CMPE480 Fall 23-24 HW4

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Dataset

The dataset I worked on is for loan prediction. There are 8 attributes:

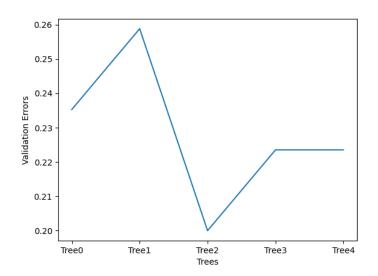
- 1. Loan_ID, a unique ID for each person
- 2. Gender, "Male" or "Female"
- 3. Married, "Yes" or "No"
- 4. **Education**, "Graduate" or "Not Graduate"
- 5. Self_Employed, "Yes" or "No"
- 6. **Credit_History**, "0" or "1"
- 7. **Property_Area**, "Rural", "Urban" or "Semiurban"
- 8. Loan_Status, "Y" or "N"

Depending on the background features of the given person, it is decided if they will be granted the loan or not. The attributes 2 to 7 are used as the background features of the person, and with them Loan_Status is decided as "Y" indicating they will get the loan, or "N" otherwise.

5-Fold Cross Validation

In total, there were 511 entries in the dataset. I first splitted them into 2: 86 for testing, 425 for training and validation. Then, I divided the 425 entries into 2 for 75% for training and 25% for validation. I did this 5 times and at each iteration i I got the i*85 to (i+1)*85 entries as the validation set, the remaining as the training set. At each iteration I created another decision tree and calculated the errors using the validation set. Finally, I calculated the overall error as the average of these 5 errors.

Error Plots



Validation Errors:

Here, each tree that is generated at each iteration during k-fold cross validation is validated and the errors can be seen in the plot.

The errors are as follows:

0.2352941

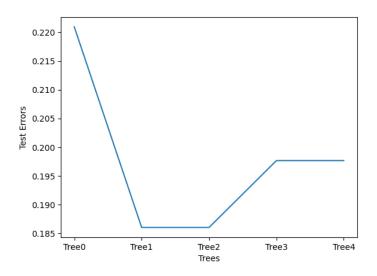
0.2588235

0.2

0.2235294

0.2235294

The overall error is the average = 0.2282353



Test Errors:

Each tree is also tested with the test set.

The errors are as follows:

0.22093023255813954

0.18604651162790697

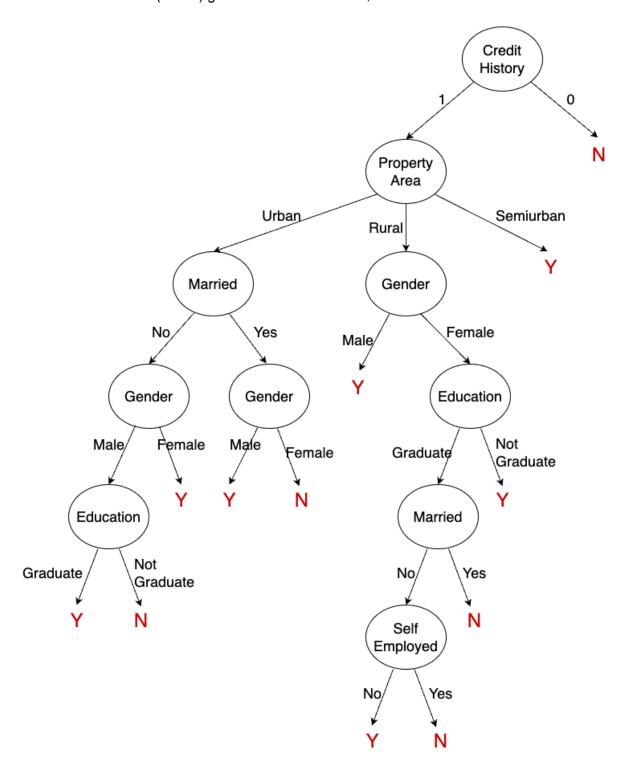
0.18604651162790697

0.19767441860465115

0.19767441860465115

Final Decision Tree

Since the second tree (Tree2) gives the smallest errors, it is the best one.



Source Code

```
import math
import matplotlib.pyplot as plt
Graduate"], ...}
class Node:
def entropy(q):  # entropy of a boolean random variable q = pos / (pos+neg)
      return -1 * (1-q) * math.log(1-q, 2)
      return -1 * q * math.log(q, 2)
  return -1 * (q * math.log(q, 2) + (1-q) * math.log(1-q, 2))
def attribute counts(attribute, attributes, examples):
      if example[goal] == positive:
          attr_dict[example.get(attribute)][1] += 1
def positive_prob(examples):
```

```
return positives/len(examples)
def remainder(attribute, attributes, examples):
  attr dict = attribute counts(attribute, attributes, examples)
  for attribute in attr dict.keys():
      negatives = attr dict[attribute][1]
      if positives + negatives == 0:
      attr_sum += (total) * entropy(positives / total)
  return 1/len(examples) * attr sum
def importance(attribute, attributes, examples):
  return entropy(positive_prob(examples)) - remainder(attribute, attributes,
examples)
def plurality_value(examples):
       if example[goal] == positive:
  return positive if positive_count >= negative_count else negative
def eliminate attributes(node):
```

```
node.children = []
def clear tree(root):
  for i in range(depth+1):
              node = queue.pop(0)
              for child in node.children:
def check if all same(examples):
  first_example = examples[0][goal]
       if example[goal] != first_example:
def arg max importance(attributes, examples):
       gain = importance(a, attributes, examples)
def create_new_examples(attribute, attribute_value, parent_examples):
  for example in parent examples:
      if example[attribute] == attribute_value:
          new examples.append(example)
```

```
return new_examples
def create new attributes(attribute, attributes):
      if attr == attribute:
def decision tree learning(attributes, examples, parent examples):
  global depth
  if len(examples) == 0:
       tree = Node(plurality value(parent examples))
  all_same_class = check_if_all_same(examples)
      return Node(plurality value(examples))
  attribute = arg max importance(attributes, examples)
      new_examples = create_new_examples(attribute, val, examples)
      subtree = decision_tree_learning(new_attributes, new_examples, examples)
      tree.children.append(subtree)
  depth += 1
def get attributes(examples, first line):
```

```
attributes[column] = []
           if example[key] in attributes[key]:
          attributes[key].append(example[key])
  return attributes
def get data from csv(g, pos, neg, file name):
  global negative # "N"
  data_file = open(file_name, "r")
  columns = data file.readline().strip().split(",")
  for line in data file.readlines():
      data = line.strip().split(",")
       examples.append(data dict)
def calculate error(data, root):
       if example[goal] != find_goal_value(example, root):
def k_fold(k, examples, test_data):
  e_gen = 0
       train_data = examples[ : (i * part_len)] + examples[(i+1) * part_len: ]
      validate_data = examples[i * part_len: (i+1) * part_len]
```

```
clear_tree(root)
      validation_errors.append(validation_error)
       test errors.append(calculate error(test data, root))
  return e_gen/k, validation_errors, test_errors
def find goal value(example, node):
          return find_goal_value(example, child)
def train(train_data):
  attributes = get attributes(train data, columns)
  return decision_tree_learning(attributes, train_data, train_data)
def plot graph(x, y, xname, yname):
if name == " main ":
  examples, columns = get_data_from_csv("Loan_Status", "Y", "N", "training.csv")
  test_data = get_data_from_csv("Loan_Status", "Y", "N", "test.csv")[0]
  k_fold_error, validation_errors, test_errors = k_fold(5, examples, test_data)
  plot graph(trees, validation errors, "Trees", "Validation Errors")
  plot_graph(trees, test_errors, "Trees", "Test Errors")
```