

3) i

1

1 sum = 0

2 for (i = 0; i < n; i++) {

3 sum ++;

}

line	occ	
1	once	1
2	once	1 + n + n
3	n	1

$$\frac{1+1+1+n+n}{2n+3}$$

Complexity - $O(n)$

oo
11

1 sum = 0

2 for (i = 0; i < n; i++) {

3 for (j = 0; j < n; j++) {

4 sum ++;

}

line	occ		
1	1	1	1
2	1	1 + n + n	1 + n + n
3	n	1 + n + n	1 + n ² + n ²
4	n ²	1	n ²

$$1 + (1+n+n) + (n+n^2+n^2) + n^2$$

$$1 + (1+2n) + (n+2n^2) + n^2$$

$$2n+2 + 3n^2+n$$

$$T(n) = 3n^2 + 3n + 2$$

$$O(n) = \boxed{O(n^2)}$$

000
111

1 sum = 0

2 for (i=0; i < n; i++) {

3 for (j=0; j < i; j++) {

4 sum++;

}

}

line

occ

1

1

1

2

1

1, n, n

3

n

1, 1/2n, 1/2n

4

1/2n

1

1

1 + n + n

n + 1/2n^2 + 1/2n^2

1/2n

$$1 + (2n+1) + (n^2+n) + (1/2n)$$

$$2n+2 + n^2 + 1/2n$$

$$T(n) = n^2 + 7/2n + 2$$

$$O(n) = O(n^2)$$

iv

Sum = 0

```

1 for (i=0; i < n*n; i++) {
2     for (j=0; j < n*n; j++) {
3         sum;
4     }
5 }

```

line	acc		
1	1	1	1
2	1	1, n^2, n^2	$1 + 2n^2$
3	n^2	n, n^2, n^2	$n^2(1 + 2n^2)$
4	n^4	1	n^4

$$\begin{aligned}
 & 1 + (1 + 2n^2) + (n^2 + 2n^4) + n^4 \\
 & 2n^2 + 2 + 2n^4 + n^2 + n^4 \\
 & t(n) = 3n^4 + 3n^2 + 2 \\
 & O(n) = n^4
 \end{aligned}$$