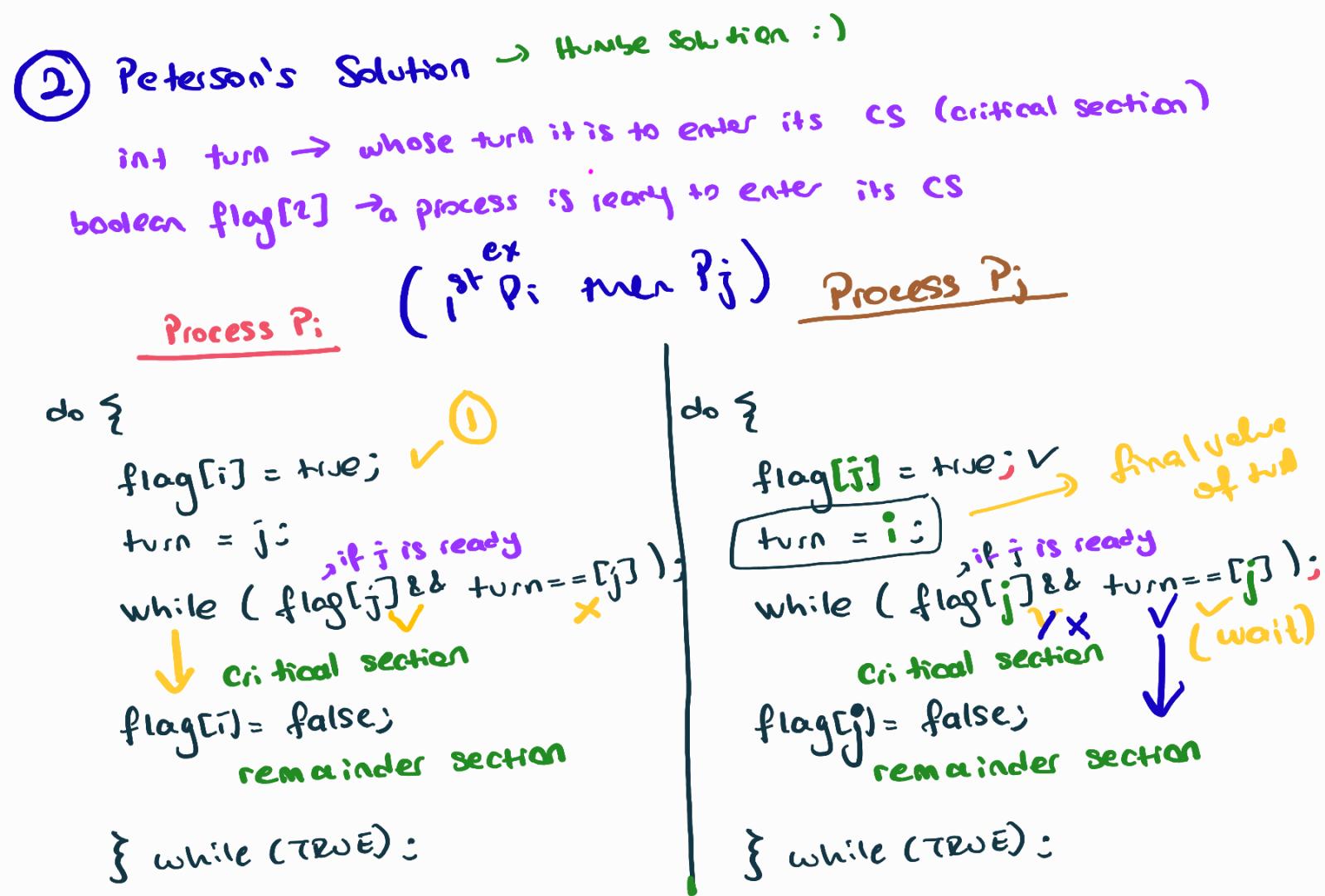


# OPERATING SYSTEMS (EE442)

## PROCESSES & THREADS

### Topics :

- Peterson's Solution (critical Section problem)
- Test and Set Lock
- Semaphores
- Producer - Consumer Problem
- Dining - Philosophers Problem
- Readers and Writers Problem
- First Come First Served Algorithm (FCFS)
- Shortest Job First (SJF)
- Shortest Remaining Time First (SRFT)
- Round Robin Scheduling



✓ Mutual exclusion (one process ✓, other ✗)

✓ Progress

✓ Bounded waiting (no indefinite waiting)

### ③ Test and Set lock

Shared lock variable  $\rightarrow 0, 1$  ✓

boolean TestAndSet (boolean \*target)

```
{   boolean rv = *target;
    *target = TRUE;
    return rv;
}
```

do {

while (TestAndSet (&lock));

// do nothing

// CS (lock=TRUE currently)  $\rightarrow$  MWS no other process can enter

lock = FALSE;

// remainder section

} while (TRUE);

lock = FALSE initially

at that time  
other process can  
enter critical  
section

✓ Satisfies mutual-exclusion

✗ Bounded - waiting

## ④ Semaphores

wait()

```
P (Semaphore S) {
    while (S <= 0) {
        S--;
    }
}
```

DOWN

signal ()

```
V (Semaphore S) {
    S++;
}
```

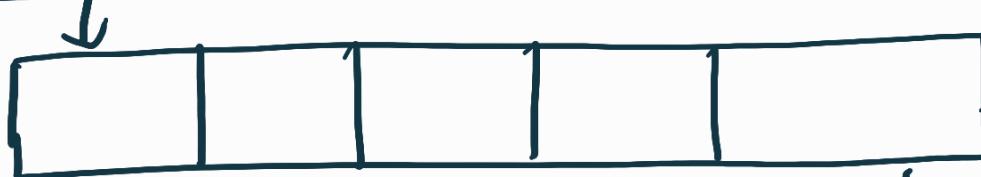
S++

UP

Atomic Actions

## ⑤ Producer-Consumer Problem

Producer



Consumer

Solution using semaphores:

1. m (mutex) : a binary semaphore acquire and release the lock
2. empty: a counting semaphore  
initial value = # of buffer slots
3. full : a counting semaphore , initially is 0.

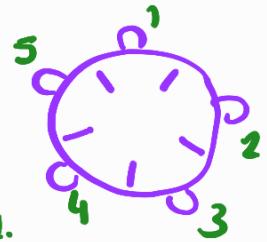
Producer

```
do {
    wait(empty); // wait until empty > 0
    wait(mutex); // acquire lock
    /* add data to buffer */
    signal(mutex); // release lock
    signal(full); // increment full
} while (TRUE)
```

Consumer

```
do {
    decrement full
    wait(full); // wait until full > 0
    wait(mutex); // acquire lock
    /* remove data from buffer */
    signal(mutex); // release lock
    signal(empty); // increment empty
} while (TRUE)
```

## ⑥ Dining - Philosophers Problem



Shared data: semaphore chopstick[5];  
all are initialized to 1.

```

do {
    wait ( chopstick [i] );
    wait ( chopstick [(i+1)%5] );
    // eat
    signal ( chopstick [i] );
    signal ( chopstick [(i+1)%5] );
    // think
} while ( TRUE )
  
```

} Left fork  
} Right fork

\* All philosophers take their left forks simultaneously  
↓  
DEADLOCK !

## ⑦ Readers and Writers Problem

1. mutex : a semaphore (init. to 1) used to ensure mutual exclusion when readcount is updated.

2. wrt ( init to 1 ) a semaphore → common to reader and writer

3. readcount ( init to 0 ) an integer

```

do {
    /* writer requests for CS
       wait (wrt); wrt=0
    */
    /* performs the write */
    /* leaves the CS
       signal (wrt); wrt=1
    */
} while ( TRUE )
  
```

→ Writer Process

do {

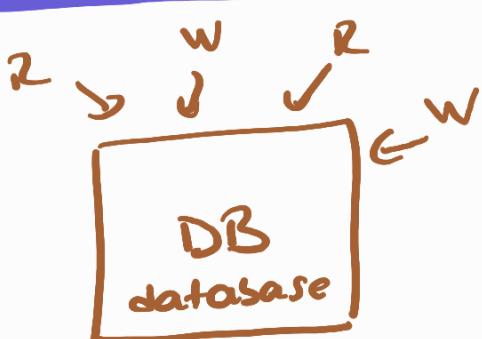
    wait (mutex)      mutex = 0  
    readcnt++;      1      , to ensure no writer can enter  
    if (readcnt == 1) wait (wrt)  
    signal (mutex) → other readers can enter  
    /\* current reading \*/

    wait (mutex);

    readcnt --; → reader wants to leave

    if (readcnt == 0) signal (wrt) → writers can enter  
    signal (mutex); // reader leaves

} while (true)



! R - W → Case 1 ✓  
! W - R → Case 2 ✓  
Problems  
! W - W → Case 3 ✓  
✓ R - R → No problem → Case 4 ✓

```
int rc = 0;  
Semaphore mutex = 1;  
Semaphore db = 1;
```

```
void Reader (void){  
    1 → 0 → R1  
    1 → 0  
    while (true)  
        1 → 0
```

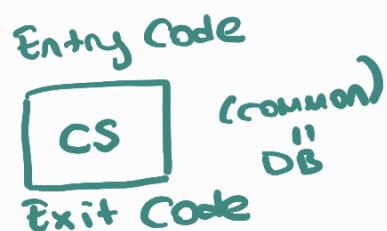
{ down (mutex); → 0      ②

    rc = rc + 1; → 1      1      1      2      0 → read is blocked

    if (rc == 1) then down (db); → 0

    up (mutex) → 1      1      1      2      1 → 0

    DB      R1, R2 → 1



Case 1:  1       φ,       0

②

0

1

2

1

0

code of  
exit

```

    } down (mutex)
    rc = rc - 1
    if (rc == 0) then up (db)
    up (mutex)
    process_data
}
}

```

```

void write (void) {
    } while (true) {
        } down (db); → db = 0
        } up (db); → no writing occurs
    }
}

```

$w_2 = 0 \rightarrow \times$   $w_2$  is blocked  
 $w_1$  writes

(w-R)  
✓ Case 2:

$rc$	$db$	$mutex$
$\cancel{0}$	$\cancel{1}$	$\cancel{1}$

(W<sub>1</sub>-W<sub>2</sub>)  
Case 3:

$rc$	$db$	$mutex$
$0$	$\cancel{1}$	$1$

(R-E)  
Case 4

$rc$	$db$	$mutex$
$\cancel{1}$	$\cancel{1}$	$\cancel{1} \neq 1$

## ⑧ Dining Philosophers Solution using Monitors

0 enum {thinking, hungry, eating} state [5];

state [i] = eating only if

state  $[i-1] \times .5$  != eating  
(LEFT)

state  $[i+1] \times .5$  != eating  
(RIGHT)

condition self [5];

DEADLOCK FREE SOLN

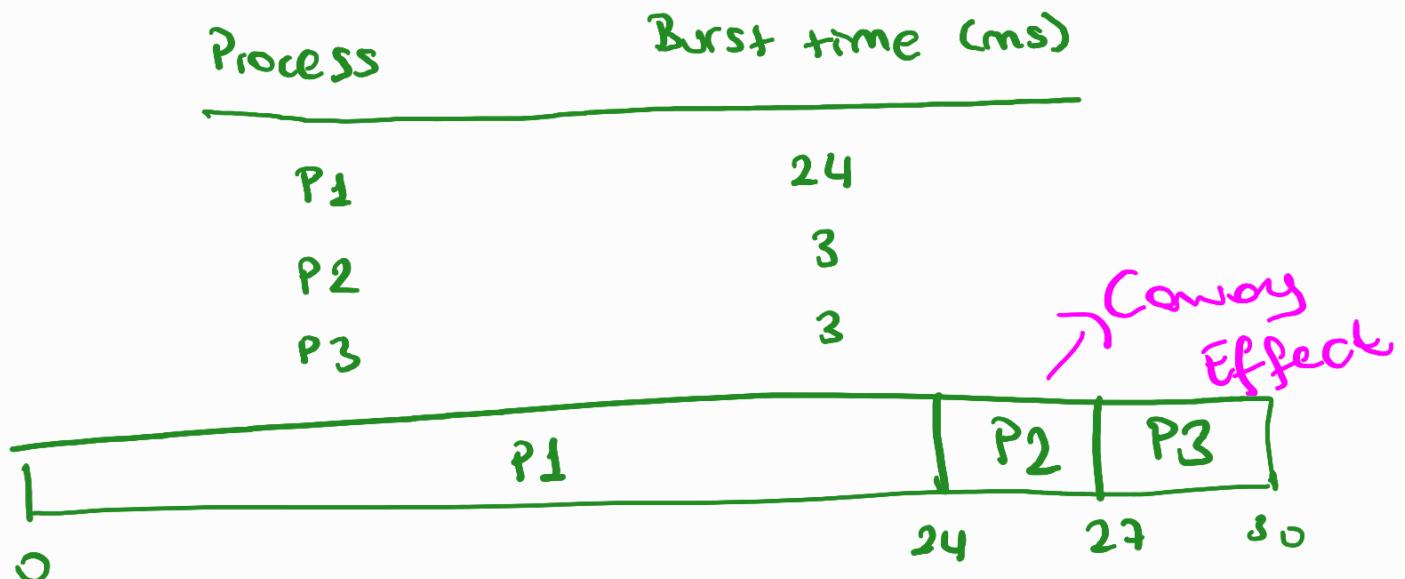


take-forks → test

/ eat /

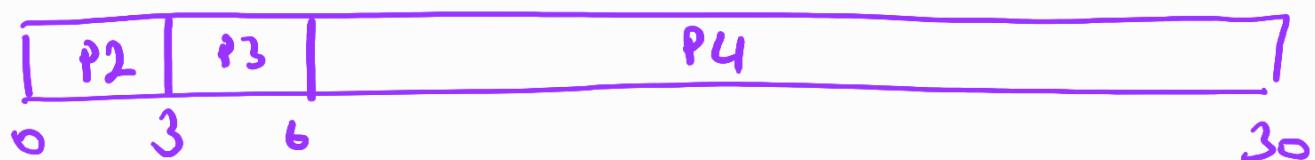
put-forks → test<sup>(LEFT)</sup>, test<sup>(RIGHT)</sup>

# ① FCFS .



waiting Time for    P<sub>1</sub> = 0 ms    }  
                        "                  P<sub>2</sub> = 24    } Average = 17 ms  
                        "                  P<sub>3</sub> = 27    }

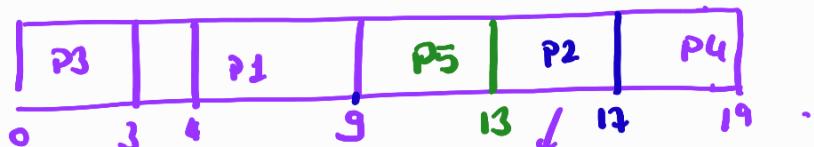
proactive first  
miss time



Waiting time    P<sub>1</sub> = 6    }  
                        "                  P<sub>2</sub> = 0    } Average 3 ms  
                        "                  P<sub>3</sub> = 3    }

Ex

	ID	Arr. Time	Burst Time
②	v P1	4	5
	→ P2	6	4
①	v P3	0	3
	→ P4	6	2
③	v P5	5	4



since  $P2 < P4$   
(ID)

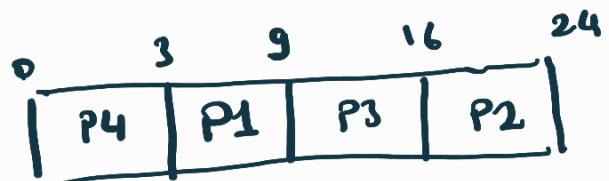
Turn Around Time = Completion time - Arrival time

Waiting Time = Turn Around Time - Burst time

## ② Shortest-Job-First (SJF)

Non-preemptive scheduling example:

ID	Burst time
P1	6
P2	8
P3	7
P4	3

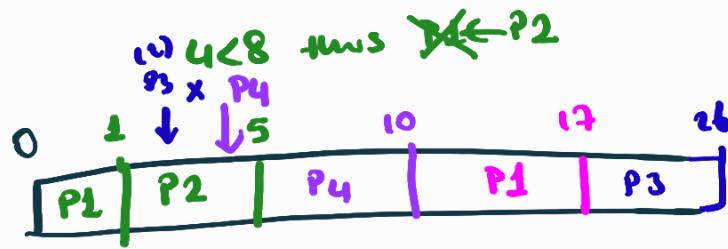


$$\text{Average WT} : \frac{(3+9+16+24)}{4} = 7 \text{ ms}$$

waiting time

$> 10.25 \text{ (FCFS)}$

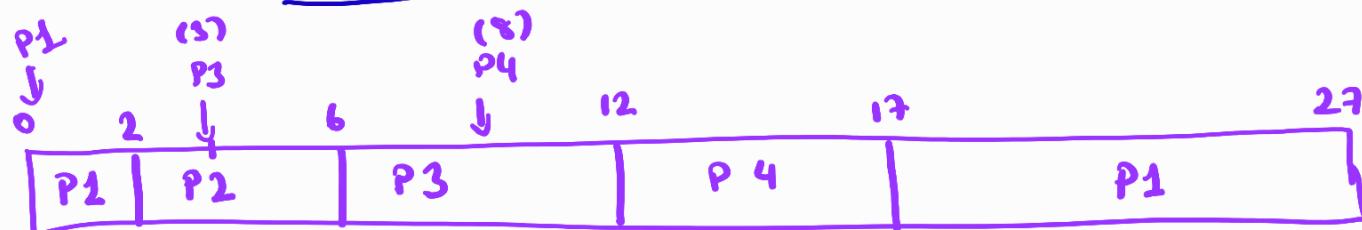
Preemptive		$\bar{E}X$
ID	AT	Burst time
$\checkmark P_1$	0	8 <del>7</del> 0
$\checkmark P_2$	1	4 <del>1</del>
P <sub>3</sub>	2	9 <del>9</del>
$\checkmark P_4$	3	5 <del>5</del>



$P_3 > P_2 \rightarrow P_2$  still continues  
 $9 > 7$

### Example 2)

ID	Arrival Time	Burst Time	
P <sub>1</sub>	0	12	→ 10
P <sub>2</sub>	2	4	✓
P <sub>3</sub>	3	6	$6 - 4 \text{ att=8}$ ✓
P <sub>4</sub>	8	5	



Average waiting time:

$$P_1 \rightarrow (17-2) = 15$$

$$P_2 \rightarrow (2-2)=0$$

$$P_3 \rightarrow (6-3)=3$$

$$P_4 \rightarrow (12-8)=4$$

$$\left. \begin{array}{l} \frac{22}{4}=5.5 \\ \text{MS} \end{array} \right\}$$

Waiting time = Total waiting time -  
 NO. of milliseconds process created -  
 Arrival time

## Example 2

ID	Arr Time	Burst Time
P1	0	1 <del>7</del> 7
P2	3	4 <del>2</del> 0
P3	7	1
P4	8	3

$P_2 < P_3$  ✓       $P_4 < P_1$  ✓

Timeline diagram:

```

    graph LR
      P1[0] -->|P1| 0 -->|P1| 7
      P2[3] -->|P2| 3 -->|P2| 10
      P3[7] -->|P3| 7 -->|P3| 8
      P4[8] -->|P4| 8 -->|P4| 13
      P1 -->|P1| 20
  
```

Turn around = Completion - Arrival

~~$$P_1: (3-0) + (20-10) = 3+7=10$$~~

~~$$P_2: (7-3) + (20-8) = 4+2=6$$~~

~~$$P_3: 8-7 = 1$$~~

~~$$P_4: 13-10 = 3$$~~

$$P_1: 20-0 = 20$$

$$P_2: 10-3 = 7$$

$$P_3: 8-7 = 1$$

$$P_4: 13-8 = 5$$

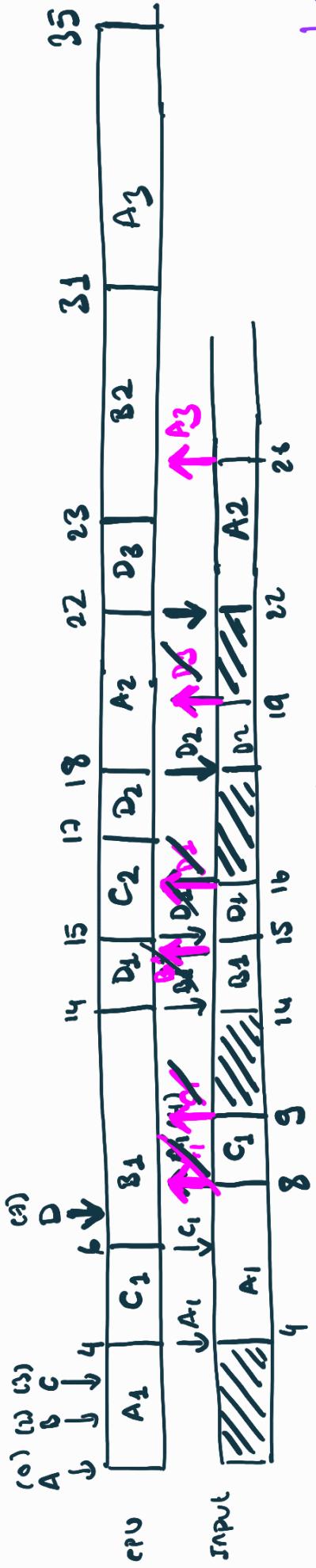
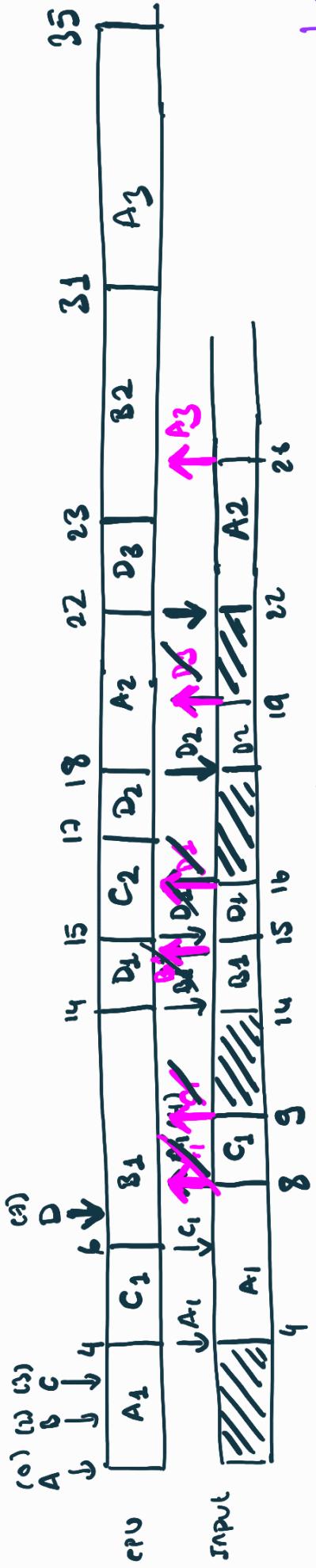
$$\left. \begin{array}{l} \\ \\ \end{array} \right\} \frac{33}{4} = 8.25$$

### Example (non-preemptive) $\Rightarrow$ SJF

Process	RT	1 <sup>st</sup> exec	St. I/O	2 <sup>nd</sup> exec	St. I/O	3 <sup>rd</sup> exec
A	0	4b	V	4c	V	4d
B	2	8	-	-	-	-
C	3	2	A	4	A	4
D	7	1	E	1	V	1

\*\* \*

(a) (b) (c)



Process	Turn-around Time	Waiting Time	Response time
A: 35-0 = 35	A: (0-0)+(18-8)+((31-15)) = 15	D: (14-4)+(17-14)+(21-19) = 11	0
B: 34-2 = 32	B: (6-2)+(23-15) = 12	C: (14-3)+(15-9) = 7	1
C: 17-3 = 14	C: (6-1)+(15-9) = 7	B: (14-4)+(17-14)+(21-19) = 11	1
D: 23-7 = 16	D: (14-4)+(17-14)+(21-19) = 11	A: (0-0)+(18-8)+((31-15)) = 15	1

$$\text{Process Utilization} (35/35) * 100 = 100\% \checkmark$$

$$\text{Throughput: } 4 / 35 = 0.11\checkmark$$

4 of process

Turnaround time =  $t_{process end} - t_{process begin}$   
response time =  $t_{process end} - t_{process begin} - t_{(transmission of request)}$

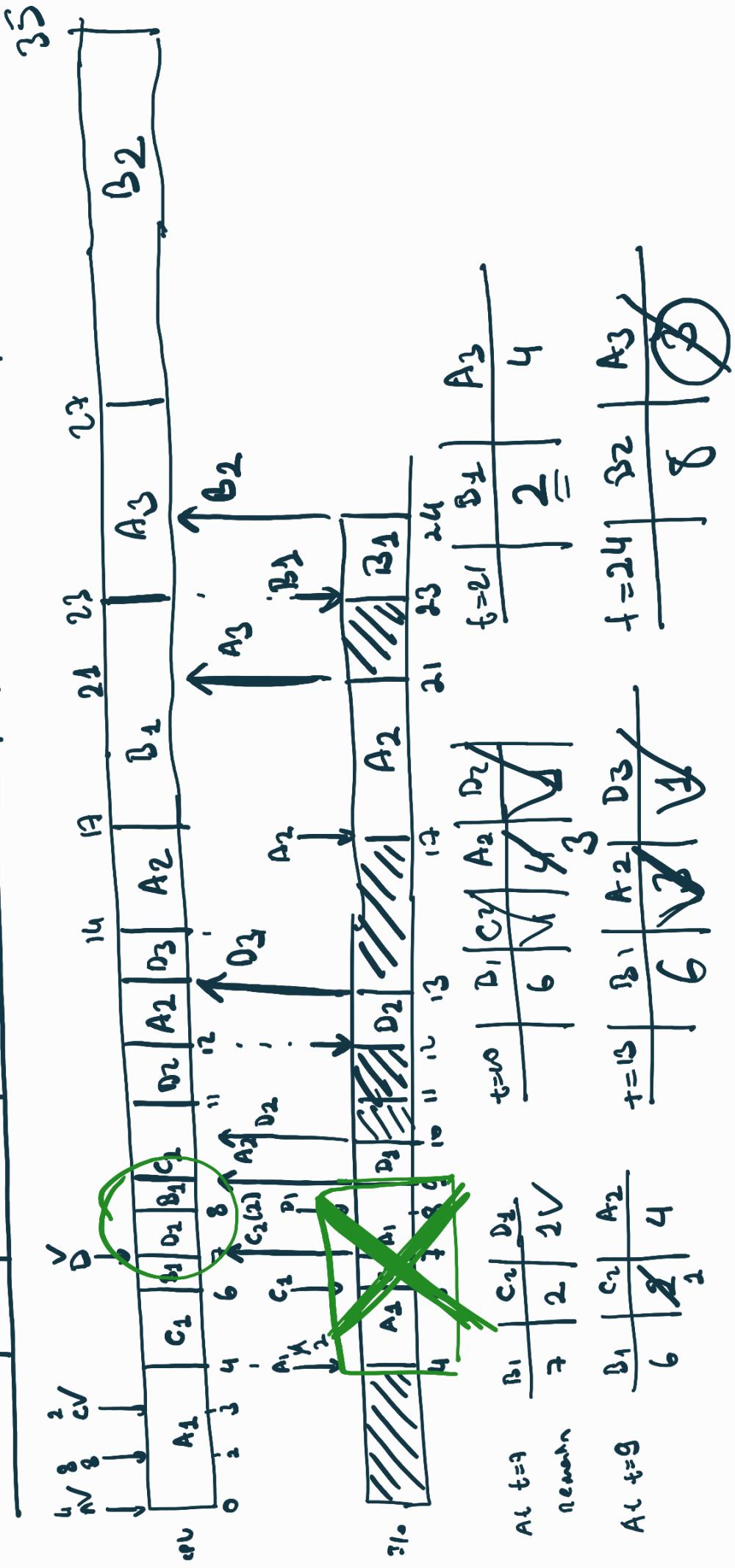
Turnaround time =  $t_{process end} - t_{process begin}$   
response time =  $t_{process end} - t_{process begin} - t_{(transmission of request)}$

## Shortest - Remaining - Time - First

### Example

Process	RT	$S_1$ exec	$S_2$ exec	$S_3$ exec	$S_4$ exec
A	0V	✓V	✓V	✓V	✓V
B	2V	✓V	✓V	✓V	-
C	3V	✓V	✓V	-	-
D	7V	✓V	✓V	✓V	✓V

preemptive



$$T = \overbrace{(t_1 - t_3)}^0 + (t_1 - t_2) + \dots$$

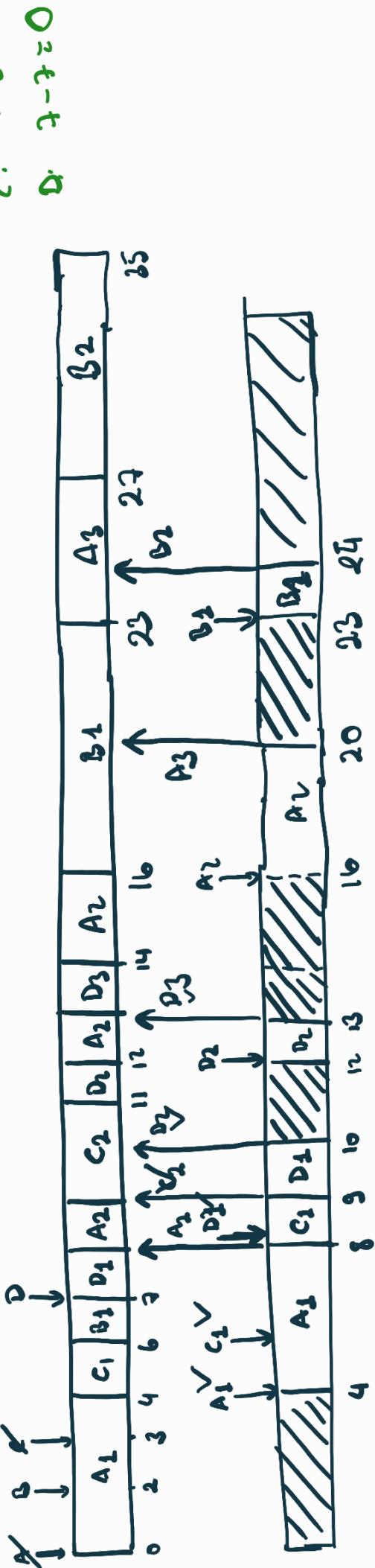
$$T = \overbrace{(t_1 - t_3)}^0 + (t_1 - t_2)$$

$$A: (t_1 - t_3) + (t_1 - t_2) = 9$$

$$\frac{A: (t_1 - t_3) + (t_1 - t_2) + (t_1 - t_4)}{3} = 7$$

3	8	8
2	6	6
3	7	7
4	6	6
5	9	9

3	8	8
4	6	6
5	9	9
6	6	6
7	7	7



Response time

$$t = t_1 - t_3$$

$$t = t_1 - t_2$$

$$t = t_1 - t_4$$

$$t = t_1 - t_1$$

$$t = 14 - 3 = 11$$

$$t = 14 - 2 = 12$$

$$t = 14 - 1 = 13$$

$$t = 14 - 0 = 14$$

T<sub>avg</sub> Average timer

Process	A1	A2	A3	A4	A5
P <sub>idle</sub>	0	2	4	6	8
P <sub>exec</sub>	10	10	10	10	10
T <sub>idle</sub>	10	10	10	10	10
T <sub>exec</sub>	10	10	10	10	10
T <sub>avg</sub>	10	10	10	10	10

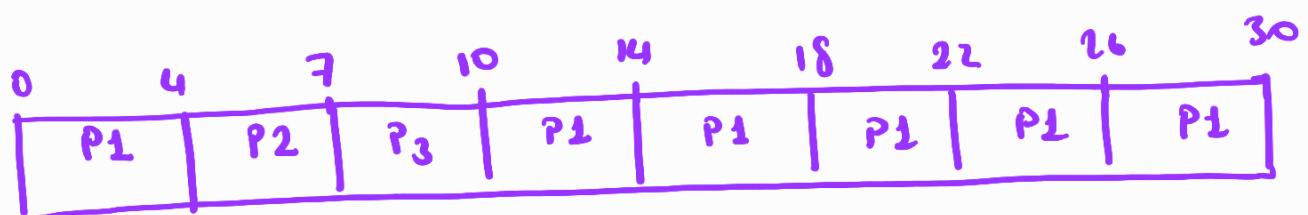
827P

### ③ Round-Robin Scheduling (Interactive Sys. Scheduling)

Ex

Process ID	Burst Time
P1	24
P2	3 ✓
P3	3 ✓

Time quantum: 4 milliseconds



Turn Around Time:

$$P1: 30 - 0 = 30$$

$$P2: 7 - 0 = 7$$

$$P3: 10 - 0 = 10$$

Waiting time

$$P1: 30 - 24 = 6$$

$$P2: 7 - 3 = 4$$

$$P3: 10 - 3 = 7$$

$TAT = BT + \sum_{\text{burst time}}$

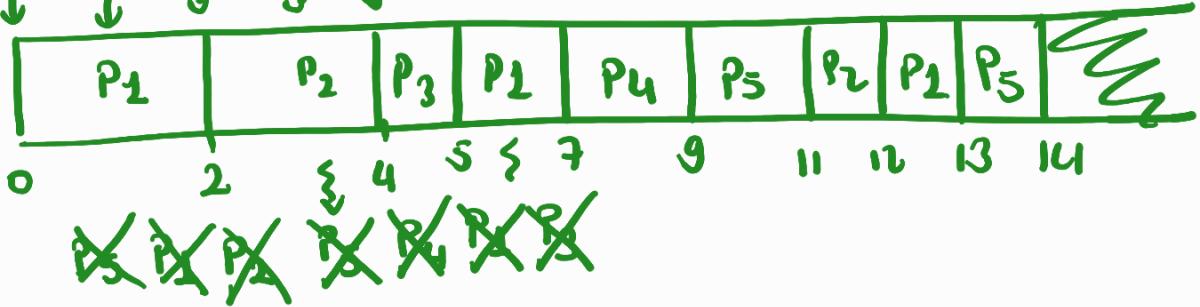
Ex

ID	Arr. Time	Burst Time
P1	0	8 8 1
P2	1	2 2
P3	2	2
P4	3	2
P5	4	8 1

Time quantum: 2 Units

P1 P2 P3 0 4 8 12  
↓ ↓ ↓ ↓ ↓

12



## PLoS Example

$r_{t \max} \leq (n-1) + Q - \text{time quantum}$

response time multiprocessor 1 agreed True Quantum = 3

Process	#T	st <sup>t</sup> exc	st <sup>t</sup> T <sub>0</sub>	2 <sup>t</sup> exc	2 <sup>t</sup> T <sub>0</sub>	3 <sup>t</sup> exc	3 <sup>t</sup> T <sub>0</sub>
A	0 v	✓		✓		✓	
B	2 v	✓	✓	✓	✓	✓	✓
C	3 v	✓	✓	✓	✓	✓	✓
D	4 v	✓	✓	✓	✓	✓	✓

