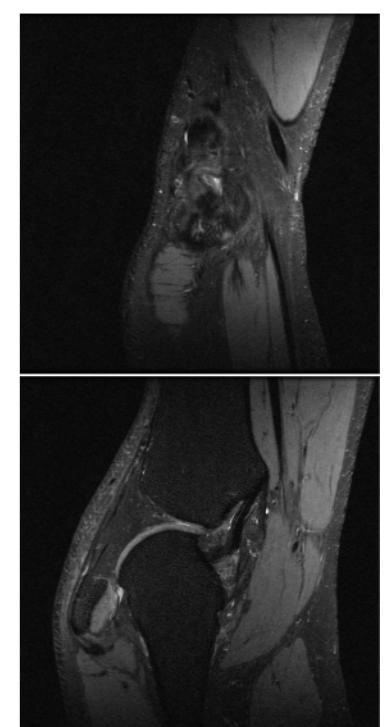
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Stanford3D multi-coil knee, 8x acceleration

Model	Val. SSIM	Val. PSNR
E2E-VarNet	0.9432 (± 0.0063)	39.99 (± 0.6144)
HUMUS-Net	0.9453 (± 0.0065)	40.35 (± 0.6460)

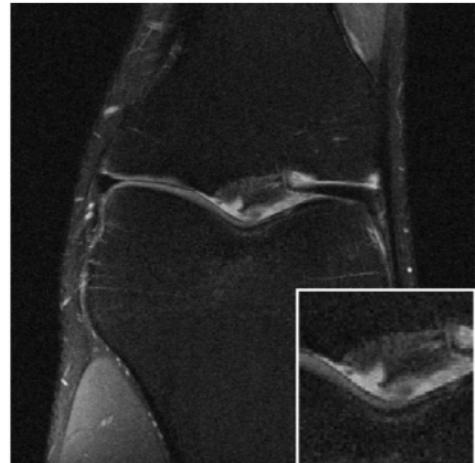


HUMUS-Net Experiments

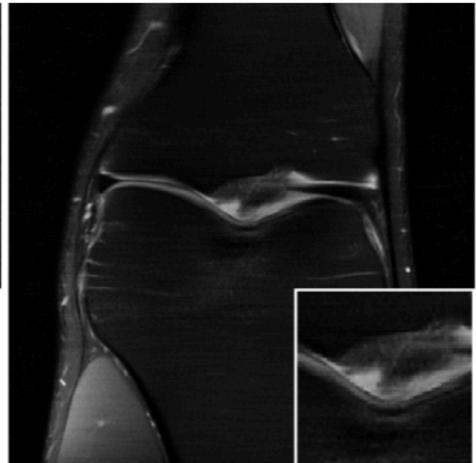
- fastMRI Public Leaderboard

fastMRI knee multi-coil $\times 8$ test data			
Method	SSIM(\uparrow)	PSNR(\uparrow)	NMSE(\downarrow)
E2E-VarNet [Sriram et al., 2020]	0.8900	36.9	0.0089
E2E-VarNet † [Sriram et al., 2020]	0.8920	37.1	0.0085
XPDNet [Ramzi et al., 2020]	0.8893	37.2	0.0083
Σ -Net [Hammernik et al., 2019]	0.8877	36.7	0.0091
i-RIM [Putzky et al., 2019]	0.8875	36.7	0.0091
U-Net [Zbontar et al., 2019]	0.8640	34.7	0.0132
HUMUS-Net (ours)	0.8936	37.0	0.0086
HUMUS-Net (ours) †	0.8945	37.3	0.0081

Ground truth



E2E-VarNet



HUMUS-Net

