

" Bit manipulation - techniques "

① Bitwise operators:-

* left Shift:-

Ex:-

$5 \ll (2)$ = multiply 2^2

5 in Binary



* right shift:-

equivalent to divide by 2

000101 → 0000101

the original number is 10 after right shift
by one towards right means $10 / 2^1$
the no. of shifted bits

* Check odd or Even:-

if the last Bit is one means that the number is odd, else if the last number is 0 means the number is even.

* I will Perform anding with 10110111 &

1 and if the output is one means the number is odd, if it gives Zero means the number is even.

* get i-th Bit:-

5 \rightarrow 0000101

and I want to get the third Bit, how to do?

$$[5 \& (1 \ll i)] > 0 \Rightarrow \frac{1}{0}$$

$$\begin{array}{r} 5 \\ 1 \\ \hline \ll 2 \end{array} \quad \begin{array}{r} 0000101 \\ 0000001 \\ \hline 0000100 \end{array}$$

This number is greater than one, so the original Bit is one not zero.

* Set intBit:-

Simply by performing or we can set the i-th Bit:

$$\begin{array}{r} 0100100 \\ \text{if I want this Bit to be one} \\ \hline 0001000 \\ \text{I will perform or with one} \\ 0101100 \end{array}$$

* Clear last i Bits:-

$n=5$

$$11110101 \rightarrow 11100000$$

I want the last five Bits to equals

① mask = $m(0) \ll i;$

② then Perform and with the original number

111000000		111101018
		—————
111000000		111000000
		111000000

* Power of two:-

if $(N \wedge N-1) = 0$, then N is Power of two

$$\begin{array}{r}
 & 1 & 0 & 0 & 0 & 0 \\
 8 &) & 0 & 1 & 1 & 1 \\
 & - & 0 & 1 & 1 & 1 \\
 \hline
 & 0 & 0 & 0 & 0 & 0
 \end{array}
 \Rightarrow 16 \quad \Rightarrow 15 \quad = 0$$

\Rightarrow then N which is 16 is
 \Rightarrow a power of two

* fast exponentiation: →

$$q^5 = 3^3 = 101$$

```
5 int fastExpo(int a,int n){  
6     int ans = 1;  
7  
8     while(n>0){  
9         int last_bit = (n&1);  
10        if(last_bit){  
11            ans = ans * a;  
12        }  
13        a = a*a; ←  
14        n = n>>1;  
15    }  
16    return ans;  
17 }  
18 }
```

$$n = \text{Power} = 101$$

i) last Bit is 1 or 0?
 this can be done by
 performing (18a).
 (1*)

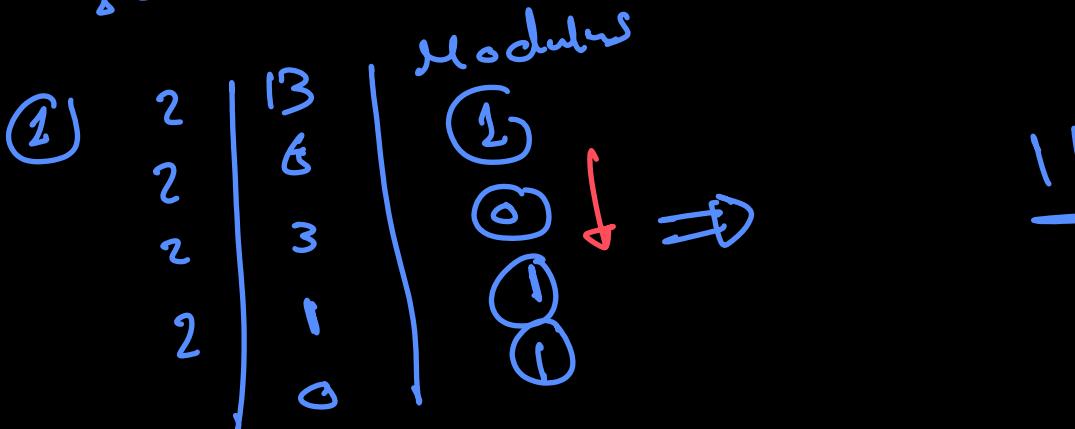
- ② if it is 1 \Rightarrow
- ③ $a = a * q$.
- ④ Shift the number towards right by one -

— 0 x 1
— * 9

$$x^5 \times 1 \times x^4 = x^5 \Rightarrow 3^5 \quad \# \text{This is the answer.}$$

* Decimal to Binary Format:-

I want to Convert 13 to Binary



→ The logic will be getting the modulus then multiply it by $10^{n-1} \rightarrow 0 \rightarrow \infty (+)$ how to get the answer in int Format

$$\begin{array}{r}
 1 \\
 0 \\
 1 \\
 0 \\
 \downarrow \\
 (1 \times 10^0) + (0 \times 10^1) + (1 \times 10^2) + (1 \times 10^3) \\
 = 1 + 0 + 100 + 1000 \\
 = 1101
 \end{array}$$

~~1101~~