

Endogenous Wage Rigidity and Layoffs

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Abstract

Wage rigidity has long been considered an important source of employment fluctuations. I propose a theory in which rigid wages and layoffs arise endogenously and are correlated across workers and firms, yet rigid wages do not cause layoffs. I build an equilibrium search model where firms employ risk-averse workers of heterogeneous match quality on dynamic contracts. Asymmetric information about match quality generates privately inefficient layoffs. After negative productivity shocks, firms fire low-quality matches while smoothing survivors' wages. The model predicts heterogeneous composition of insurance: recently hired workers face higher layoff risk, whereas senior workers experience larger wage movements. I confirm this pattern using French matched employer–employee data. Moreover, additional *exogenous* wage rigidity, stemming from minimum wages, has limited effects on employment when rigid wages and layoffs have endogenous foundations. A calibration shows that a 20% minimum wage hike has only muted effects on firing and hiring rates.

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1 Introduction

Intro 1: employment fluctuations What are the sources of employment fluctuations? Wage rigidity has long been viewed as a key driver of employment fluctuations (Keynes 1936), operating along both the hiring and layoff margins. On the layoff margin, the implication is that firms fire workers because they cannot cut wages. This view is inconsistent with the survey evidence that firms do not view pay cuts as a substitute to layoffs (Bewley 1999; Bertheau et al. 2025; Davis and Krolkowski 2025).

In this paper, I propose a theory in which rigid wages and layoffs arise endogenously, yet rigid wages do not cause layoffs. The main intuition is that firms use layoffs to get rid of the less productive workers and keep wages high for the survivors. This creates a novel link between layoffs and rigid wages: layoffs improve workforce composition, making wage cuts less desirable. My model predicts that this link is primarily potent for the recent hires: junior workers are subject to the higher layoff risk, but lower wage pass-through than more senior workers. I test and confirm this prediction in the French administrative data. Quantitatively, I find that a hike in minimum wage has muted impact on layoff and hiring rates. This suggests that even *exogenous* sources of wage rigidity have limited effects on employment in presence of endogenous reasons for firms to cut workers and smooth wages.

Intro 2: wage rigidity Understanding wage rigidity, its causes and consequences, is central for understanding the dynamics of labor markets and employment and for designing efficient labor market policies. Conventional wisdom suggests that rigid wages are an important source of labor market inefficiencies, excessive turn-over, higher structural unemployment and higher unemployment volatility in response to macroeconomic shocks (Keynes 1936; Hall 2005). Increasing labor market flexibility and removing constraints on wage contracting is then viewed as key to improving the allocative efficiency of labor markets.

This paper provides a counterargument to the conventional wisdom: I propose a theory in which rigid wages and layoffs arise *endogenously* as an outcome of optimal contracting between a firm and its workers. The main intuition is that firms use layoffs to get rid of the less productive workers and keep wages high for the survivors. An immediate implication is that wage rigidity does not cause layoffs. This mechanism is particularly prevalent for the recent hires. My model predicts that junior workers are subject to higher layoff risk, but smaller wage movements than the senior workers at the firm, a testable prediction that I validate in the French administrative data. Lastly, I calibrate the model to consider the impact of minimum wage, an important *exogenous* source of wage rigidity in France, on employment fluctuations. I find that a hike in minimum wage has muted impact on both

layoff and hiring rates.

Intro 3: layoffs or wage cuts? When faced with a negative productivity shock, how do firms choose between wage cuts and layoffs? The answer would have implications for worker income risk, unemployment, and the impact of labor policies protecting wages or employment. Despite the importance of this question, there is no theoretical work that speaks to the survey evidence that firms do not view pay cuts as a substitute to layoffs (Bewley 1999; Bertheau et al. 2025; Davis and Krolkowski 2025).

This paper builds a model that endogenizes wage rigidity and layoff risk. The main intuition is that firms use layoffs to get rid of the less productive workers and keep wages high for the survivors. This creates a novel link between layoffs and rigid wages: layoffs improve workforce composition, making wage cuts less desirable. My model predicts that this link is primarily potent for the recent hires: junior workers are subject to the higher layoff risk, but lower wage pass-through than more senior workers. I test and confirm this prediction in the French administrative data. I calibrate the model to assess the impact of two French labor policies: severance pay and minimum wage. I find that mandatory severance pay is not binding for firms and that a minimum wage increase has muted impact on both layoff and hiring rates.

I build an equilibrium model of the labor market with search frictions and one-sided limited commitment on the worker side. Firms employ a continuum of workers, face firm-wide productivity shocks and face decreasing returns to scale. Search is directed: firms post dynamic contracts to attract workers. Contracts specify future productivity-history-contingent wages, layoff risk, and severance pay conditional on layoffs. Workers are risk-averse and cannot commit to stay, whereas firms can credibly insure workers against future productivity shocks. Firms therefore face a trade-off between insuring workers against future losses and incentivizing workers to stay (leave) when they are most (least) productive.

Under symmetric information about match surplus, the Coase theorem applies to layoffs and matches would be destroyed if and only if surplus were negative. Layoffs would therefore be entirely disconnected from wage rigidity. I depart from this benchmark by introducing asymmetric information: upon hiring, each match draws a permanent quality component that is observed only by the firm. The firm may choose not to reveal this information in order to further insure its workers, and thus effectively refrains from wage-discriminating across workers on the same contract. This generates privately inefficient layoffs: after negative productivity shocks, firms fire low-quality matches. The connection between layoffs and rigid wages arises through the change in workforce composition: the surviving matches on the same contract are now of higher average quality. The firm wants to protect these

workers from being poached and thus optimally keeps their wages relatively high (possibly even raising them) despite the negative shock. This mechanism is central to the paper’s view of layoffs and pay cuts: wherever the firm chooses to fire workers, it has less desire to cut survivors’ wages.

A key prediction of my model is that the layoff–wage connection exists both between and *within* firms, across worker tenure. When choosing whom to lay off, it is optimal to eliminate the least costly workers to dismiss, often juniors. The model thus generates relatively higher layoff rates among the most junior workers. Individual layoff risk depends on both absolute tenure and relative tenure within the firm: the most junior (and least costly) workers are cut first, consistent with last-in, first-out patterns documented by Buhai et al. (2014). After layoffs, the firm has less incentive to cut the wages of surviving juniors than of seniors, whose average quality has not improved. The model therefore predicts that junior workers face higher layoff risk but lower wage pass-through than more senior workers. I treat this as a testable implication to be validated in the data.

I use French matched employer–employee data merged with firm production data from 2009–2019 to test the model’s predictions. First, I confirm the literature’s finding (Ehrlich and Montes 2024) that firms that lay off the most exhibit the most rigid wages. I document both the layoff rate and the pass-through of firm-level productivity shocks to the wages of job stayers. Grouping firms by average layoff rates, I find that after a negative productivity shock normalized to 100%, wages in firms firing the least fall by 1.7%, whereas wages in firms firing the most in fact *rise* by 0.2%.

I then confirm the model’s prediction that the connection between layoffs and wage rigidity holds not only across firms but also within firms, across tenure. Workers with tenure below two years face layoff rates of 5–11%, compared with 2% for workers with four to five years of tenure. By contrast, wages of workers with less than one year of tenure *rise* by 0.8% in response to negative productivity shocks, whereas more senior workers’ wages fall by 2.4% in response to a 100% productivity shock. Lastly, I examine relative wage changes between junior and senior workers when a firm begins layoffs: whenever firms lay off workers, a wage gap opens between senior and junior contracts.

I then use the model to quantify how firms choose between wage changes and layoffs in response to productivity shocks. I calibrate the model using simulated method of moments with moments on labor market flows, firm productivity shocks, and firm size estimated from my matched employer–employee data. The model accounts well for the differential response of wages and layoffs to firm-level productivity shocks across cohorts, which are not targeted in the quantification. Impulse response analysis shows that, following negative productivity shocks, junior workers experience significantly larger spikes in layoff risk but almost no wage

cuts.

France is a particularly suitable setting for this study because of its strong labor policies, which I leverage to compare the mechanism of my model with alternative explanations for rigid wages, layoffs, and their heterogeneity. The model incorporates the main labor market policies in place in France, including the minimum wage and severance pay, both of which are substantial relative to the OECD average.

I first consider the impact of a prevalent source of exogenous wage rigidity in France: the minimum wage. Standard theories would predict that a minimum wage increase would result in notably more rigid wages, higher layoff rates, and a lower job-finding rate. In contrast, I find that its impact on both layoffs and the job-finding rate is limited. The intuition is that, unlike in models of exogenously rigid wages, layoffs have value for firms even when wage cuts are available. Moreover, because firms intentionally choose to smooth workers' wages, the minimum wage bound, even when reached, is not as strongly binding for firms. I also consider removing the minimum wage to evaluate its role in generating heterogeneity across worker tenure. Similarly, the impact of removing the minimum wage on layoffs and wage pass-through across worker tenure is small.

Second, I consider the impact of severance pay. In France, although legal severance pay is not high and does not rise much with tenure, in practice firms often reach generous agreements with workers or their representatives (Kramarz and Michaud 2010). This may pose a challenge for my mechanism, as both legal and de facto severance pay scale with tenure, providing an alternative explanation for my empirical findings. To address this concern, I introduce firm-chosen, contract-specific severance pay into the model. I find that it is optimal for firms to offer substantial severance pay. The optimal severance is increasing in tenure and exceeds the legal lower bound, consistent with the situation in France. Intuitively, firms use severance pay to smooth workers' utility, effectively making it *cheaper* to fire workers than to overcompensate them *ex ante* for layoff risk. This again contrasts with theories of exogenously rigid wages, in which severance pay serves primarily to deter firms from firing workers.

The assumption that firms do not discriminate in wages within a contract is central to this paper. In principle, even in the presence of asymmetric information, firms may choose to reveal it in order to gain another lever for controlling workers' search decisions. I offer several justifications for this assumption. First, the intuition of the model relates closely to recent survey evidence on firms' trade-off between wage cuts and layoffs in Bertheau et al. (2025). The modal answer firms give when asked why they prefer layoffs over wage cuts is that "Layoffs give better control over who leaves the firm." Formalizing this story requires layoffs to be a more precise instrument than wages for controlling match destruction.

More generally, recent empirical and survey evidence (Jäger, Schoefer, and Zweimüller 2022; Bertheau et al. 2025; Davis and Krolkowski 2025) points toward inefficient layoffs and multilateral, rather than bilateral, wage agreements—both features that necessitate some degree of wage pooling. One way to frame the contribution of this paper is then that, under a rather fine degree of wage pooling, one can still deliver sufficient layoffs that, furthermore, are not strongly impacted by larger, more aggregate source of wage rigidity. Furthermore, the documented heterogeneity across tenure points in the direction of granularity of wage pooling consistent with my model.

Another possible justification for this assumption is nondiscrimination law: if firms cannot justify why they prefer one worker to another, they cannot selectively change wages. This is distinct from observable differences in worker quality, and the model need not restrict contracts based on observable quality. It is enough to assume the existence of some firm preferences over workers that are not known to the workers themselves.

Lastly, I provide a microfoundation for this assumption. I consider a simplified version of the model in which firms may choose whether to wage-discriminate between workers. This setting becomes a signalling game in which the firm may wage-discriminate in order to provide workers with information about their match quality. I show that, under mild assumptions, a pooling equilibrium of this signalling game exists. One interpretation of the no-wage-discrimination assumption in the main model is therefore that the firm is playing a pooling equilibrium of the larger signalling game.

Because firms face decreasing returns to scale, they manage contracts jointly across employees. In principle, this renders the model intractable: in a recursive formulation, the firm would need to track contracts for a continuum of workers, resulting in an infinite-dimensional state space. Fortunately, with directed search, a firm hires all workers on the same contract within a given period. It is therefore sufficient to track contracts by cohort. This discretizes the state space and makes it finite for firms of finite age: a firm of age ten employs at most ten cohorts. Moreover, up to an approximation, the state space can be bounded: I show theoretically and empirically that cohort wages tend to converge. I use this observation to justify pooling workers beyond a tenure threshold onto the same contract. Thus, instead of optimizing over a continuum of contracts, it suffices to work with a finite set of tenure-specific contracts.

Related Literature This paper contributes to the literature on the roots of wage rigidity. Broadly, two views exist. One treats rigid wages as the endogenous outcome of bilaterally efficient bargaining (Barro 1977; Thomas and Worrall 1988; Balke and Lamadon 2022; Elsby et al. 2024). The other models rigid wages as the result of exogenously imposed frictions (Christiano, Eichenbaum, and Evans 2005; Nekarda and Ramey 2020; Blanco et al. 2025).

Only the latter can directly connect wage rigidity to layoffs: if firms are restricted from cutting wages, they resort to layoffs. This paper connects wage rigidity and layoffs while taking inspiration from the bilaterally efficient view: firms optimally choose both to fire some workers and to refrain from cutting survivors' wages.

The model sits at the intersection of dynamic contracts, firm dynamics, and match heterogeneity.

First, it relates to optimal wage contracts in long-term employment. Building on Thomas and Worrall (1988) and Harris and Holmstrom (1982), optimal contracts have been studied in rich search environments by Burdett and Coles (2003), Menzio and Shi (2011), Fukui (2020), Balke and Lamadon (2022), Souchier (2022), Malgieri and Citino (2024), and Elsby et al. (2024), with emphasis on on-the-job search. Closest are Balke and Lamadon (2022), Souchier (2022), and Malgieri and Citino (2024), who study the insurance–incentives trade-off between risk-averse workers and risk-neutral firms. My contribution is to incorporate layoffs into the insurance contract: firms can pass through negative shocks by either cutting wages or firing workers. Within dynamic insurance contracts, this is also the first paper to allow decreasing returns to scale, so firms jointly manage insurance across their workforce. The closest counterpart is Schaal (2017), where firms with DRS offer dynamic contracts to risk-neutral workers.

Second, it connects to search-and-matching models with firm dynamics, including Acemoglu and Hawkins (2014), Elsby and Michaels (2013), Kaas and Kircher (2015), Schaal (2017), and more recently Gulyas (2020), Bilal et al. (2022), Elsby and Gottfries (2021), McCrary (2022), Rudanko (2023). Relative to Schaal (2017), this paper introduces dynamic contracts with worker–firm risk insurance into this setting. Dynamic contracts are crucial to reconciling within-firm heterogeneity in layoffs and wage pass-through: unlike models with Nash bargaining (McCrary (2022)) or sequential bargaining (Bilal et al. (2022)), workers in the same firm may optimally face different wage paths, layoff risks, and responses to productivity shocks.

Lastly, it relates to models that use match heterogeneity to generate layoffs, such as Berger (2011), Menzio and Shi (2011), and Gregory, Menzio, and Wiczer (2021). In Menzio and Shi (2011) and Gregory, Menzio, and Wiczer (2021), matches dissolve when they become sufficiently unproductive. Berger (2011) use match heterogeneity to explain countercyclical labor productivity and jobless recoveries. The cycle is similar here: firms grow “fat” in high-productivity states and cleanse their workforce when negative shocks arrive. My contribution adapts this mechanism to the wage–firing trade-off: unlike Berger (2011), firms are free to change workers’ wages but choose not to because, after layoffs, their remaining workers are sufficiently valuable to retain.

On the empirical side, this paper draws on the evidence from Bewley (1999). Bertheau et al. (2025) and Davis and Krolkowski (2025), both studying the wage-cut–layoff trade-off. Davis and Krolkowski (2025) survey unemployed workers and find that, while many were open to substantial pay cuts, firms rarely initiated such discussions before resorting to layoffs. Some respondents also conjecture that wage cuts could induce the best workers to leave, suggesting firms do not have complete control over individual wages. On the firm side, Bertheau et al. (2025) merge a large-scale firm survey with administrative data to study incentives to cut wages versus fire workers. They find that wage cuts are often a poor substitute for layoffs because firms want to get rid of particular workers. This paper provides a theoretical foundation for these empirical results.

Lastly, this paper relates to a broad set of studies measuring wage pass-through and, separately, layoffs. My average pass-through estimates align with Souchier (2022) and with estimates from other countries (Guvenen et al. 2017; Guiso and Pistaferri 2020). I document novel differences in wage pass-through by worker tenure: junior workers are subject to negative pass-through, while more senior workers at the firm are subject to a positive and increasing pass-through of productivity shocks on to wages. On layoffs, Buhai et al. (2014) shows that last-in workers are typically the first to leave the firm; both my empirical results and my model are consistent with this pattern. The cross-firm link between layoffs and pass-through is consistent with empirical work by Dias, Marques, and Martins (2013) and Ehrlich and Montes (2024).

2 Model

I present a model of a frictional labor market in which firms sign workers of heterogeneous match quality to dynamic contracts. Layoffs help firms improve workforce composition, making wage cuts less desirable.

2.1 Environment

Time is discrete and indexed by t . The economy is populated by a continuum of firms of measure 1, indexed by $f \in [0, 1]$, and a continuum of workers of measure I , indexed by $i \in [0, I]$. Both types of agents are ex ante homogeneous and infinitely lived, with time-separable preferences and discount factor β . Firms are owned by outside investors who diversify firm-specific productivity risk. Thus firms maximize

$$E_0 \sum_{t=0}^{\infty} \beta^t \pi_{ft}.$$

Workers are risk-averse and have no access to financial markets. They consume home production b when unemployed and wage w when employed. Their utility is

$$E_0 \sum_{t=0}^{\infty} \beta^t u(c_{it}), \quad u(c) = \frac{c^{1-\sigma}}{1-\sigma}.$$

Production

Firms may pay κ_e to start producing and must pay κ_f , representing capital costs of production, each period to remain open. Open firms employ a measure¹ n of workers. Each worker-firm match is either high or low productivity and remains so for the duration of the match. Only the firm observes the quality of an individual match; the proportion of high-quality matches in the firm, z , is common knowledge. Production exhibits decreasing returns to scale in size n and, potentially, in quality z . Production is subject to firm-level shocks $y \in \mathcal{Y}$. Output depends on the numbers of high- and low-productivity matches, n_H and n_L , equivalently on n and z :

$$yF(n_H, n_L) \equiv yF(n, z), \quad n = n_H + n_L, \quad z = \frac{n_H}{n_H + n_L}.$$

Labor market

Each period, entering firms begin with measure 1 of workers, corresponding to the entrepreneur/owner of the firm; incumbent firms choose to hire $\tilde{n} \geq 0$ workers. Workers—both employed and unemployed—search for jobs. Matching occurs in a frictional labor market with directed search, as in Moen (1997). There is a continuum of submarkets indexed by the promised value v to the worker. Firms choose in which submarket to post vacancies at cost c , and workers choose where to search. Within each submarket, matches are formed according to a constant-returns-to-scale matching function; market tightness θ_v , representing the vacancy-workers ratio in a submarket, suffices to determine matching probabilities. Let $p(\theta_v)$ and $q(\theta_v) \leq 1$ denote the job-finding and vacancy-filling probabilities.

Firms are not restricted to a discrete number of vacancies and can deterministically hire \tilde{n} workers from submarket v at cost $\tilde{n} c/q(\theta_v)$. The probability of a newly hired match having high productivity is $z_0 \in [0, 1]$, constant across agents and time. Upon hiring, the firm commits to deliver expected discounted utility v . The hiring trade-off is between the cost of hiring, $c/q(\theta_v)$, and the (higher) cost of employing a worker as v rises. Firms can downsize by laying off a fraction $s \in [0, 1]$ of their workforce and by incentivizing incumbents to find

¹The law of large numbers applies and is used throughout (Sun and Zhang 2009).

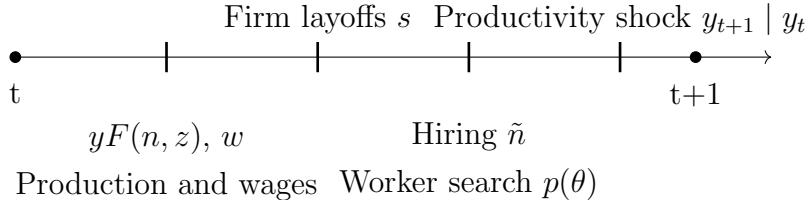


Figure 1: Within-period timeline

jobs elsewhere. Lastly, firms can choose to compensate laid off workers by offering perpetual severance pay sev until they find a new job².

Timing

Each period has four stages (Figure 1). First, production occurs: the firm collects output and pays wage w to each worker. Next, the firm lays off a fraction $s \geq 0$ of its workforce. Fired workers become unemployed and cannot search until next period. Then all workers—employed and unemployed—search, and all firms (entrants and incumbents) hire \tilde{n} . Hiring and search choices occur before next-period productivity y_{t+1} is realized, so agents take expectations $E_{y_{t+1}|y_t}$.

Uncertainty

With hiring being deterministic, there are two sources of uncertainty in the model: firm-level productivity, varying over time, and match quality, constant upon the match forming. Workers are atomistic, making the firm-level shocks the only source of uncertainty at the firm level. Because firms hire a continuum of workers, a fixed measure of new highly hired workers, z_0 , exhibits high quality. Firms then need not concern themselves with the outcome of the quality draw of any particular match. On the workers' side, although they are ex-post concerned with their own match quality, ex-ante they are not aware of their draw. Therefore, just like the firm, workers make their decisions keeping in mind only the measure of the high qual matches.

In the aggregate, the model is deterministic because firms themselves are also atomistic. Each firm-level productivity path is reached by a measure of firms corresponding to the ex-ante probability of reaching said path. Therefore, there is no aggregate uncertainty in the

²In practice, firms offer lump-sum severance pay rather than a perpetual sum. However, without worker's ability to save and consume this sum over multiple periods, the lump-sum pay is not impactful on worker's expected utility. I use perpetual severance as a proxy for the unemployed workers' ability to smooth their consumption

model.

However, during a transition path into the steady-state firms may still need to track the aggregate cross-sectional distribution. To alleviate this, I restrict attention to two versions of the economy: a steady state and, under an additional assumption (Appendix A.5), a block-recursive equilibrium following Menzio and Shi (2011) and Schaal (2017). In either case, firms no longer need to track the aggregate cross-sectional distribution.

Information structure and contracts

Upon hiring, the firm commits to deliver expected utility v via a contract. A contract specifies wages and actions for the matched pair for all future firm-productivity histories $y^\tau \equiv (y_1, \dots, y_\tau) \in \mathcal{Y}^\tau$. Firm productivity histories are common knowledge and therefore fully contractible. By contrast, match-specific productivity z_{if} is private to the firm, and the worker's search decision \hat{v} is private to the worker. The contract is

$$\mathcal{C} = \{w_\tau, s_\tau, sev_\tau, \hat{v}_\tau\}_{\tau=t}^\infty. \quad (1)$$

Here w is the wage policy for each future productivity history. The second component, s , is the *expected* layoff probability from the worker's perspective (who does not observe their match quality). These probabilities are history-dependent: in histories where information about match quality is updated, future layoff probabilities reflect the worker's Bayesian update. For example, after multiple negative shocks that force large layoffs, remaining workers rationally assign higher probability to being high productivity, and subsequent layoff probabilities adjust accordingly³. The third component is severance pay. Firm can commit to perpetually pay severance sev to laid off workers until they find a new job. The last component is the worker's (unobserved) search decision. I focus on contracts in which recommended search is incentive compatible, i.e., the contract specifies workers' search choices subject to the constraint that those choices are optimal for workers.

The contract space allows fully flexible wage and layoff responses to productivity histories. With a continuum of concurrent contracts, the firm can choose how to treat a heterogeneous workforce (by productivity and contract): when a negative shock hits, whom to fire and whose wages to cut. This feature is central and specific to the setting: unlike models with CRS production, these decisions depend on the entire distribution of contracts of match productivities, as well as firm size; unlike dynamic models with Nash bargaining (McCrory

³This statement implicitly assumes that workers believe that the firm fires bad matches first. The firm has no reason to deviate from this if off the equilibrium path, workers still believe that the firm fired bad matches first.

2022) or sequential bargaining (Bilal et al. 2022), workers within the same firm may optimally face different wages, layoff risks, and responses to shocks.

Asymmetric information and no wage discrimination

Firms have private information about each match's quality. In principle, they can choose to disclose this information in order to more effectively wage discriminate or withhold it in order to further insure the workers. This is essentially a signalling game that firms and their workers play.

In Appendix A.3 I consider a simplified version of such a game in order to assess the firm's trade-offs between the two options. I show that, under a sufficiently inelastic probability of retaining a worker, a pooling equilibrium exists and is robust to the Intuitive Criterion (Cho and Kreps 1987). I use this result as suggestive that the pooling equilibrium of the larger game also exists and focus on its implications.

Practically, I thus assume that firms do not reveal any information to individual workers about their match quality except for via layoffs. They do not offer quality-specific wages, severance, or future value, and only reveal the information upon layoffs. An immediate implication is that workers on the same contract and with the same prior about their match quality (for example, workers hired at the same period, as I show later) will also have the same posterior about their individual quality, as long as they stay employed. I discuss the importance and realism of this assumption in Section 2.6.

Labor Market Policies

I introduce two key labor market policies, prevalent in France: minimum wage and statutory severance pay. Both policies act as lower bounds on the choice variables of the firm: minimum wage restricts the wage that the firms may pay to any worker at any point in time, and severance pay, scaling with tenure⁴, similarly restricts the minimum severance that the firm should offer upon layoffs.

Minimum wage is the key source of exogenous wage rigidity, particularly at the bottom of the wage distribution. The key intent of introducing minimum wage is to control for it as it may provide the alternative explanation for both rigid wages and layoffs.

Severance pay is introduced for similar reasons: it is an institutional feature that may offer an alternative explanation for the prediction of my model that junior workers suffer higher layoffs but lower wage pass-through than more senior workers.

⁴This is the key component of severance pay in France. I provide more details in Section 3.1.

2.2 Value functions

The contract and all agents' problems admit a recursive formulation. I begin with workers' problems and then turn to firms managing a continuum of contracts. I show that the firm's problem can be reformulated with a discrete state space.

Worker's problem

Unemployed workers consume home production b as well as any severance they are offered. Each period they choose the submarket that offers the best trade-off between promised future utility and job-finding probability. In a stationary equilibrium (suppressing time subscripts), the value of unemployment U is

$$U(sev) = u(b + sev) + \beta \max_v [(1 - p(\theta_v))U(sev) + p(\theta_v)v]. \quad (2)$$

Consider an employed worker owed value v . Suppose the firm pays wage w this period, lays off with probability s , offers severance sev , and promises future value v' from next period onward. The worker's search problem is

$$v = u(w) + \beta \left[sU(sev) + (1 - s) \max_{\hat{v}} ((1 - p(\theta_{\hat{v}}))v' + p(\theta_{\hat{v}})\hat{v}) \right]. \quad (3)$$

The optimal search target \hat{v} depends only on the promised v' . By raising v' , the firm induces search in higher- \hat{v} submarkets, lowering the probability that the worker exits. Equivalently,

$$v = u(w) + \beta [sU(sev) + (1 - s)R(v')],$$

where $R(v') \equiv \max_{\hat{v}} [(1 - p(\theta_{\hat{v}}))v' + p(\theta_{\hat{v}})\hat{v}]$ is the worker's optimal continuation value given promise v' and no layoff.

Firm's problem

A firm employs a measure n of workers. Let $P(v, z)$ denote the joint distribution of promised values owed to incumbents and their productivity. For each v , the firm chooses the wage w_v , layoff rate s_v , and next period's productivity-history-contingent promised values $\{v'_{v,y'}\}$. The firm may also hire \tilde{n} workers at value \tilde{v} . Each match can be high or low productivity. I rewrite the joint distribution $P(v, z)$ into two distributions: distribution of values $P(v)$ and the proportion of high-productivity matches for each value $z(v)$. The firm cannot set match productivity-contingent wages; it affects match productivity only through layoffs. Because of this, for each set of workers on some value v , firms also optimally fire the less productive matches first: the only difference between firing more or less productive matches is in the effect on actual production, in which case it is always better to fire poor matches.

Lemma 1. *The recursive problem can be expressed recursively as*

$$\begin{aligned}
J(y, n, P(v), z(v)) = & \max_{\tilde{n}, \tilde{v}, \{w_v, s_v, sev_v, v'_{v,y'}\}} yF\left(n, \int z(v)dP(v)\right) - n \int w_v dP(v) - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\
& - \beta n \int s_v \frac{sev_v}{1 - \beta(1 - p(\hat{\theta}_{sev_v}))} dP(v) + \beta E_{y'|y} J(y', n', P'_{y'}(v), z'_{y'}(v)) \\
\text{s.t. } & u(w_v) + \beta [s_v U(sev_v) + (1 - s_v) R(v'_v)] = v \quad \forall v, \\
& v'_v = E_{y'|y} v'_{v,y'} \quad \forall v, \\
& n' = n \int (1 - s_v)(1 - p(v'_v)) dP_v(v) + \tilde{n}, \\
& n' P'_{y'}(v) = n \int \mathbb{1}\{v'_{v,y'} \leq v\} (1 - s_v)(1 - p(v'_v)) dP(v) + \mathbb{1}\{\tilde{v} \leq v\} \tilde{n} \quad \forall v, \\
& n' z'(v) = n \int \mathbb{1}\{v'_{v,y'} \leq v\} \min\left\{\frac{z(v)}{1 - s_v}, 1\right\} dP(v) + \mathbb{1}\{\tilde{v} \leq v\} \tilde{n} z_0 \quad \forall v, \\
& w_v \geq \underline{w} \quad \forall v, \\
& sev_v \geq \underline{sev}_v \quad \forall v
\end{aligned}$$

The firm maximizes the present value of profits subject to honoring each worker's promised value. Because search occurs before the next productivity state is realized, workers care about the expected promised value v'_v rather than particular realizations $v'_{v,y'}$. The last two constraints describe the laws of motion for firm size and the distribution of promises.

Discretizing the problem As written, the state includes a probability distribution—an uncountably infinite-dimensional object. I show that the state space can be discretized, yielding a countably infinite state. First, under directed search, a firm posts in a single submarket and hires at a single value \tilde{v} .⁵ Hence, all workers hired in the same period by the same firm are owed the same expected utility—both at hiring and, given no quality-contingent wages, thereafter. It is therefore equivalent to work with the CDF $P(v)$ or the PMF $\mathbb{P}(V = v)$, with $P(v) = \sum_{v' \leq v} \mathbb{P}(V = v')$. For a firm of age $K < \infty$, there are at most K distinct promised values with positive probability, corresponding to cohorts by tenure $k = t - t_{\text{hired}} \leq K$. The state can thus be recast by tenure:

⁵I rule out behavioral strategies by an individual firm: if indifferent across submarkets, it posts in only one of them. This does not prevent the labor market from being cleared as the firms are atomistic: fixing a firm state, some measure of firms will deterministically post in one submarket, and another – in the other submarkets that require vacancies for clearing.

Lemma 2. For a firm of age K , the problem $J(y, n, P(v), z(v))$ is equivalent to

$$\begin{aligned}
J(y, \{n_k, v_k, z_k\}_{k \leq K}) &= \max_{\tilde{n}, \tilde{v}, \{w_k, s_k, sev_k, v'_{y'_k}\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum_k n_k z_k}{\sum_k n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\
&\quad - \beta \sum_k n_k s_k \frac{sev_k}{1 - \beta(1 - p(\hat{\theta}_{sev_k}))} + \beta E_{y'|y} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) \\
\text{s.t. } & u(w_k) + \beta [s_k U(sev_k) + (1 - s_k) R(v'_{k+1})] = v_k \quad \forall k \leq K, \\
& v'_{k+1} = E_{y'|y} v'_{k+1, y'} \quad \forall k \leq K, \\
& n'_{k+1} = n_k (1 - s_k) (1 - p(v'_{k+1})) + \tilde{n} \quad \forall k \leq K, \\
& z'_{k+1} = \min\left\{\frac{z_k}{1 - s_k}, 1\right\} \quad \forall k \leq K, \\
& n'_0 = \tilde{n}, \quad v'_0 = \tilde{v}, \quad z'_0 = z_0 \\
& w_k \geq \underline{w} \quad \forall k \leq K, \\
& sev_k \geq \underline{sev}_k \quad \forall k \leq K
\end{aligned}$$

This representation both discretizes the state space and clarifies how layoffs and wages interact within cohorts. Although workers do not know their own match quality, they know the cohort-level share of high-quality matches. New hires start with z_0 , and while z_k may evolve, all workers of the same tenure k share the same probability $z_k \geq z_0$ of being high quality. This probability, common knowledge to the firm and workers, depends on layoffs in the cohort.

Free entry and exit

Firms enter by paying κ_e . Upon entry, a firm draws productivity and starts with a single worker. Free entry pins down expected profits at entry:

$$\kappa_e \geq \max_{v_0} \left(-\frac{c}{q(\theta_{v_0})} + \beta E_y J(y, \{1, 0, \dots\}, \{v_0, \dots\}, \{z_0, \dots\}) \right). \quad (4)$$

Incumbents pay an operating cost κ_f each period to stay open. Although firms are committed to every contract with their workers while open, firms are free to exit the market completely. Firms stay open as long as:

$$J(y, \{n_k, v_k, z_k\}) \geq 0. \quad (5)$$

2.3 Equilibrium

An equilibrium is a sequence of worker policies \hat{v} , firm policies $\{w_k, s_k, sev_k, v'_{y'_k}\}_k$, \tilde{v}, \tilde{n} , matching rates, and distributions of workers and firms across submarkets v such that, each period:

- Firms solve the problem in Lemma 2.
- Workers solve (2) and (3).
- Free-entry and free-exit conditions (4)–(5) hold.
- Job-finding and vacancy-filling probabilities are consistent with the matching function.
- Tightness θ_v is consistent with firms' posting and workers' search strategies.
- The labor market clears.

Under the assumption in Appendix A.5, the equilibrium may be block recursive—*independent* of the aggregate distributions. I use that assumption in the quantitative analysis, but not in the theoretical discussion, where I focus on the steady state described above.

2.4 Mechanism

I show how the model generates rigid wages, layoffs, and the connection between the two across worker tenure.

Wage growth I first discuss how the firm chooses to adjust wages of its incumbent employees.

Proposition 1. *For any state $(y, \{n_k, v_k, z_k\})$, wages evolve according to*

$$\frac{1}{u'(w'_{k+1})} - \frac{1}{u'(w_k)} = \eta(v'_{k+1}) E_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}, z'_k\})}{\partial n'_{k+1}},$$

where $\eta(v'_{k+1}) \equiv \frac{\partial \log(1-p(v'))}{\partial v'}|_{v'=v'_{k+1}}$ is the semi-elasticity of the job-finding probability with respect to the promised value.

Proof. See Appendix A.1. □

This relationship captures the insurance–incentives trade-off that the firm faces. When the marginal value of a worker, $E_{y'|y} [\partial J / \partial n'_{k+1}]$, is positive, the firm prefers to retain workers and backloads wages (setting $w'_{k+1} > w_k$). When the marginal value is negative, the firm lowers wages to encourage quits. The sign of the value of retention depends on current productivity via the expectation operator. Therefore, the wage growth depends on how productive the firm is at the moment.

The model exhibits three sources of endogenous wage rigidity. First, workers are risk-averse and thus, by insuring workers against income risk, firm can pay workers a lower

average wage. This tension between providing workers insurance against productivity shocks and incentives via wage backloading is at the core of dynamic contracting models with on-the-job search.

Corollary 1. *For any state $(y, \{n_k, v_k, z_k\})$, future value of retaining cohort k depends on the marginal productivity and future wage of said cohort:*

$$E_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}, z'_k\})}{\partial n'_{k+1}} = E_{y'|y} \left[y' \left(\underbrace{F'_n}_{\text{Size effect}} + \underbrace{F'_z \frac{\partial z'}{\partial n'_{k+1}}}_{\text{Quality effect}} \right) - w'_{k+1} + \beta E_{y''|y} \frac{\partial J(y'', \{n''_k, v''_{y',k}, z''_k\})}{\partial n''_{k+2}} \right]$$

Proof. See Appendix A.1 □

The other two sources of wage rigidity are unique to my model and show up through the value of worker retention. First, there is an counter-acting impact on any retention incentives via firm *size*: if a firm loses some of its workers, via on-the-job search or layoffs, the firm size will fall, propping up the productivity of a marginal worker. This effect is present in response to both positive shocks, when firms grow in size, and negative shocks, when firms shrink. The size effect on marginal productivity is equal across cohorts as can be seen in Corollary 1.

The last source of endogenous wage rigidity concerns worker *selection* and is cohort-specific. When firm fires bad matches, the average quality in the surviving cohort rises, incentivizing the firm to protect the survivors from poaching. This is a case of heterogeneous downward wage rigidity: cohorts that suffer the most layoffs will also benefit the most from this channel.

Both the size and the selection channels revolve around worker retention incentives. To understand further the impact of the channels on wage growth, I first define a value at which the wage growth would be zero.

Definition 1. *The target wage for cohort k , $w_k^*(y, \{n_k, v_k, z_k\}/v_k)$, is the wage associated with the promised value $v_k^*(y, \{n_k, v_k, z_k\}/v_k)$ that solves*

$$M(y, \{n_k\}, v_0, \dots, v_k, \dots, \{z_k\}) \equiv E_{y'|y} \frac{\partial J(y', \{n'_k, v'_k, z'_k\})}{\partial n'_{k+1}} = 0,$$

where $\{n'_k, v'_k, z'_k\}$ are next-period states implied by Lemma 2. The target wage equals

$$w_k^*(y, \{n_k, v_k, z_k\}/v_k) = u'^{-1} \left(- \frac{n'_{k+1}}{\partial J(y', \{n'_k, v'_k, z'_k\}) / \partial v'_{y',k+1}} \right).$$

At the target wage, the cohort's marginal profit is zero, making the firm indifferent to poaching (while still preferring to shed low-quality matches within the cohort). The target wage governs within-firm wage movements.

Proposition 2. For any state $(y, \{n_k, v_k, z_k\})$ and cohort k there exists a target wage w_k^* such that:

1. Wages move toward the target:

$$w_k \leq w_k^* \Rightarrow w_k \leq w'_{k+1} \leq w_k^*, \quad w_k \geq w_k^* \Rightarrow w_k^* \leq w'_{k+1} \leq w_k.$$

2. The farther from target, the faster the adjustment:

$$|w_k - w_k^*| \geq |w_{k'} - w_{k'}^*| \Rightarrow |w'_{k+1} - w_k| \geq |w'_{k'+1} - w_{k'}|.$$

At any state and for any cohort, wages adjust towards w_k^* . The target wage w_k^* will respond to productivity shocks and thus constantly fluctuate, affecting the movement of actual wages and guiding wage pass-through. To understand how the size and the selection channels lead to wage rigidity, I show how the target wage depends on the size and average productivity of cohorts.

Proposition 3. For any state $(y, \{n_k, v_k, z_k\})$ and cohort k :

1. Target wage falls in response to any size state:

$$\frac{\partial w_k^*}{\partial n_{k'}} < 0 \quad \forall k'$$

2. Target wage rises in response to own quality:

$$\frac{\partial w_k^*}{\partial z_k} > 0$$

3. Target wage (weakly) falls in response to other cohorts' quality:

$$\frac{\partial w_k^*}{\partial z_{k'}} < 0 \quad \forall k' \neq k$$

4. Target wages between different cohorts respond equally to any size states or any state variables that are not theirs directly

$$\frac{\partial w_k^*}{\partial n_{\tilde{k}}} = \frac{\partial w_{k'}^*}{\partial n_{\tilde{k}}} \quad \forall k, k', \tilde{k}$$

$$\frac{\partial w_k^*}{\partial z_{\tilde{k}}} = \frac{\partial w_{k'}^*}{\partial z_{\tilde{k}}} \quad \forall k, k', \tilde{k} \neq k, k'.$$

Proof. See Appendix A.1. □

Target wage will respond to firm's choices of hiring new workers or actively retaining current ones via the DRS production function: the more workers the firm has, the less productive is the marginal worker, lowering the wage at which the firm would be indifferent about losing such worker. However, the size effect is equal across cohorts, as shown by the last result. The only state variable having a relatively stronger effect on the particular cohort's target wage w_k^* is its own average productivity z_k .

The only way to change productivity of a cohort is layoffs: by firing less productive matches the firm will raise the average productivity of the cohort, thus also raising their target wage. This in turn gives us the connection between layoffs and wage growth: layoffs s_k will trigger a rise in the corresponding target wage w_k^* . Then, to understand the heterogeneity of wage growth across cohorts, we need to understand when and whom do firms fire.

Layoffs Layoffs are the firm's only instrument to alter within-cohort quality; by item 2 of Proposition 3, they are also the only tool differentially moving target wages across cohorts. To understand the impact of layoffs on wage pass-through and its heterogeneity, I consider when and whom do firms fire.

Proposition 4. Consider a state $(y, \{n_k, v_k, z_k\})$ and a cohort k with $z_k < 1$.

Optimal layoffs satisfy

$$-E_{y'|y} \frac{\partial J'}{\partial n'_{k+1}} (1 - p(v'_{k+1})) + E_{y'|y} \frac{\partial J'}{\partial z'_{k+1}} \frac{\partial z'_{k+1}}{\partial s_k} \frac{1}{n_k} - \frac{R(v'_{k+1}) - U}{u'(w_k)} \leq 0,$$

with $s_k \geq 0$ and complementary slackness.

When does firm fire? Layoffs are more common in low productivity states. Consider a lower productivity state $(\underline{y}, \{n_k, v_k, z_k\}), \underline{y} < y$:

$$s_k(\underline{y}, \dots) \geq s_k(y, \dots) \quad \forall k$$

Who gets fired? Cohorts with lower promised values are more exposed to layoffs:

$$v_k \leq v_{k'} \Rightarrow s_k(1 - z_k)n_k \geq s_{k'}(1 - z_{k'})n_{k'} \quad \forall k' \leq K, z_{k'} < 1.$$

To first order, layoff decisions load equally on quality across cohorts:

$$\frac{\partial s_k}{\partial z_k} = \frac{\partial s_k}{\partial z_{k'}} \quad \forall k' \leq K.$$

Proof. See Appendix A.1. □

As with wages, layoffs trade off the marginal value of a worker, $E_{y'|y}[\partial J'/\partial n'_{k+1}]$, against the compensation cost $(R(v'_{k+1}) - U)/u'(w_k)$. The distinctive term is the quality effect,

$E_{y'|y}[\partial J'/\partial z'_{k+1}] (\partial z'_{k+1}/\partial s_k)/n_k$, since quality cannot be priced but can be *selected* via layoffs. I will now elaborate on how the layoffs connect to the wage rigidity and, furthermore, why is it the junior workers that get fired.

First, note that layoffs are inversely connected to productivity shocks: the lower is the productivity state y , the more the firm fires. Combined with the result 2 from Proposition 3 that layoffs raise target wage (by raising the average productivity of the cohort), this leads to downward wage rigidity: when a negative shock hits, firms fire bad matches and keep wages (relatively) high to retain the survivors.

Second, the connection between layoffs and rigid wages, while generally applicable through the DRS production function, is especially strong in the cohorts that actually suffer layoffs. The last part of the Proposition 4 shows which cohorts are the first to be fired. The lower- v cohorts are more exposed to layoffs regardless of quality (provided $z < 1$). Furthermore, due to the decreasing returns to scale production, it is not just the absolute promised value v that matters, but the relative one: if there are plenty of lower v bad matches to be fired, the firm will never reach the higher paid matches. This suggests that the lower value cohorts will suffer higher layoffs but, due to the increase in their target wage, smaller wage cuts than than the higher paid cohorts.

Finally, to map these results to tenure patterns, note that higher-tenure workers generally have higher promised values than juniors due to two results. First, firms would only hire workers at promised values \tilde{v} where the marginal value of the worker is positive, meaning that the value at hiring is less than the target value: $\tilde{v} < v^*$. Otherwise, the firm would not want to hire at all. Second, due to wage backloading (Proposition 2, item 1), these new hires will experience both wage and value rising over time (main exception being a persistent negative productivity shock right after hiring). Then juniors, being owed less, are therefore more exposed to layoffs than seniors and, via the upward shift in their target wages induced by layoffs, experience smaller wage cuts (if any) than seniors.

2.5 Impact of Policies

I briefly discuss the impact of the two policies introduced into the model: statutory severance pay and minimum wage.

Firms have to offer tenure-specific payments sev_k at least as large as the statutory level \underline{sev}_k that scales with worker tenure. I show that it is in fact optimal for firms to scale their severance pay with worker tenure. Therefore, unless exceptionally high, the statutory severance pay is not binding for firms and thus does not offer the alternative explanation for the high layoff rate of the juniors.

I show that the severance structure involves higher payments for higher paid workers.

Proposition 5. *For any state $(y, \{n_k, v_k, z_k\})$ and cohort k the severance payments are given by*

$$\frac{u'(b + sev_k)}{u'(w_k)} = 1 - \frac{\beta sev_k \frac{\partial p(\theta_{sev_k})}{\partial sev_k}}{1 - \beta(1 - p(\theta_{sev_k}))}$$

$$\theta_{sev_k} = \theta(\arg \max_v [(1 - p(\theta_v))U(sev_k) + p(\theta_v)v])$$

Proof. See Appendix A.2. □

Note that, besides $u'(w_k)$, all the components of the severance payment are independent of both the firm state and the worker tenure. It is then immediate to notice that higher paid workers will have higher severance payments: as $\frac{1}{u'(w_k)}$ rises, the value to the firm of the severance payment goes up, while costs stay the same. Therefore, the firm will optimally choose to offer higher severance payments to higher paid workers. Lastly, senior workers are generally on higher pay than more junior workers and thus will enjoy higher severance pay upon layoffs. The question of the comparison between the optimal value that the firms might offer and the mandated one is quantitative, not qualitative.

Minimum wage \underline{w} has a direct impact on the downward wage rigidity of lower paid workers, generally juniors. Although my model does not require minimum wage to generate higher layoffs and lower wage pass-through of junior workers, it is crucial to distinguish between the two stories as they differ strongly in their implications. I leave the question of the size of the impact of both minimum wage and statutory severance pay to the quantification of the model.

2.6 Assumption discussion

I provide a brief discussion on the main assumptions of my model and their relevance for the mechanism.

On-the-job search On-the-job search is a crucial assumption of this model as it creates incentives for the firm to change workers' wages. If worker's on-the-job search decision was observable and, thus, directly contractible, the firm could offer the worker pay only for the on-path, preferred, search choice, and zero for everywhere else. At its very core, this is a classic dynamic moral hazard problem where the firm uses wages as a tool to control the worker's unobserved action. The introduction of risk-aversion alongside this unobservable action makes the core mechanism similar to that of Hopenhayn and Nicolini (1997), who

design optimal unemployment insurance between a risk-neutral principal and the risk-averse worker with unobservable search effort.

Risk-aversion Risk-aversion is the key reason why the firm is keeping wages smooth. Absent risk-aversion, the moral hazard problem of the firm would become null as, even absent direct contractibility of search, the firm would be able to costlessly backload workers' wages so as to incentivize them to search exactly where the firm wants them to search. This is the case of Schaal (2017), where firm with decreasing returns to scale offers dynamic contracts to risk-neutral workers. Thanks to the risk-neutrality assumption, the firm optimization problem becomes equivalent to maximizing the total surplus of the firm and all its workers. However, in such a model, exactly because wages are so flexible, they are undetermined.

Decreasing returns to scale Absent decreasing returns to scale, there would not be wage rigidity generated through changes in firm size, as discussed in the previous section. Furthermore, decreasing returns to scale provide the model with additional structure for comparison across workers and firms. DRS provide the implications for layoffs and wage pass-through not just across tenure at the firm, but *seniority* – the relative position of the worker at the firm. This is consistent with the last-in-first-out layoff structure (LIFO), documented in Buhai et al. (2014).

Asymmetric information and no-wage-discrimination Firms have private information about each worker's match quality that they do not disclose. As I show on a simplified version of the model in Appendix A.3, the latter can be an outcome of the former.

This is key for generating meaningful layoffs in the model. Under complete information, or in the separating equilibrium of the larger signalling model, the firm would only destroy matches if they were inefficient, which is inconsistent with the recent empirical and survey evidence (Jäger, Schoefer, and Zweimüller 2022; Davis and Krolkowski 2025). Furthermore, neither case would result in tenure-specific wage pass-throughs.

There are two important clarifications. First, the model does not in principle require all heterogeneity in match quality to be unobserved by workers. It is sufficient for the match quality to only be partially observed by the workers upon hiring. Similarly, observed worker heterogeneity is also plausible and not contradicting of any of this model's results. I abstract from these considerations for simplicity purposes.

Second, given the asymmetric information, the focus on the pooling equilibrium of the larger signalling game appears more consistent with the firms' views on the layoffs versus wage cuts trade-off than the separating equilibrium. As highlighted in Bertheau et al. (2025),

the fear of worker quits is one of the two key considerations on the pay cut margin (alongside morale). If firms did wage discriminate based on match quality, this concern would not arise. Furthermore, whenever firms cut pay, wage cuts were found to be widespread, rather than targeted, suggesting the wage agreement between the firm and its workers is of multilateral nature.

3 Empirical evidence

I document the relationship between layoffs and wage cuts using French matched employer–employee data. I examine how layoff rates and the wage pass-through of firm-level productivity shocks vary across firms and across worker tenure, and find substantial heterogeneity along both dimensions. These facts validate the qualitative predictions of my model.

3.1 Institutional Context of the French Labor Market

Relative to other advanced economies, France’s labor market combines high coverage of collective agreements with low union density, a national minimum wage indexed to inflation, and moderate-to-strong employment protection in international comparison (OECD and AIAS/ICTWSS 2025; OECD 2020). Compared with the United States, France features substantially less decentralized wage setting and stronger wage floors; compared with Denmark, where the survey by Bertheau et al. (2025) was conducted, France relies more on sectoral wage grids and statutory floors, with lower job-to-job mobility and stricter dismissal rules on average (OECD 2025b).

I focus on three French institutions that directly shape firms’ trade-off between wage adjustments and layoffs: the high national minimum wage, sectoral bargaining and the extension of wage floors, and legal versus de-facto severance pay.

National minimum wage. France minimum wage is indexed to consumer prices (and, under conditions, to average hourly wages), revalued by government decree.⁶ In comparative terms, the minimum wage sits high relative to the wage distribution and, during the 2021–2024 inflation episode, often *caught up* with negotiated or slightly-above-floor wages, expanding the share of workers affected (OECD 2025a; France Stratégie 2024). This makes the minimum wage a binding constraint primarily at the bottom of the distribution.

Implications for empirics. To avoid mechanical truncation of wage changes, I exclude observations less than 5% above the concurrent minimum wage in my specification. In

⁶Legal basis and indexation details in Eurofound (2024).

Appendix B.2.1 I consider alternative minimum wage cutoffs. and find little difference in my results.

Sectoral bargaining and extended wage floors. Collective bargaining in France is organized mainly at the branche (sector) level. The Ministry of Labour frequently extends sectoral agreements to non-signatory firms, which keeps bargaining coverage very high despite low union density (OECD and AIAS/ICTWSS 2025). Sectoral agreements typically specify wage grids by occupation/qualification. Empirically, the lower rungs of many grids are anchored by the national minimum wage: when the minimum wage is revalued, the lowest steps can be temporarily overtaken and must be renegotiated to restore compliance (France Stratégie 2024; Langevin 2018). Recent monitoring also noted numerous branches with minima below the updated minimum wage pending revision, underscoring that sectoral floors rarely remain much above the statutory floor for long.⁷

Implications for empirics. Removing observations near minimum wage also attenuates the binding force of sectoral floors in my analytical window. In interpreting wage pass-through, I thus treat sectoral bargaining as setting reference wage structures whose binding power is strongest at the bottom, rather than pervasive hard constraints in the middle of the distribution.

Separation rules and severance pay. Statutory severance for layoffs on open-ended contracts (CDI) follows a tenure-based formula (at least $\frac{1}{4}$ month per year up to 10 years, then $\frac{1}{3}$ per year thereafter), with possible top-ups from collective or firm agreements (Service-Public.fr 2025). In practice, *de-facto* payouts are often higher than the legal minimum due to negotiated arrangements: (i) *Rupture conventionnelle* (mutual termination) has been widely used since its introduction, with median indemnities exceeding the legal minimum and substantial dispersion across tenure and occupational groups (DARES 2022); (ii) *transactional* settlements attached to dismissals (used to reduce litigation risk) further raise realized payouts within tax/social thresholds.⁸

Implications for empirics and mechanism. I interpret this setting as indicative of high endogenous severance pay, initiated by firms. With this in mind, I do not take into account the legal severance pay costs in my empirical setting and instead ask whether the model endogenously delivers sufficiently large severance payments as part of the optimal contract.

⁷See, e.g., union monitoring note (Force Ouvrière 2025).

⁸Administrative and legal syntheses referenced in (DARES 2022).

3.2 Data

I use administrative data from France between 2009 and 2019. The four key variables for the analysis—wages, layoffs, productivity, and tenure—are either directly available or can be constructed given the richness of the data. I combine a worker panel from social-security records covering one-twelfth of the French labor force (providing wages, layoffs, and tenure) with annual firm balance-sheet data (providing productivity). For the sample, I focus on prime-age workers (25–55) in private-sector jobs with wages at least 5% above the national minimum wage at the time. The remaining sample contains 265,000 unique firms and 880,000 unique workers per year. I next describe how I construct the four key variables.

I measure labor productivity using value added per worker, as reported in the balance-sheet data. I model labor productivity y_{fst} at firm f in sector s at time t as

$$\log y_{fst} = \log a_t + \log b_{st} + \log x_{ft},$$

where a_t is the aggregate component, b_{st} is a sectoral component, and x_{ft} is a firm-level component. I residualize $\log y_{fst}$ on time dummies to extract the common time component, measure the sectoral component $\log b_{st}$ as the average productivity within a sector, and compute the firm component $\log x_{ft}$ as the residual. In what follows, I focus on firms' responses to the firm-specific component x_{fst} to abstract from broader general-equilibrium effects.

I measure wages as annual, CPI-adjusted labor earnings divided by days worked. Labor earnings are net of payroll taxes but pre-income tax, and include all forms of compensation (including bonuses and payments in kind) but exclude stock options. I residualize log wages on occupation, firm, and region dummies, as well as a quadratic in worker experience. I focus on job-stayer wage growth $\Delta \log w_{ift}$ for workers continuously employed at firm f in years $t - 1$ and t . After computing growth rates for both productivity and wages, I trim the bottom and top 5% of each year's distributions.

I measure layoffs as breaks in employment spells of at least four weeks. The idea is that job-to-job transitions rarely entail long breaks, and given the low job-finding rate in France, recently laid-off workers are unlikely to find employment within a month. This is a standard approach in empirical work using matched employer-employee data, used to identify both layoffs and job-to-job transitions. Examples include Haltiwanger et al. (2018), Souchier (2022), and Bertheau and Vejlin (2025).

Lastly, workers' tenure at the firm is directly observed in the data. For the cross-tenure regressions, I focus on the first ten years of tenure; beyond that, differences across cohorts are small.

	Layoff rate	Wage change
Low layoff rate	0.05%	0.017*** (0.0006)
Medium layoff rate	1.5%	0.012** (0.0008)
High layoff rate	9.7%	-0.002*** (0.0006)

Table 1: Wage pass-through across firms. Data: DADS Panel + FARE, 2009–2019.

3.3 Wages and layoffs across firms

I begin by confirming the existing finding that firms exhibiting the most rigid wages lay off the most workers (see Ehrlich and Montes (2024)). To facilitate comparison, I group firms into terciles $d \in D$ based on their average layoff rates. For each group, I estimate the response of wage growth to firm productivity shocks. Define the growth rate of residualized wages for worker i in firm f between years $t - 1$ and t as $\Delta \log w_{ift}$ and the growth rate of firm productivity as $\Delta \log(x_{ft})$. I estimate:

$$\Delta \log w_{ift} = \sum_{d \in D} \mathbf{1}\{f \in d\} (\alpha^d + \beta^d \Delta \log(x_{ft})) + \epsilon_{ift}.$$

Average layoff rates and estimated wage pass-throughs across firms are reported in Table 1. Firms in the low-layoff tercile raise wages by 1.7% in response to a 100% productivity shock. Firms in the middle tercile, with an average layoff rate of 1.5%, raise wages by 1.2%. Lastly, high-layoff firms, averaging 9.7% layoffs, reduce wages by 0.2% in response to a positive shock. For robustness, I consider additional controls: experience, firm, occupation, and region fixed effects – in Appendix B.2.2.

These results show that firms laying off the largest share of workers also exhibit the least responsive—and even negatively responsive—wages. This pattern is consistent with both the classical account (firms resort to layoffs when they cannot cut wages) and the mechanism developed here.

3.4 Wages and layoffs across tenure

Beyond cross-firm heterogeneity, the connection between rigid wages and layoffs also appears within firms, across worker tenure. Prior work has documented heterogeneity in layoff rates (e.g., Buhai et al. (2014)). This paper is the first to document heterogeneity in wage pass-through.

Let workers' tenure be $ten \in T$, observed directly in the employer–employee data. Unlike the firm-level analysis, I consider each worker cohort up to five years of tenure. I run two regressions. First, analogous to the across-firm case, I estimate the response of wages to firm-level shocks across tenure:

$$\Delta \log w_{ift} = \sum_{ten \in T} \mathbf{1}\{ift \in ten\} (\alpha^{ten} + \beta^{ten} \Delta \log(x_{ft})) + \epsilon_{ift}. \quad (6)$$

Second, I estimate layoff rates using the individual layoff event EU_{ift} for worker i in firm f at year t :

$$EU_{ift} = \sum_{ten \in T} \mathbf{1}\{ift \in ten\} \alpha^{ten} + \epsilon_{ift}.$$

I also examine asymmetry in pass-through. Negative productivity shocks are when firms are most inclined to use wage cuts and layoffs. Although downward wage rigidity is well established (e.g., Hazell and Taska (2021)), its heterogeneity across tenure is less explored. To estimate it, I modify (6) by interacting productivity growth with an indicator for negative shocks, letting $\Delta \equiv \Delta \log(x_{ft})$:

$$\Delta \log w_{ift} = \sum_{ten \in T} \mathbf{1}\{ift \in ten\} (\alpha^{ten} + \beta^{ten} \Delta + \tilde{\beta}^{ten} \mathbf{1}\{\Delta < 0\} \Delta) + \epsilon_{ift}.$$

Table 8 reports the results. Junior workers exhibit the smallest average pass-through. At the same time, senior workers face layoff rates up to 5.5 times lower than juniors. Regarding downward rigidity, juniors benefit most: their response to positive shocks is largest, whereas their response to negative shocks is near zero. More senior cohorts display much less asymmetry in pass-through and are therefore more exposed to pay cuts than juniors. Same as for the results across firms, I consider additional explanatory variables in Appendix B.2.2.

I interpret these findings as evidence of a cohort-level trade-off between wage cuts and layoffs: whenever and wherever firms lay off workers, they cut survivors' wages less. The heterogeneous treatment of cohorts cannot be explained by standard stories of wage rigidity (minimum wages, sectoral bargaining, morale costs) without additional assumptions. Likewise, as discussed above, statutory severance payments in France rise only slightly with tenure.

3.5 Senior/junior wage gap response to layoffs

I shift the angle of analysis and examine how the wage gap between senior and junior workers responds to layoffs. Unlike earlier analyses, I neither study the overall cross-section nor condition on productivity shocks. The goal is to examine how layoffs—typically concentrated among juniors—affect within-firm wage inequality.

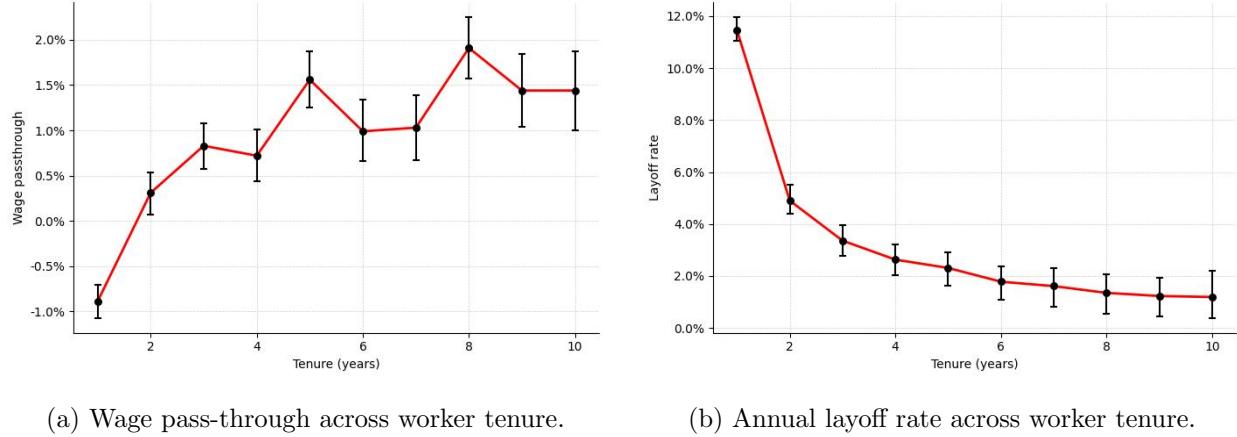


Figure 2: Wage pass-through and layoff rate across worker tenure. Points indicate estimates and the bars indicate 95% confidence intervals

	Layoff
Intercept	0.0031*** (0.0001)
EU	−0.0036*** (0.0006)

Table 2: Senior–junior wage log change in response to layoffs. Data: DADS Panel + FARE, 2009–2019.

For each firm–year, I compute the median tenure and take the ratio of wages for workers above and below the median, $\bar{w}_{sen,f,t}/\bar{w}_{jun,f,t}$. I then compute the log change in this ratio over time and regress it on layoffs:

$$\Delta \log(\bar{w}_{sen,f,t}/\bar{w}_{jun,f,t}) = EU_{ft} + \epsilon_{ft}.$$

Estimates appear in Table 2. On average, the wage ratio rises over time (likely reflecting new hires), but it falls when layoffs occur, suggesting that surviving juniors experience faster wage growth than surviving seniors. These results are consistent with the interpretation that firms lay off junior workers and then cut the wages of surviving juniors by less than those of surviving seniors.

4 Quantitative Analysis

I calibrate the model using administrative data from France and assess whether it reproduces the empirical evidence on wage pass-through and layoffs across firms and tenure. I introduce

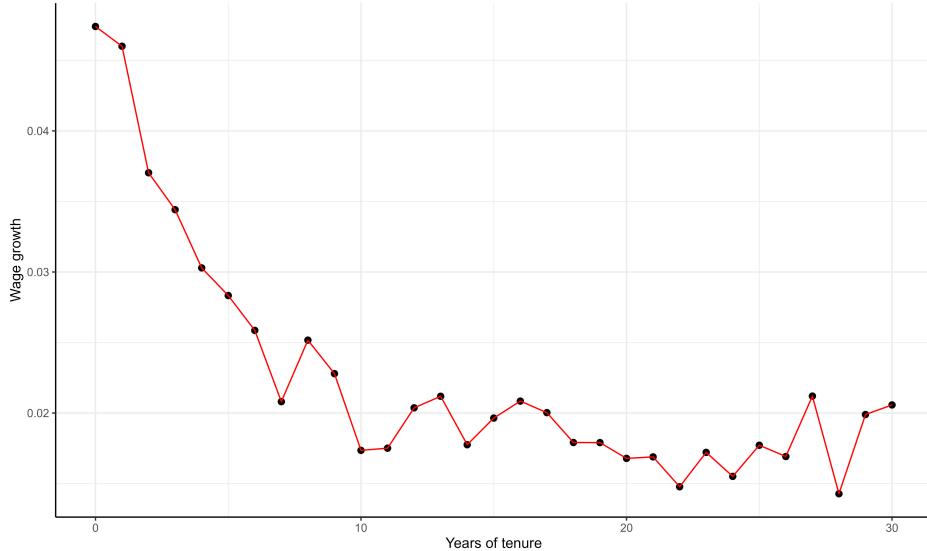


Figure 3: Wage growth across worker tenure

several policies prevalent in French labor market and use the model to assess their impact. I find that an exogenous source wage rigidity, minimum wage, has only a muted impact on hiring and layoff rates.

4.1 Solving the model

The tenure-based formulation yields a discrete—though expanding—state space. To make the problem fully tractable, I note that wages in contracts tend to converge, a result that follows from the propositions above. A corollary of Proposition 2 is that wages for cohorts with the same quality converge because they share the same target wage. I also expect quality across cohorts to converge.

The intuition for contracts converging is as follows. First of all, lower quality cohorts have lower target wages due not being as productive. Over time, due to tracking the minimum wage, the lower quality cohorts will also have a relatively lower value as compared to other, higher quality, cohorts. By Proposition 4, these cohorts are then more likely to suffer layoffs, thus catching up in quality to other cohorts. Now of higher average quality, these cohorts have a higher target wage and will thus catch up in wages and value over time.

Given convergence, the practical question is how quickly it occurs—or, equivalently, how many cohorts to track. Empirically, Figure 3 shows that CPI-adjusted log wage growth in France flattens after about ten years of tenure. I therefore restrict attention to a finite and constant $K \leq 10$ for all firms in the quantitative analysis. This is an approximation: as $K \rightarrow \infty$, the model converges to the problem in Lemma 2.

A second complication, common in dynamic-contract models, is the large action space because $\{v'_{y',k}\}$ grows with the number of productivity states. Appendix A.4 shows that the problem can be solved in its dual form by choosing future marginal utilities—constant across productivity realizations—instead of promised values.

Lastly, I solve for a block-recursive equilibrium. As shown in Appendix A.5, such an equilibrium exists when all new hires enter at the same promised value v_0 ; any additional value associated with higher submarkets v is paid as a sign-on wage. I set v_0 equal to the unemployment value U .

4.2 Model specification

For quantifying the model, I focus on the CRS version of the firm production function. I work at annual frequency: contracts in France are rarely updated more than once per year, which facilitates cohort tracking. I set the discount factor to $\beta = 0.96$, consistent with a 4% annual interest rate. I work with the logarithmic utility.

Production is a concave function of quality-adjusted quantity:

$$F(n, z) = [n(z + \alpha_z(1 - z))]^\alpha.$$

I set $\alpha = 1.0$, consistent with the CRS production. Idiosyncratic firm-level productivity y follows a uniform Markov process as in Balke and Lamadon (2022): with probability λ_y productivity is redrawn uniformly; otherwise it remains unchanged. I normalize the expected value of y to 1.

Matching follows a CES contact-rate function (as in Menzio and Shi (2011)):

$$p(\theta) = \theta [a^\gamma / (a^\gamma + \theta^\gamma)]^{1/\gamma}, \quad q(\theta) = [a^\gamma / (a^\gamma + \theta^\gamma)]^{1/\gamma}.$$

I use a common estimate of the curvature $\gamma = 0.8$ and normalize the vacancy posting cost $c = 1$.

Minimum wage

I introduce national minimum wage directly into the baseline of the quantitative model. The intent is to control for the key source of exogenous wage rigidity, which is a potential alternative explanation for both rigid wage and layoffs, in France. In the policy analysis, I will discuss the relevance of the minimum wage for reconciling the data, and its impact, alongside other labor policies, on the economy. This leaves 10 parameters to be estimated with 10 moments in the data.

Moments	Data	Model
Rate of new hires	12.8%	12.2%
Annual separation rate of the bottom prod tercile	3.9%	3.6%
Annual separation rate of the top prod tercile	3.0%	2.8%
Annual job-to-job transition rate	6.3%	5.4%
Tenure profile of wages at 10 years	6.4%	6.2%
s.d. of firm productivity growth	0.39	0.30
Annual persistence of firm productivity	0.79	0.73
Ratio of minimum wage to mean wage	0.45	0.46

Table 3: Targeted moments in data vs. model

4.3 Moments of interest

I target four sets of moments: transition probabilities, wage growth, productivity dynamics, and firm dynamics. I proceed with an informal discussion of what moments influence which parameters most.

Transitions. I measure annual job-to-job (E2E) and unemployment-to-employment (U2E) transitions. For the hiring rate, I use the share of newly hired workers among all observations. U2E and E2E map directly to vacancy c and relative search of efficient of job-to-job transitioners, λ_{jj} , respectively. I obtain an E2E rate of 6.3% and a 12.8% share of new hires economy-wide.

Layoffs across productivity. I track the distribution of employment-to-unemployment (E2U) rates across firms by productivity. I separate firms into productivity terciles, and take average layoff rate from the top and bottom terciles. These moments discipline match-heterogeneity parameters: the lower the relative productivity of low-quality matches α_z , the more even highly productive firms will lay off workers. After sufficiently positive productivity shocks, firms hire; when q_0 (the share of high-quality new matches) is small, subsequent layoffs are more likely.

Wage growth by tenure. I use wage growth over the first ten years of tenure to discipline unemployment production b . Intuitively, wages rise until a cohort's marginal profit reaches zero; the lower the cohort's starting point (which depends on the unemployment outside option), the larger the initial wage growth. I document 6.1% wage growth after five years of tenure.

Productivity dynamics. I measure the standard deviation and persistence of firm-level productivity (net of aggregate and sectoral effects) to discipline productivity parameters λ_y

Parameters	Value	Parameters	Value
Unemployment production b	0.59	Share of high-quality matches z_0	0.57
Firm productivity persistence λ_y	0.95	Relative productivity α_z	0.50
Firm productivity variance σ_y	0.65	Minimum wage w_{min}	0.85
Matching efficiency α	0.72		
On-the-job search efficiency λ_{jj}	0.78		

Table 4: Estimated model parameters

and σ_y . Firm-level productivity is moderately persistent with coefficient 0.79. Its standard deviation is 0.39, the largest among productivity components, consistent with comparable estimates of 0.81 and 0.30 in Souchier (2022).

Firm dynamics. To discipline firm entry cost κ_e , I target a 6% share of jobs created by entering firms. Because fixed cost κ_f affects exit and thus selection, I target an average firm size of 32.5. For comparison, the average establishment size is 17.9, close to 15.6 in the 2002 U.S. Economic Census.

4.4 Model Fit

For the time being, I solve the model with constant returns to scale and estimate it via indirect inference. In this simplified specification, there is no need for firm entry and maintenance costs, and thus, the related moments are also not targeted.

The model fit, as shown in Table 3, can be improved. On the transition probabilities side, both the overall proportion of new hires and the proportion of the job-to-job transitioners fall under their empirical counterparts. On the other hand, the model overestimates the layoff rate occurring in the data, especially at the bottom tercile.

The model currently does not exhibit large enough wage growth, which, alongside the overestimated layoffs, suggests that the unemployment production b could be even lower.

Lastly, the standard deviation of firm productivity growth is notably undervalued. One possible explanation is that the relatively standard parameters values for the volatility of the firm shock that I employ are not large enough to overpower the smoothing effect that the layoffs have on the overall firm productivity.

Parameter Values The corresponding parameter values are presented in Table 4.

The fairly high tenure profile of wages suggests a low value of home production $b = 0.59$. This is above the values used in standard calibrated DMP models like Shimer (2005), but still notably below the calibration of Hagedorn and Manovskii (2008), and well in the range of

values (47% to 96%) proposed by Chodorow-Reich and Karabarbounis (2016). This relatively low value also highlights that the model does not need the matches to be inefficient (that is, for match productivity to be below home production) in order to generate layoffs.

The firm productivity parameters are comparable to those in Balke and Lamadon (2022), which is unsurprising given that I am applying the same approach to generate firm productivity shocks. However, my model required a stronger variance in firm productivity, which comes down to two facts: first, unlike in their model, I only have a single source of productivity shocks, at the firm level; second, in my model, firms can endogenously adjust their productivity via layoffs, essentially smoothing the observed firm productivity process.

Both the matching efficiency, relative to the vacancy cost normalized to 1, and the on-the-job search efficiency values are similar to the calibration of Menzio and Shi (2011) for the case where match quality is only observed upon the match being formed, exactly consistent with the story of my model. Crucially, however, my model does not need neither exogenous job destruction nor high unemployment productivity to generate layoffs.

Lastly, the match heterogeneity parameters are closely comparable to those of Gregory, Menzio, and Wiczer (2021), who estimate a Menzio-Shi-like model of directed search with match heterogeneity and calibrate their model to match the proportion and moments (including layoff rates) of three types of workers observed in the data: the alphas, beta, and gammas. Curiously, although my model does not target the specific transition rates across match types, it arrives at extremely similar parameter values: the relative productivity of the low quality match $\alpha_z = 0.50$ falls right inbetween the relative productivities of the less productive types beta, 0.623, and gamma, 0.459. Even more surprisingly, the proportion of high quality matches $z_0 = 0.57$ is exactly equal to the proportion of workers of type alpha documented by Gregory, Menzio, and Wiczer (2021).

4.5 Untargeted moments

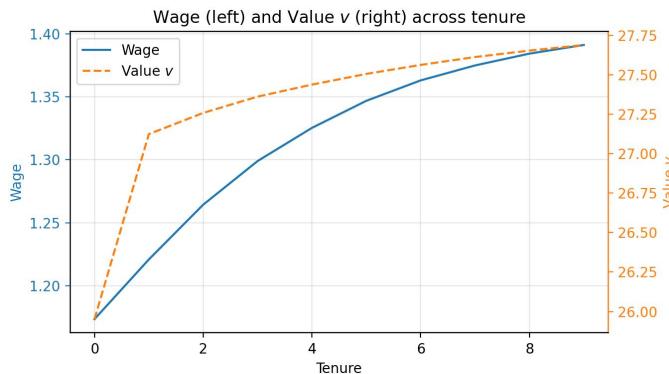
I perform two exercises to validate my model.

I first confirm the conjecture that junior workers are on the lower wage and promised value than the more senior workers. This conjecture is important as my theory does not address heterogeneity across worker tenure directly, and instead only through the differences in the promised value and average quality across cohorts.

To test this, I measure the average wage and expected across worker tenure in my simulated panel. Figure 4a shows the wage and value profile and Table 4b shows the estimates of an OLS regression of wages and value on tenure. Both wages and worker promised value rise with worker's tenure at the firm, suggesting that the model's theoretical predictions across

	Data		Model	
	Layoff rate	Avg. wage pass-through	Layoff rate	Avg. wage pass-through
< 1 year	11%*** (0.0002)	0.000 (0.004)	5.80%***	-0.029***
1–2 years	5%*** (0.0002)	0.004 (0.004)	0.70%***	0.013***
2–3 years	3%*** (0.0002)	0.008** (0.002)	0.40%***	0.009***
3–4 years	2%*** (0.0002)	0.008* (0.003)	0.20%***	0.019***
4–5 years	2%*** (0.0002)	0.017*** (0.004)	0.10%***	0.019***

Table 5: Layoffs and wage pass-through across tenure in the simulated model.



(a) Plot: average wage and promised value across worker tenure.

	Wages	Value v
Intercept	1.151*** (0.0000)	25.897*** (0.0001)
Tenure	0.022*** (0.0000)	0.121*** (0.0000)

(b) Regression: average wage and promised value across tenure

Figure 4: Wage growth and promised value (left) alongside regression summary (right).

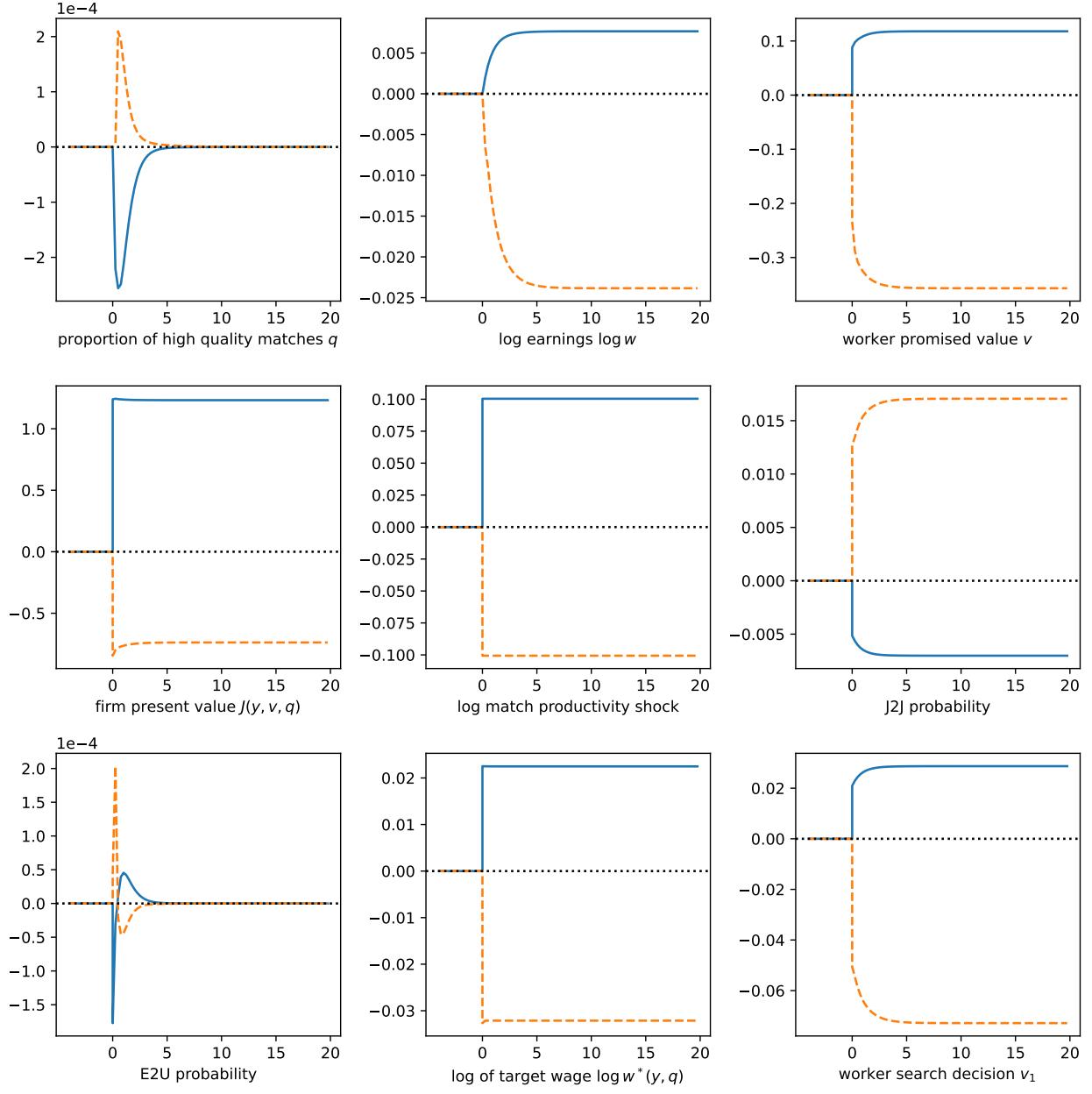


Figure 5: Impulse response to a permanent productivity shock. Blue represents a positive shock, orange – negative shock

cohorts' values can be translated into predictions across worker tenure.

Second, I assess whether the model reproduces the heterogeneity in layoffs and wage pass-through across firms and tenure documented in Section 3. I perform the same regressions on my panel data as in the empirical section, estimating layoff rates and wage pass-through across groups of workers (based on tenure).

The results for heterogeneity across tenure are presented in Table 5. At the current

stage, undervalues layoffs in general but overvalues the difference in layoffs across cohorts: juniors suffer a 2.5 times smaller layoff rate than in the data, while more senior workers suffer between 7-30 lower layoff rates.

On the wage pass-through side, the juniors show strongly negatively responsive wages, but wage pass-through of more senior workers is fairly comparable to the data.

4.6 Impulse response analysis

I report the impulse responses in the model to permanent positive and negative innovation shocks to firm productivity y , scaled to generate a 10% output change. In practice, I simulate the histories of a cross-section of firms, and compare a treatment group that receives the permanent productivity shock with a control group that does not. Figures 5 and 6 report the differences in variables of interest between the control and treatment groups around the event at time 0. For each case, I simulated firms that existed at the last stage of the simulation that produced the results above. The Figure 5 show the average response across all such cohorts, and Figure 6 focuses on the cohorts that have just recently formed.

After a permanent positive shock to firm productivity, workers are immediately subjected to a fall in layoff risk and, with a delay, a hike in wages. However, the layoff rate change is minimal, as reflected in almost no change to the target wage $\log(w^*)$. Following a rise in wages, the job-to-job transition probability falls as workers are even less incentivized to find jobs elsewhere. The response to a negative shock, while generally the opposite of the response to a positive shock, differs slightly as a firm now has more “opportunity” to lay off poor matches. This is highlighted in the fact that the value of a marginal worker in the cohort changes by a notably smaller amount.

The impulse response for junior cohorts, shown in Figure 6, highlight the impact of layoffs much more starkly. Upon a negative productivity shock, the layoff rate spikes sharply enough that the impact is apparent in the target wage and all the related policies: upon layoffs, the wage arrives back to almost the original value, overall a much smaller wage drop than for seniors. This minimal impact on wages is highlighted also in the job-to-job transition probability of the worker that essentially does not change after the negative shock.

The effect of the permanent positive shock is similarly muted, due to the fact that quite a few of the low productivity junior matches that would have been fired otherwise, have been retained after the shock. This incentivizes the firm to not raise wages too much, as shown in the sudden fall in worker promised value v' .

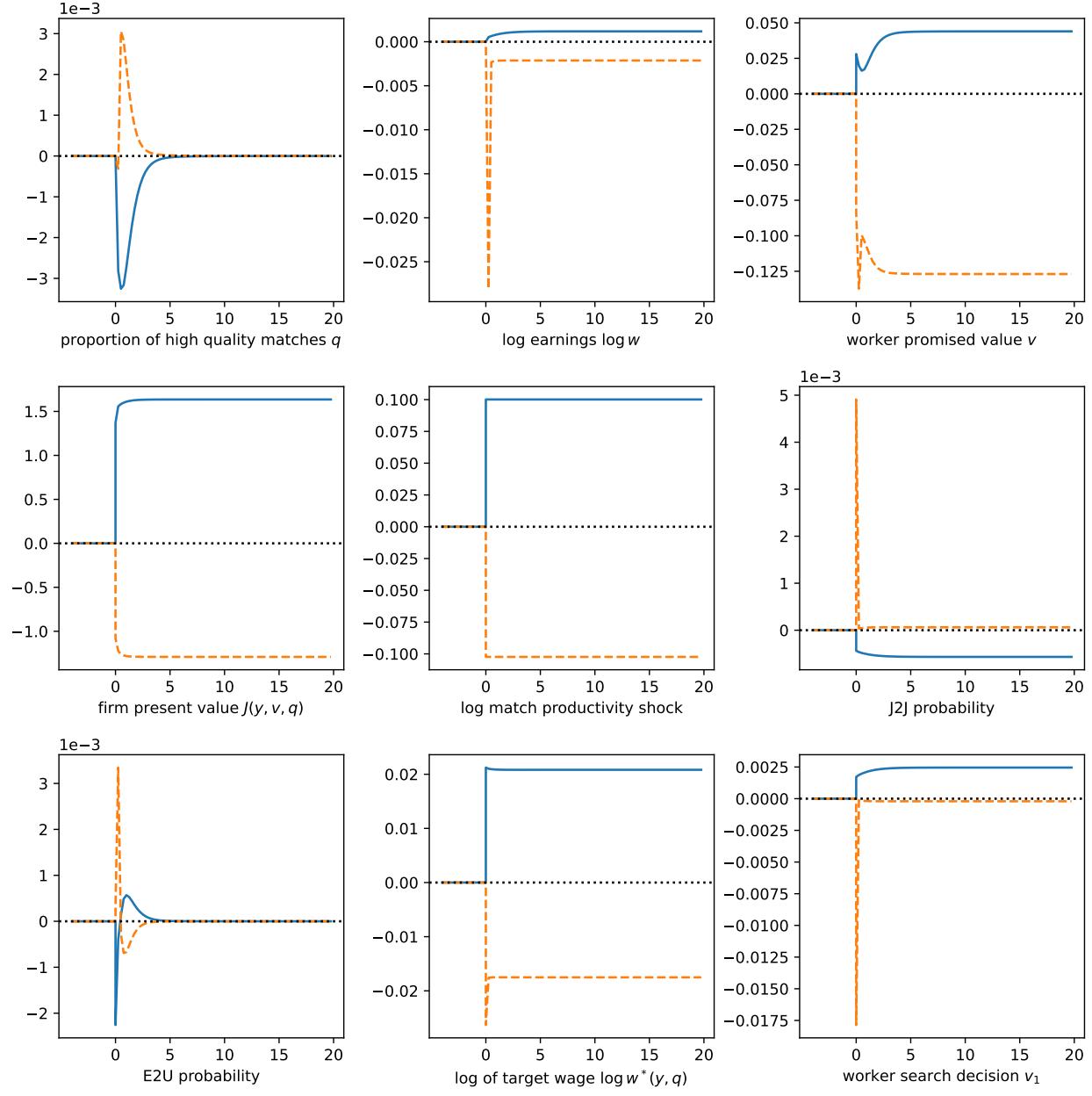


Figure 6: Impulse response to a permanent productivity shock, juniors only. Blue represents a positive shock, orange – negative shock

4.7 Policy implications

I use my model as a realistic laboratory to evaluate the consequences of varying minimum wage and severance pay policies – two of the most important institutional features of European labor markets. In contrast to earlier models, the key difference in assessing these policies here lies in the endogeneity of wages, which makes it unclear whether the wage

rigidity observed in the simulated data comes from the minimum wage or the firms' optimal choice not to cut wages. Similarly for severance pay, firms have incentives to offer their own severance, thus making the ultimate impact of statutory severance unclear.

4.7.1 Minimum Wage

Minimum wage is an important source of exogenous wage rigidity, particularly in France. In this section, I revisit two central questions about the minimum wage. First, using a counterfactual model without a minimum wage, I ask: What are the contributions of the current minimum wage to the wage and layoff ladders? What are its implications for productivity and firing decisions? What are the employment effects? Second, I examine the effects of a 20% increase in the minimum wage to address the question: Starting from an already high level—relative to the OECD average—what are the effects of raising the minimum wage even further? This question is particularly relevant if the minimum wage introduces convexities in the model, whereby additional increases entail disproportionately large costs or gains for the economy.

Table 6 shows the employment transition moments in the economy across the three cases. Overall, the impact of minimum wage is rather muted. Without the minimum wage, the model still delivers almost the same rate of new hires as well as the layoff rate, but slightly underestimates the job-to-job transition rate. As I explain below, this is unsurprising. First, firms hire workers on promised values, not on wages. Although a minimum wage does make it less profitable to employ workers on the values, where this wage would be binding, ultimately the firms can still recoup some of the overdelivered value by not raising workers wages longer-term. This implies that the presence of minimum wage need not strongly affect the value of hiring workers. Second, firms primarily use layoffs to shed less productive matches. Although minimum wage does create cases where the firm may want to fire even more productive matches, those cases are rare. Lastly, when the minimum wage binds for a cohort, the firm is forced to frontload the workers' utility. This results in workers being more incentivized to look for other jobs.

The impact of the 20% minimum wage hike is more pronounced, as the minimum wage now reaches even more productive workers and the firms are even further restricted in back-loading workers wages. Still, the effect is generally muted.

I next consider how the minimum wage affects the heterogeneity in wage pass-through and layoffs across worker tenure. I focus on the comparison between the case of no minimum wage and the baseline as the way to confirm that minimum wage is not essential in reconciling this heterogeneity. Generally, removing minimum wage dampens layoffs and amplifies wage

	No min wage	Baseline	20% hike
Rate of new hires	12.8%	12.2%	11.2%
Annual separation rate of the bottom prod tercile	3.2%	3.6%	3.9%
Annual separation rate of the top prod tercile	2.5%	2.8%	3.0%
Annual job-to-job transition rate	5.2%	5.4%	5.5%

Table 6: Labor transition probabilities for different values of minimum wage.

	No min wage		Baseline		20% hike	
	Layoffs	Wages	Layoffs	Wages	Layoffs	Wages
< 1 year	5.4%	0.012	5.80%	-0.029	6.00%	-0.057
1–2 years	0.6%	0.017	0.70%	0.013	0.73%	0.002
2–3 years	0.42%	0.023	0.40%	0.009	0.51%	0.008
3–4 years	0.15%	0.025	0.20%	0.019	0.26%	0.011
4–5 years	0.06%	0.025	0.10%	0.019	0.12%	0.016

Table 7: Layoffs and wage pass-through across tenure for different values of minimum wage.

pass-through. Still, the effect are small, suggesting that my model did not rely heavily on minimum wage to generate the heterogeneity.

4.7.2 Severance pay

The severance pay in the model is determined by the firm's endogenous severance pay choice. I discuss the realized severance pay in my model and compare it to the data.

Figure 7 shows the average severance pay across the first 10 years of worker tenure. Severance pay strongly increases in cohort's wage and is only bounded by the exogenous policy for the most senior workers. Even without any requirements, firms choose to provide workers with a significant severance pay in order to compensate workers for layoffs ex-post. Otherwise, absent severance, the ex-ante risk of layoffs would have to be compensated via higher average wage to all the workers.

The reason for why the optimal severance pay stagnates in tenure is that the optimal severance pay scales with worker wages: the more worker is paid, the more they lose from being laid off, the more the firm wants to compensate them with severance. However, as wage growth stagnates, so do the severance payments. In that sense, my model cannot reconcile the severance pay above legal minima beyond the first ten years of tenure. Further

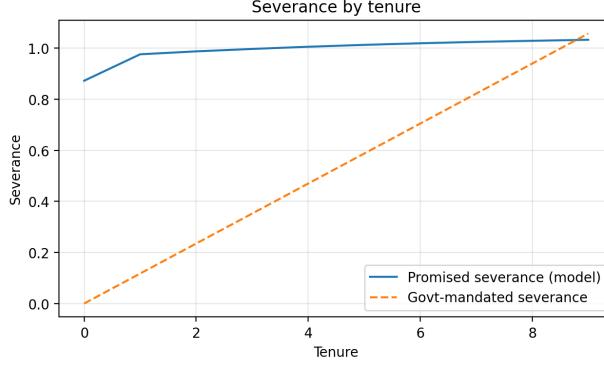


Figure 7: Severance pay across worker tenure.

factors beyond the scope of this paper, like human capital accumulation, may induce the firm to keep raising worker’s value over the long-term by raising the severance pay.

5 Conclusion

This paper proposes a new perspective on the relationship between wage rigidity, layoffs, and employment fluctuations. I develop an equilibrium search model with one-sided limited commitment and asymmetric information about match quality, in which firms optimally choose both wage paths and layoff policies without discriminating in wages within a contract. In this framework, layoffs and rigid wages arise endogenously and are correlated across workers, firms, and tenure—not because rigid wages mechanically force firms to fire, but because layoffs are a tool for managing workforce composition. Negative productivity shocks lead firms to shed low-quality matches and protect the wages of the remaining workers they most wish to retain. Using matched employer–employee data from France, I show that this mechanism is consistent with the joint behavior of wages and layoffs across firms and across tenure: the firms that fire the most have the most rigid wages, and junior workers face higher layoff risk but weaker wage pass-through than senior workers.

Quantifying the model reveals that this mechanism also matters for how we interpret labor market policies. Once firms’ endogenous incentives to smooth wages and to use layoffs to reallocate workers are accounted for, a sizable increase in the minimum wage has only a limited impact on layoffs and job-finding rates, and removing the minimum wage does little to alter the heterogeneity of wage and layoff responses across tenure. Allowing firms to choose severance pay in the model further shows that generous, tenure-dependent severance can be an optimal response to layoff risk rather than simply a constraint on firing, effectively making layoffs cheaper by improving risk-sharing. Together, these results suggest that focusing

exclusively on downward wage rigidity as a constraint on firms' decisions misses a central margin of adjustment: firms' active use of layoffs and wage smoothing as joint instruments for managing their workforce.

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A Model Appendix

A.1 Proofs

Proof of Proposition 1

The proposition is derived from the first-order conditions of the firm’s problem.

Proof. Consider the problem from Lemma 2. The FOC for v'_{k_1} yields (denote ρ_k the shadow cost of PK_k and ω_k the shadow cost of the expectation condition):

$$\rho_k \beta (1 - s_k) (1 - p(v'_{k+1})) - \omega_k + \beta n_k (1 - s_k) \frac{\partial (1 - v(v'_{k+1}))}{\partial v'_{k+1}} E_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}\}_{k \leq K+1})}{\partial n'_{k+1}} = 0$$

To develop this further, I use the FOC for w_k :

$$-n_k + \rho_k u'(w_k) = 0 \iff \rho_k = \frac{n_k}{u'(w_k)}$$

One can similarly develop ω_k by applying the FOC for $v'_{y',k+1}$:

$$\beta Pr_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}\}_{k \leq K+1})}{\partial v'_{y',k+1}} + Pr_{y'|y} \omega_k = 0 \iff \omega_k = -\beta \frac{\partial J(y', \{n'_k, v'_{y',k}\}_{k \leq K+1})}{\partial v'_{y',k+1}} \forall y'$$

Applying the envelope theorem one can then note that

$$-\frac{\partial J(y', \{n'_k, v'_{y',k}\}_{k \leq K+1})}{\partial v'_{y',k+1}} = \frac{n'_{k+1}}{u'(w'_{k+1})}$$

Putting all this together, we get

$$\frac{n_k}{u'(w_k)} \beta(1-s_k)(1-p(v'_{k+1})) - \beta \frac{n'_{k+1}}{u'(w'_{k+1})} + \beta n_k(1-s_k) \frac{\partial(1-v(v'_{k+1}))}{\partial v'_{k+1}} E_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}\}_{k \leq K+1})}{\partial n'_{k+1}} = 0$$

All that is left is to note that $n'_{k+1} = n_k(1-s_k)(1-p(v'_{k+1}))$, divide by the common terms $(\beta n'_{k+1})$ and rearrange.

$$\frac{1}{u'(w'_{k+1})} - \frac{1}{u'(w_k)} = \eta(v'_{k+1}) E_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}\})}{\partial n'_{k+1}}$$

□

Proof of Corollary 1

The corollary is an immediate outcome of applying envelope theorem.

Proof. Consider a firm state $(y, \{n_k, v_k, z_k\})$ and some cohort $k < K$. Taking derivative of the value function with respect to the size state n'_{k+1} yields the following:

$$\frac{\partial J(y, \{n_k, v_k, z_k\})}{\partial n_k} = y \frac{\partial F(n, z)}{\partial n_k} - w_k + \beta E_{y'|y} \frac{\partial J(y', \{n'_k, v'_{y',k}, z'_k\})}{\partial n'_{k+1}}$$

Decomposing the impact of n_k on $F(n, z)$ yields

$$\frac{\partial F(n, z)}{\partial n_k} = \frac{\partial F(n, z)}{\partial n} + \frac{\partial F(n, z)}{\partial z} \frac{\partial z}{\partial n_k} = F'_n + F'_z \frac{\partial z}{\partial n_k}$$

Lastly, consider a state $(y, \{n_k, v_k, z_k\}) = (y', \{n'_k, v'_{y',k}, z'_k\})$ and take the expectation $E_{y'|y}$ to arrive at the result. □

Proof of Proposition 2

Proof.

□

Proof of Proposition 4

I start by describing the FOC with respect to layoffs s_k :

Proof. Consider the case where $s_k > 0$. Then

$$-\beta n_k(1-p(v'_{k+1}))E_{y'|y}\frac{\partial J(y', \{n'_k, v'_{y',k}, z'_k\})}{\partial n'_{k+1}} + \beta E_{y'|y}\frac{\partial J(y', \{n'_k, v'_{y',k}, z'_k\})}{\partial z'_{k+1}}\frac{\partial z'_{k+1}}{\partial s_k} - \rho_k\beta(U-R(v'_{k+1})) = 0$$

Note that the FOC with respect to w_k yields $\rho_k = \frac{n_k}{u'(w_k)}$ and divide by βn_k to get the FOC in the Proposition.

For the further results, I rewrite the firm state $(y, \{n_k, v_k, z_k\})$ into $(y, \{\underline{n}_k, \bar{n}_k, v_k\})$, where $\bar{n}_k = z_k n_k$ and $\underline{n}_k = (1 - z_k)n_k$.

I focus on the case where $\underline{n}_k > 0$ and $s_k(\underline{n}_k + \bar{n}_k) \leq \underline{n}_k$, that is, firm has not yet fired all the bad matches with the cohort (in the previous FOC, this is equivalent to $\frac{\partial z'_{k+1}}{\partial s_k} > 0$). The proof extends equivalently to the other case. The marginal value of firing a worker is then

$$-\frac{R(v'_{k+1}) - U}{u'(w_k)} - (1 - p(v'_{k+1}))E_{y'|y}\frac{\partial J(y', \{\underline{n}'_k, \bar{n}'_k, v'_k\})}{\partial \underline{n}'_{k+1}}$$

To show that cohorts with lower promised values are more subject to layoffs, I take a derivative of this FOC with respect to the promised value v_k . The only component in the FOC directly dependent on v_k is $\frac{1}{u'(w_k)}$, where $w_k = u^{-1}(v_k - \beta[s_k U + (1 - s_k)R(v'_{k+1})])$. Due to the *CRRRA* utility function, we find that $\frac{1}{u'(w_k)}$ is increasing in v_k , and, therefore, the marginal profit of firing workers is decreasing in v_k .

Lastly, I show that layoffs are equally dependent on the quality of any cohort (as long as $z_k < 1$). First, I note that quality directly appears only in the marginal value of low quality workers

$$\begin{aligned} \frac{\partial J(y', \{\underline{n}'_k, \bar{n}'_k, v'_k\})}{\partial \underline{n}'_{k+1}} &= y'[F'_1(\sum n'_k, \frac{\sum n'_k z'_k}{\sum n'_k}) - F'_2(\sum n'_k, \frac{\sum n'_k z'_k}{\sum n'_k}) \frac{\sum n'_k}{(\sum n'_k z'_k)^2} - w'_{k+1} \\ &\quad + \beta E_{y''|y'} \frac{\partial J(y'', \dots)}{\partial \underline{n}''_{k+2}} \frac{\partial \underline{n}''_{k+2}}{\partial \underline{n}'_{k+1}}] \end{aligned}$$

Next, I note that all the quality states $\{z_k\}$ contribute in the same manner to $\frac{\partial J(y', \{\underline{n}'_k, \bar{n}'_k, v'_k\})}{\partial \underline{n}'_{k+1}}$, no matter the cohort k . Therefore, to first-order, the marginal value of firing a worker is equally dependent on all the quality states.

□

A.2 Tenure-specific Severance Payments

I allow the firm to offer tenure-specific severance payments sev_k to its workers. The severance is constant over time and paid perpetually upon firing and before finding a new job. I show that the severance structure involves higher payments for longer tenured workers (if those workers are on a higher promised value).

Proof of Proposition 5

Proof. I start by describing the unemployment value of a worker with severance payment sev_k :

$$U(sev_k) = u(b + sev_k) + \beta \max_v [(1 - p(\theta_v))U(sev_k) + p(\theta_v)v]$$

Denote the probability of finding a job with severance payment sev_k as $p(\theta_{sev_k})$. The extra value to the unemployed from the severance payment is then given by

$$\frac{\partial U(sev_k)}{\partial sev_k} = u'(b + sev_k) + \beta(1 - p(\theta_{sev_k}))U'(sev_k) = \frac{u'(b + sev_k)}{1 - \beta(1 - p(\theta_{sev_k}))}$$

Then the total benefit to the firm from raising the severance payment is the slackening of the promised-keeping constraint thanks to this rise in the unemployment value:

$$\lambda_k n_k \beta s_k \frac{\partial U(sev_k)}{\partial sev_k} = \frac{n_k}{u'(w_k)} \beta s_k \frac{u'(b + sev_k)}{1 - \beta(1 - p(\theta_{sev_k}))}$$

On the cost side, the firm internalizes the net present value of the severance payments when firing $n_k s_k$ workers:

$$\frac{\partial}{\partial sev_k} \left[n_k s_k \beta \frac{sev_k}{1 - \beta(1 - p(\theta_{sev_k}))} \right] = n_k s_k \beta \frac{[1 - \beta(1 - p(\theta_{sev_k}))] - \beta sev_k \frac{\partial p(\theta_{sev_k})}{\partial sev_k}}{[1 - \beta(1 - p(\theta_{sev_k}))]^2}$$

The optimal severance payment then follows from the first-order condition:

$$\frac{n_k}{u'(w_k)} \beta s_k \frac{u'(b + sev_k)}{1 - \beta(1 - p(\theta_{sev_k}))} = n_k s_k \beta \frac{[1 - \beta(1 - p(\theta_{sev_k}))] - \beta sev_k \frac{\partial p(\theta_{sev_k})}{\partial sev_k}}{[1 - \beta(1 - p(\theta_{sev_k}))]^2}$$

Rearranging gives the result.

$$\frac{u'(b + sev_k)}{u'(w_k)} = 1 - \frac{\beta sev_k \frac{\partial p(\theta_{sev_k})}{\partial sev_k}}{1 - \beta(1 - p(\theta_{sev_k}))}$$

□

Note that, besides $u'(w_k)$, all the components of the severance payment are independent of both the firm state and the worker tenure. It is immediate to notice then that higher paid workers will have higher severance payments: as $\frac{1}{u'(w_k)}$, the value to the firm of the severance payment goes up, while costs stay the same. Therefore, the firm will optimally choose to offer higher severance payments to higher paid workers.

This equation is also easy to implement numerically: using the formulation in Appendix A.4, where $\rho_k \equiv u'(w_k)$ is a state variable, I can immediately compute the payments for all the firm states, before solving the rest of the firm problem.

A.3 Microfounding the Wage Noncontractability

A version of my model where the firm is allowed to choose quality-specific wage is in fact a signalling game: firm's action of choosing the wage signals the workers their quality. I show that, under a sufficiently small elasticity of job search probability with respect to promised value v' , $\eta(v') \equiv \frac{\partial(1-p(v'))/\partial v'}{(1-p(v'))}$, the pooling Perfect Bayesian Equilibrium exists and survives the Intuitive Criterion (Cho and Kreps (1987)).

I begin by defining the firm problem of the game. A signalling game of the firm is an extension of the firm problem from Lemma app:signallingfirmproblem:orig where the firm offers individual, rather than contract-specific, wages. The full recursive problem is

$$\begin{aligned}
J(y, n, \{v_i, z_i, \tilde{z}_i\}_{i \in I}) = & \max_{\tilde{n}, \tilde{v}, \{w_i, s_i, sev_i, v'_{i,y'}, i \in I\}} yF(n, \int z_i di) - \int w_i di - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\
& - \beta n \int s_i \frac{sev_i}{1 - \beta(1 - p(\hat{\theta}_{sev_i}))} di + \beta E_{y'|y} J(y', n', P'_{y'}(v), z'_{y'}(v)) \\
\text{s.t. } & u(w_i) + \beta [s_i U + (1 - s_i) R(v_i)] = v \quad \forall i, \\
& v_i = E_{y'|y} v'_{i,y'} \quad \forall i, \\
& n' = n \int (1 - s_i)(1 - p(v_i)) dP_v(v) + \tilde{n}, \\
& n' P'_{y'}(v) = n \int \mathbb{1}\{v'_{i,y'} \leq v\}(1 - s_i)(1 - p(v_i)) di + \mathbb{1}\{\tilde{v} \leq v\}\tilde{n} \quad \forall i, \\
& n' z'_i = n \int \mathbb{1}\{v'_{i,y'} \leq v\} \min\left\{\frac{z_i}{1 - s_i}, 1\right\} di + \mathbb{1}\{\tilde{v} \leq v\}\tilde{n} z_0 \quad \forall i, \\
& w_i \geq \underline{w} \quad \forall i, \\
& sev_i \geq \underline{sev}_i \quad \forall i
\end{aligned}$$

The signalling game differs from the originally described firm problem in several regards. First, the firm now works with individual contracts. This results in all choice variables being individual rather than contract-specific. Second, and as a result of the first, workers' beliefs about being a high productivity match may now be different even for workers on the same contract. This means that the firm needs to track worker's own belief about their type \tilde{z}_i as an additional state variable.

Proposition 6. *A pooling equilibrium of the signalling game exists and survives the Intuitive Criterion. The pooling equilibrium version of the signalling model collapses into the problem from Lemma 1.*

A.4 Recursive Lagrangian Approach

The original design of the problem would require solving promised values $v'_{y',k}$ for both each tenure step and each future productivity state. Following Balke and Lamadon (2022), I solve the following Pareto problem:

$$\begin{aligned}\mathcal{P}(y, \{n_k, \rho_k, z_k\}) = & \inf_{\omega_k} \sup_{\tilde{n}, \tilde{v}, \{w_k, s_k, v'_k\}} yF(n, z) - \sum_k n_k w_k - \kappa_f - \tilde{n} \frac{c}{q(\theta_{\tilde{v}})} \\ & + \sum_k \rho_k (u(w_k) + \beta[s_k U + (1 - s_k) R(v'_{k+1})]) \\ & - \beta \sum_k \omega_k v'_{k+1} + \beta E_{y'|y} \mathcal{P}(y', \{n'_k, \omega_k, z'_k\})\end{aligned}$$

where

$$\mathcal{P}(y, \{n_k, \rho_k, z_k\}) \equiv \sup_{\{v_k\}} J(y, \{n_k, v_k, z_k\}) + \sum_k \rho_k v_k$$

The following proof (for $K \rightarrow \infty$ but the proof extends trivially to finite K) establishes its equivalence with the initial problem. It follows the steps of Balke and Lamadon (2022), extending it to the case of a multi-worker firm.

Proof. We have the following recursive formulation for J :

$$\begin{aligned}J(y, \{n_k, v_k, z_k\}_{k \leq K}) = & \max_{\tilde{n}, \tilde{v}, \{v'_k, v'_{y',k}, w_k, s_k\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum n_k z_k}{\sum n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\ & + \beta E_{y'|y} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) \\ (\lambda_k) \quad & u(w_k) + \beta[s_k U + (1 - s_k) R(v'_{k+1})] = v_k \quad \forall k \leq K \\ (\omega_k) \quad & v'_{k+1} = E_{y'|y} v'_{k+1, y'} \quad \forall k \leq K \\ & n'_{k+1} = n_k (1 - s_k) (1 - p(v'_{k+1})) + \tilde{n} \quad \forall k \leq K \\ & z'_{k+1} = \min\left(\frac{z_k}{1 - s_k}, 1\right) \quad \forall k \leq K \\ & n'_0 = \tilde{n}, v'_0 = \tilde{v}, z'_0 = z_0\end{aligned}$$

Consider the Pareto problem

$$\mathcal{P}(y, \{n_k, \rho_k, z_k\}) = \sup_{\{v_k\}} J(y, \{n_k, v_k, z_k\}) + \sum_k \rho_k v_k$$

I first substitute the definition of J together with its constraints into \mathcal{P} :

$$\begin{aligned}
\mathcal{P}(y, \{n_k, \rho_k, z_k\}) = & \sup_{\tilde{n}, \tilde{v}, \{v_k, v'_k, v'_{y', k}, w_k, s_k\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum n_k z_k}{\sum n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\
& + \beta E_{y'|y} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) + \sum_k \rho_k v_k \\
(\lambda_k) \quad & u(w_k) + \beta[s_k U + (1 - s_k)R(v'_{k+1})] = v_k \quad \forall k \leq K \\
(\omega_k) \quad & v'_{k+1} = E_{y'|y} v'_{k+1, y'} \quad \forall k \leq K \\
n'_{k+1} = & n_k(1 - s_k)(1 - p(v'_{k+1})) + \tilde{n} \quad \forall k \leq K \\
z'_{k+1} = & \min\left(\frac{z_k}{1 - s_k}, 1\right) \quad \forall k \leq K \\
n'_0 = & \tilde{n}, v'_0 = \tilde{v}, z'_0 = z_0
\end{aligned}$$

I now substitute in the promise-keeping constraint:

$$\begin{aligned}
\mathcal{P}(y, \{n_k, \rho_k, z_k\}) = & \sup_{\tilde{n}, \tilde{v}, \{v'_k, v'_{y', k}, w_k, s_k\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum n_k z_k}{\sum n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\
& + \beta E_{y'|y} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) + \sum_k \rho_k (u(w_k) + \beta[s_k U + (1 - s_k)R(v'_{k+1})]) \\
(\omega_k) \quad & v'_{k+1} = E_{y'|y} v'_{k+1, y'} \quad \forall k \leq K \\
n'_{k+1} = & n_k(1 - s_k)(1 - p(v'_{k+1})) + \tilde{n} \quad \forall k \leq K \\
z'_{k+1} = & \min\left(\frac{z_k}{1 - s_k}, 1\right) \quad \forall k \leq K \\
n'_0 = & \tilde{n}, v'_0 = \tilde{v}, z'_0 = z_0
\end{aligned}$$

I introduce the ω_k -constraints with weights β into the problem:

$$\begin{aligned}
\mathcal{P}(y, \{n_k, \rho_k, z_k\}) = & \inf_{\{\omega_k\}} \sup_{\tilde{n}, \tilde{v}, \{v'_k, v'_{y', k}, w_k, s_k\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum n_k z_k}{\sum n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\
& + \beta E_{y'|y} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) + \sum_k \rho_k (u(w_k) + \beta[s_k U + (1 - s_k)R(v'_{k+1})]) \\
& + \sum_k \beta \omega_k (E_{y'|y} v'_{y', k+1} - v'_{k+1}) \\
n'_{k+1} = & n_k(1 - s_k)(1 - p(v'_{k+1})) + \tilde{n} \quad \forall k \leq K \\
z'_{k+1} = & \min\left(\frac{z_k}{1 - s_k}, 1\right) \quad \forall k \leq K \\
n'_0 = & \tilde{n}, v'_0 = \tilde{v}, z'_0 = z_0
\end{aligned}$$

I then rearrange the value function by moving $E_{y'|y} \sum_k \beta \omega_k n'_{k+1} v'_{y', k+1}$ (additional constraints

are dropped to simplify notation):

$$\begin{aligned}\mathcal{P}(y, \{n_k, \rho_k, z_k\}) &= \inf_{\{\omega_k\}} \sup_{\tilde{n}, \tilde{v}, \{v_k, v'_{y',k}, w_k, s_k\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum n_k z_k}{\sum n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\ &\quad + \beta E_{y'|y}[J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) + \sum_k \omega_k v'_{y',k+1}] \\ &\quad \sum_k \rho_k(u(w_k) + \beta[s_k U + (1-s_k)R(v'_{k+1})]) - \sum_k \beta \omega_k v'_{k+1}\end{aligned}$$

Lastly, I split the sup:

$$\begin{aligned}\mathcal{P}(y, \{n_k, \rho_k, z_k\}) &= \inf_{\{\omega_k\}} \sup_{\tilde{n}, \tilde{v}, \{v'_k, w_k, s_k\}_{k \leq K}} yF\left(\sum_k n_k, \frac{\sum n_k z_k}{\sum n_k}\right) - \sum_k w_k n_k - \tilde{n} \frac{c}{q(\tilde{v})} - \kappa_f \\ &\quad + \beta E_{y'|y}[\sup_{v'_{y',k+1}} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) + \sum_k \omega_k v'_{y',k+1}] \\ &\quad \sum_k \rho_k(u(w_k) + \beta[s_k U + (1-s_k)R(v'_{k+1})]) - \sum_k \beta \omega_k v'_{k+1}\end{aligned}$$

From this, one can note that, by definition of \mathcal{P}

$$\sup_{v'_{y',k+1}} J(y', \{n'_k, v'_k, z'_k\}_{k \leq K+1}) + \sum_k \omega_k v'_{y',k+1} = \mathcal{P}(y', \{n'_k, \omega_k, z'_k\})$$

We thus arrive to the formulation of the problem as described at the beginning, not involving finding future state-specific promised values $v'_{y',k}$. \square

A.5 Block Recursivity

I introduce an assumption that would allow for a block recursive equilibrium under the same conditions as in Schaal (2017). Block recursivity requires an indifference condition, either on the side of the firms or on the side of the workers. Under two-sided ex-post heterogeneity, that is not immediately achievable.

Schaal (2017) shows that, in a setting similar to mine, but with transferable utility between workers and firms, which he achieves due to the risk-neutral worker utility function, firms all have the same preferences across all the submarkets that they may post vacancies in. Define the minimal hiring cost as

$$k = \min_v [v + \frac{c}{q_v}]$$

Due to transferable utility, the cost of employing the worker from submarket v becomes simply the value v . Thus, the optimal entry of vacancies in Schaal (2017) can be summarized by

$$\theta_v[v + \frac{c}{q_v} - k] = 0$$

Meaning that either a submarket v minimizes the hiring cost or it is closed. This condition is completely independent of the distribution of firms and workers, exactly because the one component where the firm type might come through, the cost of employing a worker from submarket v , is completely independent from the firm's state due to transferable utility.

Utility is not transferable in my model, and thus different firms may face different costs of employing a worker at some value v (for example, fixing y and z , small firms prefer high values v due to their intention to upsize). To get around that, I split the value v that the worker would get upon getting hired into two components, the sign-on wage w_v and the remaining value v_0 such that

$$u(w_v) + \beta v_0 = v$$

This additional wage payment is incurred immediately upon hiring, allowing the remaining value that the firm owes to its worker, v_0 , to be completely independent of the submarket v . Essentially, from the firm's perspective, submarkets now differ not in the value that firms would owe to the workers, but in this sign-on wage. The cost minimization problem then becomes

$$k = \min_v [w_v + \frac{c}{q_v}]$$

This problem is now again completely independent of the firm's state, and thus the distribution of firms and workers no longer affects the tightness function q_v . Schaal (2017) shows that, in a setting similar to mine, but with transferable utility between workers and firms, which he achieves due to the risk-neutral worker utility function, firms all have the same preferences across all the submarkets that they may post vacancies in. Then setting θ_v such that

B Data Appendix

I use administrative data provided by the CASD in France between 2009 and 2019. My analysis relies on two main files:

1. the panel version of the “DADS tous salariés” database, containing detailed information about employment history for 1/12th of the French population every year
2. “FARE” database, with annual information about firm balance sheet and income statement for the entire private sector except firms in the agricultural sector

I complement my analysis with the price index and national minimum wage provided by INSEE.

B.1 Asymmetric Wage Passthrough

Table 8 shows asymmetric response of wage to positive vs negative productivity shocks. Junior workers tend to have a much lower response to negative shocks than more senior workers, while still having a comparable response to positive shocks, suggesting that the heterogeneity in the average passthrough is primarily driven by smaller wage cuts to juniors.

	Layoff rate	Avg. wage pass-through	Response to pos. shock	Response to neg. shock
< 1 year	11%*** (0.0002)	0.000 (0.004)	0.022*** (0.004)	0.002*** (0.003)
1–2 years	5%*** (0.0002)	0.004 (0.004)	0.014*** (0.004)	0.020*** (0.003)
2–3 years	3%*** (0.0002)	0.008** (0.002)	0.013** (0.002)	0.020*** (0.003)
3–4 years	2%*** (0.0002)	0.008* (0.003)	0.012* (0.003)	0.015*** (0.004)
4–5 years	2%*** (0.0002)	0.017*** (0.004)	0.010*** (0.004)	0.024*** (0.004)

Table 8: Layoffs and wage pass-through across tenure. Columns 3 and 4 report asymmetric pass-through to positive and negative shocks. Data: DADS Panel + FARE, 2009–2019.

B.2 Robustness

B.2.1 Minimum wage threshold

In my baseline evaluation I remove observations with wages less than 5% above the national minimum wage. To check for sensitivity to this choice, I consider two more cutoff values: right at the minimum wage and 20% above.

I first redo the wage passthrough regression across firms. For each sampling version, I reconstruct the firm brackets. I find little impact of the change in the minimum wage cutoff on either layoff rate or the wage passthrough of firms. The largest difference is that of the wage passthrough at the firms firing the most. After raising the cutoff, I find that the wage passthrough is even more negative than in the original case, supporting the paper's conjecture that the low/negative wage passthrough is not an outcome of exogenous sources of wage rigidity like minimum wage.

	At min wage		Baseline: 5% above		20% above	
	Layoffs	Wages	Layoffs	Wages	Layoffs	Wages
Low layoff rate	0.05%	0.017*** (0.0006)	0.05%	0.017*** (0.0006)	0.09%	0.020*** (0.0007)
Medium layoff rate	1.5%	0.012** (0.0008)	1.5%	0.012** (0.0008)	1.5%	0.012*** (0.0009)
High layoff rate	9.7%	-0.002*** (0.0006)	9.7%	-0.002*** (0.0006)	9.1%	-0.010*** (0.0007)

Table 9: Wage pass-through across firms: different minimum wage cutoffs. Data: DADS Panel + FARE, 2009–2019.

Next, I perform the same robustness check for the heterogeneity across worker tenure. The differences are minimal both in the layoff rates and in the wage passthrough. I take this as implying that the choice of the minimum wage cutoff is not qualitatively nor quantitatively important for my analysis.

B.2.2 Additional Controls

I introduce additional controls for my layoff and wage passthrough regressions to ensure robustness with respect to alternative explanatory variables. The four key controls I introduce are: worker experience as an alternative to worker tenure, firm fixed effect, occupation fixed effect, and region fixed effect.

	At min wage		Baseline: 5% above		20% above	
	Layoffs	Wages	Layoffs	Wages	Layoffs	Wages
< 1 year	5.4%	0.012	11%*** (0.0002)	0.000 (0.004)	12% (0.0002)	-0.01*** (0.0009)
1–2 years	0.6%	0.017	5%*** (0.0002)	0.004 (0.004)	5% (0.0003)	0.003* (0.0012)
2–3 years	0.42%	0.023	3%*** (0.0004)	0.008** (0.002)	4% (0.0004)	0.007*** (0.0013)
3–4 years	0.15%	0.025	2%*** (0.0003)	0.008* (0.003)	3% (0.0004)	0.006*** (0.0015)
4–5 years	0.06%	0.025	2%*** (0.0004)	0.019*** (0.004)	2% (0.0004)	0.016*** (0.0016)

Table 10: Layoffs and wage pass-through across tenure for different values of minimum wage.

For the across-firm comparison, I focus on wage passthrough as the firm brackets are defined by their layoff rates. For wage passthrough, I find that introducing firm fixed effects has the largest impact on the estimates. While the wage passthrough at the firms laying off the least is not affected, the firms in the middle end up with an ever lower wage passthrough than before, and firms firing the most end up with an even more negative wage passthrough, although now insignificant. Overall, I take these results to conclude that the connection between layoff rate and wage passthrough across firms is robust to additional controls. I perform the same exercise for the worker tenure, looking at the heterogeneity in both layoff rates and wage passthrough. Once I introduce fixed effects, the “baseline” layoff rate of juniors is no longer identified so I set their layoff rate to the value with experience controls and focus on the layoff risk drops with higher tenure levels.

I find some dispersion in layoff rates across specifications, particularly from introducing the firm fixed effects, but ultimately the pattern of an initially sharply then slowly dropping layoff rate persists. Similarly, I introduce controls into the wage passthrough regression across worker tenure. The most noticeable change is the drop in the wage passthrough for the more senior workers. Still, the consistent rise in wage passthrough is still prevalent in each and every specification suggesting that the choice of controls has no significant impact on the empirical results and for the validation of my model’s empirical predictions.

	(1)	(2)	(3)	(4)	(5)
Low layoff rate	0.017*** (0.0006)	0.019*** (0.0007)	0.018*** (0.0022)	0.018*** (0.0022)	0.018*** (0.0022)
Medium layoff rate	0.012*** (0.0008)	0.012*** (0.0009)	0.007 (0.0057)	0.007 (0.0058)	0.007 (0.0058)
High layoff rate	-0.002*** (0.0006)	-0.008*** (0.0007)	-0.005 (0.0068)	-0.005 (0.0068)	-0.005 (0.0068)
Experience controls		Yes	Yes	Yes	Yes
Firm FE			Yes	Yes	Yes
Occupation FE				Yes	Yes
Region FE					Yes

Table 11: Wage pass-through across firms with different controls.

	(1)	(2)	(3)	(4)	(5)
<1 year	11%*** (0.0002)	13%*** (0.0004)	13%*** (0.0002)	13%*** (0.0002)	13%*** (0.0002)
1-2 years	5%*** (0.0002)	6%*** (0.0004)	8%*** (0.0011)	8%*** (0.0011)	8%*** (0.0011)
2-3 years	3%*** (0.0004)	5%*** (0.0004)	7%*** (0.0014)	7%*** (0.0014)	7%*** (0.0014)
3-4 years	2%*** (0.0003)	4%*** (0.0004)	7%*** (0.0015)	7%*** (0.0015)	7%*** (0.0015)
4-5 years	2%*** (0.0004)	3%*** (0.0004)	6%*** (0.0025)	6%*** (0.0025)	6%*** (0.0025)
Experience controls		Yes	Yes	Yes	Yes
Firm FE			Yes	Yes	Yes
Occupation FE				Yes	Yes
Region FE					Yes

Table 12: Layoffs across worker tenure with different controls.

	(1)	(2)	(3)	(4)	(5)
<1 year	0.000 (0.004)	-0.008*** (0.001)	-0.005 (0.005)	-0.004 (0.005)	-0.004 (0.005)
1-2 years	0.004 (0.004)	0.004*** (0.001)	0.003 (0.004)	0.003 (0.004)	0.003 (0.004)
2-3 years	0.008** (0.002)	0.008*** (0.001)	0.006* (0.003)	0.006* (0.003)	0.006* (0.003)
3-4 years	0.008* (0.002)	0.008*** (0.001)	0.007* (0.004)	0.007* (0.004)	0.007* (0.004)
4-5 years	0.019*** (0.004)	0.015*** (0.002)	0.010*** (0.004)	0.010** (0.004)	0.010** (0.004)
Experience controls		Yes	Yes	Yes	Yes
Firm FE			Yes	Yes	Yes
Occupation FE				Yes	Yes
Region FE					Yes

Table 13: Wage passthrough across worker tenure with different controls.