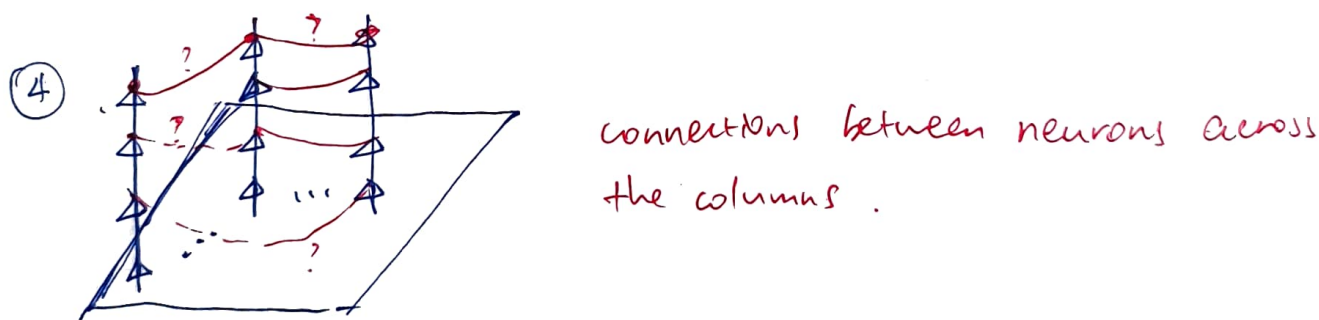
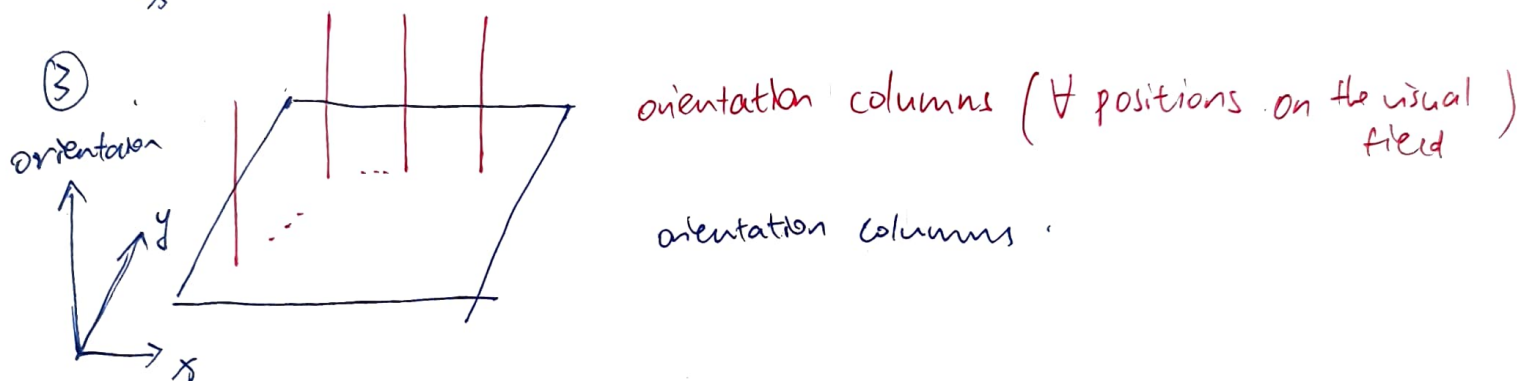
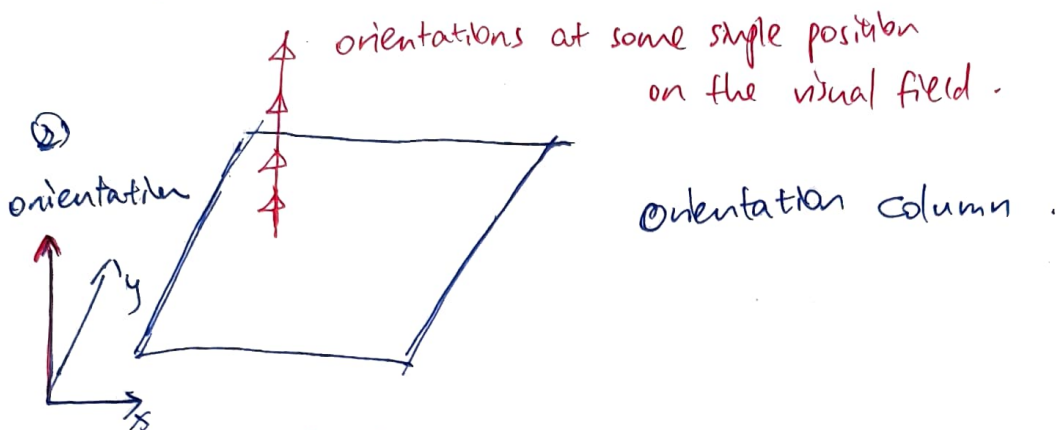
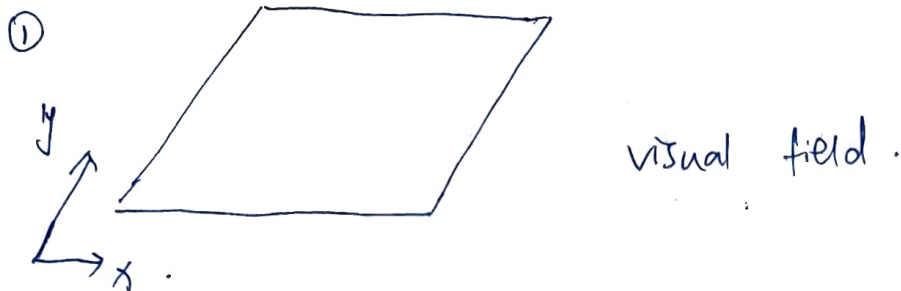
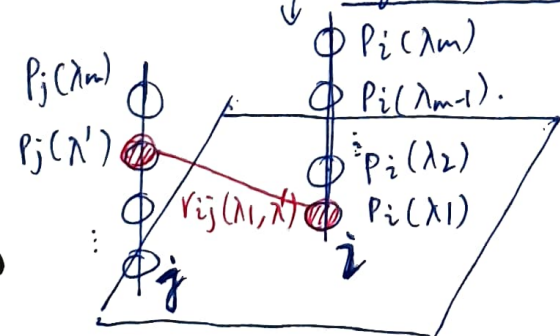


Week 5: Recurrent Models



↓ algebraic model =



Recurrent computation in cortical columns:

$$P_i^{t+1}(\lambda) \leftarrow \Pi_{\mathbb{K}} [P_i^t(\lambda) + \int S_i^t(\lambda)]$$

The Big Picture

The Model of Curve Detection (2 stages).

Stage 1: Trace Inference + orientation selection

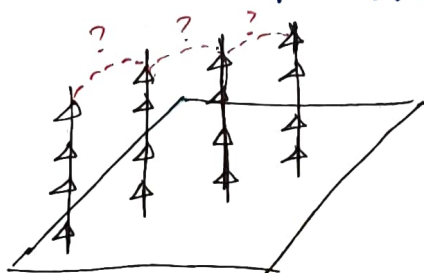
step 1.1 Initial local measurement (at single cell receptive field)

- each endstopped neuron \rightarrow orientation.
 \searrow curvature.
- 2 operators : ① normal operator : categorization.
(selects the proper contrast cross section to derive a true/false contrast line/edge).
- ② tangent operator : continuity
(ensures local C^1 continuity of the curve).
- step 1.1: ~~is~~ local linear approximation of the curve in the direction of the normal & the direction of the tangent.

Step 1.2. Establish consistency between the local measurements.
(from 1.1)

- given : ① co-circularity constraints.
(λ and λ' are co-circular, $\lambda \propto \lambda'$
 $\Leftrightarrow \exists$ a circle to which ~~the~~ both λ and λ' are tangent)
- ② a curve as a stimulus.

- to find : connections between endstopped neurons
in nearby orientation hypercolumns.
i.e. where are the long-range horizontal connections?



Stage 2: Curve Synthesis

Motivation: recovering the global curve by computing a covering of Γ

Step 2.1: Construct the potential distribution from the discrete tangent field

Step 2.2: Spline dynamics

the same as the
association field?

Higher level of abstraction:

Discrete: orientations (from endstopped cells)

Continuous: - a measure of activity ~~at~~ associated with the discrete object
(response to stimuli at each endstopped cell)

- a measure of ~~act~~ consistency across discrete objects



analogous to the TSP problem.

The model: Polymatrix game with n players.

(The columnar machine)



Nash equilibrium always exists.