

CONTEXT C_Part_Proc_Manage

EXTENDS C_Part_Proc_With_Events

SETS

DEADLINE_TYPE
PARTITION_STARTCONDITIONS
PROCESS_WAIT_TYPES

CONSTANTS

Period_of_Partition
Duration_of_Partition
SystemPartFlag_of_Partition
DEADLINE_HARD
DEADLINE_SOFT
NORMAL_START
PARTITION_RESTART
HM_MODULE_RESTART
HM_PARTITION_RESTART
PROC_WAIT_DELAY
PROC_WAIT_TIMEOUT
PROC_WAIT_PERIOD
PROC_WAIT_OBJ
PROC_WAIT_PARTITIONNORMAL
partitionTimeWindows
timeWindowsofPartition
majorFrame
periodicprocstart_timeWindow_of_Partition
firstperiodicprocstart_timeWindow_of_Partition
MAX_LOCK_LEVEL
MIN_PRIORITY
MAX_PRIORITY
INFINITE_TIME_VALUE
ONE_TICK_TIME
part_sched_list
periodicStartPoint
partition2num

AXIOMS

axm_period_of_part: $Period_of_Partition \in PARTITIONS \rightarrow \mathbb{N}$

axm_duration_of_part: $Duration_of_Partition \in PARTITIONS \rightarrow \mathbb{N}$

axm_syspartflag_of_part: $SystemPartFlag_of_Partition \in PARTITIONS \rightarrow \text{BOOL}$

axm_deadlinetype_of_part: $partition(DEADLINE_TYPE, \{DEADLINE_HARD\}, \{DEADLINE_SOFT\})$

axm_startconditions_of_part: $partition(PARTITION_STARTCONDITIONS, \{NORMAL_START\}, \{PARTITION_RESTART\})$

axm_proc_wait_types: $partition(PROCESS_WAIT_TYPES, \{PROC_WAIT_DELAY\}, \{PROC_WAIT_TIMEOUT\})$

axm_part_time_window: $partitionTimeWindows \in (\mathbb{N} \times \mathbb{N}) \rightarrow \text{BOOL}$

axm_timewindowsofpart: $timeWindowsofPartition \in partitionTimeWindows \rightarrow PARTITIONS$

axm_majorframe: $majorFrame \in \mathbb{N}_1$

axm_periodicprostart_twp: $periodicprocstart_timeWindow_of_Partition \in partitionTimeWindows \rightarrow PARTITIONS$

axm_firstperiodicprstart_twp: $firstperiodicprocstart_timeWindow_of_Partition \in PARTITIONS \rightarrow partitionTimeWindows$

axmmajorframe_value: $(\exists x, y. (x \mapsto y \in dom(partitionTimeWindows) \Rightarrow x + y = majorFrame)) \wedge (\forall x, y. (x \mapsto y \in dom(partitionTimeWindows) \Rightarrow x + y \leq majorFrame))$

$\text{axm_min_partwindow_eque_0: } \exists x, y. (x \mapsto y \in \text{dom}(\text{partitionTimeWindows}) \Rightarrow x = 0)$
 $\text{axm_atleast_oneperiodicprocstart_for_eachpart: } \forall p. (p \in \text{PARTITIONS} \Rightarrow (\exists x, y. (((x \mapsto y) \mapsto \text{TRUE}) \in \text{periodicprocstart_timeWindow_of_Partition}^{-1}[\{p\}]))))$
 $\text{axm_perprocstart_with_partwin:}$
 $(\forall x, y, b, p. ((x \mapsto y \mapsto b \mapsto p) \in \text{periodicprocstart_timeWindow_of_Partition} \Rightarrow b = \text{TRUE} \wedge \text{timeWindowsofPartition}(x \mapsto y \mapsto b) = p)) \wedge$
 $(\forall x, y, b, p. ((x \mapsto y \mapsto b \mapsto p) \in \text{timeWindowsofPartition} \wedge b = \text{TRUE} \Rightarrow (x \mapsto y \mapsto b \mapsto p) \in \text{periodicprocstart_timeWindow_of_Partition}))$
 $\text{axm_frstperiodicprocstart_twp2: } \forall x, y, b, p. ((p \mapsto (x \mapsto y \mapsto b)) \in \text{firstperiodicprocstart_timeWindow_of_Partition} \Rightarrow ((x \mapsto y \mapsto b) \mapsto p) \in \text{periodicprocstart_timeWindow_of_Partition})$
 $\text{axm_frstperiodicprocstart_twp3: } \forall x, y, b, p. ((p \mapsto (x \mapsto y \mapsto b)) \in \text{firstperiodicprocstart_timeWindow_of_Partition} \Rightarrow \neg(\exists x1, y1, b1, p1. (((x1 \mapsto y1 \mapsto b1) \mapsto p1) \in \text{periodicprocstart_timeWindow_of_Partition} \wedge p = p1 \wedge x1 < x)))$
 $\text{axm_majorframe_value2: } \forall x. (x \in \text{ran}(\text{Period_of_Partition}) \Rightarrow \exists y. (y \in \mathbb{N}_1 \wedge x * y = \text{majorFrame}))$
 $\text{axm_max_lock_level: } \text{MAX_LOCK_LEVEL} = 32$
 $\text{axm1_minvalue_priority: } \text{MIN_PRIORITY} = 0$
 $\text{axm_maxvalue_priority: } \text{MAX_PRIORITY} = 249$
 $\text{axm_infinite_timevalue: } \text{INFINITE_TIME_VALUE} = 0$
 $\text{axm_one_tick_time: } \text{ONE_TICK_TIME} = 20$
 $\text{axm_partitionID: } \text{partition2num} \in \text{PARTITIONS} \mapsto \mathbb{N}$
 $\text{axm_part_sched_list: } \langle \text{theorem} \rangle \text{ part_sched_list} \in \mathbb{N} \rightarrow (\mathbb{N} \times \mathbb{N})$
 $\text{axm_part_sched_list1: } \langle \text{theorem} \rangle \forall p. p < \text{card}(\text{PARTITIONS}) \Rightarrow (\exists \text{offset}, \text{dur}. \text{part_sched_list}(p) = (\text{offset} \mapsto \text{dur}))$
 $\text{axm_part_sched_list2: } \langle \text{theorem} \rangle \forall p. p < \text{card}(\text{PARTITIONS}) \wedge (p + 1) < \text{card}(\text{PARTITIONS}) \Rightarrow (\exists \text{offset}, \text{dur}, \text{offset_1}, \text{dur_1}. \text{part_sched_list}(p) = (\text{offset} \mapsto \text{dur}) \wedge \text{part_sched_list}(p+1) = (\text{offset_1} \mapsto \text{dur_1}) \wedge \text{offset_1} \geq \text{offset} + \text{dur})$
 $\text{axm_major_time_window_value: } \exists \text{offset}, \text{dur}. \text{part_sched_list}(\text{card}(\text{PARTITIONS}) - 1) = (\text{offset} \mapsto \text{dur}) \Rightarrow \text{offset} + \text{dur} = \text{majorFrame}$
 $\text{axm_periodicStartPoint: } \text{periodicStartPoint} \in \mathbb{N} \rightarrow \mathbb{N}$
 $\text{axm_periodicStartPoint1: } \forall p. p < \text{card}(\text{PARTITIONS}) \Rightarrow (\exists \text{offset}, \text{dur}, \text{periodic_start_point}. \text{part_sched_list}(p) = (\text{offset} \mapsto \text{dur}) \wedge \text{periodicStartPoint}(p) = \text{periodic_start_point} \wedge \text{periodic_start_point} \geq \text{offset} \wedge \text{periodic_start_point} < \text{offset} + \text{dur})$

END