



## Topic: Logical Binary Shifting

A logical binary shift is an operation applied to binary numbers, which involves shifting the bits either to the left or right by a specific number of positions. This operation can affect the value of the binary integer, as well as the most significant and least significant bits. In this detailed explanation, we will cover logical left shifts, logical right shifts, multiple shifts, and their effects on positive 8-bit binary integers.

### Perform Logical Left Shifts:

A logical left shift moves all bits of a binary number to the left by a specified number of positions. Zeros are shifted in at the least significant bit (LSB) end, while the most significant bits (MSBs) that get shifted out of the fixed-width register are lost.

For example, consider the 8-bit binary number 0101 1010. Performing a logical left shift of 2 positions results in:

Original: 0101 1010

Left Shift: 1101 0000

### Effect on the positive binary integer:

**Multiplication:** A logical left shift is equivalent to multiplying the original binary integer by  $2^n$ , where  $n$  is the number of positions shifted. In this example, the number is multiplied by  $2^2 = 4$ .

**Loss of MSBs:** As seen in the example, the two most significant bits (01) were lost during the shift operation.

### Perform Logical Right Shifts:

A logical right shift moves all bits of a binary number to the right by a specified number of positions. Zeros are shifted in at the most significant bit (MSB) end, while the least significant bits (LSBs) that get shifted out of the fixed-width register are lost.

For example, consider the 8-bit binary number 0101 1010. Performing a logical right shift of 2 positions results in:

Original: 0101 1010

Right Shift: 0001 0110





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### Effect on the positive binary integer:

**Division:** A logical right shift is equivalent to dividing the original binary integer by  $2^n$ , where  $n$  is the number of positions shifted. In this example, the number is divided by  $2^2 = 4$  (ignoring the remainder).

**Loss of LSBs:** As seen in the example, the two least significant bits (10) were lost during the shift operation.

### Perform Multiple Shifts:

Multiple shifts can be performed by applying the shift operation successively. For instance, applying a left shift followed by a right shift, or vice versa, will have a combined effect on the binary integer.

Bits shifted from the end of the register are lost and zeros are shifted in at the opposite end of the register:

As demonstrated in the left and right shift examples, when bits are shifted out of the fixed-width register (either MSBs or LSBs), they are lost. Zeros are shifted in at the opposite end to fill the vacant positions.

### The positive binary integer is multiplied or divided according to the shift performed:

As discussed earlier, a logical left shift multiplies the binary integer by  $2^n$ , while a logical right shift divides it by  $2^n$ . These operations are faster and more efficient than regular multiplication or division because they only involve bit manipulation.

### The most significant bit(s) or least significant bit(s) are lost:

During a logical left shift, the most significant bits are lost, whereas during a logical right shift, the least significant bits are lost. This is an essential aspect to consider when performing logical shifts, as it may lead to data loss or unintended results.

In summary, logical binary shifts can have various effects on positive 8-bit binary integers, including multiplication or division, loss of significant bits, and altering the value of the binary integer. By understanding these effects and applying logical left and right shifts appropriately, one can perform efficient arithmetic operations and bit manipulation in computer systems. However, it is important to be aware of potential data loss and ensure that the most significant or least significant bits are handled properly to avoid unintended results.

