

# Solving PDE

## Report

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1  $x \in [0100], hx = 5 \text{ and } y \in [-50, 50], hy = 1$

### 1.1 Heatmap

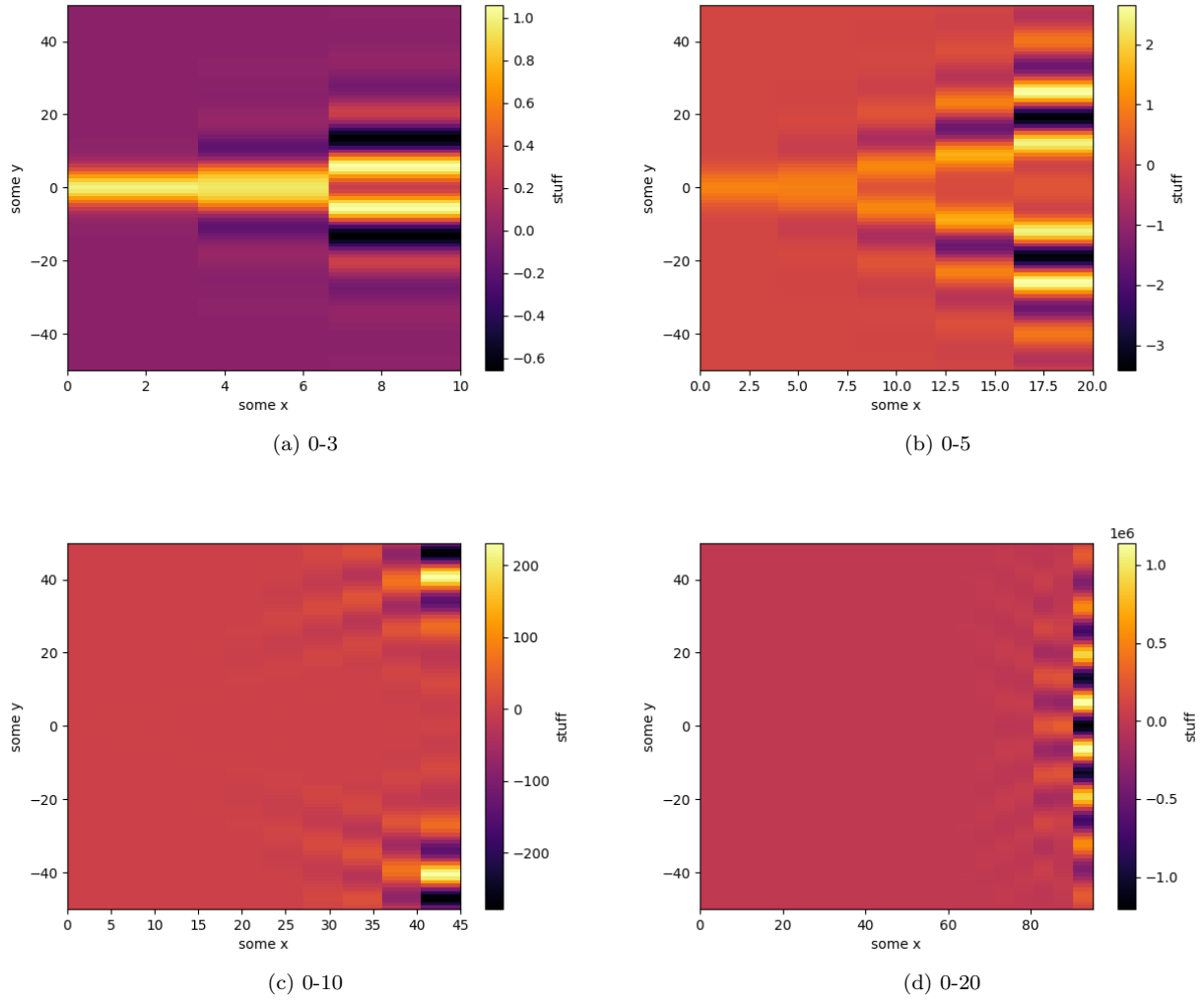


Figure 1: Heatmap for first n x numerically calculated

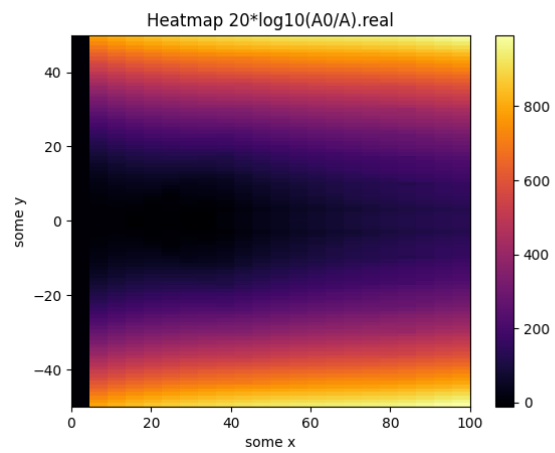


Figure 2: numerical solution

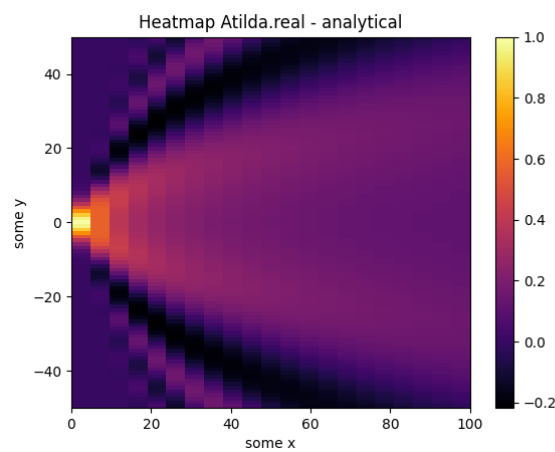
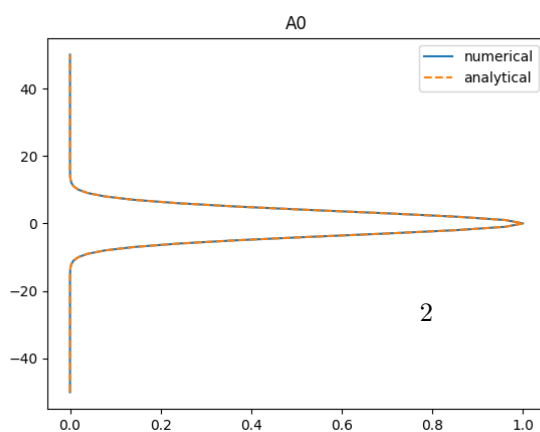
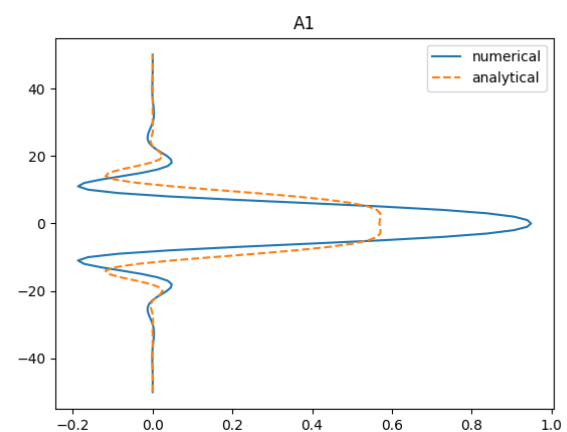


Figure 3: analytical solution

## 1.2 Compare numerical and analytical



(a)  $x=0$

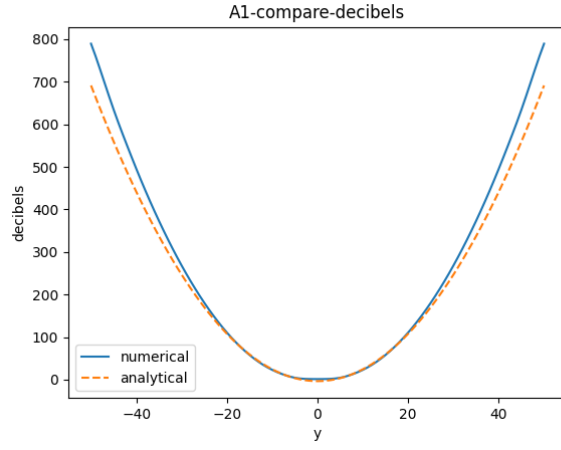


(b)  $x=1$

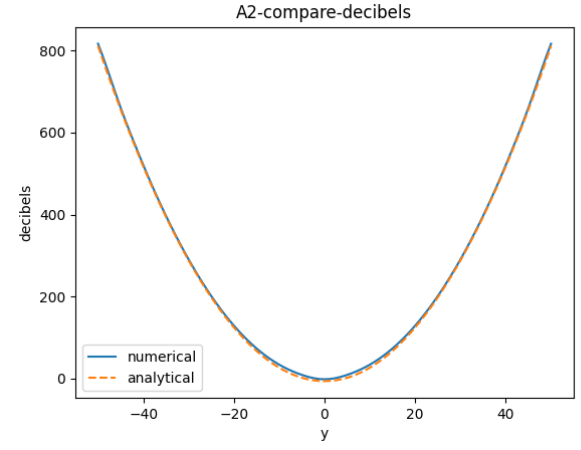
### 1.3 Compare numerical and analytical - decibels

Function for converting to decibels:

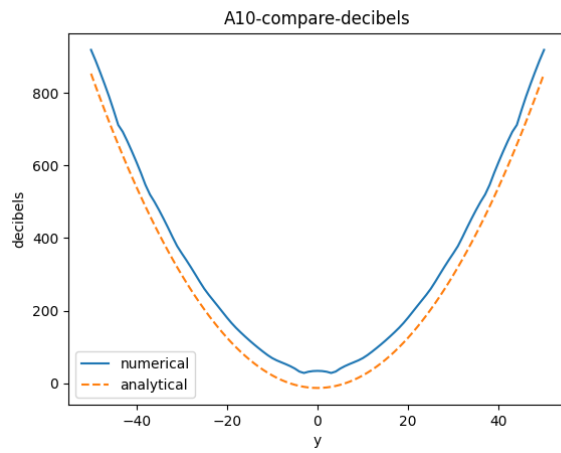
```
''' Function takes a vector (matrix row) and transforms the
    quantity to decibels '''
def convert_to_decibel(x):
    a0 = x[0]
    new = []
    for i in x:
        if cmath.log10(i/a0) == 0:
            new = new + [1]
        else:
            new = new + [20*cmath.log10(i/a0)]
    return new
```



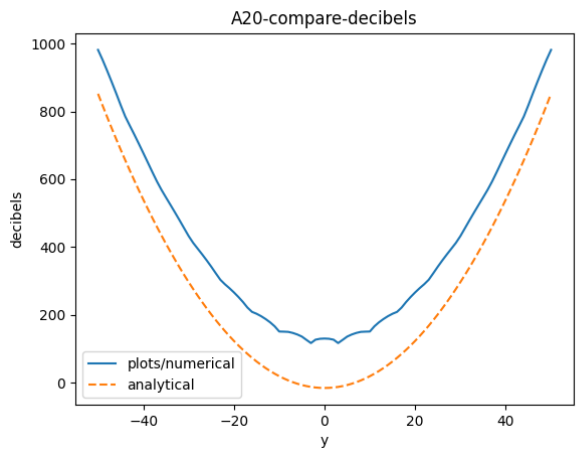
(a)  $x=1$



(b)  $x=2$



(c)  $x=3$



(d)  $x = 20$

Figure 5:  $x$ -th column of matrix  $A$  (numerical) and  $\tilde{A}$  (analytical) converted to decibels

**2**  $x \in [0, 1000], hx = 5$  and  $y \in [-500, 500], hy = 1$

### 2.1 Heatmap

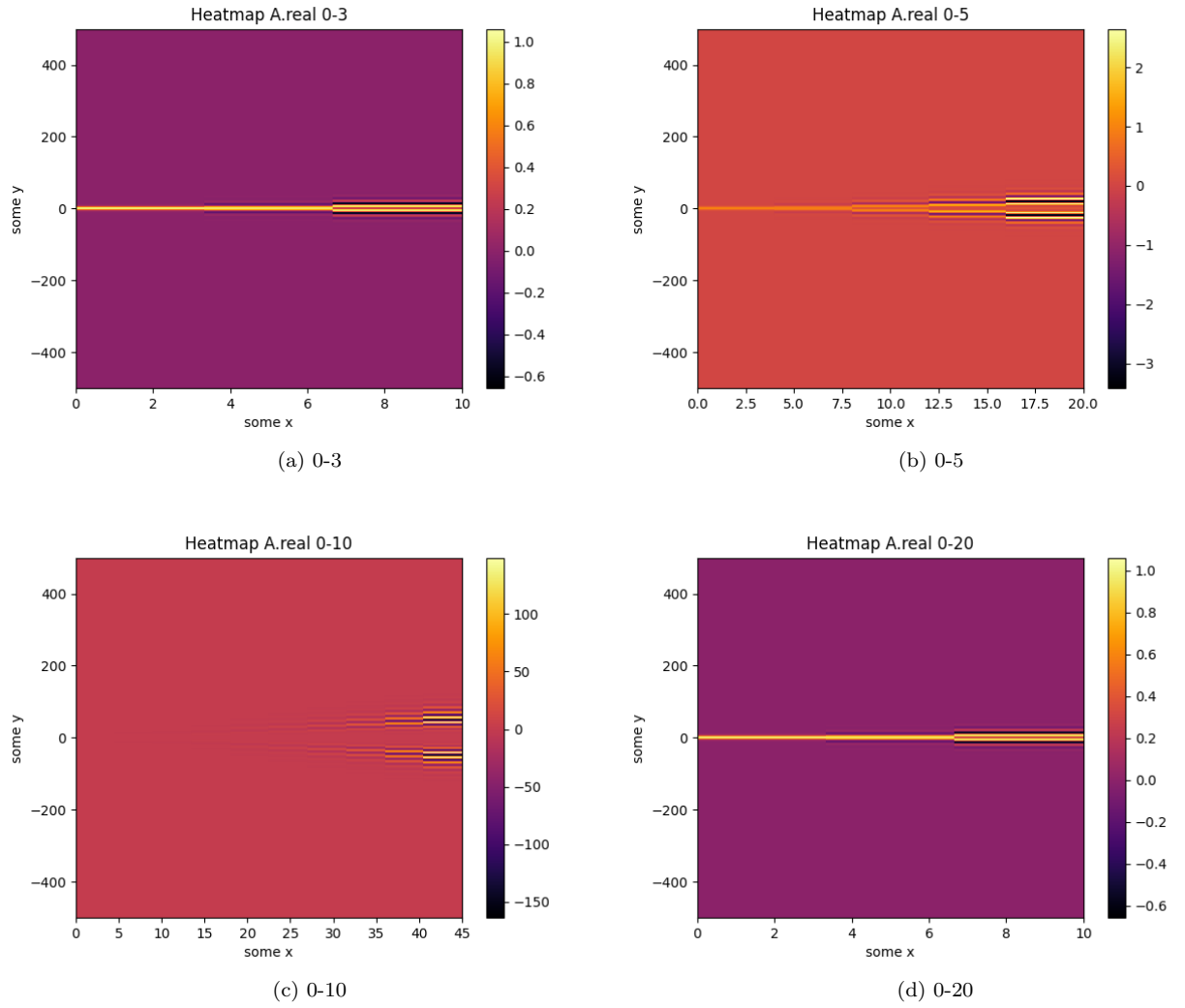


Figure 6: Heatmap for first n x numerically calculated

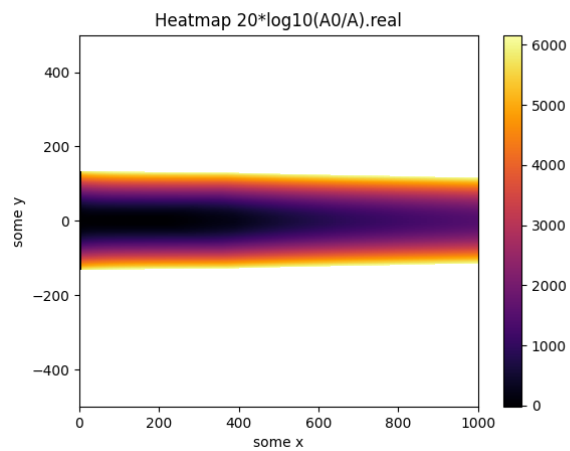


Figure 7: numerical solution

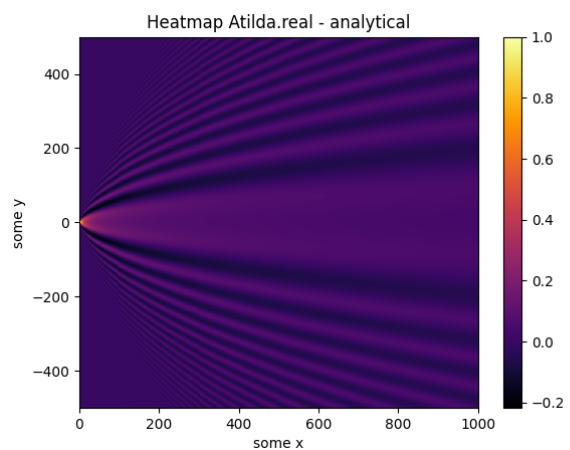
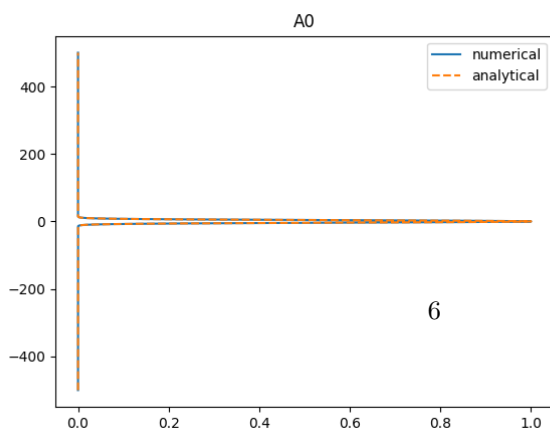
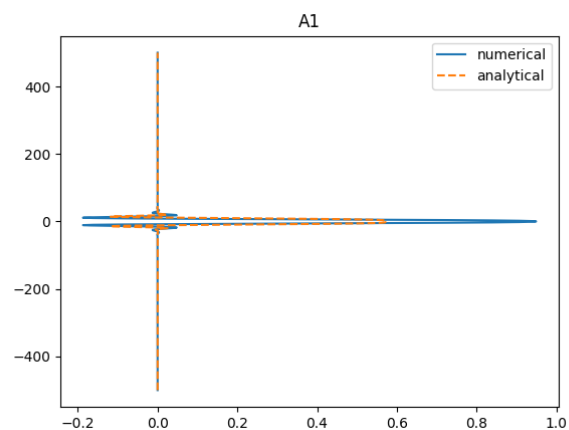


Figure 8: analytical solution

## 2.2 Compare numerical and analytical



(a)  $x=0$



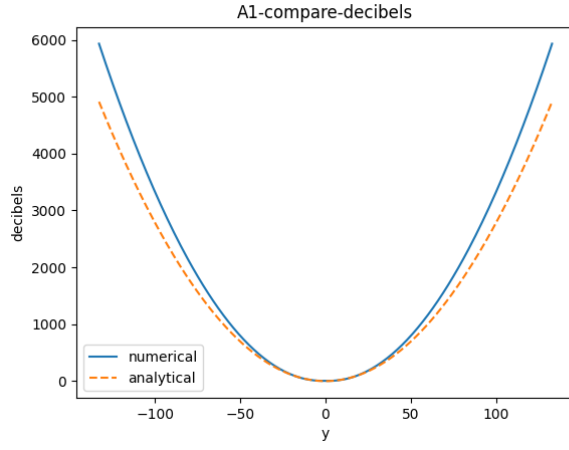
(b)  $x=1$



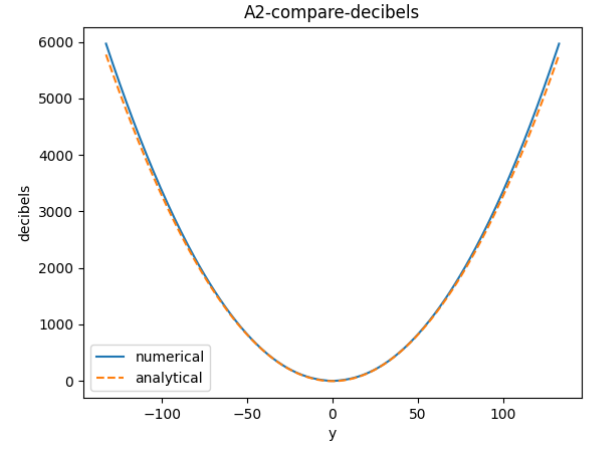
## 2.3 Compare numerical and analytical - decibels

Function for converting to decibels:

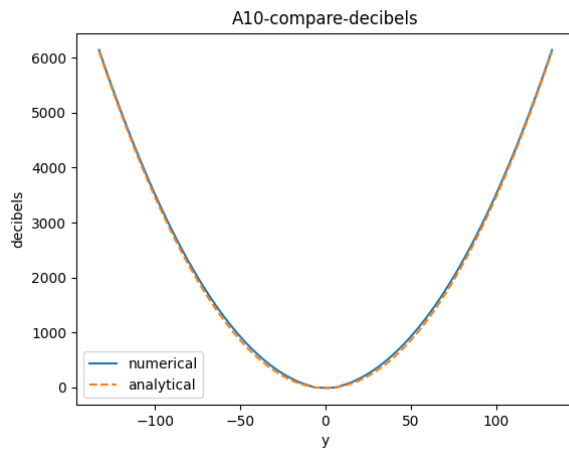
```
''' Function takes a vector (matrix row) and transforms the
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    a0 = x[0]
    new = []
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        if cmath.log10(i/a0) == 0:
            new = new + [1]
        else:
            new = new + [20*cmath.log10(i/a0)]
    return new
```



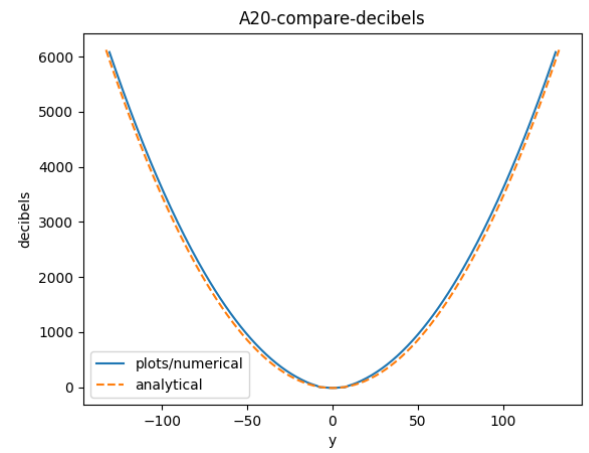
(a)  $x=1$



(b)  $x=2$



(c)  $x=3$



(d)  $x = 20$

Figure 10:  $x$ -th column of matrix  $A$  (numerical) and  $\tilde{A}$  (analytical) converted to decibels