
```

%MP2 for GEOL647

clear;
clearvars;
%hello

%q1.4
freq = linspace(0.3,100,10000);
w = 2*pi*freq;

%q1.5
k_M = 400*pi^2;
D_M = 0.05;
ARF = w.^2 ./ (sqrt((k_M - w.^2).^2 + (D_M.*w).^2));
plot(w,ARF,'DisplayName',num2str(D_M))
xlabel('Frequency');ylabel('Amplitude Response')
%The seismometer is most sensitive at about 63 rad^-1, or 10 Hz

%q1.6
set(gca,'xscale','log','yscale','log')
%The sensitivity of the seismometer below the resonant is higher than the
sensitivity above the resonant frequency.

%q1.7
hold on;
xlabel('Frequency');ylabel('Amplitude Response');title('Amplitude Response
while varying damping coefficient')
for i = [0.3,1,3,10]
    ARF = w.^2 ./ (sqrt((k_M - w.^2).^2 + (i.*w).^2));
    plot(w,ARF,'DisplayName',num2str(i))
end

legend

%As D/M increases, the overshoot in the ARF at the resonant frequency is
decreased.

%q1.8
figure;
xlabel('Frequency');ylabel('Phase Delay');title('Phase Delay while varying
damping coefficient')
hold on;
for i = [0.05,0.3,1,3,10]
    PD = atan2(-w.*i,k_M - w.^2);
    plot(w,PD,'DisplayName',num2str(i))
end

legend

%Damping causes a "smoothing out" effect in the phase delay around the
resonant frequency. At low D/M, the phase delay occurs abruptly at the
resonant frequency, but an increase in D/M causes this change to occur more

```

gradually.

%q1.9

%Based on the results of 7 and 8, a value of D/m that is somewhere in the middle between 0.05 and 10, say, 3 would be the ideal balance between a signal that is the most even, but also the least distorted.

%q1.10

```
figure;
xlabel('Frequency');ylabel('Amplitude Response');title('Amplitude Response,
varying fundamental frequency of spring')
set(gca,'xscale','log','yscale','log')
hold on;
D_M = 3;
for i = linspace(16*pi^2,16000*pi^2,10)
    ARF = w.^2 ./ (sqrt((i - w.^2).^2 + (D_M.*w).^2));
    plot(w,ARF,'DisplayName',num2str(i))
end
legend
```

```
figure;
xlabel('Frequency');ylabel('Phase Delay');title('Phase Delay, varying
fundamental frequency of spring')
hold on;
for i = linspace(16*pi^2,16000*pi^2,10)
    PD = atan2(-w.*D_M,i - w.^2);
    plot(w,PD,'DisplayName',num2str(i))
end
legend
```

%Changing k/M changes the resonant frequency of the seismometer, so it shifts the peak and the dropoff for the ARF and the PD, respectively.

%q1.11

%To maximize sensitivity for long period motion (i.e. low frequency), I would reduce k and increase m . D does not change the sensitivity, but rather the distortion of the signal.

%q2.3

```
w_0 = 20*pi;
ep = 1;
bt = 1;
figure;
xlabel('Frequency');ylabel('Amplitude Response');title('Force Feedback
Seismometer')
set(gca,'xscale','log','yscale','log');
hold on;
for AK = linspace(0.1,30,10)
    ARF = (AK.*w.^2) ./ (sqrt(((1+bt*AK).*w.^2) - w_0^2).^2 +
(4*ep^2.*w.^2)));
    plot(w,ARF,'DisplayName',num2str(AK))
end
```

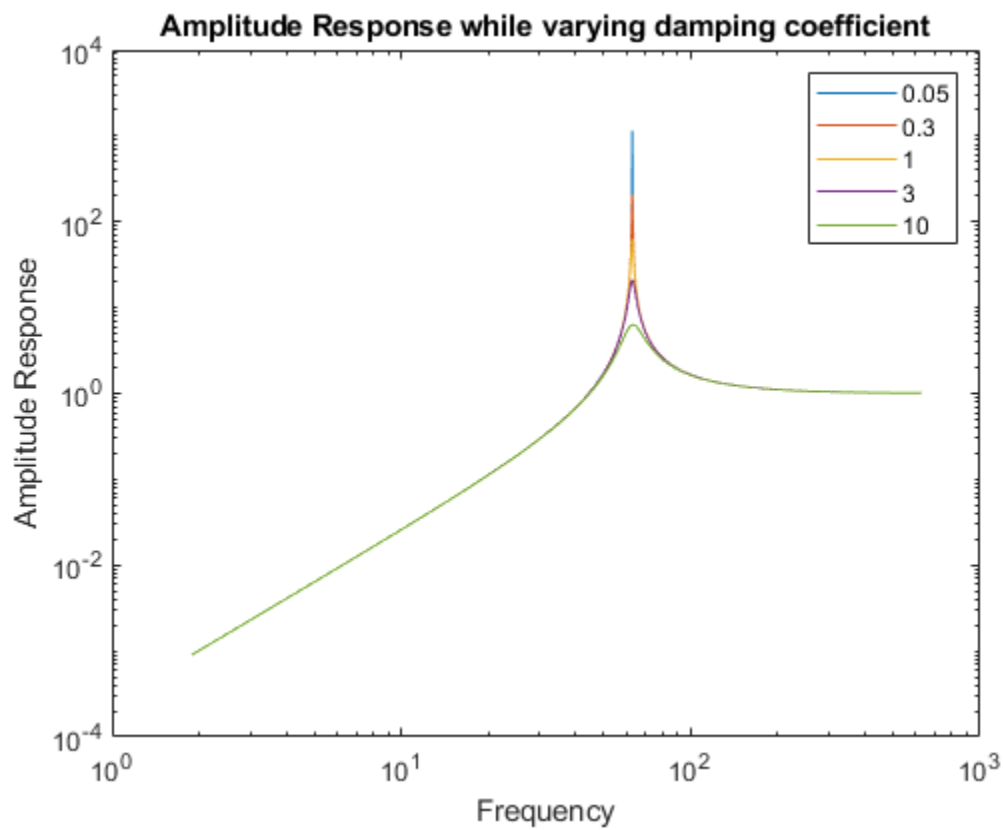
legend

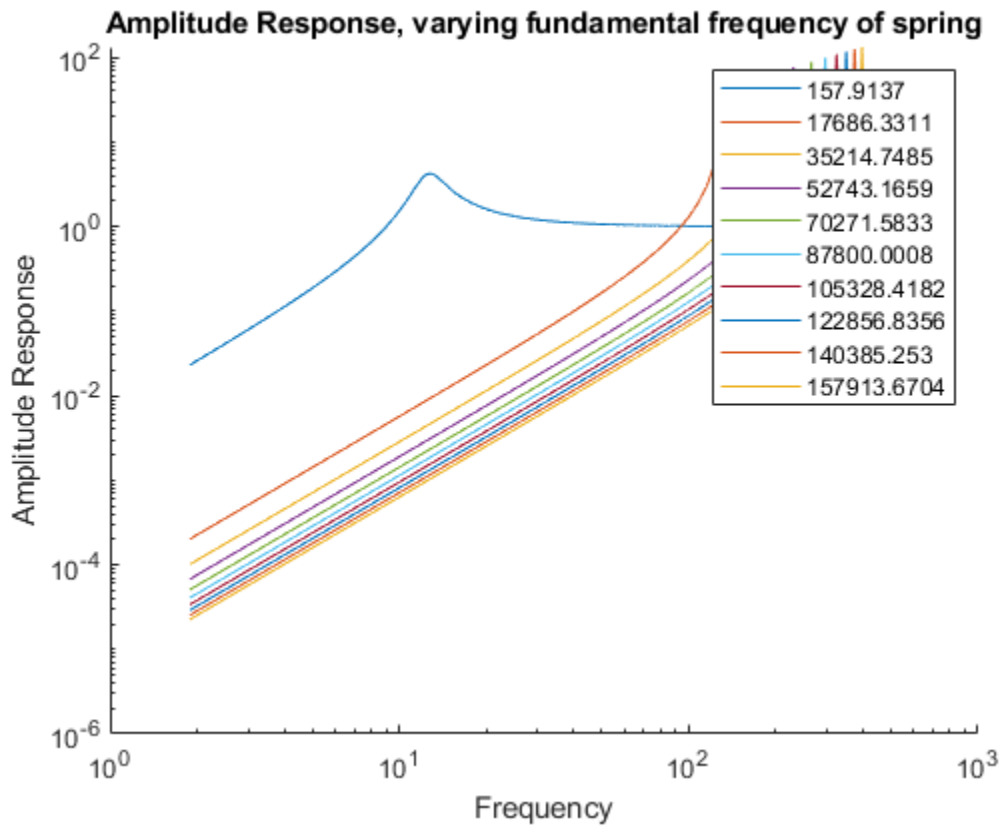
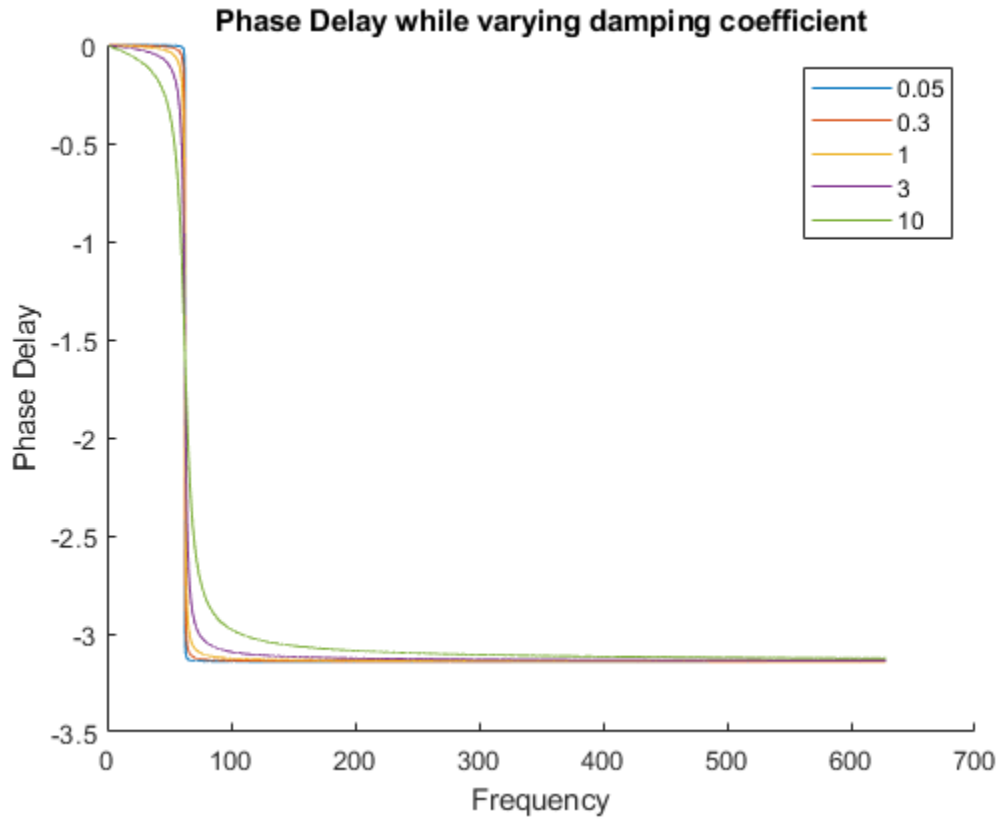
%q2.4

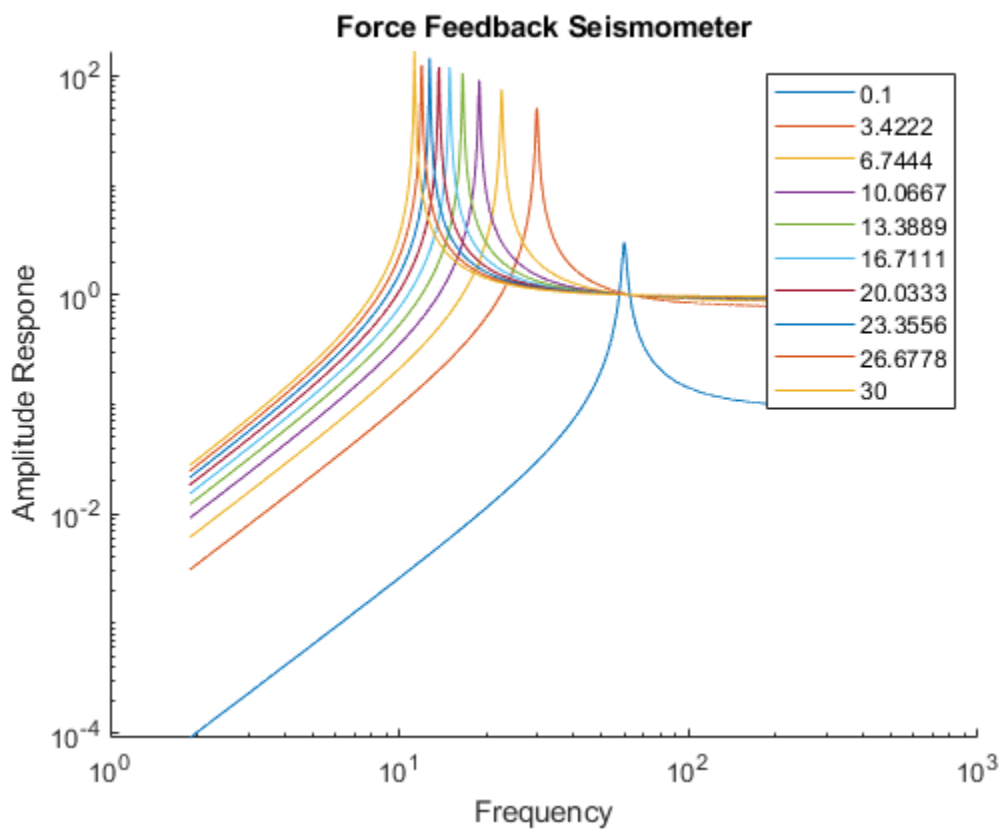
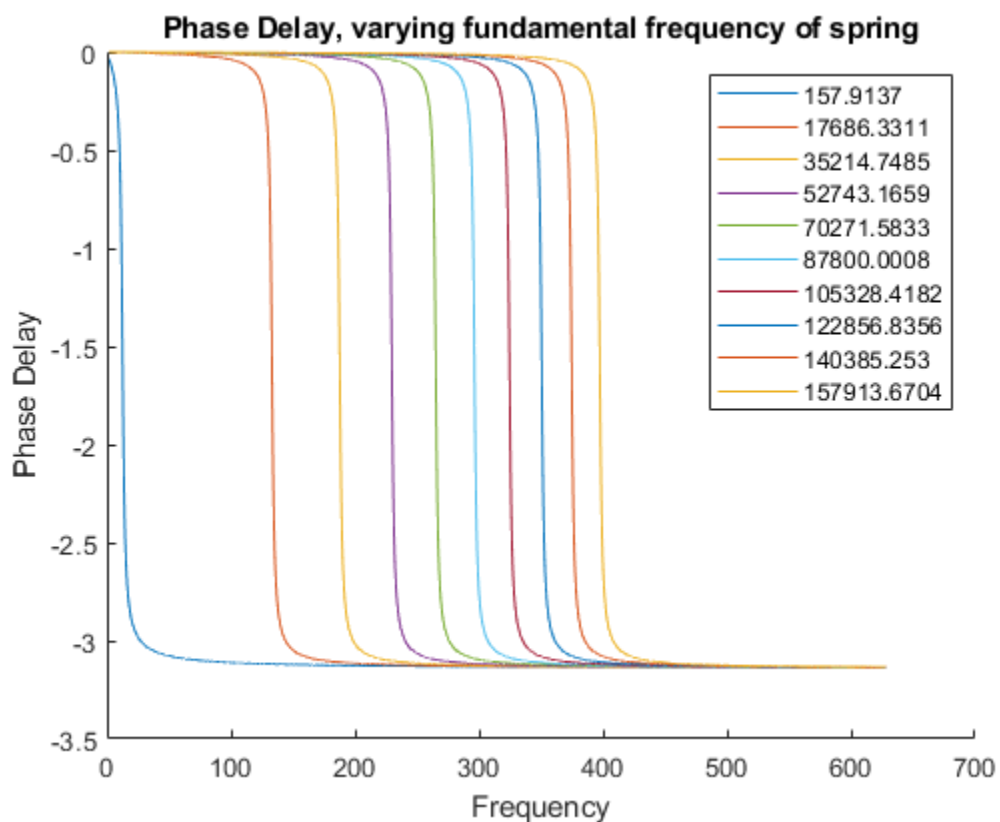
%As ζ is increased, the resonant frequency decreases. This is different from part 1, since the fundamental frequency ω_0 does not need to change for the resonant frequency to drop. The general shape of the amplitude response function, however, is the same for both the inertial seismometer and the force feedback seismometer.

%q2.5

% A force feedback system gives you a way of easily tuning the fundamental frequency of your seismometer without adjusting any of the mechanical components of the system (e.g. spring constant and damping coefficient)







Published with MATLAB® R2023b