

561hw5

809681148

October 2018

1 Q1

$$\pi_{s.sid, s.sname, b.bookno, b.title}((Student_s \times Book_b) \\ \bowtie_{(s.sname='Eric' \vee s.sname='Anna') \wedge s.sid=t.sid \wedge b.price > 20 \wedge t.bookno=b.bookno})(buys_t)$$

$$\pi_{s.sid, s.sname, b.bookno, b.title} \\ (\sigma_{(s.sname='Eric' \vee s.sname='Anna') \wedge s.sid=t.sid \wedge b.price > 20 \wedge t.bookno=b.bookno})(Student_s \times Book_b \times \\ buys_t)$$

$$\pi_{s.sid, s.sname, b.bookno, b.title} \\ (\sigma_{s.sid=t.sid \wedge b.price > 20 \wedge t.bookno=b.bookno})(\sigma_{(s.sname='Eric' \vee s.sname='Anna')} Student_s \times Book_b \times \\ buys_t)$$

$$\pi_{s.sid, s.sname, b.bookno, b.title} \\ (\sigma_{s.sid=t.sid \wedge t.bookno=b.bookno})(\sigma_{(s.sname='Eric' \vee s.sname='Anna')} Student_s \times \sigma_{(b.price > 20)} Book_b \times \\ buys_t)$$

$$\pi_{sid, sname, bookno, title}(\sigma_{(s.sname='Eric' \vee s.sname='Anna')} Student_s \bowtie_{s.sid=t.sid} (\sigma_{(b.price > 20)} Book_b \bowtie \\ buys_t))$$

2 Q2

$$\pi_{s.sid}((Student_s \times Book_b) \\ \bowtie_{(s.sname='Eric' \vee s.sname='Anna') \wedge s.sid=t.sid \wedge b.price > 20 \wedge t.bookno=b.bookno})(buys_t)$$

$$\pi_{s.sid} \\ (\sigma_{(s.sid=t.sid \wedge t.bookno=b.bookno)}(\sigma_{(s.sname='Eric' \vee s.sname='Anna')} Student_s \times \sigma_{(b.price > 20)} Book_b \times \\ buys_t))$$

$$(\pi_{sid}(\sigma_{(s.sname='Eric' \vee s.sname='Anna')} Student_s)) \cap (\pi_{sid}(buys_t \bowtie \sigma_{(b.price > 20)} Book_b))$$

3 Q3

$$\pi_{(s.sid, b1.price, b2.price)}((\pi_{sid}(\sigma_{name \neq Eric}(Student))) \times Book_{b_1} \bowtie_{(b1.bookno \neq b2.bookno \wedge b1.price > 60 \wedge b2.price \geq 50)} Book_{b_2} \bowtie_{(t1.bookno = b1.bookno \wedge t1.sid = s.sid)} buys_{t_1} \bowtie_{(t2.bookno = b2.bookno \wedge t2.sid = s.sid)} buys_{t_2})$$

$$\pi_{(s.sid, b1.price, b2.price)}((\pi_{sid}(\sigma_{name \neq Eric}(Student))) \times \sigma_{b1.price > 60} Book_{b_1} \bowtie_{(b1.bookno \neq b2.bookno)} \sigma_{b2.price \geq 50} Book_{b_2} \bowtie_{(t1.bookno = b1.bookno \wedge t1.sid = s.sid)} buys_{t_1} \bowtie_{(t2.bookno = b2.bookno \wedge t2.sid = s.sid)} buys_{t_2})$$

$$\pi_{sid, b1.price, b2.price}((\sigma_{name \neq Eric}(Student)) \bowtie (Buys \bowtie \sigma_{b1.price > 60}(Book_{b_1}) \bowtie_{b1.bookno \neq b2.bookno} (Buys \bowtie \sigma_{b2.price \geq 50}(Book_{b_2})))$$

4 Q4

$$\pi_{sid}(\pi_{sid, sname}(Student) - \pi_{sid, sname}(Student \bowtie_{sid=sid} (Buys) \bowtie_{Bookno=bookno \wedge price > 50} (Book)))$$

$$\pi_{sid}(Student) - \pi_{sid}(Student \bowtie_{sid=sid} (Buys) \bowtie_{Bookno=bookno \wedge price > 50} (Book))$$

$$\pi_{sid}(Student) - \pi_{sid}((Buys) \bowtie_{Bookno=bookno \wedge price > 50} (Book))$$

$$\pi_{sid}(Student) - \pi_{sid}((Buys) \bowtie_{Bookno=bookno} \pi_{bookno}(\sigma_{price > 50}(Book)))$$

$$\pi_{sid}(Student) - \pi_{sid}((Buys) \bowtie \pi_{bookno}(\sigma_{price > 50}(Book)))$$

5 Q5

$$\pi_{sid, sname}(\pi_{sid, sname, 2007}(student \times book) \cap \pi_{sid, sname, bookno}((student \times book) \bowtie_{sid=sid \wedge bookno=bookno \wedge price < 25} buys))$$

$$\pi_{sid, sname}(student) \cap \pi_{sid, sname}((student \times \sigma_{price < 25}(book)) \bowtie_{sid=sid \wedge bookno=bookno} buys)$$

6 Q6

$\pi_{bookno}(\pi_{s.sid,s.sname,b.BookNo,b.title}(student_s \times book_b) -$
 $\pi_{s.sid,s.sname,b.BookNo,b.title}((student_s \times book) \bowtie_{s.sid=t.sid \wedge t.bookno=b.bookno \wedge price < 20}$
 $buys))$

$\pi_{bookno}(\pi_{s.sid,s.sname,b.BookNo,b.title}(student_s \times book_b) -$
 $\pi_{s.sid,s.sname,b.BookNo,b.title}((student_s \times \pi_{price < 20}book) \bowtie_{s.sid=t.sid \wedge t.bookno=b.bookno}$
 $buys))$

$\pi_{bookno}(\pi_{s.sid,b.BookNo}(student_s \times book_b) -$
 $\pi_{s.sid,b.BookNo}((\pi_{s.sid=t.sid \wedge t.bookno=b.bookno}buys) \bowtie \pi_{price < 20}book))$

7 Q7

$(student\ s1\ s2\ bought\ same\ book\ and\ that\ book\ cost\ more\ than\ 80) \subseteq (s1, s2\ bought\ same\ book)$

(the $s1 \neq s2$ and $s1 = buys$ implies to $s1 = buys$, we can remove $s2$)

since $buys.sid$ belongs to $student.sid$ we can use $buys.sid$

$\pi_{sid}(student) - \pi_{sid}(buys)$