(i) (a) fo(x,y,y')- Tx fy'(x,y,y')=0 (e) EXPANDED FORM OF E-L EQS:

fy-fy'x-fy'y'-fyyy"=0 $f_{y}=0, so: -f_{y}=0$ $f_{y}=0$ $f_{y}=0$ LET'S FORM d (fy) = fyx + fyyy y = 0 THUS: Fy (x,y')= (+uis is THE FIRST (17) WIEGEAND DOES NOT DEPEND ON MY EXPLICITLY, SO: 3 (M(x)) 1+ y12) = C 11(x) = (1+y12) 2y'=C $m(x)(1+y^{12})^{\frac{1}{2}}y'=c$ $m(x)y'=c(1+y^{12})^{\frac{1}{2}}$ $m(x)y'=c(1+y^{12})^{\frac{1}{2}}$ $\sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1+\sqrt{12}}}} \sqrt{\frac{1}{1+\sqrt{12}}} \sqrt{\frac{1}{1$ (l-) V y'= This (x)-CZT
AS REQUIRED. M(x)= 1+ 13x $\frac{dy}{dx} = \frac{C}{\sqrt{1+78x}^2 - C^2} \Rightarrow \int dy = y = \int \frac{Cdx}{\sqrt{1+78x}^2 - C^2} = \frac{Cdx}{\sqrt{1+78x}^2 - C^2$ = | FOR C SNUADO

$$\frac{2012 \text{ PIQS(I)}}{\text{E}} = \int \frac{1}{8} \frac{1}{8$$

PECALL: Crosne=u=1+BX $1+BX=C\cos H\left(\frac{B}{C}(y-K)\right)$ $x = -\frac{1}{B} + \frac{C}{B} COSH(\frac{B}{C}(y-k))$ SEEMS ENCOURAGING.

$$\frac{1 = \cos (1 - 1 + c) = 1 + c}{3 - 1 + c} = \frac{1}{c} \times \frac$$

$$K = \frac{-1+C}{B} = \frac{C-1}{B}$$

I DON'T THINK I GRASPED THE ENTITETY OF WHAT'S GOING ON HERE SO THIS ABOVE MIGHT HAVE BEEN WISHFUL MATH.

たもいだけも:

$$x = -\frac{1}{B} + \frac{C}{B} \cos\left(\frac{B}{C}(y - y_0)\right)$$

