HW5

Sunday, March 3, 2024 3:28 PM

1)a)	ť		1 1	12	3	14	15	16	7=2N+1
,	y	3.8	2.6	3.8	6.8	3.6	28	3.8	N=3
						5			

$$\mathcal{B}_{k} = \frac{1}{3} \underbrace{\sum_{j=1}^{6} f(t_{j}) coc}_{6} \left(k \cdot \frac{\pi t \cdot j}{3}\right)$$

$$\underbrace{\mathcal{C}k=1)}_{j\geq 1} \mathcal{B}_{j} = \frac{1}{3} \underbrace{\mathcal{E}}_{j\geq 1} f(\ell_{1}) \operatorname{Ca}\left(\frac{\pi \ell_{2}}{3}\right) \succeq -1.33$$

$$\underline{(2k-2)} R_2 = \frac{1}{3} \stackrel{\mathcal{E}}{\underset{j=1}{\leq}} f(k_j) \cos(\frac{4\pi + j}{3}) \times 1.4$$

$$\underbrace{(2k+3+1)}_{j=1}\mathcal{B}_{p}=\frac{1}{3}\sum_{j=1}^{3}f(k_{j})\mathcal{L}_{s}(\pi+j)\mathcal{L}=0.167$$

$$B_{k} = \frac{1}{3} \underbrace{\xi}_{j=1}^{\ell} f(t_{j}) c_{n} (k \cdot \frac{\pi_{\ell,j}}{3})$$

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$$E_{k} = 0 \cdot B_{0} = \frac{1}{4} \underbrace{\xi}_{j=1}^{\ell} f(t_{j}) c_{n} (\frac{\pi_{\ell,j}}{3}) = -1.33$$

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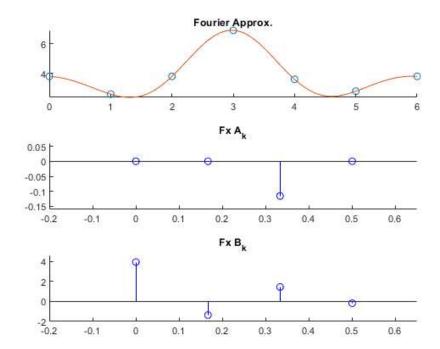
$$E_{k} = 0 \cdot B_{0} = 0$$

(6)	k	Ak	BK
	0	0	3.9
	1	0	-1.33
	2	- 0.115	1.4
	3	0	_ 0.1667

Dom. frq. @

```
clc; clear; clf;
t = 0:1:6;
y = [3.8 \ 2.6 \ 3.8 \ 6.9 \ 3.6 \ 2.8 \ 3.8];
[kp, Ak, Bk] = DFT(t,y);
tau = t(length(t));
tp = linspace(0, tau, 200);
ft = zeros(length(kp), length(tp));
for i = 1:length(kp)
    for j = 1:length(tp)
        ft(i,j) = Bk(i)*cos((kp(i)*2*pi*tp(j))/tau) + Ak(i)*sin((kp(i)*2*pi*tp(j))/tau);
end
ft = sum(ft);
fk=kp/tau;
figure(1); tiledlayout(3,1);
ax1 = nexttile; hold on; plot(ax1,t,y,'o'); plot(tp, ft); title('Fourier Approx.'); hold off;
ax2 = nexttile; hold on; stem(ax2,fk,Ak, 'ob'); title(ax2, 'Fx A_k'); ax2.XLim = [-0.2 0.65]; ax2.YLim = [-0.16 0.06]; hold off;
ax3 = nexttile; hold on; stem(ax3,fk,Bk, 'ob'); title(ax3, 'Fx B_k'); ax3.XLim = [-0.2 0.65]; ax3.YLim = [-2 4.6]; hold off;
kp = kp';
Ak = Ak';
Bk = Bk';
tbl = table(kp, Ak, Bk); disp(tbl);
```

kp	Ak	Bk
_		
0	0	3.9167
1	5.9212e-16	-1.3667
2	-0.11547	1.4333
3	0	-0.18333



```
function [kp, Ak, Bk] = DFT(t,y)
    N = (length(y)-1)/2;
    dt = (t(2*N)-t(1))/(2*N-1);
    kp = 0:N;
    Ak(1) = 0; Ak(N+1)=0;
    Bk(1) = sum(y(1:2*N))/(2*N);
    for i=2:N
        Ak(i)=0;
        Bk(i)=0;
        for j=1:2*N
            Ak(i)=Ak(i)+y(j)*sin(pi*(i-1)*t(j)/(dt*N));
            Bk(i)=Bk(i)+y(j)*cos(pi*(i-1)*t(j)/(dt*N));
        end
        Ak(i)=Ak(i)/N;
        Bk(i)=Bk(i)/N;
    end
    Bk(N+1)=0;
    for j=1:2*N
        Bk(N+1)=Bk(N+1)+y(j)*cos(pi*N*t(j)/(dt*N));
    end
    Bk(N+1)=Bk(N+1)/(2*N);
end
```

Not enough input arguments.

```
Error in DFT (line 2)
N = (length(y)-1)/2;
```

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