Computer Science Notes

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Preface

These are my exam review notes taken throughout the Spring semester.

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Part II

Advanced Algorithms

Exam 1

Assignment 1

Assignment 2

3.1 Are either $\lceil \lg n \rceil !$ or $\lceil \lg \lg n \rceil !$ polynomially bounded?

Polynomially bounded means $f_n = O(n^k)$ for some constant k (e.g., whether $f_n \leq c \cdot n^k$ for constants c and k as n approaches ∞).

Therefore, in essence, this problem translates to: verify whether $\lceil \lg n \rceil ! \leq c \cdot n^k$.

3.2 Use induction to prove $F_i = \frac{\phi^i - \hat{\phi}^i}{\sqrt{5}}$; where $F_i = F_{i-2} + F_{i-1}$, and ϕ is the golden ratio $\frac{1+\sqrt{5}}{2}$.

3.3 Show that $k \lg k = \Theta(n)$ implies $k = \Theta\left(\frac{n}{n \ln n}\right)$.

3.4 Are either 2^{n+1} or 2^{2n} big-O of 2^n?

3.5 For each pair of functions (A, B), indicate whether A is O, o, Ω, ω, or Θ of B. Assume $k \geq 1$, $\epsilon > 0$, $c > 1$ are constants.

A	B	O	o	Ω	ω	Θ
$\lg^k n$	n^c	yes	yes	yes	yes	yes
n^k	c^n	yes	yes	yes	yes	yes
$\sqrt{n}$	$n^{\sin n}$	yes	yes	yes	yes	yes
2^n	$2^{n/2}$	yes	yes	yes	yes	yes
$n^{\lg c}$	$c^{\lg n}$	yes	yes	yes	yes	yes
$\lg(n!)$	$\lg(n^n)$	yes	yes	yes	yes	yes
A	B	yes	yes	yes	yes	yes

3.6 Order the following functions such that $f_1 = \Omega(f_2), f_2 = \Omega(f_3), \ldots, f_{29} = \Omega(f_{30})$, and partition them into equivalence classes such that each function is big-Θ of each other.

Part III

Software Engineering

Exam 1

Part IV

Operating Systems

Exam 1