## **Problem:**

Simplify  $\sqrt{242}$ .

## Response:

To simplify  $\(\sqrt{242}\)$ , we can use the prime factorization method. Here are the steps: [score=0.90]

- 1. \*\*Prime Factorization\*\*: First, we need to find the prime factors of 242.\n 242 is even, so it is divisible by 2.\n \\[\n 242 \\div 2 = 121\n \\]\n So, \\(242 = 2 \\times 121\\).\n Next, we factor 121. We know that 121 is \\(11 \\times 11\\).\n \\[\n 121 = 11 \\times 11\\).\n So, \\(242 = 2 \\times 11 \\times 11\\). [score=0.88]
- 2. \*\*Rewrite the Square Root\*\*: Now, we can rewrite the square root of 242 using its prime factorization.\n \\[\n \\sqrt{242} = \\sqrt{2 \\times 11 \\times 11}\n \\] [score=0.84]  $\checkmark$
- 3. \*\*Simplify the Square Root\*\*: We can use the property of square roots that  $\(\sqrt{a \cdot he} = \sqrt{a} \cdot he property of square roots that <math>\sqrt{a \cdot he} = \sqrt{a} \cdot he property of square roots that <math>\sqrt{a \cdot he} = \sqrt{a} \cdot he property of square roots that <math>\sqrt{a \cdot he} = \sqrt{a} \cdot he property of square roots that <math>\sqrt{a \cdot he} = \sqrt{a \cdot he} = \sqrt{a$

Therefore, the simplified form of  $\(\sqrt{242}\)$  is  $\(\\boxed{11}\$