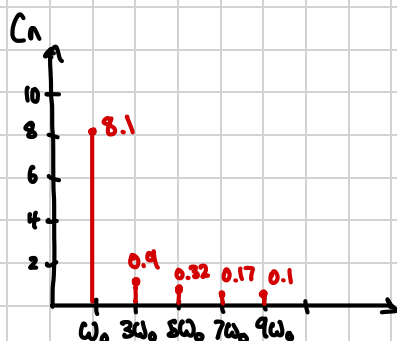


FREQUENCY DOMAIN



$$y = 10 \sum_{\substack{n=1 \\ \text{odd}}}^{\infty} \underbrace{\frac{4}{\pi^2 n^2}}_{C_n} \cos(n\omega_0 t + \underbrace{0}_{\phi_n})$$

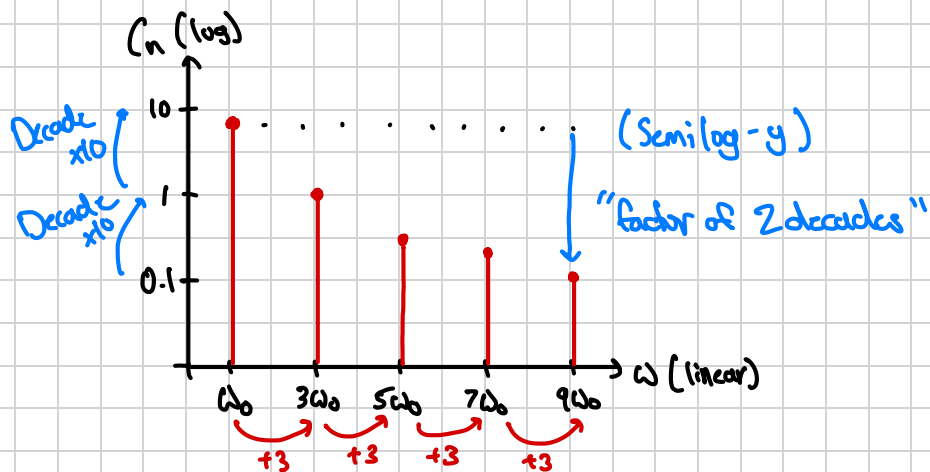
DYNAMIC RANGE

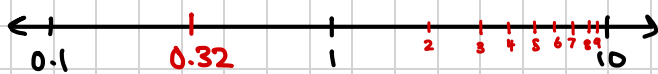
$$= \frac{\text{Biggest \# in set}}{\text{Smallest \# in set}}$$

$$= \frac{8.1}{0.1} = 81$$

LOG PLOT

Linear: Spacing between tick marks is a constant **added** to the prior one
 Log: Spacing between tick marks is a constant **multiplied** to the prior mark





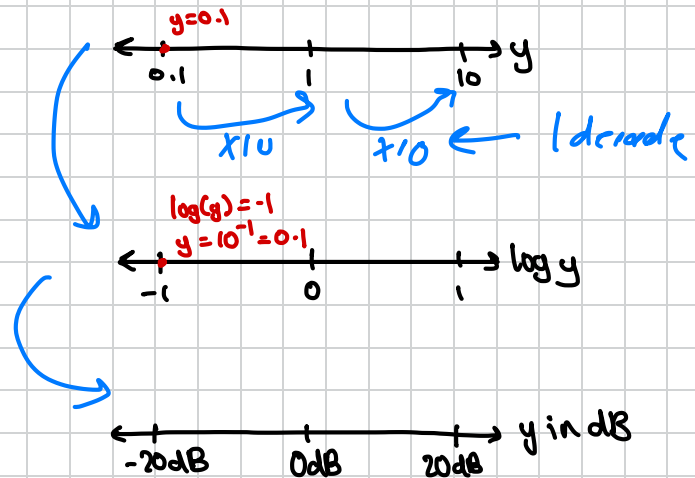
$$\text{Minor tick \% between major ticks} = \log_{10} \left(\frac{\#}{\text{lower major tick}} \right)$$

$$\log_{10} \left(\frac{0.32}{0.1} \right) = 0.505 \quad 50.5\%$$

1) Plot y itself on a line with log-spaced ticks

2) Plot $\log(y)$ on a line with linear-spaced ticks

3) Decibels $\# \text{ in dB} = 20 \log(\#)$
(Voltage, current)



$$20 \times \log(100 \text{ V}) \quad ?? \quad \log(\text{V}) \quad ??$$

log can only apply to dimensionless QTYs

- plot gain, dimensionless

$$20 \times \log \left(\frac{100 \text{ V}}{1 \text{ V}} \right) = 40 \text{ dB V}$$

$$20 \times \log \left(\frac{100 \text{ V}}{1 \mu \text{ V}} \right) = 160 \text{ dB } \mu \text{ V}$$

Monomials: $y(x) = ax^n$ linear on log-log

Exponentials: $y(x) = ae^x$ linear on semilog-y

Logarithms: $y(x) = a \log(x)$ linear on semilog-x

$$\cos(2\pi f_1 x) = \cos(2\pi f_2 x)$$