

Round 3 2015

- A. Fairland
- B. Smoothing Window
- C. Runaway Quail
- D. Log Set
- E. River Flow

Contest Analysis

Questions asked

Submissions

Fairland	
3pt	Not attempted 319/328 users correct (97%)
9pt	Not attempted 212/291 users correct (73%)
Smoothing Window	
6pt	Not attempted 194/268 users correct (72%)
7pt	Not attempted 184/194 users correct (95%)
Runaway Quail	
8pt	Not attempted 45/107 users correct (42%)
15pt	Not attempted 16/20 users correct (80%)
Log Set	
6pt	Not attempted 197/212 users correct (93%)
19pt	Not attempted 55/109 users correct (50%)
River Flow	
10pt	Not attempted 15/43 users correct (35%)
17pt	Not attempted 11/11 users correct (100%)

Top Scores

rng..58	73
tkociumaka	73
Gennady.Korotkevich	73
Khark	73
linguo	72
iwi	68
tczajka	64
simonlindholm	60
kevinsogo	60
vepifanov	58

Problem D. Log Set

This contest is open for practice. You can try every problem as many times as you like, though we won't keep track of which problems you solve. Read the Quick-Start Guide to get started.

Small input  
6 points

Solve D-small

Large input  
19 points

Solve D-large

Problem

The *power set* of a set  $S$  is the set of all subsets of  $S$  (including the empty set and  $S$  itself). It's easy to go from a set to a power set, but in this problem, we'll go in the other direction!

We've started with a set of (not necessarily unique) integers  $S$ , found its power set, and then replaced every element in the power set with the sum of elements of that element, forming a new set  $S'$ . For example, if  $S = \{-1, 1\}$ , then the power set of  $S$  is  $\{\{\}, \{-1\}, \{1\}, \{-1, 1\}\}$ , and so  $S' = \{0, -1, 1, 0\}$ .  $S'$  is allowed to contain duplicates, so if  $S$  has  $N$  elements, then  $S'$  always has exactly  $2^N$  elements.

Given a description of the elements in  $S'$  and their frequencies, can you determine our original  $S$ ? It is guaranteed that  $S$  exists. If there are multiple possible sets  $S$  that could have produced  $S'$ , we guarantee that our original set  $S$  was the *earliest* one of those possibilities. To determine whether a set  $S_1$  is earlier than a different set  $S_2$  of the same length, sort each set into nondecreasing order and then examine the leftmost position at which the sets differ.  $S_1$  is earlier iff the element at that position in  $S_1$  is smaller than the element at that position in  $S_2$ .

Input

The first line of the input gives the number of test cases,  $T$ .  $T$  test cases follow. Each consists of one line with an integer  $P$ , followed by two more lines, each of which has  $P$  space-separated integers. The first of those lines will have all of the different elements  $E_1, E_2, \dots, E_P$  that appear in  $S'$ , sorted in ascending order. The second of those lines will have the number of times  $F_1, F_2, \dots, F_P$  that each of those values appears in  $S'$ . That is, for any  $i$ , the element  $E_i$  appears  $F_i$  times in  $S'$ .

Output

For each test case, output one line containing "Case #x: ", where  $x$  is the test case number (starting from 1), followed by the elements of our original set  $S$ , separated by spaces, in nondecreasing order. (You will be listing the elements of  $S$  directly, and not providing two lists of elements and frequencies as we do for  $S'$ .)

Limits

$1 \leq T \leq 100.$   
 $1 \leq P \leq 10000.$   
 $F_i \geq 1.$

Small dataset

$S$  will contain between 1 and 20 elements.  
 $0 \leq \text{each } E_i \leq 10^8.$

Large dataset

$S$  will contain between 1 and 60 elements.  
 $-10^{10} \leq \text{each } E_i \leq 10^{10}.$

Sample

Input	Output
5	Case #1: 1 2 4
8	Case #2: 1 1 1
0 1 2 3 4 5 6 7	Case #3: 0 0 1 3
1 1 1 1 1 1 1 1	Case #4: -1 1
4	Case #5: -2 1 1
0 1 2 3	
1 3 3 1	
4	

```
0 1 3 4
4 4 4 4
3
-1 0 1
1 2 1
5
-2 -1 0 1 2
1 2 2 2 1
```

Note that Cases #4 and #5 are not within the limits for the Small dataset.

In Case #4,  $S = \{-1, 1\}$  is the only possible set that satisfies the conditions. (Its subsets are  $\{\}$ ,  $\{-1\}$ ,  $\{1\}$ , and  $\{-1, 1\}$ . Those have sums 0, -1, 1, and 0, respectively, so  $S'$  has one copy of -1, two copies of 0, and one copy of 1, which matches the specifications in the input.)

For Case #5, note that  $S = \{-1, -1, 2\}$  also produces the same  $S' = \{-2, -1, -1, 0, 0, 1, 1, 2\}$ , but  $S = \{-2, 1, 1\}$  is earlier than  $\{-1, -1, 2\}$ , since at the first point of difference,  $-2 < -1$ . So  $-1 -1 2$  would **not** be an acceptable answer.  $1 -2 1$  would also be unacceptable, even though it is the correct set, because the elements are not listed in nondecreasing order.

---

All problem statements, input data and contest analyses are licensed under the [Creative Commons Attribution License](#).

© 2008-2017 Google [Google Home](#) - [Terms and Conditions](#) - [Privacy Policies and Principles](#)

Powered by



Google Cloud Platform