

A decorative graphic on the left side of the slide consisting of two overlapping parallelograms. The front one is blue and the back one is a light green. They are positioned diagonally, with the blue one partially covering the green one.

Reinforcement Learning: Algorithms comparison

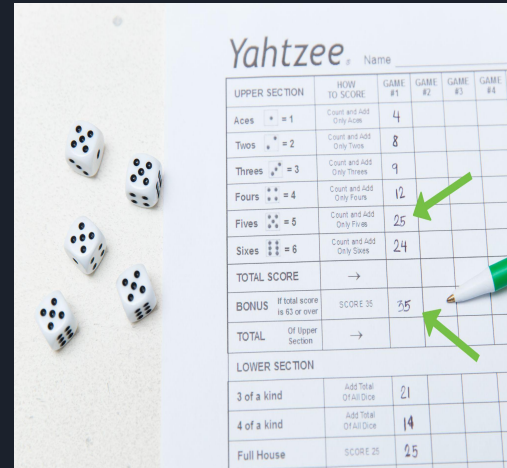
Andrea Zasa

The environments

Frozen lake:



Mini yahtzee:



States:

Agent position

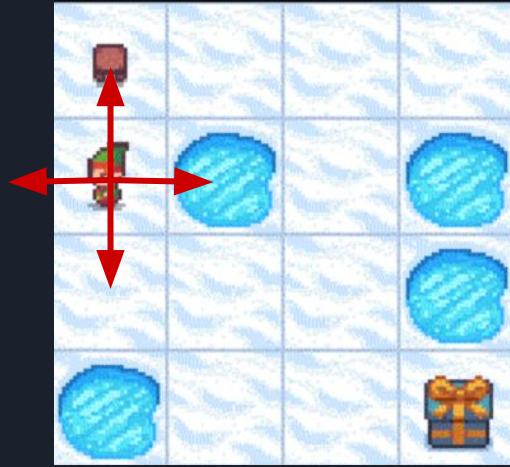
- Unique ID
- XY coordinates
- Onehot encoding

Round, sub round, dices, score

- Unique ID
- Integers
- Onehot encoding

The environments

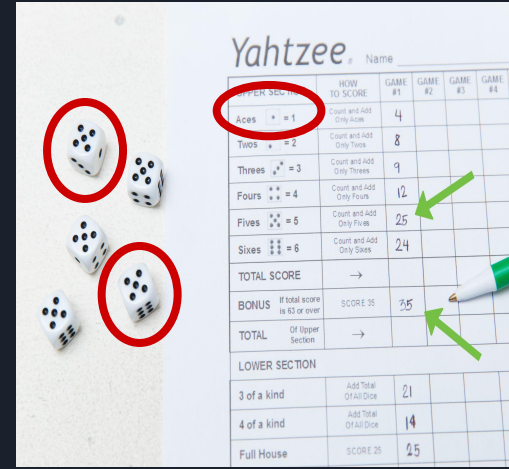
Frozen lake:



Move

- Up, down, left, right

Mini yahtzee:



Actions:

Reroll, Score

- Reroll some dices/ score category

The environments

Frozen lake:



Transition probabilities:

- $\frac{1}{3}$ for the selected direction
- $\frac{1}{3}$ for the orthogonal directions

Mini yahtzee:



- 1 for scoring, and fair dice rules for rerolls

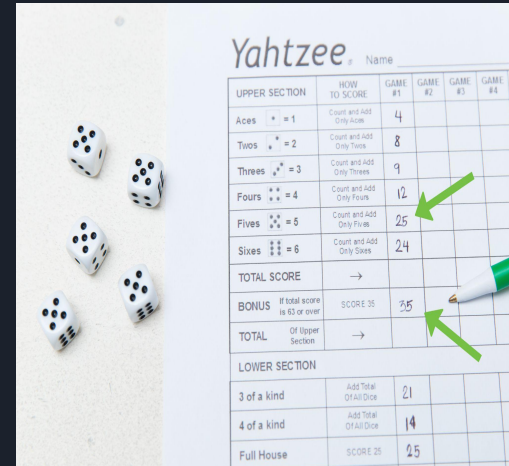
The environments

Frozen lake:



- 1 if we end up at the end, 0 otherwise

Mini yahtzee:



Rewards

- The score we obtain
- N.B there are actually some variation of this rule: punishment and reward for rolling



Algorithms

Tabular

TD0:

- SARSA
- EXP SARSA
- Q Learning

TDN:

- N step SARSA
- Generalized TDN

Function approximation

TD0:

- DQN
- Double DQN

Policy Gradient:

- Reinforce
with baseline

TD0

Q-learning (off-policy TD control) for estimating $\pi \approx \pi_*$

Algorithm parameters: step size $\alpha \in (0, 1]$, small $\varepsilon > 0$

Initialize $Q(s, a)$, for all $s \in \mathcal{S}^+, a \in \mathcal{A}(s)$, arbitrarily except that $Q(\text{terminal}, \cdot) = 0$

Loop for each episode:

 Initialize S

 Loop for each step of episode:

 Choose A from S using policy derived from Q (e.g., ε -greedy)

 Take action A , observe R, S'

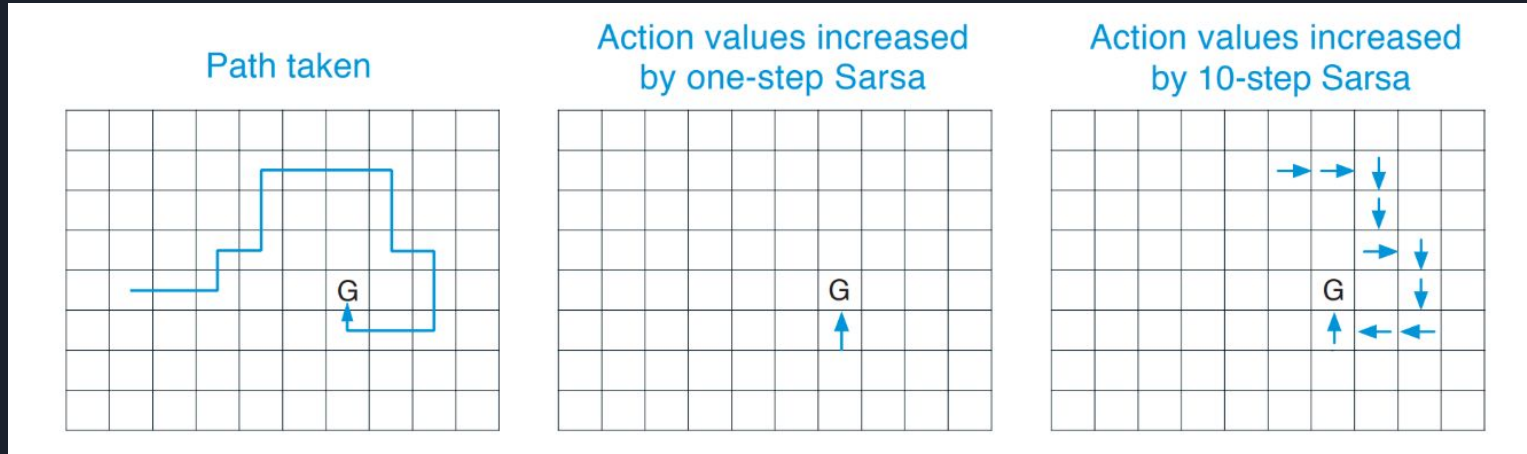
$Q(S, A) \leftarrow Q(S, A) + \alpha [R + \gamma \max_a Q(S', a) - Q(S, A)]$

$S \leftarrow S'$

 until S is terminal

- All TD0 algorithms are pretty similar
- Can be done both tabular and with function approximation (N.B deadly triad)
- Multiple variations (memory/model, double, afterstates)

TDN



- Multiple step propagation
- Difference for off policy is significant
- Higher variance, lower bias (limit is MC)

Policy gradient

REINFORCE with Baseline (episodic), for estimating $\pi_{\theta} \approx \pi_*$

Input: a differentiable policy parameterization $\pi(a|s, \theta)$

Input: a differentiable state-value function parameterization $\hat{v}(s, \mathbf{w})$

Algorithm parameters: step sizes $\alpha^{\theta} > 0$, $\alpha^{\mathbf{w}} > 0$

Initialize policy parameter $\theta \in \mathbb{R}^{d'}$ and state-value weights $\mathbf{w} \in \mathbb{R}^d$ (e.g., to $\mathbf{0}$)

Loop forever (for each episode):

 Generate an episode $S_0, A_0, R_1, \dots, S_{T-1}, A_{T-1}, R_T$, following $\pi(\cdot|\cdot, \theta)$

 Loop for each step of the episode $t = 0, 1, \dots, T-1$:

$$G \leftarrow \sum_{k=t+1}^T R_k \quad (G_t)$$

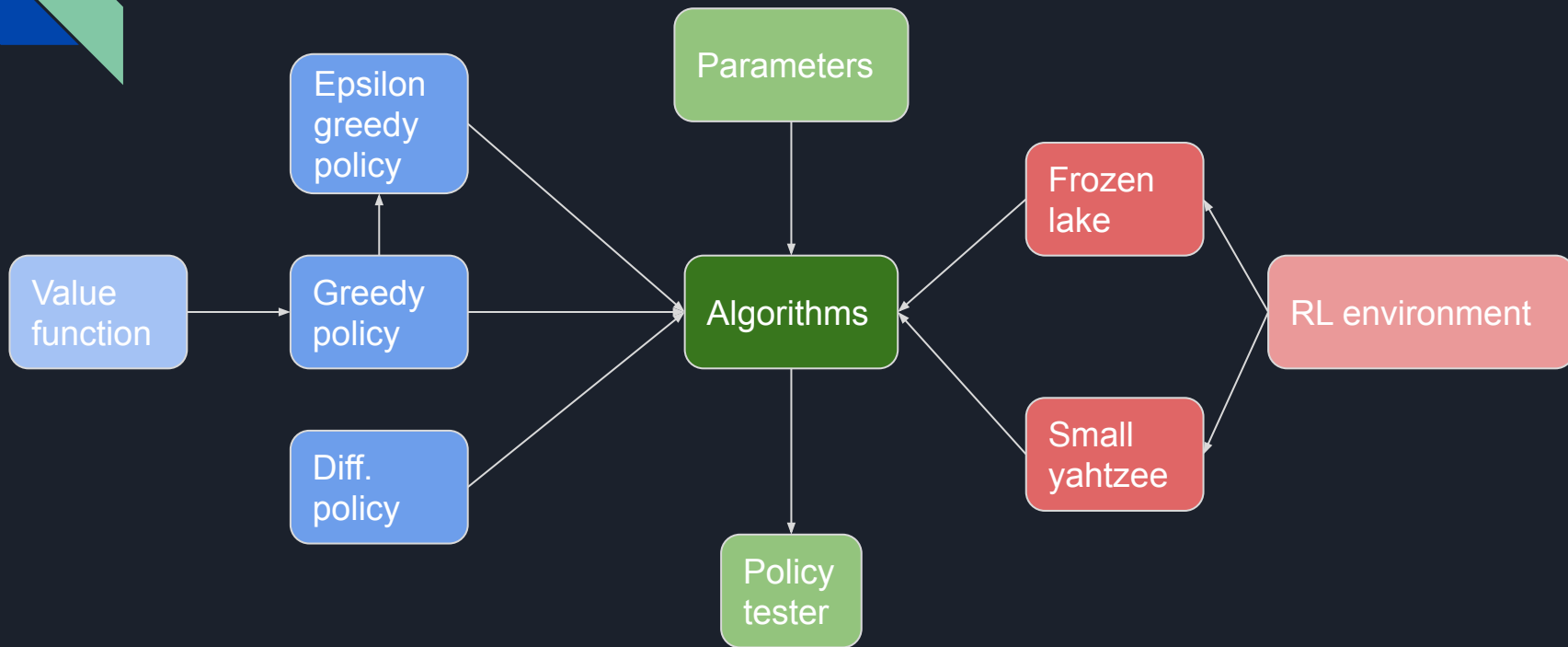
$$\delta \leftarrow G - \hat{v}(S_t, \mathbf{w})$$

$$\mathbf{w} \leftarrow \mathbf{w} + \alpha^{\mathbf{w}} \gamma^t \delta \nabla \hat{v}(S_t, \mathbf{w})$$

$$\theta \leftarrow \theta + \alpha^{\theta} \gamma^t \delta \nabla \ln \pi(A_t|S_t, \theta)$$

- Remove the “middle-man”
- Faster
- High variance (introduce baseline)

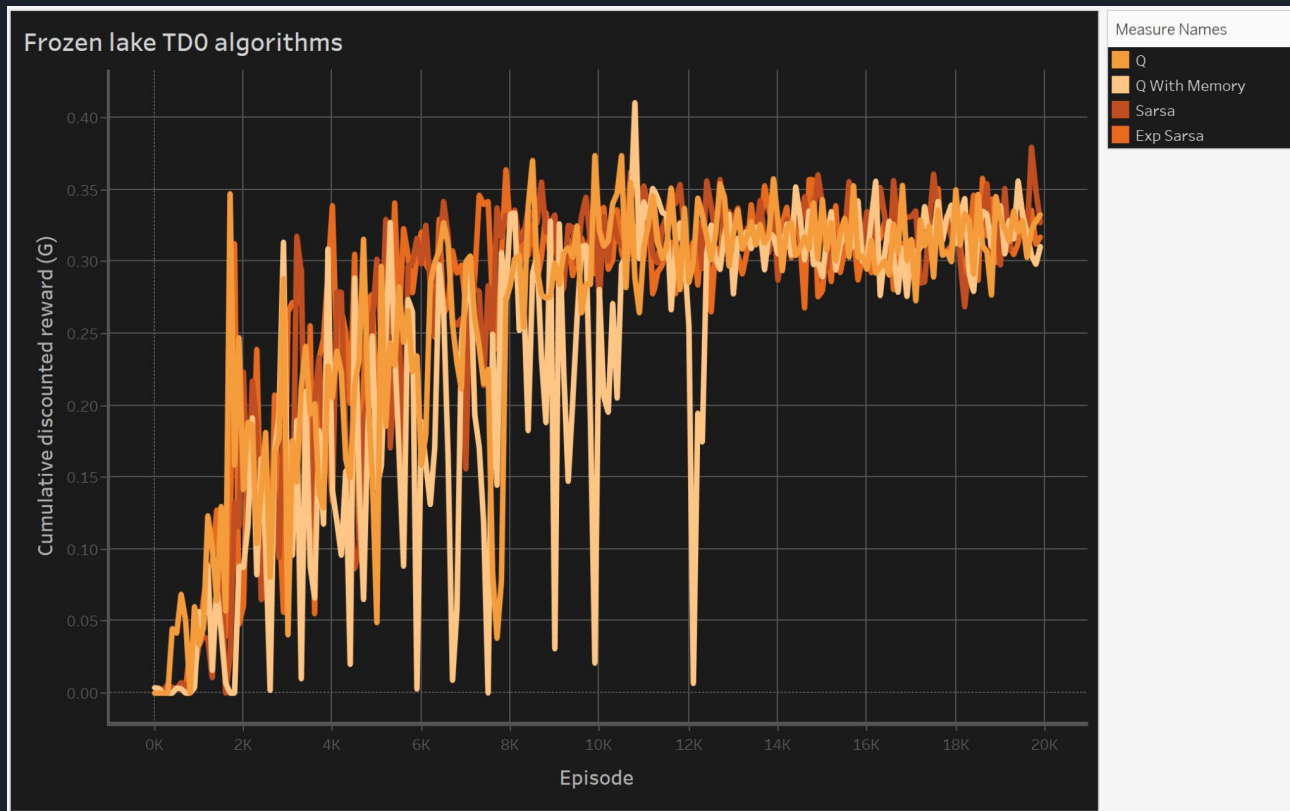
Implementation:



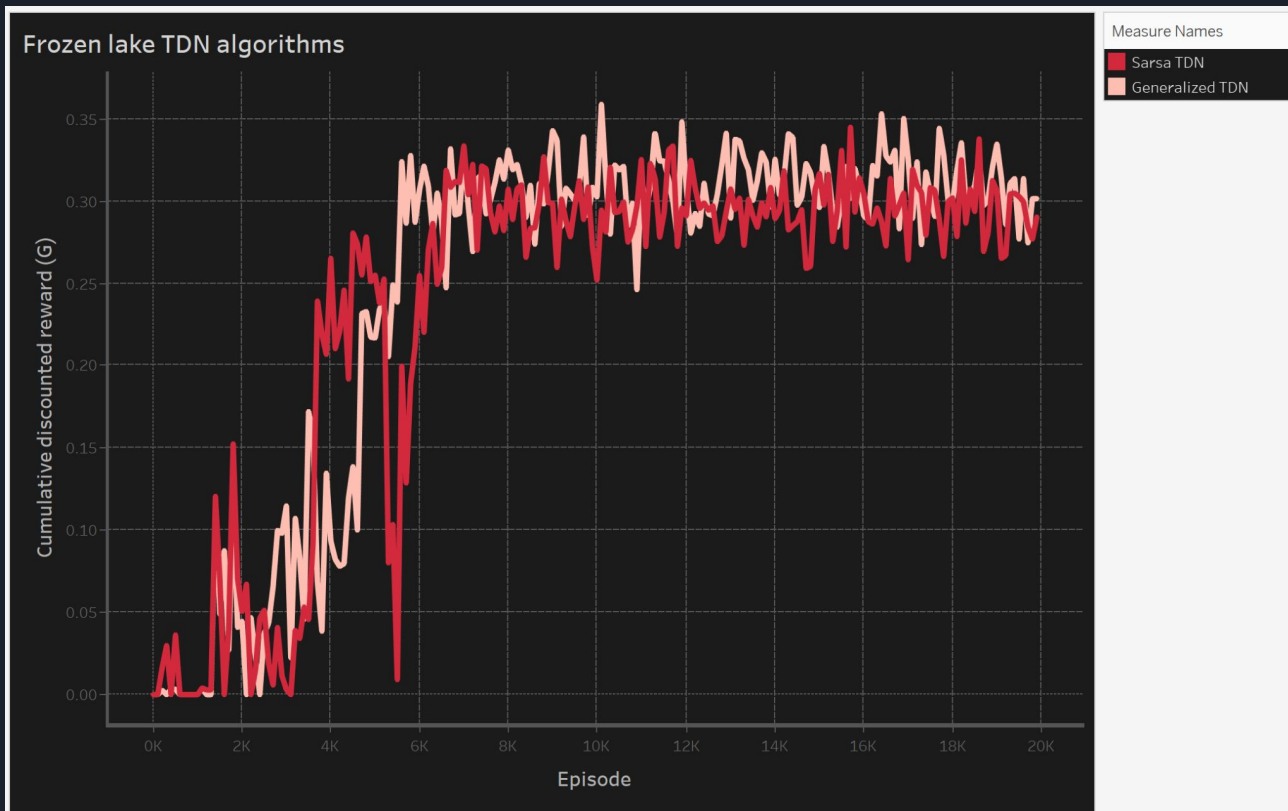
Implementation:



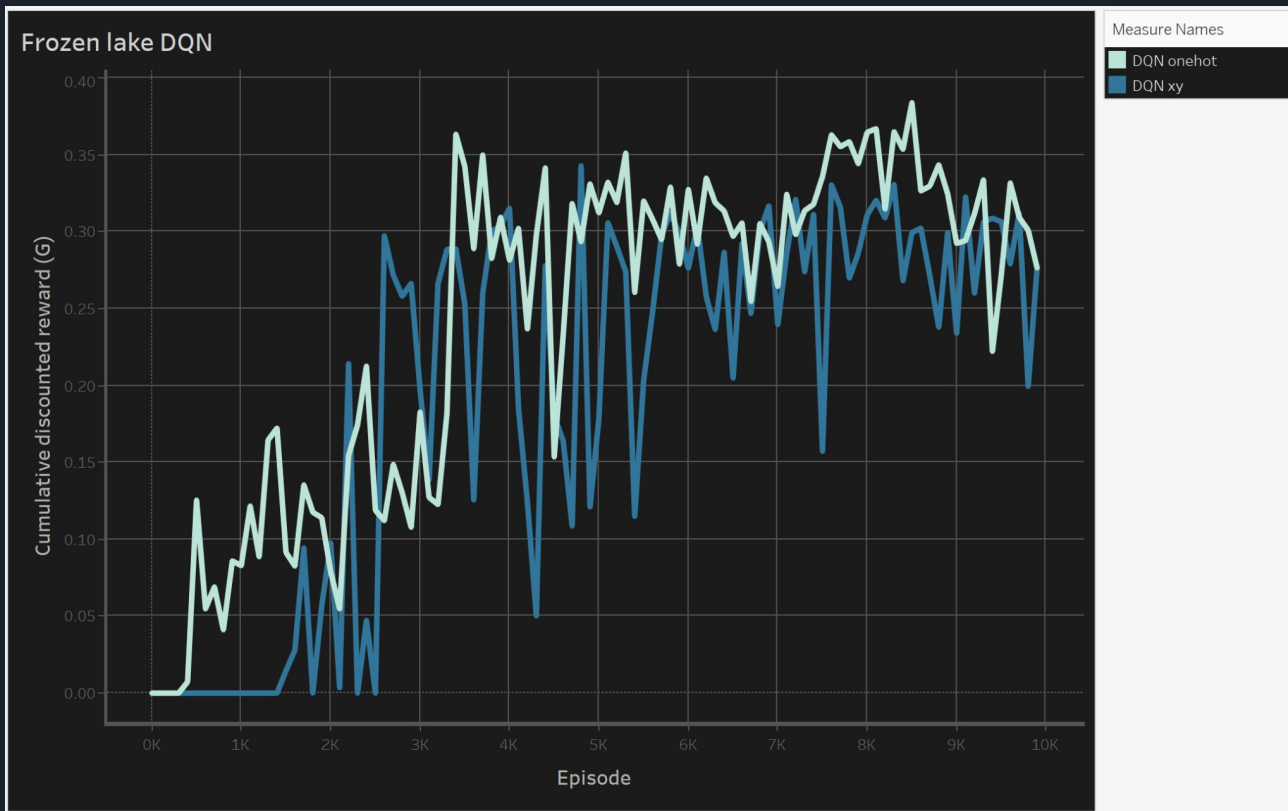
Results frozen lake



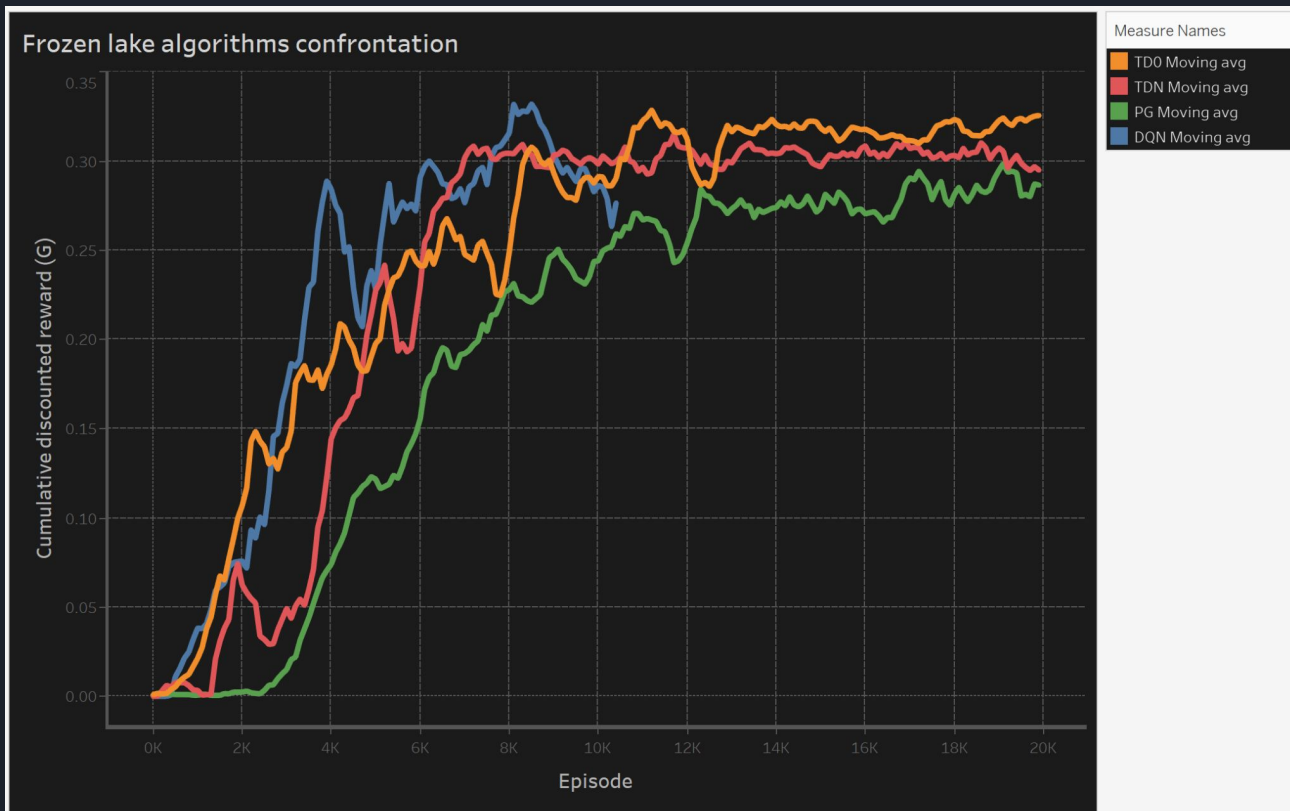
Results frozen lake



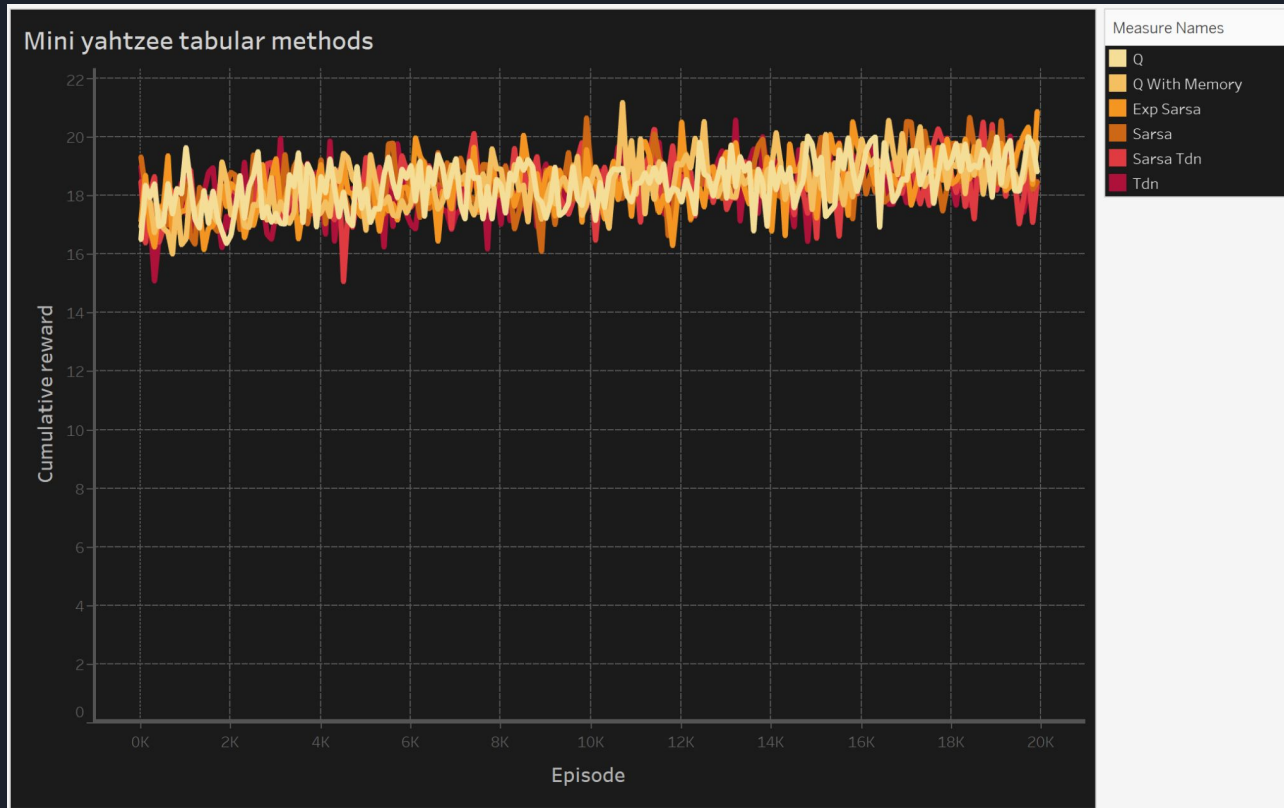
Results frozen lake



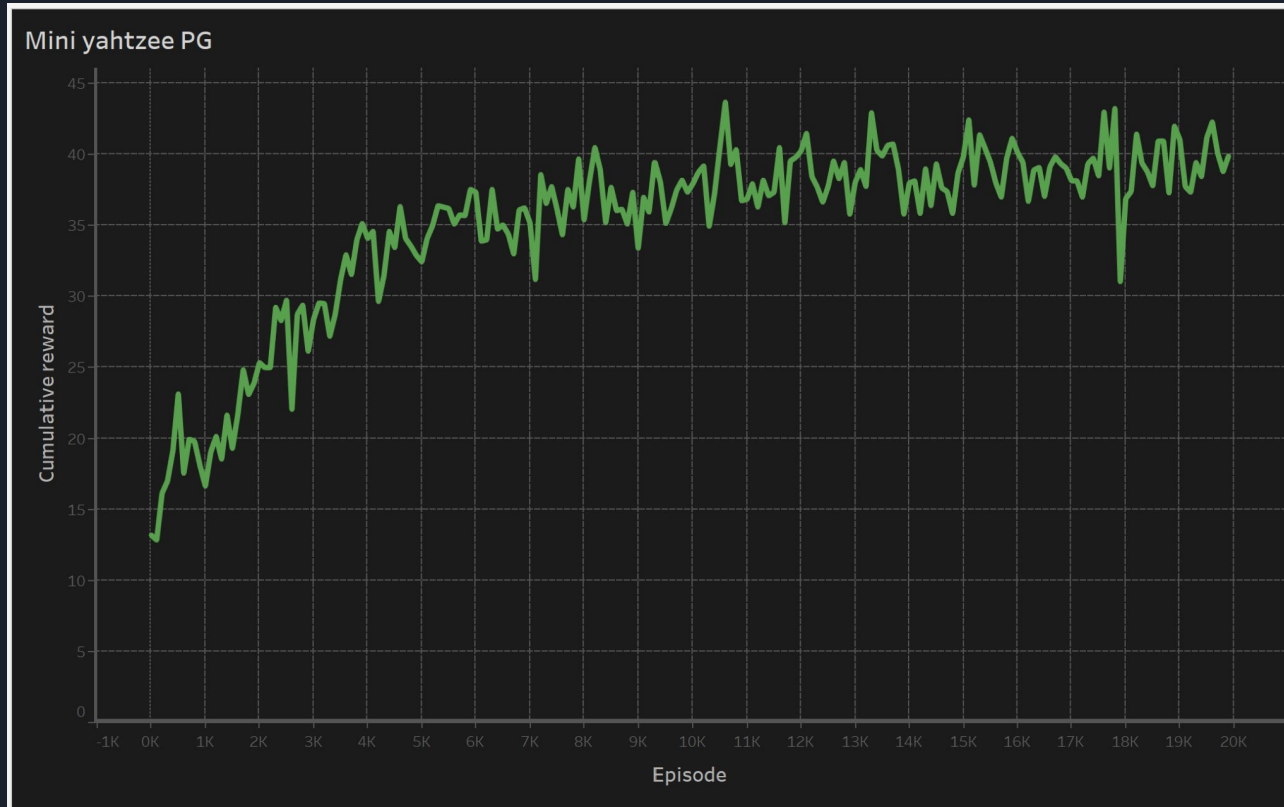
Results frozen lake



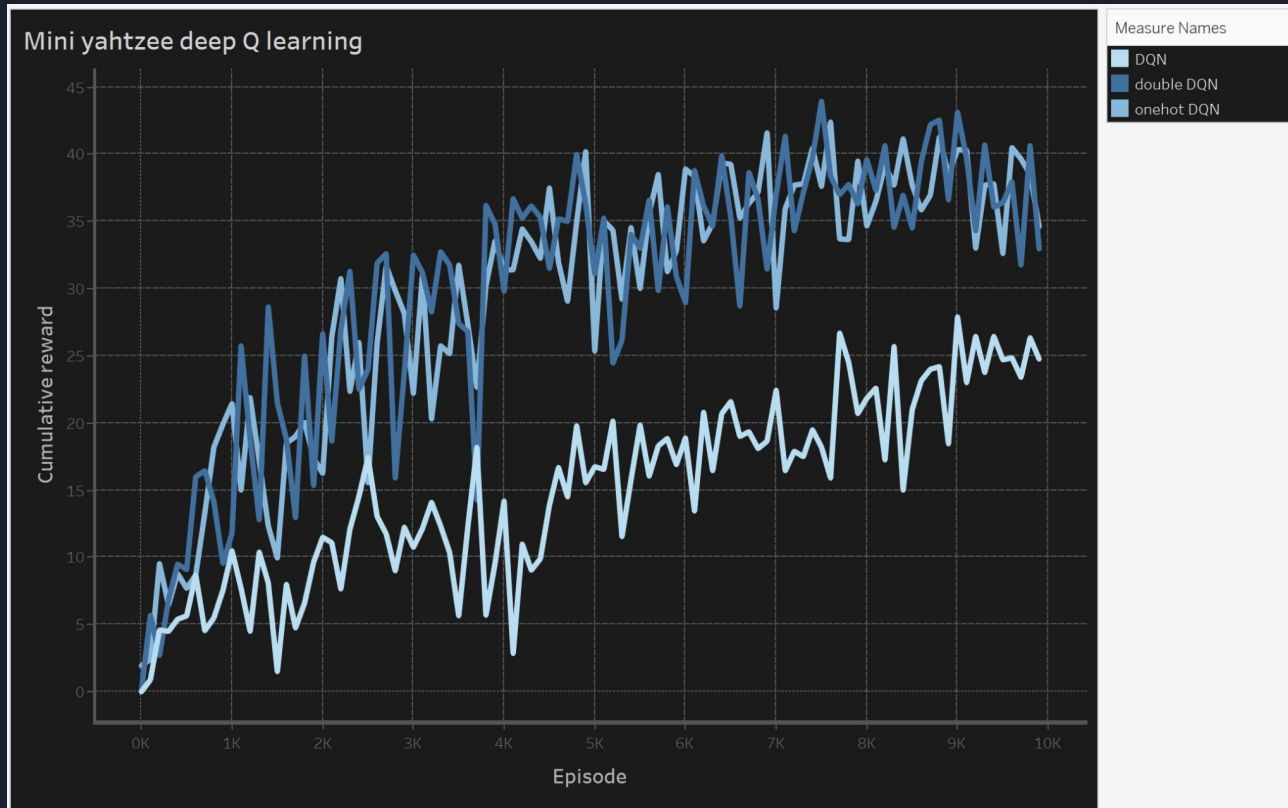
Results mini yahtzee



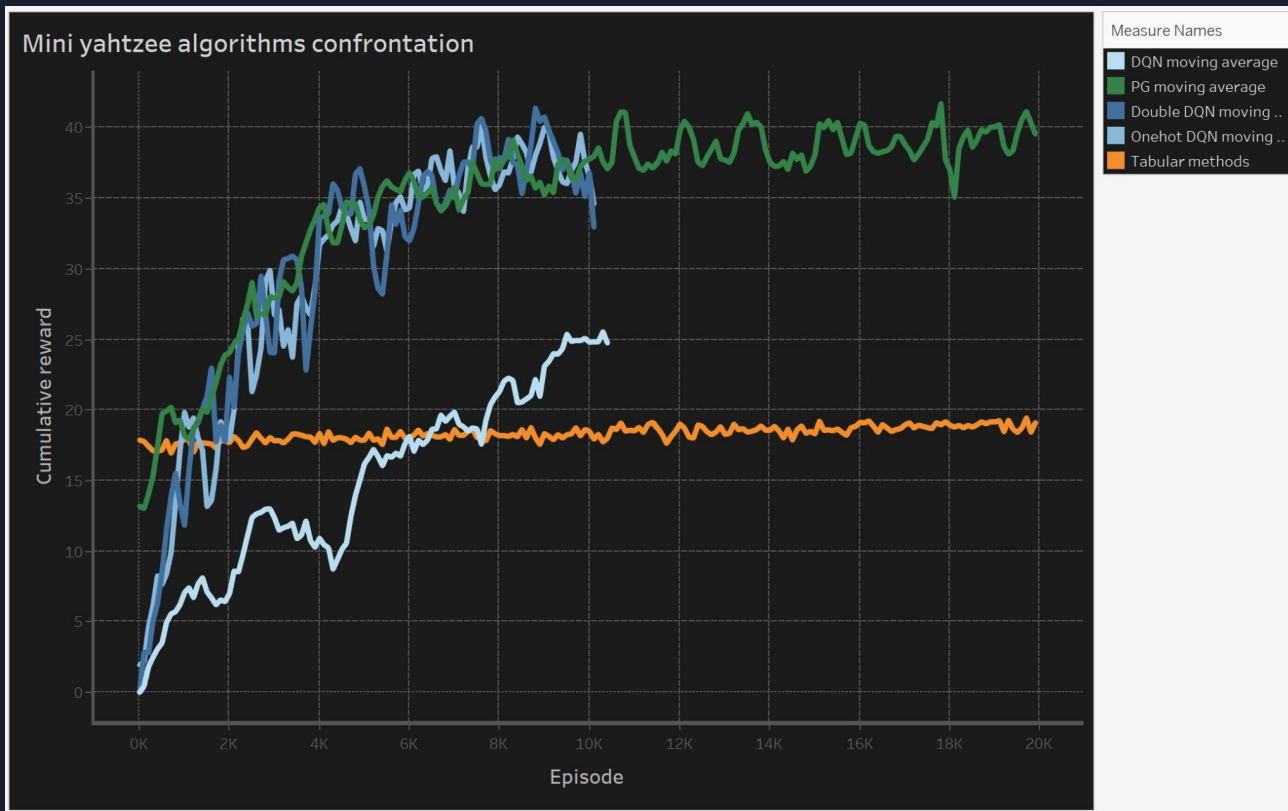
Results mini yahtzee



Results mini yahtzee



Results mini yahtzee





Conclusion

Thanks for the attention