

CSCI 104

tkw

oHW5

oProblem 1

1. unusual

$$- \binom{7}{5} = 21 \text{ unique subsets}$$

$$7 P 5 = 2520 \text{ different strings}$$

$$2. \binom{13}{2} \binom{4}{2} \binom{4}{2} 44 = 123552$$

3.

scenario where fighting couple gets one song:

||| ||| *6 remaining couples* *** *15 remaining songs* ...

$$\frac{(13+6)!}{15! \cdot 6!} = 54264$$

4. 2 node tree (3, 9)

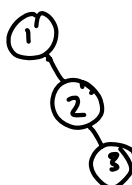
left child can be 1

2 ways



3 node tree (1, 2, 3)

- 1, 2, 3

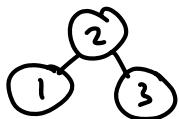


- 1, 3, 2

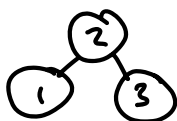


5 ways

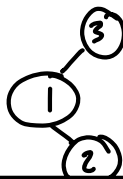
- 2, 1, 3



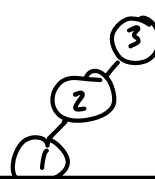
- 2, 3, 1



- 3, 1, 2



- 3, 2, 1

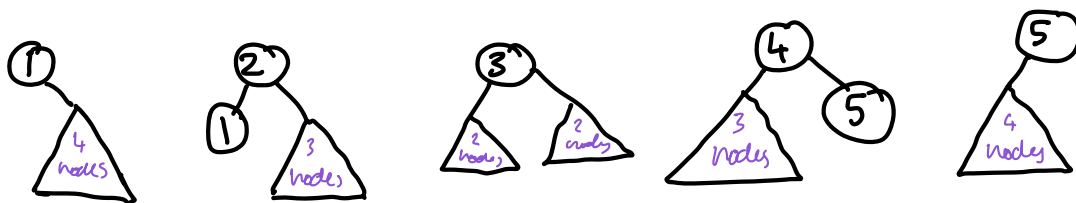


4 node tree (1, 2, 3, 4)



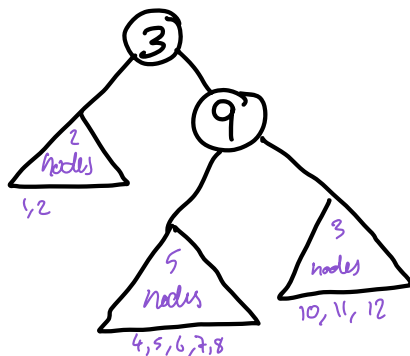
$$5 \text{ ways} + 2 \text{ ways} + 2 \text{ ways} + 5 \text{ ways} = 14 \text{ ways}$$

5 node tree (1, 2, 3, 4, 5)

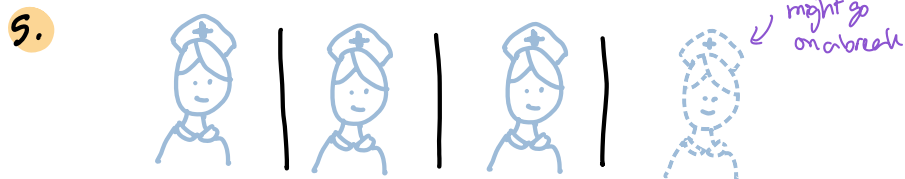


$$14 \text{ ways} + 5 \text{ ways} + 4 \text{ ways} + 5 \text{ ways} + 14 \text{ ways} = 42 \text{ ways}$$

12 nodes



$$2 \text{ ways} + 42 \text{ ways} + 5 \text{ ways} = 49 \text{ ways}$$



if nurse goes on break: 2 bars, 10 stars $\binom{10-1}{2-1} = 9$

if nurse doesn't go on break: 3 bars, 10 stars $\binom{10-1}{3-1} = 36$

$$36 + 9 = 45 \text{ combinations}$$