

Quick Reference Guide to the BLAS

Level 1 BLAS

	dim	scalar	vector	vector	scalars	5-element prefixes array
SUBROUTINE _ROTG (A, B, C, S)	S, D
SUBROUTINE _ROTMG(D1, D2, A, B, PARAM)	S, D
SUBROUTINE _ROT (N,			X, INCX, Y, INCY,		C, S)	S, D
SUBROUTINE _ROTM (N,			X, INCX, Y, INCY,		PARAM)	S, D
SUBROUTINE _SWAP (N,			X, INCX, Y, INCY)			S, D, C, Z
SUBROUTINE _SCAL (N,	ALPHA,		X, INCX)			S, D, C, Z, CS, ZD
SUBROUTINE _COPY (N,			X, INCX, Y, INCY)			S, D, C, Z
SUBROUTINE _AXPY (N,	ALPHA,		X, INCX, Y, INCY)			S, D, C, Z
FUNCTION _DOT (N,			X, INCX, Y, INCY)			S, D, DS
FUNCTION _DOTU (N,			X, INCX, Y, INCY)			C, Z
FUNCTION _DOTC (N,			X, INCX, Y, INCY)			C, Z
FUNCTION __DOT (N,	ALPHA,		X, INCX, Y, INCY)			SDS
FUNCTION _NRM2 (N,			X, INCX)			S, D, SC, DZ
FUNCTION _ASUM (N,			X, INCX)			S, D, SC, DZ
FUNCTION I_AMAX(N,			X, INCX)			S, D, C, Z

Name	Operation	Prefixes
_ROTG	Generate plane rotation	S, D
_ROTMG	Generate modified plane rotation	S, D
_ROT	Apply plane rotation	S, D
_ROTM	Apply modified plane rotation	S, D
_SWAP	$x \leftrightarrow y$	S, D, C, Z
_SCAL	$x \leftarrow \alpha x$	S, D, C, Z, CS, ZD
_COPY	$y \leftarrow x$	S, D, C, Z
_AXPY	$y \leftarrow \alpha x + y$	S, D, C, Z
_DOT	$dot \leftarrow x^T y$	S, D, DS
_DOTU	$dot \leftarrow x^T y$	C, Z
_DOTC	$dot \leftarrow x^H y$	C, Z
__DOT	$dot \leftarrow \alpha + x^T y$	SDS
_NRM2	$nrm2 \leftarrow x _2$	S, D, SC, DZ

_ASUM	$asum \leftarrow re(x) _1 + im(x) _1$	S, D, SC, DZ
I_AMAX	$amax \leftarrow 1^{st} k \ni re(x_k) + im(x_k) $	S, D, C, Z
	$= \max(re(x i) + im(x i))$	

Level 2 BLAS

options	dim	b-width	scalar	matrix	vector	scalar	vector	prefixes
_GEMV (TRANS,	M, N,		ALPHA,	A, LDA,	X, INCX,	BETA,	Y, INCY)	S, D, C, Z
_GBMV (TRANS,	M, N, KL, KU,		ALPHA,	A, LDA,	X, INCX,	BETA,	Y, INCY)	S, D, C, Z
_HEMV (UPLO,	N,		ALPHA,	A, LDA,	X, INCX,	BETA,	Y, INCY)	C, Z
_HBMV (UPLO,	N, K,		ALPHA,	A, LDA,	X, INCX,	BETA,	Y, INCY)	C, Z
_HPMV (UPLO,	N,		ALPHA,	AP,	X, INCX,	BETA,	Y, INCY)	C, Z
_SYMV (UPLO,	N,		ALPHA,	A, LDA,	X, INCX,	BETA,	Y, INCY)	S, D
_SBMV (UPLO,	N, K,		ALPHA,	A, LDA,	X, INCX,	BETA,	Y, INCY)	S, D
_SPMV (UPLO,	N,		ALPHA,	AP,	X, INCX,	BETA,	Y, INCY)	S, D
_TRMV (UPLO, TRANS, DIAG,	N,			A, LDA,	X, INCX)			S, D, C, Z
_TBMV (UPLO, TRANS, DIAG,	N, K,			A, LDA,	X, INCX)			S, D, C, Z
_TPMV (UPLO, TRANS, DIAG,	N,			AP,	X, INCX)			S, D, C, Z
_TRSV (UPLO, TRANS, DIAG,	N,			A, LDA,	X, INCX)			S, D, C, Z
_TBSV (UPLO, TRANS, DIAG,	N, K,			A, LDA,	X, INCX)			S, D, C, Z
_TPSV (UPLO, TRANS, DIAG,	N,			AP,	X, INCX)			S, D, C, Z

options	dim	scalar	vector	vector	matrix	prefixes
_GER (M, N,	ALPHA,	X, INCX,	Y, INCY,	A, LDA)	S, D
_GERU (M, N,	ALPHA,	X, INCX,	Y, INCY,	A, LDA)	C, Z
_GERC (M, N,	ALPHA,	X, INCX,	Y, INCY,	A, LDA)	C, Z
_HER (UPLO,	N,	ALPHA,	X, INCX,		A, LDA)	C, Z
_HPR (UPLO,	N,	ALPHA,	X, INCX,		AP)	C, Z
_HER2 (UPLO,	N,	ALPHA,	X, INCX,	Y, INCY,	A, LDA)	C, Z
_HPR2 (UPLO,	N,	ALPHA,	X, INCX,	Y, INCY,	AP)	C, Z
_SYR (UPLO,	N,	ALPHA,	X, INCX,		A, LDA)	S, D
_SPR (UPLO,	N,	ALPHA,	X, INCX,		AP)	S, D
_SYR2 (UPLO,	N,	ALPHA,	X, INCX,	Y, INCY,	A, LDA)	S, D
_SPR2 (UPLO,	N,	ALPHA,	X, INCX,	Y, INCY,	AP)	S, D

Level 3 BLAS

options	dim	scalar	matrix	matrix	scalar	matrix	prefixes
_GEMM (TRANSA, TRANSB,	M, N, K,	ALPHA,	A, LDA,	B, LDB,	BETA,	C, LDC)	S, D, C, Z
_SYMM (SIDE, UPLO,	M, N,	ALPHA,	A, LDA,	B, LDB,	BETA,	C, LDC)	S, D, C, Z
_HEMM (SIDE, UPLO,	M, N,	ALPHA,	A, LDA,	B, LDB,	BETA,	C, LDC)	C, Z
_SYRK (UPLO, TRANS,	N, K,	ALPHA,	A, LDA,		BETA,	C, LDC)	S, D, C, Z
_HERK (UPLO, TRANS,	N, K,	ALPHA,	A, LDA,		BETA,	C, LDC)	C, Z
_SYR2K(UPLO, TRANS,	N, K,	ALPHA,	A, LDA,	B, LDB,	BETA,	C, LDC)	S, D, C, Z
_HER2K(UPLO, TRANS,	N, K,	ALPHA,	A, LDA,	B, LDB,	BETA,	C, LDC)	C, Z
_TRMM (SIDE, UPLO, TRANSA,	DIAG, M, N,	ALPHA,	A, LDA,	B, LDB)			S, D, C, Z
_TRSM (SIDE, UPLO, TRANSA,	DIAG, M, N,	ALPHA,	A, LDA,	B, LDB)			S, D, C, Z

Name	Operation	Prefixes
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_GEMV	$y \leftarrow \alpha Ax + \beta y, y \leftarrow \alpha A^T x + \beta y, y \leftarrow \alpha A^H x + \beta y, A - m \times n$	S, D, C, Z
_GBMV	$y \leftarrow \alpha Ax + \beta y, y \leftarrow \alpha A^T x + \beta y, y \leftarrow \alpha A^H x + \beta y, A - m \times n$	S, D, C, Z
_HEMV	$y \leftarrow \alpha Ax + \beta y$	C, Z
_HBMV	$y \leftarrow \alpha Ax + \beta y$	C, Z
_HPMV	$y \leftarrow \alpha Ax + \beta y$	C, Z
_SYMV	$y \leftarrow \alpha Ax + \beta y$	S, D
_SBMV	$y \leftarrow \alpha Ax + \beta y$	S, D
_SPMV	$y \leftarrow \alpha Ax + \beta y$	S, D
_TRMV	$x \leftarrow Ax, x \leftarrow A^T x, x \leftarrow A^H x$	S, D, C, Z
_TBMV	$x \leftarrow Ax, x \leftarrow A^T x, x \leftarrow A^H x$	S, D, C, Z
_TPMV	$x \leftarrow Ax, x \leftarrow A^T x, x \leftarrow A^H x$	S, D, C, Z
_TRSV	$x \leftarrow A^{-1}x, x \leftarrow A^{-T}x, x \leftarrow A^{-H}x$	S, D, C, Z
_TBSV	$x \leftarrow A^{-1}x, x \leftarrow A^{-T}x, x \leftarrow A^{-H}x$	S, D, C, Z
_TPSV	$x \leftarrow A^{-1}x, x \leftarrow A^{-T}x, x \leftarrow A^{-H}x$	S, D, C, Z
_GER	$A \leftarrow \alpha xy^T + A, A - m \times n$	S, D
_GERU	$A \leftarrow \alpha xy^T + A, A - m \times n$	C, Z
_GERC	$A \leftarrow \alpha xy^H + A, A - m \times n$	C, Z
_HER	$A \leftarrow \alpha xx^H + A$	C, Z
_HPR	$A \leftarrow \alpha xx^H + A$	C, Z
_HER2	$A \leftarrow \alpha xy^H + y(\alpha x)^H + A$	C, Z
_HPR2	$A \leftarrow \alpha xy^H + y(\alpha x)^H + A$	C, Z
_SYR	$A \leftarrow \alpha xx^T + A$	S, D
_SPR	$A \leftarrow \alpha xx^T + A$	S, D
_SYR2	$A \leftarrow \alpha xy^T + \alpha yx^T + A$	S, D
_SPR2	$A \leftarrow \alpha xy^T + \alpha yx^T + A$	S, D

Name	Operation	Prefixes
_GEMM	$C \leftarrow \alpha op(A)op(B) + \beta C, op(X) = X, X^T, X^H, C - m \times n$	S, D, C, Z
_SYMM	$C \leftarrow \alpha AB + \beta C, C \leftarrow \alpha BA + \beta C, C - m \times n, A = A^T$	S, D, C, Z
_HEMM	$C \leftarrow \alpha AB + \beta C, C \leftarrow \alpha BA + \beta C, C - m \times n, A = A^H$	C, Z
_SYRK	$C \leftarrow \alpha AA^T + \beta C, C \leftarrow \alpha A^T A + \beta C, C - n \times n$	S, D, C, Z
_HERK	$C \leftarrow \alpha AA^H + \beta C, C \leftarrow \alpha A^H A + \beta C, C - n \times n$	C, Z
_SYR2K	$C \leftarrow \alpha AB^T + \alpha BA^T + \beta C, C \leftarrow \alpha A^T B + \alpha B^T A + \beta C, C - n \times n$	S, D, C, Z
_HER2K	$C \leftarrow \alpha AB^H + \bar{\alpha} BA^H + \beta C, C \leftarrow \alpha A^H B + \bar{\alpha} B^H A + \beta C, C - n \times n$	C, Z
_TRMM	$B \leftarrow \alpha op(A)B, B \leftarrow \alpha Bop(A), op(A) = A, A^T, A^H, B - m \times n$	S, D, C, Z
_TRSM	$B \leftarrow \alpha op(A^{-1})B, B \leftarrow \alpha Bop(A^{-1}), op(A) = A, A^T, A^H, B - m \times n$	S, D, C, Z

Notes

Meaning of prefixes

S - REAL C - COMPLEX
 D - DOUBLE PRECISION Z - COMPLEX*16 (this may not be supported
 by all machines)

For the Level 2 BLAS a set of extended-precision routines with the prefixes ES, ED, EC, EZ may also be available.

Level 1 BLAS

In addition to the listed routines there are two further extended-precision dot product routines DQDOTI and DQDOTA.

Level 2 and Level 3 BLAS

Matrix types

GE - GEneral GB - General Band
SY - SYmmetric SB - Symmetric Band SP - Symmetric Packed
HE - HErmitian HB - Hermitian Band HP - Hermitian Packed
TR - TRiangular TB - Triangular Band TP - Triangular Packed

Options

Arguments describing options are declared as CHARACTER*1 and may be passed as character strings.

TRANS = ' No transpose', ' Transpose', ' Conjugate transpose' (X , X^T , X^C)
UPLO = ' Upper triangular', ' Lower triangular'
DIAG = ' Non-unit triangular', ' Unit triangular'
SIDE = ' Left', ' Right' (A or op(A) on the left, or A or op(A) on the right)

For real matrices, TRANS = 'T' and TRANS = 'C' have the same meaning.
For Hermitian matrices, TRANS = 'T' is not allowed.
For complex symmetric matrices, TRANS = 'H' is not allowed.

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