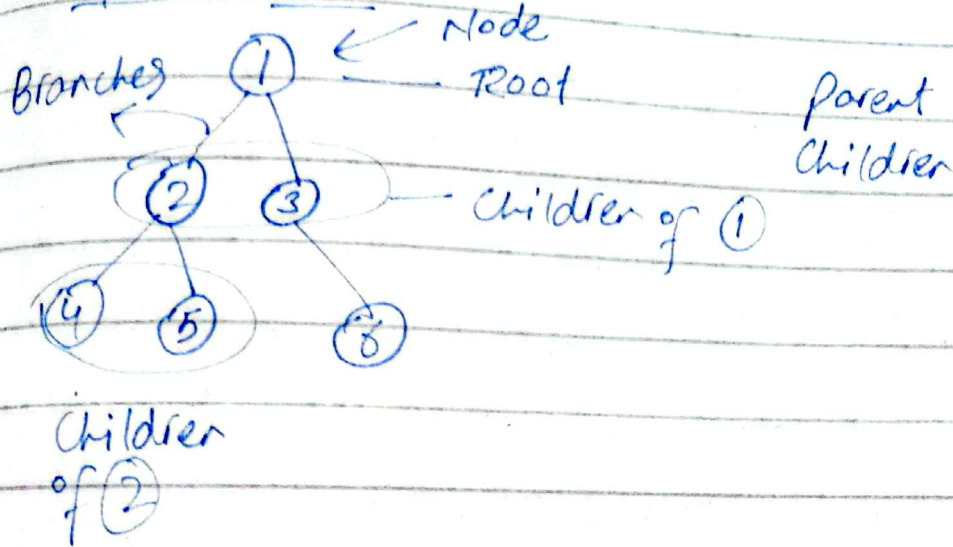


# Binary Tree

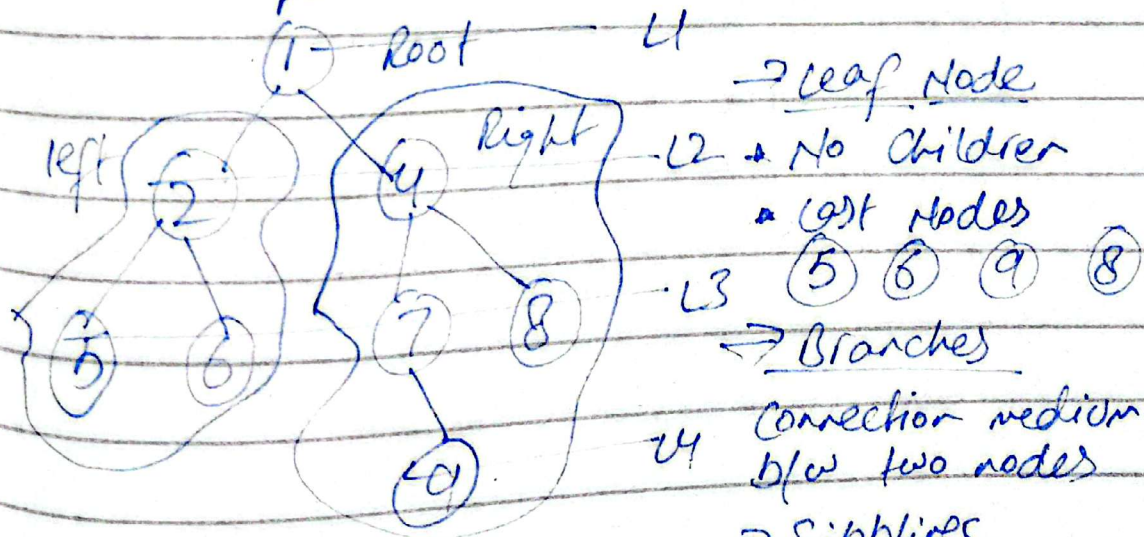
↳ Hierarchical Data Structure  
↳ Like File System.  
↳ Family Tree.

## Generic Tree



## Binary Tree

Each Node → at max 2 Children  
par



→ Height

$h$  = Levels of tree

→ Subtree

Small part of tree

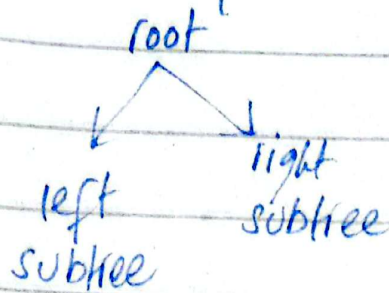
→ Siblings

(2) and (4)

→ Levels

4 levels in given tree

## Binary Tree with Recursion



```

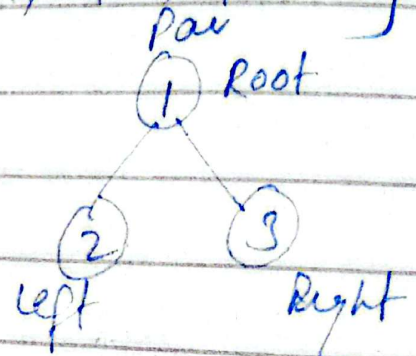
solve(root) {
    solve[left subtree]
    solve[right subtree]
    call the sol for the root
}
    
```

## Build a Binary Tree

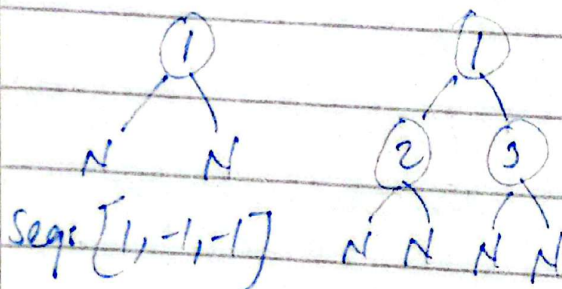
Preorder Sequence = [1, 2, -1, -1, 3, 4, -1, -1, 5, -1, -1]

```

Node {
    int data
    Node* left
    Node* right
}
Node(val) {
    data = val
    left = right = NULL
}
    
```



In tree, we have root  
left  
right

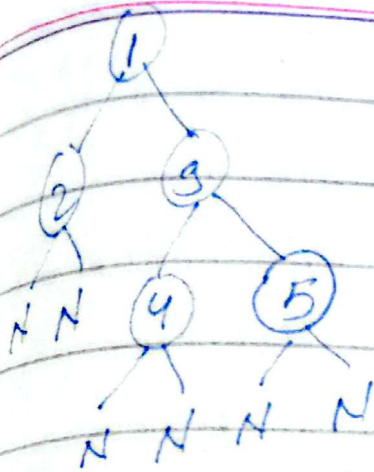


Seq: [1, -1, -1]

Seq: [1, 2, -1, -1, 3, -1, -1]

Tree can be built using the pre order seq  
So, from the given sequence, we can build the binary tree as:





T.C =  $O(n)$

$[1, 2, -1, -1, 3, 4, -1, -1, 5, -1, -1]$

```

static idx = -1
Node* buildtree(preord[]) {
    idx++;
    if (pre[idx] == -1) return NULL;
    Node* root = new Node(pre[idx]);
    root->left = buildtree(preorder);
    root->right = buildtree(preorder);
    return root;
}
  
```

## Traversal Algos

### ① PreOrder Traversal (Recursion Based)

Using the root Node

root, left, right (pattern)

Root Node first that is why PreOrder.

- \* Travel
- \* Min
- \* Max
- \* Count

```

void Preorder(root) {
    if (root == NULL) {
        return;
    }
    cout << root->data << " ";
    Preorder(root->left);
    Preorder(root->right);
}
  
```

T.C =  $O(n)$

### ② Inorder Traversal (Recursion Based)

(left, Root, Right) Pattern.

Start from the left subtree.



```

Inorder(root) {
    if (root == NULL) {
        return;
    }
    Inorder(root->left);
    cout << root->data;
    Inorder(root->right);
}

```

TC =  $O(n)$

(3) Postorder Traversal (Recursion Based)  
 left, right, root (pattern)  
 Start from the left and right subtree and root in the end.

```

postorder(root->left);
postorder(root->right);
root->data;

```

TC =  $O(n)$

(4) Level order (Iterative)

- Using loops
- Using level
- Using Queues.

Printed: 1 2 3 ...  
 Steps

DFS  
 Depth First Search  
 (Explore Branch by branch)

BFS  
 Breadth First Search  
 (Explore layer by layer)

① Q.push(root)

② while(Q.size() > 0) {

Node\* curr = Q.front();  
 Q.pop();

cout << curr->data;

If (curr->left != NULL) {

Q.push(curr->left);

If (curr->right != NULL) {

Q.push(curr->right);

TC =  $O(n)$

## Printing Nodes level by level

→ Adding extra NULL variable

NULL

next  
line  
↓

Break

① Q.push(root)

Q.push(NULL)

Q ≠ Empty

② while(Qsize > 0) {

Node \*curr = Q.front()

Q.pop()

if (curr == NULL) {

if (!Q.empty()) {

cout << endl;

Q.push(NULL)

continue;

else

break;