- Makes online updates to for every misclassified point. Simple update rule: Comes with convergence guarantees given linear separability, which is a reasonable
- assumption in many real world scenarios include text classification!

# The perceptron learns an explicit hyperplane through trial and error

**Definition:** sign(z) = 1 if  $z \ge 0$ , -1 otherwise.

**Inputs:** number of iterations, T; training examples  $(\underline{x}_t, y_t)$  for  $t \in \{1 \dots n\}$  where  $\underline{x} \in \mathbb{R}^N$  is an input, and  $y_t \in \{-1, +1\}$  is a label.

**Initialization:**  $\underline{\theta} = \underline{0}$  (i.e., all parameters are set to 0)

### Algorithm:

- For  $j = 1 \dots T$ 
  - For  $t = 1 \dots n$ 
    - 1.  $y' = \operatorname{sign}(\underline{x}_t \cdot \underline{\theta})$
    - 2. If  $y' \neq y_t$  Then  $\underline{\theta} = \underline{\theta} + y_t \underline{x}_t$ , Else leave  $\underline{\theta}$  unchanged

### **Output:** parameters $\underline{\theta}$

- Taken from Collins, Convergence Proof for the Perceptron Algorithm (2012)

 $\mathbf{w} \leftarrow \mathbf{w} + y_i \mathbf{x}_i$ 



## Perceptron demo

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# Linear Support Vector Machine (SVM)