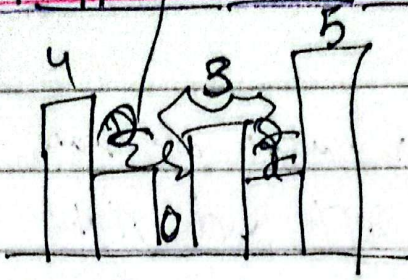


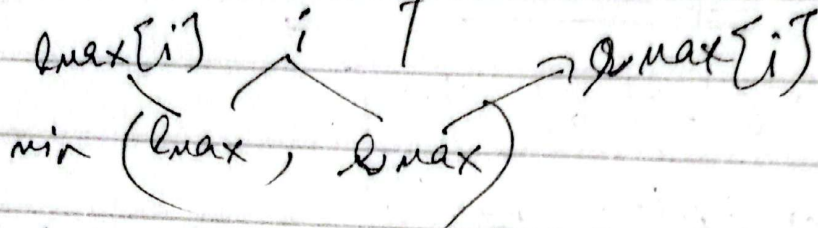
Trapping Rain water



Trapped water will be decided over the boundaries

① Naive ② Better ③ Optimal

① water trapped by each bar.
• bounded by each bar



① Naive (Brute force)

$\min(l_{\max}, r_{\max}) - h[i]$

② Better

vector<int> lmax(n, 0)

vector<int> rmax(n, 0)

$l_{\max}[0] = h[0]$

$r_{\max}[n-1] = h[n-1]$

Prefix Array

TC = $O(n)$

SC = $O(n)$

① for($i=1; i < n; i++$) {

$l_{\max}[i] = \max(l_{\max}[i-1], h[i])$

② for($i=n-2; i >= 0; i--$) {

$r_{\max}[i] = \max(r_{\max}[i+1], h[i])$

for($i=0; i < n; i++$) {

$ans += (\min(l_{\max}[i], r_{\max}[i]) - h[i])$

lmax [4 | 4 | 4 | 4 | 4 | 5]

Individual
Boundaries
Tracking

rmax [5 | 5 | 5 | 5 | 5 | 5]

$$0 + 2 + 4 + 1 + 2 + 0 = 9$$

③ Optimal (2 pointer Approach)

we will not use 2 arrays

$$ans = 0, l = 0, r = n - 1$$

$$lmax = 0$$

$$rmax = 0$$

while (l < r) {

$$lmax = \max(lmax, ht[l])$$

$$rmax = \max(rmax, ht[r])$$

if (lmax < rmax) — left

$$ans += (lmax - ht[l]);$$

l++

else — Right

$$ans += (rmax - ht[r]);$$

r--

$$\left. \begin{array}{l} T.C = O(n) \\ S.C = O(1) \end{array} \right\}$$