R Notebook

R Studio API Code

Libraries

```
library(tidyverse)
library(haven)
library(caret)
library(RANN)
```

Data Import and Cleaning

```
gss <- read_sav("../Data/GSS2006.sav") %>%
  select(BIG5A1,BIG5B1,BIG5C1,BIG5D1,BIG5E1,BIG5A2,BIG5B2,BIG5C2,BIG5D2,BIG5E2,HEALTH) %>%
  mutate_all(as.numeric)
gss_tbl <- gss[rowSums(is.na(gss[,1:10]))!=ncol(gss[,1:10]) & !is.na(gss[,11]),]
pander::pander(head(gss_tbl))</pre>
```

Table 1: Table continues below

BIG5A1	BIG5B1	BIG5C1	BIG5D1	BIG5E1	${\rm BIG5A2}$	${\rm BIG5B2}$	BIG5C2	BIG5D2
2	2	2	2	2	2	2	4	2
5	1	1	2	1	1	3	5	5
2	2	1	4	1	2	4	3	1
1	1	1	1	4	2	5	5	5
1	1	2	1	1	3	5	5	5
2	2	2	2	2	2	3	5	3

BIG5E2	HEALTH
4	3
5	1
4	1
5	3
5	3
3	2

I read in the 10 personality predictors and the health criterion, converted all to numeric variables, and

removed rows where there was no data at all, rows where all 10 predictor variables were missing, and rows where the criterion was missing.

Analysis

```
pp <- preProcess(gss_tbl[,-11],</pre>
                 method=c("center","scale","zv","knnImpute"))
gss_preprocessed <- predict(pp,newdata=gss_tbl)</pre>
set.seed(2020)
rows <- sample(nrow(gss_preprocessed))</pre>
shuffled_gss <- gss_preprocessed[rows,]</pre>
gss_holdout <- shuffled_gss[1:250,]
gss_train <- shuffled_gss[251:nrow(shuffled_gss),]</pre>
ols_model <- train(</pre>
  HEALTH~.^2,
 gss_train,
 method="glm",
 trControl=trainControl(method="cv", number=10, verboseIter=F),
 na.action=na.pass
)
ols_val_train <- cor(predict(ols_model,gss_train,na.action=na.pass),gss_train$HEALTH) # correlation bet
ols_val_holdout <- cor(predict(ols_model,gss_holdout,na.action=na.pass),gss_holdout$HEALTH) # correlati
glmnet model <- train(</pre>
 HEALTH~.^2,
  gss_train,
 method="glmnet",
 trControl=trainControl(method="cv", number=10, verboseIter=F),
  na.action=na.pass
glmnet_val_train <- cor(predict(glmnet_model,gss_train,na.action=na.pass),gss_train$HEALTH) # correlati</pre>
glmnet_val_holdout <- cor(predict(glmnet_model,gss_holdout,na.action=na.pass),gss_holdout$HEALTH) # cor
svm_model <- train(</pre>
 HEALTH~.^2,
 gss_train,
 method="svmLinear",
 trControl=trainControl(method="cv", number=10, verboseIter=F),
  na.action=na.pass
svm_val_train <- cor(predict(svm_model,gss_train,na.action=na.pass),gss_train$HEALTH) # correlation bet
svm_val_holdout <- cor(predict(svm_model,gss_holdout,na.action=na.pass),gss_holdout$HEALTH) # correlati</pre>
xgb_model <- train(</pre>
 HEALTH~.^2,
  gss_train,
 method="xgbTree",
 trControl=trainControl(method="cv", number=10, verboseIter=F),
  na.action=na.pass
```

	train	holdout
ols	0.2936	0.164
${f glmnet}$	0.2541	0.2141
\mathbf{svm}	0.2645	0.1711
\mathbf{xgb}	0.3536	0.2622

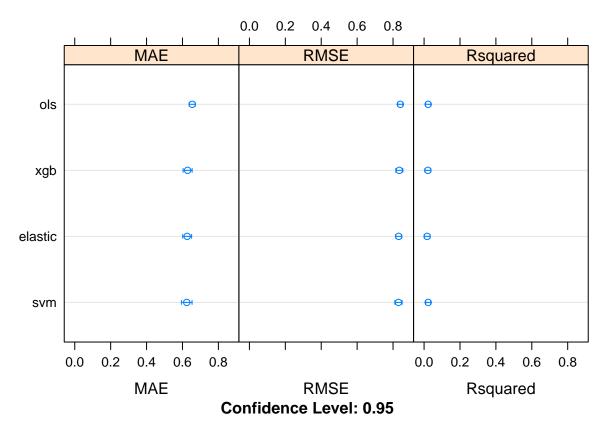
```
summary(resamples(list("ols"=ols_model,"elastic"=glmnet_model,"svm"=svm_model,"xgb"=xgb_model)))
```

```
##
## Call:
  summary.resamples(object = resamples(list(ols = ols_model, elastic
   = glmnet_model, svm = svm_model, xgb = xgb_model)))
##
## Models: ols, elastic, svm, xgb
## Number of resamples: 10
##
## MAE
##
                                   Median
                                                      3rd Qu.
                Min.
                       1st Qu.
                                               Mean
                                                                    Max. NA's
           0.6089230 0.6405301 0.6604256 0.6543565 0.6662192 0.6828501
## elastic 0.5783609 0.6117698 0.6192162 0.6262211 0.6378564 0.6879304
                                                                            0
## svm
           0.5554573 0.5953747 0.6265282 0.6237493 0.6387097 0.7070409
                                                                            0
           0.5678623 0.6155808 0.6361417 0.6286158 0.6486813 0.6782854
## xgb
                                                                            0
## RMSE
##
                       1st Qu.
                                  Median
                Min.
                                               Mean
                                                      3rd Qu.
                                                                    Max. NA's
## ols
           0.8124804 0.8261625 0.8368205 0.8404638 0.8570135 0.8676765
## elastic 0.7954076 0.8180466 0.8291962 0.8314074 0.8405640 0.8694776
                                                                            0
           0.7807662 0.8159438 0.8303278 0.8304015 0.8444090 0.8809867
## svm
                                                                            0
           0.7885402 0.8221633 0.8432825 0.8349607 0.8543988 0.8686232
                                                                            0
## xgb
##
## Rsquared
##
                            1st Qu.
                                          Median
                                                                3rd Qu.
                                                       Mean
           0.0007916426 0.006473956 0.022388377 0.02288110 0.03070297 0.06722579
## ols
## elastic 0.0006341155 0.004432708 0.007341556 0.01716379 0.02299664 0.07491850
           0.0001663978 0.009874320 0.020620584 0.02285823 0.02805948 0.05562887
## svm
           0.0004073072 0.001736327 0.018199538 0.02097668 0.02881553 0.07255770
## xgb
           NA's
##
              0
## ols
              0
## elastic
```

```
## svm 0
## xgb 0
```

Visualization

dotplot(resamples(list("ols"=ols_model,"elastic"=glmnet_model,"svm"=svm_model,"xgb"=xgb_model)))



Because the final hypertuning parameters used for the elastic net model was $\alpha = 1$, $\lambda = .022$, the optimal model was a LASSO regression.

When evaluating different models with metrics of RMSE and R^2 , elastic net regression (LASSO really) had the lowest RMSE and the highest R^2 , and therefore is the best-performing model out of the four. However, when examining validities for both the training and the holdout sample, the results are somewhat discrepant. Extreme gradient boosted regression has the highest correlation with the criterion in the training sample (.36), as well the highest correlation in the holdout sample (.25). Elastic net regression performed well in terms of RMSE and R^2 , but had the lowest correlation in the training sample. However, its validity in the holdout sample is the second highest, showing good generalizability. Support vector regression and OLS models had poorer validities in the holdout sample. Therefore, I prefer the elastic net regression model overall.