

# Procrastinating Pierre (Hard)

**Time limit: 1s**

**Memory limit: 2GB**

Pierre needs to visit his in-laws on the other side of town. Being his in-laws, he's not particularly looking forward to the visit, and much prefers to stay at home for the time being. His city is represented by a graph with  $E$  edges as roads and  $V$  nodes as either intersections or buildings. Pierre lives at node 1, and his in-laws reside at node  $V$ .

The city is currently undergoing construction. Every road will eventually be closed, with some roads closing sooner than others. Pierre knows that road  $i$  will close at  $t_i$  seconds from now.

Each road takes 1 second to traverse, and since Pierre doesn't want to get stuck on a road when it closes, he can only traverse a road if he arrives at time  $t_i - 1$  or before.

What is the latest time, given in number of seconds from now, that he can depart home, and still reach his in-law's place? It may be the case that he has already procrastinated too long, and it is already impossible to reach his in-law's. If so, print  $-1$ .

## Input and Output

The first line of input contains two integers,  $V$  and  $E$ . The next  $E$  lines describe edges, the  $i$ th of which contains three integers  $a_i$ ,  $b_i$  and  $t_i$ , meaning a road connects nodes  $a_i$  and  $b_i$  and will close at time  $t_i$ . There may be more than one road connecting two nodes. It is not guaranteed that nodes 1 and  $V$  are connected.

Output one line containing one integer, the latest time Pierre can depart, or  $-1$  if it is impossible.

## Constraints

$1 \leq E, V \leq 100,000$ ,  $1 \leq a_i, b_i \leq V$ ,  $0 \leq t_i \leq 10^9$  for all  $1 \leq i \leq E$

## Sample Input (stdin)

```
4 4
1 2 2
1 3 1
2 3 3
3 4 4
```

## Sample Output (stdout)

```
1
```

## Explanation

Pierre can leave home at time 1 and go through 1-2-3-4. At time 2, both edges leaving his house at node 1 will be closed, so time 1 is the latest Pierre can leave.