

Binary Number System

Binary Number System is the most important number system in the context of computer.

Number System

In the Number System, we generally have the numbers on the basis of which we perform the calculations.

Decimal \rightarrow 0-9 Dec (Base 10)
10 dig 10

Binary \rightarrow 0-1 Binary (Base 2)
2 dig 2

Octal \rightarrow 0-7 Octal (Base 8)
8 dig 8

Hexadecimal \rightarrow 0-15 Hexa (Base 16)
0-9-A,B,C,D,E,F decimal
10,11,12,13,14,15 16

Conversions

① \rightarrow Decimal to Binary | Binary to Decimal

For Example

42

$$\begin{array}{r|l} 2 & 42 \\ \hline 2 & 21-0 \\ 2 & 10-1 \\ 2 & 5-0 \\ 2 & 2-1 \\ \hline & 1-0 \end{array}$$

(101010)₂

(101010)₂

$$\begin{array}{cccccc} 5 & 4 & 3 & 2 & 1 & 0 \\ 2^5 & 2^4 & 2^3 & 2^2 & 2^1 & 2^0 \end{array}$$

$$32 + 16 + 8 + 4 + 2 + 1$$

check which one is ON/OFF

OR

$$1 \times 32 + 0 \times 16 + 1 \times 8 + 0 \times 4 +$$

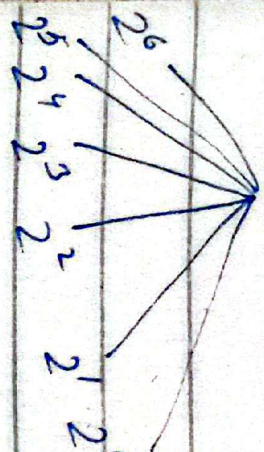
$$1 \times 2 + 1 \times 0$$

$$= 32 + 8 + 2$$

$$= 42$$

A simple logic for Binary Conversion as well as

$$42 - 32 = 10 - 8 = 2 - 2 = 0$$



As we know some spaces will be

$$64 \quad 32 \quad 16 \quad 8 \quad 4 \quad 2 \quad 1$$

$$89 \quad \checkmark \quad 89 \quad \checkmark \quad 89 \quad \checkmark \quad 0 \rightarrow (101010)_2$$

can be verified as well.

code logic

Decimal to Binary

decnum

ans = 0 \rightarrow Binary Number

pow = 1 \rightarrow 10 \rightarrow 10 \rightarrow 10 \rightarrow 10

while (decnum > 0) {

rem = decnum % 2

decnum = decnum / 2

ans += (rem * pow)

pow = pow * 10

}
ans

Binary to Decimal

binum = binary Number gives

ans = 0

pow = 1/2

while (binum > 0) {

rem = binum % 10

ans += binum * pow

binum /= 10

pow *= 2

}
ans

Two's Complement

As we know int takes 4 bytes

• int \rightarrow 4 bytes \rightarrow 8 bits = 1 byte \rightarrow 32 bits

int $n = 10 \rightarrow (1010)_2$

In memory

32 bits (Allocated)

In case of +ve number $\rightarrow 1010$

int $n = -10$

In the backend

① Binary

$10 = (1010)$

② Prefix with a zero

01010

↓

Most (MS)
Significant

→ 0 → +ve
MS → 1 → -ve

③ 1's Complement

$0 \rightarrow 1 \quad 1 \rightarrow 0$

01010

10101

④ Now Added 1

10101

$\begin{array}{r} 1 \\ 10101 \\ \hline (10110)_2 \end{array}$

Final form
to be stored

$(10110)_2$

Now, we must know that the particular binary form is of a negative number. So,

10110

① 1's Complement

01001

0(1001)

↳ Extracting it as it represents the direction.

01001

+1

$\begin{array}{r} 01001 \\ +1 \\ \hline 01010 \end{array}$

$0(1010) \rightarrow (10)_{10}$

$(-10)_{10}$