

Multi-physics modeling and simulation of nuclear reactors using OpenFOAM

30 Aug 2022 - 6 October 2022 (every Tuesday & Thursday)

Contact: <u>ONCORE@iaea.org</u>

Multi-physics modelling and simulation of nuclear reactors using OpenFOAM

Lecture 2A: A practical introduction to OpenFOAM Theory background and first steps

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Course Enrollment: Multi-physics modelling and simulation of nuclear reactors using OpenFOAM

ONCORE: Open-source Nuclear Codes for Reactor Analysis

Objective of the lecture

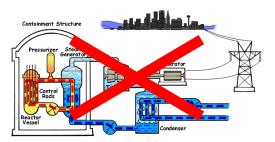


We will have a look on:

- "Multi-physics modelling and simulation"
- How to model a nuclear engineering problem: from the physical system to the mathematical and numerical modeling to result analysis
- Overview on PDEs, Finite Volume discretization method and linear algebra solvers in the view of OF use
- Solver and case folder structure (where to find equations, parameters, boundary conditions, and initial conditions),
- First steps with OF: download, installation, learning tools



Nuclear systems are complex systems





 $\underline{\textbf{Multi}} component$

Multidisciplinary

<u>Multi</u>physics

<u>Multi</u>scale



How to study nuclear reactor (or complex system)?

"For every complex problem there is an answer that is clear, simple, and... wrong" (H. L. Mencken)

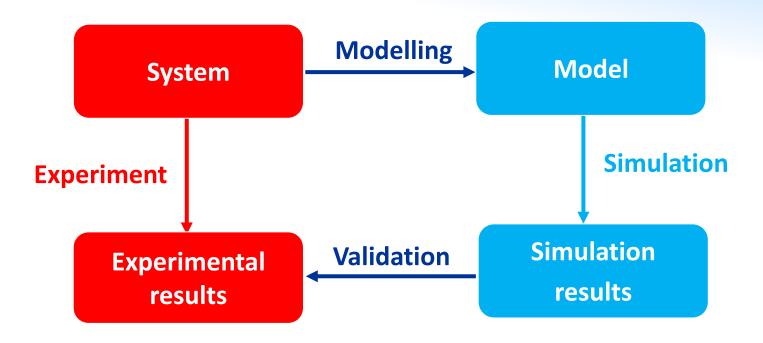


"There are no simple answers to complex problems"

Proper analysis: The analysis performed for a system should not be more complex than is necessary for a given purpose

- . We should know which is our purpose (what we want to know about the problem)
- . We should know which are the limits of our analysis approach (what we can studied with this approach or not)







To design and analyze system (prediction of plant parameters)

- Increase understanding
- Optimization
- Control
- Safety

Advantages

- Experiment are expensive, dangerous and cannot be performed on system that cannot exist
- Time scale
- Variables may be inacessible
- Easy manipulation
- No disturbancies
- Exploring different scenario



Critical issues

- A model is not the real world Pygamlion effect
- Forcing reality into the constraints of a model Procrustes effect
- Forgetting the model's level of accuracy
- Forgetting the purpose of the model Proper modelling
- The computational resources are not unlimited



Multiphysics

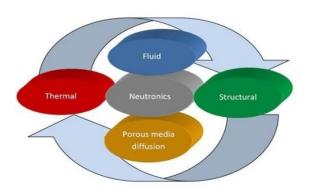


"Multiphysics is a **computational discipline** which treats simulations that involve multiple physical models or multiple simultaneous physical phenomena" (Wikipedia et al., 2017)



"Multiphysics is the study of the mutual interaction of different physical phenomena"

- Fluid dynamics
- Heat Transfer
- Neutronics
- Chemistry
- Mechanics
- BoP





"How do you model a nuclear engineering problem?"

"Which are the steps required to model a nuclear engineering problem?"



"Which are the step required to model a nuclear engineering problem?"

- 1. Physical modelling: choose the proper modelling approach (PDEs)
- 2. **Domain modelling**: establish the boundary of the system and create the geometry (with possible assumptions)
- **3. Domain + equation discretization**: selection of a discretization method (FV, FE, DG,...) + mesh creation + equation discretization (including selection of boundary and initial conditions)
- **4. Solution of (discretized) equations**: selection of the method to solve the system of linear algebraic equations
- **5. Post-processing**: visualization of the results



"Which are the step required to model a nuclear engineering problem?"

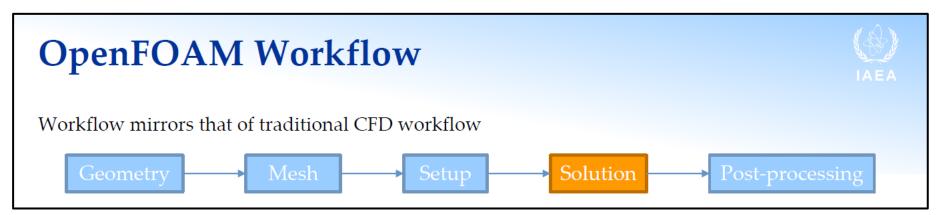
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Solver vs Simulation case



"Which are the step required to model a nuclear engineering problem?"

- 1. Physical modelling
- 2. Domain modelling
- 3. Domain + equation discretization
- 4. Solution of (discretized) equations
- 5. Post-processing





Physical and domain modelling

Physical system

Choose the proper modelling approach (Solver) + create the Geometry

Physical/Mathematical modelling

Domain and equation discretization

From a continuous real problem to a discretized numerical one:

- . Numerical method (FV)
- . Spatial discretization (**Mesh**)
- . Initial and Boundary Conditions
- . Linear algebra solver

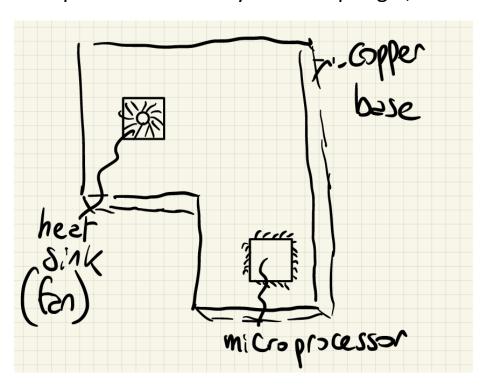
Results analysis

Solve the case!

Numerical modelling

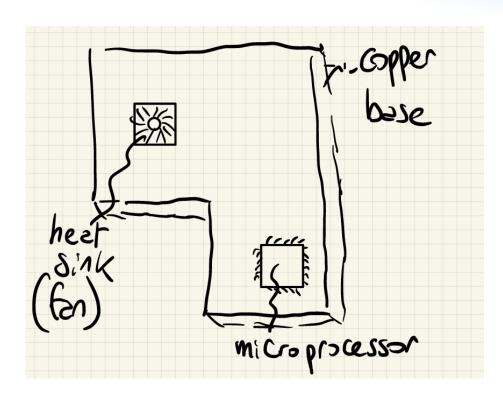


Example taken from «F. Moukalled, L. Mangani, M. Darwish. The Finite Volume Method in Computational Fluid Dynamics. Springer, 2016»



Problem: study the heat transfer in a electronic device where a microprocessor is connected to a heat sink





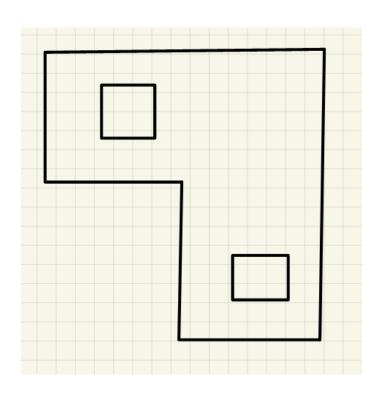
1. Physical modelling: how do we model the heat transfer?

$$-\nabla \cdot (k\nabla T) = \dot{q}$$

In OF, the physical model is decided by the solver you are using!

You can find the available solvers in /OpenFOAM-XXX/applications/solvers/



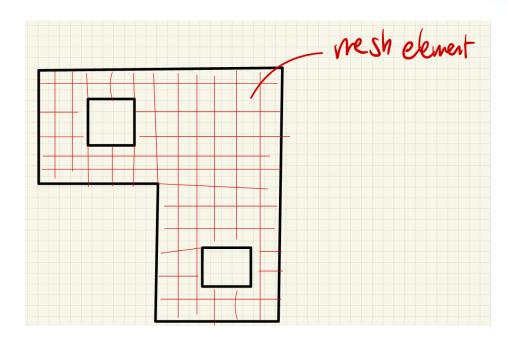


2. Domain modelling: we need to approximate the real geometry.

This is the first step of the **simulation of a case.** To build the geometry, you can use custom or external utilities/programmes.

A simulation in OF (case) follows a specific file structure.



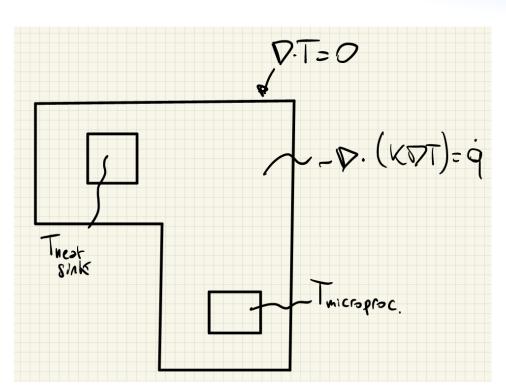


3. Domain discretization: It is required since analytical solution of PDE is usually difficult (impossible to achieve) → we need an approximation

In OF, the discretization method is the Finite Volume (FV) method.

Once created the geometry, we need a **mesh** on which the PDE is solved.





3. Equation discretization: Thanks to the FVM we transform the PDE in a discretized form. We need to specify **the boundary conditions, initial conditions plus the discretization options** (aka discretization schemes)

$$\frac{\partial(p\phi)}{\partial t} + p \cdot (p \nabla \phi) = p \cdot (p \nabla \phi) + Q$$

$$\frac{\partial}{\partial t} + \frac{\partial}{\partial t} = \frac{\partial}{\partial t} + \frac{\partial}$$



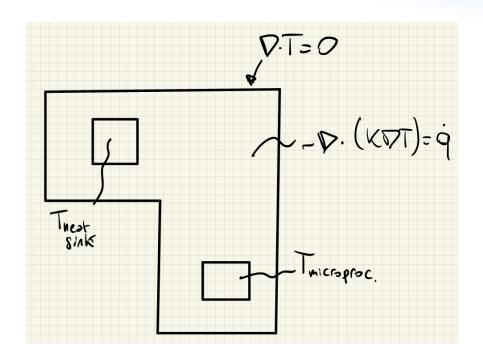
$$\frac{\partial(p\phi)}{\partial t} + P \cdot (p \vec{v} \phi) = P \cdot (p \vec{v} \phi) + Q$$

$$\frac{\partial c}{\partial t} + \sum_{k} p_{k} c_{k} c_$$

4. Solution of (discretized) equations: The discretized form is nothing more than a system of linear algebraic equations.

We need to specify **how to solve this linear system** (iterative or direct solvers?)





This is an example involving one physics. In case of a multiphysics system the mathematical modelling and the numerical consideration are usually interconnected.

In a multiphysics solver, we need to specify how do we solve the multiphysics coupling.

In OF, this is usually done with operatorsplitting (one equation at time + fixed point iteration)



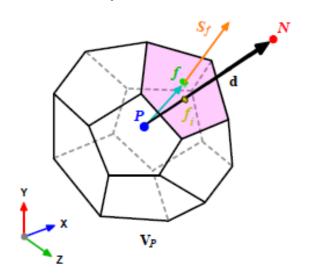
The purpose of any discretisation practice is to transform one or more partial differential equations into a corresponding system of algebraic equations.

$$\int_{V_{P}} \underbrace{\frac{\partial \rho \phi}{\partial t} dV}_{\text{temporal derivative}} + \int_{V_{P}} \underbrace{\nabla \cdot \left(\rho \mathbf{u} \phi\right) dV}_{\text{convective term}} - \int_{V_{P}} \underbrace{\nabla \cdot \left(\rho \Gamma_{\phi} \nabla \phi\right) dV}_{\text{diffusion term}} = \int_{V_{P}} \underbrace{S_{\phi}\left(\phi\right) dV}_{\text{source term}}$$



Two ingredients: **domain discretization** and equation discretization

The domain is divided in control volumes V_p where the solution is calculated by integrating the PDE over V_p .



- . P is the centroid of the corresponding CV
- . **N** is the centroid of the neighbor CV
- . d is the distance from P to N
- . f is the control volume face
- . S_f is the face area vector pointing outwards from the control volume, normal to the face with magnitude equal to the area of the face



. Two ingredients: domain discretization and equation discretization

$$\int_{V_{P}} \underbrace{\frac{\partial \rho \phi}{\partial t} dV}_{\text{temporal derivative}} + \int_{V_{P}} \underbrace{\nabla \cdot (\rho \mathbf{u} \phi) \, dV}_{\text{convective term}} - \int_{V_{P}} \underbrace{\nabla \cdot (\rho \Gamma_{\phi} \nabla \phi) \, dV}_{\text{diffusion term}} = \int_{V_{P}} \underbrace{S_{\phi} \left(\phi \right) dV}_{\text{source term}}$$

Hp: linear variation in space and time

$$\phi(\mathbf{x}) = \phi_P + (\mathbf{x} - \mathbf{x}_P) \cdot (\nabla \phi)_P \quad \text{where} \quad \phi_P = \phi(\mathbf{x}_P)$$
$$\phi(t + \delta t) = \phi^t + \delta t \left(\frac{\partial \phi}{\partial t}\right)^t \quad \text{where} \quad \phi^t = \phi(t)$$

Gauss (divergence) theorem to convert the volume integrals into surface integrals.

$$\int_{V} \nabla \cdot \mathbf{a} dV = \oint_{\partial V} d\mathbf{S} \cdot \mathbf{a}$$



$$\int_{V_P} \underbrace{\frac{\partial \rho \phi}{\partial t} dV}_{\text{temporal derivative}} + \int_{V_P} \underbrace{\nabla \cdot (\rho \mathbf{u} \phi) \, dV}_{\text{convective term}} - \int_{V_P} \underbrace{\nabla \cdot (\rho \Gamma_\phi \nabla \phi) \, dV}_{\text{diffusion term}} = \int_{V_P} \underbrace{S_\phi \left(\phi\right) dV}_{\text{source term}}$$

$$\int_{V} \nabla \cdot \mathbf{a} dV = \oint_{\partial V} d\mathbf{S} \cdot \mathbf{a}$$

$$\frac{\partial}{\partial t} \int_{V_{P}} (\rho \phi) \, dV + \oint_{\partial V_{P}} \underbrace{d\mathbf{S} \cdot (\rho \mathbf{u} \phi)}_{\text{convective flux}} - \oint_{\partial V_{P}} \underbrace{d\mathbf{S} \cdot (\rho \Gamma_{\phi} \nabla \phi)}_{\text{diffusive flux}} = \int_{V_{P}} S_{\phi} (\phi) \, dV$$

$$\oint_{\partial V_P} \underbrace{d\mathbf{S} \cdot (\rho \Gamma_{\phi} \nabla \phi)}_{\text{diffusive flux}} = \sum_f \int_f d\mathbf{S} \cdot (\rho \Gamma_{\phi} \nabla \phi)_f = \sum_f \mathbf{S}_f \cdot (\rho \Gamma_{\phi} \nabla \phi)_f$$

$$\int_{V_P} \underbrace{\frac{\partial \rho \phi}{\partial t} dV}_{\text{temporal derivative}} + \sum_f \underbrace{\mathbf{S}_f \cdot (\rho \mathbf{u} \phi)_f}_{\text{convective flux}} - \sum_f \underbrace{\mathbf{S}_f \cdot (\rho \Gamma_\phi \nabla \phi)_f}_{\text{difussive flux}} = \underbrace{(S_c V_P + S_p V_P \phi_P)}_{\text{source term}}$$

Taken from Joel Guerrero, Finite Volume Method: A Crash introduction. https://wiki.openfoam.com/Theory_by_Joel_Guerrero Published under: CC BY-SA license



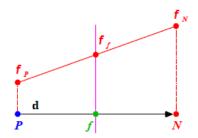
$$\int_{V_P} \underbrace{\frac{\partial \rho \phi}{\partial t} dV}_{\text{temporal derivative}} + \sum_f \underbrace{\mathbf{S}_f \cdot (\rho \mathbf{u} \phi)_f}_{\text{convective flux}} - \sum_f \underbrace{\mathbf{S}_f \cdot (\rho \Gamma_\phi \nabla \phi)_f}_{\text{difussive flux}} = \underbrace{(S_c V_P + S_p V_P \phi_P)}_{\text{source term}}$$

. In the convective and diffusive flux, the variable of interest is calculated at the face flux but we want the value at the centroid **P**

. The face values appearing in the convective and diffusive fluxes have to be computed by some form of interpolation from the centroid values of the control volumes at both sides of face f.

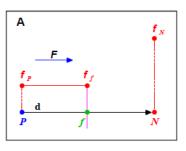


Convective flux



$$\phi_f = f_x \phi_P + (1 - f_x) \, \phi_N$$

$$\phi_f = f_x \phi_P + (1-f_x) \, \phi_N$$
 Linear interpolation (central differencing of $f_x = \frac{fN}{PN} = \frac{\mid \mathbf{x}_f - \mathbf{x}_N \mid}{\mid \mathbf{d} \mid}$. Il order accurate the contraction of \mathbf{x} . May create oscillation of \mathbf{x} is the contraction of \mathbf{x} and \mathbf{x} is the contraction of \mathbf{x} and \mathbf{x} is the contraction of \mathbf{x} is the contra



$$\phi_f = egin{cases} \phi_f = \phi_P & ext{for} & \mathring{F} \geq 0, \ \phi_f = \phi_N & ext{for} & \mathring{F} < 0. \end{cases}$$
 . I order accurate . Bounded solution

Linear interpolation

(central differencing)

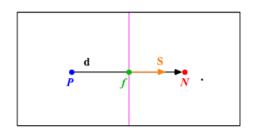
- . May create oscillatory solution

Upwind differencing

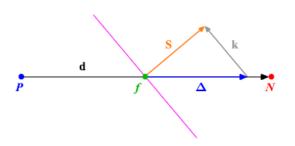
- . Diffusive



Diffusive flux



$$\mathbf{S} \cdot (\nabla \phi)_f = |\mathbf{S}| \frac{\phi_N - \phi_P}{|\mathbf{d}|}.$$



$$\mathbf{S} = \Delta_{\perp} + \mathbf{k}.$$

$$\mathbf{S} \cdot (\nabla \phi)_f = \underbrace{|\Delta_{\perp}| \frac{\phi_N - \phi_P}{|\mathbf{d}|}}_{\text{orthogonal contribution}}$$

+
$$\underbrace{\mathbf{k} \cdot (\nabla \phi)_f}_{\text{non-orthogonal contribution}}$$

Linear interpolation

(central differencing)

- . Il order accurate
- . Truncation error introduced due to the mesh non-orthogonality



. Last but not least.. Time discretization

$$\int_{t}^{t+\Delta t} \left[\left(\frac{\partial \rho \phi}{\partial t} \right)_{P} V_{P} + \sum_{f} \mathbf{S}_{f} \cdot (\rho \mathbf{u} \phi)_{f} - \sum_{f} \mathbf{S}_{f} \cdot (\rho \Gamma_{\phi} \nabla \phi)_{f} \right] dt$$

$$= \int_{t}^{t+\Delta t} \left(S_{c} V_{P} + S_{p} V_{P} \phi_{P} \right) dt.$$

$$\left(\frac{\partial\rho\phi}{\partial t}\right)_{P} = \frac{\rho_{P}^{n}\phi_{P}^{n} - \rho_{P}^{o}\phi_{P}^{o}}{\Delta t}, \qquad \qquad \phi^{n} = \phi(t + \Delta t),$$

$$\int_{t}^{t+\Delta t} \phi(t) dt = \frac{1}{2}(\phi^{o} + \phi^{n}) \Delta t, \qquad \qquad \phi^{o} = \phi(t).$$

- . ϕ^0 is the value at the previous time step (known)
- . ϕ^n is the value at the current time step (unknown)



$$\phi_f = f_x \phi_P^o + (1 - f_x) \phi_N^o,$$

$$\mathbf{S}.(\nabla \phi)_f = |\mathbf{\Delta}| \frac{\phi_N^o - \phi_P^o}{|\mathbf{d}|} + \mathbf{k}.(\nabla \phi)_f^o.$$

$$\phi_f = f_x \phi_P^n + (1 - f_x) \phi_N^n,$$

$$\mathbf{S}.(\nabla \phi)_f = |\mathbf{\Delta}| \frac{\phi_N^n - \phi_P^n}{|\mathbf{d}|} + \mathbf{k}.(\nabla \phi)_f.$$

$$\frac{\rho_P \phi_P^n - \rho_P \phi_P^o}{\Delta t} V_P + \frac{1}{2} \sum_f F \phi_f^n - \frac{1}{2} \sum_f (\rho \Gamma_\phi)_f \mathbf{S}. (\nabla \phi)_f^n \qquad \text{Crank N} \\ + \frac{1}{2} \sum_f F \phi_f^o - \frac{1}{2} \sum_f (\rho \Gamma_\phi)_f \mathbf{S}. (\nabla \phi)_f^o \qquad \text{Stable} \\ = Su V_P + \frac{1}{2} Sp V_P \phi_P^n + \frac{1}{2} Sp V_P \phi_P^o.$$

Euler explicit (very bad)

- . I order accurate
- . Possibly unstable

Euler implicit

- . I order accurate
- . Stable
- . Leads to a linear system

Crank Nicholson

- . Il order accurate
- . Leads to a linear system



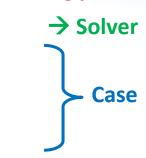
. The time discretizations lead to a linear system to be solved

$$a_P \phi_P^n + \sum_N a_N \phi_N^n = R_P.$$
$$[A] [\phi] = [R],$$



"Which are the step required to model a nuclear engineering problem?"

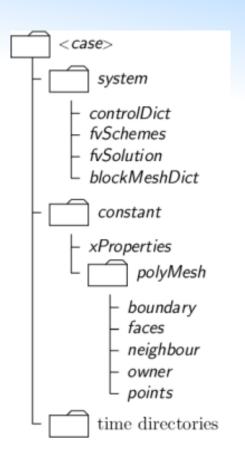
- 1. Physical modelling
- 2. Domain modelling
- 3. Domain discretization
- 4. Solution of (discretized) equations
- 5. Post-processing





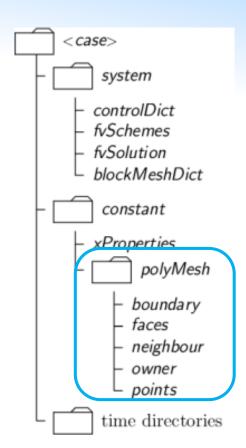
How to perform simulation with OpenFOAM:

- 1) Select the solver, i.e., the modelling
- 2) Case preparation
 - . Geometry and mesh
 - . Initial and boundary conditions
 - . Physical models/parameters
 - . Discretization
 - . Solver parameters
 - . Simulation parameters
- 3) Post-processing
 - . Visualization
 - . Data analysis



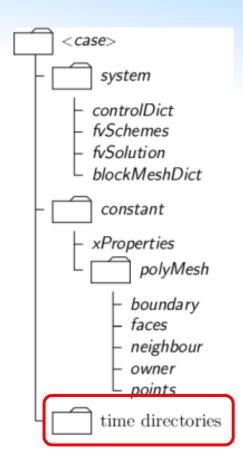


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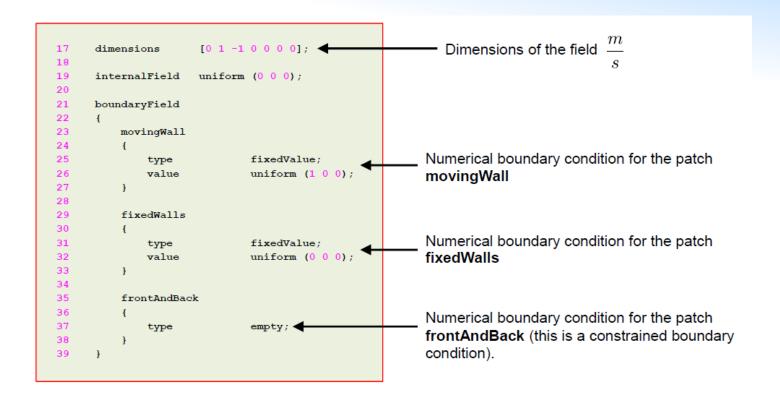




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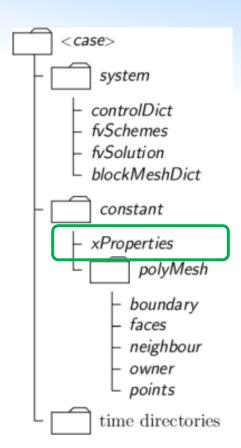






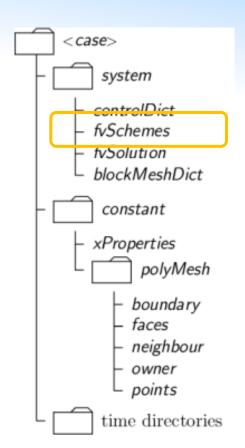


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- 2) Case preparation
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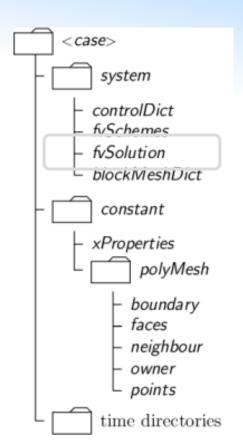


```
ddtSchemes ◀
                                       \partial t
               backward:
     default
                                       \nabla \phi_P
gradSchemes
               Gauss linear;
     default
     grad(p)
               Gauss linear;
                                  \nabla \cdot (\mathbf{U}\phi)
divSchemes
     default
               none:
     div(phi,U)
                Gauss linear;
laplacianSchemes <
               Gauss linear orthogonal;
     default
default
snGradSchemes
```

Taken from Joel Guerrero, Finite Volume Method: A Crash introduction. https://wiki.openfoam.com/Theory_by_Joel_Guerrero Published under: CC BY-SA license



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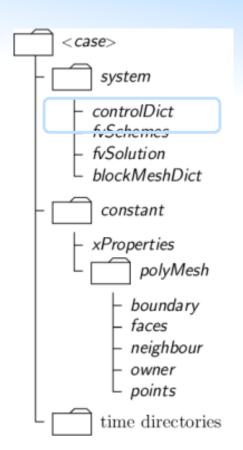
```
solvers
                     PCG:
    preconditioner
                     DIC;
    tolerance
                     1e-06:
    relTol
  pFinal
    $p;
    relTol 0;
                     PBiCGStab:
    preconditioner
                     DILU;
                     1e-08;
    tolerance
    relTol
PISO
  nCorrectors 2:
  nNonOrthogonalCorrectors 1;
```

. Info on the linear (iterative) solver for each discretized matrix-related quantity

. Info related to the method for Navier – Stokes equation



- 2) Case preparation
 - . Geometry and Mesh
 - . Initial and boundary conditions
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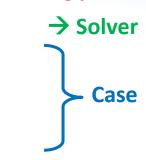
```
startFrom
            latestTime:
startTime
           endTime;
stopAt
endTime
deltaT
writeControl runTime;
writeInterval 100;
purgeWrite
writeFormat ascii:
writePrecision 8;
writeCompression off;
timeFormat general;
timePrecision 6;
runTimeModifiable
```

Modelling of an engineering problem in OF



"Which are the step required to model a nuclear engineering problem?"

- 1. Physical modelling
- 2. Domain modelling
- 3. Domain discretization
- 4. Solution of (discretized) equations
- 5. Post-processing





Let's take a laminar fluid dynamics problem...

Physical modelling = Incompressible Navier – Stokes equations

$$\begin{cases} \nabla \cdot \boldsymbol{u} = 0 \\ \frac{\partial \boldsymbol{u}}{\partial t} + (\boldsymbol{u} \cdot \nabla) \boldsymbol{u} = v \nabla^2 \boldsymbol{u} - \nabla p / \rho_0 + \boldsymbol{F} \end{cases}$$

Which is the structure of an hypotetical OF solver for Incompressible NS?

In OpenFOAM-XXX/applications/solvers/incompressible/solver4NSFoam

Make

solver4NSFoam.C Ueqn.H

createFields.H pEqn.H



solver4NSFoam.C //Main file of the solver

```
#include "fvCFD.H"
#include "singlePhaseTransportModel.H"
#include "turbulentTransportModel.H"
#include "radiationModel.H«
#include "fvOptions.H"
#include "pimpleControl.H«
#include "fixedFluxPressureFvPatchScalarField.H«
#include "IOmanip.H"
int main(int argc, char *argv[])
    #include "setRootCase.H"
    #include "createTime.H"
    #include "createMesh.H "
    pimpleControl pimple(mesh);
    #include "createFvOptions.H"
    #include "createFields.H "
    #include "createMRF.H"
    #include "initContinuityErrs.H"
    #include "createTimeControls.H"
    #include "CourantNo.H"
    #include "setInitialDeltaT.H"
```



```
solver4NSFoam.C //Main file of the solver
while (runTime.loop())
          while (pimple.loop())
                    #include "UEqn.H"
                    while (pimple.correct())
                              #include "pEqn.H"
                    if (pimple.turbCorr()
                              laminarTransport.correct();
                              turbulence->correct();
         runTime.write();
```



UEqn.H

```
fvVectorMatrix Uegn
    fvm::ddt(U) + fvm::div(phi, U)
    + MRF.DDt(U)
    + turbulence->divDevReff(U)
    ==
    fvOptions (U)
);
UEqn.relax();
fvOptions.constrain(UEqn);
   (pimple.momentumPredictor())
          solve
            UEqn == -fvc::grad(p)
         fvOptions.correct(U);
```

$$\mathbf{u}_t + (\mathbf{u} \cdot \nabla)\mathbf{u} - v\Delta\mathbf{u} + \nabla\mathbf{p} = 0$$

Equation Mimicking

Open√FOAM



The Open Source CFD Toolbox

- Natural language of continuum mechanics: partial differential equations
- Example: turbulence kinetic energy equation

$$\frac{dk}{dt} + \nabla \cdot (\vec{u}k) - \nabla \cdot [(\nu + \nu_t)\nabla k] = \nu_t \left[\frac{1}{2}(\nabla \vec{u} + \nabla \vec{u}^T)\right]^2 - \frac{\epsilon_0}{k_0}k$$

Objective: represent PDEs in their natural language

```
solve
(
    fvm::ddt(k)
+ fvm::div(phi, k)
- fvm::laplacian(nu() + nut, k)
==
    nut*magSqr(symm(fvc::grad(U)))
- fvm::Sp(epsilon/k, k)
);
```

Correspondence between implementation and equation is clear

From Lecture 1: An overview on the use of OpenFOAM as a multi physics library for nuclear reactor analysis



pEqn.H

```
volScalarField rAU("rAU", 1.0/UEqn.A());
volVectorField HbyA(constrainHbyA(rAU*UEqn.H(), U, p));
surfaceScalarField phiHbyA
       "phiHbyA",
       fvc::flux(HbyA)
         + fvc::interpolate(rAU)*fvc::ddtCorr(U, phi)
);
while (pimple.correctNonOrthogonal())
         fvScalarMatrix pEqn
                   fvm::laplacian(rAU, p) == fvc::div(phiHbyA)
         if (pimple.finalNonOrthogonalIter())
                   phi = phiHbyA - pEqn.flux();
  HbyA - rAU*fvc::grad(p);
```



Any remarks on the solver structure?



Any remarks on the solver structure?

- . Four iteration loop (time loop, "pimple" loop, "pressure correction" loop and nonOrthogonal correction loop)
- . No straightforward way for the velocity pressure coupling
- . Use of fvm:: vs fvc:: e.g. fvm::ddt(U), fvc::grad(p)



$$\begin{cases} \nabla \cdot \boldsymbol{u} = 0 \\ \frac{\partial \boldsymbol{u}}{\partial t} + (\boldsymbol{u} \cdot \nabla) \boldsymbol{u} = v \nabla^2 \boldsymbol{u} - \nabla p / \rho_0 + \boldsymbol{F} \end{cases}$$

Navier – Stokes equations pose different numerical challenges:

- . Non linearity of the convective term $(m{u}\cdot m{7})m{u}$
- . There is no "pressure" equation (actually the continuity equation imposes a constraint on the momentum equation)

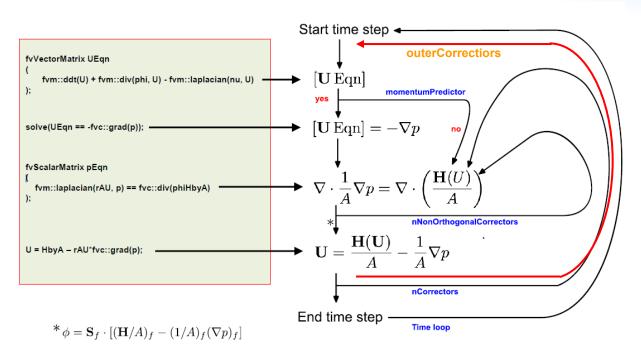
In OF, this is tackled with segregated pressure-based (predictor-corrector) methods as SIMPLE, PISO, PIMPLE where:

- $(\boldsymbol{u}\cdot \nabla)\boldsymbol{u} \approx (\boldsymbol{u}_{i-1}\cdot \nabla)\boldsymbol{u}_i$ until convergence
- . A derived "pressure" equation is solved, starting from the discretized momentum equation and substituting it in the continuity equation here one or more (pressure) correction may be needed

OpenFOAM



PIMPLE is used for unsteady (transient) calculation **for better accuracy** when nonlinearity of the convective term is strong



Taken from Joel Guerrero, Finite Volume Method: A Crash introduction. https://wiki.openfoam.com/Theory_by_Joel_Guerrero Published under: CC BY-SA license

OpenFOAM



In fvSolution, you can specify the options for PIMPLE

. # of nonOrthogonalCorrection (for mesh non-orthogonality)

. # of (pressure) nCorrectors
Usually 2 (the first pressure corrector will create a conservative velocity field, while the second and following will establish the pressure distribution)

```
PIMPLE
{
    momentumPredictor yes;
    nOuterCorrectors 1;
    nCorrectors 2;
    nNonOrthogonalCorrectors 1;
}
```

. # nOuterCorrectors
Help the convergence of the nonlinear terms especially when using large time step



I am curious about OpenFOAM ... but which version?



openfoam.com



openfoam.org

IMPORTANT!

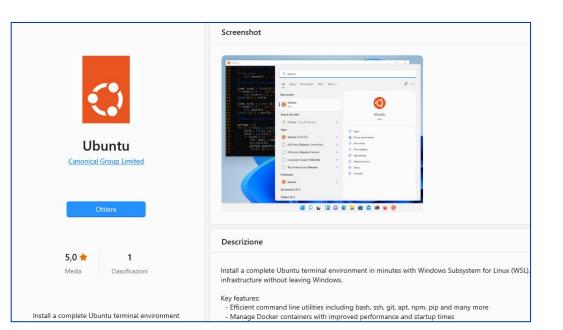
If you want to use an available solver, or take features from available solvers for your own solver, be very careful and select the right OF version!



Can I use it on my computer?

OpenFOAM runs natively on Linux systems...





MAC, or the Linux subsystem for Windows can be used, but **not recommended**



How to get OpenFOAM?

Follow the simple steps on the download page

(example for OF-9 from the .org version)

Installation

OpenFOAM and *ParaView* can be simply installed for the first time using the **apt** package management tool. The user will need to provide superuser password authentication when executing the following commands with **sudo**

1. Copy and paste the following in a terminal prompt (Applications

Accessories

Terminal) to add dl.openfoam.org to the list of software repositories for apt to search, and to add the public key (gpg.key) for the repository to enable package signatures to be verified.

Note: use secure https:// for the public key to ensure secure transfer, but use http:// for the repository, since https:// may not be supported and is not required since the key provides secure authentication of the package files.

```
sudo sh -c "wget -0 - https://dl.openfoam.org/gpg.key | apt-key add -"
sudo add-apt-repository http://dl.openfoam.org/ubuntu
```

**Note: This only needs to be done once for a given system

2. Update the **apt** package list to account for the new download repository location

```
sudo apt-get update
```

Install OpenFOAM (9 in the name refers to version 9) which also installs paraviewopenfoam56 as a dependency.

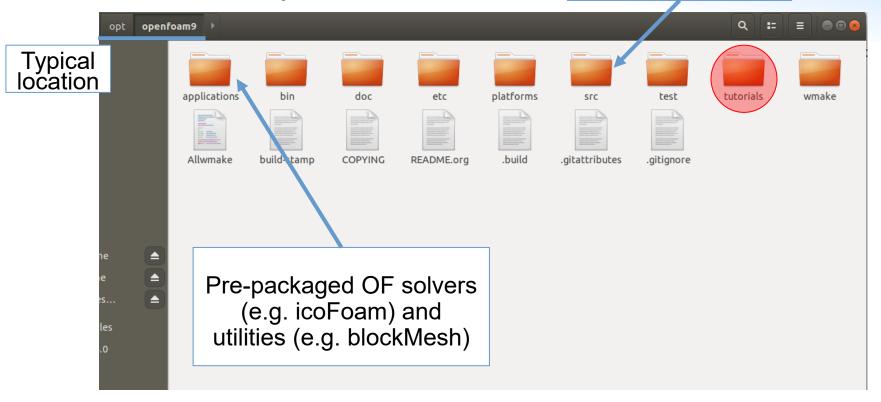
```
sudo apt-get -y install openfoam9
```

OpenFOAM 9 and *ParaView 5.6.3* are now installed in the */opt* directory.



What comes with OpenFOAM?

Main OF library



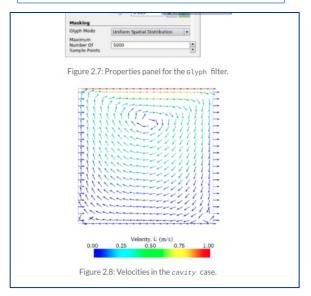


Learn OpenFOAM - Official documentation

- https://cfd.direct/openfoam/user-guide/
- https://www.openfoam.com/documentati on/user-guide



It includes some postprocessing examples





Learn OpenFOAM - Overview of Finite Volume Method from H. Jasak

https://www.youtube.com/watch?v=a4B_oXR5Kzs&ab_channel= KennethHoste

Diffusion Discretisation

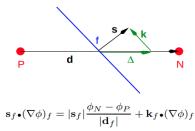


Diffusion Operator and Mesh Non-Orthogonality

• Diffusion term is discretised using the Gauss Theorem

$$\oint_{S} \gamma(\mathbf{n} \bullet \nabla \phi) dS = \sum_{f} \int_{S_{f}} \gamma(\mathbf{n} \bullet \nabla \phi) \, dS = \sum_{f} \gamma_{f} \, \mathbf{s}_{f} \bullet (\nabla \phi)_{f}$$

ullet Evaluation of the face-normal gradient. If ${f s}$ and ${f d}_f=\overline{PN}$ are aligned, use difference across the face. For non-orthogonal meshes, a correction term may be necessary





Learn OpenFOAM - Presentations and tutorial from OF wiki

https://wiki.openfoam.com/index.php?title=%223 weeks%22 series

3-weeks-series

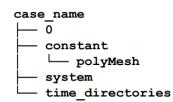
Day 1	Day 2	Day 3	Day 4	Day 5
install - first steps&	steps - visualization ₺	introductory course ₪	discretization ₫	theory - fun simulations - tipsຝ
Day 6	Day 7	Day 8	Day 9	Day 10
geometry and meshing ₪	turbulence 1₽	turbulence 2년	multiphase ₽	parallelization &
Day 11	Day 12	Day 13	Day 14	Day 15
programming 1₺	programming 2 ₺	programming 3₺	programming 4년	programming 5룝



Learn OpenFOAM - Presentations from Wolf Dynamics

Running my first OpenFOAM® case setup blindf

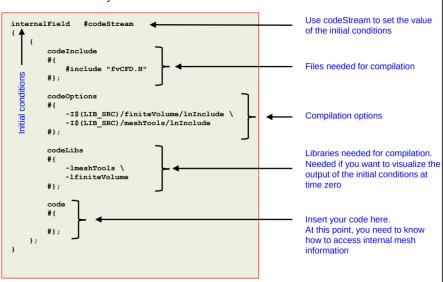
Before we start - Always remember the directory structi



- To keep everything in order, the case directory is often located in the path \$WM PROJECT USER DIR/run.
- · This is not compulsory but highly advisable, you can put the case in any directory of your preference
- · The name of the case directory if given by the user (do not use white spaces).
- You run the applications and utilities in the top level of this directory.
- The directory system contains run-time control and solver numerics.
- The directory constant contains physical properties, turbulence modeling properties, advanced ph and so on.
- The directory constant/polyMesh contains the polyhedral mesh information.
- The directory 0 contains boundary conditions (BC) and initial conditions (IC).



Body of the **codeStream** directive for initial conditions





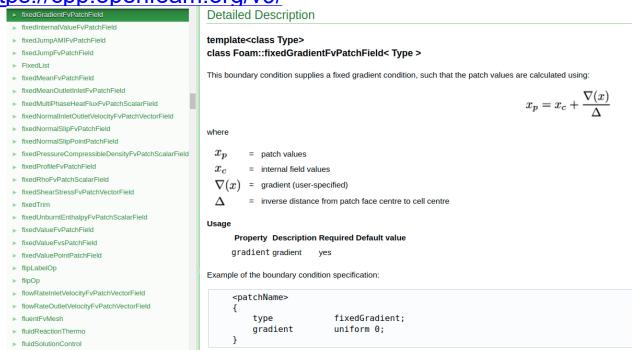
Learn OpenFOAM – Book «F. Moukalled, L. Mangani, M. Darwish. The Finite Volume Method in Computational Fluid Dynamics. Springer, 2016»





Learn OpenFOAM – Browse the C++ source guide official documentation

- https://www.openfoam.com/documentation/guides/v2112/doc/
- https://cpp.openfoam.org/v9/





Learn OpenFOAM – Plenty of additional resources

- Tutorials/lectures (have a look on Google or YouTube)
- Master/PhD thesis etc.
- Forums
- (Often) direct communication with solver developers

And remember:

- Don't get frustrated: there is always a way out with OpenFOAM and, most likely, someone who had your same problem and will be happy to help
- Don't get discouraged: the entry barrier may seem steep, but skills you'll learn will allow you to tackle any kind of problems
- If possible, do not do it alone!



Multi-physics modeling and simulation of nuclear reactors using OpenFOAM

30 Aug 2022 - 6 October 2022 (every Tuesday & Thursday)

Contact: ONCORE@iaea.org

Thank you!

Contact: ONCORE@iaea.org

Course Enrollment: Multi-physics modelling and simulation of nuclear reactors using OpenFOAM ONCORE: Open-source Nuclear Codes for Reactor Analysis