

Round E APAC Test 2017

[A. Diwali lightings](#)

[B. Beautiful Numbers](#)

[C. Partitioning Number](#)

**D. Sorting Array**

Questions asked 3

#### Submissions

##### Diwali lightings

5pt	Not attempted 1615/2160 users correct (75%)
8pt	Not attempted 1262/1580 users correct (80%)

##### Beautiful Numbers

6pt	Not attempted 1429/1592 users correct (90%)
15pt	Not attempted 211/1189 users correct (18%)

##### Partitioning Number

9pt	Not attempted 646/851 users correct (76%)
17pt	Not attempted 193/470 users correct (41%)

##### Sorting Array

13pt	Not attempted 5/65 users correct (8%)
27pt	Not attempted 2/2 users correct (100%)

#### Top Scores

AngryBacon	100
LittleBuger	100
wcwswws	78
legedexinshi	73
TheTerminalGuy	71
Shaon	71
ajs97	65
thonsi	65
john0312	65
rossSJTU	65

## Problem D. Sorting Array

This contest is open for practice. You can try every problem as many times as you like, though we won't keep track of which problems you solve. Read the [Quick-Start Guide](#) to get started.

Small input  
13 points

Solve D-small

Large input  
27 points

Solve D-large

### Problem

We are in the process of creating a somehow esoteric sorting algorithm to sort an array  $A$  of all integers between 1 and  $N$ . The integers in  $A$  can start in an arbitrary order. Besides the input order, the algorithm depends on two integers  $P$  (which would be at most 3) and  $K$ . Here is how the algorithm works:

1. Partition  $A$  into  $K$  disjoint non-empty subarrays  $A_1, A_2, \dots, A_K$  such that concatenating them in order  $A_1 A_2 \dots A_K$  produces  $A$ .
2. Sort each subarray individually.
3. Choose up to  $P$  of the subarrays, and swap any two of them any number of times.

For example, consider  $A = [1\ 5\ 4\ 3\ 2]$  and  $P = 2$ . A possible partition into  $K = 4$  disjoint subarrays is:

```
A1 = [1]
A2 = [5]
A3 = [4]
A4 = [3 2]
```

After Sorting Each Subarray:

```
A1 = [1]
A2 = [5]
A3 = [4]
A4 = [2 3]
```

After swapping  $A_4$  and  $A_2$ :

```
A1 = [1]
A2 = [2 3]
A3 = [4]
A4 = [5]
```

We want to show the algorithm is good for distributed environments by finding, for a fixed input and value of  $P$ , the maximum number of partitions  $K$  such that, choosing the partitions and swaps wisely, we can achieve a sorting of the original order. Can you help us to calculate that  $K$ ?

### Input

The first line of the input gives the number of test cases,  $T$ .  $T$  test cases follow. Each test case consists of two lines. The first line contains two integers  $N$  and  $P$ , as described above. The second line of the test case contains  $N$  integers  $X_1, X_2, \dots, X_N$  representing array  $A$ .

### Output

For each test case, output one line containing Case #x: y, where x is the test case number (starting from 1) and y is the maximum possible value for the parameter  $K$ .

### Limits

$1 \leq T \leq 100$ .  
 $1 \leq N \leq 5000$ .  
 $1 \leq X_i \leq N$ , for all  $i$ .  
 $X_i \neq X_j$  for all  $i \neq j$ .

### Small dataset

$P = 2$ .

### Large dataset

$P = 3$ .

## Sample

Input	Output
5	Case #1: 4
5 2	Case #2: 2
1 5 4 3 2	Case #3: 3
5 2	Case #4: 3
4 5 1 2 3	Case #5: 6
6 2	
6 3 5 2 4 1	
5 3	
4 5 1 2 3	
6 3	
1 2 6 4 5 3	

Case #1:  
Same as walk through in the statement.

Case #2:  
[4 5] [1 2 3]  
Swap the 2 blocks: [1 2 3] [4 5]

Case #3:  
[6] [3 5 2 4] [1]  
Sort [3 5 2 4], then swap [6] and [1], we get: [1] [2 3 4 5] [6]

Case #4:  
[4 5] [1] [2 3]  
Swap [4 5] and [1], then swap [2 3] and [4 5]: [1] [2 3] [4 5]

Case #5:  
[1] [2] [6] [4] [5] [3]  
Swap [6] and [3]: [1] [2] [3] [4] [5] [6]

**Note:** First 3 sample cases would not appear in the Large dataset and the last 2 sample cases would not appear in the Small dataset.

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