Hith Gauss cheix on pivos (default / partier /folet) Gavn Joedan Antien d'éliminer le varieble dons le ligne 2n³ O(n³) les lignes pour avoir su mod diag

(on fail les m trans à In jusqu'à le que A-sIn Fac LU:

Mh: A after (h-n) iteration, pour les h-grem colonne les

val au dersons de diag sont nulle

hyp: (Myhn # 0 (c'et lui quiva jour le pivol) n colonne Fac LU: $\frac{(H_h)_{R_{1,h}}}{(H_h)_{R_{1,h}}} = \frac{(H_h)_{R_{1,h}}}{(H_h)_{R_{1,h}}} = \frac{(H_h)_{R_{1,h}}}{(H_h)_{R_{$ Man L= (hin : 200) = A= L Uman (g eus n)

Choleshy: A sym det pontive R= (bn. (0)
bn.n-bnn Choleshy: $\Rightarrow 1^{int} colonne; bon = \sqrt{a_{11}} / b_{in} = \frac{a_{in}}{b_{1n}} & \epsilon \leq i \leq n$ $\Rightarrow 2 \leq j \leq n; b_{jj} = \sqrt{a_{ij}} - \sum_{k=1}^{J-1} b_{jk}$ $\Rightarrow int colonne; bon = \sqrt{a_{11}} / b_{in} = \frac{a_{in}}{b_{1n}} & \epsilon \leq i \leq n$ $\Rightarrow 2 \leq j \leq n; b_{jj} = \sqrt{a_{ij}} - \sum_{k=1}^{J-1} b_{ik} b_{jk}$ $\Rightarrow int colonne; bon = \sqrt{a_{11}} / b_{in} = \frac{a_{in}}{b_{1n}} & \epsilon \leq i \leq n$ $\Rightarrow 2 \leq j \leq n; b_{jj} = \sqrt{a_{ij}} - \sum_{k=1}^{J-1} b_{ik} b_{jk}$ $\Rightarrow a \leq j \leq n; b_{jj} = \sqrt{a_{ij}} - \sum_{k=1}^{J-1} b_{ik} b_{jk}$ n° d'op= n³/3 0(n³) q colo

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Alg Jocobi ) k= > Ao = A
              , while off(A) >E do
                           i) choose p.9 s.t |ap.9) = max (ax.j)
                           ii) get Jeg
                         with) Set Ann = Jpg An Jpg set h= h+7
            B= Jpg A Jpg ( ) | 14 1 pg bp = bip = capi - saga | d 1 pg bp = bip = capi - saga | d 1 pg bp bp = bip = sapa + caga
   1 = 01 - 1 m bpp = ap - tapq
     nene étape en An = B bpq = bg = D
  LP: (max cix con / Simplex cern, A & Rmn bear bear ) x>0
     fearble region. (P= 1xEAn: An 66, x >0)

The one (exactly) of the following holds

i) P= of infearble
               ii) 7 segumie xml EP s.t Com CTX = 700
               ini) max achieved of some vertex of P
                                    Agry n-tuple n= (11, -, 115) salifying
the constraint ) Arich and n30 is
collect to sibe.
   Simplexalg: Didionary:
lack / Xn+1= bn - Zan, ojx;
anich Kner = be- Ear, j xj
                                     A solution (1, -x nom) is teamble iff
                                     All its value are non neg. A fearible tol
that max & (objective funct) is called
     2 = E cj x; so, ..., xn non lanc variables autoitronty layered
                                          non basic va = 0
      enduka cj co Aj
     obligation Victor name nizo
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who enters / leaver: n vario ble /m constrain/s: van or the hering van a) Don't jig's astimles chose engent positive coeff in 7 O(n) Mithen 2) Dontziy's estrulo: choose the variable that increases 7 the most 3) Bland's rule: choose the entering /leaving variables with O(mn) the smallest index o(n) (f) there are more than Dict is digenerate: if the banic sol has some basic van that are null If dict is degenerate, just apply Bland's rule, you are sure that you are not cycling. Dic fearible all van have non neg val in the baric sol Duality: Primed max cTx -> Ouel onin y Tb
s.t. Axib
x>0 The (weak chickly) xxcan fearible to f offering the offering of the the cTN 5 y75 Th (strong delety) If either (P) or O) is fearible the 2 = 20 and if the fine dict of (P) book like The di = -dn+1 is optimed for (D) == 2x+ Emdi XI. Th (Complementary slockness) A fearible point n* of (P) is optimal iff 7 a a few pot 4x of (D) s.t Th: max 2= = c1x; s.+] + ic [1,m] = ax,jx; = bx. () amune (P) not degenerate, vanications strof bi => (Ps): onex 7= & cixi st / tresmind & axis x; < 51+186. assume Sbi small enough so that the optimal basis for (Ps) . The variation of the optimum value of 7 is: E shi Ji where (y*, -, y >) of solfer duct probof(P) flux probs who one of the ineq has a neg second man, so the initial chic is infearable. If we want to check the fearable by of the propose, we ladd to that see man xo to relax the constraint, the good of this first place is to a max 2' =-xo(x) we start by soverprin to entering, and the benic van with the most may wel in benic sol feaver, and my cont normaly, once we have a fearable benic sol with 2' so we are done the

If some bis an neg (poodic infamble) and all c; one neg then we can use the duel The (complementary stockness) in and is < ba (ith constraint on their 2) for 15 jen 1/ xj. 70 the Enj. + ax, j = Cj 3) And y + opti define Mmin, xmax for which Newton methol define Hep hos felen cz Viftmh) defpositive) if ((0) 40, do; -) Xmin CO Xhm= xh - (T fah) Tf(xh) - Jas long as f' (R) co doi * nmine h * heth no chom closely infractly ·) xmax & h close to xx .) else of 5'(0) \$ >0, do: (x 4) has quadretic convoxt JR E-R WINDS ·) Mmex co .) as long on ((h) >0, do: * nmax ch * h & 2 k ·) Yminch. A constant | V(ut A) = V(ut) A) \ (utv) = \ (ut) v + \ (vt) M. fc, in x. (u) = f(x.)+(x-x.) | L(x.) +11x-x.1 8 (1) 8'(s) = #at \ f(x + s. al) (3 (1) = f(x + s. al) f coin no fcx1 = f(x0) +(x-x0)t \ f(x0) + \frac{1}{2} (x-x0)t \ \frac{1}{2} (x-x0)t \ \frac{1}{2} (x-x0)t \ \ \frac{1}{2} (xthe place of the form of the contract of the first of the contract of the first of the contract of the first of the first of the contract of the first of the fir