## Let's Build A Simple Interpreter. Part 8. (https://ruslanspivak.com/lsbasi-part8/)

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Today we'll talk about **unary operators**, namely unary plus (+) and unary minus (-) operators.

A lot of today's material is based on the material from the previous article, so if you need a refresher just head back to Part 7 (http://ruslanspivak.com/lsbasi-part7/) and go over it again. Remember: repetition is the mother of all learning.

Having said that, this is what you are going to do today:

- extend the grammar to handle unary plus and unary minus operators
- add a new UnaryOp AST node class
- extend the parser to generate an AST with UnaryOp nodes
- extend the interpreter and add a new visit\_UnaryOp method to interpret unary operators

Let's get started, shall we?

So far we've worked with binary operators only (+, -, \*, /), that is, the operators that operate on two operands.

What is a unary operator then? A unary operator is an operator that operates on one operand only.

Here are the rules for unary plus and unary minus operators:

- The unary minus (-) operator produces the negation of its numeric operand
- The unary plus (+) operator yields its numeric operand without change
- The unary operators have higher precedence than the binary operators +, -, \*,
   and /

In the expression "+ - 3" the first '+' operator represents the unary plus operation and the second '-' operator represents the unary minus operation. The expression "+ - 3" is equivalent to "+ (- (3))" which is equal to -3. One could also say that -3 in the expression is a negative integer, but in our case we treat it as a unary minus operator with 3 as its positive integer operand:

$$+-3 = +(-(3)) = -3$$
unary unary
plus minus
(negation)

Let's take a look at another expression, "5 - - 2":

$$5--2$$
 =  $5-(-(2))=5-(-2)=7$   
binary unary  
minus minus  
(subtraction) (negation)

In the expression "5 - - 2" the first '-' represents the *binary* subtraction operation and the second '-' represents the *unary* minus operation, the negation.

And some more examples:

$$5 + -2 = 5 + (-(2)) = 5 + (-2) = 3$$
binary unary
plus minus
(addition) (negation)

$$5--2=5-(-(-(2)))=5-(-(-2))=5-2=3$$
  
binary wary wary  
minus minus minus  
(subtraction) (negation)

Now let's update our grammar to include unary plus and unary minus operators. We'll modify the *factor* rule and add unary operators there because unary operators have higher precedence than binary +, -, \* and / operators.

This is our current factor rule:

## factor: INTEGER | LPAREN exprRPAREN

And this is our updated factor rule to handle unary plus and unary minus operators:

```
factor: (PLUSIMINUS) factor | INTEGER | LPAREN exprRPAREN
```

As you can see, I extended the factor rule to reference itself, which allows us to derive expressions like "- - - + - 3", a legitimate expression with a lot of unary operators.

Here is the full grammar that can now derive expressions with unary plus and unary minus operators:

```
expr : term ((PLUS | MINUS) term) *

term : factor ((MUL | DIV) factor) *

factor : (PLUS | MINUS) factor | INTEGER | LPAREN expr RPAREN
```

The next step is to add an AST node class to represent unary operators.

This one will do:

```
class UnaryOp(AST):
    def __init__(self, op, expr):
        self.token = self.op = op
        self.expr = expr
```

The constructor takes two parameters: op, which represents the unary operator token (plus or minus) and expr, which represents an AST node.

Our updated grammar had changes to the *factor* rule, so that's what we're going to modify in our parser - the *factor* method. We will add code to the method to handle the "(PLUS | MINUS) factor" sub-rule:

```
def factor(self):
    """factor : (PLUS | MINUS) factor | INTEGER | LPAREN expr RPAREN"""
   token = self.current_token
   if token.type == PLUS:
        self.eat(PLUS)
        node = UnaryOp(token, self.factor())
        return node
   elif token.type == MINUS:
        self.eat(MINUS)
        node = UnaryOp(token, self.factor())
        return node
   elif token.type == INTEGER:
        self.eat(INTEGER)
        return Num(token)
   elif token.type == LPAREN:
       self.eat(LPAREN)
       node = self.expr()
        self.eat(RPAREN)
        return node
```

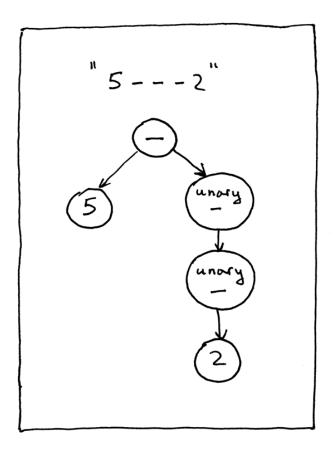
And now we need to extend the *Interpreter* class and add a *visit\_UnaryOp* method to interpret unary nodes:

```
def visit_UnaryOp(self, node):
    op = node.op.type
    if op == PLUS:
        return +self.visit(node.expr)
    elif op == MINUS:
        return -self.visit(node.expr)
```

## Onward!

Let's manually build an AST for the expression "5 - - - 2" and pass it to our interpreter to verify that the new  $visit\_Unary0p$  method works. Here is how you can do it from the Python shell:

Visually the above AST tree looks like this:



Download the full source code of the interpreter for this article directly from GitHub (https://github.com/rspivak/lsbasi/blob/master/part8/python/spi.py). Try it out and see for yourself that your updated tree-based interpreter properly evaluates arithmetic expressions containing unary operators.

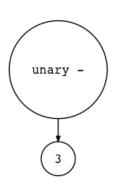
Here is a sample session:

```
$ python spi.py
spi> - 3
-3
spi> + 3
3
spi> 5 - - - + - 3
8
spi> 5 - - - + - (3 + 4) - +2
10
```

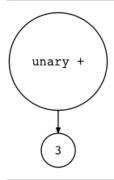
## I also updated the genastdot.py

(https://github.com/rspivak/lsbasi/blob/master/part8/python/genastdot.py) utility to handle unary operators. Here are some of the examples of the generated AST images for expressions with unary operators:

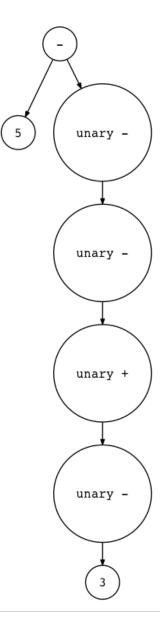
```
$ python genastdot.py "- 3" > ast.dot && dot -Tpng -o ast.png ast.dot
```



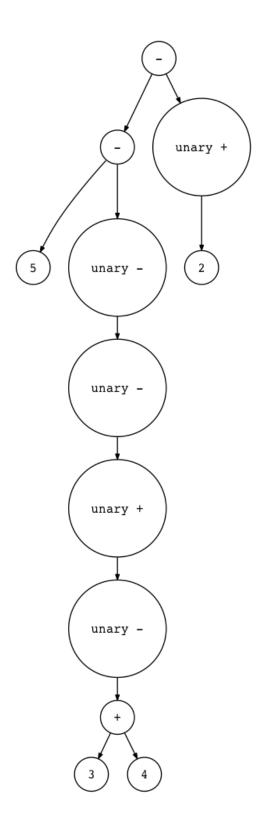
 $\$  python genastdot.py "+ 3" > ast.dot && dot -Tpng -o ast.png ast.dot



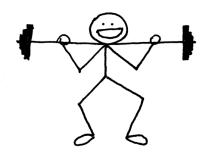
\$ python genastdot.py "5 - - - + - 3" > ast.dot && dot -Tpng -o ast.png ast.dot



```
$ python genastdot.py "5 - - - + - (3 + 4) - +2" \
> ast.dot && dot -Tpng -o ast.png ast.dot
```



And here is a new exercise for you:



• Install Free Pascal (http://www.freepascal.org/), compile and run testunary.pas (https://github.com/rspivak/lsbasi/blob/master/part8/python/testunary.pas), and verify that the results are the same as produced with your spi (https://github.com/rspivak/lsbasi/blob/master/part8/python/spi.py) interpreter.

That's all for today. In the next article, we'll tackle assignment statements. Stay tuned and see you soon.

Here is a list of books I recommend that will help you in your study of interpreters and compilers:

- 1. Language Implementation Patterns: Create Your Own Domain-Specific and General Programming Languages (Pragmatic Programmers)
  (http://www.amazon.com/gp/product/193435645X/ref=as\_li\_tl?
  ie=UTF8&camp=1789&creative=9325&creativeASIN=193435645X&linkCode=as2&tag=russblo0b-20&linkId=MP4DCXDV6DJMEJBL)
- 2. Writing Compilers and Interpreters: A Software Engineering Approach (http://www.amazon.com/gp/product/0470177071/ref=as\_li\_tl? ie=UTF8&camp=1789&creative=9325&creativeASIN=0470177071&linkCode=as2&tag=russblo0b-20&linkId=UCLGQTPIYSWYKRRM)
- 3. Modern Compiler Implementation in Java (http://www.amazon.com/gp/product/052182060X/ref=as\_li\_tl? ie=UTF8&camp=1789&creative=9325&creativeASIN=052182060X&linkCode=as2&tag=russblo0b-20&linkId=ZSKKZMV7YWR22NMW)
- 4. Modern Compiler Design (http://www.amazon.com/gp/product/1461446988/ref=as\_li\_tl? ie=UTF8&camp=1789&creative=9325&creativeASIN=1461446988&linkCode=as2&tag=russblo0b-20&linkId=PAXWJP5WCPZ7RKRD)
- 5. Compilers: Principles, Techniques, and Tools (2nd Edition) (http://www.amazon.com/gp/product/0321486811/ref=as\_li\_tl? ie=UTF8&camp=1789&creative=9325&creativeASIN=0321486811&linkCode=as2&tag=russblo0b-20&linkId=G0EGDQG4HIHU56FQ)

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