Errata: Matrix Algebra - Karim M. Abadir, Jan R. Magnus (2005)

🛗 Errata Update: October 7, 2014

Original document: janmagnus.nl/misc/corrections03.pdf
This document (19th November, 2024): github.com/zekiakyol/compact-erratas

`	2 Connection
• Location	Correction (1) (1) (1) (1) (1) (1) (1) (1) (1) (1)
Page 69, Exercise 5.53	From line 4 to line 12, each occurrence of \boldsymbol{x} (but not of \boldsymbol{x}_n and \boldsymbol{x}_m) should be replaced by \boldsymbol{y} .
Page 86, Exercise 4.27	The solution to (a) should read: (a) The matrix $ A $ is nonsingular because $\operatorname{rk}(A) = \operatorname{rk}(A'A) = \operatorname{rk}(I_n) = n$.
Page 118 , Exercise 5.40	In the displayed formula in the exercise, $ A $ should be boldface: $ A $.
Page 141 , Exercise 6.19	Line 4 in the solution runs over the margin.
Page 167 , Exercise 7.25	In the first line of the solution to (c), replace "latter" by "former".
Page 198 , Exercise 7.78	In the first display of the solution to (d), the second matrix should be preceded by $A_{(4)} :=$.
Page 199 , Exercise 7.79	In the second line from the bottom, Exercise 7.78 is employed (not 7.77 as written).
Page 206 , Exercise 7.91	Line 2 in the exercise: delete comma after displayed matrix \boldsymbol{A} .
Page 215 , Exercise 8.10	Line 1 in the solution runs over the margin.
Page 220, Exercise 8.23	The solution is not as tight as it should be. The correct solution reads as follows.
	Solution
	Since A is positive definite, Exercise 8.22 implies that $A = BB'$ where B is square. Since A has full rank, so
	has B (Exercise 4.13(d)). By the QR decomposition, (Exercise 7.35), we can write $B' = QL'$, where Q is
	orthogonal and L is lower triangular with positive diagonal elements. Hence, $A = BB' = LQ'QL' = LL'$.
Page 239 Exercise 8.69	The last two lines of the solution should be replaced by:
	Now premultiply both sides by $V^{-1/2}$ and postmultiply both sides by $(X'X)^{-1}$.
	Upon transposing, we obtain the required equality. (Compare Exercise 12.29.)
Page 245, Chapter 9, Intro	Last line: "theeigenvalues" should be "the eigenvalues".
Page 253, Exercise 9.11	Line 1 should read: "Let C and D be two real $n \times n$ matrices,".
	The reason for restricting C and D to be real (which is only needed for part (a)) is that the logarithmic
	function is multiple-valued, even in the case of a scalar complex variable. Taking logarithms on both sides of
	an equation, the equality may not hold anymore if the principal value is taken on both sides.
Page 322-323, Exercise 12.1	In the solution to b), second line: $(1/bb')bb'$ should read $(1/b'b)bb'$.
	Also, in the solution to c), third line from the end: "if and only" should read "if and only if".
Page 366, Exercise 13.25	Line 5 from bottom: At the end of the formula giving $DF(X)$, the differential $dvec(X)$ should be removed.
Page 373, Exercise 13.38	Last line: " $\operatorname{dvec}(Y) = D^+ \operatorname{dvec}(Y) = \dots$ " should be: " $\operatorname{dvech}(Y) = D^+ \operatorname{dvech}(Y) = \dots$ ".
Page 383, Exercise 13.53	Line 9: displayed formula should end with full stop (.).
	Line 1: "Then, since $R'\beta = c$, we find the solution for l as" should be:
Page 384, Exercise 13.56	"Then, denoting the constrained solution by $(\widetilde{\boldsymbol{\beta}}, \widetilde{\boldsymbol{l}})$, we have $\boldsymbol{R}'\widetilde{\boldsymbol{\beta}} = \boldsymbol{c}$, and hence"
	Line 4: $X\Omega^{-1}X$ should be $X'\Omega^{-1}X$.
Page 408, Appendix A.3.4	Line 17: the formula $f^{(n)}(c)(x-c)^n/n!$ should read $f^{(n)}(c)(x-b)^n/n!$.
- G,	() () () () () () () () () ()