

1 Sets

We have no need to dive deeply into set theory, but I believe it will be helpful for us to have some of its tools and language. A **set** is really just a collection of objects, often selected from some particular larger collection of objects. For example, we can define \mathbb{Z} to be the set of all integers

$$\mathbb{Z} = \{\dots, -2, -1, 0, 1, 2, \dots\}.$$

An object x inside a set A is called an **element** of the set, and this relation is denoted $x \in A$ (which one can read as “ x belongs to A ” or “ x is in A ”).