Backtracking with Recursion

Print All Subsets (subgroups)

arr = $\{1, 2, 3\}$ — $2^3 = 8$

n elements → 2^n

arr[i]

Tree diagram:

```
                    [1,2,3], [.]  — i=0
              Inc /            \ Exc
         [1,2,3][1]          [1,2,3][]  — i=1
        Inc /    \ Exc      Inc /    \ Exc
  [1,2,3][1,2] [1,2,3][1]   [2]      []  — i=2
  Inc/ \Exc  Inc/ \Exc   Inc/ \Exc  Inc\ Exc
[1,2,3][1,2] [1,3] [1]  [2,3][2]    [3] [] — i=3
```

INC / EXC branches with outputs:
- [1] / [0]

```
void PS(arr[], ans[], i) {
    if(i == arr.size())  → prints the answer
        return;

    ans.pushback(arr[i])  ⎤
    PS(arr, ans, i+1)     ⎦ INC

    ans.popback()  — Backtracking
    PS(arr, ans, i+1)
```

T.C = total calls * w.D in each call

$= (2^n * n) * O(1)$

$\boxed{T.C = O(2^n * n)}$

Subsets II

Array might include duplicate values.

• Using previous logic will give the subsets.

but it will give repeating subsets.

① Sort the array

② Calculate subsets

```
void PS(arr, ans, i, allsubs){
  if(i==n) all subsets (ans)    ] Base
                      return     ] case

    ans.pushback((arr[i])
    PS(arr, ans, i+1, allsubsets)
    ans.popback()
```

skipping
duplicate
values
```
idx = i+1
while ( (idx < n && A[idx] == A[idx-1])
    idx++
PS(arr, ans, idx, allsubs)
```

$$T.C = O(2^* \cdot n)$$